

# National University of Computer and Emerging Sciences (Lahore Campus)

## Quiz 6: Link Layer (Chapter 6)

Name: \_\_\_\_\_

Roll No: \_\_\_\_\_

Section: BSE-6B1 (Spring 2026)

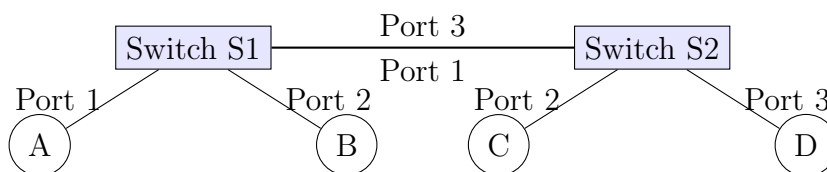
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### 1. (5 points) Switch Tables

Consider the switched LAN topology shown below. The switch tables are initially empty. The following sequence of frame transmissions occurs:

1. Node A sends a frame to Node D.
2. Node D replies with a frame to Node A.
3. Node C sends a frame to Node D.

Show the state of the Switching Table for **\*\*Switch S2\*\*** after these three events. Format: (MAC Address, Interface). Also, show the same for **\*\*Switch S1\*\***.



### Solution:

#### • Switch S1 Table:

MAC Address	Interface
A	Port 1
D	Port 3

*Note: S1 learns A from step 1. S1 learns D from step 2. S1 never sees the frame from C (step 3) because S2 knows D is on Port 3 and does not flood the frame back to S1.*

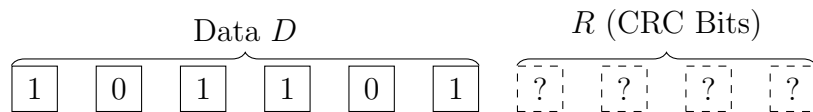
#### • Switch S2 Table:

MAC Address	Interface
A	Port 1
D	Port 3
C	Port 2

*Note: S2 learns A from step 1 (incoming on Port 1). S2 learns D from step 2 (incoming on Port 3). S2 learns C from step 3 (incoming on Port 2).*

## 2. (10 points) Cyclic Redundancy Check (CRC) and Burst Errors

Consider a data transmission scenario using a CRC generator polynomial  $G(x) = x^4 + x + 1$ . The data string to be transmitted is  $D = 101101$ .



1. Analytically calculate the 4-bit CRC remainder  $R$ . Show the long division in binary modulo-2 arithmetic. What is the actual bit-string transmitted by sender?
2. A "burst error" of length  $k$  is a contiguous sequence of bits in which the first and last bits are errors, and the intermediate bits may or may not be errors. Can this specific generator  $G(x)$  can detect **all** burst errors of length  $k = 3$ . Give reason?
3. Suppose a burst error occurs during transmission such that the received bit string has the 3rd and 4th bits (counting from the left, 1-based index) inverted. Does the receiver accept or reject this frame?

### Solution:

#### 1. CRC Calculation:

- Generator  $G(x) = x^4 + x + 1 \Rightarrow$  **10011** (5 bits).
- Data  $D = 101101$ . Append 4 zeros: **1011010000**.
- Perform Binary Division (XOR):

```

      101101
10011 ) 1011010000
      10011
      ----
        01011
        00000
        ----
          10110
          10011
          ----
            01010
            00000
            ----
              10100
              10011
              ----
                01110
                00000
                ----
                  1110  <-- Remainder (R)
  
```

The remainder  $R$  is **1110**.

The transmitted string is **1011011110**.

#### 2. Burst Error Detection:

Yes. A generator polynomial of degree  $r$  (here  $r = 4$ ) detects **all** burst errors of length  $k \leq r$ . Since the burst length  $k = 3$  and  $3 \leq 4$ , this error is guaranteed to be detected.

### 3. Receiver Check:

The 3rd and 4th bits are inverted.

Original Transmitted: 10**11**011110

Received Frame: 10**00**011110

Performing the division of 1000011110 by 10011:

$1000011110 \div 10011$  yields a remainder of **1011**.

Since the remainder is non-zero ( $\neq 0000$ ), the receiver **rejects** the frame.