

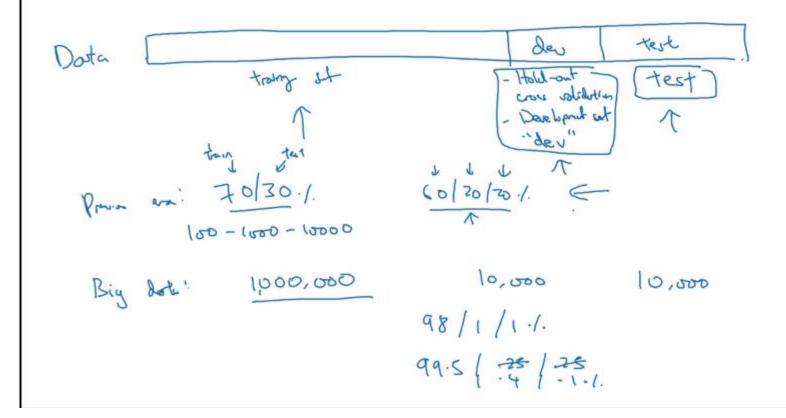
Setting up your ML application

Train/dev/test sets

Applied ML is a highly iterative process

Idea #layers # hidden units learning rates activation functions Code Experiment Andrew Ng

Train/dev/test sets



Andrew Ng

Mismatched train/test distribution

Corts

Training set:
Cat pictures from webpages

Dev/test sets:
Cat pictures from users using your app

Make sure der al test come from sam der best but in test to the t

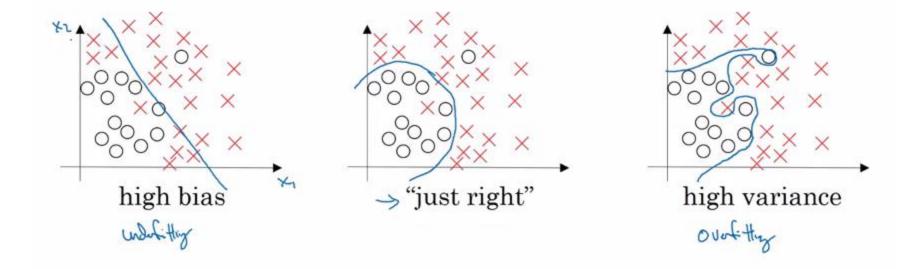
Not having a test set might be okay. (Only dev set.)



Setting up your ML application

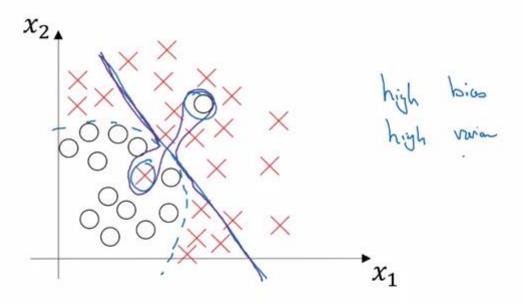
Bias/Variance

Bias and Variance



Bias and Variance 4=1 5-0 Cat classification Train set error: | 1./. | 15./. | 15./. | 15./. | 15./. | 15./. | 16./. | 30./. | 16./. | 30./. | 16./. | 4 high vorone high bias | 4 high vorone | 4 high vor G.S.1.

High bias and high variance

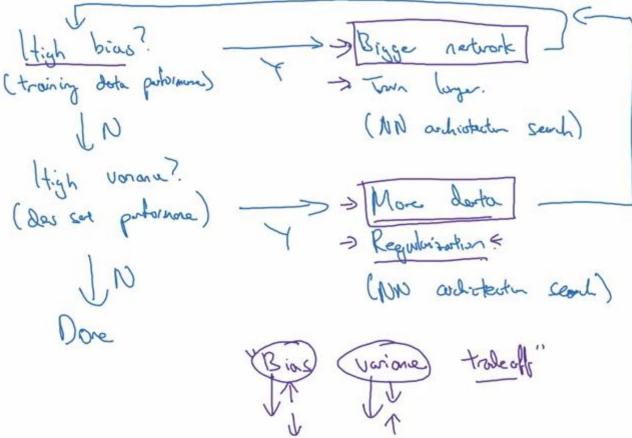




Setting up your ML application

Basic "recipe" for machine learning

Basic recipe for machine learning





Regularizing your neural network

Regularization

Logistic regression

$$\min_{w,b} J(w,b)$$

$$\lim_{w,b} J(w,b)$$

$$\lim_{w,b} J(w,b) = \lim_{x \to \infty} \int_{\mathbb{R}^{n}} \int_$$

Neural network

Neural network

$$J(\omega^{r0}, b^{r0}, ..., \omega^{r0}, b^{r0}) = \frac{1}{m} \sum_{i=1}^{m} f(y^{i}, y^{i}) + \frac{\lambda}{2m} \sum_{k=1}^{m} ||\omega^{rk}||_{E}^{2k}$$

$$||\omega^{rk}||_{E}^{2k} = \sum_{i=1}^{m} \sum_{j=1}^{m} (\omega^{rk})^{2k} \qquad \qquad (\sum_{i=1}^{m} \sum_{j=1}^{m} (\omega^{rk})^{2k})^{2k}$$

