

**THADOMAL SHAHANI ENGINEERING COLLEGE**  
**BANDRA (W), MUMBAI – 400050**

**CERTIFICATE**

This is to certify that Mr. **Kasliwal Harsh Nitin** of **COMPUTER** Department, Semester **III** With Roll No. **2003085** has completed a course of the necessary experiments in the subject "**COMPUTER GRAPHICS**" under my supervision in the **THADOMAL SHAHANI ENGINEERING COLLEGE** Laboratory in the year 2021- 2022

**Prof. Manisha Dambre**

**Teacher in-charge**

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**Date:** \_\_\_\_\_

**Principal**

**Thadomal Shahani Engineering College**  
**Computer Engineering Department**  
**E-JOURNAL**

Subject: CG Lab

Year: 2021-2022

Semester: III

Class: C2

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**Batch:C21**

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**Experiment List**

<b>SR.No.</b>	<b>TOPICS</b>	<b>DATE</b>
1.	Implement DDA Line drawing Method in C	08/09/2021
2.	Implement Bresenham's Line Drawing Method in C	15/09/2021
3.	Implement Midpoint circle drawing Method in C	22/09/2021
4.	Implement Midpoint ellipse drawing Method in C	06/10/2021
5.	Implement flood fill and boundary fill to fill a polygon.	29/09/2021
6.	Implement 2D Transformations on a polygon – Translation, Rotation, Scaling, Reflection and Shear	20/10/2021 28/10/2021
7.	Implement Liang Barsky Line Clipping Method in C	24/11/2021
8.	Implement Sutherland Hodgeman polygon clipping Method in C	24/11/2021
9.	Implement Bezier curve	10/11/2021
10.	Implement Koch Curve for fractal generation	17/11/2021
11.	Mini Project – ( <b>MENTION TITLE AND GROUP ROLL NUMBERS</b> )	08/12/2021
12.	Written Assignment No.1	01/09/2021
13.	Written Assignment No.2	10/11/2021

Prof. Manisha Dumbre

## Experiment 2

Aim: DDA sine drawing algorithm implementation.

Algorithm:-

Step 1: Two end points

Step 1: Input the coordinates of two ends A( $x_1, y_1$ ) and B( $x_2, y_2$ )  
for the line AB resp.

Step 2: Calculate

$$\Delta x = x_2 - x_1$$

$$\Delta y = y_2 - y_1$$

Step 3: Calculate the length L

$$\text{if } (\Delta x > \Delta y) \Rightarrow L = \Delta x$$

$$L = \Delta x (x_2 - x_1);$$

else

$$L = \Delta y (y_2 - y_1);$$

Step 4: Calculate increment factor.

$$\rightarrow x_i = \Delta x / L$$

$$\rightarrow y_i = \Delta y / L$$

$$X_{\text{new}} = X_1; Y_{\text{new}} = Y_1$$

Step 5: Initialize the point

while ( $i \leq L$ ) {

$$X_{\text{new}} = X_1 + x_i; X_{\text{prev}} = X_i$$

$$Y_{\text{new}} = Y_1 + y_i; Y_{\text{prev}} = Y_i$$

Plot (Integer( $X_{\text{new}}$ ), Integer( $Y_{\text{new}}$ ));  $i++$  }.

## **PROGRAM:**

```
#include <stdio.h>
#include <conio.h>
#include <graphics.h>

void main()
{
    int gd = DETECT, gm;
    float x, y, dx, dy, xi, yi, steps;
    int i, x1, y1, x2, y2, ch;
    initgraph(&gd, &gm, "C:\\TURBOC3\\BGI");
    printf("Roll No: 2003085 \nBatch: C21 \n");
    printf("Enter the first coordinate\n");
    scanf("%d %d", &x1, &y1);
    printf("Enter the second coordinate\n");
    scanf("%d %d", &x2, &y2);
    dx = abs(x2-x1);
    dy = abs(y2-y1);
    if(dx <= dy)
        steps = dy;
    else
        steps = dx;
    xi = dx/steps;
    yi = dy/steps;
    i = 0;
    x = x1; y = y1;
    printf("Enter the choice: \n");
    printf("1. For Normal line \n2. For Dotted Line \n3. For Dashed line \n");
```

```
scanf("%d", &ch);
switch(ch){
case 1:{
while(i <= steps){

    putpixel(x, y, 15);

    x += xi;

    y += yi;

    i++;}

break;

}

case 2:{
while(i <= steps){

    if(i%10==0)

        putpixel(x, y, 15);

    x += xi;

    y += yi;

    i++;}

break;

}

case 3:{
while(i <= steps){

    if(i%6!=4 && i%6!=5)

        putpixel(x, y, 15);

    x += xi;

    y += yi;

    i++;}

break;

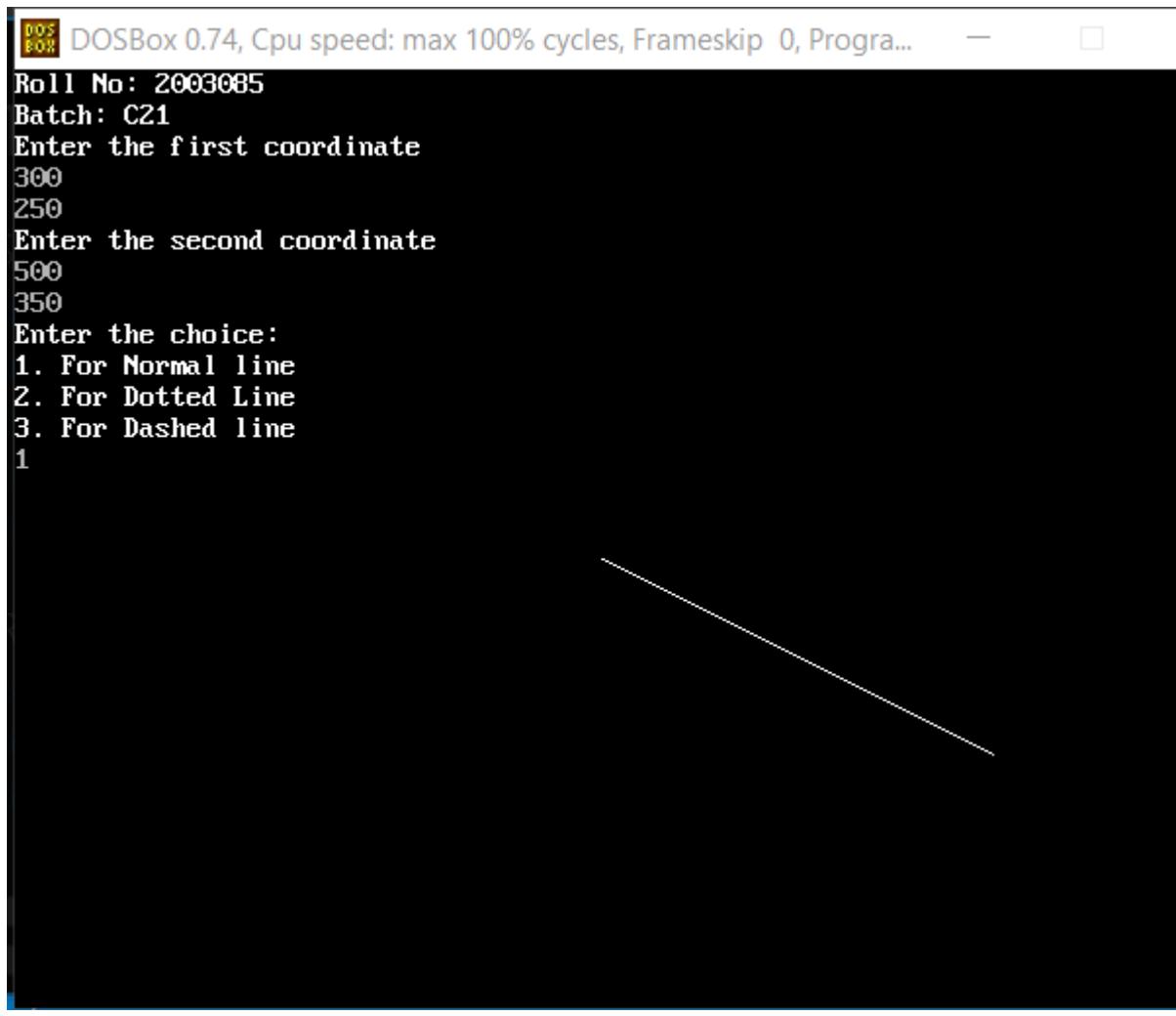
}

default:
```

```
    printf("Invalid Choice!\n");  
  
}  
getch();  
}
```

## **OUTPUT:**

1. Normal Line:

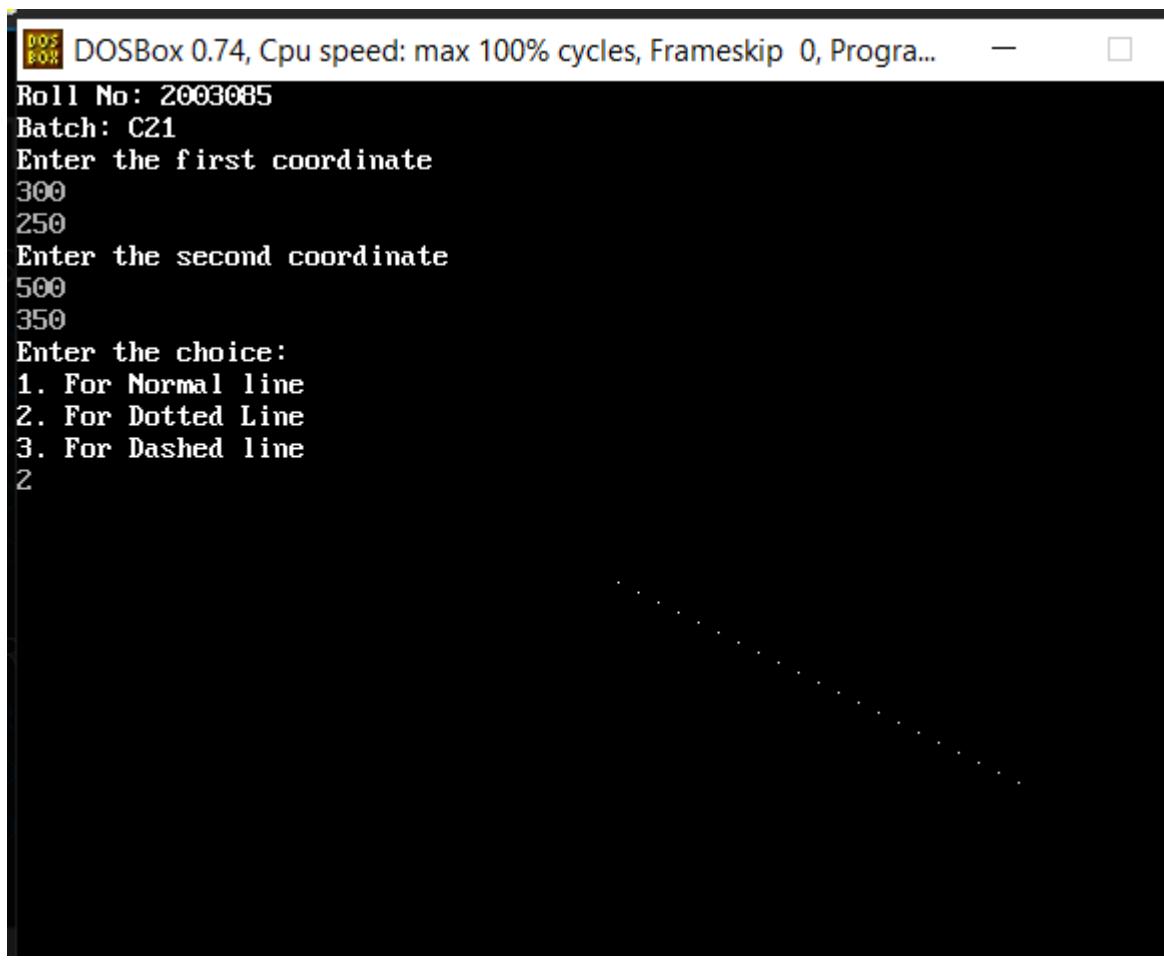


DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program...

```
Roll No: 2003085
Batch: C21
Enter the first coordinate
300
250
Enter the second coordinate
500
350
Enter the choice:
1. For Normal line
2. For Dotted Line
3. For Dashed line
1
```

A screenshot of a DOSBox window titled "DOSBox 0.74". The window shows a command-line interface. The user has entered coordinates for two points: (300, 250) and (500, 350). A question "Enter the choice:" is displayed, followed by three options: 1. For Normal line, 2. For Dotted Line, and 3. For Dashed line. The user has selected option 1. Below the window, a thin black line is drawn on a white background, representing the line segment from (300, 250) to (500, 350).

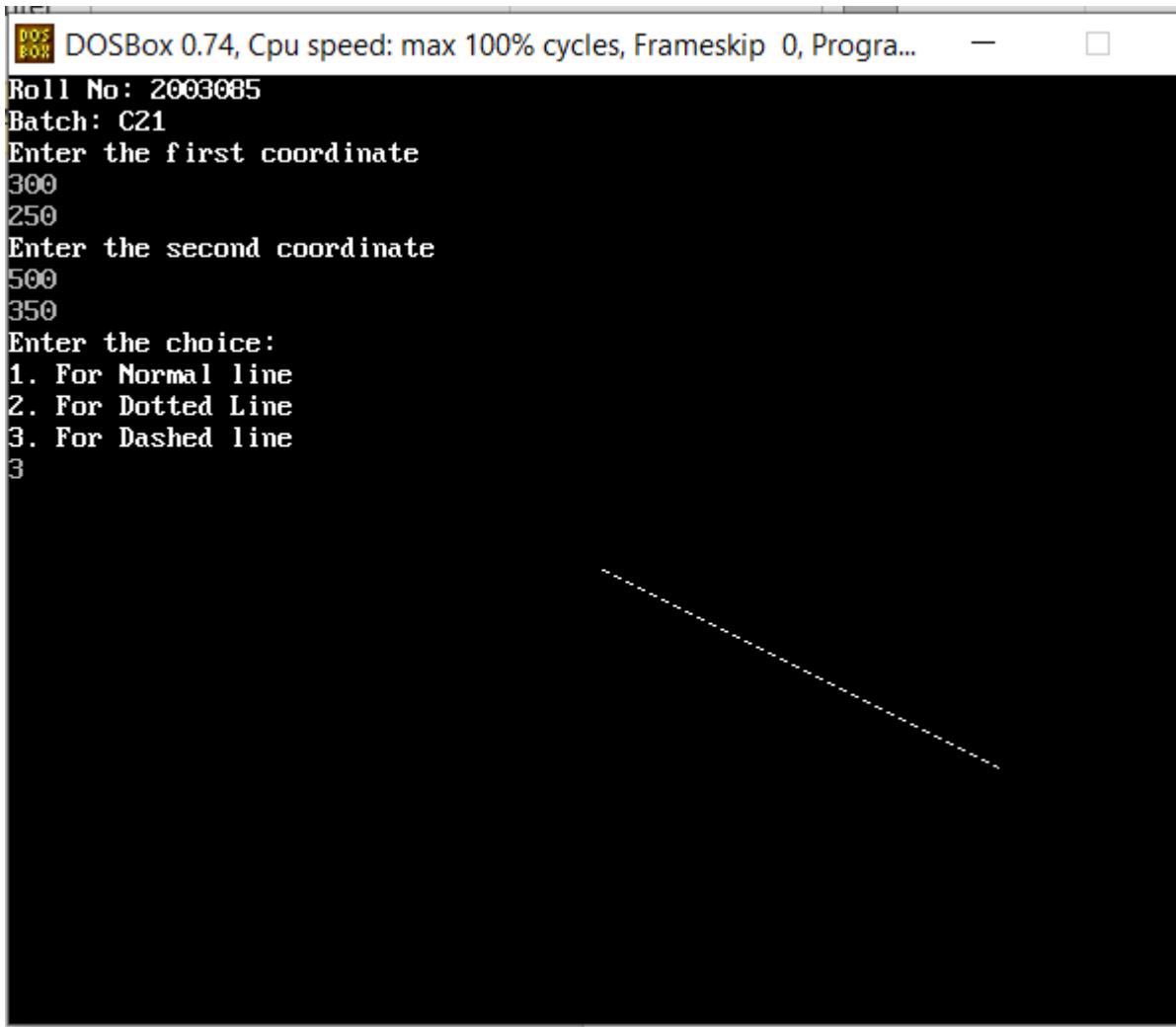
## 2. Dotted Line:



DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program...

```
Roll No: 2003085
Batch: C21
Enter the first coordinate
300
250
Enter the second coordinate
500
350
Enter the choice:
1. For Normal line
2. For Dotted Line
3. For Dashed line
2
```

### 3. Dashed Line



DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program... — □

```
Roll No: 2003085
Batch: C21
Enter the first coordinate
300
250
Enter the second coordinate
500
350
Enter the choice:
1. For Normal line
2. For Dotted Line
3. For Dashed line
3
```

The screenshot shows a DOSBox window with the title bar "DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program...". The window contains the following text:

```
Roll No: 2003085
Batch: C21
Enter the first coordinate
300
250
Enter the second coordinate
500
350
Enter the choice:
1. For Normal line
2. For Dotted Line
3. For Dashed line
3
```

Below the text, a dashed line is drawn from the point (300, 250) to the point (500, 350).

