

03/02/2026

Tuesday

How many times array has been rotated

Ex:-

$$a = [4, 5, 1, 2, 3]$$

ans = 2

Simple logic is we follow same as
minimum procedure but here we store
minimum element index and return
that index

$$[\begin{smallmatrix} 0 & 1 & 2 & 3 & 4 \\ 4 & 5 & 1 & 2 & 3 \end{smallmatrix}]$$

min is 1 it's index is 2

so the array is rotated two
times

$$\xrightarrow{1st} 5 \ 1 \ 2 \ 3 \ 4$$

rotate

$$\xrightarrow{2nd} 4 \ 5 \ 1 \ 2 \ 3$$

rotate

Another example

$$[\begin{smallmatrix} 0 & 1 & 2 & 3 & 4 & 5 & 6 \\ 7 & 8 & 11 & 2 & 3 & 5 & 6 \end{smallmatrix}]$$

Here min is 2 and its index is 3

So 3 times

rotated

low

mid

high

first we take index = -1 and ans for
minimum as max value

we check which one is sorted here

$7 <= 2$ $a[low] <= a[mid]$ false

$2 <= 6$ true

we go right side

index = mid

= 3

if ($a[mid] < ans$)

then only we are
assigning them

ans = (2, max)

= 2

then we will go to left side

high = mid - 1

= 2

low = 0 high = 2
mid = 1

$7 <= 8$ true

ans = (2, 7) Here we are checking

= 2.

whether $a[low] < ans(\min)$

index = 0

7 2

false right

→ so we do not assign index = 0

we will go right side

low = mid + 1

high = 2

= 2

mid = 2

~~8 <= 8~~ true $11 <= 11$

$11 < 2$ false

so we go right side

low = mid + 1

low = 3 high = 2

search space not exist it fails

and we can return index

```
public int noofrotations(int[] a, int n)
```

```
{
```

```
    int low=0;
```

```
    int high=n-1;
```

```
    int ans= Integer.MAX_VALUE;
```

```
    int index=-1;
```

```
    while (low<=high)
```

```
{
```

```
        int mid= low + (high-low)/2;
```

```
        if (a[low]<=a[mid])
```

```
{
```

```
            if (a[low]<ans)
```

```
{
```

```
                ans=a[low];
```

```
                index=low;
```

```
            }
```

```
            low=mid+1;
```

```
        }
```

```
    else{
```

```
        if (a[mid]<ans)
```

```
{
```

```
            ans=a[mid];
```

```
            index=mid;
```

```
        }
```

```
        high=mid-1;
```

```
    }
```

```
    return index;
```

```
}
```

Find single element in sorted Array

ex:-

$$a = [1, 1, 2, 2, 3, 3, 4, 5, 5, 6, 6]$$

Here every element appears twice except one element

Logic is

$$a = [\begin{matrix} 0 & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 \\ 1, 1, 2, 2, 3, 4, 4, 5, 5 \end{matrix}]$$

see in the array before single element

they's indexes are in the order

Like ~~(odd, even)~~, odd - ~~(odd, even)~~, odd

0	1	2	3	4	5	6	7	8
1, 1	2, 2	3	4	4	5, 5			
even	odd	even	odd	even	odd	even	odd	even

see left side right side have
elements have odd even
even, odd and

first we will check base conditions that
solves edge cases

if $n=1$ we return first element

if $a[0] \neq a[1]$
return $a[0]$

if $a[n-1] \neq a[n-2]$
return $a[n-1]$

$[1, 1, 2, 2, 3, 4, 4, 5, 5]$

Here we are shrinking it because we need to check left and right for a element.

for first and last we can't get this beside elements why so

$$\text{low} = 1$$

$$\text{high} = n - 2$$

$[1, 1, 2, 2, 3, 4, 4, 5, 5]$

↓
low = 0 mid = 3 high = 7

we will check if its left is equal to that ele and also check its right element is equal to current element if not we return current element

