

6.1

ANS

a)

10% faster server means that fewer servers are required to achieve the goal.

From the numbers in Figure 6.13, there are initially 45,978 servers.

For Base Servers we can assume normalized behavior as 1

So, the total performance will be

$$45,978 \times 1 = 45,978.$$

The new servers provide a normalized performance of 1.1

the total servers required, y , is

$$y \times 1.1 = 45,978.$$

$$y = 41,799.$$

The price of each server is 20% more than the baseline, and is $1.2 \times 1450 = \$1,740$.

So, the server CAPEX = \$72,730,260.

b)

The servers use 15% more power, but there are fewer servers as a result of their higher performance.

The used power on monthly bases is somewhat around \$ 475,000 for 45978 servers.

\$10.33 per server which is mentioned in table.

So the faster servers monthly power use $\$10.33 \times 1.15 = \11.88 .

But there are only 41799 servers

So which results into monthly power use OPEX will be $11.88 \times 41799 = \$496,600$.

c)

The original monthly costs were \$ 3,530,920. The new monthly costs with the faster servers is \$ 3,736,648, assuming the 20% higher price. Testing different prices for the faster servers, we find that with a 9% higher server price, the monthly costs are \$ 3,536,834, or roughly equal to original costs.

6.3

ANS

a)

The baseline WSC used 45,978 servers. At medium performance, the performance is 75% of the original.

So the required number of servers, X , is

$$0.75 \times X = 45,978.$$

$$X = 61,304 \text{ servers.}$$

6.14

ANS

a)

In Figure 6.6 it is given that disk bandwidth is 200 MB/s.

So according to problems given in presentation here we can assume the dataset is broken up into an equal number of files as there are nodes. With 5 nodes, each node will have to process $300 \text{ GB}/5 = 60 \text{ GB}$.

So we can say that $60 \text{ GB} \times 0.3 = 18 \text{ GB}$ must be read remotely, and 42 GB must be read from disk.

Using the disk bandwidths from Figure 6.6, we calculate the time for remote data access as $18 \text{ GB}/100 \text{ MB/s} = 180 \text{ seconds}$, and similarly the time for local data access as $42 \text{ GB}/200 \text{ MB/s} = 210 \text{ seconds}$; the data must be accessed for both the map and the reduce.

Given the map rate, the map will take $60 \text{ GB} \times 10 \text{ s/GB} = 600 \text{ seconds}$; given the reduce rate, the reduce will take $60 \text{ GB} \times 20 \text{ s/GB} = 1200 \text{ seconds}$.

Total Expected Execution Time:

$(180 + 210) \times 2 + 600 + 1200 = 2508 \text{ seconds}$.

The primary bottleneck is the reduce phase, while the total data transfer time is the secondary bottleneck.

At 1,000 nodes, we have $300 \text{ GB}/1000 = 300 \text{ MB}$ per node.

So $300 \text{ MB} \times 0.3 = 90 \text{ MB}$ must be read remotely, and 210 MB must be read from local disk.

These numbers give the following access times:

$90 \text{ MB}/100 \text{ MB/s} = 0.9 \text{ seconds}$, and disk = $210 \text{ MB}/200 \text{ MB/s} = 1.05 \text{ seconds}$.

The map time is $300 \text{ MB} \times 10 \text{ s/GB} = 3 \text{ seconds}$,

And the reduce time is $300 \text{ MB} \times 20 \text{ s/GB} = 6 \text{ seconds}$.

The bottlenecks actually remain identical across the different node sizes as all communication remains local within a rack and the problem is divided up evenly.