## Experiment No. 2

Aim:

Implement generalized Bresenham's line drawing algorithm in C.

Algorithm:

Step 1: Read  $(x_1, y_1)$  and  $(x_2, y_2)$

Step 2: calculate  $dx = |x_2 - x_1|$  and  $dy = |y_2 - y_1|$  where  $|a|$  is absolute value of a.

Step 3: Initialize  $x = x_1$  and  $y = y_1$ .

Step 4: calculate  $g_1 = \text{sign}(x_2 - x_1)$  where sign is a function and  $g_2 = \text{sign}(y_2 - y_1)$ . that returns -1, 0 & 1

Step 5: If  $dy > dx$

then swap dy and dx and set exchange = 1

else set exchange = 0

Step 6: calculate initial decision parameter,  $e = 2dy - dx$

Step 7: Set  $i = 1$

Step 8: Plot  $(x, y)$

Step 9: while ( $e > 0$ )

if (exchange = 1)

then  $x = x + g_1$

else  $y = y + g_2$

$e = e - 2dx$

Step 10: if (exchange = 1)

then  $y = y + g_2$

else  $x = x + g_1$

$e = e + 2dy$

Step 11:  $i = i + 1$

Step 12: if ( $i \leq dx$ ) goto step 8.

## **PROGRAM:**

### **Code:**

```
#include <stdio.h>
#include <conio.h>
#include <graphics.h>
void Line(int, int, int, int);
void DashedLine(int, int, int, int);
void DottedLine(int, int, int, int);
void ThickLine(int, int, int, int);
int sign(int);
void main()
{
    int gd = DETECT, gm;
    int x1, y1, x2, y2, ch;
    initgraph(&gd, &gm, "C:\\TURBOC3\\BGI");
    printf("Enter the coordinates of the first point of the line\\n");
    scanf("%d %d", &x1, &y1);
    printf("Enter the coordinates of the second point of the line\\n");
    scanf("%d %d", &x2, &y2);
    printf("Enter the type of line you want to be drawn\\n");
    printf("1-Solid\\n2-Dotted\\n3-Dashed\\n4-Thick\\n");
    scanf("%d", &ch);
    switch(ch)
    {
        case 1 :
            Line(x1, y1, x2, y2);
            break;
        case 2 :
```

```
DottedLine(x1, y1, x2, y2);
break;

case 3:
DashedLine(x1, y1, x2, y2);
break;

case 4:
ThickLine(x1, y1, x2, y2);
break;

default:
printf("INVALID INPUT!\n");
}

getch();
}

void Line(int x1, int y1, int x2, int y2)
{
int dx, dy, s1, s2, exchange, temp, e, i, x, y;
dx = abs(x2-x1);
dy = abs(y2-y1);
s1 = sign(x2-x1);
s2 = sign(y2-y1);
if(dy > dx)
{
exchange = 1;
temp = dx;
dx = dy;
dy = temp;
}
else
exchange = 0;
```

```
e = 2*dy-dx;  
i = 1;  
x = x1;  
y = y1;  
while(i <= dx)  
{  
    putpixel(x, y, 15);  
    while(e >= 0)  
    {  
        if(exchange == 1)  
            x += s1;  
        else  
            y += s2;  
        e = e-2*dx;  
    }  
    if(exchange == 1)  
        y += s2;  
    else  
        x += s1;  
    e = e+2*dy;  
    i++;  
}  
}  
void DottedLine(int x1, int y1, int x2, int y2)  
{  
    int dx, dy, s1, s2, exchange, temp, e, i, x, y;  
    dx = abs(x2-x1);  
    dy = abs(y2-y1);  
    s1 = sign(x2-x1);
```

```
s2 = sign(y2-y1);
```

```
if(dy > dx)
```

```
{
```

```
exchange = 1;
```

```
temp = dx;
```

```
dx = dy;
```

```
dy = temp;
```

```
}
```

```
else
```

```
exchange = 0;
```

```
e = 2*dy-dx;
```

```
i = 1;
```

```
x = x1;
```

```
y = y1;
```

```
while(i <= dx)
```

```
{
```

```
if(i % 2 == 0)
```

```
putpixel(x, y, 15);
```

```
while(e >= 0)
```

```
{
```

```
if(exchange == 1)
```

```
x += s1;
```

```
else
```

```
y += s2;
```

```
e = e-2*dx;
```

```
}
```

```
if(exchange == 1)
```

```
y += s2;
```

```
else
```

```
x += s1;
e = e+2*dy;
i++;
}
}

void DashedLine(int x1, int y1, int x2, int y2)
{
int dx, dy, s1, s2, exchange, temp, e, i, x, y;
dx = abs(x2-x1);
dy = abs(y2-y1);
s1 = sign(x2-x1);
s2 = sign(y2-y1);
if(dy > dx)
{
exchange = 1;
temp = dx;
dx = dy;
dy = temp;
}
else
exchange = 0;
e = 2*dy-dx;
i = 1;
x = x1;
y = y1;
while(i <= dx)
{
if(i % 6 != 4 && i % 6 != 5)
putpixel(x, y, 15);
```

```
while(e >= 0)
{
    if(exchange == 1)
        x += s1;
    else
        y += s2;
    e = e-2*dx;
}

if(exchange == 1)
    y += s2;
else
    x += s1;
e = e+2*dy;
i++;
}

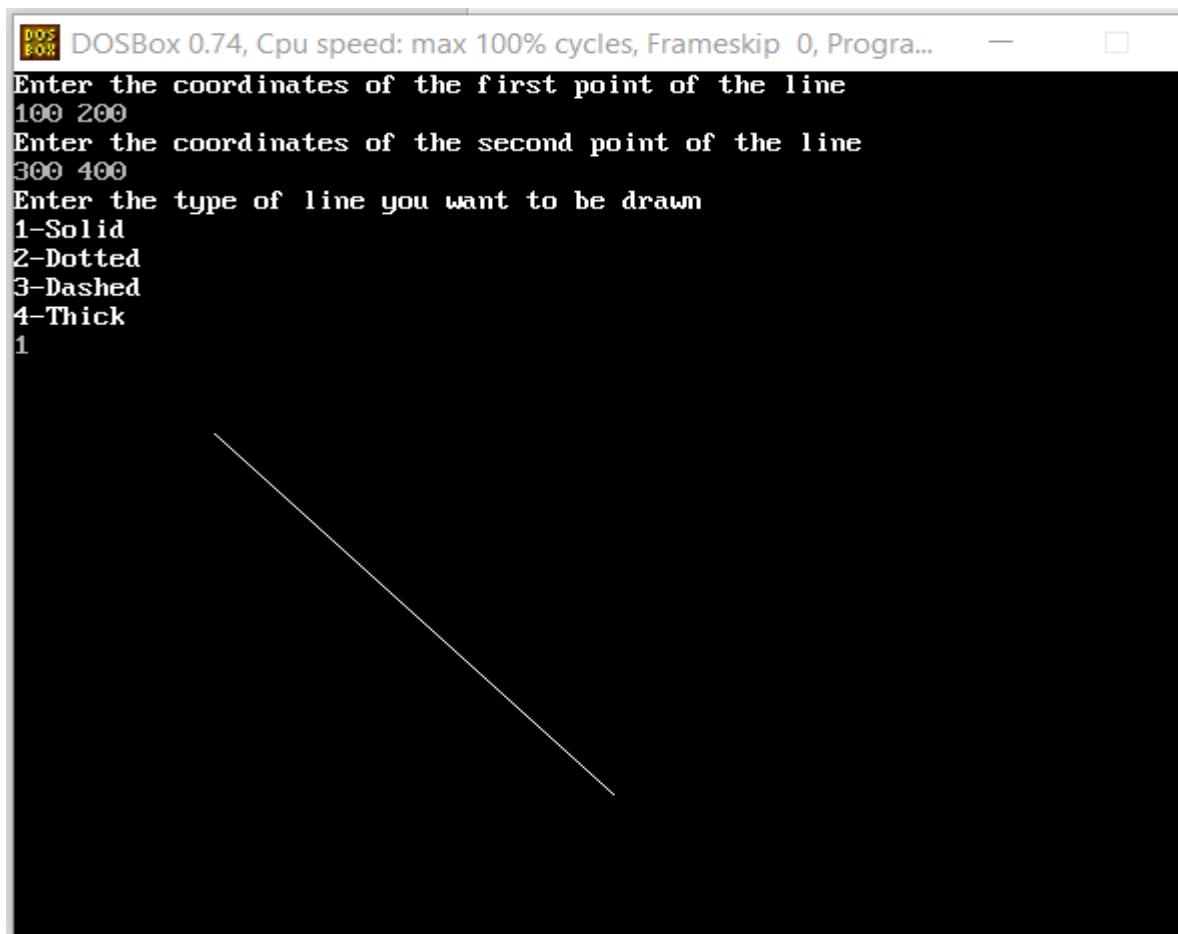
}

void ThickLine(int x1, int y1, int x2, int y2)
{
    Line(x1-1, y1, x2-1, y2);
    Line(x1, y1-1, x2, y2-1);
    Line(x1, y1, x2, y2);
    Line(x1+1, y1, x2+1, y2);
    Line(x1, y1+1, x2, y2+1);
}

int sign(int n)
{
    if(n > 0)
        return 1;
    else if(n < 0)
```

```
return -1;  
return 0;  
}
```

## OUTPUT:



DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program

Enter the coordinates of the first point of the line

100 200

Enter the coordinates of the second point of the line

300 400

Enter the type of line you want to be drawn

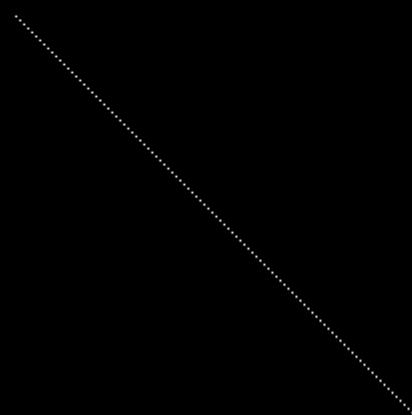
1-Solid

2-Dotted

3-Dashed

4-Thick

2



DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program

Enter the coordinates of the first point of the line

100

200

Enter the coordinates of the second point of the line

300

400

Enter the type of line you want to be drawn

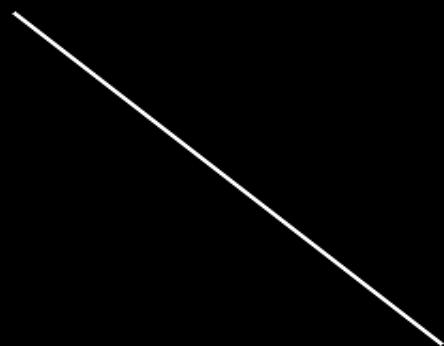
1-Solid

2-Dotted

3-Dashed

4-Thick

4



DOS  
Box

DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program...

-

□

Enter the coordinates of the first point of the line

400 300

Enter the coordinates of the second point of the line

200

100

Enter the type of line you want to be drawn

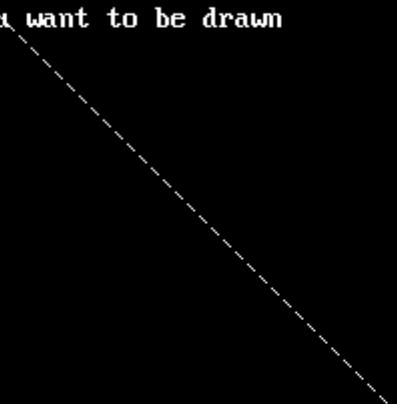
1-Solid

2-Dotted

3-Dashed

4-Thick

3



### Experiment No. 13

Aim: Implement midpoint circle and midpoint ellipse drawing algorithm in C.

#### Theory:

Circle: Midpoint circle drawing algorithm works by finding out whether the midpoint of two pixels between which the circle passes through is above or below the circumference of the circle. Depending on that the selection of pixel is made.

Also, eight-octant symmetry is used to draw the whole circle and only one octant's pixels are actually calculated.

#### Algorithm:

Step 1: Take radius ( $r$ ) and centre of circle  $(x_c, y_c)$  as input.

Step 2: Set  $x=0, y=r$ .

Step 3: Calculate initial decision parameter  $p=1-r$ .

Step 4: Plot the 8 pixels in the octants that is,

$$(x_c+x, y_c+y), (x_c+x, y_c-y)$$

$$(x_c-x, y_c+y), (x_c-x, y_c-y)$$

$$(x_c+y, y_c+x), (x_c+y, y_c-x)$$

$$(x_c-y, y_c+x), (x_c-y, y_c-x)$$

Step 5: If  $p < 0$

then set  $x=x+1$

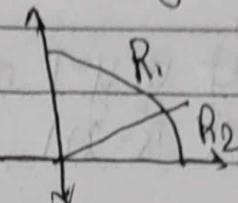
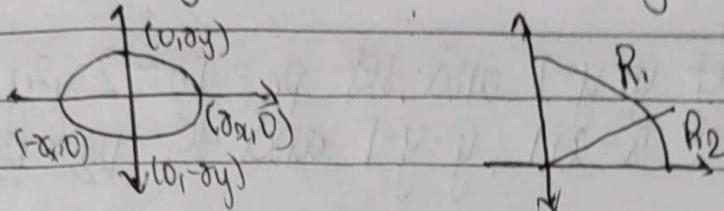
and set  $p = p + 2x + 1$

else set  $x = x+1$  and  $y = y-1$

and set  $p = p + 2x + 1 - 2y$

Step 6: Repeat steps 4-5 until  $x \geq y$ .

**Ellipse:** Ellipse is an elongated circle which can be described with a centre and two radii. The radius of the ellipse along x-axis ( $r_x$ ) and radius of ellipse along y-axis ( $r_y$ ). In midpoint ellipse drawing, we need to make use of 4-quadrant symmetry instead of 8-quadrant symmetry. We will call the region of ellipse with slope  $< -1$ , region 1 and slope  $> -1$ , region 2.



### Algorithm:

Step 1: Take centre of ellipse ( $x_c, y_c$ ) and radii ( $r_x$  and  $r_y$ )

Step 2: Set  $x=0, y=r_y$

Step 3: Calculate initial decision parameter in region 1.

$$P_1 = r_y^2 - r_x^2 r_y + \frac{1}{4} r_x^2$$

Step 4: Plot the 4 pixels in each quadrant, that is

$$(x_c - x, y_c + y), (x_c + x, y_c + y)$$

$$(x_c - x, y_c - y), (x_c + x, y_c - y)$$

Step 5: If  $P_1 < 0$

then set  $x=x+1$  and set  $P_1 = P_1 + 2r_y^2 x + 2y^2$

else set  $x=x+1, y=y-1$  and set  $P_1 = P_1 + 2r_y^2 x - 2r_x^2 y + r_y^2$

Step 6: Repeat steps 4-5 until  $2r_y^2 x \geq 2r_x^2 y$ .

Now the first region has been plotted.

Step 7: calculate initial decision parameter in region 2 using  $x$  and  $y$  values reached in region 1.

$$P_2 = \alpha_y^2 \left(\frac{1}{2} + x\right)^2 + \alpha_x^2 (y-1)^2 - \alpha_x^2 \alpha_y^2$$

Step 8: Plot the 4 points in each quadrant, same as region 1.

Step 9: If  $P_2 > 0$ ,

then set  $y = y-1$  and let  $P_2 = P_2 - 2\alpha_y^2 y + \alpha_y^2$ .

else set  $x = x+1$ ,  $y = y-1$  and let  $P_2 = P_2 + 2\alpha_x^2 x -$

$$2\alpha_x^2 y + \alpha_x^2$$

Step 10: Repeat steps 8-9 until  $2\alpha_x^2 x \geq 2\alpha_y^2 y$

Now both regions 1 and 2 have been plotted and the complete ellipse has been plotted.

