Title: Tic Tac Toe Solver

SUBJECT: ARTIFICIAL INTELLIGENCE

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1. Introduction

- Tic Tac Toe is a classic two-player game played on a 3x3 grid.
- Players take turns marking X or O, aiming to form a row, column, or diagonal.
- A Tic Tac Toe solver determines the optimal move for a given board state.

2. Problem Statement

- The solver must evaluate the board and choose the best possible move.
- It should aim to win or block the opponent's winning move.
- The algorithm must consider all potential future moves.

3. Algorithmic Approach Several algorithms can be used to solve Tic Tac Toe optimally:

• Minimax Algorithm

- Recursively explores all possible game states.
- Chooses the move that minimizes the opponent's winning chances while maximizing its own.

Alpha-Beta Pruning

- o Optimizes Minimax by cutting off branches that won't affect the outcome.
- Reduces unnecessary calculations, improving efficiency.

Rule-Based Heuristic

- Uses predefined strategies (e.g., prioritize winning moves, block opponent, take center square first).
- Simpler but not always optimal in complex situations.

4. Implementation Details

- **State Representation**: The board is stored as a 3x3 matrix with empty spaces, Xs, and Os.
- **Move Evaluation**: The solver scores each potential move using the selected algorithm.
- Game End Conditions: The program detects win, draw, or ongoing play.
- **Optimization**: Techniques such as memoization or pruning improve performance.

5. Complexity Analysis

- Minimax: Worst-case time complexity of O(9!).
- **Alpha-Beta Pruning**: Reduces complexity to **O(b^d)** (where *b* is branching factor, *d* is depth).
- Rule-Based Heuristic: Constant time complexity O(1) but limited in adaptability.

6. Results and Performance

- The solver is tested in multiple scenarios:
 - Against a random player, it always wins or forces a draw.
 - o Against a human, it consistently makes optimal decisions.
 - o Performance improves significantly with Alpha-Beta Pruning.

7. CODE

```
import math
```

```
# Function to print the Tic Tac Toe board

def print_board(board):
    for row in board:
        print(" | ".join(row)) # Print each row with '|' separator
        print("-" * 9) # Print separator line between rows

# Function to check if there is a winner or if the game is a draw

def check_winner(board):
    # Check rows for a winner
    for row in range(3):
        if board[row][0] == board[row][1] == board[row][2] != " ":
            return board[row][0]

# Check columns for a winner

for col in range(3):
    if board[0][col] == board[1][col] == board[2][col] != " ":
```

return board[0][col]

```
# Check diagonals for a winner
  if board[0][0] == board[1][1] == board[2][2] != " ":
    return board[1][1]
  if board[0][2] == board[1][1] == board[2][0] != " ":
    return board[1][1]
  # Check if the board is full (Draw case)
  if all(board[r][c] != " " for r in range(3) for c in range(3)):
    return "Draw"
  return None # No winner yet
# Minimax algorithm to find the best move for AI
def minimax(board, depth, is_maximizing):
  winner = check winner(board)
  if winner == "X":
    return -10 + depth # Human wins
  elif winner == "O":
    return 10 - depth # AI wins
  elif winner == "Draw":
    return 0 # Game is a draw
  if is_maximizing: # Al's turn (maximize score)
    best_score = -math.inf
    for r in range(3):
      for c in range(3):
```

```
if board[r][c] == " ": # Check empty cells
           board[r][c] = "O"
           score = minimax(board, depth + 1, False)
           board[r][c] = " " # Undo move
           best_score = max(best_score, score)
    return best_score
  else: # Human's turn (minimize Al's score)
    best_score = math.inf
    for r in range(3):
      for c in range(3):
         if board[r][c] == " ":
           board[r][c] = "X"
           score = minimax(board, depth + 1, True)
           board[r][c] = " " # Undo move
           best_score = min(best_score, score)
    return best score
# Function to find the best possible move for AI
def best_move(board):
  best score = -math.inf
  move = (-1, -1)
  for r in range(3):
    for c in range(3):
      if board[r][c] == " ":
         board[r][c] = "O"
         score = minimax(board, 0, False)
         board[r][c] = " " # Undo move
         if score > best_score:
```

```
best_score = score
           move = (r, c)
  return move
# Function to run the Tic Tac Toe game
def tic_tac_toe():
  board = [[" " for in range(3)] for in range(3)] # Initialize empty board
  print("Tic Tac Toe - You (X) vs AI (O)")
  print board(board)
  for turn in range(9): # Maximum of 9 moves in a 3x3 grid
    if turn % 2 == 0: # Human player's turn (X)
      while True:
         try:
           row, col = map(int, input("Enter row and column (0-2) separated by space:
").split())
           if board[row][col] == " ": # Check if cell is empty
             board[row][col] = "X"
             break
           else:
             print("Cell already taken! Choose again.")
         except (ValueError, IndexError):
           print("Invalid input! Enter numbers between 0-2.")
    else: # Al's turn (O)
      print("AI is making a move...")
      row, col = best_move(board)
      board[row][col] = "O"
```

```
print_board(board) # Show updated board
winner = check_winner(board)
if winner: # If game ends, declare result
    if winner == "Draw":
        print("It's a draw!")
    else:
        print(f"{winner} wins!")
    return

# Run the game if script is executed directly
if __name__ == "__main__":
    tic_tac_toe()
```

7. Conclusion

- A Tic Tac Toe solver demonstrates key game theory principles.
- The Minimax algorithm ensures the AI is unbeatable, leading to a win or draw if the opponent plays optimally.
- Future enhancements could extend these methods to more complex games like Connect Four or Chess.

8. References

- "Artificial Intelligence: A Modern Approach" by Stuart Russell and Peter Norvig.
- Online resources and research papers on game-solving algorithms.