

Comparison of Different Strategies to solve Bubble Break

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Abstract

I will be solving 'Bubble Blast' game using various strategies and compare how these strategies perform in the game.

I. INTRODUCTION

This write-up is about the popular game Bubble Break. Bubble Break is a single-player two-dimensional board game. Board consists of N square tiles arranged in a matrix of m rows and n columns, $m*n$ being N . Each tile is colored one of C colors as shown in the figure.1.

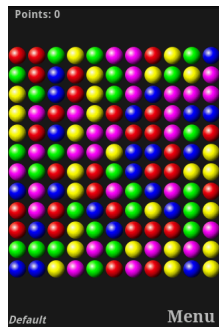


figure.1

A tile is said **adjacent** to another if it lies immediately (up or down or left or right) to another tile. Two adjacent tiles are said be **(adjacent) neighbors** if they are same in color. Non-adjacent tiles can also be **neighbors** if starting from one we can reach another by following adjacent neighbors only. A **cluster** is as defined as a group of same colored tiles which are neighbors to one another. If a tile is not neighbor to any other tile then it is not a part of any cluster i.e no cluster can be of size one. Each cluster has a score associated with it which depends on the number of tiles in this cluster. In some versions of game, points(score) also depends upon the shape of cluster but I will only take

into account the number of tiles in the cluster. A cluster which contains n number of tiles will have n^2 points(score) to award. The idea behind using n^2 points(score) to be associated with a cluster is that score for x -sized cluster should be more than the sum of scores of y -sized cluster and z -sized cluster where $x = y + z$ and $2 \leq y, z \leq x$. It is an incentive for player to go for larger sized clusters. Player can burst a cluster to get points(score) corresponding to it, making the tiles included in this cluster colorless. Game is played until board is completely empty or it reaches a state where no cluster is present. Aim is simple, score as high as you can.

The board has **color magnets** attached to it at its bottom and right. What these color magnets do is they attract colors to them if they can i.e if a colorless tile exists between a colored tile and bottom of the board then this color shift down to this colorless tile leaving previously colored tile colorless. Right magnet behaves in similar way but it acts on the whole column only i.e if and only if a column of tiles is fully colorless and it has colored tiles to its left than these colored tiles will be shifted right by a column.

Finding an optimal solution in this game is quite a challenging problem, mainly because the search space is too large and dynamic for traditional search methods. We can think of search space as a tree as shown in figure.2 with root node (black node) being the starting state of the board. In this state we have a lot of clusters that we can blast providing us with

ter more large i.e we are sort of trying to accumulate the larger clusters with other clusters in order to achieve higher score as compared to when these accumulated clusters were broken individually. It is like planning to score good in future by sacrificing some in earlier steps. We will see how this strategy works with respect to above mentioned greedy approach. This strategy will also have variations like starting from top or bottom.

In our fourth approach idea of third approach is extended to color-distribution also. Rather than breaking smallest cluster only, we see which color is very less in number in the board and start breaking smallest clusters corresponding to that cluster. Because by doing this we increase the probability of accumulation of color which is most in number and because number of tiles having this color are more, it will result in clusters of larger sizes. This approach seems to have a little edge on third approach.

In this approach we mix the idea of fourth approach and greedy (second) approach. We start breaking clusters related to color which is less in number but instead of small sized clusters we break larger sized clusters first. It is like being greedy but keeping it in check. It will also result in accumulation of color which is more in number into larger sized clusters. It is difficult to analyze which of the fourth and fifth approach will be better on the basis of logic only. We will see how result of our simulation comes out to be.

III. RESULTS

The results shown in tables below are based on the simulation of bubble break game based on different strategies mentioned above. Size denotes the size of board on which simulations were done. Iterations is number of different simulation done on different boards. The starting state of board is generated randomly. Average Score denotes the average of scores of all the hundred simulations run on 25 X 25 board with 4 colors. Number of Steps taken to solve the game is number of clusters broken

or the number of choices made in the tree of possibilities as mentioned before to reach the bottom (leaf node) of tree.

I have used three different cases for comparison between two methods. First case is when board size is 25 X 25 and number of colors are 4. This case is treated a normal case where number of clusters and their distribution across colors is almost even. In second case when board size is 25 X 25 and number of colors are 6 refers to the types of boards where cluster distribution may or may not be even and also number of clusters in starting state of board are considerably less than first case. Thus, game should be played in order to build new clusters to score more points. In third case, board with size 35 X 35 is used with mere 4 different colors. In this case number of clusters is very large. Thus strategy, should not only use existing clusters carefully but also it should also keep on generating new clusters in order to score more points.

These strategies provide sufficient variation to measure the difference between any two methods described above.

