

## GREEDY ALGORITHM

### 1.

Write a program to take value V and we want to make change for V Rs, and we have infinite supply of each of the denominations in Indian currency, i.e., we have infinite supply of { 1, 2, 5, 10, 20, 50, 100, 500, 1000} valued coins/notes, what is the minimum number of coins and/or notes needed to make the change.

Input Format:

Take an integer from stdin.

Output Format:

print the integer which is change of the number.

Example Input :

64

Output:

4

Explanaton:

We need a 50 Rs note and a 10 Rs note and two 2 rupee coins.

```
1  #include <stdio.h>
2  int main() {
3      int a, count = 0;
4      scanf("%d", &a);
5      int s[] = {1000, 500, 100, 50, 20, 10, 5, 2, 1};
6      for(int i=0; i<9; i++){
7          if(a==0) break;
8          while(a>=s[i]){
9              a-=s[i];
10             count++;}
11     printf("%d", count);}
12
```

	Input	Expected	Got	
✓	49	5	5	✓

Passed all tests! ✓

2.

Assume you are an awesome parent and want to give your children some cookies. But, you should give each child at most one cookie.

Each child  $i$  has a greed factor  $g[i]$ , which is the minimum size of a cookie that the child will be content with; and each cookie  $j$  has a size  $s[j]$ . If  $s[j] \geq g[i]$ , we can assign the cookie  $j$  to the child  $i$ , and the child  $i$  will be content. Your goal is to maximize the number of your content children and output the maximum number.

**Example 1:**

**Input:**

3  
1 2 3  
2  
1 1

**Output:**

1

Explanation: You have 3 children and 2 cookies. The greed factors of 3 children are 1, 2, 3.

And even though you have 2 cookies, since their size is both 1, you could only make the child whose greed factor is 1 content.

You need to output 1.

**Constraints:**

$1 \leq g.length \leq 3 \times 10^4$

$0 \leq s.length \leq 3 \times 10^4$

$1 \leq g[i], s[j] \leq 2^{31} - 1$

```
1 #include<stdio.h>
2 int main(){
3     int a;scanf("%d",&a);
4     int arr[a],b,c,d;
5     for(int i=0;i<a;i++)scanf("%d",&arr[i]);
6     scanf("%d",&b);
7     for(int i=0;i<b;i++){
8         scanf("%d",&c);
9         for(int j=0;j<a;j++){
10            if (arr[j]>=c){
11                if(d<c)d=c;
12                break;
13            }
14        }
15    }printf("%d",d);
16
17 }
```

	Input	Expected	Got	
✓	2	2	2	✓
	1 2			
	3			
	1 2 3			

Passed all tests! ✓

### 3.

A person needs to eat burgers. Each burger contains a count of calorie. After eating the burger, the person needs to run a distance to burn out the calories. If he has eaten  $i$  burgers with  $c$  calories each, then he has to run at least  $3^i * c$  kilometers to burn out the calories. For example, if burgers with the count of calorie in the order: [1, 3, 2], the kilometers he needs to run are  $(3^0 * 1) + (3^1 * 3) + (3^2 * 2) = 1 + 9 + 18$ . But this is not the minimum, so need to try out other orders of consumption and choose the minimum value. Determine the minimum distance he needs to run. Note: He can eat burger in any order and use an efficient sorting algorithm. Apply greedy approach to solve the problem.

#### Input Format

First Line contains the number of burgers

Second line contains calories of each burger which is  $n$  space-separate integers

#### Output Format

Print: Minimum number of kilometers needed to run to burn out the calories

#### Sample Input

```
3
5 10 7
```

#### Sample Output

```
76
```

For example:

Test	Input	Result
Test Case 1	3 1 3 2	18

```
1 #include<stdio.h>
2 #include<math.h>
3 int main(){
4     int a;scanf("%d",&a);int arr[a],sum=0;
5     for(int i=0;i<a;i++)scanf("%d",&arr[i]);
6     for(int i=0;i<a-1;i++){
7         for(int j=i;j<a;j++){
8             if(arr[i]<arr[j]){
9                 int temp=arr[i];arr[i]=arr[j];arr[j]=temp;}}}
10    for(int i=0;i<a;i++)sum+=pow(a,i)*arr[i];
11    printf("%d",sum);
12 }
```

	Test	Input	Expected	Got	
✓	Test Case 1	3 1 3 2	18	18	✓
✓	Test Case 2	4 7 4 9 6	389	389	✓
✓	Test Case 3	3 5 10 7	76	76	✓

Passed all tests! ✓

#### 4.

Given an array of N integer, we have to maximize the sum of  $arr[i] * i$ , where  $i$  is the index of the element ( $i = 0, 1, 2, \dots, N$ ). Write an algorithm based on Greedy technique with a Complexity  $O(n \log n)$ .

Input Format:

First line specifies the number of elements- $n$

The next  $n$  lines contain the array elements.

Output Format:

Maximum Array Sum to be printed.

Sample Input:

5

2 5 3 4 0

Sample output:

40

```
1  #include<stdio.h>
2  void bubble(int arr[], int n) {
3      int i,j,temp;
4      for(i=0;i<n-1;i++){
5          for(j=0;j<n-i-1;j++){
6              if(arr[j]>arr[j+1]){
7                  temp = arr[j];
8                  arr[j] = arr[j+1];
9                  arr[j+1] = temp;}}}}
10 int main(){
11     int a,sum=0;scanf("%d",&a);int arr[a];
12     for(int i=0;i<a;i++)scanf("%d",&arr[i]);
13     bubble(arr,a);
14     for(int i=0;i<a;i++)sum+=arr[i]*i;
15     printf("%d",sum);
16 }
```

	Input	Expected	Got	
✓	5 2 5 3 4 0	40	40	✓

## 5.

Given two arrays `array_One[]` and `array_Two[]` of same size `N`. We need to first rearrange the arrays such that the sum of the product of pairs ( 1 element from each) is minimum. That is  $\text{SUM} (A[i] * B[i])$  for all `i` is minimum.

For example:

Input	Result
3 1 2 3 4 5 6	28

```

1  #include<stdio.h>
2  void bubble(int arr[], int n) {
3      int i,j,temp;
4      for(i=0;i<n-1;i++){
5          for(j=0;j<n-i-1;j++){
6              if(arr[j]>arr[j+1]){
7                  temp = arr[j];
8                  arr[j] = arr[j+1];
9                  arr[j+1] = temp;}}}}
10
11 int main(){
12     int a,sum=0;scanf("%d",&a);int arr[a],brr[a];
13     for(int i=0;i<a;i++)scanf("%d",&arr[i]);
14     bubble(arr,a);
15     for(int i=0;i<a;i++)scanf("%d",&brr[i]);
16     bubble(brr,a);
17     for(int i=0;i<a;i++)sum+=arr[i]*brr[a-1-i];
18     printf("%d",sum);
19 }
```

	Input	Expected	Got	
✓	3 1 2 3 4 5 6	28	28	✓