$a[2] \quad a[3] \quad a[4]$
2 2 3

$$2 \neq 2 \quad \text{and} \quad 2 \neq 3$$

F T

so it is false

so it is not the element

Now we will check for one in which side of single element

by conditions

mid = 2

mid is even

we check $a[3] == a[2]$

$2 == 2$
true

mid is odd

or $a[mid-1] == a[mid]$

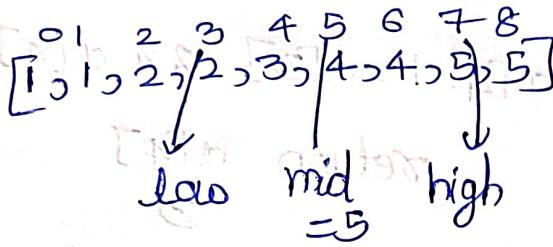
then go
right side

so we are in left part

we go right side

low = mid + 1

low = 3



it fails and check which part to remove

if mid is odd

$a[4] == a[5]$

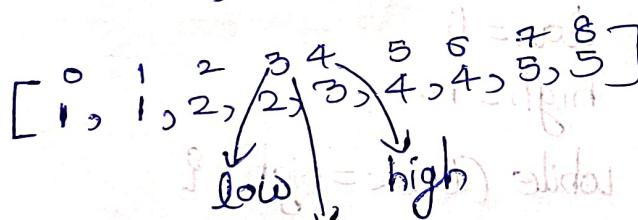
$3 == 4$

false

so we go left side

high = mid - 1

high = 4



mid = 3

false

$2 != 2$ & $2 != 3$

mid is odd will check before element
is equal to mid ele

$a[mid] == a[mid-1]$

$a[3] == a[2]$
 $2 == 2$ true

so we go right side

low = mid + 1

low = 4 high = 4

mid = 4

[0 1 2 3 4 5 6 7 8]
[1, 1, 2, 2, 3, 4, 4, 5, 5]

↓ ↓
low high
mid

we check

$a[mid] \neq a[mid-1]$ & & $a[mid] \neq a[mid+1]$

$a[2] \neq a[3]$ & & $a[4] \neq a[5]$

return a[4]

3

public int find(int[] a, int n) {

int if ($n == 1$)

return a[0];

if ($a[0] \neq a[1]$)

return a[0];

if ($a[n-1] \neq a[n-2]$)

return a[n-1];

low = 1;

high = n - 2;

while ($low \leq high$) {

int mid = low + (high - low) / 2;

if ($a[mid] \neq a[mid-1]$ & &

$a[mid] \neq a[mid+1]$)

return a[mid];

Now check which part to
remove based on
even odd

if ($\text{mid} \% 2 == 0$ && $a[\text{mid}] == a[\text{mid} + 1]$)

 || $\text{mid} \% 2 == 0$ && $a[\text{mid}] == a[\text{mid} - 1]$)

 return $\text{low} = \text{mid} + 1;$

else

$\text{high} = \text{mid} - 1;$

g

return -1;

g

Find the peak element in the array

and take outside index as -infinity

peak element means it should be greater than next element and also greater than previous element

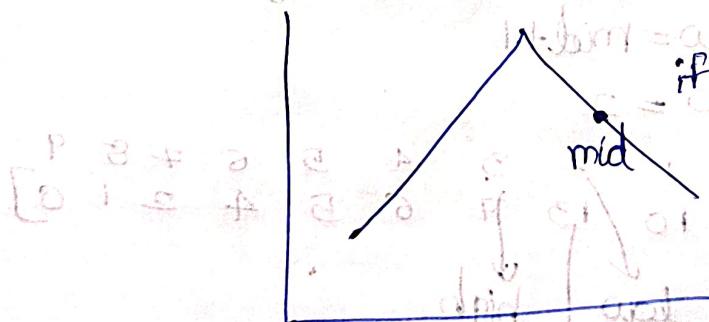
Ex:- $-\infty [10, 9, 8, 7, 6, 5] -\infty$