Table 1

Size = 25 X 25		
Iterations = 100		
Number of colors = 4		
Method	I	II
Average Score	3957	3743
Average Steps	156	120

Table 2

Size = 25 X 25		
Iterations = 100		
Number of colors = 6		
Method	I	II
Average Score	1771	1941
Average Steps	192	163

Table 3

Size = 35 X 35

Iterations = 100

Number of colors = 4

Method	I	II
Average Score	8570	8111
Average Steps	299	218

As from the Tables above it is clear our greedy approach works just as good as random method which implies it is not a good way to play the game. It uses much less steps to complete the game which is clear from the fact that at every step this method eliminates more number of colored tiles than random strategy. Hence it will reach the end earlier than random method.

Table 4

Size = 25 X 25

Iterations = 100

Number of colors = 4

Method	I	III
Average Score	3920	7181
Average Steps	156	189

Table 5

Size = 25 X 25

Iterations = 100

Number of colors = 6

Method	I	III
Average Score	1749	2086
Average Steps	191	219

Table 6

Size = 35 X 35

Iterations = 100

Number of colors = 4

Method	I	III
Average Score	8726	20038
Average Steps	299	378

From Table 4, 5, 6 we can see that third

method is much better than random one and consequently better than the second method (greedy) method. Hence, our assumption that breaking smaller clusters first will result in larger cluster later in the game turned out to be right. Score obtained by method III is almost twice than the random method. The approach which was very counter-intuitive turned out to be much better than a simple approach (greedy) based on intuition. As we can see from Table 6 this strategy is pretty good at using existing larger clusters to score but if we consider Table 5, this strategy is not very good at generating large clusters when there are not any. It ends up using many smaller clusters rather than forming a bigger cluster using them. This method also takes much more steps to completely solve the game as at every step it eliminates less number of tiles than random method.

Table 7

Size = 25 X 25

Iterations = 100

Number of colors = 4

Method	I	IV
Average Score	4061	20360
Average Steps	156	149

Table 8

Size = 25 X 25

Iterations = 100

Number of colors = 6

Method	I	IV
Average Score	1736	3117
Average Steps	192	188

Table 9

Size = 35 X 35

Iterations = 100

Number of colors = 4

Method	I	IV
Average Score	8655	86881
Average Steps	299	291

Fourth Strategy seems to be beating every other method so far as we can confirm from the data provided in the tables. This strategy is far far better than the random one. Not only it used existing blocks very well (refer to Table 9) but it also did much better than the third strategy when there was scarcity of clusters (refer to Table 8). This strategy did exactly what we expected. As it was extension of third strategy where only smallest cluster was eliminated but here we eliminated smallest clusters corresponding to minimum color which helped color ,which was larger in number, to form larger clusters in the mean time.

Table 10

Size = 25 X 25		
Iterations = 100		
Number of colors = 4		
Method	I	V
Average Score	4045	3122
Average Steps	155	177

Table 11

Size = 25 X 25		
Iterations = 100		
Number of colors = 6		
Method	I	V
Average Score	1762	1415
Average Steps	190	200

Table 12

Size = 35 X 35		
Iterations = 100		
Number of colors = 4		
Method	I	V
Average Score	8795	7290
Average Steps	299	351

In this strategy, we were eliminating largest clusters corresponding to the color which was minimum in number. It turns out that keeping the greed in check also do not help. As clear

from the data this method is performing poorer than the random strategy. The reason can be the even distribution of clusters among colors in the examples we took. Because if distribution of clusters is even than this method should work more or less same as second method, which it did.

So, let us compare strategy IV and V on a board with uneven distribution of colors.

Table 13

Color Distribution: Uneven		
Size = 25 X 25		
Iterations = 100		
Number of colors = 4		
Method	I	IV
Average Score	36077	65471
Average Steps	51	62

Table 14

Color Distribution: Uneven		
Size = 25 X 25		
Iterations = 100		
Number of colors = 4		
Method	I	V
Average Score	39660	1157
Average Steps	50	46

Even when color distribution is uneven method V worked pretty badly as compared to random strategy (refer to table 14). But Strategy IV worked still better than the random strategy. Thus method V is not a very good method to play the game of Bubble Break. The reason for method V to perform poorly is mainly because it lacks planning accumulation of clusters in the future steps, which is exactly the reason why method IV is perform better than other algorithms.

IV. DISCUSSION

Developing an algorithm for to find an optimal solution in Bubble Break game is not easy. The search space for solving this game is very large

and dynamic for traditional search methods to exhaust all the possibilities in practical time. Thus, we need to come up with some different strategy in order to find solution to this game. Some simple strategies to solve this game are discussed and compared above. These strategies do not find an optimal solution to this game still some of these strategies work much better than random finding a solution to the game. There can be lots of other strategies possible similar to those mentioned above like eliminating smaller clusters corresponding to maximum color first or keeping the maximum color and using method III on rest of the colors. But method IV works much better than all these strategies mentioned on an average. This strategy works on the principle of bringing together smaller clusters to form larger clusters at as little expense as possible in order to use these larger clusters later in the game. Memory (remembering the previous configurations of

board while playing game) can play an important role in developing a still better algorithm using strategy IV. In that case we can revert back some steps in order to select that state of board which will result in better score later in the game.

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