



**Sunbeam Institute of Information Technology  
Pune and Karad**

**Module - Embedded C Programming**

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# Print binary

2	10
5	0↑
2	1
1	0
	1

$$(10)_{10} = (1010)_2$$

```
mid print_binary( int num ) {
    while (num > 0) {
        printf( ".d", num % 2 );
        num /= 2;
    }
}
```

num	num>0	num % 2
10	T	0
5	T	1
2	T	0
1	T	1
0	F	

```
mid print_binary( int num ) {
    if (num == 0)
        return;
    print_binary( num / 2 );
    printf( ".d", num % 2 );
}
```

$$(10)_2 = (1010)_2$$

print binary(0)	x
print binary(1)	x
print binary(2)	x
print-binary(5)	x
print-binary(10)	x
main()	x

# Structure members offset

Offset : displacement of a member from starting address of structure variable

```
struct student {  
    int rollno;  
    char name[20];  
    float marks;  
};
```

offset\_of(member) =  
address\_of(member) - address\_of(struct)

$$\text{offset}(\text{rollno}) = \&\text{rollno} - \&S = 100 - 100 = 0$$

$$\text{offset}(\text{name}) = \&\text{name} - \&S = 104 - 100 = 4$$

$$\text{offset}(\text{marks}) = \&\text{marks} - \&S = 124 - 100 = 24$$

```
struct student s = {123, "abc", 75.0};
```

rollno	name	marks
123	abc	75.0

100            104            124  
0 byte        4 bytes      24 bytes



## Endianness

- it decides byte ordering in memory
  - how multi byte variables will be stored in memory.

# Little Endian

lower byte - lower address  
higher byte - higher address

int num = 0x 41 42 43 



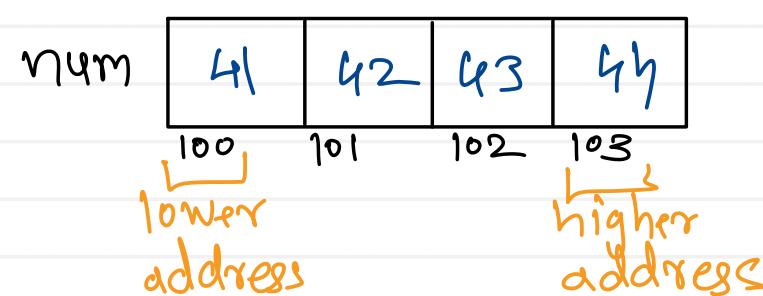
e.g. x86 / x86-64, ARM, AVR

## Big Endian

Byte Order

lower byte - higher address  
higher byte - lower address

int num = 0x 41 42 43 hh  
higher byte      lower byte



e.g. powerPC, Networks



# Function calling conventions

- Function calling conventions decides
  - 1. How arguments are pushed on stack  
left to right or right to left
  - 2. Who will do stack cleanup.  
caller (calling function)  
callee (called function)
  - 3. How CPU registers will be used

```
int fun( int n1 ,int n2 ,int n3 ) ← callee
{
    // TO DO
}
```

```
int main (void) ← caller
{
    fun(10,20,30);
    return 0;
}
```

- 1. Pascal
- 2. cdecl
- 3. stdcall
- 4. fastcall
- 5. thiscall

- removed
- default for C/C++
- only for C++

Pascal	left to right	callee
cdecl	right to left	caller
stdcall	right to left	callee



## cdecl

```
int fun( int n1, int n2, int n3) ← callee
```

```
{  
    // TO DO  
}
```

```
int main (void) ← caller
```

```
{  
    fun(10,20,30);
```

```
    push(30)
```

```
    push(20)
```

```
    push(10)
```

```
    call
```

```
    pop()
```

```
    pop()
```

```
    pop()
```

```
    return 0;
```

## sttcall

```
int fun( int n1, int n2, int n3) ← callee
```

```
{
```

```
// TO DO  
    pop()  
    pop()  
    pop()
```

```
}
```

```
int main (void) ← caller
```

```
{
```

```
    fun(10,20,30);
```

```
    push(30)
```

```
    push(20)
```

```
    push(10)
```

