



Vishnu Waman Thakur Charitable Trust's

VIVA INSTITUTE OF TECHNOLOGY

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INDEX

Subject: AIML Lab

Course Code: MCAL21

Class/Sem: MCA SEM-II (Batch-2)

Faculty Name: Prof. Sonia Dubey

Sr. No.	Experiment List	Signature
1.	Introduction to SWI-PROLOG Programming with help of simple Programs and demonstration of Rules, Facts & Relationship.	
2.	Solve Water-Jug Problem Using DFS.	
3.	Design Tic Tac Toe Using BFS.	
4.	Design Hill-climbing algorithm to solve 8- Puzzle Problem.	
5.	Introduction to Python Programming: ➤ Study of Numpy, Scipy library and matplotlib library ➤ Study of Pandas library.	
6.	Implementation of Linear Regression: ➤ Read data using .csv File and Implement the parametric Regression algorithm in order to find the best fit straight line. ➤ Read data using .csv File and Implement the parametric Regression algorithm in order to find ROC. ➤ Write a program to implement k-Nearest Neighbour algorithm to classify the iris data set. Print both correct and wrong predictions.	
7.	Implementation of Dimensionality reduction techniques: - ➤ Write a Program to demonstrate dimensionality reduction techniques (feature Selection, feature extraction) Using PCA.	

8.	<p>Implementation of Clustering algorithms:</p> <ul style="list-style-type: none"> ➤ Write a program to implement classification of iris dataset using K Means clustering algorithm with K=3. ➤ write a program to demonstrate K-medoid (PAM) Algorithm with K=3. 	
9.	<p>Implementation of classifying data using Support Vector machine:</p> <ul style="list-style-type: none"> ➤ Write a program to find Hyperplane using Linear SVM for iris dataset. ➤ Write a program to demonstrate non-linear SVM with any one Sklearn dataset. 	
10.	<p>Implementation of Bagging Algorithm:</p> <ul style="list-style-type: none"> ➤ Write a program to implement decision tree for iris dataset and plot the same. ➤ Write a program to demonstrate Random forest by using the concept of combination of fast and slow oscillation with regression. ➤ Write a program for classification of digits using Random forest. 	
11.	<p>Implementation of Boosting Algorithm:</p> <ul style="list-style-type: none"> ➤ Write a program to demonstrate the concept of AdaBoost using toy dataset. ➤ Write a program to demonstrate the AdaBoost algorithm with Decision Tree as Weak Classifier and present Classification score. ➤ Write a program to demonstrate Gradient Descent Algorithm. 	
12.	<p>Deployment of Machine Learning Models:</p> <ul style="list-style-type: none"> ➤ Create Web API to predict the salary of new join employee in an organization using Regression Classifier. ➤ Create Web API to make predictions about Flowers using iris dataset and logistic regression classifier. 	

Practical No: 1

1. Aim: Introduction to SWI- PROLOG Programming with the help of simple program.

2.Objectives:

- Understand logical programming syntax and semantics
- Design programs in PROLOG language

3.Software Required: SWI-Prolog

4.Theory:

Prolog is a general-purpose logic programming language associated with artificial intelligence and computational linguistics. Prolog has its roots in first-order logic, a formal logic, and unlike many other programming languages, Prolog is declarative: the program logic is expressed in terms of relations, represented as facts and rules. A computation is initiated by running a query over these relations. Prolog is well-suited for specific tasks that benefit from rule-based logical queries such as searching databases, voice control systems, and filling templates.

Rules and facts:

Prolog programs describe relations, defined by means of clauses. Pure Prolog is restricted to Horn clauses.

There are two types of clauses: facts and rules.

A rule is of the form

Head:- Body.

and is read as "Head is true if Body is true". A rule's body consists of calls to predicates, which are called the rule's goals. The built-in predicate, /2 (meaning a 2arity operator with name,) denotes conjunction of goals, and; /2 denotes disjunction.

Conjunctions and disjunctions can only appear in the body, not in the head of a rule.

Clauses with empty bodies are called facts. An example of a fact is:

cat (tom).

which is equivalent to the rule:

cat(tom) :- true.

The built-in predicate true/0 is always true.

Given the above fact, one can ask:

is tom a cat?

?- cat(tom). Yes

what things are

cats?

? - cat(X).

X = tom

Clauses with bodies are called rules. An example of a rule is: animal(X) :- cat(X).

If we add that rule and ask what things are animals?

?- animal(X).

X = tom

Prolog must be able to handle arithmetic in order to be a useful general purpose programming language. However, arithmetic does not fit nicely into the logical scheme of things. That is, the concept of evaluating an arithmetic expression is in contrast to the straight pattern matching we have seen so far. For this reason, Prolog provides the built-in predicate 'is' that evaluates arithmetic expressions. Its syntax calls for the use of operators.

X is <arithmetic expression>

The variable X is set to the value of the arithmetic expression. On backtracking it is unassigned. The variable X is set to the value of the arithmetic expression. On backtracking it is unassigned. The arithmetic expression looks like an arithmetic expression in any other programming language.

Here is how to use Prolog as a calculator.

?- X is 2 + 2.

X = 4

?- X is 3 * 4 + 2.

X = 14

Parentheses clarify precedence.

?- X is 3 * (4 + 2).

X = 18

?- X is (8 / 4) / 2.

X = 1

In addition to 'is,' Prolog provides a number of operators that compare two numbers. These include 'greater than', 'less than', 'greater or equal than', and 'less or equal than.' They behave more logically, and succeed or fail according to whether the comparison is true or false. Notice the order of the symbols in the greater or equal than and less than or equal operators. They are specifically constructed not to look like an arrow, so that the use arrow symbols in programs is without confusion.

X > Y

X < Y

X >= Y

X = < Y

5. Procedure/ Program:**1 (A). Sample program to demonstrate Rules and facts.****Code:**

```
likes(ram,mango).
```

```
girl(seema).
```

```
red(rose).
```

```
likes(dolly,candy).
```

```
owns(john,gold).
```

Output:

```
SWI-Prolog -- d:/59-Prolog (AI and ML)/Prolog/First.pl
File Edit Settings Run Debug Help
Warning: d:/59-prolog (ai and ml)/prolog/first.pl:4:
Clauses of likes/2 are not together in the source-file
Earlier definition at d:/59-prolog (ai and ml)/prolog/first.pl:1
Current predicate: red/1
Use :- discontiguous likes/2, to suppress this message
Welcome to SWI-Prolog (AI and ML) version 7.6.4)
SWI-Prolog comes with ABSOLUTELY NO WARRANTY. This is free software.
Please run ?- license for legal details.

For online help and background visit http://www.swi-prolog.org
For Built-in help, use ?- help(Topic). or ?- apropos(Word).

?- likes(ram,mango).
true.
?- likes(ram,apple).
false.
?- girl(seema).
true.
?- red(rose).
true.
?- likes(dolly,candy).
true.
?- owns(john,gold).
true.
?- likes(ram,What).
What = mango.

?- likes(Who,candy).
Who = dolly.

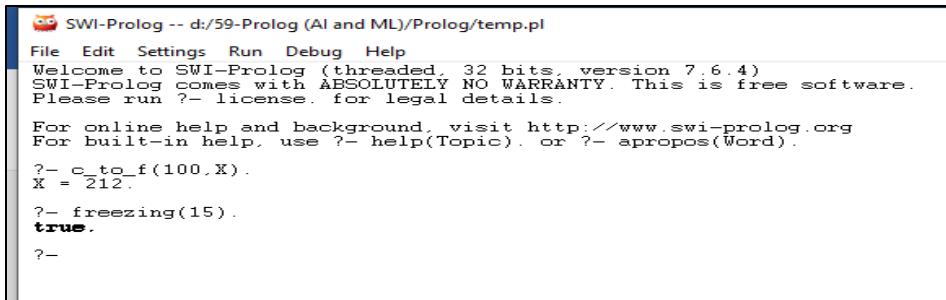
?- red(What).
What = rose.
?- girl(Who).
Who = seema.
```

1(B). Sample program to demonstrate the relationship in prolog.**Code:**

```
c_to_f(C, F):-
```

```
F is C * 9/5 +32.
```

```
freezing(F):- F=<32.
```

Output:


```

SWI-Prolog -- d:/59-Prolog (AI and ML)/Prolog/temp.pl
File Edit Settings Run Debug Help
Welcome to SWI-Prolog (threaded, 32 bits, version 7.6.4)
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For online help and background, visit http://www.swi-prolog.org
For built-in help, use ?- help(Topic). or ?- apropos(Word).

?- c_to_f(100,X).
X = 212.

?- freezing(15).
true.

?-

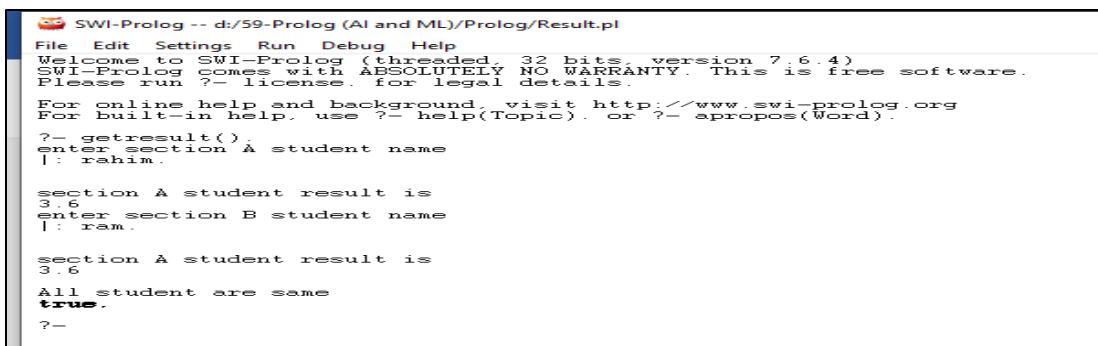
```

1.(C) Sample program to demonstrate the user-defined relationship in prolog.**Code:**

```

% section A
result(rahim,3.6).
result(ajay,3.7).
result(priya,2.8).
result(rahul,3.9).
result(kim,3.10).
% section B
result(sam,4.0).
result(vickey,3.9).
result(priyanka,3.8).
result(ram,3.6).
result(kunal,3.0).
getresult:-
write("enter section A student name"),nl,
read(X),nl,
result(X,Y),nl,
write("section A student result is"),nl,
write(Y),nl,
write("enter section B student name"),nl,
read(P),nl,
result(P,Q),nl,
write("section B student result is"),nl,
write(Q),nl,
compare(Y,Q).
compare(Y,Q):-
Y>Q,nl,
write("section A student is best");
Y<Q,nl,
write("section B student is best");
Y==Q,nl,
write("all students are same")

```

Output:


```

SWI-Prolog -- d:/59-Prolog (AI and ML)/Prolog/Result.pl
File Edit Settings Run Debug Help
Welcome to SWI-Prolog (threaded, 32 bits, version 7.6.4)
SWI-Prolog comes with ABSOLUTELY NO WARRANTY. This is free software.
Please run ?- license. for legal details.

For online help and background, visit http://www.swi-prolog.org
For built-in help, use ?- help(Topic). or ?- apropos(Word).

?- getresult().
enter section A student name
|: rahim.

section A student result is
3.6
enter section B student name
|: ram.

section A student result is
3.6
All student are same
true.

?-

```

1.(D) Sample program to demonstrate the user-defined relationship in prolog.

Code:

```

in_room(bananas).                                in_room(X),
in_room(chair).                                 in_room(Y),
in_room(monkey).                               in_room(Z),
clever(monkey).                                can_y,
can_climb(monkey,chair).                      in_room(Z),
tall(chair).                                   can_climb(X<Y<Z).
can_move(monkey,chair,bananas).                 close(X,Y):-
can_reach(X,Y):-                                get_on(X,Y),
clever(X).                                     under(Y,Z);
close(X,Y).                                    Tall(Y).
under(Y,Z)"-

```

Output:

```

SWI-Prolog -- d:/59-Prolog (AI and ML)/Prolog/monkeybanana.pl
File Edit Settings Run Debug Help
Warning: d:/59-prolog (ai and ml)/prolog/monkeybanana.pl:8:
Singleton variables: [Y]
Warning: d:/59-prolog (ai and ml)/prolog/monkeybanana.pl:10:
Singleton variables: [X,Y]
ERROR: d:/59-prolog (ai and ml)/prolog/monkeybanana.pl:10:
No sensible choice for most static procedure close/2
ERROR: d:/59-prolog (ai and ml)/prolog/monkeybanana.pl:11:1: Syntax error: End of file in quoted string
Welcome to SWI-Prolog (threaded, 32 bits, version 7.6.4)
SWI-Prolog comes with ABSOLUTELY NO WARRANTY. This is free software.
Please run ?- license/0 for legal details.

For online help and background, visit http://www.swi-prolog.org
For built-in help, use ?- help(Topic). or ?- apropos(Word).

?- can_reach(A,B).
A = monkey.
?- B=banana.
B = banana.
?- can_reach(monkey,banana).
true.
?- can_reach(banana,monkey).
false.
?- ■

```

Conclusion:

Demonstration and implementation of rules and facts, relationship is done using SWI-Prolog software. Semantics and syntax of prolog language is well understood. Logical programming concepts required to execute artificial intelligence problems are well understood.

Practical : 2

Water Jug Problem Using DFS

1.Aim: Solve Water-Jug Problem Using DFS.

2.Objectives:

- Understand DFS (State space search) & Water-Jug Problem.
- Solve Water-Jug Problem using DFS in PROLOG language

3. Software Required: SWI-Prolog

4.Theory:

- Depth- First- Search: -

We may sometimes search the goal along the largest depth of the tree, and move up only when further traversal along the depth is not possible. We then attempt to find alternative offspring of the parent of the node (state) last visited. If we visit the nodes of a tree using the above principles to search the goal, the traversal made is called depth first traversal and consequently the search strategy is called depth first search.

- Algorithm:

1. Create a variable called NODE-LIST and set it to initial state
2. Until a goal state is found or NODE-LIST is empty do
 - a. Remove the first element from NODE-LIST and call it E.
If NODE-LIST was empty, quit.
 - b. For each way that each rule can match the state described in E do:
 - c. I. Apply the rule to generate a new state
 - II. If the new state is a goal state, quit and return this state
 - III. Otherwise, add the new state in front of NODE-LIST

- Water-Jug Problem

This is the jug problem using simple depth-first search of a graph. The modified water-jug problem is as follows: Jug A holds 4 liters, and jug B holds 3 liters. There is a pump, which can be used to fill either Jug. How can you get exactly 2 liters of water into the 4-liter jug?

- Assumptions:

We can fill a jug from the pump

We can pour water out of the jug onto the ground

We can pour water from one jug to another

There are no other measuring devices available

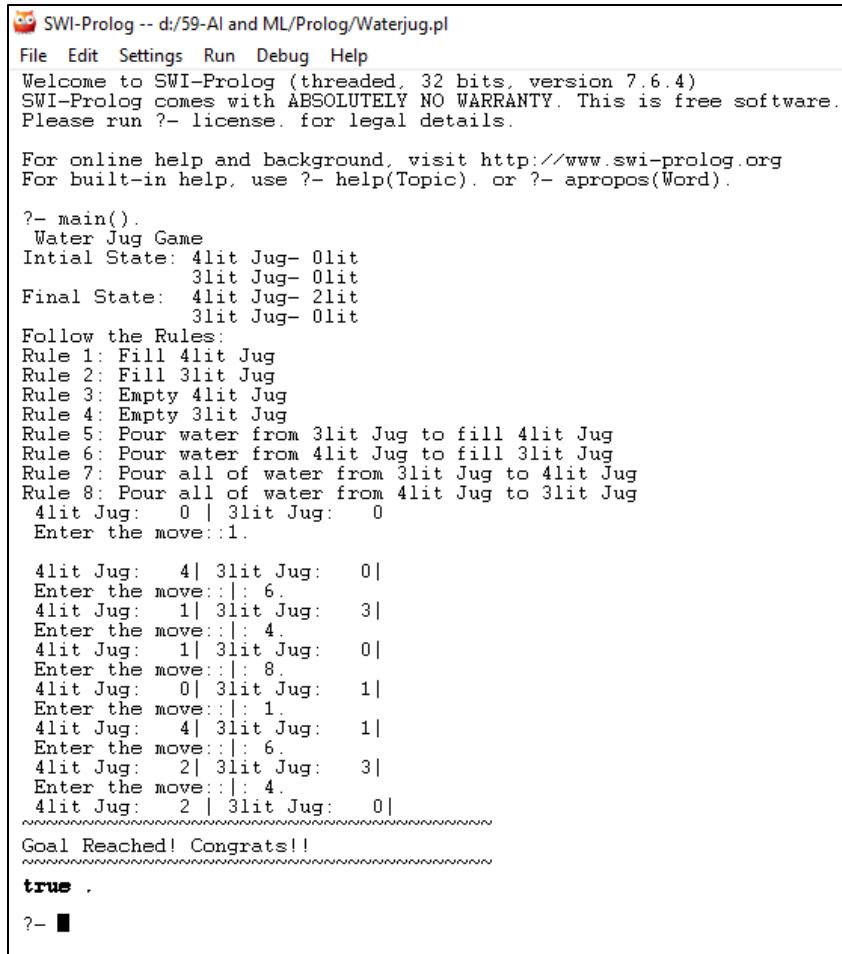
To solve the water jug problem, apart from problem statement we also need a control structure that loops through a simple cycle in which some rule whose left side matches the current state is chosen, the appropriate change to state is made as described in corresponding


```
write('Rule 7: Pour all of water from
3lit Jug to 4lit Jug\n'),
```

```
write('Rule 8: Pour all of water from
4lit Jug to 3lit Jug\n'),
```

```
write(' 4lit Jug: 0 | 3lit Jug: 0'),nl,
write(' Enter the move::'),
read(N),nl,
contains(0,0,N).
```

7.Output:



The screenshot shows the SWI-Prolog interface running a program named Waterjug.pl. The interface includes a menu bar (File, Edit, Settings, Run, Debug, Help) and a welcome message about the software's version and license. The main window displays the logic steps of the Water Jug Game, starting from an initial state of 4lit Jug: 4| 3lit Jug: 0| and progressing through various moves (Fill, Pour, Empty) until it reaches the goal state of 4lit Jug: 2| 3lit Jug: 0|. The final output is 'Goal Reached! Congrats!!' followed by 'true .' and a final command prompt '?'.

```
owl SWI-Prolog -- d:/59-AI and ML/Prolog/Waterjug.pl
File Edit Settings Run Debug Help
Welcome to SWI-Prolog (threaded, 32 bits, version 7.6.4)
SWI-Prolog comes with ABSOLUTELY NO WARRANTY. This is free software.
Please run ?- license. for legal details.

For online help and background, visit http://www.swi-prolog.org
For built-in help, use ?- help(Topic). or ?- apropos(Word).

?- main().
Water Jug Game
Initial State: 4lit Jug- 0lit
               3lit Jug- 0lit
Final State: 4lit Jug- 2lit
               3lit Jug- 0lit
Follow the Rules:
Rule 1: Fill 4lit Jug
Rule 2: Fill 3lit Jug
Rule 3: Empty 4lit Jug
Rule 4: Empty 3lit Jug
Rule 5: Pour water from 3lit Jug to fill 4lit Jug
Rule 6: Pour water from 4lit Jug to fill 3lit Jug
Rule 7: Pour all of water from 3lit Jug to 4lit Jug
Rule 8: Pour all of water from 4lit Jug to 3lit Jug
4lit Jug: 0 | 3lit Jug: 0
Enter the move::1.

4lit Jug: 4| 3lit Jug: 0|
Enter the move::|: 6.
4lit Jug: 1| 3lit Jug: 3|
Enter the move::|: 4.
4lit Jug: 1| 3lit Jug: 0|
Enter the move::|: 8.
4lit Jug: 0| 3lit Jug: 1|
Enter the move::|: 1.
4lit Jug: 4| 3lit Jug: 1|
Enter the move::|: 6.
4lit Jug: 2| 3lit Jug: 3|
Enter the move::|: 4.
4lit Jug: 2 | 3lit Jug: 0|
~~~~~Goal Reached! Congrats!!
~~~~~
true .
?- ■
```

8.Conclusion:

In state space problems, the problem consists of four components: initial state, a set of actions, a goal test function and a path cost function is analyzed. The environment of the problem is represented by a state space and the path from initial state to goal state is been analyzed.

Practical No. 3

Tac Toe Using BFS

1. Aim: Design Tic Tac Toe Using BFS.

2. Objectives:

- Understand and implement the BFS algorithm.
- Understand gaming using BFS in Prolog Language.

3. Software Required: SWI-Prolog

4. Theory:

- **Breadth-first search**

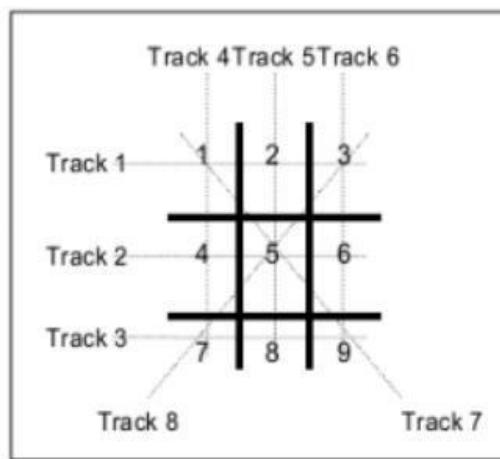
Breadth-first search is a simple strategy in which the root node is expanded first, then all the successors of the root node are expanded next, then their successors, and so on.

- Breadth-first search can be implemented by calling TREE-SEARCH with an empty fringe that is a first-in-first-out (FIFO) queue, assuring that the nodes that are visited first will be expanded first.
- It uses two queues for its implementation: open, close Queue ➤ Children are added from backend of queue.

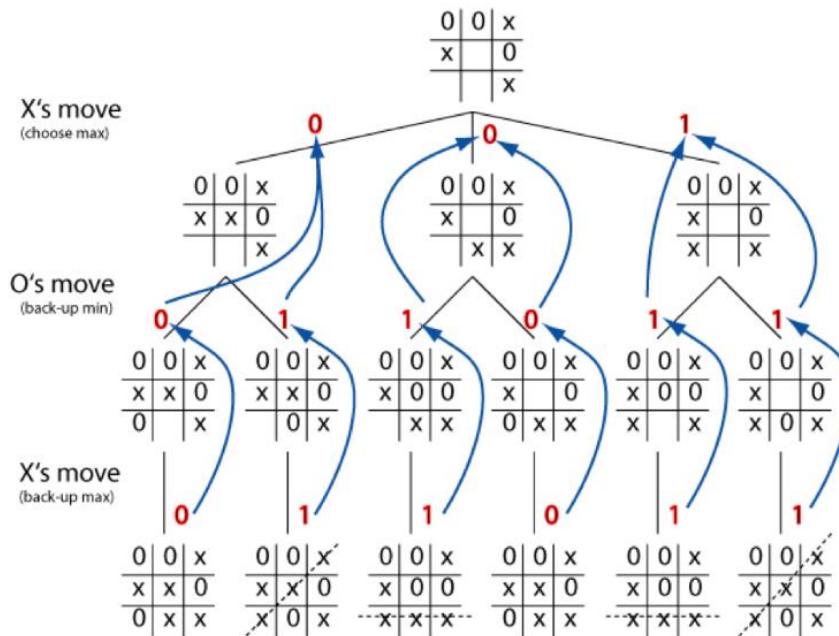
Algorithm

1. Create a single member queue comprising of root node.
2. If 1st Member of Queue is GOAL then goto Step 5.
3. If the first member of queue is not GOAL then remove it and add to CLOSE or Visited Queue. Consider its Children/ successor, if any add them from BACK/REAR [FIFO]
4. If queue is not empty then goto Step 2, If queue is empty then goto Step 6
5. Print “SUCCESS” and stop.
6. Print “FAILURE” and stop.

A Formal Definition of the Tic Tac Toe Game:



The board used to play the Tic-Tac-Toe game consists of 9 cells laid out in the form of a 3x3 matrix . The game is played by 2 players and either of them can start. Each of the two players is assigned a unique symbol (generally 0 and X). Each player alternately gets a turn to make a move. Making a move is compulsory and cannot be deferred. In each move a player places the symbol assigned to him/her in a hitherto blank cell. Let a track be defined as any row, column or diagonal on the board. Since the board is a square matrix with 9 cells, all rows, columns and diagonals have exactly 3 cells. It can be easily observed that there are 3 rows, 3 columns and 2 diagonals, and hence a total of 8 tracks on the board (Fig. 1). The goal of the game is to fill all the three cells of any track on the board with the symbol assigned to one before the opponent does the same with the symbol assigned to him/her. At any point of the game, if there exists a track whose all three cells have been marked by the same symbol, then the player to whom that symbol have been assigned wins and the game terminates. If there exist no track whose cells have been marked by the same symbol when there is no more blank cell on the board then the game is drawn. Let the priority of a cell be defined as the number of tracks passing through it. The priorities of the nine cells on the board according to this definition are tabulated in Table 1. Alternatively, let the priority of a track be defined as the sum of the priorities of its three cells. The priorities of the eight tracks on the board according to this definition are tabulated in Table 2. The prioritization of the cells and the tracks lays the foundation of the heuristics to be used in this study. These heuristics are somewhat similar to those proposed by Rich and Knight.



5.Code:

```

play :- my_turn([]).

my_turn(Game) :-
    valid_moves(ValidMoves, Game, o),
    any_valid_moves(ValidMoves, Game).

any_valid_moves([], _) :-
    write('It is a tie'), nl.
any_valid_moves([_|_], Game) :-
    findall(NextMove, game_analysis(x, Game,
    NextMove), MyMoves),
    do_a_decision(MyMoves, Game).

% This can only fail in the beginning.
do_a_decision(MyMoves, Game) :-
    not(MyMoves = []),
    length(MyMoves, MaxMove),
    random(0, MaxMove, ChosenMove),
    nth0(ChosenMove, MyMoves, X),
    NextGame = [X | Game],
    print_game(NextGame),
    (victory_condition(x, NextGame) ->
        (write('I won. You lose.'), nl);
        your_turn(NextGame), !).

your_turn(Game) :-

valid_moves(ValidMoves, Game, o),
(ValidMoves = [] -> (write('It is a tie'), nl);
(write('Available moves:'),
write(ValidMoves), nl,
ask_move(Y, ValidMoves),
NextGame = [Y | Game],
(victory_condition(o, NextGame) ->
(write('I lose. You win.'), nl);
my_turn(NextGame), !))).

ask_move(Move, ValidMoves) :-
    write('Give your move:'), nl,
    read(Move), member(Move, ValidMoves), !.

ask_move(Y, ValidMoves) :-
    write('not a move'), nl,
    ask_move(Y, ValidMoves).

movement_prompt(X, Y, ValidMoves) :-
    write('Give your X:'), nl, read(X),
    member(move(o, X, Y), ValidMoves), !,
    write('Give your Y:'), nl, read(Y),
    member(move(o, X, Y), ValidMoves).

% A routine for printing games.. Well you can
use it.

