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subroutine laplace(AB, m)
implicit none
! fortran95 \ function to assemble the banded matrix (upper triangle only)
! arising from the finite difference discretisation of the Laplacian
! partial differential operator.
! Recall the structure for m=4 is
 ! * * * * -1 -1 -1 -1 -1
                                   } -I
 ! * * 0
            0 0 0
                        0 0 0
 ! * -1 -1 0 -1 -1
                       0 -1 -1 }
! 4 4 4
            4 \quad 4 \quad 4
                        4 4 4 } B
integer, intent(in) :: m
real(kind=8), intent(out), dimension(m, (m-1) **2) :: AB
integer :: i
! initialise with zeros
AB(:,:) = 0.0_8
! Main diagonal
AB(m,:) = 4.0_8
! Outer off-diagonal. Since ghost elements are not used, just set all to -1
AB(1,:) = -1.0_8
! Inner off-diagonal. Start with filling the majority of elements (-1)
AB (m-1,:) = -1.0_8
! Set zeros separating the blocks B in the off-diagonal
do i=1, m-1
   AB (m-1, 1+(i-1)*(m-1)) = 0.0_8
end do
AB(:,:) = (m**2)*AB(:,:) ! 1/h^2 factor
```

end subroutine laplace