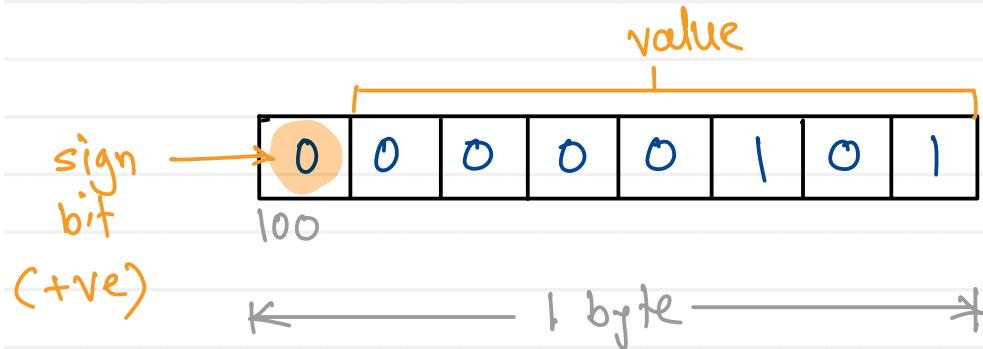
```
    call
```

```
    return 0;
```

# signed variable

signed char num = 5;

$$5 = 0000\ 0101$$

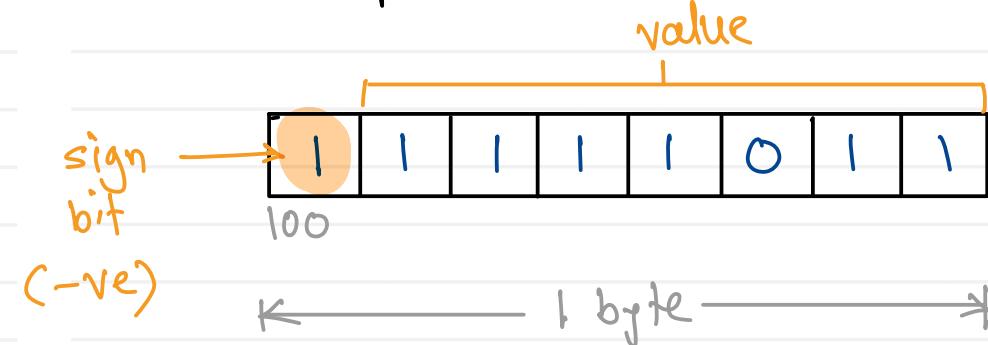


signed char num = -5;

$$5 = 0000\ 0101$$

$$\text{1's complement} = 1111\ 1010$$

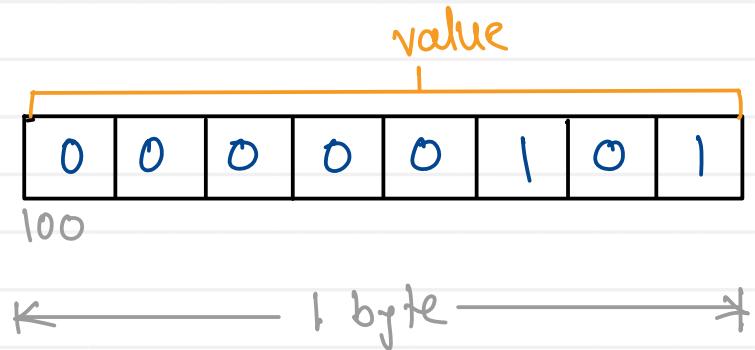
$$\begin{array}{r} +1 \\ \hline \text{2's complement} = 1111\ 1011 \end{array}$$



# unsigned variable

unsigned char num = 5;

$$5 = 0000\ 0101$$



printf("%u", num)