```

```

print_game(Game) :-
    plot_row(0, Game), plot_row(1, Game),
    plot_row(2, Game).

plot_row(Y, Game) :-
    plot(Game, 0, Y), plot(Game, 1, Y), plot(Game,
2, Y), nl.

plot(Game, X, Y) :-
    (member(move(P, X, Y), Game), ground(P)) ->
    write(P) ; write('.').

% This system determines whether there's a
perfect play available.

game_analysis(_, Game, _) :-
    victory_condition(Winner, Game),
    Winner = x. % We do not want to lose.
    % Winner = o. % We do not want to win.
    % (egostroking mode).
    % true. % If you remove this constraint
entirely, it may let you win.

game_analysis(Turn, Game, NextMove) :-
    not(victory_condition(_ Game)),
    game_analysis_continue(Turn, Game,
NextMove).

game_analysis_continue(Turn, Game,
NextMove) :-
    valid_moves(Moves, Game, Turn),
    game_analysis_search(Moves, Turn, Game,
NextMove).

% Comment these away and the system refuses
to play,
% because there are no ways to play this
without a possibility of tie.

game_analysis_search([], o, _, _). % Tie on
opponent's turn.

game_analysis_search([], x, _, _). % Tie on our
turn.

game_analysis_search([X|Z], o, Game,
NextMove) :- % Whatever opponent does,
    NextGame = [X | Game], % we
desire not to lose.
    game_analysis_search(Z, o, Game,
NextMove),
    game_analysis(x, NextGame, _, !).

```

```

game_analysis_search(Moves, x, Game,
NextMove) :-
    game_analysis_search_x(Moves, Game,
NextMove).

game_analysis_search_x([X|_], Game, X) :- % NextGame = [X | Game],
    game_analysis(o, NextGame, _).

game_analysis_search_x([_|Z], Game,
NextMove) :-
    game_analysis_search_x(Z, Game,
NextMove).

% This thing describes all kinds of valid games.

valid_game(Turn, Game, LastGame, Result) :-
    victory_condition(Winner, Game) ->
    (Game = LastGame, Result = win(Winner)) ;
    valid_continuing_game(Turn, Game,
LastGame, Result).

valid_continuing_game(Turn, Game, LastGame,
Result) :-
    valid_moves(Moves, Game, Turn),
    tie_or_next_game(Moves, Turn, Game,
LastGame, Result).

tie_or_next_game([], _, Game, Game, tie).
tie_or_next_game(Moves, Turn, Game,
LastGame, Result) :-
    valid_gameplay_move(Moves, NextGame,
Game),
    opponent(Turn, NextTurn),
    valid_game(NextTurn, NextGame, LastGame,
Result).

% Victory conditions for tic tac toe.

victory(P, Game, Begin) :-
    valid_gameplay(Game, Begin),
    victory_condition(P, Game).

victory_condition(P, Game) :-
    (X = 0; X = 1; X = 2),
    member(move(P, X, 0), Game),
    member(move(P, X, 1), Game),
    member(move(P, X, 2), Game).

victory_condition(P, Game) :-

```

```

(Y = 0; Y = 1; Y = 2),
member(move(P, 0, Y), Game),
member(move(P, 1, Y), Game),
member(move(P, 2, Y), Game).

victory_condition(P, Game) :-
    member(move(P, 0, 2), Game),
    member(move(P, 1, 1), Game),
    member(move(P, 2, 0), Game).

victory_condition(P, Game) :-
    member(move(P, 0, 0), Game),
    member(move(P, 1, 1), Game),
    member(move(P, 2, 2), Game).

% This describes a valid form of gameplay.
% Which player did the move is disregarded.
valid_gameplay(Start, Start).

valid_gameplay(Game, Start) :-
    valid_gameplay(PreviousGame, Start),
    valid_moves(Moves, PreviousGame, _),
    valid_gameplay_move(Moves, Game, PreviousGame).

valid_gameplay_move([X|_],
[X|PreviousGame], PreviousGame).
valid_gameplay_move([_|Z], Game,
PreviousGame) :-
    valid_gameplay_move(Z, Game,
PreviousGame).

% The set of valid moves must not be affected
% by the decision making
% of the prolog interpreter.
% Therefore we have to retrieve them like this.
% This is equivalent to the
% ( $\forall x \in 0..2$ ) ( $\forall y \in 0..2$ ) (...)
% uh wait.. There's no way to represent this
% using those quantifiers.

valid_moves(Moves, Game, Turn) :-
    valid_moves_column(0, M1, [], Game, Turn),
    valid_moves_column(1, M2, M1, Game, Turn),
    valid_moves_column(2, Moves, M2, Game, Turn).

valid_moves_column(X, M3, M0, Game, Turn) :-
    valid_moves_cell(X, 0, M1, M0, Game, Turn),
    valid_moves_cell(X, 1, M2, M1, Game, Turn),
    valid_moves_cell(X, 2, M3, M2, Game, Turn).

valid_moves_cell(X, Y, M1, M0, Game, Turn) :-
    member(move(_, X, Y), Game) -> M0 = M1 ;
    M1 = [move(Turn, X, Y) | M0].

% valid_move(X, Y, Game) :-
%   (X = 0; X = 1; X = 2),
%   (Y = 0; Y = 1; Y = 2),
%   not(member(move(_, X, Y), Game)).

opponent(x, o).
opponent(o, x)

```

6.Output:

```

 SWI-Prolog (AMD64, Multi-threaded, version 8.2.4)
File Edit Settings Run Debug Help
Welcome to SWI-Prolog (threaded, 64 bits, version 8.2.4)
SWI-Prolog comes with ABSOLUTELY NO WARRANTY. This is free software.
Please run ?- license. for legal details.

For online help and background, visit https://www.swi-prolog.org
For built-in help, use ?- help(Topic). or ?- apropos(Word).

?- % d:/AI & ML(PROLOG)/tic.pl compiled 0.00 sec. 39 clauses
?- | play().
..x
...
Available moves:[move(o,2,2),move(o,2,1),move(o,1,2),move(o,1,1),move(o,1,0),move(o,0,2),move(o,0,1),move(o,0,0)]
Give your move:
|: move(o,1,1).
..x
..ox
...
Available moves:[move(o,2,2),move(o,1,2),move(o,1,0),move(o,0,2),move(o,0,1),move(o,0,0)]
Give your move:
|: move(o,1,2).
..x
..ox
..ox
I won. You lose.
true.

?- ■

```

```

SWI-Prolog (AMD64, Multi-threaded, version 8.2.4)
File Edit Settings Run Debug Help
.ox
Available moves:[move(o,2,2),move(o,1,2),move(o,1,0),move(o,0,2),move(o,0,1),move(o,0,0)]
Give your move:
|: move(o,1,2).
.x
.ox
I won. You lose.
true.

?-
% d:/AI & ML(PROLOG)/tic.pl compiled 0.00 sec. 0 clauses
?- play().
...
...
x.
Available moves:[move(o,2,2),move(o,2,1),move(o,2,0),move(o,1,2),move(o,1,1),move(o,1,0),move(o,0,1),move(o,0,0)]
Give your move:
|: move(o,1,2).
x.
...
xo.
Available moves:[move(o,2,2),move(o,2,1),move(o,2,0),move(o,1,1),move(o,1,0),move(o,0,1)]
Give your move:
|: move(o,0,1).
xx.
o.
xo.
Available moves:[move(o,2,2),move(o,2,1),move(o,2,0),move(o,1,1)]
Give your move:
|: move(o,2,0).
xxo.
o.
xo.
Available moves:[move(o,2,1),move(o,1,1)]
Give your move:
|: move(o,1,1).
xxo.
oxx.
xox.
It is a tie
true.

?-

```

7. Conclusion:

BFS is an uniformed search technique. It selects the shallowest unexpanded node in the search tree for expansion. It is complete, optimal for unit step costs and has time and space complexity of $O(bd)$.

Practical No. 4

Hill Climbing

1. Aim: Design Hill-climbing algorithm to solve 8- Puzzle Problem.

2. Objectives:

- Understand and Implement Hill climbing algorithm
- Understand Application Of hill climbing algorithm to solve 8 puzzle problem.

3. Software Required: SWI-Prolog

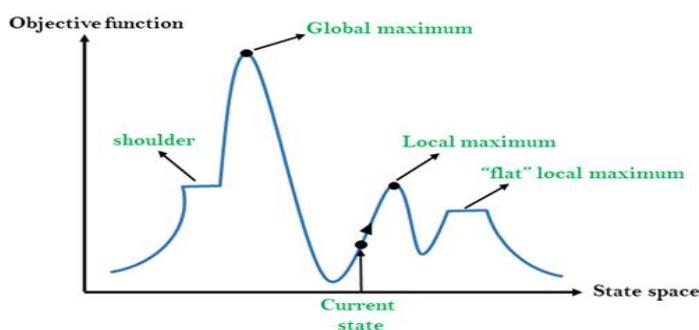
4. Theory:

• Hill Climbing algorithm: - Hill Climbing is a local search algorithm. The search algorithms that we have seen so far are designed to explore search spaces systematically. This is achieved by keeping one or more paths in memory and by recording which alternatives have been explored at each point along the path and which have not. In many problems, however, the path to the goal is irrelevant. For example, in the 8-queens problem, what matters is the final configuration of queens, not the order in which they are added. It is used for continuous state space problem or when numbers of states are very large. Search algorithms operate using a single current state (rather than multiple paths) and generally move only to neighbors of that state.

They have two key advantages:

- they use very little memory-usually a constant amount.
- They can often find reasonable solutions in large or infinite (continuous) state spaces for which systematic algorithms are unsuitable.

To understand local search, we will find it very useful to consider the state space landscape shown in Figure. A landscape has both "location" (defined by the state) and "elevation" (defined by the value of the heuristic cost function or objective function). If elevation corresponds to cost, then the aim is to find the lowest valley-a global minimum. If elevation corresponds to an objective function, then the aim is to find the highest peak-a global maximum.



The hill-climbing search algorithm is shown in Figure. It is simply a loop that continually moves in the direction of increasing value—that is, uphill. It terminates when it reaches a "peak" where no neighbour has a higher value.

The algorithm does not maintain a search tree, so the current node data structure need only record the state and its objective function value. Unfortunately, hill climbing often gets stuck for the following reasons:

- Local maxima: a local maximum is a peak that is higher than each of its neighbouring states, but lower than the global maximum. Hill-climbing algorithms that reach the vicinity of a local maximum will be drawn upwards towards the peak, but will then be stuck with nowhere else to go.
- Ridges: Ridges result in a sequence of local maxima that is very difficult for greedy algorithms to navigate.

Plateau: a plateau is an area of the state space landscape where the evaluation function is flat. It can be a flat local maximum, from which no uphill exit exists, or a shoulder, from which it is possible to make progress.

● **8-PUZZLE Problem:-**

The eight puzzle consists of a 3-by-3 square frame which holds eight movable square tiles which are numbered from 1 to 8. One square is empty, permitting tiles to be shifted. The objective of the puzzle is to find the sequence of tile movements that leads from a starting configuration to a goal configuration such as that shown in the figure a.

3	8	1
6	2	5
	4	7

A start configuration

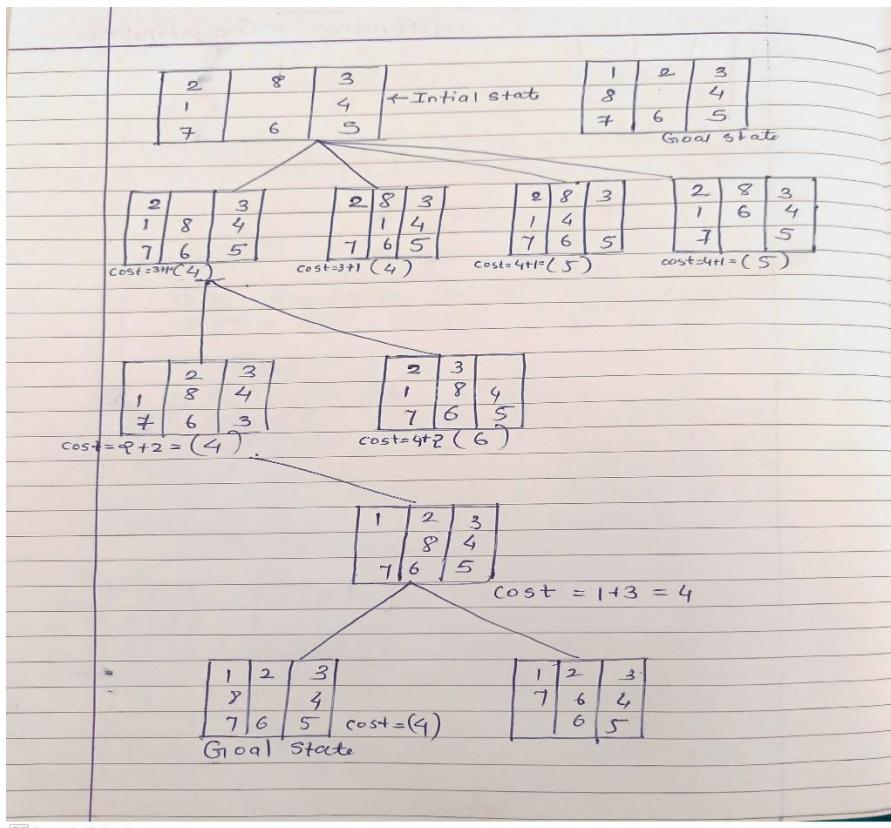
1	2	3
8		4
7	6	5

A goal configuration

Fig-a

The states of the eight puzzles are the different permutations of the tiles within the frame. The operations are the permissible moves (one may consider the empty space as being movable rather than the tiles): up, down, left and right. An optimal or good solution is one that maps an initial arrangement of tiles to the goal configuration with the smallest number of moves.

5. Representational of algorithm



Scanned with CamScanner

6. Code: -

```
initial([1,2,3,
        0,4,5,
        6,7,8]).
```

```
goal([1,2,3,
      4,0,5,
      6,7,8]).
```

```
move([X1,X2,X3,X4,X5,X6,X7,X8,X9],
     [0,X1,X3,X4,X5,X6,X7,X8,X9]),
move([X1,X2,0,X4,X5,X6,X7,X8,X9],
     [X1,0,X2,X4,X5,X6,X7,X8,X9]).
```

```
%% move left in the middle row
move([X1,X2,X3,X4,0,X6,X7,X8,X9],
```

```
[X1,X2,X3,0,X4,X6,X7,X8,X9]),
move([X1,X2,X3,X4,X5,0,X7,X8,X9],
     [X1,X2,X3,X4,0,X5,X7,X8,X9]).
```

```
%% move left in the bottom row
move([X1,X2,X3,X4,X5,X6,X7,0,X9],
     [X1,X2,X3,X4,X5,X6,0,X7,X9]),
move([X1,X2,X3,X4,X5,X6,X7,X8,0],
     [X1,X2,X3,X4,X5,X6,X7,0,X8]).
```

```
%% move right in the top row
move([0,X2,X3,X4,X5,X6,X7,X8,X9],
     [X2,0,X3,X4,X5,X6,X7,X8,X9]),
move([X1,0,X3,X4,X5,X6,X7,X8,X9],
     [X1,X3,0,X4,X5,X6,X7,X8,X9]).
```

```
%% move right in the middle row
```

```

move([X1,X2,X3,0,X5,X6,X7,X8,X9],
[X1,X2,X3,X5,0,X6,X7,X8,X9]).
move([X1,X2,X3,X4,0,X6,X7,X8,X9],
[X1,X2,X3,X4,X6,0,X7,X8,X9])�

%% move right in the bottom row
move([X1,X2,X3,X4,X5,X6,0,X8,X9],
[X1,X2,X3,X4,X5,X6,X8,0,X9]).
move([X1,X2,X3,X4,X5,X6,X7,0,X9],
[X1,X2,X3,X4,X5,X6,X7,X9,0])�

%% move up from the middle row
move([X1,X2,X3,0,X5,X6,X7,X8,X9],
[0,X2,X3,X1,X5,X6,X7,X8,X9]).
move([X1,X2,X3,X4,0,X6,X7,X8,X9],
[X1,0,X3,X4,X2,X6,X7,X8,X9]).
move([X1,X2,X3,X4,X5,0,X7,X8,X9],
[X1,X2,0,X4,X5,X3,X7,X8,X9])�

%% move up from the bottom row
move([X1,X2,X3,X4,X5,X6,X7,0,X9],
[X1,X2,X3,X4,0,X6,X7,X5,X9]).
move([X1,X2,X3,X4,X5,X6,X7,X8,0],
[X1,X2,X3,X4,X5,0,X7,X8,X6]).
move([X1,X2,X3,X4,X5,X6,0,X8,X9],

[X1,X2,X3,0,X5,X6,X7,X8,X9]).
```

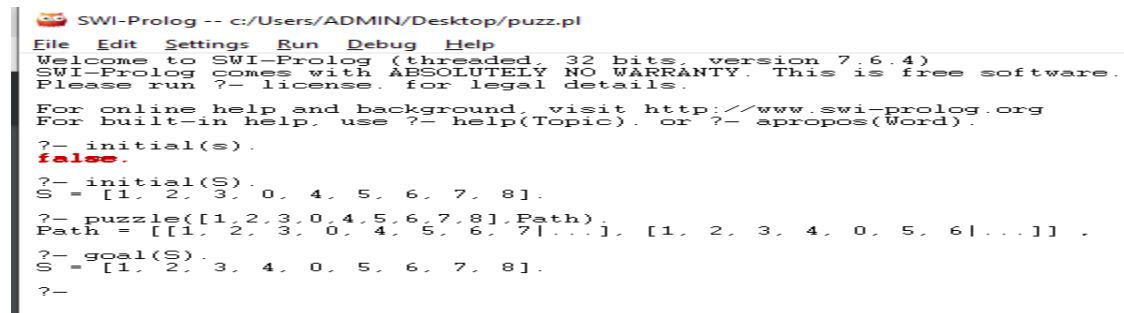
```
[X1,X2,X3,0,X5,X6,X4,X8,X9]).
```

```
%% move up from the top row
move([0,X2,X3,X4,X5,X6,X7,X8,X9],
[X4,X2,X3,0,X5,X6,X7,X8,X9]).
move([X1,0,X3,X4,X5,X6,X7,X8,X9],
[X1,X5,X3,X4,0,X6,X7,X8,X9]).
move([X1,X2,0,X4,X5,X6,X7,X8,X9],
[X1,X2,X6,X4,X5,0,X7,X8,X9]).
```

```
%% move down from the middle row
move([X1,X2,X3,0,X5,X6,X7,X8,X9],
[X1,X2,X3,X7,X5,X6,0,X8,X9]).
move([X1,X2,X3,X4,0,X6,X7,X8,X9],
[X1,X2,X3,X4,X8,X6,X7,0,X9]).
move([X1,X2,X3,X4,X5,0,X7,X8,X9],
[X1,X2,X3,X4,X5,X9,X7,X8,0]).
```

```
puzzle(S,[S]) :- goal(S).
puzzle(S,[S|Rest]) :- move(S,S2), puzzle(S2,Rest).
```

7.Output:



The screenshot shows the SWI-Prolog interface with the following session:

```

SWI-Prolog -- c:/Users/ADMIN/Desktop/puzz.pl
File Edit Settings Run Debug Help
Welcome to SWI-Prolog (threaded, 32 bits, version 7.6.4)
SWI-Prolog comes with ABSOLUTELY NO WARRANTY. This is free software.
Please run ?- license for legal details.

For online help and background, visit http://www.swi-prolog.org
For built-in help, use ?- help(Topic). or ?- apropos(Word).

?- initial(s).
false.
?- initial(S).
S = [1, 2, 3, 0, 4, 5, 6, 7, 8].
?- puzzle([[1, 2, 3, 0, 4, 5, 6, 7, 8], Path].
Path = [[1, 2, 3, 0, 4, 5, 6, 7, 8], [1, 2, 3, 4, 0, 5, 6|...]] .
?- goal(S).
S = [1, 2, 3, 4, 0, 5, 6, 7, 8].
?- 
```

Conclusion:

- Informed search covers algorithms that perform purely local search in the state space, evaluating and modifying one or more current states. These algorithms are suitable for the problem in which the path cost is irrelevant and all that matters is the solution state itself. One of the informed search methods is hill climbing search algorithm is executed.
- 8-puzzle is a simple game consisting of a 3*3 grid containing 9 squares. One of the squares is empty. From the given states a program is executed to reach the goal state. It is analysed and implemented.

Practical No. 5

Introduction to Python Programming: Learn the different libraries.

- ❖ **NumPy**
- ❖ **Pandas**
- ❖ **Matplotlib**

Aim: Understanding of basic python programming.

Objectives:

1. Practical implementation of Basic Python Commands
2. Learning and Implementation of basic python libraries (NumPy, Pandas and Matplotlib).

Software Required: Jupyter Notebook

Theory:

1. **Definition of Python:** Python has a simple syntax similar to the English language. Python has syntax that allows developers to write programs with fewer lines than some other programming languages. Python runs on an interpreter system, meaning that code can be executed as soon as it is written. This means that prototyping can be very quick.
2. **NumPy:** NumPy aims to provide an array object that is up to 50x faster than traditional Python lists. The array object in NumPy is called ndarray, it provides a lot of supporting functions that make working with ndarray very easy. Arrays are very frequently used in data science, where speed and resources are very important.
3. **Pandas:** Pandas is a Python library used for working with data sets. It has functions for analyzing, cleaning, exploring, and manipulating data. The name "Pandas" has a reference to both "Panel Data", and "Python Data Analysis" and was created by Wes McKinney in 2008.
4. **Matplotlib:** Matplotlib is a python library used to create 2D graphs and plots by using python scripts. It has a module named pyplot which makes things easy for plotting by providing feature to control line styles, font properties, formatting axes, etc.

Conclusion:

Conclusion. Python is a powerful programming language for data science, and the availability of powerful libraries like Pandas, NumPy, and Matplotlib makes it even more powerful. With these libraries, data scientists can perform complex data analysis and visualization tasks quickly and easily.

Practical No. 6

Aim: Understanding and implementation of classification and regression algorithm

Objectives:

1. Understanding and Implementation of Linear Regression Algorithm
2. Understanding and Implementation of Logistic Regression Algorithm
3. Understanding and Implementation of Knearest Neighbor Classification Algorithm

Software Required: Jupyter Notebook

Theory:

- **Linear Regression:** Linear regression strives to show the relationship between two variables by applying a linear equation to observed data. One variable is supposed to be an independent variable, and the other is to be a dependent variable.
- **Logistic Regression:** Logistic regression is a process of **modeling the probability of a discrete outcome given an input variable**. The most common logistic regression models a binary outcome; something that can take two values such as true/false, yes/no, and so on.
- **KNN Classification:** k-nearest neighbours(knn) is a **non-parametric classification method**, i.e. we do not have to assume a parametric model for the data of the classes Calculate the distance between the query-instance (new observation) and all the training samples Sort the distances and determine the nearest neighbours based on the k-th minimum distance.

Program and output

Logistic Regression		
Dataset		
Hours (Studies)	Result (1=Pass , 0=fail)	
39	0	
15	0	
3.3	1	
2.8	1	
39	1	

Logistic Regression		
① Name is somewhat misleading. Really a technique for classification		
Standard Probability	Notation	range equipment
odds	P/q	0 0.5 1
log odds ($\log(p/q)$	$-\infty 0 +\infty$

From probability to log odds (And Back Again)
taking log of both side

$$z = \log \left(\frac{p}{1-p} \right) \text{ Logistic function}$$

$$\frac{p}{1-p} = e^z$$

$$p = \frac{e^z}{1+e^z} = \frac{1}{1+e^{-z}} \text{ logistic function}$$

In the given dataset of information of 5 students result is given according to their number of hours of study use logistic regression classifier with the following odds

① Calculate the probability for the student who studied 3.3 hours to pass and fail.
② At least how many hours student should study which will make sure he will pass with probability 95%.

→ Solution :-

We know,
Sigmoid function = $\frac{1}{1+e^{-z}}$

① $P = \frac{1}{1+e^{-z}}$
 $\therefore z = -6.4 + 2(\text{hours})$
 $= -6.4 + 2 \cdot (3.3)$
 $= -6.4 + 6.6$
 $\therefore z = 0.2$

$\therefore P = \frac{1}{1+e^{-0.2}}$
 $= \frac{1}{1+e^{-0.2}}$
 $\therefore P = 0.58$

$\therefore P = 0.95 \text{ (given)}$
 $\therefore 0.95 = \frac{1}{1+e^{-z}}$
 Multiply each side by $1+e^{-z}$
 $0.95 \times 1+e^{-z} = \frac{1}{1+e^{-z}} \cdot 1+e^{-z}$
 $0.95 + 0.95e^{-z} = 1$
 $\therefore 0.95e^{-z} = 1 - 0.95$
 $\therefore 0.95e^{-z} = 0.05$
 $\therefore e^{-z} = \frac{0.05}{0.95}$
 $\therefore e^{-z} = 0.0526$
 Take log on both Side

Handwritten derivation:

$$\ln(e^{-z}) = \ln(0.0526)$$
$$-z = -2.94$$
$$\therefore z = 2.94$$

refer - the odds given

$$z = -64 + 2 \times \text{hours}$$
$$2.94 = -64 + 2 \times \text{hours}$$
$$2.94 = +64 = 2 \times \text{hours}$$
$$2.94 + 64 = \text{hours}$$

?

$$33.47 = \text{hours}$$

i.e., hours = 33.47

Conclusion:

1. In Linear regression, if the coefficient of x is positive, then we can conclude that the relationship between the independent and the dependent variables is positive. Here, if the value of x increases, the value of y also increases.
2. Logistic regression predicts the probability of an event or class that is dependent on other factors. Thus the output of logistic regression always lies between 0 and 1. Because of this property it is commonly used for classification purpose.
3. The KNN algorithm is one of the simplest classification algorithms. Even with such simplicity, it can give highly competitive results. KNN algorithm can also be used for regression problems.

Practical No. 7

Aim: Write a program to demonstrate dimensionality reduction techniques (features selection, feature extraction) using PCA

Objectives: To learn dimensionality reduction techniques using PCA.

Software Required: Jupyter Notebook

Theory definition of algorithm and sum:

- **PCA: Principal component analysis** (PCA) is the process of computing the principal components and using them to perform a change of basis on the data, sometimes using only the first few principal components and ignoring the rest.

* Principal Component Analysis (PCA) :-

Given dataset :-
 $(2,1), (3,5), (4,3), (5,6), (6,7), (7,8)$

→ Steps of PCA to apply

- ① Get data
- ② Compute mean vector (μ)
- ③ Subtract mean from given data
- ④ Calculate covariance matrix (M)
- ⑤ Calculate Eigen vectors And Eigen Values
- ⑥ Choosing components & forming a feature vector.
- ⑦ Dervings New dataset.

