

Minimum no of days to make M bouquets

$$\text{bloom Day} = [7 \ 7 \ 7 \ 7 \ 13 \ 11 \ 12 \ 7] \quad m=2 \quad k=3$$

flower bloom
on 7th day

no of
bouquets

adjacent
flowers
required

Here we need to find min no of days to make m bouquets for that condition is 1 bouquet contains k flowers and they must be adjacent

take 13 days

$$[7 \ 7 \ 7 \ 7 \ 13 \ 11 \ 12 \ 7]$$

✓ ✓ ✓ ✓ ✓ ✓ ✓ ✓
↓ ↓
will get 2 bouquets
but we want min
so we take max element in array as high

$$[7 \ 7 \ 7 \ 7 \ 13 \ 11 \ 12 \ 7]$$

$$[7 \ 7 \ 7 \ 7 \ 13 \ 11 \ 12 \ 7]$$

$$1+0=1$$

$$1+1=2$$

we take min element in array as low

odd

even

odd

1

1

-1

$$[7 \ 7 \ 7 \ 7 \ 13 \ 11 \ 12 \ 7]$$

public boolean solve(int[] a, int mid, int m, int k)

?

int c=0;

int nofbox=0;

for(int i=0; i<n; i++)

{ if(a[i]<=mid) ?

c++;

else ?

nofbox+=c/k;

c=0;

~~if~~ nofbox+=c/k;

if(nofbox>=m) return true;

return false;

3

low

mid

high

7

10

13

X

10 not
possible

[7 7 7 7 13 11 12 7]

11=2X

low=mid+1

low

mid

high

11

12

13

[7 7 7 7 13 11 12 7]

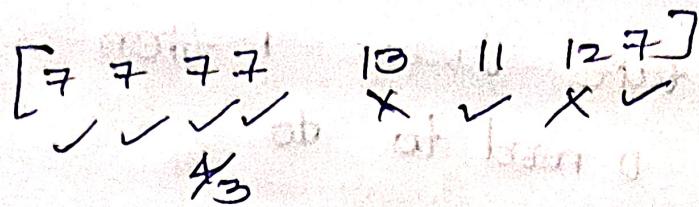
4/3

3/3

1+1=2

we need min right so we go left side
high = mid - 1

low = 11 mid = 11 high = 11



so we go right side

low = mid + 1

low = 12 high = 11

crosses ends

answer is in low

public int solve (int[] a, int m, int k) {
 int low = min(a);
 int high = max(a);

while (low <= high) {

int mid = low + (high - low) / 2;

if (solve (a, mid, m, k))

{

high = mid - 1;

}

else {

low = mid + 1;

}

return low;

}

Find the smallest divisor given a threshold

$$\text{array} = [1 \ 2 \ 5 \ 9] \quad \text{threshold} = 7$$

Here take divisor 1 then
u need to do

$$\frac{1}{1} + \frac{2}{1} + \frac{5}{1} + \frac{9}{1}$$

$$17 <= 6 \text{ wrong}$$

take max value of

Like 100

$$\frac{1}{100} + \frac{2}{100} + \frac{5}{100} + \frac{9}{100}$$

Here u will take ceil for each fractions

$$1 + 1 + 1 + 1$$

$$= 4$$

Suppose take 9 max ele in array

it will also give 4

So take high as max element in
array

low as 1

low mid high
1 5 9

$$[1 \ 2 \ 5 \ 9]$$

$$\frac{1}{5} \ \frac{2}{5} \ \frac{5}{5} \ \frac{9}{5}$$

$$1 \ 1 \ 1 \ 2 = 5$$

$5 <= 7$ true

but we need smallest divisor so
we go left side

low=1 mid=2 high=4

[1 2 5 9]

$\frac{1}{2} \frac{2}{2} \frac{5}{2} \frac{9}{2}$ $10 <= 7$
1 1 3 5 False

So we move right side

low=mid+1

low=3 mid=3 high=4

[1 2 5 9]

$\frac{1}{3} \frac{2}{3} \frac{5}{3} \frac{9}{3}$ $7 <= 7$
1 1 2 3 False true

we move right side

($low=mid+1$) x high=mid-1
 high=2

low=4

mid=4

high=4

[1 2 5 9]

$\frac{1}{4} \frac{2}{4} \frac{5}{4} \frac{9}{4}$

1 1 2 3

$7 <= 6$

low=3 high=2

we return low

bcuz high is always possible from
starting so it ends with not
possible

public boolean possible (int[] a, int mid, int threshold)

held

{

int sum=0;

for (int i=0; i<a.length; i++)

{
sum += Math.ceil(a[i]/mid)}

}

if (sum <= threshold) return true;

return false;

}

public int solve (int[] a, int n, int threshold)

{

int low=1;

int high = max(a);

while (low <= high) {

int mid = low + (high-low)/2;

if (possible (a, mid, threshold))

{

high = mid - 1;

else

low = mid + 1;

}

}

return low;

}

Find the least capacity to ship the package within $D=5$ days

Given

weights = [1, 2, 3, 4, 5, 6, 7, 8, 9, 10]

$D=5$ days

to pack into ship

minimum capacity is max ele in array

we take max ele as low

sum of all weights is taken as high

low = 10

high = sum(weights)

mid = 32

it is possible
but we need
smallest capacity

within 5 days

so we move left

low = 10 mid = 16 high = mid - 1

= 31

low = 10 mid = 16 high = 31

1st day 1, 2, 3, 4, 5

2nd day 6, 7

3rd day 8

4th day 9, 10

5th day 10

$\frac{4+20}{2}$

for 20

also

possible

still need small capacity

we go left side
 $\text{high} = \text{mid} - 1$

$$\begin{array}{ll} \text{low} = 10 & \text{high} = 19 \\ \text{mid} = 14 & \end{array}$$

1st day $\rightarrow 1, 2, 3, 4$

2nd day $\rightarrow 5, 6$

3rd day $\rightarrow 7$

4th day $\rightarrow 8$

5th day $\rightarrow 9$

6th day $\rightarrow 10$

it exceeded 5 days

so we increase capacity

$$\text{low} = \text{mid} + 1$$

$$\text{low} = 15 \quad \text{high} = 19 \quad \frac{34}{2}$$

$$\text{mid} = 17$$

for 17 possible

$$\text{high} = \text{mid} - 1$$

$$\text{low} = 15 \quad \text{high} = 16$$

$$\text{mid} = 15$$

possible

we go left side to check if

these any small capacity

but not these

if large more than use

```
public int finddays (int[] a, int mid)
{
    int load=0;
    int nofdays=0;
    for (int i=0; i<a.length; i++)
    {
        if (load+a[i]>mid)
        {
            nofdays+=1;
            load=a[i];
        }
        else
            load+=a[i];
    }
    return nofdays;
}
```

```
public int solve (int[] w, int d)
{
    int low = max(w);
    int high = sum(w);
    while (low <= high)
    {
        int mid = low + (high - low) / 2;
        int nodays = finddays (w, mid);
        if (nofdays <= d)
        {
            high = mid - 1;
        }
        else
            low = mid + 1;
    }
    return low;
}
```

Here we are calculating days for each capacity and we are taking only if it is less than D days. but they asked minimum so we need to store.

Similarly in koko eating banana's you are calculating times too, no of bananas if total time is less than the given + less then we will store we need to find minimum.