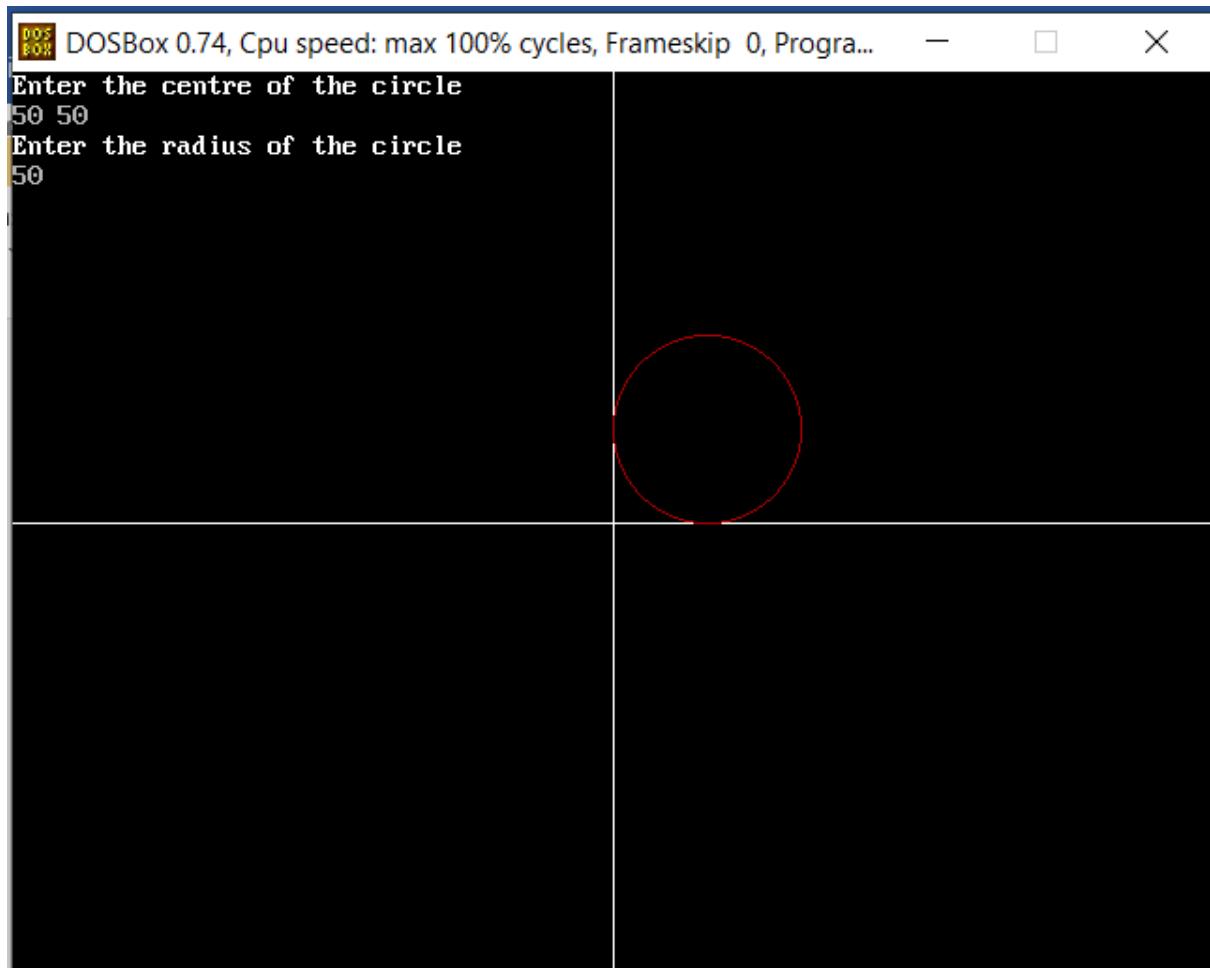
## **PROGRAM:**

### **Code 1:** Midpoint Circle

```
#include <stdio.h>
#include <conio.h>
#include <graphics.h>
void plot(int, int, int, int, int);
void Circle(int, int, int, int);
void main()
{
    int gd = DETECT, gm;
    int xc, yc, r, col = RED;
    initgraph(&gd, &gm, "C:\\TURBOC3\\BGI");
    line(320, 0, 320, 480);
    line(0, 240, 640, 240);
    printf("Enter the centre of the circle\n");
    scanf("%d %d", &xc, &yc);
    printf("Enter the radius of the circle\n");
    scanf("%d", &r);
    Circle(xc, yc, r, col);
    getch();
}
void Circle(int xc, int yc, int r, int col)
{
    int x = 0, y = r, p = 1-r;
    while(x <= y)
    {
        plot(xc, yc, x, y, col);
        if(p < 0)
```

```
{  
    x++;  
    p = p + 2*x + 1;  
}  
else  
{  
    x++;  
    y--;  
    p = p + 2*(x-y) + 1;  
}  
}  
}  
}  
  
void plot(int xc, int yc, int x, int y, int col)  
{  
    putpixel(320+xc+x, 240-(yc+y), col);  
    putpixel(320+xc+x, 240-(yc-y), col);  
    putpixel(320+xc-x, 240-(yc+y), col);  
    putpixel(320+xc-x, 240-(yc-y), col);  
    putpixel(320+xc+y, 240-(yc+x), col);  
    putpixel(320+xc+y, 240-(yc-x), col);  
    putpixel(320+xc-y, 240-(yc+x), col);  
    putpixel(320+xc-y, 240-(yc-x), col);  
}
```

## OUTPUT:



## **Code 2:** Midpoint Ellipse

```
#include<stdio.h>
#include<graphics.h>
#include<conio.h>
#include<math.h>

void main(){
    int gd=DETECT, gm;
    float xc,yc,rx,ry,x,y,pk,p1k,p2k;
    initgraph(&gd, &gm, "C:\\TURBOC3\\BGI");
    printf("\nEnter the centers of ellipse\n");
    scanf("%f%f", &xc, &yc);
    printf("Enter radius of ellipse\n");
    scanf("%f%f", &rx, &ry);
    x=0; y=ry;
    pk= (ry*ry)-(rx*rx*ry)+((rx*rx)/4);
    while((2*ry*ry*x)<(2*rx*rx*y)){
        if(pk<=0){
            x++;
            p1k=pk+(2*ry*ry*x)+(ry*ry);
        }
        else{
            x++;
            y--;
            p1k=pk+(2*ry*ry*x)-(2*rx*rx*y)+(ry*ry);
        }
        pk=p1k;
        putpixel(xc+x, yc+y,14);
    }
}
```

```
putpixel(xc-x, yc+y,14);
putpixel(xc+x, yc-y,14);
putpixel(xc-x, yc-y,14);
}

pk=((x+0.5)*(x+0.5)*ry*ry)+((y-1)*(y-1)*rx*rx)-(rx*rx*ry*ry);

while(y>0){

    if(pk>0){

        y=y-1;

        p2k=pk-(2*rx*rx*y)+(rx*rx);

    }

    else{

        x=x+1;

        y=y-1;

        p2k=pk+(2*ry*ry*x)-(2*rx*rx*y)+(rx*rx);

    }

    pk=p2k;

    putpixel(xc+x, yc+y,14);

    putpixel(xc-x, yc+y,14);

    putpixel(xc+x, yc-y,14);

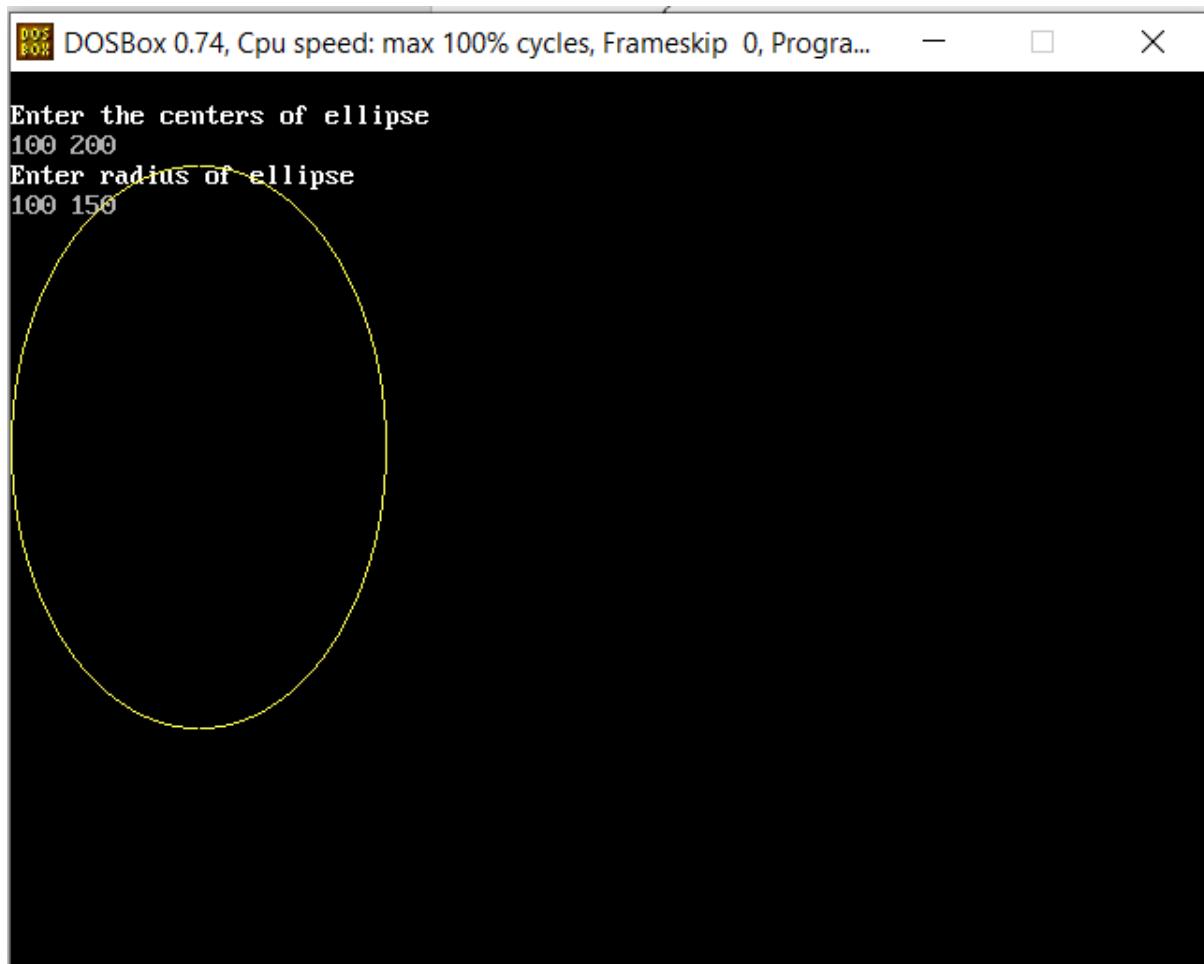
    putpixel(xc-x, yc-y,14);

}

getch();

}
```

## OUTPUT:



## Experiment 4

Aim: Implement Midpoint drawing ellipse method in C.

Theory:

Algorithm:

1. Start

2. Declare  $x_0, y_0, r_x, r_y, m, dx, dy, P_1, P_2$

3. Initialize point of region 1 as  $x=0$

$$y = y_0$$

4. Calculate

$$P = r_y^2 - r_x^2 y_0 + \frac{1}{4} r_x^2$$

$$dx = 2r_x^2$$

$$dy = 2r_x r_y$$

5. Update values of  $dx$ , and  $dy$  after each iteration

6. Repeat steps while ( $dx < dy$ )

plot  $(x, y)$

if ( $P < 0$ )

update  $x = y+1$

$$P_1 = r_y^2 [2x + 3]$$

else

update  $= 0 (= x+1)$

$$y = y - 1$$

7. when  $dx > dy$ , plot region 2

$$P_2 = r_y^2 (x + 1/2)^2 + r_x^2 (y - 1/2)^2 - r_x^2 r_y^2$$

⑨

g.  $xy > 0$ if ( $P_2 \geq 0$ )update  $y = y - 1$ 

$$P_2 = P_2 - 2x_0y^2 + 2x_0^2$$

else

$$x = x + 1$$

$$y = y + 1$$

$$P_2 = P_2 + 2x_0y[2x] - 2y^2x^2 + rx^2$$

10. END

## **PROGRAM:**

### **Code:**

```
#include <conio.h>
#include <stdio.h>
#include <graphics.h>
void main()
{
int gd=DETECT,gm;
float x,y,xc,yc,rx,ry,pk,pk1;
clrscr();
initgraph(&gd,&gm,"..\\bgi");
printf("Mid point ellipse drawing algorithm\n");
printf("Enter Center for ellipse\nx : ");
scanf("%f",&xc);
printf("y : ");
scanf("%f",&yc);
printf("Enter x-radius and y-radius\nx-radius : ");
scanf("%f",&rx);
printf("y-radius : ");
scanf("%f",&ry);
x=0;
y=ry;
pk=(ry*ry)-(rx*rx*ry)+((rx*rx)/4);
while((2*x*ry*ry)<(2*y*rx*rx))
{
if(pk<=0)
{
```

```

x=x+1;

pk1=pk+(2*ry*ry*x)+(ry*ry);

}

else

{

x=x+1;

y=y-1;

pk1=pk+(2*ry*ry*x)-(2*rx*rx*y)+(ry*ry);

}

pk=pk1;

putpixel(xc+x,yc+y,2);

putpixel(xc-x,yc+y,2);

putpixel(xc+x,yc-y,2);

putpixel(xc-x,yc-y,2);

}

pk=((x+0.5)*(x+0.5)*ry*ry)+((y-1)*(y-1)*rx*rx)-(rx*rx*ry*ry);

while(y>0)

{

if(pk>0)

{

y=y-1;

pk1=pk-(2*rx*rx*y)+(rx*rx);

}

else

{

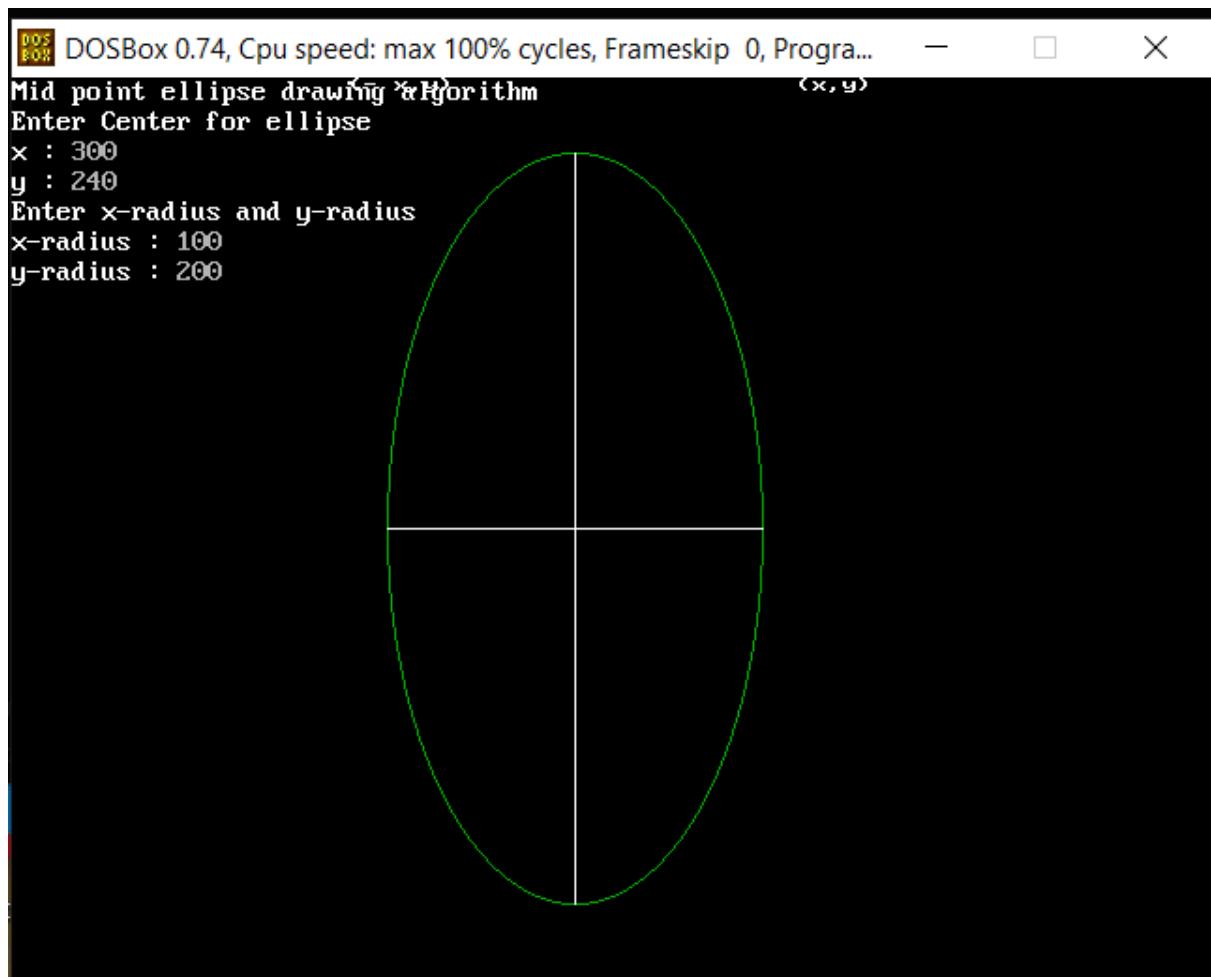
x=x+1;

y=y-1;

```

```
pk1=pk+(2*ry*ry*x)-(2*rx*rx*y)+(rx*rx);  
}  
pk=pk1;  
putpixel(xc+x,yc+y,2);  
putpixel(xc-x,yc+y,2);  
putpixel(xc+x,yc-y,2);  
putpixel(xc-x,yc-y,2);  
}  
line(xc+rx,yc,xc-rx,yc);  
line(xc,yc+ry,xc,yc-ry);  
outtextxy(xc+(1.2*rx),yc-(1.2*ry),"(x,y)");  
outtextxy(xc-(1.2*rx),yc+(1.2*ry),"- (x,-y)");  
outtextxy(xc+(1.2*rx),yc+(1.2*ry),"(x,- y)");  
outtextxy(xc-(1.2*rx),yc-(1.2*ry),"- (x,y)");  
getch();  
}
```

## OUTPUT:



## Experiment 5

**Aim:** Implement flood fill and boundary fill to fill a polygon

### Theory:

Flood fill is an algorithm mainly used to determine a bounded area connected to a given node in a multi-membered array.  
Boundary fill is the algorithm used frequently in computer graphics to fill a desired color inside a closed polygon

### Algorithm:

#### Flood fill:

```
flood fill (x, y; old-color, new-color){  
    put pixel (x, y, new-color)  
    flood fill (x+1, y, old-color, new-color)  
    flood fill (x-1, y, old-color, new-color)  
    flood fill (x, y+1, old-color, new-color)  
    flood fill (x, y-1, old-color, new-color);  
    flood fill (x+1, y+1, old-color, new-color);  
    flood fill (x-1, y+1, old-color, new-color);  
    flood fill (x+1, y-1, old-color, new-color);  
    flood fill (x-1, y-1, old-color, new-color);  
}
```

2

## Boundary fill algorithm:

boundary fill ( $x, y, f\text{-color}, b\text{-color}$ )

If (getpixel ( $x, y$ ) !=  $b\text{-color}$  & getpixel ( $x, y$ ) !=  $f\text{-color}$ )  
 putpixel ( $x, y, f\text{-color}$ )

boundaryfill ( $x+1, y, f\text{-color}, b\text{-color}$ );

boundaryfill ( $x, y+1, f\text{-color}, b\text{-color}$ );

boundaryfill ( $x-1, y, f\text{-color}, b\text{-color}$ );

boundaryfill ( $x, y-1, f\text{-color}, b\text{-color}$ );

g.