→ Solution :-

Step 1 :-
 $x_1 = (2,1)$
 $x_2 = (3,5)$
 $x_3 = (4,3)$
 $x_4 = (5,6)$
 $x_5 = (6,7)$
 $x_6 = (7,8)$

$\begin{bmatrix} 2 \\ 1 \end{bmatrix}$	$\begin{bmatrix} 3 \\ 5 \end{bmatrix}$	$\begin{bmatrix} 4 \\ 3 \end{bmatrix}$	$\begin{bmatrix} 5 \\ 6 \end{bmatrix}$	$\begin{bmatrix} 6 \\ 7 \end{bmatrix}$	$\begin{bmatrix} 7 \\ 8 \end{bmatrix}$
--	--	--	--	--	--

Step 2 :-
Find out mean Vector (μ)

$$\therefore \mu = \left(\frac{(2+3+4+5+6+7)}{6}, \frac{1+5+3+6+7+8}{6} \right)$$

$$\therefore \mu = (4.5, 5)$$

$$\therefore \mu = \begin{bmatrix} 4.5 \\ 5 \end{bmatrix}$$

Step 3 :- Subtract mean from given data

$$x_1 - \mu = (2 - 4.5, 1 - 5) = (-2.5, -4)$$

$$x_2 - \mu = (3 - 4.5, 5 - 5) = (-1.5, 0)$$

$$x_3 - \mu = (4 - 4.5, 3 - 5) = (-0.5, -2)$$

$$x_4 - \mu = (5 - 4.5, 6 - 5) = (0.5, 1)$$

$$x_5 - \mu = (6 - 4.5, 7 - 5) = (1.5, 2)$$

$$x_6 - \mu = (7 - 4.5, 8 - 5) = (2.5, 3)$$

Feature Vectors (x_i) After Step 3

$\begin{bmatrix} -2.5 \\ -4 \end{bmatrix}$	$\begin{bmatrix} -1.5 \\ 0 \end{bmatrix}$	$\begin{bmatrix} -0.5 \\ -2 \end{bmatrix}$	$\begin{bmatrix} 0.5 \\ 1 \end{bmatrix}$	$\begin{bmatrix} 1.5 \\ 2 \end{bmatrix}$	$\begin{bmatrix} 2.5 \\ 3 \end{bmatrix}$
--	---	--	--	--	--

Step 4 :- Covariance Matrix Calculations

formula :-

$$\text{Cov}(Matrix) = \frac{1}{n} \sum (x_i - \mu)(x_i - \mu)^T$$

Table for covariance matrix calculation

$x_i - \mu$	$(x_i - \mu)(x_i - \mu)^T$	$y_i - \mu$	$(y_i - \mu)^2$	$(x_i - \mu) \cdot (y_i - \mu)$
$\begin{bmatrix} -2.5 \\ -4 \end{bmatrix}$	$\begin{bmatrix} 6.25 & 10 \\ 10 & 16 \end{bmatrix}$	-4	16	10
$\begin{bmatrix} -1.5 \\ 0 \end{bmatrix}$	$\begin{bmatrix} 2.25 & 0 \\ 0 & 0 \end{bmatrix}$	0	0	0
$\begin{bmatrix} -0.5 \\ -2 \end{bmatrix}$	$\begin{bmatrix} 0.25 & -1 \\ -1 & 4 \end{bmatrix}$	-2	4	1
$\begin{bmatrix} 0.5 \\ 1 \end{bmatrix}$	$\begin{bmatrix} 0.25 & 1 \\ 1 & 1 \end{bmatrix}$	1	1	0.5
$\begin{bmatrix} 1.5 \\ 2 \end{bmatrix}$	$\begin{bmatrix} 2.25 & 4 \\ 4 & 4 \end{bmatrix}$	2	4	3
$\begin{bmatrix} 2.5 \\ 3 \end{bmatrix}$	$\begin{bmatrix} 6.25 & 9 \\ 9 & 9 \end{bmatrix}$	3	9	7.5
$\Sigma \rightarrow$	$\begin{bmatrix} 17.5 & 34 \\ 34 & 99 \end{bmatrix}$			

$$= \frac{1}{6} \begin{bmatrix} 17.5 & 22 \\ 22 & 34 \end{bmatrix}$$

Covariance Matrix (M) = $\begin{bmatrix} 2.92 & 3.67 \\ 3.67 & 5.67 \end{bmatrix}$

Step 5:-
 Let us consider d is Eigen Value for covariance matrix than it will satisfy
 $|M - dI| = 0$

$$[(2.92 - d)(5.67 - d)] - (3.67 \times 3.67) = 0$$

$$[2.92(5.67 - d) - d(5.67 - d)] - 13.47 = 0$$

$$(16.56 - 2.92d - 5.67d + d^2 - 13.47) = 0$$

$$= d^2 - 8.59d + 3.09$$

$d_1 = 8.22$,
 $d_2 = 0.38$ \therefore Value is too small can be discarded

$\therefore d = 8.22$

Now,
 Eigen Vector Will be
 $Mx = dx$

Where,
 M = Covariance matrix
 x = Eigen Vector
 d = Eigen Value

$$\begin{bmatrix} 2.92 & 3.67 \\ 3.67 & 5.67 \end{bmatrix} x = 8.22 x$$

$$2.92x_1 + 3.67x_2 = 8.22x_1 \quad \text{--- } ①$$

$$3.67x_1 + 5.67x_2 = 8.22x_2 \quad \text{--- } ②$$

By Simplification of ① & ②

$$\text{Eigen Vector} = \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} = \begin{bmatrix} 2.55 \\ 3.67 \end{bmatrix}$$

Hence Principle Components for given dataset are $\begin{bmatrix} x_1 \\ x_2 \end{bmatrix} = \begin{bmatrix} 2.55 \\ 3.67 \end{bmatrix}$

Conclusion:

PCA identifies the intrinsic dimension of a dataset. In other words, it identifies the smallest number of features required to make an accurate prediction. A dataset may have a lot of features, but not all features are essential to the prediction. The features kept are the ones that have significant variance.

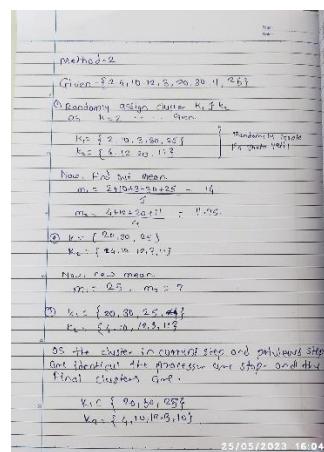
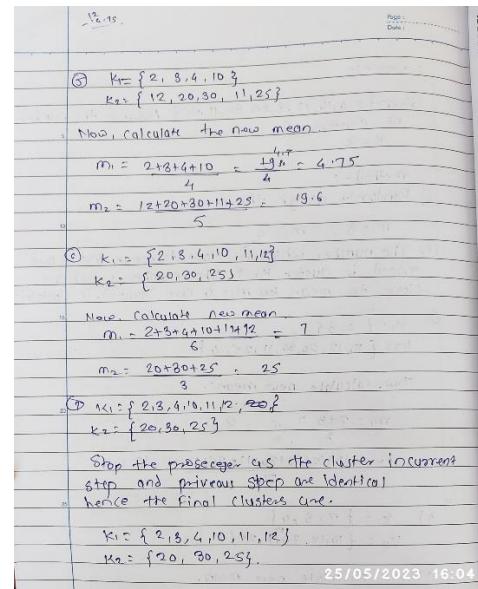
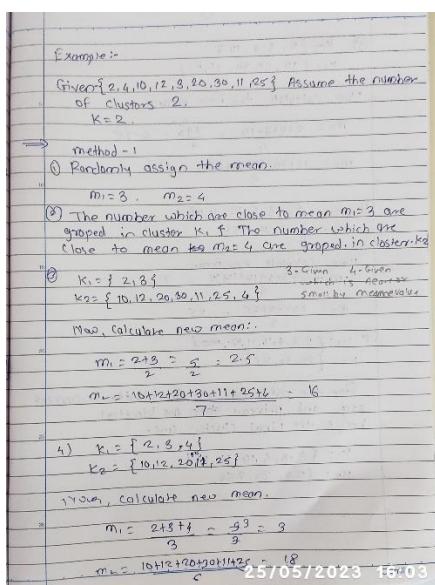
Practical No. 8

Aim: Write a program to implement classification of iris dataset using K-Means clustering algorithm with K=2.

Objective: Understanding K-Means clustering algorithm.

Software Requirement: Jupyter Notebook

Theory: • K-Means Clustering: k-means clustering is a method of vector quantization, originally from signal processing, that aims to partition n observations into k clusters in which each observation belongs to the cluster with the nearest mean (cluster centers or cluster centroid), serving as a prototype of the cluster.



Conclusion: Even after multiple iterations, if the obtained centroids are same for all the clusters, it can be concluded that the algorithm is not learning any new pattern and gives a sign to stop its execution/training to a dataset.

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B) Aim: Write a program to demonstrate K-Medoid Algorithm.

Objective: Understanding K-medoid clustering algorithm.

Software Requirement: Jupyter Notebook

Theory:

- K-Medoid:** k-medoids is a classical partitioning technique of clustering that splits the data set of n objects into k clusters, where the number k of clusters assumed known a priori (which implies that the programmer must specify k before the execution of a k-medoids algorithm).

K-Medoid Example (PAM)																																																																																																																																			
Ques Given $D = \{1, 2, 6, 7, 8, 10, 15, 17, 20\}$ using k-medoid form three clusters:-																																																																																																																																			
<u>Solution</u> -																																																																																																																																			
Adjacency matrix :-																																																																																																																																			
<table border="1"> <tr><td>0</td><td>1</td><td>2</td><td>6</td><td>7</td><td>8</td><td>10</td><td>15</td><td>17</td><td>20</td><td></td><td></td></tr> <tr><td>1</td><td>0</td><td>1</td><td>5</td><td>6</td><td>7</td><td>9</td><td>14</td><td>16</td><td>19</td><td></td><td></td></tr> <tr><td>2</td><td>1</td><td>0</td><td>4</td><td>5</td><td>6</td><td>8</td><td>13</td><td>15</td><td>18</td><td></td><td></td></tr> <tr><td>6</td><td>5</td><td>4</td><td>0</td><td>1</td><td>2</td><td>4</td><td>9</td><td>11</td><td>14</td><td></td><td></td></tr> <tr><td>7</td><td>6</td><td>5</td><td>1</td><td>0</td><td>1</td><td>3</td><td>8</td><td>10</td><td>13</td><td></td><td></td></tr> <tr><td>8</td><td>7</td><td>6</td><td>2</td><td>1</td><td>0</td><td>2</td><td>7</td><td>9</td><td>12</td><td></td><td></td></tr> <tr><td>10</td><td>9</td><td>8</td><td>4</td><td>3</td><td>2</td><td>0</td><td>5</td><td>7</td><td>10</td><td></td><td></td></tr> <tr><td>15</td><td>14</td><td>13</td><td>9</td><td>8</td><td>7</td><td>5</td><td>0</td><td>2</td><td>5</td><td></td><td></td></tr> <tr><td>17</td><td>16</td><td>15</td><td>11</td><td>10</td><td>9</td><td>7</td><td>2</td><td>0</td><td>3</td><td></td><td></td></tr> <tr><td>20</td><td>19</td><td>18</td><td>14</td><td>13</td><td>12</td><td>10</td><td>5</td><td>3</td><td>0</td><td></td><td></td></tr> </table>												0	1	2	6	7	8	10	15	17	20			1	0	1	5	6	7	9	14	16	19			2	1	0	4	5	6	8	13	15	18			6	5	4	0	1	2	4	9	11	14			7	6	5	1	0	1	3	8	10	13			8	7	6	2	1	0	2	7	9	12			10	9	8	4	3	2	0	5	7	10			15	14	13	9	8	7	5	0	2	5			17	16	15	11	10	9	7	2	0	3			20	19	18	14	13	12	10	5	3	0		
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<p>Step-1: Select three medoids arbitrarily. Compute distance of each medoid with all each element of the dataset, find the minimum distance and put that particular element in the cluster whose medoid is having minimum distance with that element.</p> <p>→ Let's Consider three medoids are 6, 7, and 8.</p>																																																																																																																																			

0	1	2	6	7	8	10	15	17	20		
1	0	1	5	6	7	9	14	16	19		
2	1	0	4	5	6	8	13	15	18		
6	5	4	0	1	2	4	9	11	14		
7	6	5	1	0	1	3	8	10	13		
8	7	6	2	1	0	2	7	9	12		
10	9	8	4	3	2	0	5	7	10		
15	14	13	9	8	7	5	0	2	5		
17	16	15	11	10	9	7	2	0	3		
20	19	18	14	13	12	10	5	3	0		

Focus on distances of Elements from medoids 6, 7, 8 and Create clusters:-

Clusters are :-

$$k_1 = 6 : 1, 2$$

$$k_2 = 7$$

$$k_3 = 8 : 10, 15, 17, 20$$

Now :-

Step-2 - Let's check whether new non-medoid can replace 7?

Let's take 15 as a new medoid and replace 7 from 15:-

medoids 6, 8, 15											
0	1	2	6	7	8	10	15	12	20		
1	0	1	5	6	7	9	14	16	19		
2	1	0	4	5	6	8	13	15	18		
6	5	4	0	1	2	4	9	11	14		
7	6	5	1	0	1	3	8	10	13		
8	7	6	2	1	0	2	7	9	12		
10	9	8	4	3	2	0	5	7	10		
15	14	13	9	8	7	5	0	2	5		
17	16	15	11	10	9	7	2	0	3		
20	19	18	14	13	12	10	5	3	0		

Hence Clusters are :-

$$k_1 = 6 : 1, 2, 7$$

$$k_2 = 8 : 10$$

$$k_3 = 15 : 17, 20$$

Let's find out the cost difference of previous cluster with current cluster in terms of each Element:-

for first cluster:- (medoid=6)

$k_1 = 6 : 1, 2, 7$

formula for cost :-

$(\text{Distance of Element w.r.t medoid of new cluster}) - (\text{Distance of Element w.r.t medoid of Old cluster})$

Hence

Cost for Element 1 :-

Element = 1

Previous cost = 5 Current cost = 5

cost of Element 1 = $5 - 5 = 0$

Cost for Element 2 :-

Element = 2

Previous cost = 4 Current cost = 4

cost of Element 2 = $4 - 4 = 0$

Cost for Element 3 :-

Element = 3

Previous cost = 0 Current cost = 1

cost of Element 3 = $1 - 0 = 1$

Total cost of $k_1 = 0 + 0 + 1$

= 1

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for Second cluster = (medoid 8)									
K2 : 8:10									
Cost of Element 10 :-									
Previous cost = 2 Current cost = 2									
Cost of Element 10 = 2 - 2 = 0									
Total cost of cluster 2 = 0									
for third cluster (medoid 15)									
K3 = 15: 17, 20									
Cost of Element 17 :-									
Previous cost = 9 Current cost = 2									
Cost of Element 17 = 2 - 9 = -7									
Cost of Element 20 :-									
Previous cost = 12 Current cost = 5									
Cost of Element 20 = 5 - 12 = -7									
Total cost of cluster 3 = -7 - 7									
Therefore = -14									
Total cost = Cost of K1 + Cost of K3 + Cost of K2									
= 14 + -14									
= -13									
Since the total cost < 0, Replace medoid 7 with 15									
Reassign , Consider new medoid 15									
K1 = 6: 1, 2, 7									
K2 = 8: 10									
K3 = 15: 17, 20.									

Step-3 - Random non-medoid = 10 (Let's say)									
Now replace 8 with 10.									
0	1	2	6	7	8	10	15	17	20
1	0	1	(5)	6	7	9	14	16	19
2	1	0	(4)	5	6	8	10	15	18
6	5	4	(6)	1	2	4	9	11	14
7	6	5	(1)	0	1	3	8	10	12
8	7	6	2	1	0	(2)	7	9	12
10	9	8	3	2	0	5	(6)	7	10
15	14	13	9	8	7	5	(6)	2	5
17	16	15	11	10	9	7	2	(6)	3
20	19	18	14	13	12	10	5	(3)	0

Now medoid 6, 10, 15 -

Clusters are:-

K1 = 6: 1, 2, 7

K2 = 10: 8

K3 = 15: 17, 20

Let's find out the cost :-									
for first cluster :- (medoid = 6)									
K1 = 6: 1, 2, 7									
Cost of Element 1 :-									
Previous cost = 5 Current cost = 5									
Cost of Element 1 = 5 - 5 = 0									
Cost of Element 2 :-									
Previous cost = 4 Current cost = 4									
Cost of Element 2 = 4 - 4 = 0									
Cost of Element 7 :-									
Previous cost = 1 Current cost = 1									
Cost of Element 7 = 1 - 1 = 0									
Hence									
Total cost of K1 = 0									
for Second cluster (medoid 10)									
K2 : 10: 8									
Cost of Element 8 :-									
Previous cost = 0 Current cost = 2									
Cost of Element 8 = 2 - 0 = 2									
Total cost of K2 = 2									
for Third cluster (medoid 15)									
K3 : 15: 17, 20									
Cost of Element 17 :-									
Previous cost = 2 Current cost = 2									
Cost of Element 17 = 2 - 2 = 0									
Cost of Element 20 :-									
Previous cost = 5 Current cost = 5									
Cost of Element 20 = 5 - 5 = 0									
FOR EDUCATIONAL USE									

Total cost of cluster K3 :-									
0 + 2 + 0 = 2									
Total cost = Cost of K1 + Cost of K2 + Cost of K3									
= 0 + 2 + 0									
0	1	2	6	7	8	10	15	17	20
1	0	1	(6)	6	7	9	14	16	19
2	1	0	(4)	5	6	8	13	15	18
6	5	4	(6)	1	2	4	9	11	14
7	6	5	(1)	0	1	3	8	10	13
8	7	6	2	1	(6)	2	7	9	12
10	9	8	4	3	(2)	0	5	7	10
15	14	13	9	8	7	5	0	(2)	5
17	16	15	11	10	9	7	2	(6)	3
20	19	18	14	13	12	10	5	(3)	0

Therefore medoids are = (6, 8, 15)

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Clusters are:-
 K1 = {1, 2, 7}
 K2 = {8, 10}
 K3 = {15, 17, 20}

Let's find out the cost for first cluster (medoid = 6)

* Cost of Element 1
 previous cost = 5 current cost = 5
 Total cost = 5 - 5 = 0

* Cost of Element 2 :-
 previous cost = 4 current cost = 4
 Total cost = 4 - 4 = 0

* Cost of Element 7
 previous cost = 1 current cost = 1
 Total cost = 1 - 1 = 0

Total cost of K1 = 0 + 0 + 0 = 0
 for second cluster (medoid 8)

K2 = {8, 10}

Cost of Element 10 :-
 previous cost = 2 current cost = 2
 Total cost of K2 = 0
 for third cluster (medoid 17)

Cost of Element 15
 previous cost = 0 current cost = 2
 Total cost = 2 - 0 = 2

Cost of Element 20
 previous cost = 5 current cost = 5
 Total cost = 3 - 5 = -2
 Total cost of K3 = 2 + (-2) = 0

Therefore, no need of re-assignment will follow clusters:-
 K1 = {1, 2, 7}
 K2 = {8, 10}
 K3 = {15, 17, 20}

Step-23 - Let's take random medoid 20 with replacement of 15
 Now medoids are
 {6, 8, 20}

0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20
1	0	1	(6)	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23
2	1	0	(8)	5	6	7	8	13	14	15	16	17	18	19	20	21	22	23	24	25
6	5	4	(17)	0	1	2	3	4	9	11	14	15	16	17	18	19	20	21	22	23
7	6	5	(20)	0	1	2	3	8	10	11	13	14	15	16	17	18	19	20	21	22
8	7	6	2	1	(0)	2	7	1	3	4	5	6	7	8	9	10	11	12	13	14
10	9	8	4	3	2	(0)	0	5	7	10	11	12	13	14	15	16	17	18	19	20
15	14	13	9	8	7	6	5	0	2	(5)	1	3	4	6	7	8	9	10	11	12
17	16	15	11	10	9	8	7	6	5	4	3	2	1	0	1	2	3	4	5	6
20	19	18	14	13	12	10	9	8	7	6	5	4	3	2	1	0	1	2	3	4

Hence Clusters are :-
 K1 = {1, 2, 7}
 K2 = {8, 10}
 K3 = {20, 15, 17}

As we know with previous computation
 Cost of K1 = 0 & Cost of K2 = 0
 Let's find the Cost of K3 = 20: 15: 17
 → Cost of Element 15
 previous cost = 0 current cost = 5
 Total cost of Element 15 = 5 - 0 = 5
 → Cost of Element 17

previous cost = 2 current cost = 3
 Total cost = 3 - 2 = 1
 Total cost of K3 = 5 + 1 = 6
 Hence Total cost :-
 = 0 + 0 + 6
 = 6 > 0

Therefore, no need of re-assignment
 we will :- Cluster

K1 = {1, 2, 7}
 K2 = {8, 10}
 K3 = {15, 17, 20}

Step-6 :- Other possible changes all will have higher cost
 So No changes, final clusters are
 K1 = {1, 2, 7}
 K2 = {8, 10}
 K3 = {15, 17, 20}

Conclusion: the algorithm is not learning any new pattern and gives a sign to stop its execution/training to a dataset.

Practical No. 9

A) Aim: Implementation of Classifying data using support vector machine (SVMs)

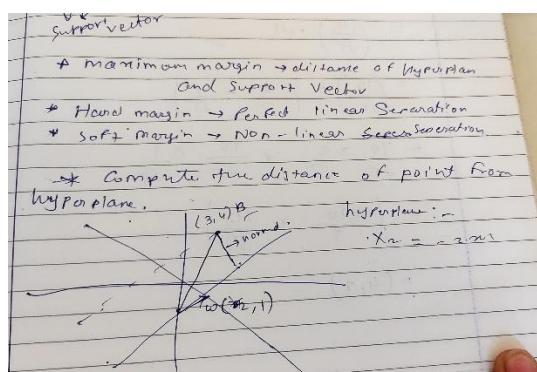
Objective: Understand of Following Terminologies

1. SVM Concept
2. Support Vector
3. Hyperplane
4. Soft Margin & Hard Margin
5. Computation of Distance of an arbitrary Point From Hyperplane.

Software Requirement: Jupyter Notebook

Theory:

- **Linear SVM:** Linear SVM is used for linearly separable data, which means if a dataset can be classified into two classes by using a single straight line, then such data is termed as linearly separable data, and classifier is used called as Linear SVM classifier.



$$\begin{aligned}
 \|w\| &= \sqrt{w_1^2 + w_2^2} = \sqrt{5} \\
 w &= \left(\frac{2}{\sqrt{5}}, \frac{1}{\sqrt{5}} \right) \\
 \text{Let us consider } p \text{ is orthogonal projection} \\
 \text{on } w \\
 p &= (u \cdot w) \cdot w \\
 &= \left(\frac{2}{\sqrt{5}} + \frac{1}{\sqrt{5}} \right) \cdot w \\
 &= \left(\frac{3}{\sqrt{5}} \right) \cdot w \\
 &= \left(\frac{10}{\sqrt{5}} \right) \times \left(\frac{2}{\sqrt{5}} + \frac{1}{\sqrt{5}} \right) \\
 &= \frac{10}{\sqrt{5}} \times 2 + \frac{10}{\sqrt{5}} \times 1 \\
 &= \left(\frac{20}{5}, \frac{10}{5} \right) \\
 &= (4, 2)
 \end{aligned}$$

$$\begin{aligned}
 |P| &= \sqrt{(4)^2 + (2)^2} \\
 &= \sqrt{16 + 4} \\
 &= \sqrt{20} = \sqrt{4 \times 5} \\
 \therefore |P| &= 2\sqrt{5}
 \end{aligned}$$

Conclusion: SVM is a supervised learning algorithm which separates the data into different classes through the use of a hyperplane.

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B) Aim: Implementation of support vector machine (SVMs) Algorithm For Non Liner Case

Objective: Understand of Following Terminologies

1. Soft Margin
2. Cornel Trick
3. Non Liner Classification

Software Requirement: Jupyter Notebook

Theory:

- **Non-Linear SVM:** Nonlinear classification: SVM can be extended to solve nonlinear classification tasks when the set of samples cannot be separated linearly. By applying kernel functions, the samples are mapped onto a high-dimensional feature space, in which the linear classification is possible.

Conclusion: There are two types of SVM: linear and non-linear, they are used depending on the type of data. Non-linear SVM uses the Radial Basis Function Kernel that takes the data points to a higher dimension so that they are linearly separable in that dimension, and then the algorithm classifies them.

Practical No. 10

A) Aim: Implementation Decision Tree with its Accuracy

Objective: Understand The concept of decision tree

Understanding algorithms of (ID3, c4.5, CART)

Software Requirement: Jupyter Notebook

Theory:

1) Decision Tree:

Decision Tree is a Supervised learning technique that can be used for both classification and Regression problems, but mostly it is preferred for solving Classification problems.

Conclusion: Decision trees are powerful machine learning algorithms that can be used for both classification and regression tasks. They are popular due to their interpretability, ease of implementation, and ability to handle both numerical and categorical data. Here are some key conclusions about decision trees:

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B) Aim: Implementation of Random Forrest Algorithm for Classification and regression

Objective: Understand The Following terminologies

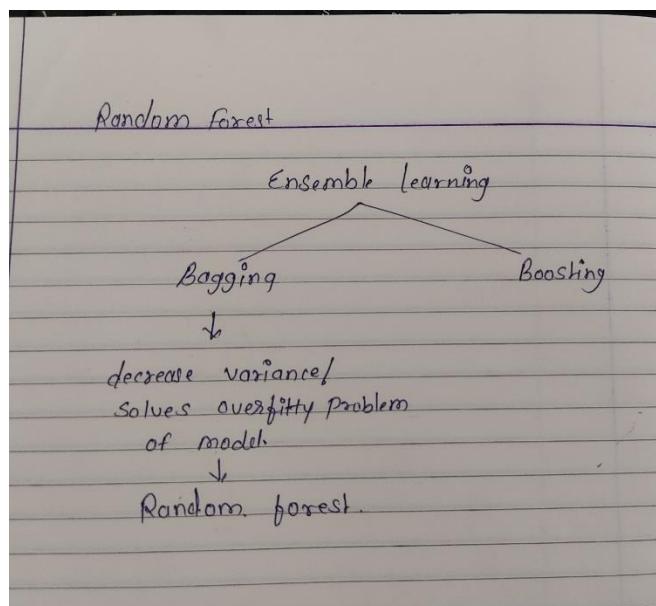
Ensemble learning, Bagging, Stump, Forest of tree

Software Requirement: Jupyter Notebook

Theory:

1) Random Forest:

Random Forest is a popular machine learning algorithm that belongs to the supervised learning technique. It can be used for both Classification and Regression problems in ML.