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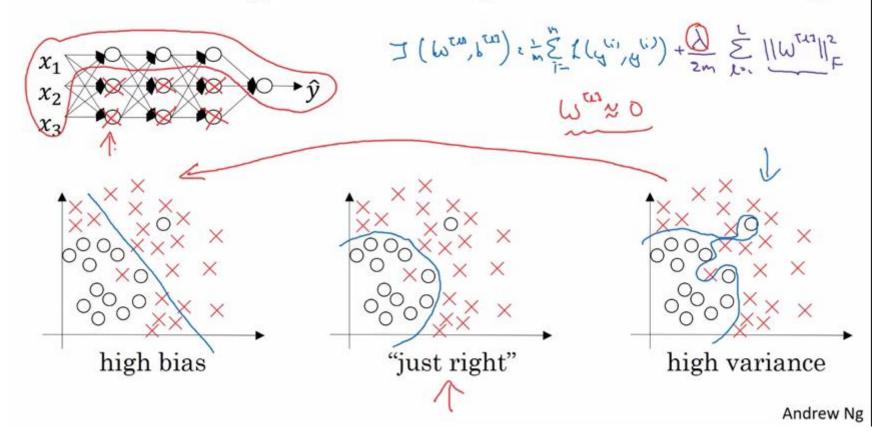
$$||\omega^{rk}||_{E}^{2k} = \sum_{i=1}^{m} \sum_{j=1}^{m} (\omega^{rk})^{2k} \qquad \qquad (\sum_{i=1}^{m} \sum_{j=1}^{m} \omega^{rk})^{2k} \qquad \qquad (\sum_{i=1}^{m} \omega^{rk})^{2k} \qquad \qquad (\sum_{i=1}^{m} \sum_{j=1}^{m} \omega^{rk})^{2k} \qquad \qquad (\sum_{i=1}^{m} \omega^{rk})^$$



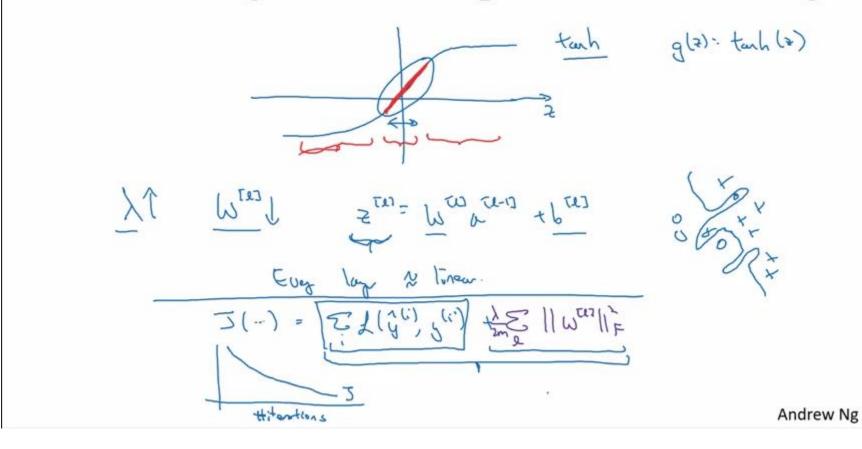
Regularizing your neural network

Why regularization reduces overfitting

How does regularization prevent overfitting?



How does regularization prevent overfitting?

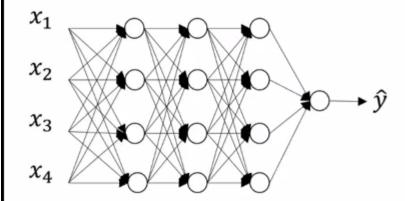


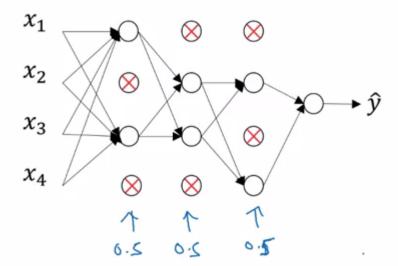


Regularizing your neural network

Dropout regularization

Dropout regularization





Implementing dropout ("Inverted dropout")

Illustre with lays
$$l=3$$
. teep-prob= 0.8
 $\Rightarrow l3$ = np. rondom. rond (a3. shape $l0.3$, a3. shape $l0.3$) < teep-prob

 $a3 = np.$ multiply (a2, d3) # a3 # = d3.