Here 10 is the peak element

$-\infty [1, 2, 3, 4, 5] -\infty$

Here 5 is the peak element

logic is



if mid is here
we check

whether
 $a[\text{mid}] > a[\text{mid} - 1]$
then peak is on
right side

but here in the
condition fails so we go left side

ex:-

$$a = [1, 10, 13, 7, 6, 5, 4, 2, 1, 0]$$

↓ ↓ ↓
low mid high

first we check

$$6 > 7 \quad \& \quad 6 > 5$$

false

we check which side to go

$$6 > 7 \quad \text{false}$$

so we go to left side

$$\text{high} = \text{mid} - 1$$

$$\text{high} = 3$$

$$a = [1, 10, 13, 7, 6, 5, 4, 2, 1, 0]$$

↓ ↓ ↓
low mid high

first we check

$$10 > 1 \quad \& \quad 10 > 13$$

false

we check which side to go

$$10 > 1 \quad \text{true}$$

so we go right side

$$\text{low} = \text{mid} + 1$$

$$\text{low} = 2$$

$$a = [1, 10, 13, 7, 6, 5, 4, 2, 1, 0]$$

↓ ↓ ↓
low mid high

mid = 2

first check

$13 > 10 \text{ & } 13 > 7$

true so

we return element or index
based on question.

public int findPeak(int[] a, int n) {

if ($n == 1$)

return a[0];

if ($a[0] > a[1]$)

return a[0];

if ($a[n-1] > a[n-2]$)

return a[n-1];

low = 1;

high = n - 2;

while ($low \leq high$) {

int mid = low + (high - low) / 2;

if ($a[mid] > a[mid+1] \text{ & } a[mid] > a[mid-1]$)

return mid;

if ($a[mid] > a[mid-1]$)

low = mid + 1;

else

high = mid - 1;

}

return -1;

}

binary Search on AnsweS

Find square root of a number in logn

given $n = 28$

$\sqrt{28} \approx 5$ -- but question

take floor value

so it is 5

for this we check binary search on
answeS

$$1 \times 1 \leq 28$$

$$2 \times 2 \leq 28$$

$$3 \times 3 \leq 28$$

$$4 \times 4 \leq 28$$

$$5 \times 5 \leq 28$$

$$6 \times 6 \leq 28$$

answer must be

between 1 to n

only

```
public int solve (int n) {
```

```
    int low = 1;
```

```
    int high = n;
```

```
    int ans = 1;
```

```
    while (low <= high) {
```

```
        int mid = low + (high - low) / 2;
```

```
        if (mid * mid <= n) {
```

```
            ans = mid;
```

```
            low = mid + 1;
```

```
        } else {
```

```
            high = mid - 1;
```

g

y

return ans;

3

$$\text{low} = 1 \quad \text{high} = 28$$

$$\frac{1+28}{2} \quad \text{mid} = 14$$

$$14 * 14 <= 28 \quad \text{false}$$

we go left side

$$\text{high} = \text{mid} - 1$$

$$= 13$$

$$\text{low} = 1 \quad \text{high} = 13$$

$$\text{mid} = 7$$

$$7 * 7 <= 28 \quad \text{false}$$

$$\text{high} = \text{mid} - 1$$

$$= 6$$

$$\text{low} = 1 \quad \text{mid} = 3 \quad \text{high} = 6$$

$$3 * 3 <= 28 \quad \text{true} \quad \text{ans} = 3$$

we go right side

$$\text{low} = \text{mid} + 1$$

$$= 4$$

$$\text{low} = 4 \quad \text{mid} = 5 \quad \text{high} = 6 \quad \text{ans} = \cancel{5}$$

$$5 * 5 <= 28 \quad \text{true}$$

$$\text{low} = \text{mid} + 1$$

$$= 6$$

$$\text{low} = 6 \quad \text{mid} = 6 \quad \text{high} = 6$$

$$6 * 6 <= 28 \quad \text{false}$$

$$\text{high} = \text{mid} - 1$$

$$= 5$$

$$\text{low} = 6 \quad \text{high} = 5$$

1, 2, 3

low=6 high=5

$$1, 2, 3, 4, 5, 6, \cancel{7} \times \cancel{8} \underline{\underline{\times}} \times \times 28$$

low goes on
and reaches
first wrong
one

high eliminates
and reaches first
possible one

so for answer we can return high also.