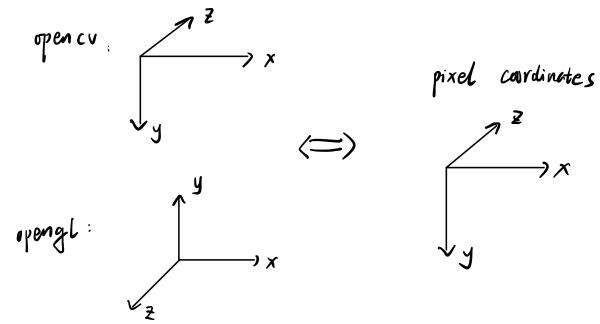
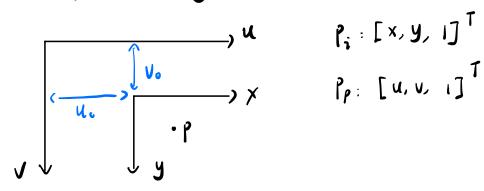
1.1 axis notation: the definition of the corners coordinate system varies from different systems.



for openge: the notation mtx is 3×3 Identity intx.

1.2 offset + scaling



After notating the image plane to making its axis directions being aligned with the pixel plane, the words of the print on the image plane need to be further scaled from meter metric to pixel metric, and then an effect (u., v.) is added.

$$\begin{cases} u = \frac{x}{dx} + uo \\ v = \frac{y}{dy} + vo \end{cases} = \int (dx, dy) \text{ are always set to } 1$$

$$= \int (dx) \int (dx) dx = \int (dx) \int (dx) \int (dx) \int (dx) \int (dx) dx = \int (dx) \int (dx)$$

$$\Rightarrow P_{p} = T_{(o+s)} T_{vot} P_{i}$$

$$\begin{bmatrix} u \\ v \end{bmatrix} = \begin{bmatrix} dx & u \\ dy & v \end{bmatrix} \begin{bmatrix} s_{i} \\ s_{3} \end{bmatrix} \begin{bmatrix} x \\ y \\ 1 \end{bmatrix}$$

for Pi = Trot Tions Pp

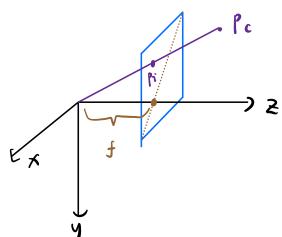
T(015): de-Heet + de-scaling

$$\Rightarrow \begin{cases} x = dx (u - v_0) \\ y = dy (v - v_0) \end{cases} \Rightarrow \int_{(0+s)}^{-1} = \begin{bmatrix} dx & -dx \cdot u_0 \\ dy -dy \cdot u_0 \end{bmatrix}$$

Trot = Trot = Trot if each axis is notated by either 0° or 180°,

$$= \int_{0}^{x} \left[ \begin{array}{c} x \\ y \\ \end{array} \right] = \int_{0}^{x} \int_{0}^{x} \left[ \begin{array}{c} dx \\ dy \\ \end{array} \right] - \frac{dx \cdot u}{dy} - \frac{dy \cdot v}{dy} = \int_{0}^{x} \left[ \begin{array}{c} u \\ v \\ \end{array} \right]$$

image plane (=) camera coordinates.



$$\rightarrow 2$$
  $P_i : [X_i, Y_i, Z_i, i]^T$ 

$$\frac{x_c}{x_i} = \frac{y_c}{y_i} = \frac{z_c}{z_i} = constant$$

$$z_i = f$$

$$\Rightarrow x_i = \int \frac{x_c}{z_c} , \gamma_i = \int \frac{y_c}{z_c}$$

$$\Rightarrow P_i' = f\left[\frac{x_c}{z_c}, \frac{Y_c}{z_c}, 1, \frac{1}{f}\right]^T$$

take Xi, Yi only, set Z=1

$$= \frac{1}{Z_c} \begin{bmatrix} 4x_c \\ 4x_c \\ \frac{Z_c}{Z_c} \end{bmatrix} = \frac{Z_c}{Z_c} \begin{bmatrix} 4 \\ 4 \end{bmatrix} \begin{bmatrix} x_c \\ x_c \\ \frac{Z_c}{Z_c} \end{bmatrix}$$

$$=) T_{c}^{i} = \begin{bmatrix} 4 & 4 \end{bmatrix}$$

=)  $T_c^i = \begin{bmatrix} f \\ f \end{bmatrix}$ , and the separt should be normalized, with the third elem = |

and the depth should be multiplied as a scalar to the image cards [x, y, 1] before \* Ti

3. Camera coordinate (=> World coordinate

$$P_{W} = T_{c}^{W} P_{c} = \begin{bmatrix} R_{cam} & C_{cam} \\ \end{bmatrix} P_{c} = \begin{bmatrix} R^{T} - R^{T} \\ \end{bmatrix} P_{c}$$

$$P_{c} = T_{w}^{C} P_{w} = \begin{bmatrix} R & t \\ \end{bmatrix} P_{w} = \begin{bmatrix} R_{cam}^{T} - R_{cam}^{T} \\ \end{bmatrix} P_{w}$$