 $\Rightarrow l0$ units shut off

 $2^{t43} = W^{t43}$, $a3 + b^{t43}$
 $2^{t43} = W^{t43}$, $a3 + b^{t43}$
 $a3 + b^{$

Making predictions at test time

$$\frac{No \quad dop \quad out.}{\sqrt{2^{x_0}} = \sqrt{2^{x_0}} \sqrt{2^{x_0}}}$$

$$\frac{No \quad dop \quad out.}{\sqrt{2^{x_0}} = \sqrt{2^{x_0}} \sqrt{2^{x_0}}}$$

$$\frac{2^{x_0}}{\sqrt{2^{x_0}}} = \sqrt{2^{x_0}} \sqrt{2^{x_0}}$$

Andrew Ng

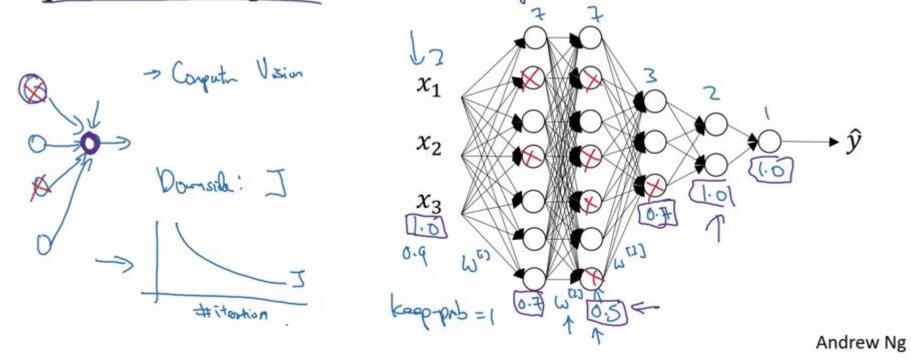


Regularizing your neural network

Understanding dropout

Why does drop-out work?

Intuition: Can't rely on any one feature, so have to spread out weights. Shrink weights.