Conclusion: Random Forest is a powerful ensemble learning algorithm that combines the predictions of multiple decision trees to make more accurate predictions. It is widely used for both classification and regression tasks. Here are some conclusions about the Random Forest algorithm:

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Practical No. 11

Aim: Implement Adaboost Algorithm under ensemble learning

Objective: 1. Understanding of boosting concept

2. Implementation of strong learners with the help of multiple weak learners
3. Implementation of strong learners by focusing by Lerner

Software Requirement: Jupyter Notebook

Theory: AdaBoost algorithm, short for Adaptive Boosting, is a Boosting technique used as an Ensemble Method in Machine Learning. It is called Adaptive Boosting as the weights are reassigned to each instance, with higher weights assigned to incorrectly classified instances.

Conclusion: AdaBoost helps in choosing the training set for each new classifier that is trained based on the results of the previous classifier. Also, while combining the results, it determines how much weight should be given to each classifier's proposed answer.

Practical No. 12

A) Aim: Deployment of Machine Learning Model on spyder

Objective: 1. Deploy A Machine Learning Model Which Can Predict salary of new employee on the basis of experience, test score, interview score.

2. Deploye a machine learning model which can predict a type of flower on the basis of sepal length, sepal with, Patel length, Patel with,

Software Requirement: spider

Code:

app.py

```
import numpy as np
from flask import Flask, request, jsonify, render_template
import pickle

app = Flask(__name__)
model = pickle.load(open('model.pkl', 'rb'))

@app.route('/')
def home():
    return render_template('index.html')

@app.route('/predict', methods=['POST'])
def predict():
    """
    For rendering results on HTML GUI
    """
    int_features = [int(x) for x in request.form.values()]
    final_features = [np.array(int_features)]
    prediction = model.predict(final_features)
    output = round(prediction[0], 2)

    return render_template('index.html',
                           prediction_text='Employee Salary should be $ {}'.format(output))

@app.route('/predict_api', methods=['POST'])
def predict_api():
    """
    For direct API calls through request
    """
    data = request.get_json(force=True)
    prediction = model.predict([np.array(list(data.values()))])

    output = prediction[0]

    return jsonify(output)

if __name__ == "__main__":
    app.run(debug=True)
```

MCAL21: Artificial Intelligence And Machine Learning

model.py

```
# Importing the libraries
import numpy as np
import matplotlib.pyplot as plt
import pandas as pd
import pickle

dataset = pd.read_csv('hiring.csv')

dataset['experience'].fillna(0, inplace=True)

dataset['test_score'].fillna(dataset['test_score'].mean(), inplace=True)

X = dataset.iloc[:, :3]

#Converting words to integer values
def convert_to_int(word):
    word_dict = {'one':1, 'two':2, 'three':3,
    'four':4, 'five':5, 'six':6, 'seven':7, 'eight':8,
    'nine':9, 'ten':10, 'eleven':11,
    'twelve':12, 'zero':0, 0: 0}
    return word_dict[word]

X['experience'] = X['experience'].apply(lambda x : convert_to_int(x))

y = dataset.iloc[:, -1]
```

#Splitting Training and Test Set

```
#Since we have a very small dataset, we will
train our model with all available data.
```

```
from sklearn.linear_model import
LinearRegression
```

```
regressor = LinearRegression()
```

```
#Fitting model with training data
```

```
regressor.fit(X, y)
```

```
# Saving model to disk
```

```
pickle.dump(regressor,
open('model.pkl','wb'))
```

```
# Loading model to compare the results
```

```
model = pickle.load(open('model.pkl','rb'))
```

```
print(model.predict([[2, 9, 6]]))
```

request.py

```
import requests
```

```
url = 'http://localhost:5000/predict_api'
```

```
r = requests.post(url,json={'experience':2,
'test_score':9, 'interview_score':6})
```

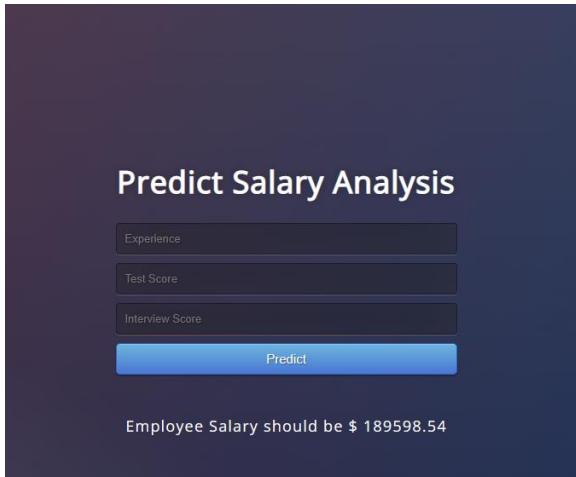
```
print(r.json())
```

MCAL21: Artificial Intelligence And Machine Learning

OutPut:

```
Anacoda Prompt [Anaconda] x + v

(base) C:\Users\ADMIN>cd C:/Users/ADMIN/Downloads/ML_Deployment/Deployment
(base) C:/Users/ADMIN/Downloads/ML_Deployment/Deployment>python app.py
* Serving Flask app "app" (lazy loading)
* Environment: production
  WARNING: This is a development server. Do not use it in a production deployment.
  Use uWSGI or Gunicorn WSGI server instead.
* Debug mode: on
* Restarting with windowsapi reloader
* Debugger PIN: 342-918-266
* Debugger PIN: 342-918-266
* Running on http://127.0.0.1:5000/ (Press CTRL+C to quit)
* Detected change in 'C:\ProgramData\Anaconda3\lib\site-packages\Flask\_..._pycache_\debughelpers.cpython-38.pyc', reloading
* Restarting with windowsapi reloader
* Debugger is active!
* Debugger PIN: 342-918-266
* Running on http://127.0.0.1:5000/ (Press CTRL+C to quit)
* Detected change in 'C:\ProgramData\Anaconda3\lib\site-packages\Flask\_..._pycache_\debughelpers.cpython-38.pyc', reloading
127.0.0.1 - [09/Nov/2023 12:23:10] "POST /predict HTTP/1.1" 200 -
* Restarting with windowsapi reloader
* Debugger is active!
* Debugger PIN: 342-918-266
* Running on http://127.0.0.1:5000/ (Press CTRL+C to quit)
```



B)Aim: IR Project of Machine Learning Model on spyder

Code:

app.py

```
import numpy as np
from flask import Flask, request, jsonify, render_template
```

```
import pickle
```

```
model = pickle.load(open('model.pkl', 'rb'))
```

```
app = Flask(__name__)
```

```
@app.route('/')
```

```
def home():
```

```
    return render_template('index.html')
```

```
@app.route('/predict', methods=['POST'])
```

```
def predict():
```

```
    ...
```

For rendering results on HTML GUI

```
    ...
```

```
    int_features = [float(x) for x in request.form.values()]
```

```
    final_features = [np.array(int_features)]
```

```
    prediction = model.predict(final_features)
```

```
    output = prediction[0]
```

```
    return render_template('index.html',
prediction_text='The Flower is
{}.'.format(output))
```

```
if __name__ == "__main__":
```

```
    app.run(debug=True)
```

MCAL21: Artificial Intelligence And Machine Learning

model.py

```
import pandas as pd

from sklearn.linear_model import LogisticRegression

from sklearn.metrics import classification_report

from sklearn.metrics import accuracy_score

from sklearn.model_selection import train_test_split

import pickle

data=pd.read_csv('iris.csv')

# X = feature values, all the columns except the last column

X = data.iloc[:, :-1]

# y = target values, last column of the data frame

y = data.iloc[:, -1]

#Split the data into 80% training and 20% testing

x_train, x_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)

#Train the model

model = LogisticRegression()

model.fit(x_train, y_train) #Training the model

#Test the model

predictions = model.predict(x_test)

print(classification_report(y_test, predictions))

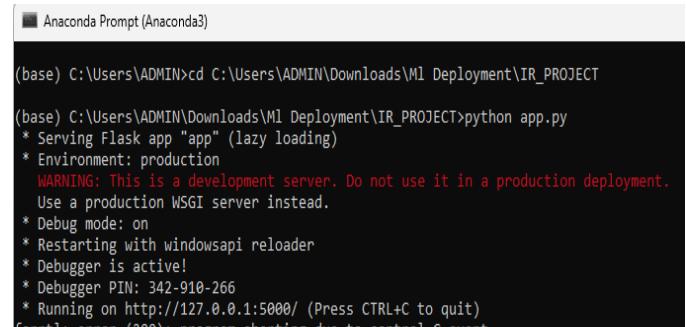
print(accuracy_score(y_test, predictions))

pickle.dump(model,open('model.pkl','wb'))

p=model.predict([[5.1,3.5,1.4,0.2]])
```

```
print(p[0])
```

OutPut:



```
[base] C:\Users\ADMIN>cd C:\Users\ADMIN\Downloads\ML Deployment\IR_PROJECT
(base) C:\Users\ADMIN\Downloads\ML Deployment\IR_PROJECT>python app.py
* Serving Flask app "app" (lazy loading)
* Environment: production
WARNING: This is a development server. Do not use it in a production deployment.
Use a production WSGI server instead.
* Debug mode: on
* Restarting with windowsapi reloader
* Debugger is active!
* Debugger PIN: 342-910-266
* Running on http://127.0.0.1:5000/ (Press CTRL+C to quit)
```



Predict type of flower

SepalLength SepalWidth PetalLength PetalWidth Predict

The Flower is virginica

creation of numpy Array

```
In [4]: import numpy as np
```

```
In [2]: n1=np.array([10,20,30,40])
n1
```

```
Out[2]: array([10, 20, 30, 40])
```

```
In [3]: n2=np.array([[10,20,30,40],[40,30,20,10]])
n2
```

```
Out[3]: array([[10, 20, 30, 40],
 [40, 30, 20, 10]])
```

```
In [4]: type(n2)
```

```
Out[4]: numpy.ndarray
```

```
In [5]: n1=np.zeros((1,2))
n1
```

```
Out[5]: array([[0., 0.]])
```

initialization of numpy array initialization with same number

```
In [6]: n1=np.zeros((1,2))
n1
```

```
Out[6]: array([[0., 0.]])
```

```
In [7]: n1=np.zeros((5,5))
n1
```

```
Out[7]: array([[0., 0., 0., 0., 0.],
 [0., 0., 0., 0., 0.],
 [0., 0., 0., 0., 0.],
 [0., 0., 0., 0., 0.],
 [0., 0., 0., 0., 0.]])
```

Initialization Numpy array with same number

```
In [8]: n1=np.full((2,2),10)
n1
```

```
Out[8]: array([[10, 10],
 [10, 10]])
```

Initialization numpy with range

```
In [9]: n1=np.arange(10,20)
n1
```

```
Out[9]: array([10, 11, 12, 13, 14, 15, 16, 17, 18, 19])
```

```
In [10]: n1=np.arange(10,50,5)
n1
```

```
Out[10]: array([10, 15, 20, 25, 30, 35, 40, 45])
```

Initialization numpy with random number

```
In [11]: n1=np.random.randint(1,100,5)
n1
```

```
Out[11]: array([37, 13, 7, 2, 36])
```

```
In [12]: n1=np.random.randint(1,100,10)
n1
```

```
Out[12]: array([58, 16, 87, 16, 87, 95, 76, 46, 45, 25])
```

Numpy Shape

```
In [13]: n1=np.array([[1,2,3],[4,5,6]])
n1.shape
```

```
Out[13]: (2, 3)
```

```
In [14]: n1.shape=(3,2)
n1.shape
```

```
Out[14]: (3, 2)
```

change shape of array

```
In [15]: n1=np.array([[1,2,3,4],[4,3,2,1]])
n1
```

```
Out[15]: array([[1, 2, 3, 4],
 [4, 3, 2, 1]])
```

```
In [16]: n1.shape=(4,2)
n1
```

```
Out[16]: array([[1, 2],
 [3, 4],
 [4, 3],
 [2, 1]])
```

joining Numpy Arrays vstack hstack column_stack()

```
In [18]: n1=np.array([10,20,30])
n2=np.array([40,50,60])
np.vstack((n1,n2))
```

```
Out[18]: array([[10, 20, 30],
 [40, 50, 60]])
```

```
In [19]: n1=np.array([10,20,30])
n2=np.array([40,50,60])
np.hstack((n1,n2))
```

```
Out[19]: array([10, 20, 30, 40, 50, 60])
```

```
In [20]: n1=np.array([10,20,30])
n2=np.array([40,50,60])
np.column_stack((n1,n2))
```

```
Out[20]: array([[10, 40],
 [20, 50],
 [30, 60]])
```

Numpy intersection and differences

```
In [24]: n1=np.array([10,20,30,40,50,60])
n2=np.array([50,60,70,80,90])
np.intersect1d(n1,n2)
```

```
Out[24]: array([50, 60])
```

```
In [25]: n1=np.array([10,20,30,40,50,60])
n2=np.array([50,60,70,80,90])
np.setdiff1d(n1,n2)
```

```
Out[25]: array([10, 20, 30, 40])
```

```
In [26]: n1=np.array([10,20,30,40,50,60])
n2=np.array([50,60,70,80,90])
np.setdiff1d(n2,n1)
```

```
Out[26]: array([70, 80, 90])
```

Numpy Array Mathematics

```
In [3]: import numpy as np
```

```
In [5]: n1=np.array([10,20])
n2=np.array([30,40])
np.sum([n1,n2])
```

```
Out[5]: 100
```

```
In [6]: np.sum([n1,n2],axis=0)
```

```
Out[6]: array([40, 60])
```

```
In [7]: np.sum([n1,n2],axis=1)
```

```
Out[7]: array([30, 70])
```

Basic Addition

```
In [8]: n1=np.array([10,20,30])
n1=n1+1
n1
```

```
Out[8]: array([11, 21, 31])
```

Basic Subtraction

```
In [9]: n1=np.array([10,20,30])
n1=n1-1
n1
```

```
Out[9]: array([ 9, 19, 29])
```

Basic Multiplication

```
In [10]: n1=np.array([10,20,30])
n1=n1*2
n1
```

```
Out[10]: array([20, 40, 60])
```

Basic Division

```
In [11]: n1=np.array([10,20,30])  
n1=n1/10  
n1
```

```
Out[11]: array([1., 2., 3.])
```

```
In [ ]:
```

```
#Matplotlib is a python Library used for data visualization
```

LINE PLOT

```
In [1]: import numpy as np  
from matplotlib import pyplot as plt
```

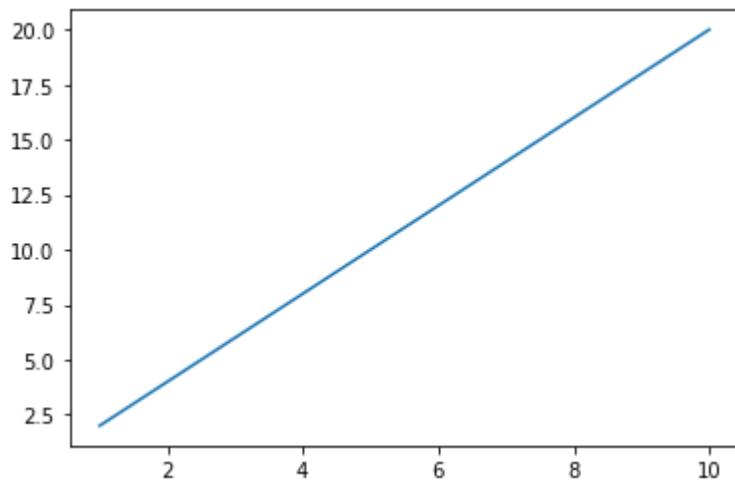
```
In [2]: x=np.arange(1,11)  
x
```

```
Out[2]: array([ 1,  2,  3,  4,  5,  6,  7,  8,  9, 10])
```

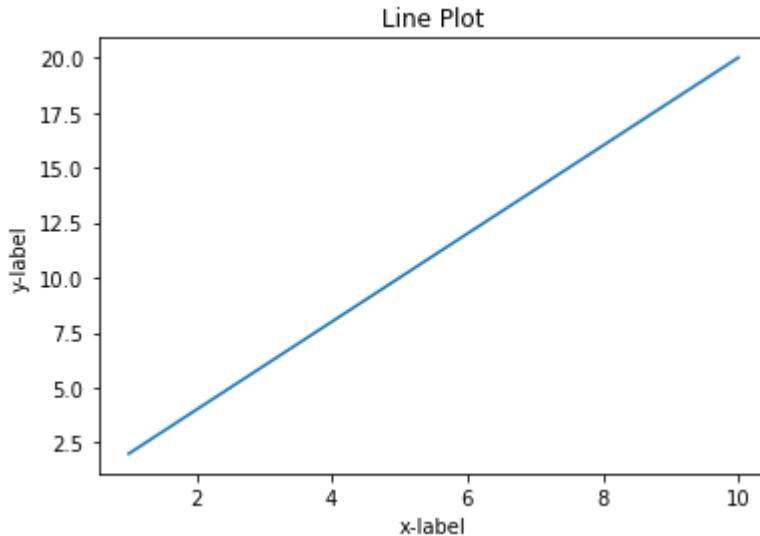
```
In [3]: y=2*x  
y
```

```
Out[3]: array([ 2,  4,  6,  8, 10, 12, 14, 16, 18, 20])
```

```
In [4]: plt.plot(x,y)  
plt.show()
```

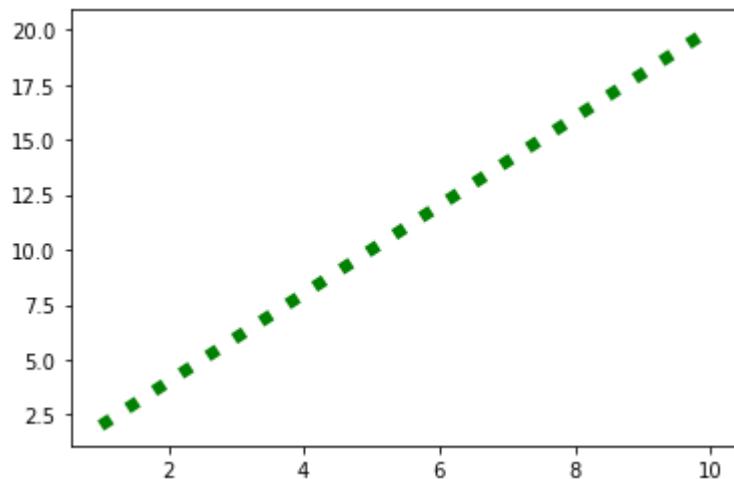


```
In [5]: plt.plot(x,y)
plt.title("Line Plot")
plt.xlabel("x-label")
plt.ylabel("y-label")
plt.show()
```



Changing line aesthetics

```
In [8]: plt.plot(x,y,color='g',linestyle=':',linewidth=6)
plt.show()
```

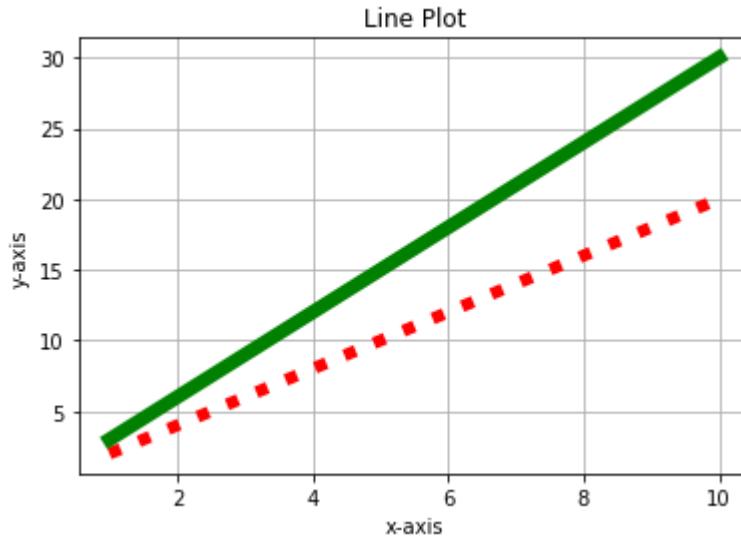


Addition of two lines in same plot

```
In [9]: x=np.arange(1,11)
y1=2*x
y2=3*x
```

```
plt.plot(x,y1,color='r',linestyle=':',linewidth=6)
plt.plot(x,y2,color='g',linestyle='-',linewidth=7)
plt.title("Line Plot")
plt.xlabel("x-axis")
plt.ylabel("y-axis")
plt.grid(True)
plt.show()
```

```
In [13]: plt.plot(x,y1,color='r',linestyle=':',linewidth=6)
plt.plot(x,y2,color='g',linestyle='--',linewidth=7)
plt.title("Line Plot")
plt.xlabel("x-axis")
plt.ylabel("y-axis")
plt.grid(True)
plt.show()
```



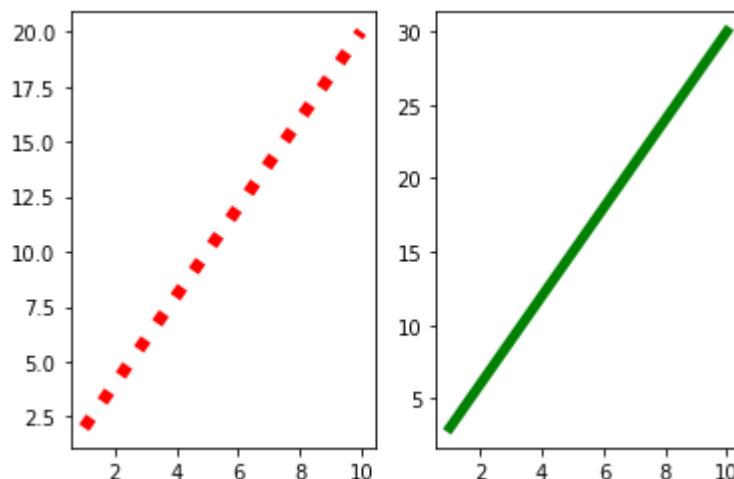
Adding sub-plots

```
In [16]: x=np.arange(1,11)
y1=2*x
y2=3*x

plt.subplot(1,2,1)
plt.plot(x,y1,color='r',linestyle=':',linewidth=6)

plt.subplot(1,2,2)
plt.plot(x,y2,color='g',linestyle='--',linewidth=5)

plt.show()
```

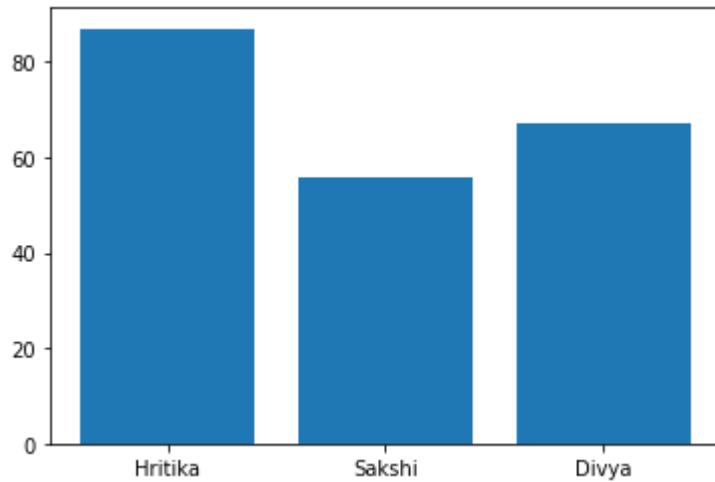


Bar plot

```
In [18]: student={"Hritika":87,"Sakshi":56,"Divya":67}

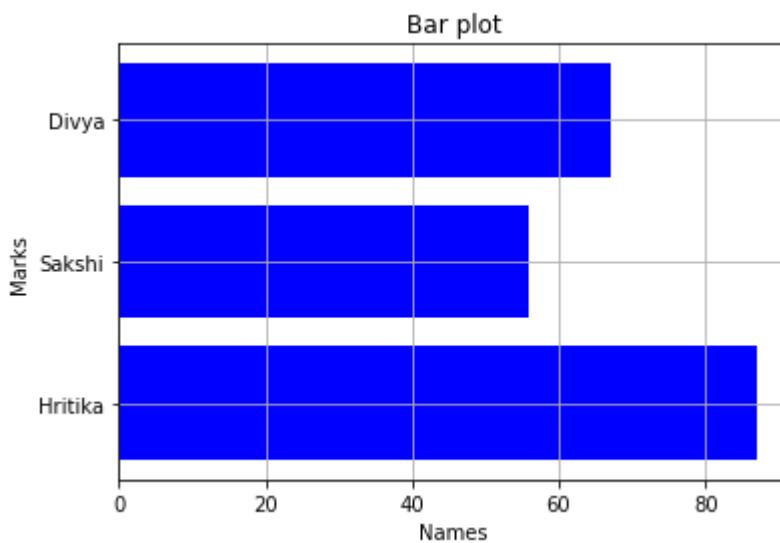
names=list(student.keys())
values=list(student.values())

plt.bar(names,values)
plt.show()
```



Horizontal bar plot

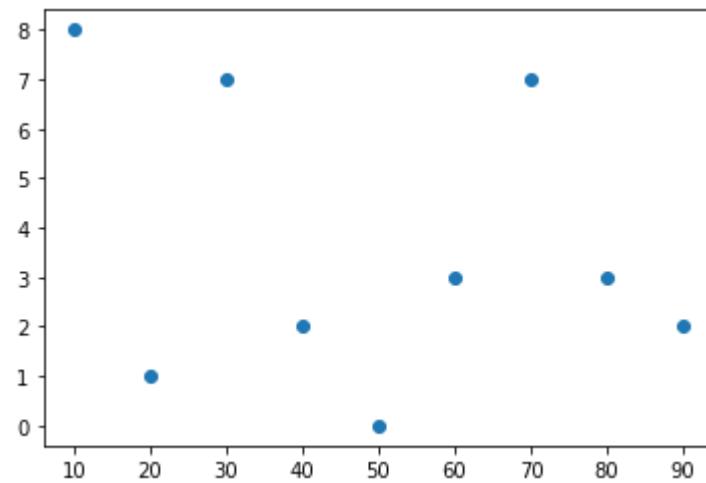
```
In [19]: plt.barh(names,values,color='b')
plt.title("Bar plot")
plt.xlabel("Names")
plt.ylabel("Marks")
plt.grid(True)
plt.show()
```



Scatter Plot

```
In [23]: x=[10,20,30,40,50,60,70,80,90]
a=[8,1,7,2,0,3,7,3,2]

plt.scatter(x,a)
plt.show()
```



```
In [ ]:
```

```
In [18]: import numpy as np
import pandas as pd

from sklearn import preprocessing
import matplotlib.pyplot as plt
plt.rc("font", size=14)
import seaborn as sns
sns.set(style="white") #white background style for seaborn plots
sns.set(style="whitegrid", color_codes=True)

import warnings
warnings.simplefilter(action='ignore')
```

```
In [19]: # Read CSV train data file into DataFrame
train_df = pd.read_csv("titanic_train.csv")

# Read CSV test data file into DataFrame
test_df = pd.read_csv("titanic_test.csv")

# preview train data
train_df.head()
```

Out[19]:

	PassengerId	Survived	Pclass	Name	Sex	Age	SibSp	Parch	Ticket	Fare	Cal
0		1	0	Braund, Mr. Owen Harris	male	22.0	1	0	A/5 21171	7.2500	N
1		2	1	Cumings, Mrs. John Bradley (Florence Briggs Th...)	female	38.0	1	0	PC 17599	71.2833	C
2		3	1	Heikkinen, Miss. Laina	female	26.0	0	0	STON/O2. 3101282	7.9250	N
3		4	1	Futrelle, Mrs. Jacques Heath (Lily May Peel)	female	35.0	1	0	113803	53.1000	C1
4		5	0	Allen, Mr. William Henry	male	35.0	0	0	373450	8.0500	N

```
In [20]: print('The number of samples into the train data is {}.'.format(train_df.shape[0]))
```

The number of samples into the train data is 891.

```
In [21]: test_df.head()
```

Out[21]:

	PassengerId	Pclass	Name	Sex	Age	SibSp	Parch	Ticket	Fare	Cabin	Embarked
0	892	3	Kelly, Mr. James	male	34.5	0	0	330911	7.8292	NaN	
1	893	3	Wilkes, Mrs. James (Ellen Needs)	female	47.0	1	0	363272	7.0000	NaN	
2	894	2	Myles, Mr. Thomas Francis	male	62.0	0	0	240276	9.6875	NaN	
3	895	3	Wirz, Mr. Albert	male	27.0	0	0	315154	8.6625	NaN	
4	896	3	Hirvonen, Mrs. Alexander (Helga E Lindqvist)	female	22.0	1	1	3101298	12.2875	NaN	

◀ ▶

```
In [22]: print('The number of samples into the test data is {}.'.format(test_df.shape[0]))
```

The number of samples into the test data is 418.