## **PROGRAM:**

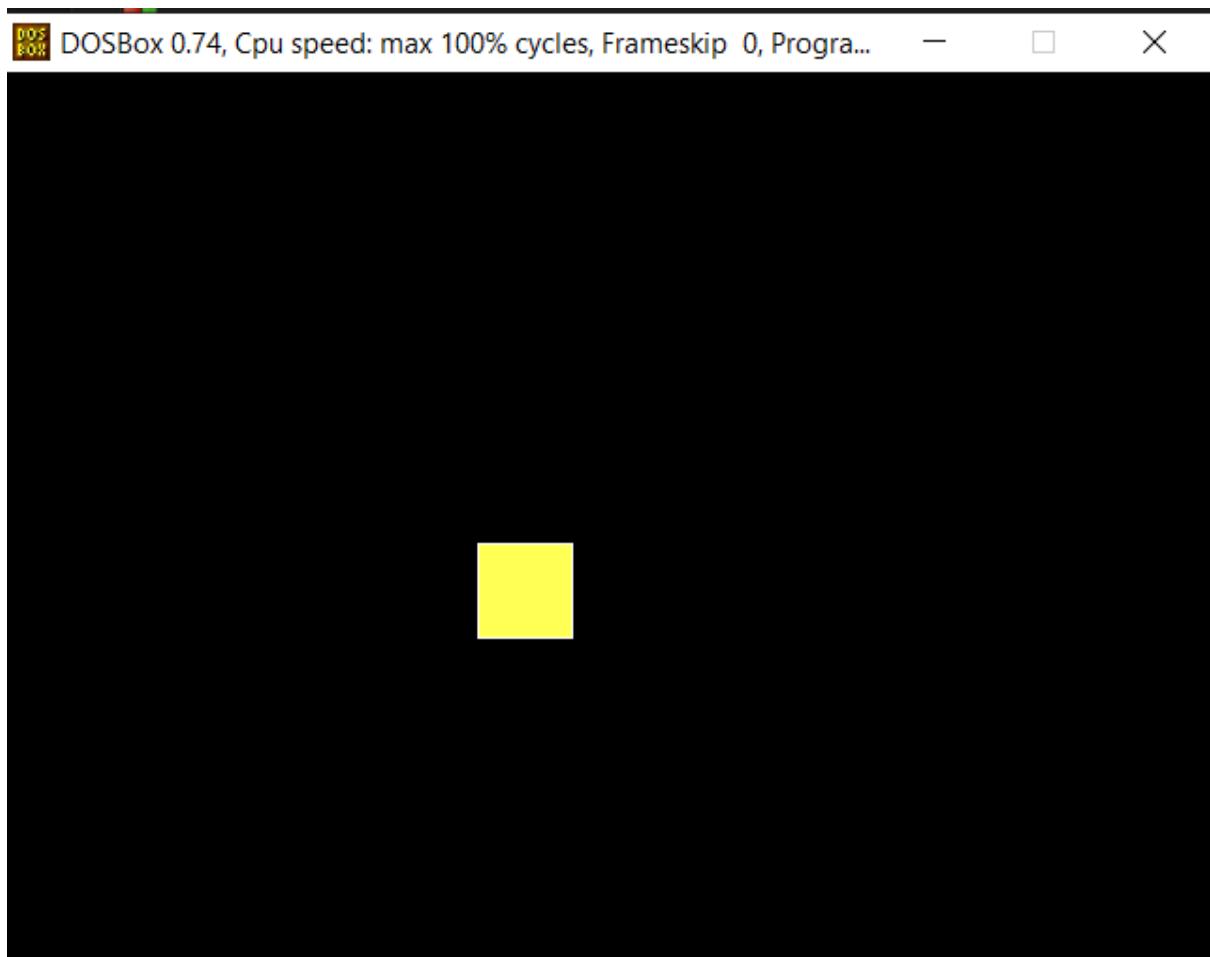
**Code:** Flood Fill

```
#include<stdio.h>
#include<graphics.h>
#include<conio.h>

void fooldfill(int x, int y, int fill, int old){
    if(getpixel(x,y)==old){
        putpixel(x,y,fill);
        fooldfill(x+1,y,fill,old);
        fooldfill(x,y+1,fill,old);
        fooldfill(x-1,y,fill,old);
        fooldfill(x,y-1,fill,old);
    }
}

int main(){
    int gm, gd=DETECT;
    int x,y;
    initgraph(&gd,&gm,"c:\\turboc3\\bgi");
    rectangle(250,250,300,300);
    fooldfill(260,260,YELLOW,0);
    delay(5000);
    getch();
    closegraph();
    return 0;
}
```

## OUTPUT:



## Code 2: Boundary Fill

```
#include<stdio.h>
#include<graphic.h>
void boundaryfill(int x, int y, int fill, int boundary){
    if(getpixel(x,y)!=boundary && getpixel(x,y)!=fill){
        putpixel(x,y,fill);
        boundaryfill(x+1,y,fill,boundary);
        boundaryfill(x-1,y,fill,boundary);
        boundaryfill(x,y+1,fill,boundary);
        boundaryfill(x,y-1,fill,boundary);
        boundaryfill(x+1,y+1,fill,boundary);
        boundaryfill(x+1,y-1,fill,boundary);
        boundaryfill(x-1,y+1,fill,boundary);
        boundaryfill(x-1,y-1,fill,boundary);
    }
}

int main(){
    int gm, gd=DETECT;
    int x,y;
    initgraph(&gd,&gm,"c:\\turboc3\\bgi");
    rectangle(100,100,50,50);
    boundaryfill(55,55,10,15);
    delay(5000);
    getch();
    closegraph();
    return 0;
}
```

## OUTPUT:



## Experiment 6

**Aim:** Implement 2D Transformations on a polygon Translation, Rotation, Scaling, Reflection, Shearing.

### Theory:-

1) Translation: To translate a point from coordinate position  $(x_1, y_1)$  to another  $(x_2, y_2)$  we add algebraically the translation distance  $T_x$  and  $T_y$  to original coordinate.

$$x_2 = x_1 + T_x$$

$$y_2 = y_1 + T_y$$

Matrix for Translation:

$$\begin{bmatrix} 1 & 0 & 1 \\ 0 & 1 & 0 \\ T_x & T_y & 1 \end{bmatrix} \text{ or } \begin{bmatrix} 1 & 0 & T_x \\ 0 & 1 & T_y \\ 0 & 0 & 1 \end{bmatrix}$$

2) Scaling: It is used to alter or change the size of objects. The change is done using scaling factors. There are two scaling factors i.e.  $S_x$  in x-direction and  $S_y$  in y-direction.

Matrix for Scaling:

$$S = \begin{bmatrix} S_x & 0 & 0 \\ 0 & S_y & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

3) Rotation: Process of changing the angle of the object. Rotation can be clockwise or anti-clockwise. For rotation we have to specify the angle of rotation and point.

**Rotation about an arbitrary point:** If we want to rotate an object or point about an arbitrary point, first of all, we translate the point about which we want to rotate to the origin. Then rotate point or object about the origin, and at the end, we again translate it to the original place. We get rotation about an arbitrary point.

**Matrix for homogeneous 2D-rotate about rotation:**

Clockwise

$$R = \begin{bmatrix} \cos\theta & -\sin\theta & 0 \\ \sin\theta & \cos\theta & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

Anticlockwise

$$R = \begin{bmatrix} \cos\theta & \sin\theta & 0 \\ -\sin\theta & \cos\theta & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

**4) Reflection:** It is a transformation which produces a mirror image of an object. The mirror image can be either about x-axis or y-axis.

=> Reflection about x-axis:

In this transformation value of x will remain same whereas the value of y will become negative. Object can be reflected about x-axis with following matrix.

$$\begin{bmatrix} 1 & 0 & 0 \\ 0 & -1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

⇒ Reflection about Y-axis: Here the values of x will be reversed. The value of y will remain same. Object can be reflected about Y axis with following matrix:

$$\begin{bmatrix} -1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

⇒ Shearing: It is a transformation which changes the shape of the object. The sliding of layers of objects occur. The shear can be in one direction or in two directions.

⇒ Shearing in the X direction:

In this horizontal shearing sliding of layers occurs. The homogeneous matrix for shearing in the X-direction is shown below.

$$\begin{bmatrix} 1 & 0 & 0 \\ \text{Shear } x & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

⇒ Shearing in the Y direction: Here shearing is done by sliding along vertical on Y-axis.

$$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & \text{Shear } y \\ 0 & 0 & 1 \end{bmatrix}$$

⇒ Shearing in X-Y direction: Here layers will be slides in both x as well as y direction. The sliding will be in horizontal as well as vertical direction. The shape of the object will be distorted. The matrix of shear in both direction is given by.

$$\begin{bmatrix} 1 & \text{Shear } x & 0 \\ \text{Shear } y & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

## **PROGRAM:**

### **Code:**

```
#include <stdio.h>
#include <conio.h>
#include <math.h>
#include <graphics.h>

void multiply(float[3][3], float[3]), clearMat(float[3][3]);
void translate(float[3], float, float);
void rotate(float[3], float);
void scale(float[3], float, float);
void reflectX(float[3]), reflectY(float[3]), reflect(float[3]);
void shear(float[3], float, float);
void Triangle(float[3], float[3], float[3]);

void main() {
    float p1[3] = {0, 0, 1}, p2[3] = {0, 0, 1}, p3[3] = {0, 0, 1};
    float tx, ty, sx, sy, shx, shy, theta;
    int ch;
    int gd = DETECT, gm;
    initgraph(&gd, &gm, "C:\\TURBOC3\\BGI");
    line(320, 0, 320, 480); //y-axis
    line(0, 240, 640, 240); //x-axis
    printf("Enter coordinates of first point of triangle\n");
    scanf("%f %f", &p1[0], &p1[1]);
    printf("Enter coordinates of second point of triangle\n");
    scanf("%f %f", &p2[0], &p2[1]);
    printf("Enter coordinates of third point of triangle\n");
    scanf("%f %f", &p3[0], &p3[1]);
```

```
Triangle(p1, p2, p3);

printf("Enter your choice\n1-Translate\n2-Rotate\n3-Scale\n4-Reflect\n5-
Shear\n");

scanf("%d", &ch);

switch(ch){

case 1:

printf("Enter value of translation value in x direction\n");
scanf("%f", &tx);
printf("Enter translation value in y direction\n");
scanf("%f", &ty);
translate(p1, tx, ty);
translate(p2, tx, ty);
translate(p3, tx, ty);
Triangle(p1, p2, p3);

break;

case 2:

printf("Enter angle of rotation in degrees\n");
scanf("%f", &theta);
theta *= 3.1415f/180;
rotate(p1, theta);
rotate(p2, theta);
rotate(p3, theta);
Triangle(p1, p2, p3);

break;

case 3:

printf("Enter scale value in x direction\n");
scanf("%f", &sx);
printf("Enter scale value in y direction\n");
scanf("%f", &sy);
```

```
    scale(p1, sx, sy);
    scale(p2, sx, sy);
    scale(p3, sx, sy);
    Triangle(p1, p2, p3);
    break;
```

case 4:

```
printf("Reflection about what ?\n");
printf("1 - X axis\n2- Y axis\n3 - Origin");
scanf("%d", &ch);
if(ch == 1){
    reflectX(p1);
    reflectX(p2);
    reflectX(p3);
}
else if(ch == 2){
    reflectY(p1);
    reflectY(p2);
    reflectY(p3);
}
else{
    reflect(p1);
    reflect(p2);
    reflect(p3);
}
Triangle(p1, p2, p3);
break;
```

case 5:

```
printf("Enter shearing value in x direction\n");
scanf("%f", &shx);
```

```
printf("Enter shearing value in y direction\n");
scanf("%f", &shy);
shear(p1, shx, shy);
shear(p2, shx, shy);
shear(p3, shx, shy);
Triangle(p1, p2, p3);
break;
}

getch();
closegraph();
}

void translate(float p[], float tx, float ty){
    int i, j;
    float mat[3][3];
    clearMat(mat);
    mat[0][0] = 1;
    mat[1][1] = 1;
    mat[2][2] = 1;
    mat[0][2] = tx;
    mat[1][2] = ty;
    multiply(mat, p);
}

void rotate(float p[], float theta){
    int i, j;
    float mat[3][3];
    clearMat(mat);
    mat[0][0] = cos(theta);
    mat[0][1] = -sin(theta);
    mat[1][0] = sin(theta);
```

```
mat[1][1] = cos(theta);
mat[2][2] = 1;
multiply(mat, p);
}

void scale(float p[3], float sx, float sy){
    int i, j;
    float mat[3][3];
    clearMat(mat);
    mat[0][0] = sx;
    mat[1][1] = sy;
    mat[2][2] = 1;
    multiply(mat, p);
}

void reflectX(float p[3]){
    float mat[3][3];
    clearMat(mat);
    mat[0][0] = 1;
    mat[1][1] = -1;
    mat[2][2] = 1;
    multiply(mat, p);
}

void reflectY(float p[3]){
    float mat[3][3];
    clearMat(mat);
    mat[0][0] = -1;
    mat[1][1] = 1;
    mat[2][2] = 1;
    multiply(mat, p);
}
```

```

void reflect(float p[3]){
    float mat[3][3];
    clearMat(mat);
    mat[0][0] = -1;
    mat[1][1] = -1;
    mat[2][2] = 1;
    multiply(mat, p);
}

void shear(float p[3], float shx, float shy){
    float mat[3][3];
    clearMat(mat);
    mat[0][0] = 1; mat[1][1] = 1; mat[2][2] = 1;
    mat[1][0] = shx;
    mat[0][1] = shy;
    multiply(mat, p);
}

void multiply(float mat[3][3], float pt[3]){
    int pt0 = pt[0], pt1 = pt[1], pt2 = pt[2];
    pt[0] = pt0*mat[0][0] + pt1*mat[0][1] + pt2*mat[0][2];
    pt[1] = pt0*mat[1][0] + pt1*mat[1][1] + pt2*mat[1][2];
    pt[2] = pt0*mat[2][0] + pt1*mat[2][1] + pt2*mat[2][2];
}

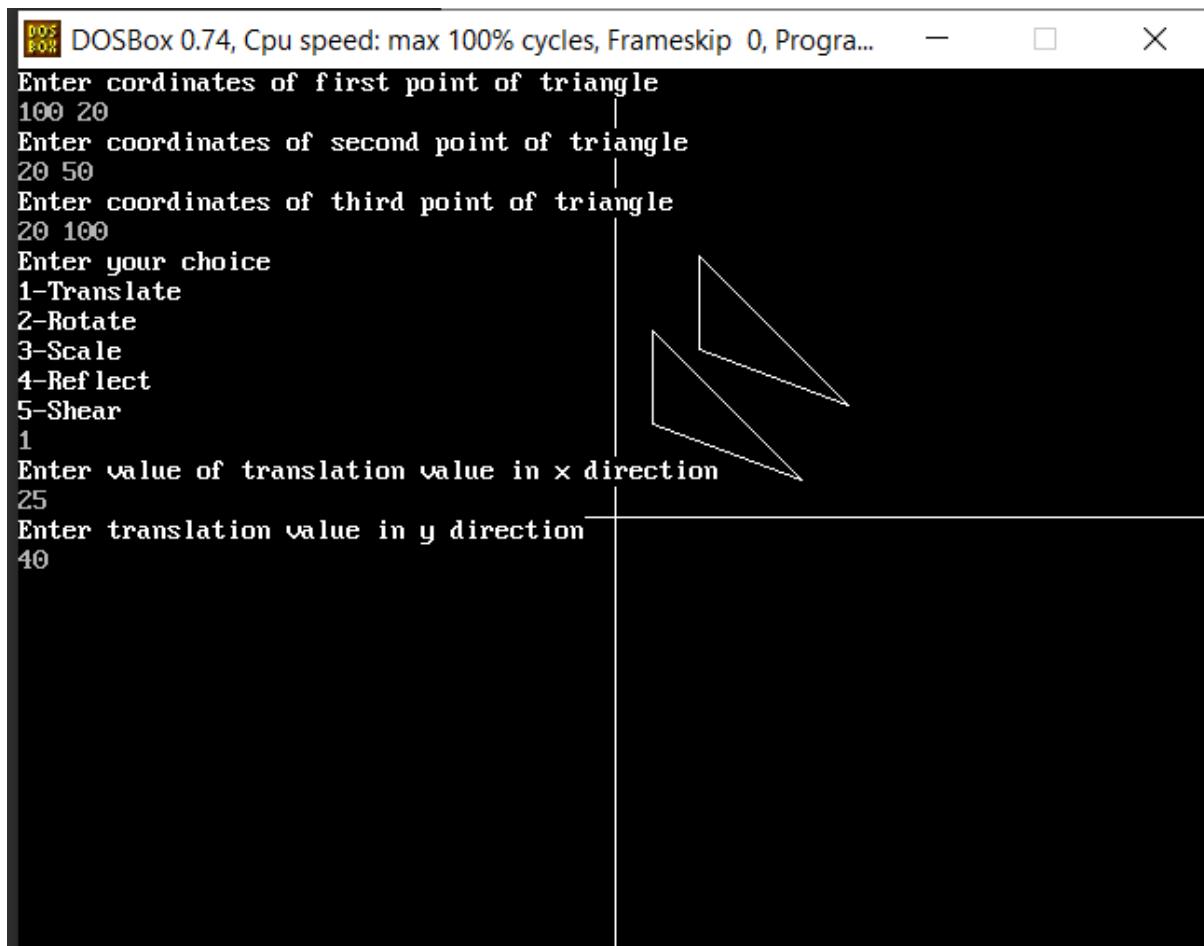
void Triangle(float p1[], float p2[], float p3[]){
    line(320+p1[0], 240-p1[1], 320+p2[0], 240-p2[1]);
    line(320+p2[0], 240-p2[1], 320+p3[0], 240-p3[1]);
    line(320+p3[0], 240-p3[1], 320+p1[0], 240-p1[1]);
}

void clearMat(float mat[3][3]){
    int i, j;
}

