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subroutine jacobian(A, u, J, beta, lambda)
  use header
  implicit none
   ! Evaluate the Jacobian F'(U)
  type(matrix), intent(in) :: A
  type(matrix), intent(out) :: J
  type(vector), intent(in) :: u
  integer :: i
                                  !, nrows
  real(kind=8) :: y, beta, lambda
   ! Initialise the Jacobian with the linear part A
  ! Note: As m grows 'J=A' becomes increasingly inefficient. using dcopy
   ! from LAPACK to efficiently copy the elements required would be better.
   ! Unfortuately, I was not able to get this idea working!
   ! Something along the lines of this code below was what I was thinking!
   !call dcopy(A%nnz, A%aa(A%ii(A%ibeg):(A%ii(A%iend+1)-1)),1,J%aa(J%ii(J%ibeg):(J%ii(J%i 🗸
end+1)-1)),1)
   !call dcopy(A%n+1, A%ii(1:(A%n+1)), 1, J%ii(1:(J%n+1)),1)
   !call dcopy(A%nnz, A%jj(A%ii(A%ibeg):(A%ii(A%iend+1)-1)),1,J%jj(J%ii(J%ibeg):(J%ii(J%ii/
end+1)-1)),1)
   ! Inefficient solution but works!
  ! Calculates F'(U) = A - diag(G'(U))
  do i=A%ibeg,A%iend
      y = 1.0_8 + beta*u%xx(i)
      J\%aa(J\%ii(i)) = J\%aa(j\%ii(i)) - lambda*exp(u\%xx(i)/y)/(y*y)
  end do
end subroutine jacobian
```