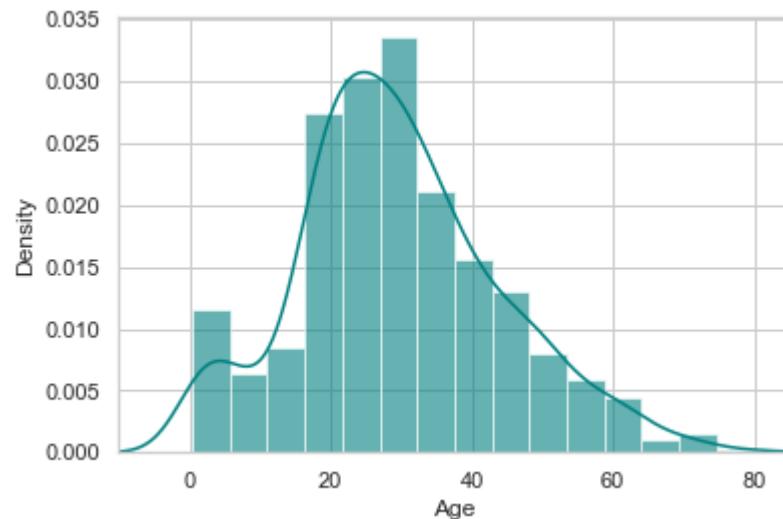
```
In [23]: # check missing values in train data  
train_df.isnull().sum()
```

```
Out[23]: PassengerId      0  
Survived        0  
Pclass          0  
Name            0  
Sex             0  
Age           177  
SibSp          0  
Parch          0  
Ticket         0  
Fare           0  
Cabin         687  
Embarked       2  
dtype: int64
```

```
In [24]: # percent of missing "Age"  
print('Percent of missing "Age" records is %.2f%%' %((train_df['Age'].isnull().
```

Percent of missing "Age" records is 19.87%

```
In [25]: ax = train_df["Age"].hist(bins=15, density=True, stacked=True, color='teal', alpha=0.6)
train_df["Age"].plot(kind='density', color='teal')
ax.set(xlabel='Age')
plt.xlim(-10,85)
plt.show()
```



```
In [26]: # mean age
print('The mean of "Age" is %.2f' %(train_df["Age"].mean(skipna=True)))
# median age
print('The median of "Age" is %.2f' %(train_df["Age"].median(skipna=True)))
```

The mean of "Age" is 29.70
The median of "Age" is 28.00

```
In [27]: # percent of missing "Cabin"
print('Percent of missing "Cabin" records is %.2f%%' %((train_df['Cabin'].isnull().sum() / train_df['Cabin'].count()) * 100))
```

Percent of missing "Cabin" records is 77.10%

```
In [28]: #percent of missing "Embarked"
print('Percent of missing "Embarked" records is %.2f%%' %((train_df['Embarked'].isnull().sum() / train_df['Embarked'].count()) * 100))
```

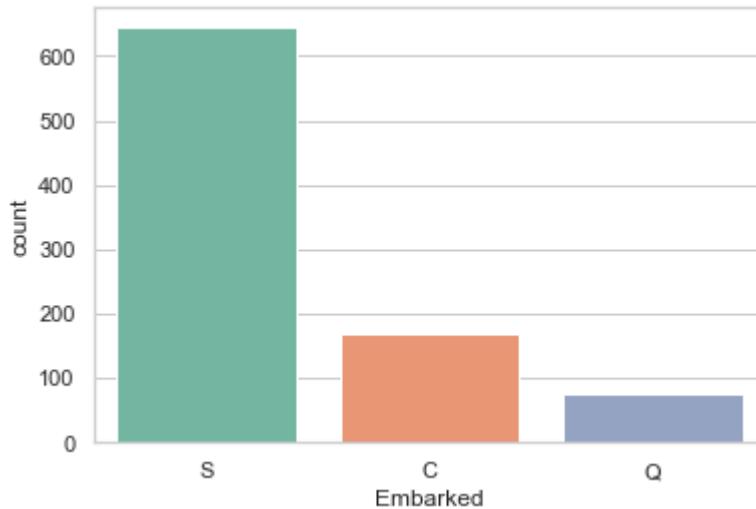
Percent of missing "Embarked" records is 0.22%

```
In [29]: print('Boarded passengers grouped by port of embarkation (C = Cherbourg, Q = Queenstown, S = Southampton):')
print(train_df['Embarked'].value_counts())
sns.countplot(x='Embarked', data=train_df, palette='Set2')
plt.show()
```

Boarded passengers grouped by port of embarkation (C = Cherbourg, Q = Queenstown, S = Southampton):

S	644
C	168
Q	77

Name: Embarked, dtype: int64



```
In [30]: print('The most common boarding port of embarkation is %s.' %train_df['Embarked'].mode()[0])
```

The most common boarding port of embarkation is S.

```
In [31]: train_data = train_df.copy()
train_data["Age"].fillna(train_df["Age"].median(skipna=True), inplace=True)
train_data["Embarked"].fillna(train_df['Embarked'].value_counts().idxmax(), inplace=True)
train_data.drop('Cabin', axis=1, inplace=True)
```

```
In [32]: # check missing values in adjusted train data
train_data.isnull().sum()
```

```
Out[32]: PassengerId      0
Survived        0
Pclass          0
Name            0
Sex             0
Age             0
SibSp           0
Parch           0
Ticket          0
Fare            0
Embarked        0
dtype: int64
```

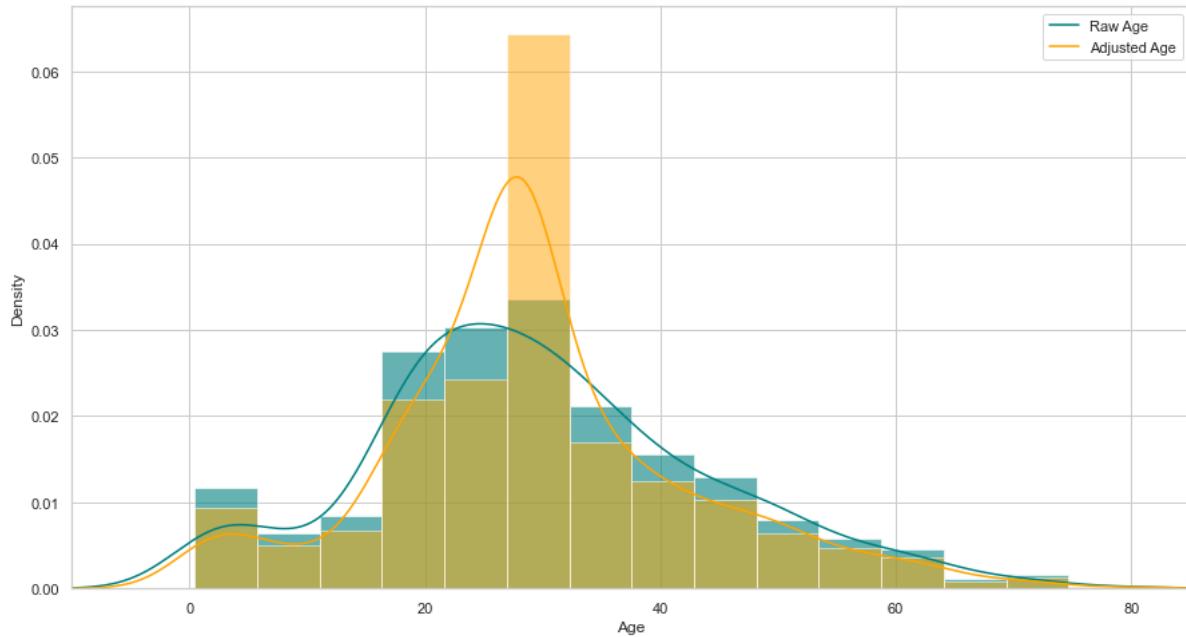
```
In [33]: # preview adjusted train data  
train_data.head()
```

Out[33]:

	PassengerId	Survived	Pclass	Name	Sex	Age	SibSp	Parch	Ticket	Fare	Em
0	1	0	3	Braund, Mr. Owen Harris	male	22.0	1	0	A/5 21171	7.2500	
1	2	1	1	Cumings, Mrs. John Bradley (Florence Briggs Th...)	female	38.0	1	0	PC 17599	71.2833	
2	3	1	3	Heikkinen, Miss. Laina	female	26.0	0	0	STON/O2. 3101282	7.9250	
3	4	1	1	Futrelle, Mrs. Jacques Heath (Lily May Peel)	female	35.0	1	0	113803	53.1000	
4	5	0	3	Allen, Mr. William Henry	male	35.0	0	0	373450	8.0500	



```
In [34]: plt.figure(figsize=(15,8))
ax = train_df["Age"].hist(bins=15, density=True, stacked=True, color='teal', alpha=0.6)
train_df["Age"].plot(kind='density', color='teal')
ax = train_data["Age"].hist(bins=15, density=True, stacked=True, color='orange', alpha=0.6)
train_data["Age"].plot(kind='density', color='orange')
ax.legend(['Raw Age', 'Adjusted Age'])
ax.set(xlabel='Age')
plt.xlim(-10,85)
plt.show()
```



```
In [35]: # Create categorical variable for traveling alone
train_data['TravelAlone']=np.where((train_data["SibSp"]+train_data["Parch"])>0, 1, 0)
train_data.drop('SibSp', axis=1, inplace=True)
train_data.drop('Parch', axis=1, inplace=True)
```

```
In [36]: #create categorical variables and drop some variables
training=pd.get_dummies(train_data, columns=["Pclass","Embarked","Sex"])
training.drop('Sex_female', axis=1, inplace=True)
training.drop('PassengerId', axis=1, inplace=True)
training.drop('Name', axis=1, inplace=True)
training.drop('Ticket', axis=1, inplace=True)

final_train = training
final_train.head()
```

Out[36]:

	Survived	Age	Fare	TravelAlone	Pclass_1	Pclass_2	Pclass_3	Embarked_C	Embarked_C
0	0	22.0	7.2500	0	0	0	1	0	C
1	1	38.0	71.2833	0	1	0	0	1	C
2	1	26.0	7.9250	1	0	0	1	0	C
3	1	35.0	53.1000	0	1	0	0	0	C
4	0	35.0	8.0500	1	0	0	1	0	C

Now, apply the same changes to the test data. I will apply to same imputation for "Age" in the Test data as I did for my Training data (if missing, Age = 28). I'll also remove the "Cabin" variable from the test data, as I've decided not to include it in my analysis. There were no missing values in the "Embarked" port variable. I'll add the dummy variables to finalize the test set. Finally, I'll impute the 1 missing value for "Fare" with the median, 14.45.

```
In [37]: test_df.isnull().sum()
```

```
Out[37]: PassengerId      0
Pclass            0
Name             0
Sex              0
Age             86
SibSp            0
Parch            0
Ticket           0
Fare             1
Cabin          327
Embarked         0
dtype: int64
```

```
In [38]: test_data = test_df.copy()
test_data["Age"].fillna(train_df["Age"].median(skipna=True), inplace=True)
test_data["Fare"].fillna(train_df["Fare"].median(skipna=True), inplace=True)
test_data.drop('Cabin', axis=1, inplace=True)

test_data['TravelAlone']=np.where((test_data["SibSp"]+test_data["Parch"])>0, 0,
                                  1)

test_data.drop('SibSp', axis=1, inplace=True)
test_data.drop('Parch', axis=1, inplace=True)

testing = pd.get_dummies(test_data, columns=["Pclass", "Embarked", "Sex"])
testing.drop('Sex_female', axis=1, inplace=True)
testing.drop('PassengerId', axis=1, inplace=True)
testing.drop('Name', axis=1, inplace=True)
testing.drop('Ticket', axis=1, inplace=True)

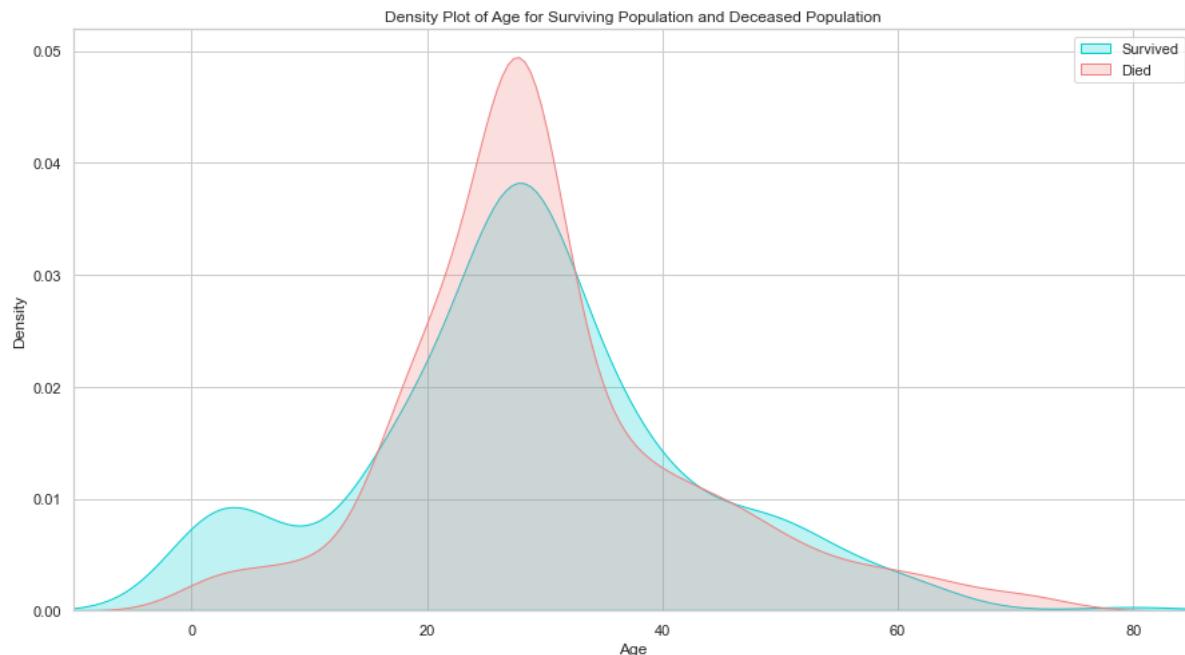
final_test = testing
final_test.head()
```

Out[38]:

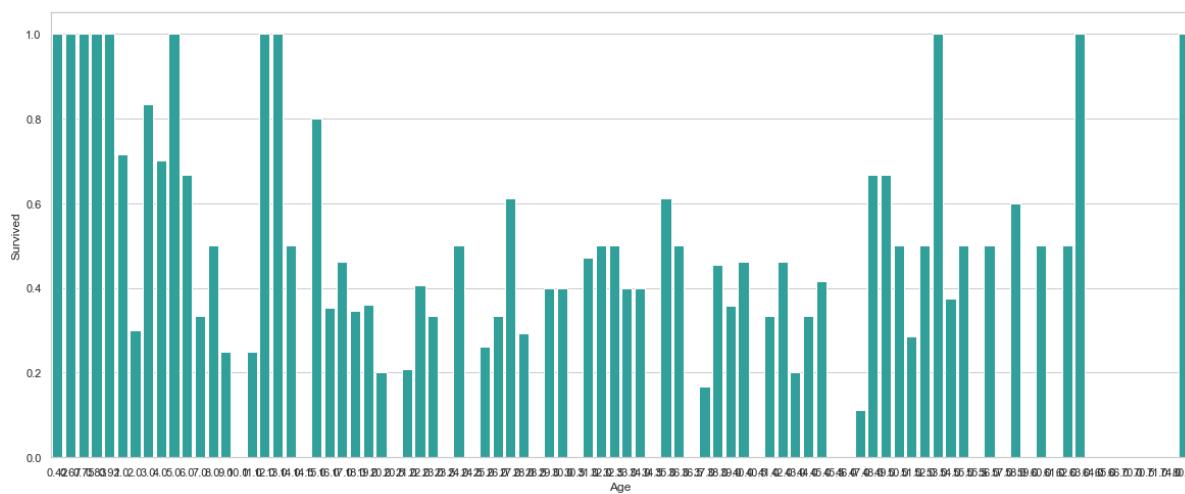
	Age	Fare	TravelAlone	Pclass_1	Pclass_2	Pclass_3	Embarked_C	Embarked_Q	Embarked_S
0	34.5	7.8292		1	0	0	1	0	1
1	47.0	7.0000		0	0	0	1	0	0
2	62.0	9.6875		1	0	1	0	0	1
3	27.0	8.6625		1	0	0	1	0	0
4	22.0	12.2875		0	0	0	1	0	0



```
In [39]: plt.figure(figsize=(15,8))
ax = sns.kdeplot(final_train["Age"][final_train.Survived == 1], color="darkturquoise")
sns.kdeplot(final_train["Age"][final_train.Survived == 0], color="lightcoral",
plt.legend(['Survived', 'Died'])
plt.title('Density Plot of Age for Surviving Population and Deceased Population')
ax.set(xlabel='Age')
plt.xlim(-10,85)
plt.show()
```



```
In [40]: plt.figure(figsize=(20,8))
avg_survival_byage = final_train[["Age", "Survived"]].groupby(['Age'], as_index=False)
g = sns.barplot(x='Age', y='Survived', data=avg_survival_byage, color="LightSeaGreen")
plt.show()
```

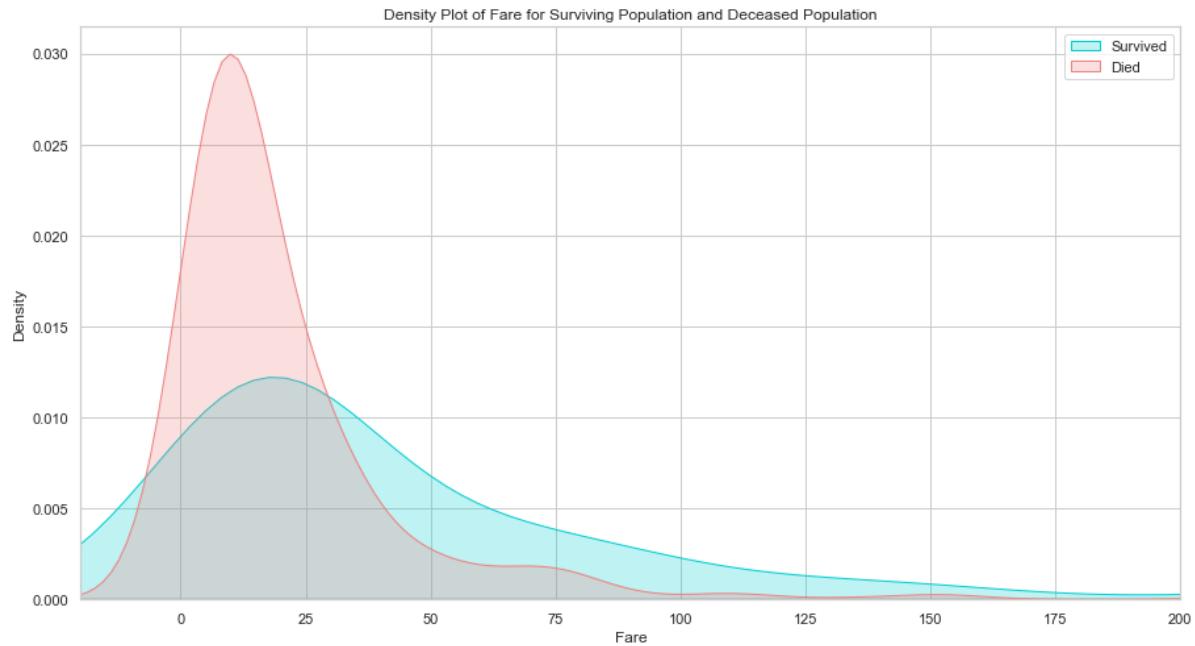


```
In [41]: final_train['IsMinor']=np.where(final_train['Age']<=16, 1, 0)

final_test['IsMinor']=np.where(final_test['Age']<=16, 1, 0)
```

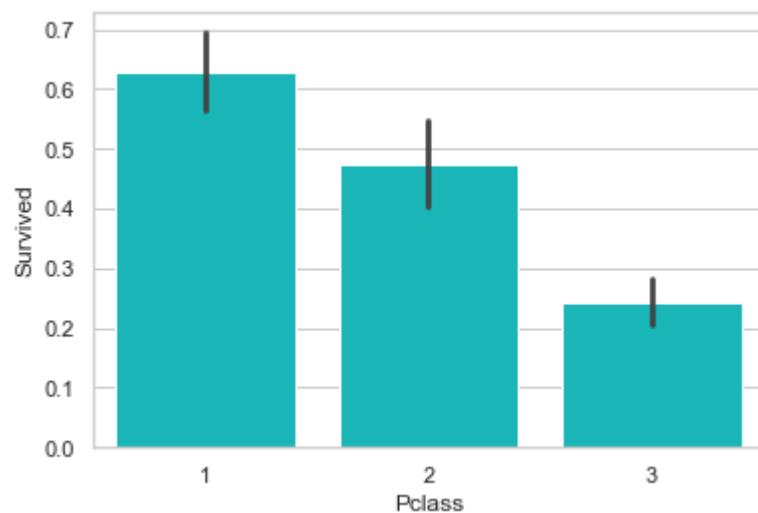
In [42]: #Exploration of Fare

```
plt.figure(figsize=(15,8))
ax = sns.kdeplot(final_train["Fare"][final_train.Survived == 1], color="darkturquoise")
sns.kdeplot(final_train["Fare"][final_train.Survived == 0], color="lightcoral", fill=True)
plt.legend(['Survived', 'Died'])
plt.title('Density Plot of Fare for Surviving Population and Deceased Population')
ax.set(xlabel='Fare')
plt.xlim(-20,200)
plt.show()
```



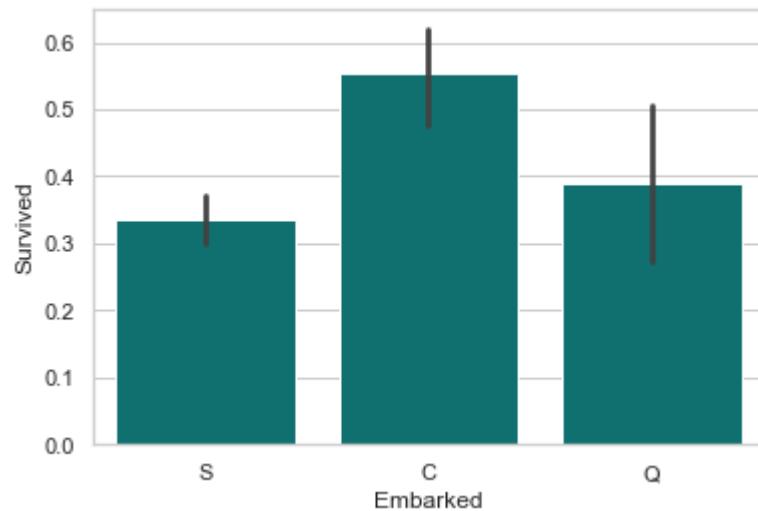
In [43]: #Exploration of Passenger Class

```
sns.barplot('Pclass', 'Survived', data=train_df, color="darkturquoise")
plt.show()
```



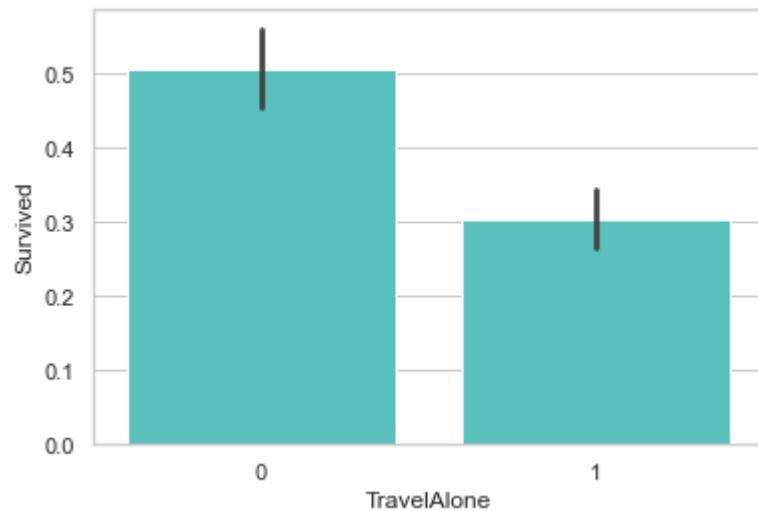
In [44]: *#Exploration of Embarked Port*

```
sns.barplot('Embarked', 'Survived', data=train_df, color="teal")
plt.show()
```