```

```
for(i = 0; i < 3; i++)  
    for(j = 0; j < 3; j++)  
        mat[i][j] = 0;  
}
```

## OUTPUT:



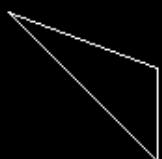
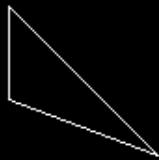
```
DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program... — X  
Enter coordinates of first point of triangle  
100 20  
Enter coordinates of second point of triangle  
20 50  
Enter coordinates of third point of triangle  
20 100  
Enter your choice  
1-Translate  
2-Rotate  
3-Scale  
4-Reflect  
5-Shear  
1  
Enter value of translation value in x direction  
25  
Enter translation value in y direction  
40
```

DOS  
Box

DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program...



```
Enter coordinates of first point of triangle
100 20
Enter coordinates of second point of triangle
20 50
Enter coordinates of third point of triangle
20 100
Enter your choice
1-Translate
2-Rotate
3-Scale
4-Reflect
5-Shear
2
Enter angle of rotation in degrees
180
```

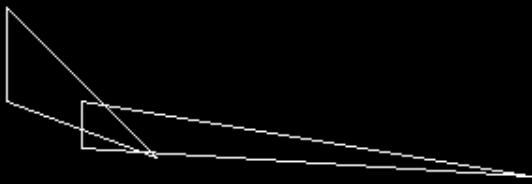


DOS  
Box

DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program...



```
Enter coordinates of first point of triangle
100 20
Enter coordinates of second point of triangle
20 50
Enter coordinates of third point of triangle
20 100
Enter your choice
1-Translate
2-Rotate
3-Scale
4-Reflect
5-Shear
3
Enter scale value in x direction
3
Enter scale value in y direction
0.5
```



DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program

```
Enter coordinates of first point of triangle
100 20
Enter coordinates of second point of triangle
20 50
Enter coordinates of third point of triangle
20 100
Enter your choice
1-Translate
2-Rotate
3-Scale
4-Reflect
5-Shear
4
Reflection about what ?
1 - X axis
2 - Y axis
3 - Origin2
```

The DOSBox window shows a terminal session for a 2D graphics application. The user has entered coordinates for three points of a triangle, chosen a transformation (Reflection), and selected the Y-axis as the axis of reflection. The resulting reflected triangle is displayed on the screen.

DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program... — X

```
Enter coordinates of first point of triangle
0 0
Enter coordinates of second point of triangle
40
0
Enter coordinates of third point of triangle
0
40
Enter your choice
1-Translate
2-Rotate
3-Scale
4-Reflect
5-Shear
5
Enter shearing value in x direction
0
Enter shearing value in y direction
1
```

## Experiment 7

Aim: Implement Liang Barsky line clipping.

Theory:

Algorithm:

Step 1: Take  $x_{\min}, x_{\max}, y_{\min}, y_{\max}, x_1, y_1, x_2, y_2$  as input from the user and set  $t_1 = 0, t_2 = 1$

Step 2: calculate  $\Delta x = x_2 - x_1, \Delta y = y_2 - y_1$

$$P_1 = -\Delta x, Q_1 = x_1 - x_{\min}$$

$$P_2 = \Delta x, Q_2 = x_{\max} - x_1$$

$$P_3 = -\Delta y, Q_3 = y_1 - y_{\min}$$

$$P_4 = \Delta y, Q_4 = y_{\max} - y_1$$

Step 3: For each value of  $k$  from 1 to 4, perform the following check:

If  $P_k = 0$  and  $Q_k < 0$  end the algorithm.

Step 4: For each value of  $k$  from 1 to 4 execute the following:

If  $P_k < 0$  and  $Q_k / P_k > t_1$

then set  $t_1 = Q_k / P_k$

otherwise if  $Q_k / P_k < t_2$  then set  $t_2 = Q_k / P_k$ .

Step 5: If  $t_1 < t_2$ , calculate  $(x_c, y_c) = (x_1 + t_1 \Delta x, y_1 + t_1 \Delta y)$

Step 6: Draw the line from  $(x_c, y_c) + (x_f, y_f)$ . where

$$(x_f, y_f) = (x_1 + t_2 \Delta x, y_1 + t_2 \Delta y)$$

## **PROGRAM:**

### **Code:**

```
#include <stdio.h>
#include <conio.h>
#include <graphics.h>

void ClippedLine(int, int, int, int, int, int, int, int, int);
void Line(int, int, int, int);
void main()
{
    int x1, y1, x2, y2, xmin, xmax, ymin, ymax;
    int gd = DETECT, gm;
    initgraph(&gd, &gm, "C:\\TURBOC3\\BGI");
    line(320, 0, 320, 480);
    line(0, 240, 640, 240);
    printf("Enter x1 y1 of line\n");
    scanf("%d %d", &x1, &y1);
    printf("Enter x2 y2 of line\n");
    scanf("%d %d", &x2, &y2);
    Line(x1, y1, x2, y2);
    printf("Enter xmin, xmax, ymin, ymax of clipping region\n");
    scanf("%d %d %d %d", &xmin, &xmax, &ymin, &ymax);
    setcolor(RED);
    rectangle(320 + xmin, 240 - ymin, 320 + xmax, 240 - ymax);
    printf("Press any button to show clipped line...\n");
    getch();
    cleardevice();
    rectangle(320 + xmin, 240 - ymin, 320 + xmax, 240 - ymax);
```

```

    ClippedLine(x1, y1, x2, y2, xmin, ymin, xmax, ymax,
                GREEN);

    getch();
    getch();
    closegraph();
}

void ClippedLine(int x1, int y1, int x2, int y2, int xmin, int ymin, int xmax, int
ymax, int col)
{
    float t1, t2;

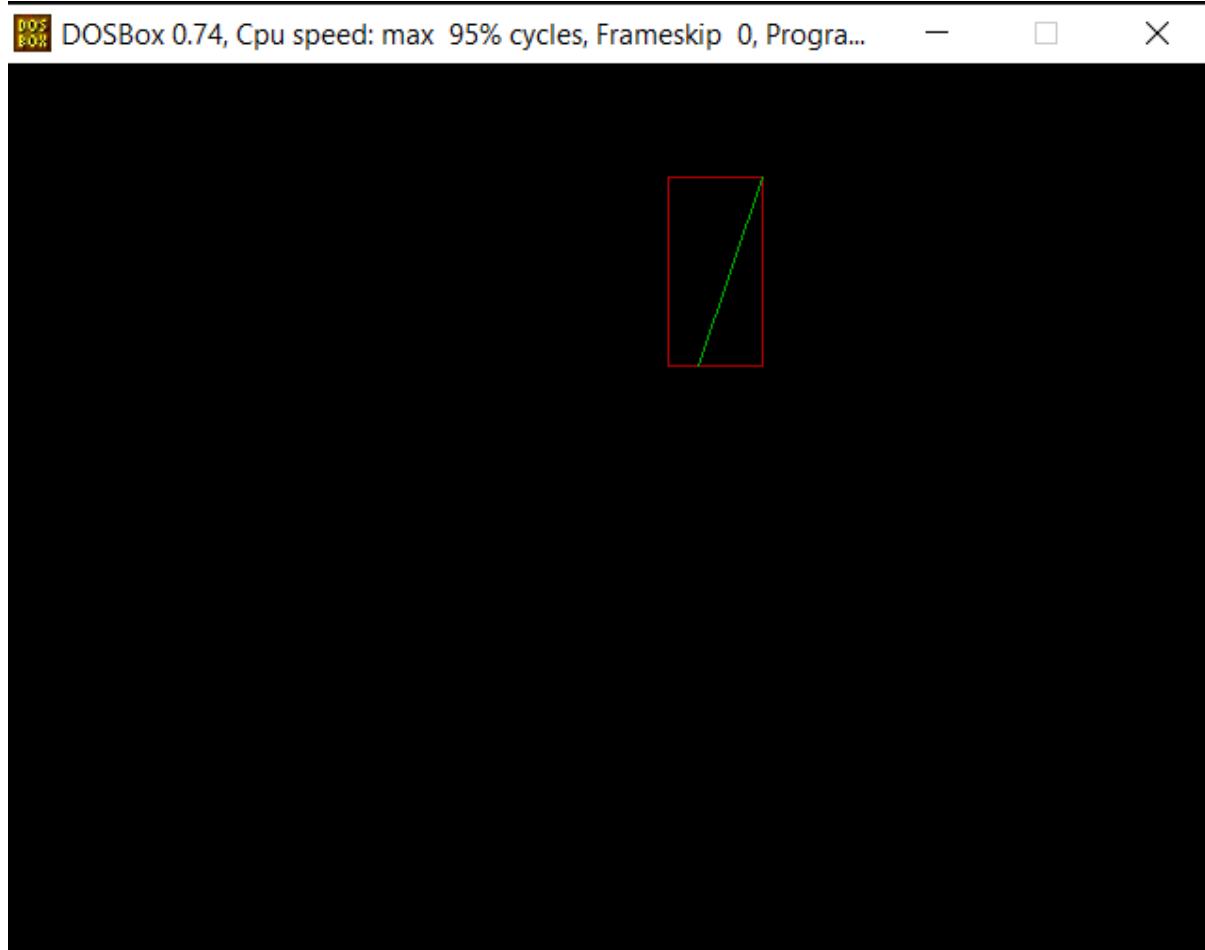
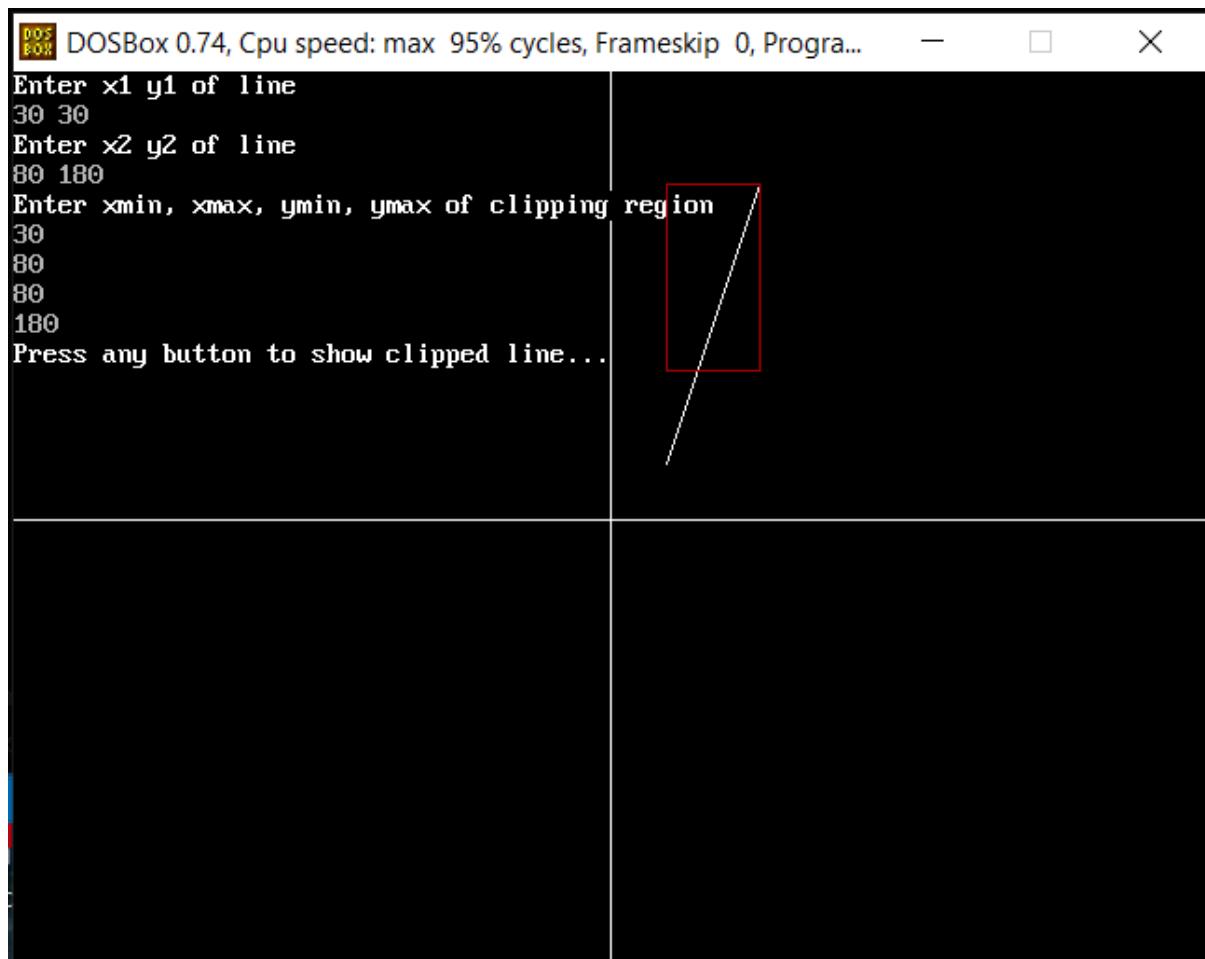
    int dx = x2 - x1, dy = y2 - y1, p[4], q[4], k;
    p[0] = -dx;
    p[1] = dx;
    p[2] = -dy;
    p[3] = dy;
    q[0] = x1 - xmin;
    q[1] = xmax - x1;
    q[2] = y1 - ymin;
    q[3] = ymax - y1;
    for (k = 0; k < 4; k++)
        if (p[k] == 0 && q[k] < 0)
            return;
    t1 = 0;
    t2 = 1;
    for (k = 0; k < 4; k++)
    {
        if (p[k] < 0 && (float)q[k] / p[k] > t1)
            t1 = (float)q[k] / p[k];
    }
}

```

```
else if (p[k] > 0 && (float)q[k] / p[k] < t2)
    t2 = (float)q[k] / p[k];
}
if (t1 < t2)
{
    setcolor(col);
    Line(x1 + t1 * dx, y1 + t1 * dy, x1 + t2 * dx, y1 + t2 * dy);
}
void Line(int x1, int y1, int x2, int y2)
{
    line(320 + x1, 240 - y1, 320 + x2, 240 - y2);
}
```

## OUTPUT:

```
DOSBox 0.74, Cpu speed: max 95% cycles, Frameskip 0, Program... — □ ×  
Enter x1 y1 of line  
30 30  
Enter x2 y2 of line  
80 180  
Enter xmin, xmax, ymin, ymax of clipping region  
30  
80  
80  
180  
Press any button to show clipped line...
```



## Experiment 8

Aim: Implement Sutherland Hodgeson polygon clipping method in c.