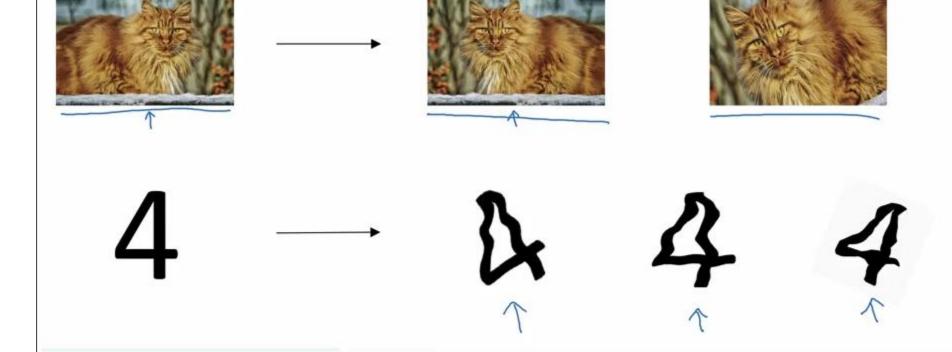




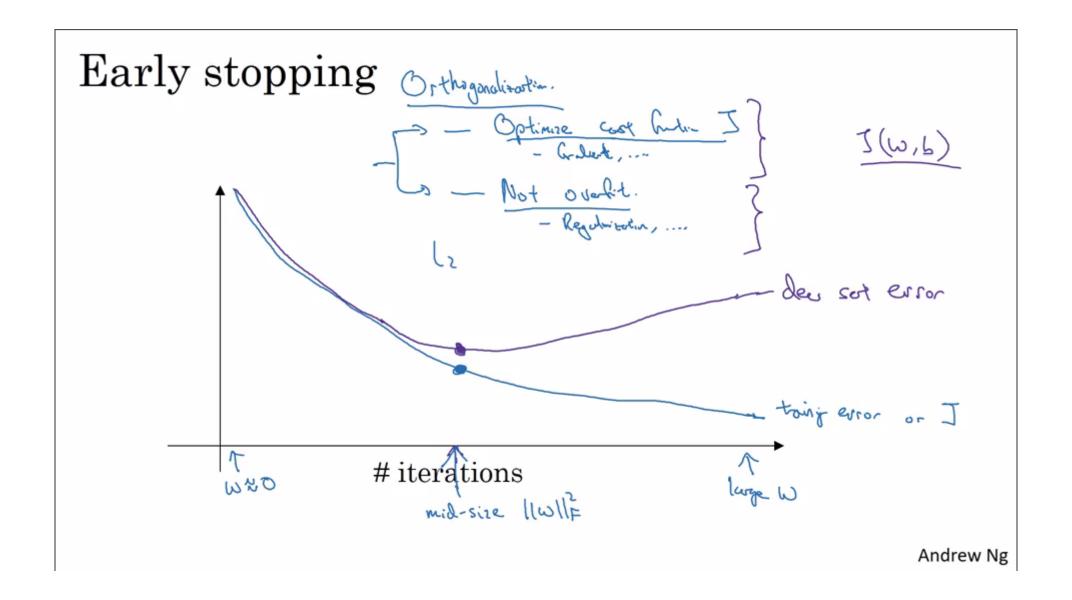
Regularizing your neural network

Other regularization methods

Data augmentation



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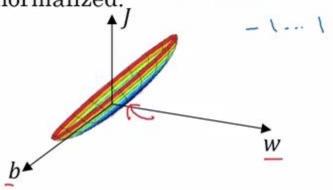
Setting up your optimization problem

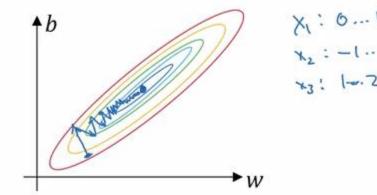
Normalizing inputs

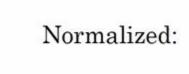
Normalizing training sets X= [x2] x_1 Andrew Ng

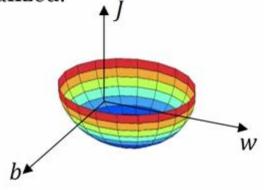
Why normalize inputs?
$$J(w,b) = \frac{1}{m} \sum_{i=1}^{m} \mathcal{L}(\hat{y}^{(i)}, y^{(i)})$$

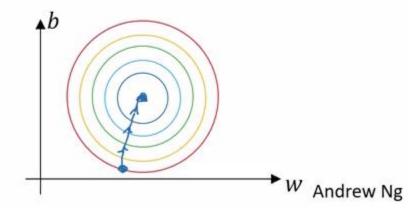
Unnormalized:







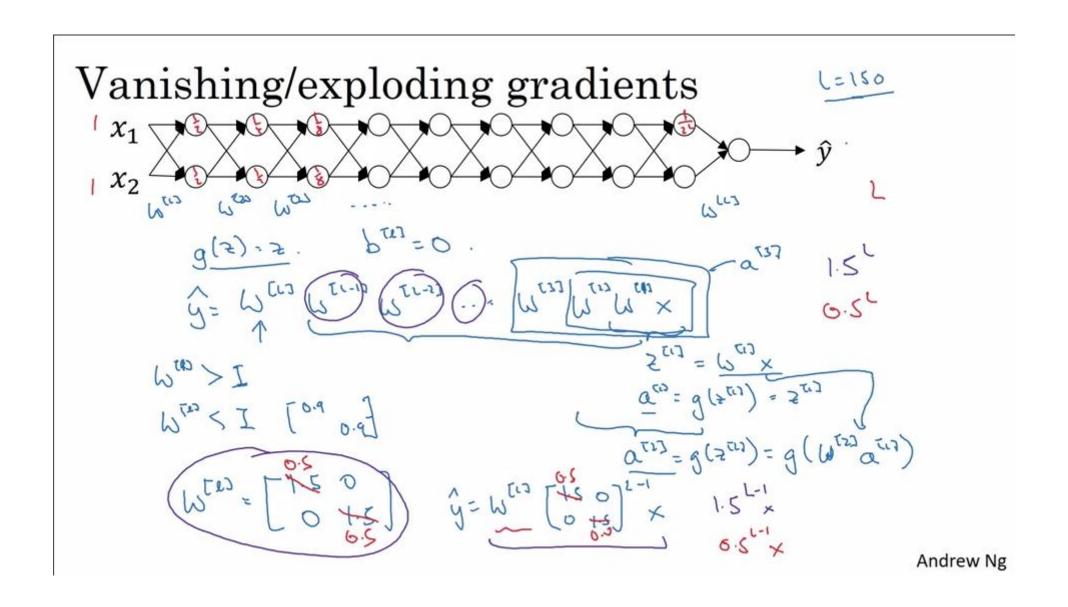






Setting up your optimization problem

Vanishing/exploding gradients

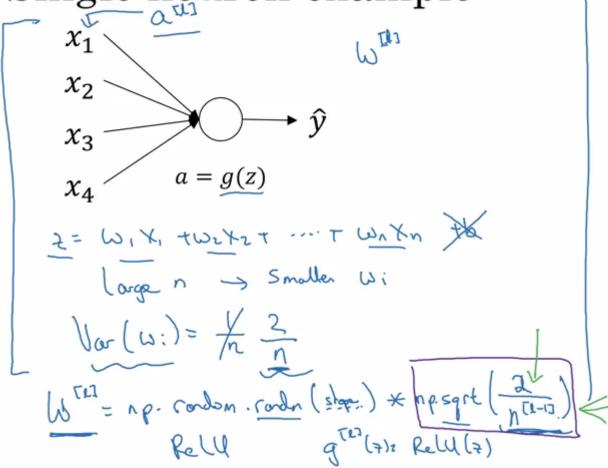


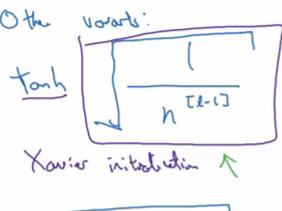


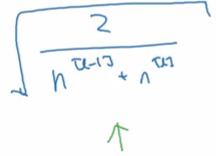
Setting up your optimization problem

Weight initialization for deep networks

Single neuron example





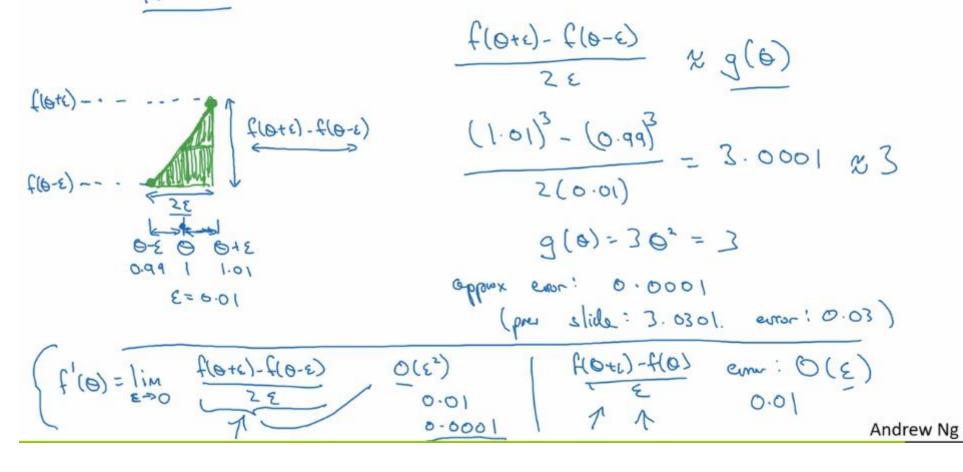




Setting up your optimization problem

Numerical approximation of gradients

Checking your derivative computation 云课堂





Setting up your optimization problem

Gradient Checking

Gradient check for a neural network

Take $W^{[1]}$, $b^{[1]}$, ..., $W^{[L]}$, $b^{[L]}$ and reshape into a big vector θ .

Take $dW^{[1]}$, $db^{[1]}$, ..., $dW^{[L]}$, $db^{[L]}$ and reshape into a big vector $d\theta$.

Is do the gradet of I(0)

Gradient checking (Grad check) 7 (6) = 3 (0,00)

Check
$$\frac{\|\Delta\Theta_{appar} - do\|_2}{\|\Delta\Theta_{appar}\|_2 + \|d\Theta\|_2}$$
 $\chi = \frac{\|\sigma^{-7} - great\|}{\|\sigma^{-5}\|_2 + \|\sigma^{-7}\|_2}$ $\chi = \frac{\|\sigma^{-7} - great\|}{\|\sigma^{-5}\|_2 + \|\sigma^{-7}\|_2}$



Setting up your optimization problem

Gradient Checking implementation notes

Gradient checking implementation notes

- Don't use in training - only to debug

- If algorithm fails grad check, look at components to try to identify bug.

- Remember regularization.
- I(0) = # & f (gu, vi) + 1 = | wit. 0
- Doesn't work with dropout.
- Run at random initialization; perhaps again after some training.