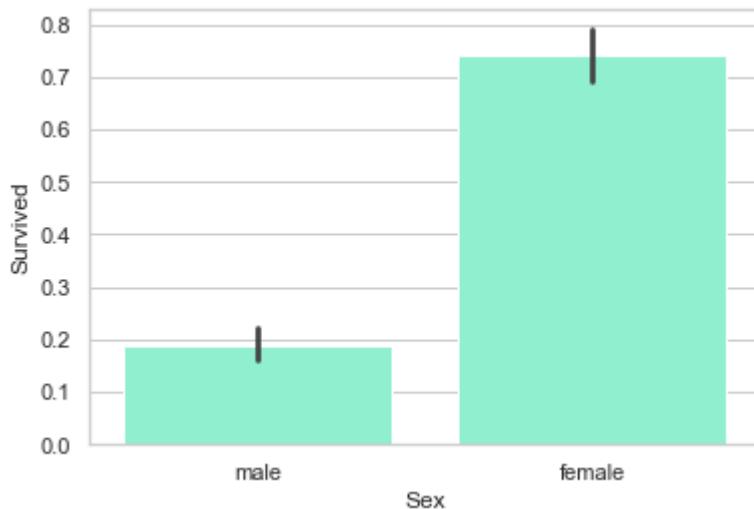


In [45]: *#Exploration of Traveling Alone vs. With Family*

```
sns.barplot('TravelAlone', 'Survived', data=final_train, color="mediumturquoise")
plt.show()
```



```
In [46]: #Exploration of Gender Variable  
sns.barplot('Sex', 'Survived', data=train_df, color="aquamarine")  
plt.show()
```



```
In [47]: #Logistic Regression and Results  
from sklearn.linear_model import LogisticRegression  
from sklearn.feature_selection import RFE  
  
cols = ["Age", "Fare", "TravelAlone", "Pclass_1", "Pclass_2", "Embarked_C", "Embarked_S", "IsMinor"]  
X = final_train[cols]  
y = final_train['Survived']  
# Build a Logreg and compute the feature importances  
model = LogisticRegression()  
# create the RFE model and select 8 attributes  
rfe = RFE(model, 8)  
rfe = rfe.fit(X, y)  
# summarize the selection of the attributes  
print('Selected features: %s' % list(X.columns[rfe.support_]))
```

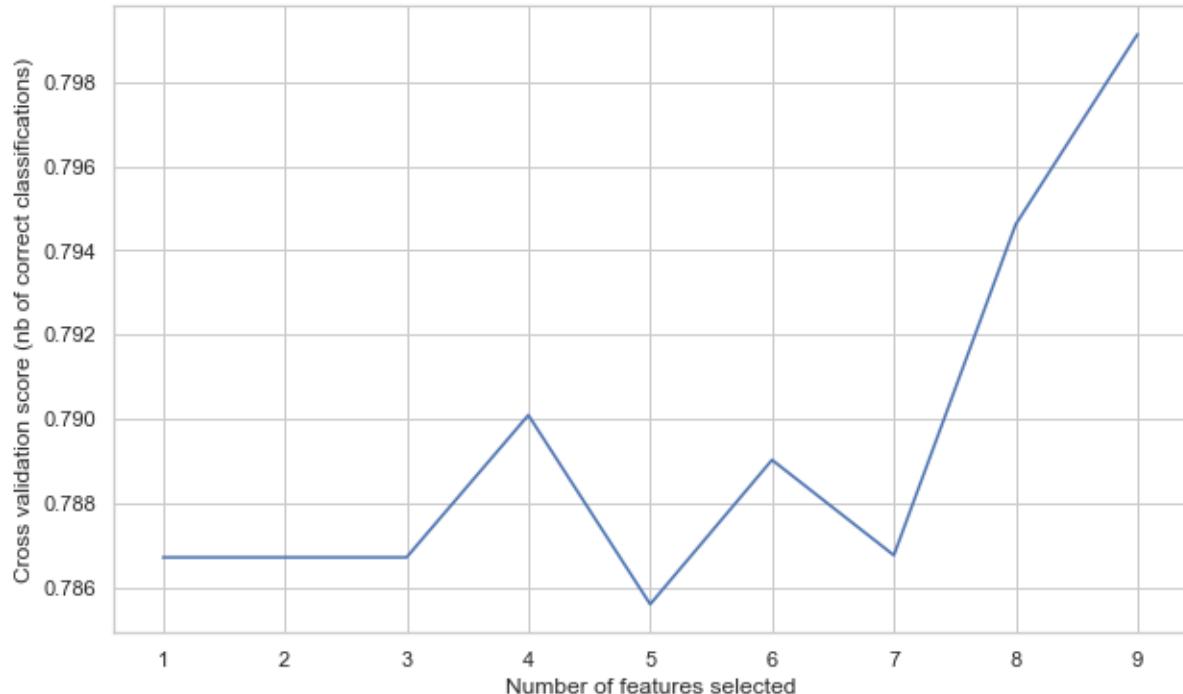
```
Selected features: ['Age', 'TravelAlone', 'Pclass_1', 'Pclass_2', 'Embarked_C', 'Embarked_S', 'Sex_male', 'IsMinor']
```

```
In [48]: from sklearn.feature_selection import RFECV
# Create the RFE object and compute a cross-validated score.
# The "accuracy" scoring is proportional to the number of correct classifications
rfecv = RFECV(estimator=LogisticRegression(), step=1, cv=10, scoring='accuracy')
rfecv.fit(X, y)

print("Optimal number of features: %d" % rfecv.n_features_)
print('Selected features: %s' % list(X.columns[rfecv.support_]))

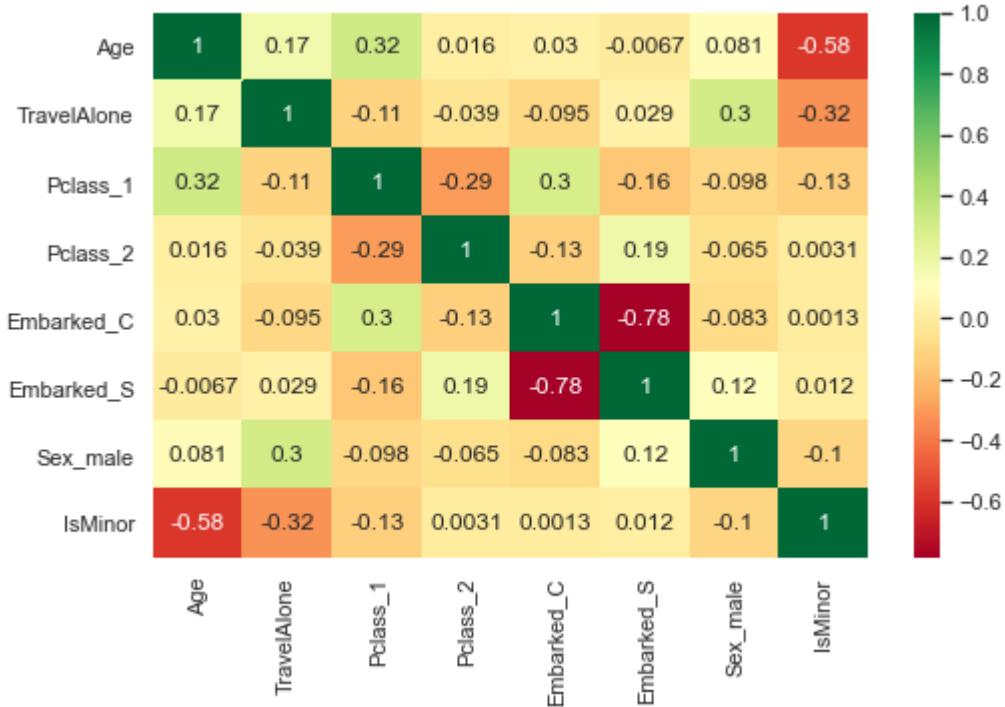
# Plot number of features VS. cross-validation scores
plt.figure(figsize=(10,6))
plt.xlabel("Number of features selected")
plt.ylabel("Cross validation score (nb of correct classifications)")
plt.plot(range(1, len(rfecv.grid_scores_) + 1), rfecv.grid_scores_)
plt.show()
```

Optimal number of features: 9
 Selected features: ['Age', 'Fare', 'TravelAlone', 'Pclass_1', 'Pclass_2', 'Embarked_C', 'Embarked_S', 'Sex_male', 'IsMinor']



```
In [49]: Selected_features = ['Age', 'TravelAlone', 'Pclass_1', 'Pclass_2', 'Embarked_C',
                           'Embarked_S', 'Sex_male', 'IsMinor']
X = final_train[Selected_features]

plt.subplots(figsize=(8, 5))
sns.heatmap(X.corr(), annot=True, cmap="RdYlGn")
plt.show()
```



```
In [50]: #Review of model evaluation procedures
from sklearn.model_selection import train_test_split, cross_val_score
from sklearn.metrics import accuracy_score, classification_report, precision_score
from sklearn.metrics import confusion_matrix, precision_recall_curve, roc_curve

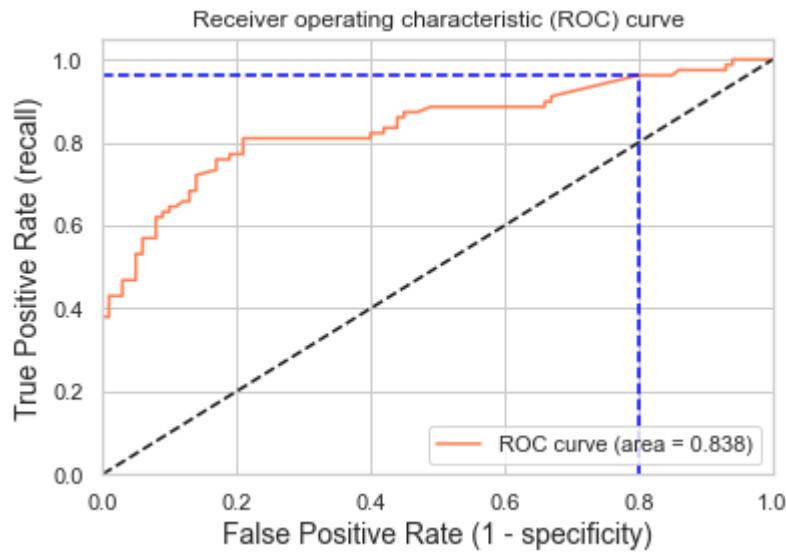
# create X (features) and y (response)
X = final_train[Selected_features]
y = final_train['Survived']

# use train/test split with different random_state values
# we can change the random_state values that changes the accuracy scores
# the scores change a lot, this is why testing scores is a high-variance estimator
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)

# check classification scores of logistic regression
logreg = LogisticRegression()
logreg.fit(X_train, y_train)
y_pred = logreg.predict(X_test)
y_pred_proba = logreg.predict_proba(X_test)[:, 1]
[fpr, tpr, thr] = roc_curve(y_test, y_pred_proba)
print('Train/Test split results:')
print(logreg.__class__.__name__ + " accuracy is %2.3f" % accuracy_score(y_test, y_pred))
print(logreg.__class__.__name__ + " log_loss is %2.3f" % log_loss(y_test, y_pred_proba))
print(logreg.__class__.__name__ + " auc is %2.3f" % auc(fpr, tpr))

idx = np.min(np.where(tpr > 0.95)) # index of the first threshold for which the sensitivity is 95%
plt.figure()
plt.plot(fpr, tpr, color='coral', label='ROC curve (area = %0.3f)' % auc(fpr, tpr))
plt.plot([0, 1], [0, 1], 'k--')
plt.plot([0,fpr[idx]], [tpr[idx],tpr[idx]], 'k--', color='blue')
plt.plot([fpr[idx],fpr[idx]], [0,tpr[idx]], 'k--', color='blue')
plt.xlim([0.0, 1.0])
plt.ylim([0.0, 1.05])
plt.xlabel('False Positive Rate (1 - specificity)', fontsize=14)
plt.ylabel('True Positive Rate (recall)', fontsize=14)
plt.title('Receiver operating characteristic (ROC) curve')
plt.legend(loc="lower right")
plt.show()
print("Using a threshold of %.3f " % thr[idx] + " guarantees a sensitivity of %.3f" % tpr[idx] +
      "and a specificity of %.3f" % (1-fpr[idx]) +
      ", i.e. a false positive rate of %.2f%%." % (np.array(fpr[idx])*100))
```

Train/Test split results:
 LogisticRegression accuracy is 0.782
 LogisticRegression log_loss is 0.504
 LogisticRegression auc is 0.838



Using a threshold of 0.070 guarantees a sensitivity of 0.962 and a specificity of 0.200, i.e. a false positive rate of 80.00%.

```
In [51]: # 10-fold cross-validation logistic regression
logreg = LogisticRegression()
# Use cross_val_score function
# We are passing the entirety of X and y, not X_train or y_train, it takes care
# cv=10 for 10 folds
# scoring = {'accuracy', 'neg_log_loss', 'roc_auc'} for evaluation metric - alt
scores_accuracy = cross_val_score(logreg, X, y, cv=10, scoring='accuracy')
scores_log_loss = cross_val_score(logreg, X, y, cv=10, scoring='neg_log_loss')
scores_auc = cross_val_score(logreg, X, y, cv=10, scoring='roc_auc')
print('K-fold cross-validation results:')
print(logreg.__class__.__name__ + " average accuracy is %2.3f" % scores_accuracy)
print(logreg.__class__.__name__ + " average log_loss is %2.3f" % -scores_log_loss)
print(logreg.__class__.__name__ + " average auc is %2.3f" % scores_auc.mean())
```

K-fold cross-validation results:
LogisticRegression average accuracy is 0.795
LogisticRegression average log_loss is 0.454
LogisticRegression average auc is 0.850

```
In [52]: from sklearn.model_selection import cross_validate

scoring = {'accuracy': 'accuracy', 'log_loss': 'neg_log_loss', 'auc': 'roc_auc'}

modelCV = LogisticRegression()

results = cross_validate(modelCV, X, y, cv=10, scoring=list(scoring.values()),
                        return_train_score=False)

print('K-fold cross-validation results:')
for sc in range(len(scoring)):
    print(modelCV.__class__.__name__ + " average %s: %.3f (+/-%.3f)" % (list(scoring)[sc], results['test_%s' % list(scoring)[sc]], results['std_%s' % list(scoring)[sc]]))
```

```
K-fold cross-validation results:
LogisticRegression average accuracy: 0.795 (+/-0.025)
LogisticRegression average log_loss: 0.454 (+/-0.037)
LogisticRegression average auc: 0.850 (+/-0.028)
```

```
In [53]: #What happens when we add the feature "Fare"?
```

```
cols = ["Age", "Fare", "TravelAlone", "Pclass_1", "Pclass_2", "Embarked_C", "Embarked_S"]
X = final_train[cols]

scoring = {'accuracy': 'accuracy', 'log_loss': 'neg_log_loss', 'auc': 'roc_auc'}

modelCV = LogisticRegression()

results = cross_validate(modelCV, final_train[cols], y, cv=10, scoring=list(scoring.values()),
                        return_train_score=False)

print('K-fold cross-validation results:')
for sc in range(len(scoring)):
    print(modelCV.__class__.__name__ + " average %s: %.3f (+/-%.3f)" % (list(scoring)[sc], results['test_%s' % list(scoring)[sc]], results['std_%s' % list(scoring)[sc]]))
```

```
K-fold cross-validation results:
LogisticRegression average accuracy: 0.799 (+/-0.028)
LogisticRegression average log_loss: 0.455 (+/-0.037)
LogisticRegression average auc: 0.849 (+/-0.028)
```



```
In [54]: from sklearn.model_selection import GridSearchCV
X = final_train[Selected_features]

param_grid = {'C': np.arange(1e-05, 3, 0.1)}
scoring = {'Accuracy': 'accuracy', 'AUC': 'roc_auc', 'Log_loss': 'neg_log_loss'}

gs = GridSearchCV(LogisticRegression(), return_train_score=True,
                  param_grid=param_grid, scoring=scoring, cv=10, refit='Accuracy')

gs.fit(X, y)
results = gs.cv_results_

print('*'*20)
print("best params: " + str(gs.best_estimator_))
print("best params: " + str(gs.best_params_))
print('best score:', gs.best_score_)
print('*'*20)

plt.figure(figsize=(10, 10))
plt.title("GridSearchCV evaluating using multiple scorers simultaneously", fontweight='bold')

plt.xlabel("Inverse of regularization strength: C")
plt.ylabel("Score")
plt.grid()

ax = plt.axes()
ax.set_xlim(0, param_grid['C'].max())
ax.set_ylim(0.35, 0.95)

# Get the regular numpy array from the MaskedArray
X_axis = np.array(results['param_C'].data, dtype=float)

for scorer, color in zip(list(scoring.keys()), ['g', 'k', 'b']):
    for sample, style in (('train', '--'), ('test', '-')):
        sample_score_mean = -results['mean_%s_%s' % (sample, scorer)] if scoring[scorer] == 'neg_log_loss' else results['mean_%s_%s' % (sample, scorer)]
        sample_score_std = results['std_%s_%s' % (sample, scorer)]
        ax.fill_between(X_axis, sample_score_mean - sample_score_std,
                        sample_score_mean + sample_score_std,
                        alpha=0.1 if sample == 'test' else 0, color=color)
        ax.plot(X_axis, sample_score_mean, style, color=color,
                alpha=1 if sample == 'test' else 0.7,
                label="%s (%s)" % (scorer, sample))

best_index = np.nonzero(results['rank_test_%s' % scorer] == 1)[0][0]
best_score = -results['mean_test_%s' % scorer][best_index] if scoring[scorer] == 'neg_log_loss' else results['mean_test_%s' % scorer][best_index]

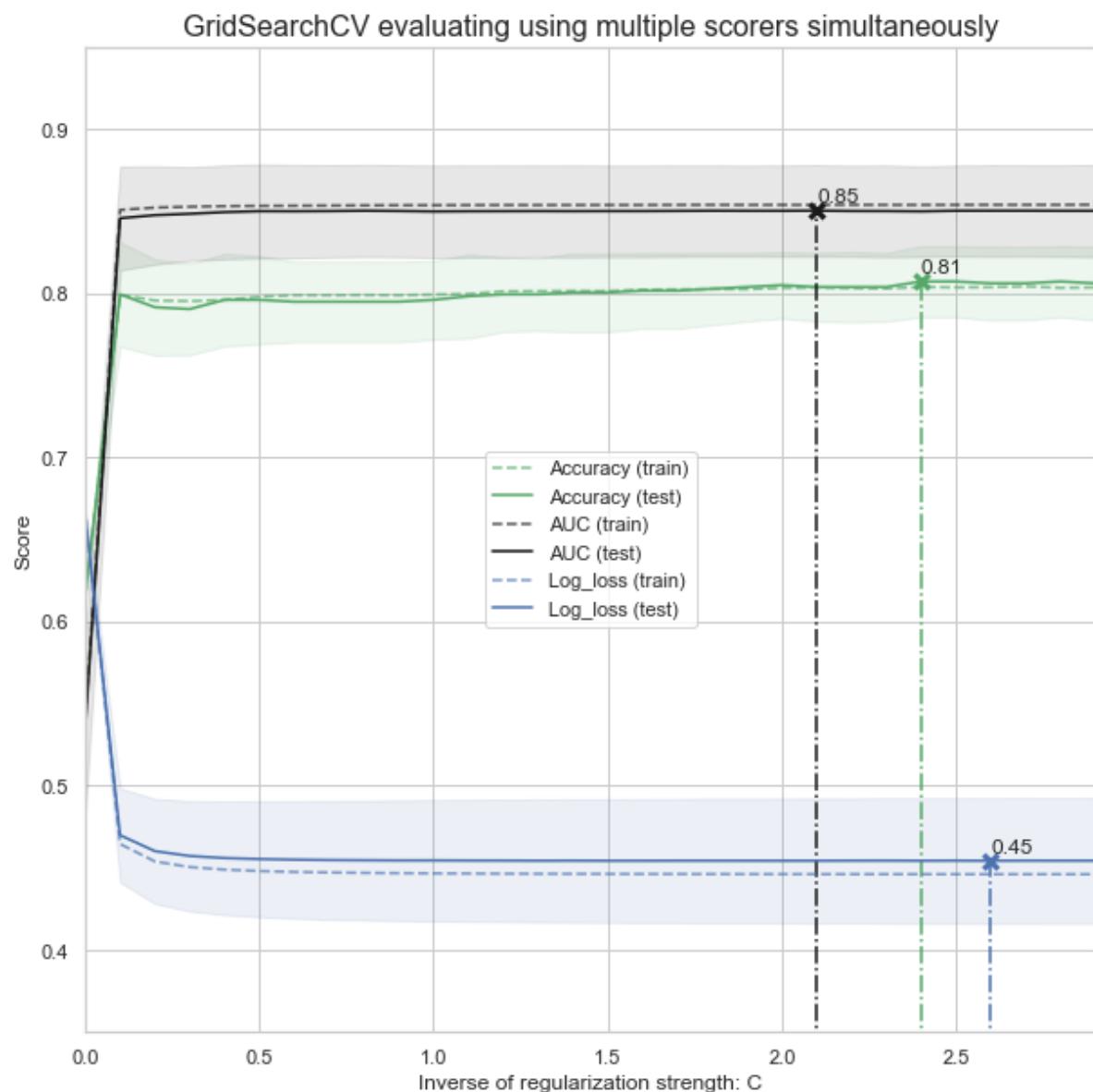
# Plot a dotted vertical line at the best score for that scorer
# marked by a vertical tick
ax.plot([X_axis[best_index], ] * 2, [0, best_score],
        linestyle='-.', color=color, marker='x', markeredgewidth=3, ms=8)

# Annotate the best score for that scorer
ax.annotate("%0.2f" % best_score,
            (X_axis[best_index], best_score + 0.005))

plt.legend(loc="best")
plt.grid('off')
```

```
plt.show()
```

```
=====
best params: LogisticRegression(C=2.4000100000000004)
best params: {'C': 2.4000100000000004}
best score: 0.8069662921348316
=====
```




```
In [*]: from sklearn.preprocessing import StandardScaler
from sklearn.model_selection import RepeatedStratifiedKFold
from sklearn.pipeline import Pipeline

#Define simple model
#####
C = np.arange(1e-05, 5.5, 0.1)
scoring = {'Accuracy': 'accuracy', 'AUC': 'roc_auc', 'Log_loss': 'neg_log_loss'}
log_reg = LogisticRegression()

#Simple pre-processing estimators
#####
std_scale = StandardScaler(with_mean=False, with_std=False)
#std_scale = StandardScaler()

#Defining the CV method: Using the Repeated Stratified K Fold
#####

n_folds=5
n_repeats=5

rskfold = RepeatedStratifiedKFold(n_splits=n_folds, n_repeats=n_repeats, random_state=42)

#Creating simple pipeline and defining the gridsearch
#####

log_clf_pipe = Pipeline(steps=[('scale',std_scale), ('clf',log_reg)])

log_clf = GridSearchCV(estimator=log_clf_pipe, cv=rskfold,
                       scoring=scoring, return_train_score=True,
                       param_grid=dict(clf__C=C), refit='Accuracy')

log_clf.fit(X, y)
results = log_clf.cv_results_

print('*'*20)
print("best params: " + str(log_clf.best_estimator_))
print("best params: " + str(log_clf.best_params_))
print('best score:', log_clf.best_score_)
print('*'*20)

plt.figure(figsize=(10, 10))
plt.title("GridSearchCV evaluating using multiple scorers simultaneously", fontweight='bold')

plt.xlabel("Inverse of regularization strength: C")
plt.ylabel("Score")
plt.grid()

ax = plt.axes()
ax.set_xlim(0, C.max())
ax.set_ylim(0.35, 0.95)

# Get the regular numpy array from the MaskedArray
X_axis = np.array(results['param_clf__C'].data, dtype=float)

for scorer, color in zip(list(scoring.keys()), ['g', 'k', 'b']):
    for sample, style in (('train', '--'), ('test', '-')):
```

```

sample_score_mean = -results['mean_%s_%s' % (sample, scorer)] if scoring[sample][scorer] > 0 else 0
sample_score_std = results['std_%s_%s' % (sample, scorer)]
ax.fill_between(X_axis, sample_score_mean - sample_score_std,
                 sample_score_mean + sample_score_std,
                 alpha=0.1 if sample == 'test' else 0, color=color)
ax.plot(X_axis, sample_score_mean, style, color=color,
        alpha=1 if sample == 'test' else 0.7,
        label="%s (%s)" % (scorer, sample))

best_index = np.nonzero(results['rank_test_%s' % scorer] == 1)[0][0]
best_score = -results['mean_test_%s' % scorer][best_index] if scoring[sample][scorer] > 0 else 0

# Plot a dotted vertical line at the best score for that scorer marked by x
ax.plot([X_axis[best_index], ] * 2, [0, best_score],
        linestyle='-.', color=color, marker='x', markeredgewidth=3, ms=8)

# Annotate the best score for that scorer
ax.annotate("%0.2f" % best_score,
            (X_axis[best_index], best_score + 0.005))

plt.legend(loc="best")
plt.grid('off')
plt.show()

```

```
In [*]: final_test['Survived'] = log_clf.predict(final_test[Selected_features])
final_test['PassengerId'] = test_df['PassengerId']

submission = final_test[['PassengerId', 'Survived']]

submission.to_csv("submission.csv", index=False)

submission.tail()
```