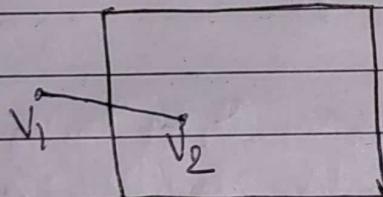
Theory:

Algorithm:

Step 1: Take input, vertices and edges of clip window. Also, make a list to store vertices.

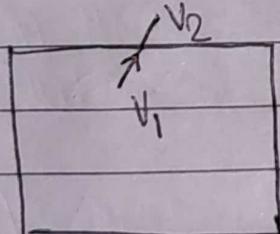
Step 2: Traverse through the edges of the polygon in order check which condition each edge falls into

1) Outside  $\rightarrow$  Inside



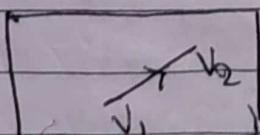
In this case, add intersection point & destination point to the list.

2) Inside  $\rightarrow$  Outside



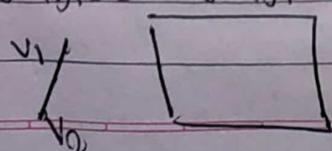
In this case, only add intersection point to the list.

3) Inside  $\rightarrow$  Inside



In this case, add destination point to the list.

4) Outside  $\rightarrow$  Outside



Don't add

(2)

Page No.	
Date	

Step 3 : Repeat step 2 for each edge of the clipping window, that is left, right, top and bottom, after clearing the list and considering the list as the new polygon.

Step 4: Traverse the vertices in the list in order and draw each edge.

## **PROGRAM:**

### **Code:**

```
#include <stdio.h>
#include <conio.h>
#include <graphics.h>

float pts[20];
int count = 0;
int xmin, ymin, xmax, ymax;
void intersectX(float, float, float, float, float), intersectY(float, float, float, float,
float);
void clipLeft(int, int, int, int), clipRight(int, int, int, int), clipTop(int, int, int,
int), clipBottom(int, int, int, int);

void main()
{
    int gd = DETECT, gm;
    float tri[20]; //Original points of the triangle
    int i, n;
    initgraph(&gd, &gm, "C:\\TURBOC3\\BGI");
    printf("Enter the coordinates of your triangle as x1 y1 x2 y2 x3 y3\\n");
    scanf("%f %f %f %f %f %f", &tri[0], &tri[1], &tri[2], &tri[3], &tri[4],
&tri[5], &tri[6]);
    tri[6] = tri[0];
    tri[7] = tri[1];
    for(i = 0; i < 6; i+=2)
        line(tri[i], tri[i+1], tri[i+2], tri[i+3]);
```

```
printf("Enter the coordinates of the clipping window as xmin ymin xmax  
ymax\n");  
  
scanf("%d %d %d %d", &xmin, &ymin, &xmax, &ymax);  
  
setcolor(RED);  
rectangle(xmin, ymin, xmax, ymax);  
  
setcolor(WHITE);  
  
printf("Press any button to show the clipped triangle...");  
getch();  
  
cleardevice();  
setcolor(RED);  
rectangle(xmin, ymin, xmax, ymax);  
  
count = 0;  
for(i = 0; i < 6; i+=2)  
    clipLeft(tri[i], tri[i+1], tri[i+2], tri[i+3]);  
  
n = count;  
count = 0;  
for(i = 0; i < n; i++)  
    tri[i] = pts[i];  
tri[i] = pts[0];  
tri[i+1] = pts[1];
```

```
for(i = 0; i < n; i+=2)
    clipBottom(tri[i], tri[i+1], tri[i+2], tri[i+3]);
```

```
n = count;
count = 0;
for(i = 0; i < n; i++)
    tri[i] = pts[i];
tri[i] = pts[0];
tri[i+1] = pts[1];
```

```
for(i = 0; i < n; i+=2)
    clipRight(tri[i], tri[i+1], tri[i+2], tri[i+3]);
```

```
n = count;
count = 0;
for(i = 0; i < n; i++)
    tri[i] = pts[i];
tri[i] = pts[0];
tri[i+1] = pts[1];
```

```
for(i = 0; i < n; i+=2)
    clipTop(tri[i], tri[i+1], tri[i+2], tri[i+3]);
```

```
n = count;
count = 0;
for(i = 0; i < n; i++)
    tri[i] = pts[i];
```

```

tri[i] = pts[0];
tri[i+1] = pts[1];

setcolor(GREEN);
for(i = 0; i < n; i+=2)
    line(tri[i], tri[i+1], tri[i+2], tri[i+3]);

getch();
getch();
}

void clipLeft(int x1, int y1, int x2, int y2)
{
    int i, initCount = count;
    if(x1 <= xmin && x2 >= xmin) //Outside to inside
    {
        intersectX(x1, y1, x2, y2, xmin);
        pts[count++] = x2;
        pts[count++] = y2;
    }
    else if(x1 >= xmin && x2 <= xmin) //Inside to outside
    {
        intersectX(x1, y1, x2, y2, xmin);
    }
    else if(x1 >= xmin && x2 >= xmin) //Inside to inside
    {
        pts[count++] = x2;
    }
}

```

```

    pts[count++] = y2;
}

//else outside to outside, don't save anything
}

void clipRight(int x1, int y1, int x2, int y2)
{
    int i, initCount = count;
    if(x1 >= xmax && x2 <= xmax) //Outside to inside
    {
        intersectX(x1, y1, x2, y2, xmax);
        pts[count++] = x2;
        pts[count++] = y2;
    }
    else if(x1 <= xmax && x2 >= xmax) //Inside to outside
    {
        intersectX(x1, y1, x2, y2, xmax);
    }
    else if(x1 <= xmax && x2 <= xmax) //Inside to inside
    {
        pts[count++] = x2;
        pts[count++] = y2;
    }
    //else outside to outside, don't save anything
}

void clipTop(int x1, int y1, int x2, int y2)

```

```

{
    int i, initCount = count;
    if(y1 <= ymin && y2 >= ymin) //Outside to inside
    {
        intersectY(x1, y1, x2, y2, ymin);
        pts[count++] = x2;
        pts[count++] = y2;
    }
    else if(y1 >= ymin && y2 <= ymin) //Inside to outside
    {
        intersectY(x1, y1, x2, y2, ymin);
    }
    else if(y1 >= ymin && y2 >= ymin) //Inside to inside
    {
        pts[count++] = x2;
        pts[count++] = y2;
    }
    //else outside to outside, don't save anything
}

```

```

void clipBottom(int x1, int y1, int x2, int y2)
{
    int i, initCount = count;
    if(y1 >= ymax && y2 <= ymax) //Outside to inside
    {
        intersectY(x1, y1, x2, y2, ymax);
        pts[count++] = x2;
    }
}

```

```

    pts[count++] = y2;
}

else if(y1 <= ymax && y2 >= ymax) //Inside to outside
{
    intersectY(x1, y1, x2, y2, ymax);
}

else if(y1 <= ymax && y2 <= ymax) //Inside to inside
{
    pts[count++] = x2;
    pts[count++] = y2;
}

//else outside to outside, don't save anything
}

```

```

void intersectX(float x1, float y1, float x2, float y2, float x)
{
    //y = mx + c
    //=> y1 = mx1 + c
    //=> c = y1-mx1
    float m = (y2-y1)/(x2-x1), c = y1-m*x1;
    float y = m*x+c;
    pts[count++] = x;
    pts[count++] = y;
}

```

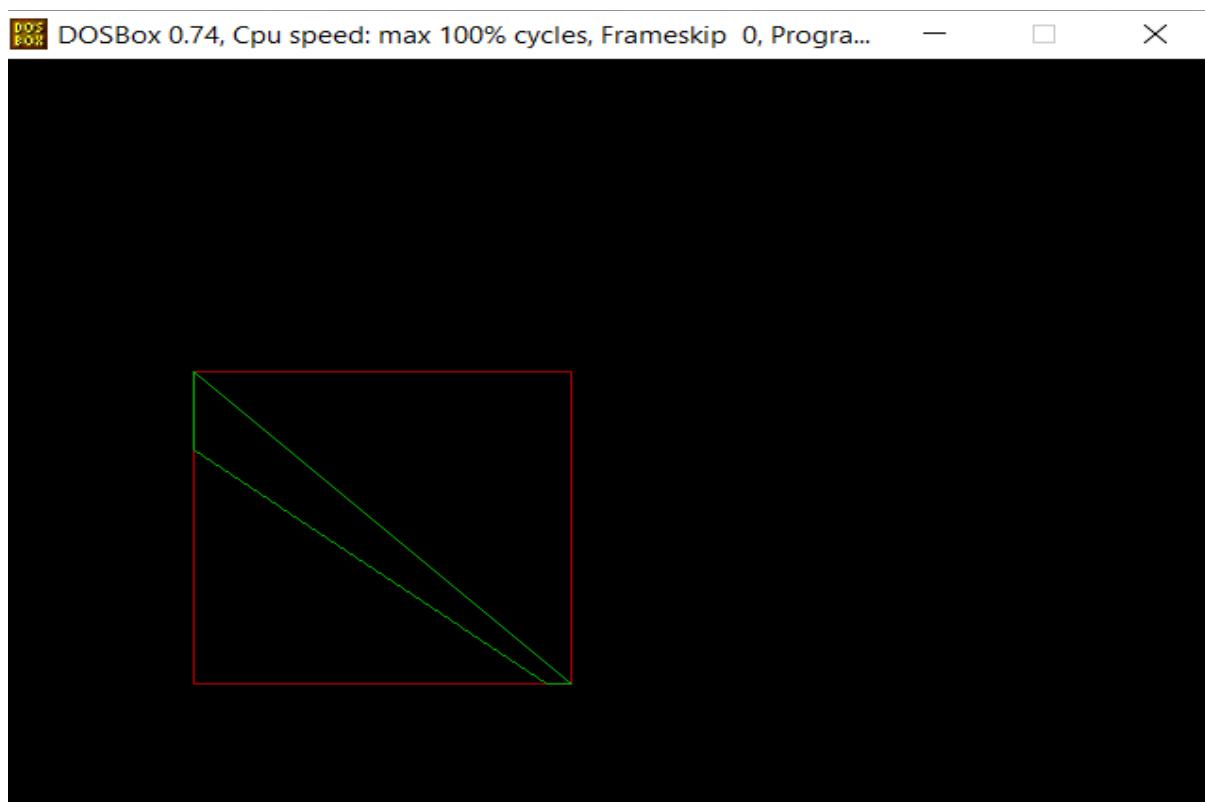
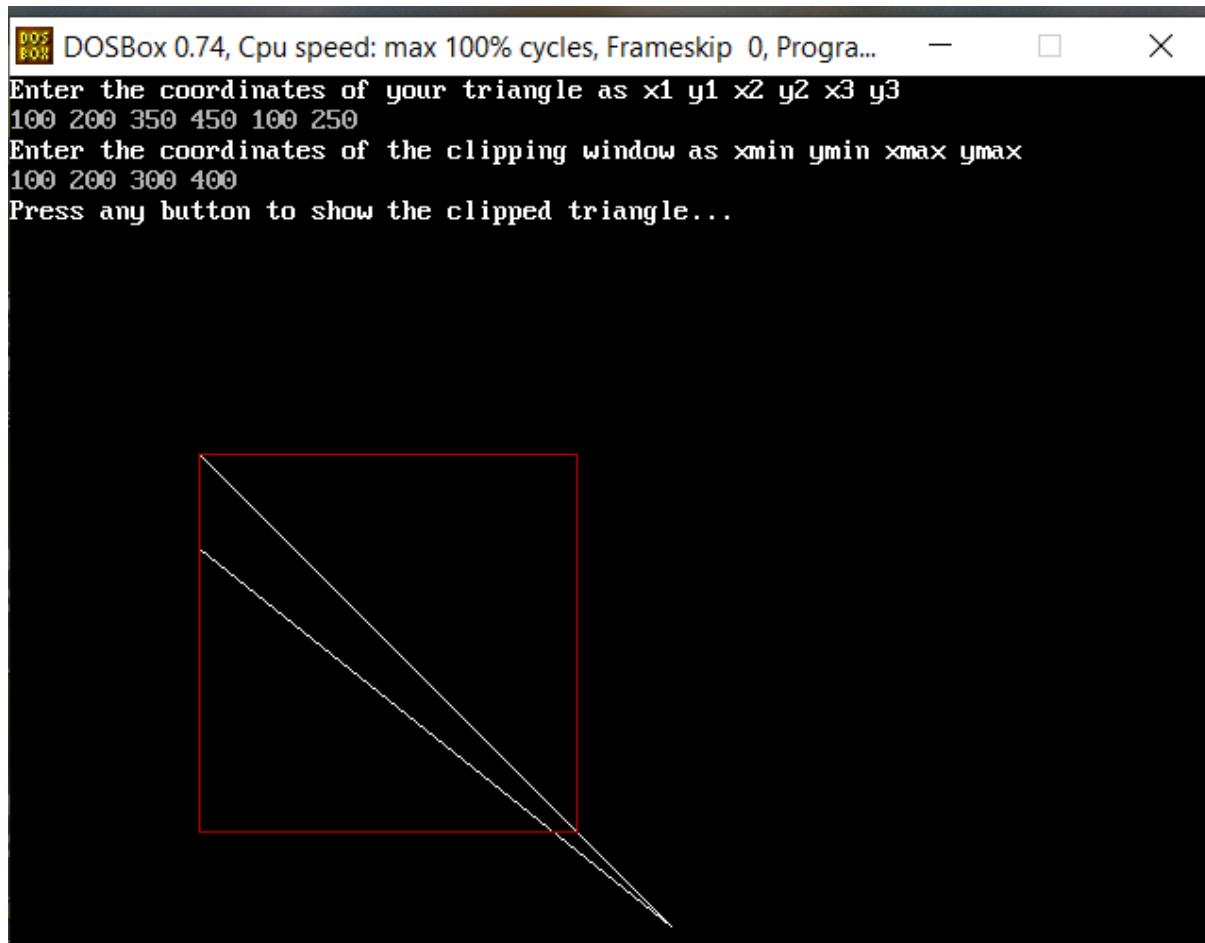
```

void intersectY(float x1, float y1, float x2, float y2, float y)
{

```

```
float m = (y2-y1)/(x2-x1), c = y1-m*x1;  
float x = (y-c)/m;  
if(x2 == x1) //If slope is INF  
{  
    x = x1;  
}  
pts[count++]=x;  
pts[count++]=y;  
}
```

## OUTPUT:



①

## Experiment 9

Aim: Implement Bezier curve

Theory: A Bezier curve is a parametric curve which can be controlled using any number of control points. It is extensively used in computer graphics and engineering.

