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from collections import deque

# A class to represent a graph object
class Graph:
    def __init__(self, edges, n):
        # Initialize an adjacency list for the graph
        self.adjList = [[] for _ in range(n)]

        # Populate the adjacency list with edges
        for (src, dest) in edges:
            self.adjList[src].append(dest)
            self.adjList[dest].append(src)

def recursiveBFS(graph, q, discovered):
    # Base case: if the queue is empty, return
    if not q:
        return

    # Dequeue a vertex from the queue
    v = q.popleft()
    print(v, end=' ')

    # Explore all the unvisited neighbors of the dequeued vertex
    for u in graph.adjList[v]:
        if not discovered[u]:
            # Mark the neighbor as discovered and enqueue it
            discovered[u] = True
            q.append(u)

    # Recursively call BFS with the updated queue and discovered set
    recursiveBFS(graph, q, discovered)

if __name__ == '__main__':
    # Define the edges and number of vertices
    edges = [
        (1, 2), (1, 3), (1, 4), (2, 5), (2, 6), (5, 9),
        (5, 10), (4, 7), (4, 8), (7, 11), (7, 12)
    ]
    n = 15

    # Create a Graph object with the given edges and number of vertices
    graph = Graph(edges, n)

    # Create a list to keep track of discovered vertices
    discovered = [False] * n

    # Create a queue using deque to perform BFS
    q = deque()

    # Iterate through all the vertices
    for i in range(n):
        if not discovered[i]:
            # Mark the vertex as discovered
            discovered[i] = True
            # Enqueue the vertex
            q.append(i)
            # Call the recursiveBFS function to explore the vertex and its neighbors
            recursiveBFS(graph, q, discovered)
```

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#BFS (Breadth-First Search) is a graph traversal algorithm that explores all the vertices of a graph in breadth-first order. It starts at  
  
# Here is a step-by-step explanation of the BFS algorithm:  
  
# Initialize an empty queue and an empty set to keep track of visited vertices.  
# Enqueue the source vertex into the queue and mark it as visited.  
# While the queue is not empty, do the following:  
# a. Dequeue a vertex from the queue.  
# b. Process the vertex (print it, perform some operation, etc.).  
# c. Enqueue all the unvisited neighbors of the vertex and mark them as visited.  
# Repeat steps 3 until the queue becomes empty
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 0 1 2 3 4 5 6 7 8 9 10 11 12 13 14