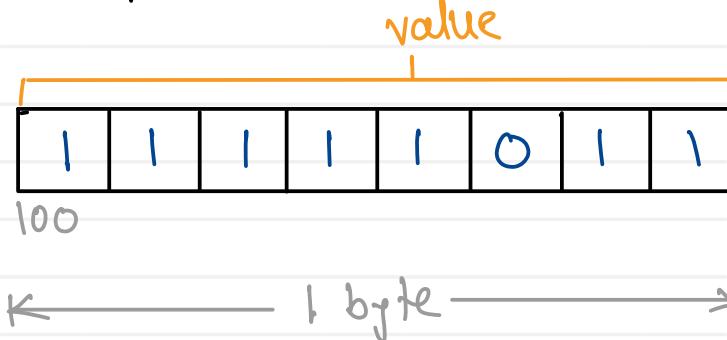
$$\text{output} = 5$$

unsigned char num = -5;

$$5 = 0000\ 0101$$

$$\text{1's complement} = 1111\ 1010$$

$$\begin{array}{r} +1 \\ \hline \text{2's complement} = 1111\ 1011 \end{array}$$



printf("%u", num)

$$\text{output} = 251$$



## signed vs unsigned

```
int main(void) {  
    signed char n1 = 5;  
    signed char n2 = -5;  
  
    if(n1 > n2)  
        printf("n1 is greater");  
    else  
        printf("n2 is greater");  
  
    return 0;  
}
```

Output : n1 is greater

$$\begin{aligned}n_1 &= 0000\ 0101 = 5 \\n_2 &= 1111\ 1011 = -5\end{aligned}$$

```
int main(void) {  
    unsigned char n1 = 5;  
    unsigned char n2 = -5;  
  
    if(n1 > n2)  
        printf("n1 is greater");  
    else  
        printf("n2 is greater");  
  
    return 0;  
}
```

Output : n2 is greater

$$\begin{aligned}n_1 &= 0000\ 0101 = 5 \\n_2 &= 1111\ 1011 = 251\end{aligned}$$



# Bit wise operators

## Bitwise AND (`&`)

$$\begin{array}{rcl} \text{num1 : } 0xAB & : & 1010\ 1011 \\ \text{num2 : } 0x34 & : & 0011\ 0100 \\ \hline \text{\#} & & 0010\ 0000 \quad (0x20) \end{array}$$

## Bitwise OR (`|`)

$$\begin{array}{rcl} \text{num1 : } 0xAB & : & 1010\ 1011 \\ \text{num2 : } 0x34 & : & 0011\ 0100 \\ \hline | & & 1011\ 1111 \quad (0xBF) \end{array}$$

## Bitwise XOR (`^`)

$$\begin{array}{rcl} \text{num1 : } 0xAB & : & 1010\ 1011 \\ \text{num2 : } 0x34 & : & 0011\ 0100 \\ \hline ^ & & 1001\ 1111 \quad (0x9F) \end{array}$$

## Bitwise NOT (`~`) (Complement)

$$\begin{array}{rcl} \text{num1 : } 0xAB & : & 1010\ 1011 \\ \hline \sim & & 0101\ 0100 \quad (0x54) \\ \text{num2 : } 0x34 & : & 0011\ 0100 \\ \hline \sim & & 1100\ 1011 \quad (0xCB) \end{array}$$

## Bit wise operators

Bitwise Left shift ( $<<$ )

unsigned char num = 0xAB ;

num : 0xAB : 1010 1011

$\ll 2$

---

10101100

signed char num = 0xAB ;

num : 0xAB : 1010 1011

$\ll 2$

---

10101100

Var  $<<n$  ; bits will be shifted by n  
0 will be added in n bits from LSB  
vacant

Bitwise right shift ( $>>$ )

unsigned char num = 0xAB ;

num : 0xAB : 1010 1011

$>>2$

---

00101010

signed char num = 0xAB ;

num : 0xAB : 1010 1011

$>>2$

---

11101010

Var  $>>n$  ; bits will be shifted by n  
unsigned  $\rightarrow$  0 will be added in n bits from MSB  
signed  $\rightarrow$  MSB will be added in n bits from MSB  
sign bit



## Bit wise operators

Even or Odd

num = 8 → 1000      if LSB = 0  
= 9 → 1001      then num is even  
= 10 → 1010      if LSB = 1  
= 11 → 1011      then num is odd

$$\begin{array}{rcl} 0 \& \oplus & 1 = 0 \\ 1 \& \oplus & 1 = 0 \end{array}$$

num = 8;  
if(num & 1)  
printf("num is odd");  
else  
printf("num is even");