Algorithm:

Step 1: Take the control points coordinates as input  $(P_{0x}, P_{0y}, \dots, P_{nx}, P_{ny})$

Step 2: Set  $t=0$

Step 3: Set  $i=0, P_x=0, P_y=0$

Step 4: Set  $P_x = P_{0x} + P_{1x} * n! / i! * t^i * (1-t)^{n-i}$

Set  $P_y = P_{0y} + P_{1y} * n! / i! * t^i * (1-t)^{n-i}$

Step 5: Repeat step 4 until  $i \leq n$  that is repeat step 4 for all control points

Step 6: Put pixel at  $P_x, P_y$

Step 7: Set  $t=t+0.001$  [or whichever value is wanted. However the value, more points will be plotted]

Step 8: If  $t \leq 1$ , goto Step 3

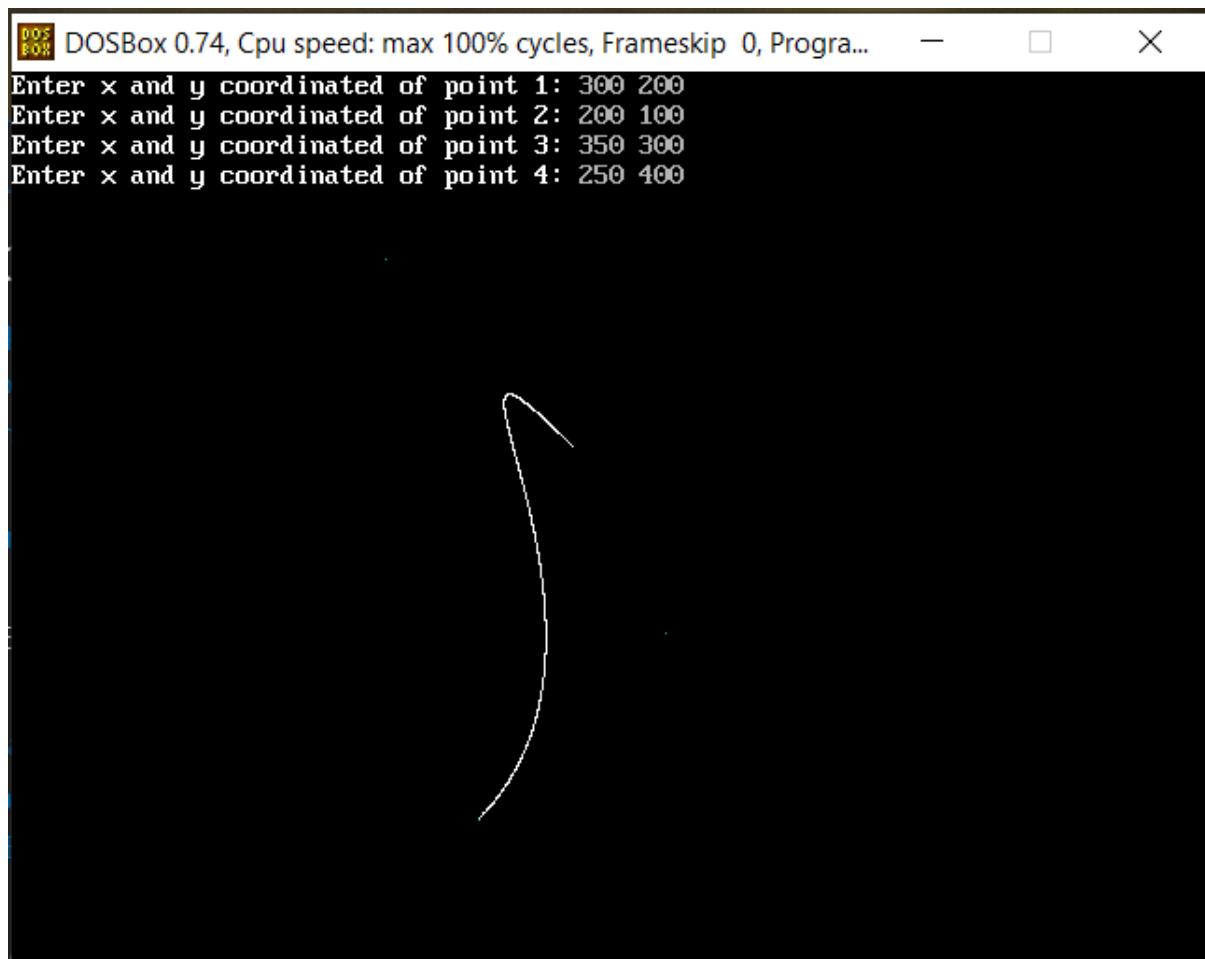
The Bezier curve has been plotted !!

## **PROGRAM:**

### **Code:**

```
#include<stdio.h>
#include<graphics.h>
#include<conio.h>
#include<math.h>
void main(){
    int x[4],y[4],i;
    double puty,putx,t;
    int gd=DETECT,gm;
    initgraph(&gd,&gm,"C:\\TURBOC3\\BGI");
    for ( i = 0; i < 4; i++)
    {
        printf("Enter x and y coordinated of point %d: ",i+1);
        scanf("%d%d",&x[i],&y[i]);
        putpixel(x[i],y[i],3);
    }
    for(t=0.0;t<=1.0;t=t+0.001){
        putx=pow(1-t,3)*x[0]+ 3*t*pow(1-t,2)*x[1]+ 3*t*t*pow(1-t,1)*x[2]+
        pow(t,3)*x[3];
        puty=pow(1-t,3)*y[0]+ 3*t*pow(1-t,2)*y[1]+ 3*t*t*pow(1-t,1)*y[2]+
        pow(t,3)*y[3];
        putpixel(putx,puty,WHITE);
    }
    getch();
    closegraph();
}
```

## OUTPUT:



DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program... — X

```
Enter x and y coordinated of point 1: 300 200
Enter x and y coordinated of point 2: 200 100
Enter x and y coordinated of point 3: 350 300
Enter x and y coordinated of point 4: 250 400
```

The window shows a black screen with a white spiral drawn on it, starting from the top-left and curving downwards and to the right.

## Experiment 10

Aim: Implement Koch curve for fractal generation.

Theory: The curve is a type of fractal curve in which the next iteration of the curve is formed by adding an outward bend to each line segment in the previous iteration.

Algorithm:-

drawKoch ( $x_1, y_1, x_2, y_2, n$ );

if  $n$  is 0 :

drawline ( $x_1, y_1, x_2, y_2$ )

else :

calculate  $x_3, y_3, x_4, y_4, \theta, L, x_5, y_5$  as

$$x_3 = (1x_2 + 2x_1)/3, y_3 = (1y_2 + 2y_1)/3$$

$$x_4 = (2x_2 + 1x_1)/3, y_4 = (2y_2 + 1y_1)/3$$

$$\theta = \tan^{-1}((y_2 - y_1) / (x_2 - x_1))$$

$$L = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

$$x_5 = x_3 + L \cos(\theta + \pi/3)$$

$$y_5 = y_3 + \frac{1}{3} L \sin(\theta + \pi/3)$$

drawKoch ( $x_1, y_1, x_3, y_3, n-1$ )

drawKoch ( $x_3, y_3, x_4, y_4, n-1$ )

drawKoch ( $x_4, y_4, x_5, y_5, n-1$ )

drawKoch ( $x_5, y_5, x_2, y_2, n-1$ )

Take number of iterations ( $n$ ) as input from the user and call drawKoch (100, 200, 300, 200,  $n$ ).

## **PROGRAM:**

### **Code:**

```
#include<graphics.h>
#include<conio.h>
#include<math.h>

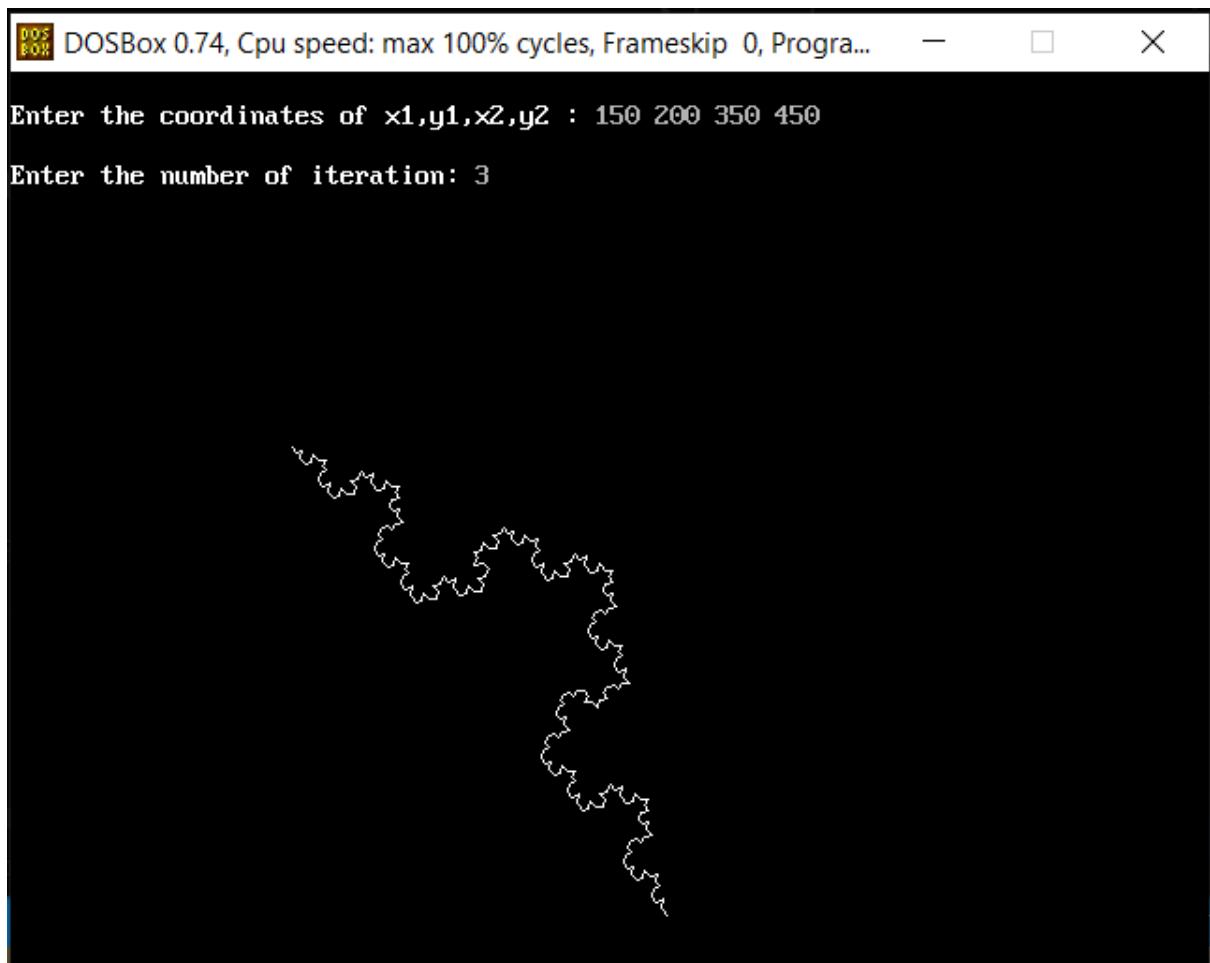
void koch(int x1, int y1, int x2, int y2, int iteration)
{
    float angle = 60*M_PI/180;
    int x3 = (2*x1+x2)/3;
    int y3 = (2*y1+y2)/3;
    int x4 = (x1+2*x2)/3;
    int y4 = (y1+2*y2)/3;
    int x = x3 + (x4-x3)*cos(angle)+(y4-y3)*sin(angle);
    int y = y3 - (x4-x3)*sin(angle)+(y4-y3)*cos(angle);
    if(iteration > 0)
    {
        koch(x1, y1, x3, y3, iteration-1);
        koch(x3, y3, x, y, iteration-1);
        koch(x, y, x4, y4, iteration-1);
        koch(x4, y4, x2, y2, iteration-1);
    }
    else
    {
        line(x1, y1, x3, y3);
        line(x3, y3, x, y);
        line(x, y, x4, y4);
        line(x4, y4, x2, y2);
    }
}
```

```
}

}

int main(void)
{
    int gd = DETECT, gm;
    int x1, y1 , x2, y2, n;
    initgraph(&gd, &gm, "C:\\TURBOC3\\BGI");
    printf("\nEnter the coordinates of x1,y1,x2,y2 : ");
    scanf("%d%d%d%d",&x1,&y1,&x2,&y2 );
    printf("\nEnter the number of iteration: ");
    scanf("%d",&n);
    koch(x1, y1, x2, y2, n);
    getch();
    return 0;
}
```

## OUTPUT:



# **AIR HOCKEY GAME**

Garima Kakwani-2003078

Harsh Kasliwal-2003085

Viren Kalra-2003079

## **PROGRAM STATEMENT:**

Write a program to build a responsive Air Hockey Game in C.

## **THEORY:**

We built a 2-player virtual air hockey game. Our goal was to implement an exciting and easy-to play game without the burdensome physical setup. The players are able to control the mallets.

Air hockey works as follows, Control keys for moving two colored rectangles i.e., mallet is ‘a’, ‘d’, ‘j’ and ‘l’; ‘a’ and ‘d’ is to move upper mallet left and right respectively and ‘j’ and ‘l’ is used to move lower mallet left and right respectively. The puck bounces off the two sides of table(screen), which are raised to form walls by dotted line. The other two walls of the table(screen) are two goals, one defended by each player. The objective of the game is to hit the puck into the opponent’s goal. When a goal is scored, the scoring player wins a point and the game will over and winner will be displayed on the screen. User can press enter to play the game again.

In this project this, we have included two main header files, *graphics.h* and *stdio.h*. *Graphics.h* header file provides access to a simple graphics library that makes it possible to draw lines, rectangles, arcs, circle, display text in different fonts, change colors, strings and many more on a graphical window.

## **FUNCTIONS USED:**

### **1. Initgraphics():**

initgraph **initializes the graphics system by loading a graphics driver from disk** (or validating a registered driver), and putting the system into graphics mode.

### **2. Line ():**

line Function Draws Line From (x1, y1) to (x2, y2).

x1 - X Co-ordinate of First Point

y1 - Y Co-ordinate of First Point

x2 - X Co-ordinate of Second Point

y2 - Y Co-ordinate of Second Point

For example, in our program we have drawn a line in the Middle of the Screen

*line (0, 240, 640, 240);*

### **3. setcolor()**

setcolor() function which is used to set the current drawing color to the new color.

Example:

```
setcolor(RED);
sprintf(txt,"AIR HOCKEY!");
```

This will print AIR HOCKEY! In RED color.

### **4. Outtextxy()**

outtextxy() function which displays the text or string at a specified point (x, y) on the screen.

Syntax: *void outtextxy(int x, int y, char \*string);*

where, x, y are coordinates of the point and, third argument contains the address of string to be displayed.

Example:

```
sprintf(txt,"Press Enter to play again... ");
outtextxy(150,midy+40,txt);
```

This display the value store in the string ‘txt’ i.e Press Enter to play again...

At x=150 and y= midy+40

Where midy is middle point of y-coordinate.

## 5. **getmaxy():**

getmaxy returns the maximum y value for the current graphics driver and mode.  
And i.e approx. 480

## 6. **getmaxx():**

getmaxx returns the maximum x value for the current graphics driver and mode  
and i.e approx. 640

## 7. **setlinestyle():** setlinestyle() function is used to change the pattern and thickness of the font of the text.

Syntax:

```
void setlinestyle(int linestyle, unsigned upattern, int thickness);
```

Example:

```
setlinestyle(1,1,3);
line(1,1,1,maxy);
```

1 will print Dotted line of thickness 3.

Name	Value	Description
SOLID_LINE	0	Solid line
DOTTED_LINE	1	Dotted line
CENTER_LINE	2	Centered line
DASHED_LINE	3	Dashed line
USERBIT_LINE	4	User-defined line style

Name	Value	Description
NORM_WIDTH	1	1 pixel wide
THICK_WIDTH	3	3 pixels wide

## 8. **settextstyle():**

setlinestyle() function is used to change the way the text appears, using it we can modify the size of text, direction of text and change the font of text.

Syntax:

```
void settextstyle(int font, int direction, int font_size);
```

where,

font argument specifies the font of text, Direction can be HORIZ\_DIR (Left to right) or VERT\_DIR (Bottom to top).

Example:

```
settextstyle(7,0,5);
```

7 is int value for TRIPLEX\_SCR\_FONT

0 indicates that text will be print in Horizontal direction

5 is the font size

#### **9. circle ():**

circle (x,y,r) function which draws a circle with centre at (x, y) and r is radius.

Example:

#### **10. rectangle ():**

rectangle(*int left, int top, int right, int bottom*) function is used to draw a rectangle. Coordinates of left top and right bottom corner are required to draw the rectangle.

#### **11. sprintf():** sprintf stands for “String print”. Instead of printing on console, it store output on char buffer which are specified in sprintf.

Example:

```
char txt[50];
```

```
sprintf(txt,"Player-2 Win");
```

```
outtextxy(midx-120,midy-10,txt);
```

String txt will store the message instead of printing on the console.

#### **12. kbhit():** It is present in conio.h and used to determine if a key has been pressed or not.

#### **13. Cleardevice():** cleardevice() function in C clears the screen in graphics mode and sets the current position to (0,0).

#### **14. Closegraph():** closegraph function closes the graphics mode and deallocates all memory allocated by graphics system .