In []:

```
In [1]: print("welcom to PYTHON_PROGRAMMING")
```

```
welcom to PYTHON_PROGRAMMING
```

```
In [2]: a=input("Enter a value")
b=input("Enter a value")
c=int(a) + int(b)
print ("the sum is",c)
```

```
Enter a value5
Enter a value10
the sum is 15
```

```
In [3]: a = 5
print(a, "is of type", type(a))
a= 2.0
print(a, "is of type", type(a))
a = 1+2j
print(a, "is complex number", isinstance(1+2j,complex))
```

```
5 is of type <class 'int'>
2.0 is of type <class 'float'>
(1+2j) is complex number True
```

```
In [4]: a =34
print(type(a))
b=45545454545
print(type(b))
print(b)
```

```
<class 'int'>
<class 'int'>
45545454545
```

```
In [6]: f=3.1455
print(f)
print(type(f))
f1=1.255
print(f1)
```

```
3.1455
<class 'float'>
1.255
```

```
In [7]: c=3+4j
print(type(c))
print(c.real)
print(c.imag)
```

```
<class 'complex'>
3.0
4.0
```

```
In [8]: b=True  
print(type(b))  
a=5  
b=8  
c=aab  
print(c)
```

```
<class 'bool'>  
True
```

```
In [9]: s = "This is a string"  
print(s)  
s = " " 'A multiline String'"'"'  
print(s)
```

```
This is a string  
A multiline String
```

```
In [10]: s1 = 'python'  
print(s1)  
s2 = "record"  
print(s2)
```

```
python  
record
```

```
In [11]: id(1025)
```

```
Out[11]: 1653791110608
```

```
In [12]: id(1025)
```

```
Out[12]: 1653791111184
```

```
In [13]: id("RGM")
```

```
Out[13]: 1653791340848
```

```
In [17]: s = "RGM"  
print(id(s))
```

```
1653791341808
```

```
In [18]: s1 = "RGM"  
print(id(s1))
```

```
1653791341808
```

```
In [20]: print(id(s)==id(s1))
```

```
True
```

```
In [21]: list1 = ["python", "java", "c++"]
print(id(list1[0]))
print(id(list1[2]))
```

```
1653759382320
1653792005552
```

```
In [24]: print(id(list1[0])==id(list1[2]))
```

```
False
```

```
In [25]: print('id of 5 =',id(5))
a=5
print('id of a =',id(a))
b=a
print('id of a =',id(b))
c=2.3
print('id of a =',id(c))
```

```
id of 5 = 140708949665712
id of a = 140708949665712
id of a = 140708949665712
id of a = 1653791110384
```

```
In [26]: r = range(10)
print(type(r))
print(r)
```

```
<class 'range'>
range(0, 10)
```

```
In [27]: r = range(10)
print(type(r))
print(r)
for i in r:
    print(i)
```

```
<class 'range'>
range(0, 10)
0
1
2
3
4
5
6
7
8
9
```

```
In [28]: r = range(10)
print(type(r))
print(r)
for i in r:
    print(i,end = ' ')
```

```
<class 'range'>
range(0, 10)
0 1 2 3 4 5 6 7 8 9
```

```
In [29]: r = range(10)
print(type(r))
print(r)
for i in r:
    print(i,end = '\t')
```

```
<class 'range'>
range(0, 10)
0      1      2      3      4      5      6      7      8      9
```

```
In [30]: r = range(10,-25)
print(type(r))
print(r)
for i in r:
    print(i,end = ' ')
```

```
<class 'range'>
range(10, -25)
```

```
In [31]: r = range(-25,10)
print(type(r))
print(r)
for i in r:
    print(i,end = ' ')
```

```
<class 'range'>
range(-25, 10)
-25 -24 -23 -22 -21 -20 -19 -18 -17 -16 -15 -14 -13 -12 -11 -10 -9 -8 -7 -6 -
5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9
```

```
In [32]: r = range(1,21,1)
for i in r:
    print(i,end = ' ')
```

```
1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20
```

```
In [33]: r = range(1,21,2)
for i in r:
    print(i,end = ' ')
```

```
1 3 5 7 9 11 13 15 17 19
```

```
In [34]: r = range(1,21,3)
for i in r:
    print(i,end = ' ')
```

```
1 4 7 10 13 16 19
```

```
In [35]: r = range(10,20)
print(r[0])
print(r[-1])
r1 = r[1:5]
print(r1)
for i in r:
    print(i)
```

```
10
19
range(11, 15)
10
11
12
13
14
15
16
17
18
19
```

```
In [36]: print(bin(12))
print(bin(0XA11))
print(bin(0o2345))
print(bin(54))
```

```
0b1100
0b101000010001
0b10011100101
0b110110
```

```
In [37]: print(oct(12))
print(oct(0XA11))
print(oct(0o2345))
print(oct(54))
```

```
0o14
0o5021
0o2345
0o66
```

```
In [38]: print(hex(12))
print(hex(0XA11))
print(hex(0o2345))
print(hex(54))
```

```
0xc
0xa11
0x4e5
0x36
```

```
In [39]: print(int(45.80))
print(int(True))
print(int(False))
```

```
45
1
0
```

```
In [40]: print(bool(0))
print(bool(1))
print(bool(4))
print(bool(2.0))
print(bool(2+3j))
print(bool(True))
print(bool(False))
```

```
False
True
True
True
True
True
False
```

```
In [41]: x = 2
y = 3
print("addition result :", x + y)
```

```
addition result : 5
```

```
In [42]: x = 2
y = 3.3
print("addition result :", x + y)
```

```
addition result : 5.3
```

```
In [43]: x = 2.2
y = 3.3
print("addition result :", x + y)
```

```
addition result : 5.5
```

```
In [48]: x = "2"  
y = "3"  
print("addition result :", x + y)  
  
addition result : 23
```

```
In [45]: x = 2  
y = 3  
print("subtraction result :", x - y)  
  
subtraction result : -1
```

```
In [47]: x = 10  
y = 5.0  
print("subtraction result :", x - y)  
  
subtraction result : 5.0
```

```
In [49]: x = 10  
y = 5  
print("multiplication result :", x*y)  
  
multiplication result : 50
```

```
In [50]: x = 10  
y = 5.0  
print("multiplication result :", x*y)  
  
multiplication result : 50.0
```

```
In [51]: x = "10"  
y = 5  
print("multiplication result :", x*y)  
  
multiplication result : 1010101010
```

```
In [52]: x = 10  
y = 5  
print("division result :", x/y)  
  
division result : 2.0
```

```
In [53]: x = 10  
y = complex((30))  
print("multiplication result :", x*y)  
  
multiplication result : (300+0j)
```

```
In [54]: a = 3  
b = 4  
print(a%b)  
print(b%a)  
  
3  
1
```

```
In [55]: a = 10
b = 20
print('a < b is', a<b)

print('a <= b is', a<=b)

print('a > b is', a>b)

print('a >= b is', a>=b)
```

```
a < b is True
a <= b is True
a > b is False
a >= b is False
```

```
In [57]: print(ord('b'))
print(ord('B'))
```

```
98
66
```

```
In [58]: print(chr(97))
print(chr(65))
```

```
a
A
```

```
In [59]: print(10==20)
print(10!=20)
```

```
False
True
```

```
In [60]: print(10==True)
print(10==10.0)
print('Tejas'=='Tejas')
```

```
False
True
True
```

```
In [61]: print(True and True)
print(True and False)
print(False and True)
print(False and False)
```

```
True
False
False
False
```

```
In [62]: print(True or True)
print(True or False)
print(False or True)
print(False or False)
```

True
True
True
False

```
In [63]: print(not True)
print(not False)
```

False
True

```
In [68]: username = input('Enter User Name :')
Password = input('Enter Password :')
if username == 'Tejas2425' and Password == '242503':
    print("valid user")
else:
    print('invalid user')
```

Enter User Name :Tejas2425
Enter Password :242503
valid user

```
In [69]: username = input('Enter User Name :')
Password = input('Enter Password :')
if username == 'Tejas2425' and Password == '242503':
    print("valid user")
else:
    print('invalid user')
```

Enter User Name :abc
Enter Password :123
invalid user

#Assignment Operators

```
In [66]: x = 10
x += 20
print(x)
```

30

#Ternary Operator (or) Conditional Operator

```
In [67]: a,b=25,43  
c = 50 if a>b else 100  
print(c)
```

```
100
```

```
In [71]: x=int(input("Enter First Number :"))  
y=int(input("Enter Second Number"))  
min=x if x<y else y  
print("Mimimum Value :",min)
```

```
Enter First Number :50  
Enter Second Number100  
Mimimum Value : 50
```

```
In [72]: x=int(input("Enter First Number :"))  
y=int(input("Enter Second Number"))  
min=x if x<y else y  
print("Mimimum Value :",min)
```

```
Enter First Number :100  
Enter Second Number60  
Mimimum Value : 60
```

```
In [73]: x=int(input("Enter First Number :"))  
y=int(input("Enter Second Number"))  
z=int(input("Enter third Number"))  
min=x if x<y and x<z else y if y<z else z  
print("Mimimum Value :",min)
```

```
Enter First Number :234  
Enter Second Number134  
Enter third Number34  
Mimimum Value : 34
```

```
In [74]: x=int(input("Enter First Number :"))  
y=int(input("Enter Second Number"))  
z=int(input("Enter third Number"))  
min=x if x>y and x>z else y if y>z else z  
print("Mimimum Value :",min)
```

```
Enter First Number :234  
Enter Second Number134  
Enter third Number34  
Mimimum Value : 234
```

```
In [75]: x="Hello learning python is very easy!!"
print('h' in x)
print('d' in x)
print('d' not in x)
print('python' in x)
print('Python' in x)
```

True
False
True
True
False

```
In [76]: list1=["sunny", "bunny", "chinny", "pinny"]
print("sunny" in list1)
print("tunny" in list1)
print("sunny" not in list1)
```

True
False
False

```
In [77]: print(3+10*2)
print((3+10)*2)
```

23
26

```
In [1]: a = 30
b=20
c=10
d=5
print((a+b)*c/d)
print((a+b)*(c/d))
```

100.0
100.0

```
In [ ]: # program to read Employee data from the keyboard and print that data
```

```
In [ ]: eno = int(input("Enter Employee No:"))
ename = input("Enter Employee Name:")
esal = float(input("Enter Employee salary:"))
eadd = input("Enter Employee Address:")
married = bool(input("Enter Married ?[ True | False]:"))
print("Please Confirm your provided Information")
print("Employee No :", eno)
print("Employee Name :", ename)
print("Employee Salary :", esal)
print("Employee Address :", eadd)
print("Employee Married ? :", married)
```

```
In [ ]: a,b,c = 10,20,30
print(a,b,c)
print(a,b,c sep=',')
print(a,b,c sep=',')
print(a,b,c sep=',')
```

```
In [1]: import pandas as pd
```

```
In [3]: s1=pd.Series([1,2,3,4,5])
s1
```

```
Out[3]: 0    1
1    2
2    3
3    4
4    5
dtype: int64
```

```
In [5]: s1=pd.Series([1,2,3,4,5],index=['a','b','c','d','e'])
s1
```

```
Out[5]: a    1
b    2
c    3
d    4
e    5
dtype: int64
```

```
In [6]: pd.Series({'a':10,'b':20,'c':30})
```

```
Out[6]: a    10
b    20
c    30
dtype: int64
```

```
In [7]: pd.Series({'a':10,'b':20,'c':30},index=['b','c','d','a'])
s1[3]
```

```
Out[7]: 4
```

```
In [8]: s1=pd.Series([1,2,3,4,5,6,7,8,9,10])
s1[3]
```

```
Out[8]: 4
```

```
In [9]: s1=pd.Series([1,2,3,4,5,6,7,8,9,10])
s1[:4]
```

```
Out[9]: 0    1
1    2
2    3
3    4
dtype: int64
```

```
In [10]: s1=pd.Series([1,2,3,4,5,6,7,8,9,10])
s1[-4:]
```

```
Out[10]: 6      7
          7      8
          8      9
          9     10
          dtype: int64
```

```
In [11]: s1+5
```

```
Out[11]: 0      6
          1      7
          2      8
          3      9
          4     10
          5     11
          6     12
          7     13
          8     14
          9     15
          dtype: int64
```

```
In [12]: s1=pd.Series([1,2,3,4,5,6,7,8,9,10])
s2=pd.Series([10,20,30,40,50,60,70,80,90])
s1+s2
```

```
Out[12]: 0      11.0
          1      22.0
          2      33.0
          3      44.0
          4      55.0
          5      66.0
          6      77.0
          7      88.0
          8      99.0
          9      NaN
          dtype: float64
```

```
In [14]: pd.DataFrame({"Name":['Bob', 'Sam', 'Anne'], "Marks":[76,45,98]})
```

```
Out[14]:   Name  Marks
0      Bob      76
1      Sam      45
2     Anne      98
```

In [22]: `df=pd.read_csv('Book1.csv')`
df

Out[22]:

	S.no	Name	marks
0	1	priya	45
1	2	rohan	55
2	3	shina	78
3	4	rohit	67
4	5	anaya	68
5	6	neha	98
6	7	nimita	67
7	8	raj	46
8	9	rajni	65
9	10	esha	57

In [23]: `df.head()`

Out[23]:

	S.no	Name	marks
0	1	priya	45
1	2	rohan	55
2	3	shina	78
3	4	rohit	67
4	5	anaya	68

In [24]: `df.tail()`

Out[24]:

	S.no	Name	marks
5	6	neha	98
6	7	nimita	67
7	8	raj	46
8	9	rajni	65
9	10	esha	57

In [25]: `df.describe()`

Out[25]:

	S.no	marks
count	10.000000	10.000000
mean	5.500000	64.600000
std	3.02765	15.629033
min	1.000000	45.000000
25%	3.250000	55.500000
50%	5.500000	66.000000
75%	7.750000	67.750000
max	10.000000	98.000000

In [26]: `df.iloc[0:3,0:2]`

Out[26]:

	S.no	Name
0	1	priya
1	2	rohan
2	3	shina

In [27]: `df.iloc[0:3,0:3]`

Out[27]:

	S.no	Name	marks
0	1	priya	45
1	2	rohan	55
2	3	shina	78

In [28]: `df.loc[0:3,{"Name","marks"}]`

Out[28]:

	marks	Name
0	45	priya
1	55	rohan
2	78	shina
3	67	rohit

In [29]: `df.drop('marks', axis=1)`

Out[29]:

	S.no	Name
0	1	priya
1	2	rohan
2	3	shina
3	4	rohit
4	5	anaya
5	6	neha
6	7	nimita
7	8	raj
8	9	rajni
9	10	esha

In [30]: `df.drop([1,2,3],axis=0)`

Out[30]:

	S.no	Name	marks
0	1	priya	45
4	5	anaya	68
5	6	neha	98
6	7	nimita	67
7	8	raj	46
8	9	rajni	65
9	10	esha	57

In [31]: `df.mean()`

Out[31]:

S.no	5.5
marks	64.6
dtype:	float64

In [32]: `df2=df["marks"].mean()`
`df2`

Out[32]: 64.6

In [33]: `df.median()`

Out[33]:

S.no	5.5
marks	66.0
dtype:	float64

```
In [34]: df2=df["marks"].median()  
df2
```

```
Out[34]: 66.0
```

```
In [35]: df.min()
```

```
Out[35]: S.no      1  
          Name    anaya  
          marks    45  
          dtype: object
```

```
In [36]: df2=df["marks"].min()  
df2
```

```
Out[36]: 45
```

```
In [37]: df.max()
```

```
Out[37]: S.no      10  
          Name   shina  
          marks   98  
          dtype: object
```

```
In [38]: df2=df["marks"].max()  
df2
```

```
Out[38]: 98
```

```
In [ ]:
```

Pandas stands for panel data and is the core library for data Manipulation and data Analysis
Pandas Data-Structures Series-dimensional-Series Object,Multidimensional-Data Frame

Series Object is one-Dimensional labeled array

```
In [1]: import pandas as pd
```

```
In [2]: s1=pd.Series([1,2,3,4,5])
s1
```

```
Out[2]: 0    1
         1    2
         2    3
         3    4
         4    5
        dtype: int64
```

Changing Index

```
In [4]: s1=pd.Series([1,2,3,4,5],index=['a','b','c','d','e'])
s1
```

```
Out[4]: a    1
         b    2
         c    3
         d    4
         e    5
        dtype: int64
```

Series Object from Dictionary

```
In [5]: pd.Series({'a':10,'b':20,'c':30})
```

```
Out[5]: a    10
         b    20
         c    30
        dtype: int64
```

Changing index Position

```
In [6]: pd.Series({'a':10,'b':20,'c':30},index=['b','c','d','a'])
```

```
Out[6]: b    20.0
         c    30.0
         d    NaN
         a    10.0
        dtype: float64
```

Extracting Individual element

Extracting a single element

```
In [7]: s1=pd.Series([1,2,3,4,5,6,7,8,9,10])  
s1[3]
```

```
Out[7]: 4
```

Extracting a Sequence of element

```
In [8]: s1=pd.Series([1,2,3,4,5,6,7,8,9,10])  
s1[:4]
```

```
Out[8]: 0    1  
1    2  
2    3  
3    4  
dtype: int64
```

Extracting element from back

```
In [9]: s1=pd.Series([1,2,3,4,5,6,7,8,9,10])  
s1[-4:]
```

```
Out[9]: 6    7  
7    8  
8    9  
9    10  
dtype: int64
```

Basic Math Operation on Series

Adding a scalar value to Series Elements

```
In [11]: s1+5
```

```
Out[11]: 0    6  
1    7  
2    8  
3    9  
4    10  
5    11  
6    12  
7    13  
8    14  
9    15  
dtype: int64
```

Addition two series Objects

```
In [14]: s1=pd.Series([1,2,3,4,5,6,7,8,9,10])
s2=pd.Series([10,20,30,40,50,60,70,80,90])
s1+s2
```

```
Out[14]: 0    11.0
1    22.0
2    33.0
3    44.0
4    55.0
5    66.0
6    77.0
7    88.0
8    99.0
9      NaN
dtype: float64
```

pandas Dataframe

Data Frame is a Two Dimensional labelled Data Structure

```
In [15]: pd.DataFrame({ "Name":['Bob', 'Sam', 'Anne'], "Marks": [45, 85, 98]})
```

```
Out[15]:   Name  Marks
0     Bob      45
1     Sam      85
2    Anne      98
```

DataFFrame in Build Function

Shape(),head(),tail(),describe()

```
In [20]: df=pd.read_csv('Book1.csv')
df
```

```
Out[20]:   S.no    Name  marks
0     1    priya     20
1     2    rohan     15
2     3    tejas     30
3     4   manish     25
4     5  vanchita    21
5     6   sachin     21
6     7  swarupa     23
7     8  ashwini     21
8     9   pratik     20
9    10   sumit     21
```

```
In [21]: df=pd.read_csv(r'D:\Book1.csv')
df
```

Out[21]:

	S.no	Name	marks
0	1	priya	20
1	2	rohan	15
2	3	tejas	30
3	4	manish	25
4	5	vanchita	21
5	6	sachin	21
6	7	swarupa	23
7	8	ashwini	21
8	9	pratik	20
9	10	sumit	21

Read First Five tuples of csv file

```
In [23]: df.tail()
```

Out[23]:

	S.no	Name	marks
5	6	sachin	21
6	7	swarupa	23
7	8	ashwini	21
8	9	pratik	20
9	10	sumit	21

```
In [24]: df.describe()
```

Out[24]:

	S.no	marks
count	10.00000	10.000000
mean	5.50000	21.700000
std	3.02765	3.860052
min	1.00000	15.000000
25%	3.25000	20.250000
50%	5.50000	21.000000
75%	7.75000	22.500000
max	10.00000	30.000000

```
In [25]: df.iloc[0:3,0:2]
```

```
Out[25]:
```

	S.no	Name
0	1	priya
1	2	rohan
2	3	tejas

```
In [26]: df.iloc[0:3,0:3]
```

```
Out[26]:
```

	S.no	Name	marks
0	1	priya	20
1	2	rohan	15
2	3	tejas	30

```
In [27]: df.loc[0:3,("Name","marks")]
```

```
Out[27]:
```

	Name	marks
0	priya	20
1	rohan	15
2	tejas	30
3	manish	25

Dropping Columns

```
In [28]: df.drop('marks',axis=1)
```

```
Out[28]:
```

	S.no	Name
0	1	priya
1	2	rohan
2	3	tejas
3	4	manish
4	5	vanchita
5	6	sachin
6	7	swarupa
7	8	ashwini
8	9	pratik
9	10	sumit

Dropping Row

```
In [30]: df.drop([1,2,3],axis=0)
```

```
Out[30]:
```

	S.no	Name	marks
0	1	priya	20
4	5	vanchita	21
5	6	sachin	21
6	7	swarupa	23
7	8	ashwini	21
8	9	pratik	20
9	10	sumit	21

More Pandas Function

mean,median,minimun,maximum

```
In [31]: df.mean()
```

```
Out[31]: S.no      5.5
          marks    21.7
          dtype: float64
```

```
In [32]: df2=df["marks"].mean()
          df2
```

```
Out[32]: 21.7
```

```
In [33]: df.median()
```

```
Out[33]: S.no      5.5
          marks    21.0
          dtype: float64
```

```
In [39]: df2=df["marks"].median()
          df2
```

```
Out[39]: 21.0
```

```
In [40]: df.min()
```

```
Out[40]: S.no      1
          Name     ashwini
          marks    15
          dtype: object
```

```
In [36]: df2=df["marks"].min()  
df2
```

```
Out[36]: 15
```

```
In [37]: df.max()
```

```
Out[37]: S.no      10  
Name     vanchita  
marks     30  
dtype: object
```

```
In [38]: df2=df["marks"].max()  
df2
```

```
Out[38]: 30
```

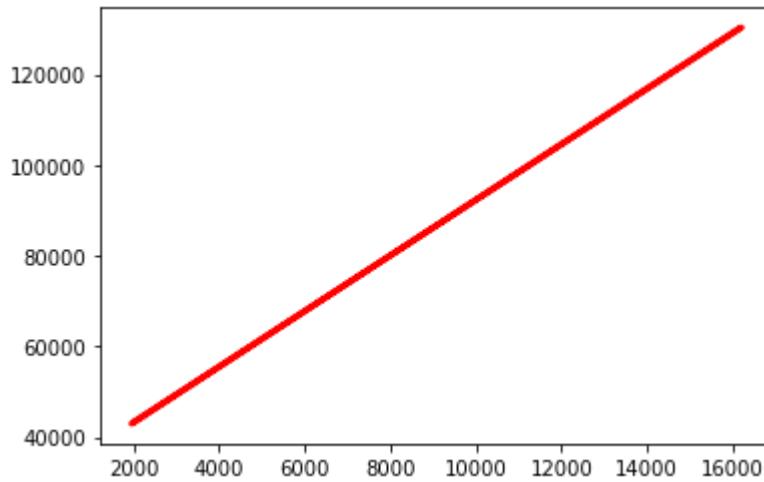
```
In [ ]:
```

```
In [1]: import matplotlib  
  
import matplotlib.pyplot as plt  
import numpy as np  
from sklearn import datasets, linear_model  
import pandas as pd  
  
# Load CSV and columns  
df = pd.read_csv("Housing.csv")  
  
Y = df['price']  
X = df['lotsize']  
  
X=X.values.reshape(len(X),1)  
Y=Y.values.reshape(len(Y),1)  
  
# Split the data into training/testing sets  
X_train = X[:-250]  
X_test = X[-250:]  
  
# Split the targets into training/testing sets  
Y_train = Y[:-250]  
Y_test = Y[-250:]  
  
# Plot outputs  
plt.scatter(X_test, Y_test, color='black')  
plt.title('Test Data')  
plt.xlabel('Size')  
plt.ylabel('Price')  
plt.xticks([])  
plt.yticks([])  
  
plt.show()
```



```
In [2]: # Create linear regression object  
regr = linear_model.LinearRegression()  
  
# Train the model using the training sets  
regr.fit(X_train, Y_train)  
  
# Plot outputs  
plt.plot(X_test, regr.predict(X_test), color='red', linewidth=3)
```

Out[2]: [`<matplotlib.lines.Line2D at 0x13673298af0>`]



In []:

```
In [1]: from sklearn.model_selection import train_test_split
from sklearn.neighbors import KNeighborsClassifier
from sklearn.metrics import classification_report, confusion_matrix
from sklearn import datasets
```

```
In [2]: iris=datasets.load_iris()
```

```
In [3]: x = iris.data
y = iris.target
```

```
In [4]: print ('sepal-length', 'sepal-width', 'petal-length', 'petal-width')
print(x)
print('class: 0-Iris-Setosa, 1- Iris-Versicolour, 2- Iris-Virginica')
print(y)
```

```
[5.1 2.5 3.  1.1]
[5.7 2.8 4.1 1.3]
[6.3 3.3 6.  2.5]
[5.8 2.7 5.1 1.9]
[7.1 3.  5.9 2.1]
[6.3 2.9 5.6 1.8]
[6.5 3.  5.8 2.2]
[7.6 3.  6.6 2.1]
[4.9 2.5 4.5 1.7]
[7.3 2.9 6.3 1.8]
[6.7 2.5 5.8 1.8]
[7.2 3.6 6.1 2.5]
[6.5 3.2 5.1 2. ]
[6.4 2.7 5.3 1.9]
[6.8 3.  5.5 2.1]
[5.7 2.5 5.  2. ]
[5.8 2.8 5.1 2.4]
[6.4 3.2 5.3 2.3]
[6.5 3.  5.5 1.8]
[7.7 3.8 6.7 2.2]
```

```
In [5]: x_train, x_test, y_train, y_test = train_test_split(x,y,test_size=0.3)
```

```
In [6]: #To Training the model and Nearest neighbors K=5
classifier = KNeighborsClassifier(n_neighbors=5)
classifier.fit(x_train, y_train)
```

```
Out[6]: KNeighborsClassifier()
```

```
In [7]: #To make predictions on our test data
y_pred=classifier.predict(x_test)
```

```
In [9]: print('Confusion Matrix')
print(confusion_matrix(y_test,y_pred))
print('Accuracy Metrics')
print(classification_report(y_test,y_pred))
```

```
Confusion Matrix
[[11  0  0]
 [ 0 14  1]
 [ 0  0 19]]
Accuracy Metrics
      precision    recall  f1-score   support
          0       1.00     1.00     1.00      11
          1       1.00     0.93     0.97      15
          2       0.95     1.00     0.97      19
          accuracy                           0.98      45
          macro avg       0.98     0.98     0.98      45
          weighted avg      0.98     0.98     0.98      45
```

```
In [ ]:
```

In [1]:

```
import numpy as np
import matplotlib.pyplot as plt

plt.style.use("seaborn-whitegrid")
```

```
In [2]: class KMedoidsClass:
    def __init__(self,data,k,iters):
        self.data= data
        self.k = k
        self.iters = iters
        self.medoids = np.array([data[i] for i in range(self.k)])
        self.colors = np.array(np.random.randint(0, 255, size =(self.k, 4)))/255
        self.colors[:,3]=1

    def manhattan(self,p1, p2):
        return np.abs((p1[0]-p2[0])) + np.abs((p1[1]-p2[1]))

    def get_costs(self, medoids, data):
        tmp_clusters = {i:[] for i in range(len(medoids))}
        cst = 0
        for d in data:
            dst = np.array([self.manhattan(d, md) for md in medoids])
            c = dst.argmin()
            tmp_clusters[c].append(d)
            cst+=dst.min()

        tmp_clusters = {k:np.array(v) for k,v in tmp_clusters.items()}
        return tmp_clusters, cst

    def fit(self):
        samples,_ = self.data.shape

        self.clusters, cost = self.get_costs(data=self.data, medoids=self.medoids)
        count = 0

        colors = np.array(np.random.randint(0, 255, size =(self.k, 4)))/255
        colors[:,3]=1

        plt.title(f"Step : 0")
        [plt.scatter(self.clusters[t][:, 0], self.clusters[t][:, 1], marker="*", s=100,
                    color = colors[t]) for t in range(self.k)]
        plt.scatter(self.medoids[:, 0], self.medoids[:, 1], s=200, color=colors)
        plt.show()

        while True:
            swap = False
            for i in range(samples):
                if not i in self.medoids:
                    for j in range(self.k):
                        tmp_meds = self.medoids.copy()
                        tmp_meds[j] = i
                        clusters_, cost_ = self.get_costs(data=self.data, medoids=tmp_meds)

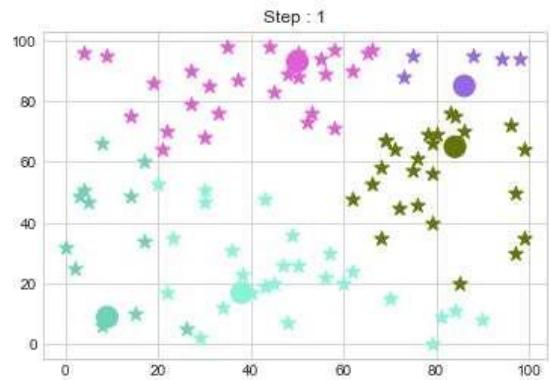
                        if cost_<cost:
                            self.medoids = tmp_meds
                            cost = cost_
                            swap = True
                            self.clusters = clusters_
                            print(f"Medoids Changed to: {self.medoids}.")
                            plt.title(f"Step : {count+1}")
                            [plt.scatter(self.clusters[t][:, 0], self.clusters[t][:, 1], marker="*", s=100,
                                        color = colors[t]) for t in range(self.k)]
                            plt.scatter(self.medoids[:, 0], self.medoids[:, 1], s=200, color=colors)
                            plt.show()
                            count+=1

            if count>=self.iters:
                print("End of the iterations.")
                break
            if not swap:
                print("No changes.")
                break
```

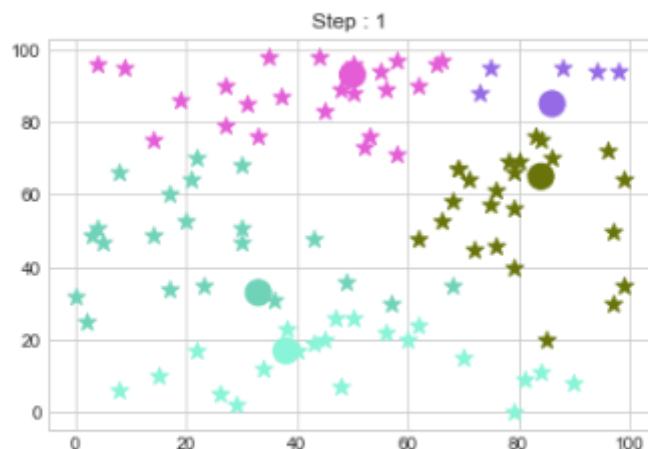
In [3]:

```
dt = np.random.randint(0,100, (100,2))
kmedoid = KMedoidsClass(dt,5,5)
kmedoid.fit()

[38 17]
[86 85]
[ 9  9].
```

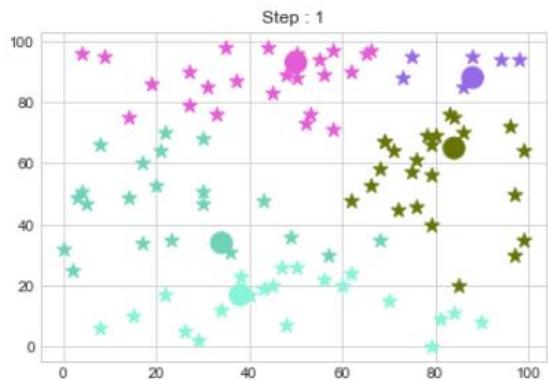


[33 33].