Divisible by 2

num = 8 → 1000      if LSB = 0  
= 9 → 1001      then num is divisible  
= 10 → 1010      if LSB = 1  
= 11 → 1011      then num is not divisible

0 & 1 = 0      num = 8;  
1 & 1 = 1      if(num & 1)  
printf("num is not divisible");  
else  
printf("num is divisible");



# Bit wise operators

Divisible by 4

$$\text{num} = 8 - \underline{\underline{1000}}$$

$$12 - \underline{\underline{1100}}$$

$$16 - \underline{\underline{10000}}$$

$$9 - \underline{\underline{1001}}$$

$$11 - \underline{\underline{1011}}$$

$$15 - \underline{\underline{1111}}$$

$$13 - \underline{\underline{1101}}$$

$$14 - \underline{\underline{1110}}$$

Swapping of numbers

$$n1 = 10 \rightarrow 0000 \ 1010$$

$$n2 = 20 \rightarrow 0001 \ 0100$$

$$n1 = n1 \wedge n2 = \begin{array}{r} 0000 \ 1010 \\ 0001 \ 0100 \\ \hline 0001 \ 1110 \end{array}$$

```
if( num & 3)
    printf("num is not divisible by 4");
else
    printf("num is divisible by 4");
```

Homework :

find lower & upper divisible by 4 of num

$$\text{num} = 17$$

$$\text{lower divisible} = 16$$

$$\text{Upper divisible} = 20$$

$$\text{num} = 24$$

$$\text{lower divisible} = 24$$

$$\text{upper divisible} = 28$$

$$n2 = n1 \wedge n2 = \begin{array}{r} 0001 \ 1110 \\ 0001 \ 0100 \\ \hline 0000 \ 1010 \end{array} (10)$$

$$n1 = n1 \wedge n2 = \begin{array}{r} 0001 \ 1110 \\ 0000 \ 1010 \\ \hline 0001 \ 0100 \end{array} (20)$$



## Print Collatz Conjecture

$n >> 1 \rightarrow$  divide by 2

$$\begin{aligned} n &= 0000\ 1000 \rightarrow 8 \\ &>>1 = 0000\ 0100 \rightarrow 4 \end{aligned}$$

$n << 1 \rightarrow$  multiply by 2

$$\begin{aligned} n &= 0000\ 1000 \rightarrow 8 \\ &<<1 = 0001\ 0000 \rightarrow 16 \end{aligned}$$

$n=8$  multiply by 3  
 $(n << 1) + n$

$$\begin{aligned} n &= 0000\ 1000 \\ &<<1 = 0001\ 0000 \\ &\quad + 0000\ 1000 \\ \hline &0001\ 1000 \end{aligned}$$

collatz conjecture

$\text{num}$   
if num is even  $\rightarrow \text{num}/2$   
if num is odd  $\rightarrow (\text{num} * 3) + 1$

$$\text{num} = 8$$

$$\text{series} = 8, 4, 2, 1$$

$$\text{num} = 13$$

$$\text{series} = 13, 40, 20, 10, 5, 16, 8, 4, 2, 1$$

$$\text{even/odd} = \text{num} \% 1$$

$$\text{num}/2 = \text{num} >> 1$$

$$(\text{num} * 3) + 1 = \text{num} << 1 + \text{num} \% 1$$





## Print binary using bit wise operators

num = 8 = 0000 1000

$\&$  (0x80) 1000 0000 → 0  
0100 0000 → 0  
0010 0000 → 0  
0001 0000 → 0  
0000 1000 → nonzero → 1  
0000 0100 → 0  
0000 0010 → 0  
0000 0001 → 0  
0000 0000

```
char num = 8;  
unsigned char mask = 0x80;  
while (mask) {  
    if (num & mask)  
        printf("1");  
    else  
        printf("0");  
    mask = mask >> 1,  
    '
```

}

Homework :  
print binary of any size datatype variable





Thank you!!!

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