

Essentials of Data Analytics - (CSE3506)

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Lab-2

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Tasks for Week-2: Time-series Forecasting

Understand time-series operations/functions and forecast the annual gdp growth rate of India based on given instructions.

AIM

To understands time-series operations/functions and forecast the annual GDP growth rate of India and also GOLD rate data based on given instructions.

Algorithm

- 1. Start
- 2. Read the dataset from host pc.
- 3. Import forecast and tseries libraries.
- 4. Set the starting, end and frequency with the data columns.
- 5. Perform acf, pacf and adf tests.
- 6. Forecast the model after arima.
- 7. Find the accuracy of the model.
- 8. Stop.

Result

Case 1: Gold data model.

```
> goldf=forecast(goldmodel,level=c(95),h=24)
           Forecast Lo 95 Hi 95
5081.371 4767.741 5395.001
5138.743 4695.203 5582.283
   Point Forecast
38
           5196.114 4652.891 5739.338
39
40
           5253.486 4626.226 5880.746
41
           5310.857 4609.559
                                6012.155
           5368.229 4599.995
42
                                6136.462
43
           5425.600 4595.813
                                6255.387
           5482.971 4595.892
                                6370.051
           5540.343 4599.453
           5597.714 4605.929
47
           5655.086 4614.892
48
           5712.457 4626.011
                                6798.904
                                6900.638
49
           5769.829 4639.019
          5827.200 4653.704
5884.571 4669.887
50
                                7000.696
                                7099.255
51
           5941.943 4687.423
52
                                7196.463
53
           5999.314 4706.184
                                7292.444
          6056.686 4726.066
                                7387.305
54
          6114.057 4746.975 7481.139
55
          6171.429 4768.832
           6228.800 4791.566 7666.034
          6286.171 4815.116 7757.227
6343.543 4839.426 7847.660
          6400.914 4864.447 7937.382
```

```
> accuracy(goldmodel)
                           RMSE
                                     MAE
                                                MPE
                                                        MAPE
Training set 0.08218409 155.5098 116.6965 -0.1799051 2.960037 0.9286895
                    ACF1
Training set -0.07882193
> adf.test(goldts)
        Augmented Dickey-Fuller Test
data: goldts
Dickey-Fuller = -2.3526, Lag order = 3, p-value = 0.4359
alternative hypothesis: stationary
> goldmodel = auto.arima(goldts,ic="aic",trace=TRUE)
 ARIMA(2,1,2) with drift
                                 : Inf
 ARIMA(0,1,0) with drift
                                 : 457.5809
 ARIMA(1,1,0) with drift
                                 : 459.3633
 ARIMA(0,1,1) with drift
                                 : 459.385
 ARIMA(0,1,0)
                                 : 459.9305
ARIMA(1,1,1) with drift
                                 : 461.3121
Best model: ARIMA(0,1,0) with drift
```

Case 2: GDP rate model

ME

> |

RMSE

```
> gdpf=forecast(gdpmodel,level=c(95),h=11)
> gdpf
                       Lo 95
                               Hi 95
    Point Forecast
2021
           5.177274 -1.376684 11.73123
           5.177274 -1.401989 11.75654
2022
2023
          5.177274 -1.427197 11.78174
2024
          5.177274 -1.452309 11.80686
2025
          5.177274 -1.477327 11.83187
2026
          5.177274 -1.502250 11.85680
2027
          5.177274 -1.527082 11.88163
2028
          5.177274 -1.551821 11.90637
2029
          5.177274 -1.576470 11.93102
2030
          5.177274 -1.601029 11.95558
2031
          5.177274 -1.625500 11.98005
> accuracy(gdpf)
```

MAE

Training set 0.2704179 3.287709 2.345416 121.6616 161.0542 0.7720211 -0.02667223

MPE

MAPE

MASE

ACF1

```
Augmented Dickey-Fuller Test
data: qdps
Dickey-Fuller = -4.7448, Lag order = 3, p-value = 0.01
alternative hypothesis: stationary
> gdpmodel = auto.arima(gdps,ic="aic",trace=TRUE)
ARIMA(2,1,2) with drift
                                 : Inf
ARIMA(0,1,0) with drift
                                 : 341.4397
ARIMA(1,1,0) with drift
                                 : 332.4653
ARIMA(0,1,1) with drift
                                 : Inf
ARIMA(0,1,0)
                                 : 339.554
                                 : 326.0715
ARIMA(2,1,0) with drift
ARIMA(3,1,0) with drift
                                 : 327.9755
ARIMA(2,1,1) with drift
                                 : Inf
ARIMA(1,1,1) with drift
ARIMA(3,1,1) with drift
ARIMA(2,1,0)
                                 : 324.2097
ARIMA(1,1,0)
                                 : 330.5929
ARIMA(3,1,0)
                                 : 326.1139
ARIMA(2,1,1)
                                 : 317.8228
ARIMA(1,1,1)
                                 : 316.651
ARIMA(0,1,1)
                                 : 314.6516
ARIMA(0,1,2)
                                 : 316.6508
ARIMA(1,1,2)
                                 : 316.6275
Best model: ARIMA(0,1,1)
```

Inference

Case 1: Gold data model.

The expected values for the **coming 24 months** are printed using time-series operations/functions and forecast command. According to the dickey-fuller test, p value was found to be 0.4359. Since it is >0.05 conclude that the given values are not stationary. To convert non-stationary stationary to stationary we need to differentiate compares all the models and chooses the best one. Best model is found to be (0,1,0).

Case 2: GDP rate model

The expected values for the **coming 10 years** are printed using time-series operations/functions and forecast command. According to the dickey-fuller test the p value was found to be 0.01. Since it is <0.05 we can conclude that the given values are stationary. AIC compares all the models and choose the best Arima model. It found (0,1,1) is best one and the model is accepted.

Program

Case 1: Gold data model.

```
setwd('D:/6th Sem Works/A2- EDA/LAB/Lab2')
gold <- read.csv("gold.csv")
library(forecast)
library(tseries)
View(gold)
goldts <- ts(gold$Price,start = min(gold$Month) ,end = max(gold$Month), frequency = 1)
class(goldts)
plot(goldts)
acf(goldts)
acf(goldts)
pacf(goldts)
goldmodel = auto.arima(goldts,ic="aic",trace=TRUE)
goldf=forecast(goldmodel,level=c(95),h=24)
goldf
accuracy(goldmodel)</pre>
```

Case 2: GDP rate model

```
setwd('D:/6th Sem Works/A2- EDA/LAB/Lab2')
gdp <- read.csv("gdp.csv")
library(forecast)
library(tseries)
View(gdp)
gdps <- ts(gdp$GDP_gr,start = min(gdp$Year) ,end = max(gdp$Year), frequency = 1)
class(gdps)
plot(gdps)
acf(gdps)
pacf(gdps)
gdpmodel = auto.arima(gdps,ic="aic",trace=TRUE)
gdpf=forecast(gdpmodel,level=c(95),h=11)
gdpf
accuracy(gdpf)
```