## CODE:

```
#include<graphics.h>
#include<stdlib.h>
#include<conio.h>
#include<stdio.h>
#include<dos.h>
void main(){
    int gd=DETECT,gm;
    int xb,yb,xr,yR,key,maxx,maxy,midx,midy,xspeed,yspeed,win;
    char txt[50];
    initgraph(&gd,&gm,"C:\\TurboC3\\BGI");
    Play_Again:
    maxx=getmaxx();
    maxy=getmaxy();
    midx=getmaxx()/2;
    midy=getmaxy()/2;
    xb=midx;
    yb=midy;
    xr=maxx-150;
    yr=maxy-25;
    xR=random(maxx);
    yR=5;
    xspeed=2;
    yspeed=2;
    setbkcolor(0);
    setcolor(GREEN);
    while(1)
    {
        if(kbhit())
        {
            key=getch();
            if(key==106)
                xr-=8;
            else if(key==108)
                xr+=8;
            else if(key==97)
                xR-=8;
            else if(key==100)
```

```

xR+=8;
else if(key==27)
    break;
}
xb+=xspeed;
yb+=yspeed;
setcolor(WHITE);
line(0, 240, 640, 240);
setcolor(RED);
circle(320,240,20);
setcolor(WHITE);
setlinestyle(1,1,3);
line(1,1,1,maxy);
line(maxx,1,maxx,maxy);
setcolor(WHITE);
setlinestyle(0,1,0);
circle(xb,yb,10);
if(xb>(maxx-10)||xb<10)
    xspeed*=(1-2);
if(yb<10)
{
    win=1;
    break;
}
if(yb>(maxy-10))
{
    win=2;
    break;
}
if((yr<(yb+10)&&(yr+20)>(yb+10))&&(xr<(xb-10)&&(xr+140)>(xb+10)))
    yspeed*=(1-2);
if(((yR+20)>(yb-10)&&yR<(yb-10))&&(xR<(xb-10)&&(xR+140)>(xb+10)))
    yspeed*=(1-2);
setcolor(RED);
rectangle(xr,yr,xr+140,yr+20);
rectangle(xR,yR,xR+140,yR+20);
delay(10);
cleardevice();

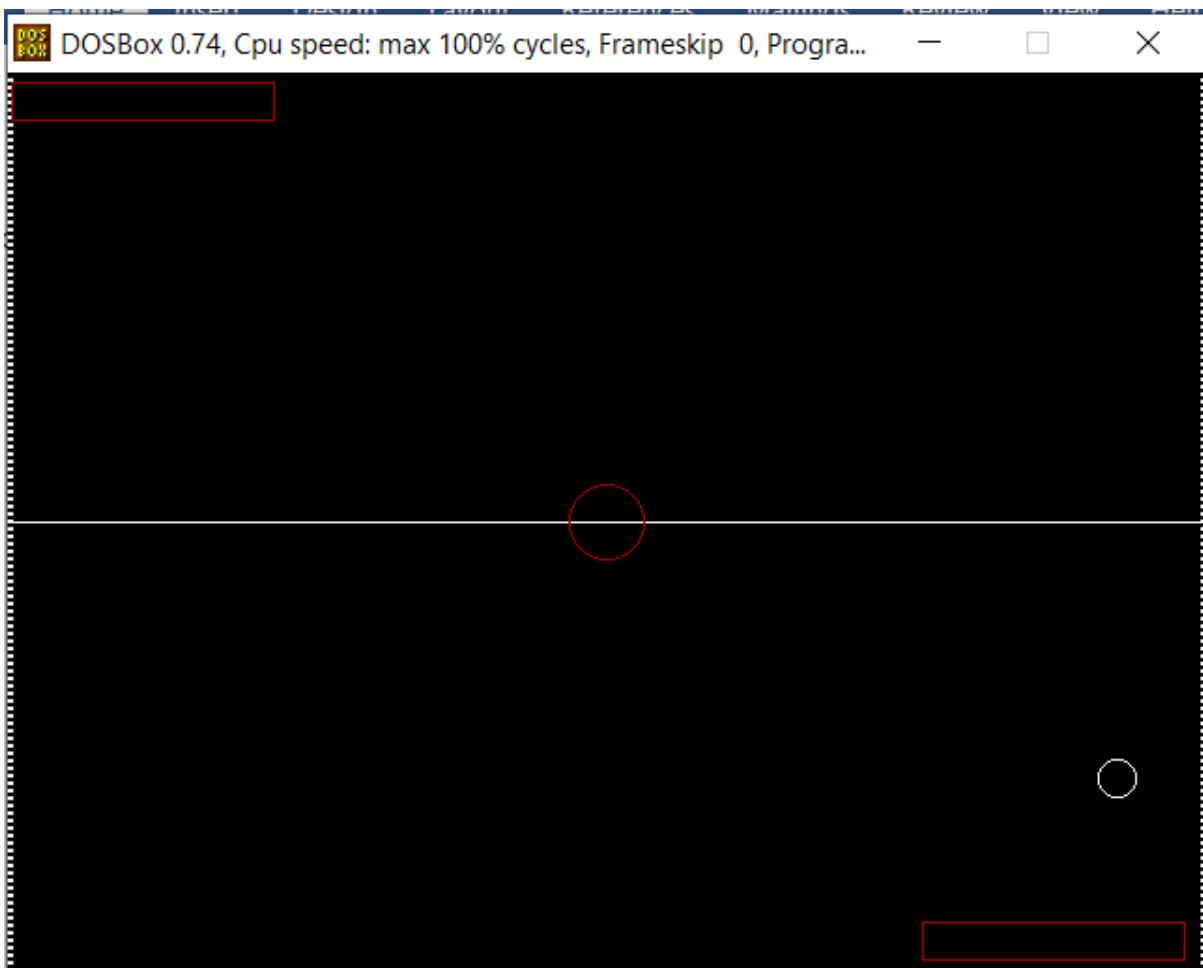
```

```
}

cleardevice();
settextstyle(7,0,5);
setcolor(RED);
sprintf(txt,"AIR HOCKEY!");
outtextxy(midx-180,midy-80,txt);
settextstyle(3,0,3);
setcolor(GREEN);
if(win==2)
    sprintf(txt,"Player-1 Win");
else
    sprintf(txt,"Player-2 Win");
outtextxy(midx-120,midy-10,txt);
settextstyle(2,0,6);
setcolor(YELLOW);
sprintf(txt,"Press Enter to play again... ");
outtextxy(150,midy+40,txt);
setcolor(WHITE);
outtextxy(10,400,"Made by: Garima, Harsh & Viren!");
if((getch()==13))
    goto Play_Again;
getch();
closegraph();

}
```

## **OUTPUT:**



DOS  
Box

DOSBox 0.74, Cpu speed: max 100% cycles, Frameskip 0, Program...



# AIR HOCKEY!

Player-2 Win

Press Enter to play again...

Made by: Garima, Harsh & Viren!

i) Explain architecture of Raster Scan Display.

⇒ In raster scan the electron beam follows a fixed path. The Electron beam starts at top left corner of the screen and moves horizontally to the right. This defines a scan line. During the scan the intensity of the beam is modulated according to the pattern of the desired image along the line.

At the right corner of the screen, the beam becomes off and moves back to the left edge of the screen at the starting point on next line. This is shown as dotted line which is called as horizontal retrace. This way of scanning is continued to the bottomed right corner is reached. At this point, one scan is completed. The beam is then repositioned at the top left corner of the screen for starting another scan. This movement of beam from bottom right corner to top left corner is called as vertical retrace.

ii) Describe applications of computer graphics:

⇒ As Virtual Reality:

With the help of computer graphics, it is possible to stimulate various virtual environments which look visually similar to real world. Such environment helps to train the person without providing them with physical resources. Doctors can be trained to operate a patient without operating on the actual physical body.

### B) Presentation graphics:

Another major application of CG is presentation graphics. It is used for producing diagrams, tables and charts for reports or presentations. It is generally used to summarize research or survey data. 3D graphics are sometimes used to provide multi-angle analysis of statistical data.

### C) Computer art:

CG plays a major role in fine art and commercial art various computer methods. Symbolic package CAD packages are used by designer to generate computer art. Using such packages the artist can easily design shapes and can add motion.

### D) Entertainment:

CG are commonly used in film industries for making animation and cartoon movies, for providing effects to the scene, television, etc. Sometimes the character itself is displayed as graphic object and sometimes it is combined with real scene and synthesized object.

### E) Education and training:

Another application of CG is education and training. Nowadays in market many educational toolkits are available for child education. They can learn through videos and animation. Training a person for vehicle such as driving using such simulators saves his time and efforts.

iii) Differentiate between random scan display and raster scan display

### Raster Scan System

1. The electron beam scans the entire screen to draw a picture.

2. The video controller is required.

3. Used to display a dynamic scene.

4. Scan conversion is required.

5. The refresh rate is independent of no. of objects in scene.

6. Pixel / spatial location of screen is used to draw an image.

7. Exponential

### Random Scan System

The electron beam scans only the part of the screen where pic information is present.

Video controller is not required.

Used to display static picture.

Scan conversion is not required.

When numbers of primitives are too large random scan device flickers.

Mathematical functions are used to draw an image.

Costly.

Q) What is aliasing? Explain techniques of anti-aliasing.

→ When straight lines are drawn on monitor it appears zig-zag. This effect is called aliasing, happens due to poor algorithm or hardware limitation. zig-zag lines on screen gives the illusion of smooth line. That effect is called anti-aliasing. Line on paper looks smooth and continuous but when they are rendered on monitor screen creates discrete zig-zag appearance due to grid structure.

We can apply certain technique which will reduce the aliasing effect. We can achieve anti-aliasing either by increasing the screen resolution or by applying smart algorithm to complete the pixel locations on the shape boundary.

## # Techniques of anti-aliasing:

① Prefiltering: It is known as area sampling. In this intensity of pixel is determined by area of pixel covered by the object.

a) Unweighted area sampling

A line passes through two pixels and algorithm illuminates the pixel which is closer to the line. Unweighted line sampling is extension of this concept which reduces the aliasing effect. This method illuminates both the pixel with diff. intensities.

### b) Weighted area sampling: (Super Sampling)

In this method, single pixel is mapped to imagine high resolution mask. Each mask position is weight as per the pixel position covered by the mask.

Pixel is divided into imaginary high resolution mask. Each mask location is weight as per the the pixel position covered by the mask.

Pixel is divided into imaginary grid and each grid location is assigned weight according to area covered by the pixel.

Average intensity of imaginary grid is placed back to original pixel location.

Original line on the screen is shown.

It is very much clear that the line does not interpolate pixels perfectly.

Some of the pixels are on the edge of the line, some are on the line and some are missing the line.



$\frac{1}{3}$	$\frac{2}{3}$	1
$\frac{2}{3}$	1	0
$\frac{1}{3}$	$\frac{5}{7}$	0

Whereas the super sampled and enhanced views of same random pixel, we have divided the pixel in  $3 \times 3$  imaginary grid. Value in each cell indicates the percentage of area covered by line pixel.

Views of super sampled pixel.

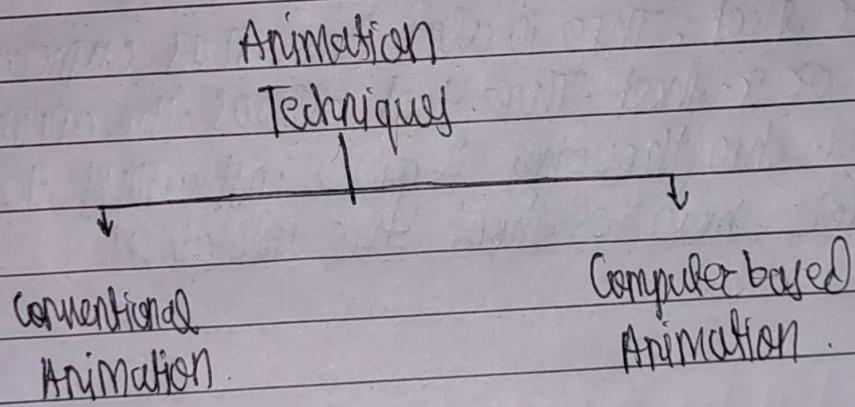
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## Written Assignment 2

Q.1 The animation is widely used in movies advertisement games etc. Animation gives life to the objects present in the scene through various transformation operations animation can be computer assisted or computer generated.

The idea behind the animation is to fool the human eye by displaying images at a certain speed so that they are interpreted as video of moving objects.

Animation techniques can be classified as conventional animation and computer based animation.



- In conventional ~~animator~~, all the frames of video are designed and designed by hand. Frames are displayed at the rate of atleast 24 frames per second. The conventional method takes a tremendous amount of time & effort to create a video.
- Steps:

**Storyboard:** The sequence of animation is first drafted on paper in the form of sketches which is called a storyboard.

(2)

- Keyframes : Keyframes are the first frame of every shot in the sequence. Keyframes are used to interpolate the animation sequence. As the animation is achieved using keyframes, such type of animation is also known as key frame animation.
- Inbetween : Inbetween are the set of frames b/w successive keyframe. Objects in motion gradually move in subsequent frames and reach to the destination in keyframes.
- Cells : Instead of applying animation to all the objects together, the animation scene is decomposed into small parts called cells. These cells may be independent or partially dependent.
- Exposre sheet : This is also known as camera instruction sheet or x-sheet. This tool allows the animator to organize his thoughts & give instruction to the camera operator how to shoot the animation.

(2)

## ② Parallel Projection

1) Projectors are parallel to each other

2) Need to specify the direction of projection

3) Does not produce a realistic view.

4) Center of projection is at infinite dist.

5) Depth information is lost.

6) Preserves relative proportion of object.

7) Subtypes: Orthographic projection, oblique projection.

## Perspective Proj.

Projectors are not parallel.

Center of projection is at a finite distance need to be specified.

Produces realistic view.

Center of projection is at finite distance.

Depth information is preserved.

Does not preserve relative proportion of object.

Subtypes: Single point, two point three point projection.

(4)

- ③ In the Bezier curve the degree of polynomial is always one less than the number of control points - so we cannot have more than four points for cubic Bezier curves.

B-Spline curves are the most widely used class of curves for approximating the shape due to its following properties.

- Degree of a polynomial is independent of a no. of control points.
- They have local control over the curves & surfaces.
- However, derivation and generation of B-Spline are more complex.
- Blending function -  $(n+1)$  control pts.

$$P(t) = \sum_{i=0}^n P_i \cdot B_{i,d}(t), t_{\min} \leq t \leq t_{\max} \text{ and } 2 \leq d \leq n+1$$

- B-Spline & blending fns.  $B_{i,d}$  are polynomials with degree  $d-1$ . Degree  $d$  can take any integer value of control points.
- Blending fns for B-spline curve are defined using Cox-deBoor recursive formula as shown below:

$$B_{i,1}(t) = \begin{cases} 1 & \text{if } t_i \leq t \leq t_{i+1} \\ 0 & \text{otherwise} \end{cases}$$

$$B_{i,d}(t) = \frac{t - t_i}{t_{i+d-1} - t_i} B_{i,1}(t) + \frac{t_{i+d} - t}{t_{i+d} - t_{i+1}} B_{i+1,d-1}(t)$$

(5)

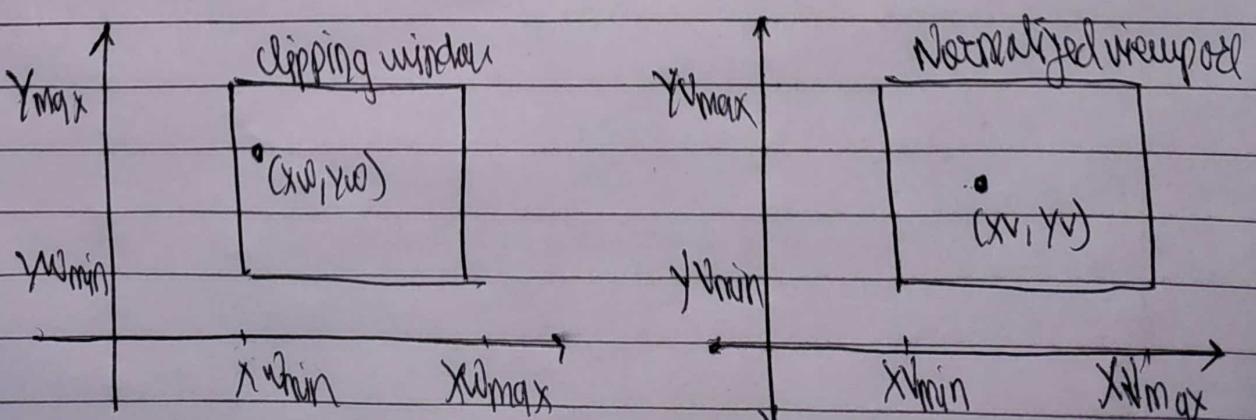
④ Physical description of the object goes through multiple sequences as shown

- Window to the viewport transformation is necessary because the size of the window and viewport may not be the same all the time. So actual scene selected by window needs to be rescaled to fit it in the viewport.
- Let  $(x_{w\min}, y_{w\min})$  and  $(x_{w\max}, y_{w\max})$  represent the lower left & upper top corner points of clipping window  $w$ .
- And let  $(x_{v\min}, y_{v\min})$  and  $(x_{v\max}, y_{v\max})$  represent the lower left and upper top corner points of viewport respectively.
- To maintain the same relative placement in the viewport as if a window, we normalize both.

$$\frac{x_v - x_{v\min}}{x_{v\max} - x_{v\min}} = \frac{x_w - x_{w\min}}{x_{w\max} - x_{w\min}}$$

$$x_v - x_{v\min} = (x_{v\max} - x_{v\min}) \frac{x_w - x_{w\min}}{x_{w\max} - x_{w\min}}$$

$$x_v = x_{v\min} + (x_w - x_{w\min}) \cdot 5_x$$



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Similarly

$$y_v = y_{v\min} + (y_w - y_{w\min}) \cdot g_y$$

where

$$g_x = \frac{y_{v\max} - y_{v\min}}{y_{w\max} - y_{w\min}}$$

$$g_y = \frac{y_{v\max} - y_{w\min}}{y_{w\max} - y_{w\min}}$$