

Mathematical Notation

This sheet has some useful notation which you will see throughout the course.

Individuals / Examples

- We typically say we have n individuals and denote a representative individual as i such that we say there are individuals $1, \dots, i, \dots, n$ or $i = 1, \dots, n$.

Variables

- An input variable/features: x
- An input variable/feature when you have more than one. Note that we've used k here to note the number of input variables but this is quite flexible and people often use m , p and d as well:
 x_1, x_2, \dots, x_k .
- Sometimes, for brevity, you can write the input features as a vector x or X where this contains all of x_1, x_2, \dots, x_k . This just simplifies notation. In this case we'd say $x \in \mathbb{R}^k$ i.e. x is k -dimensional.
- Target variable/class: y
- In machine learning you generally use superscript notation to denote the specific value for an individual i . So you would have input variables $x_1^{(i)}, x_2^{(i)}, \dots, x_k^{(i)}$ and target variable $y^{(i)}$. You may sometimes see the i as a subscript as well.

Datasets

- A dataset has n individuals, k input features and possibly a target variable. We write datasets with the following notation: $\{(x^{(1)}, y^{(1)}), \dots, (x^{(n)}, y^{(n)})\}$ where x is a vector of all input features. If you didn't have a target features then the dataset would be $\{(x^{(1)}), \dots, (x^{(n)})\}$.