Medoids Changed to: [[84 65]
[50 93]]

[88 88]
[34 34].



No changes.

```
In [1]: from typing import Optional
import numpy as np
import matplotlib.pyplot as plt
import matplotlib as mpl
```

```
In [2]: def plot_adaboost(X: np.ndarray,
                      y: np.ndarray,
                      clf=None,
                      sample_weights: Optional[np.ndarray] = None,
                      annotate: bool = False,
                      ax: Optional[plt.axes.Axes] = None) -> None:
    """ Plot ± samples in 2D, optionally with decision boundary """

    assert set(y) == {-1, 1}, 'Expecting response labels to be ±1'

    if not ax:
        fig, ax = plt.subplots(figsize=(5, 5), dpi=100)
        fig.set_facecolor('white')

    pad = 1
    x_min, x_max = X[:, 0].min() - pad, X[:, 0].max() + pad
    y_min, y_max = X[:, 1].min() - pad, X[:, 1].max() + pad

    if sample_weights is not None:
        sizes = np.array(sample_weights) * X.shape[0] * 100
    else:
        sizes = np.ones(shape=X.shape[0]) * 100

    X_pos = X[y == 1]
    sizes_pos = sizes[y == 1]
    ax.scatter(*X_pos.T, s=sizes_pos, marker='+', color='red')

    X_neg = X[y == -1]
    sizes_neg = sizes[y == -1]
    ax.scatter(*X_neg.T, s=sizes_neg, marker='.', c='blue')

    if clf:
        plot_step = 0.01
        xx, yy = np.meshgrid(np.arange(x_min, x_max, plot_step),
                             np.arange(y_min, y_max, plot_step))

        Z = clf.predict(np.c_[xx.ravel(), yy.ravel()])
        Z = Z.reshape(xx.shape)

        # If all predictions are positive class, adjust color map accordingly
        if list(np.unique(Z)) == [1]:
            fill_colors = ['r']
        else:
            fill_colors = ['b', 'r']

        ax.contourf(xx, yy, Z, colors=fill_colors, alpha=0.2)

    if annotate:
        for i, (x, y) in enumerate(X):
            offset = 0.05
            ax.annotate(f'$x_{i+1}$', (x + offset, y - offset))

    ax.set_xlim(x_min+0.5, x_max-0.5)
    ax.set_ylim(y_min+0.5, y_max-0.5)
    ax.set_xlabel('$x_1$')
    ax.set_ylabel('$x_2$')
```

```
In [3]: from sklearn.datasets import make_gaussian_quantiles
from sklearn.model_selection import train_test_split

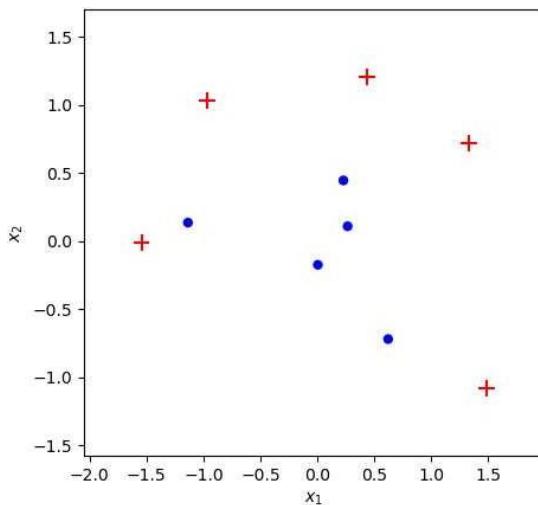
def make_toy_dataset(n: int = 100, random_seed: int = None):
    """ Generate a toy dataset for evaluating AdaBoost classifiers """
    n_per_class = int(n/2)

    if random_seed:
        np.random.seed(random_seed)

    X, y = make_gaussian_quantiles(n_samples=n, n_features=2, n_classes=2)

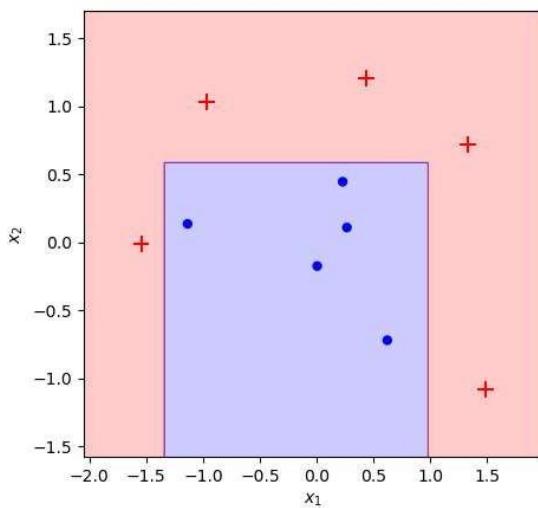
    return X, y*2-1

X, y = make_toy_dataset(n=10, random_seed=10)
plot_adaboost(X, y)
```



```
In [4]: from sklearn.ensemble import AdaBoostClassifier
bench = AdaBoostClassifier(n_estimators=10, algorithm='SAMME').fit(X, y)
plot_adaboost(X, y, bench)

train_err = (bench.predict(X) != y).mean()
print(f'Train error: {train_err:.1%}')
Train error: 0.0%
```



```
In [5]: class AdaBoost:

    def __init__(self):
        self.stumps = None
        self.stump_weights = None
        self.errors = None
        self.sample_weights = None

    def _check_X_y(self, X, y):
        """ Validate assumptions about format of input data """
        assert set(y) == {-1, 1}, 'Response variable must be ±1'
        return X, y
```

```
In [6]: from sklearn.tree import DecisionTreeClassifier

def fit(self, X: np.ndarray, y: np.ndarray, iters: int):
    """ Fit the model using training data """

    X, y = self._check_X_y(X, y)
    n = X.shape[0]

    # init numpy arrays
    self.sample_weights = np.zeros(shape=(iters, n))
    self.stumps = np.zeros(shape=iters, dtype=object)
    self.stump_weights = np.zeros(shape=iters)
    self.errors = np.zeros(shape=iters)

    # initialize weights uniformly
    self.sample_weights[0] = np.ones(shape=n) / n

    for t in range(iters):
        # fit weak learner
        curr_sample_weights = self.sample_weights[t]
        stump = DecisionTreeClassifier(max_depth=1, max_leaf_nodes=2)
        stump = stump.fit(X, y, sample_weight=curr_sample_weights)

        # calculate error and stump weight from weak learner prediction
        stump_pred = stump.predict(X)
        err = curr_sample_weights[(stump_pred != y)].sum() # / n
        stump_weight = np.log((1 - err) / err) / 2

        # update sample weights
        new_sample_weights = (
            curr_sample_weights * np.exp(-stump_weight * y * stump_pred)
        )

        new_sample_weights /= new_sample_weights.sum()

        # If not final iteration, update sample weights for t+1
        if t+1 < iters:
            self.sample_weights[t+1] = new_sample_weights

        # save results of iteration
        self.stumps[t] = stump
        self.stump_weights[t] = stump_weight
        self.errors[t] = err

    return self

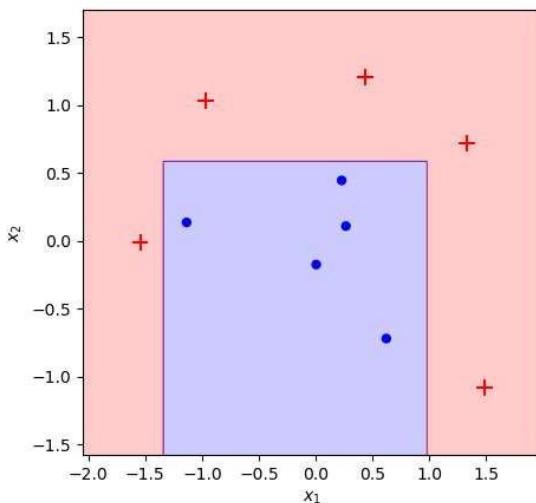
#Making predictions
#We make a final prediction by taking a "weighted majority vote", calculated as the sign (+) of the linear combination of each stump's prediction
###  $H_t(x) = \text{sign} \left( \sum_{t=1}^T a_t h_t(x) \right)$ 

def predict(self, X):
    """ Make predictions using already fitted model """
    stump_preds = np.array([stump.predict(X) for stump in self.stumps])
    return np.sign(np.dot(self.stump_weights, stump_preds))
```

```
In [7]: # assign our individually defined functions as methods of our classifier
AdaBoost.fit = fit
AdaBoost.predict = predict

clf = AdaBoost().fit(X, y, iters=10)
plot_adaboost(X, y, clf)

train_err = (clf.predict(X) != y).mean()
print(f'Train error: {train_err:.1%}')
Train error: 0.0%
```



```
In [8]: def truncate_adaboost(clf, t: int):
    """ Truncate a fitted AdaBoost up to (and including) a particular iteration """
    assert t > 0, 't must be a positive integer'
    from copy import deepcopy
    new_clf = deepcopy(clf)
    new_clf.stumps = clf.stumps[:t]
    new_clf.stump_weights = clf.stump_weights[:t]
    return new_clf

def plot_staged_adaboost(X, y, clf, iters=10):
    """ Plot weak learner and cumulative strong learner at each iteration. """

    # Larger grid
    fig, axes = plt.subplots(figsize=(8, iters*3),
                           nrows=iters,
                           ncols=2,
                           sharex=True,
                           dpi=100)

    fig.set_facecolor('white')

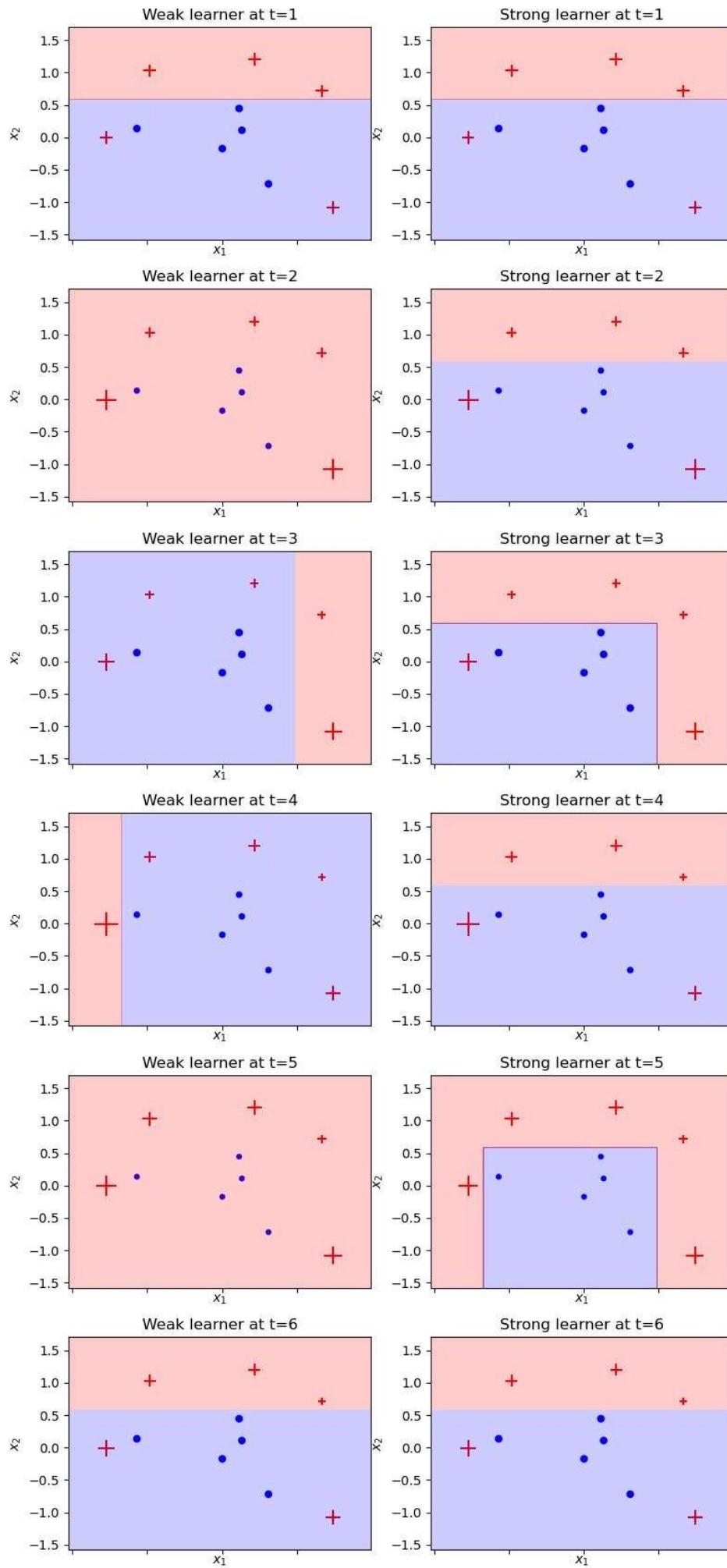
    _ = fig.suptitle('Decision boundaries by iteration')
    for i in range(iters):
        ax1, ax2 = axes[i]

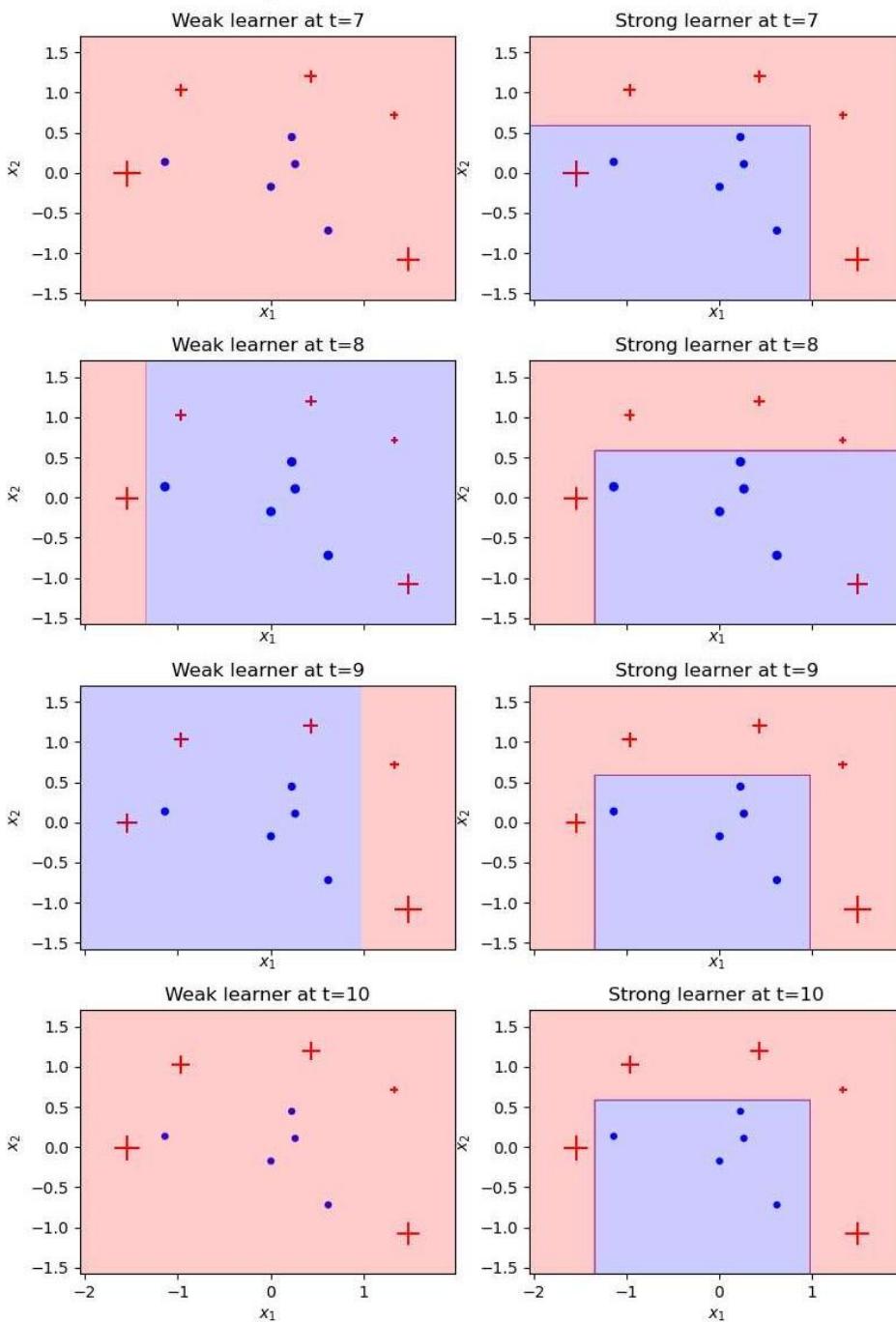
        # Plot weak Learner
        _ = ax1.set_title(f'Weak learner at t={i + 1}')
        plot_adaboost(X, y, clf.stumps[i],
                      sample_weights=clf.sample_weights[i],
                      annotate=False, ax=ax1)

        # Plot strong Learner
        trunc_clf = truncate_adaboost(clf, t=i + 1)
        _ = ax2.set_title(f'Strong learner at t={i + 1}')
        plot_adaboost(X, y, trunc_clf,
                      sample_weights=clf.sample_weights[i],
                      annotate=False, ax=ax2)

    plt.tight_layout()
    plt.subplots_adjust(top=0.95)
    plt.show()

clf = AdaBoost().fit(X, y, iters=10)
plot_staged_adaboost(X, y, clf)
```





```
In [19]: #importing libraries
```

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from random import sample
import random
from sklearn.tree import DecisionTreeClassifier
from sklearn.metrics import confusion_matrix
from sklearn import tree
from math import log,exp
from sklearn.datasets import load_iris
```

```
In [20]: pd.set_option('display.max_rows', 500)
pd.set_option('display.max_columns', 500)
```

```
In [85]: #importing file
iris = pd.read_csv("iris.csv")
```

```
In [86]: iris.head(1)
```

```
Out[86]:
   sepal_length  sepal_width  petal_length  petal_width  species
0          5.1         3.5          1.4         0.2    setosa
```

```
In [87]: #considering only two classes
example = iris[(iris['species'] == 'versicolor') | (iris['species'] == 'virginica')]
```

```
In [88]: example.head(2)
```

```
Out[88]:
   sepal_length  sepal_width  petal_length  petal_width  species
50          7.0         3.2          4.7         1.4  versicolor
51          6.4         3.2          4.5         1.5  versicolor
```

```
In [27]: #replacing the two classes with +1 and -1
example['Label'] = example['species'].replace(to_replace = ['versicolor','virginica'], value=[1,-1])
```

```
<ipython-input-27-0a1dde03b3fa>:2: SettingWithCopyWarning:
A value is trying to be set on a copy of a slice from a DataFrame.
Try using .loc[row_indexer,col_indexer] = value instead
```

```
See the caveats in the documentation: https://pandas.pydata.org/pandas-docs/stable/user\_guide/indexing.html#returning-a-view-versus-a-copy
example['Label'] = example['species'].replace(to_replace = ['versicolor','virginica'], value=[1,-1])
```

```
In [28]: example = example.drop('species', axis = 1)
```

```
In [29]: #Initially assign same weights to each records in the dataset
example['probR1'] = 1/(example.shape[0])
```

```
In [30]: example.head(5)
```

```
Out[30]:
   sepal_length  sepal_width  petal_length  petal_width  Label  probR1
50          7.0         3.2          4.7         1.4     1    0.01
51          6.4         3.2          4.5         1.5     1    0.01
52          6.9         3.1          4.9         1.5     1    0.01
53          5.5         2.3          4.0         1.3     1    0.01
54          6.5         2.8          4.6         1.5     1    0.01
```

```
In [31]: #simple random sample with replacement
random.seed(10)
example1 = example.sample(len(example), replace = True, weights = example['probR1'])
```

```
In [32]: example1
```

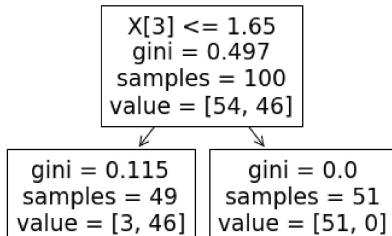
116	6.5	3.0	5.5	1.8	-1	0.01
110	6.5	3.2	5.1	2.0	-1	0.01
126	6.2	2.8	4.8	1.8	-1	0.01
137	6.4	3.1	5.5	1.8	-1	0.01
73	6.1	2.8	4.7	1.2	1	0.01
100	6.3	3.3	6.0	2.5	-1	0.01
78	6.0	2.9	4.5	1.5	1	0.01
64	5.6	2.9	3.6	1.3	1	0.01
67	5.8	2.7	4.1	1.0	1	0.01
144	6.7	3.3	5.7	2.5	-1	0.01
146	6.3	2.5	5.0	1.9	-1	0.01
101	5.8	2.7	5.1	1.9	-1	0.01
57	4.9	2.4	3.3	1.0	1	0.01

```
In [33]: #X_train and Y_train split
X_train = example1.iloc[0:len(iris),0:4]
y_train = example1.iloc[0:len(iris),4]
```

```
In [34]: #fitting the DT model with depth one
clf_gini = DecisionTreeClassifier(criterion = "gini", random_state = 100, max_depth=1)
clf = clf_gini.fit(X_train, y_train)
```

```
In [35]: #plotting tree for round 1 boosting
tree.plot_tree(clf)
```

```
Out[35]: [Text(167.4, 163.07999999999998, 'X[3] <= 1.65\n gini = 0.497\n samples = 100\n value = [54, 46]'),
Text(83.7, 54.360000000000014, ' gini = 0.115\n samples = 49\n value = [3, 46]'),
Text(251.10000000000002, 54.360000000000014, ' gini = 0.0\n samples = 51\n value = [51, 0]')]
```



```
In [36]: #prediction
y_pred = clf_gini.predict(example1.iloc[0:len(iris),0:4])
y_pred
```

```
Out[36]: array([ 1,  1,  1,  1,  1,  1,  1,  1,  1,  1,  1,  1,  1,  1,  1,
       1,  1,  1, -1,  1,  1,  1,  1,  1,  1, -1,  1,  1,  1,  1,  1,  1,
       1,  1,  1,  1,  1,  1,  1,  1,  1,  1,  1,  1,  1,  1,  1,  1,  1,
      -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1,
      -1,  1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1,
      -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1, -1],  
dtype=int64)
```

```
In [37]: #adding a column pred1 after the first round of boosting
example['pred1'] = y_pred
```

```
In [38]: example
```

```
Out[38]:
   sepal_length  sepal_width  petal_length  petal_width  Label  probR1  pred1
 0          5.0         3.5          1.4         0.2          0     0.01     0
 1          4.9         3.0          1.4         0.2          0     0.01     0
 2          4.7         3.2          1.3         0.8          1     0.01     1
 3          4.6         3.1          1.5         0.2          1     0.01     1
 4          4.5         3.0          1.4         0.2          0     0.01     0
 5          4.4         2.9          1.3         0.2          0     0.01     0
 6          4.3         2.8          1.3         0.1          0     0.01     0
 7          4.2         2.7          1.3         0.1          0     0.01     0
 8          4.1         2.6          1.3         0.1          0     0.01     0
 9          4.0         2.5          1.3         0.1          0     0.01     0
 10         3.9         2.4          1.3         0.1          0     0.01     0
 11         3.8         2.3          1.3         0.1          0     0.01     0
 12         3.7         2.2          1.3         0.1          0     0.01     0
 13         3.6         2.1          1.3         0.1          0     0.01     0
 14         3.5         2.0          1.3         0.1          0     0.01     0
 15         3.4         1.9          1.3         0.1          0     0.01     0
 16         3.3         1.8          1.3         0.1          0     0.01     0
 17         3.2         1.7          1.3         0.1          0     0.01     0
 18         3.1         1.6          1.3         0.1          0     0.01     0
 19         3.0         1.5          1.3         0.1          0     0.01     0
 20         2.9         1.4          1.3         0.1          0     0.01     0
 21         2.8         1.3          1.3         0.1          0     0.01     0
 22         2.7         1.2          1.3         0.1          0     0.01     0
 23         2.6         1.1          1.3         0.1          0     0.01     0
 24         2.5         1.0          1.3         0.1          0     0.01     0
 25         2.4         0.9          1.3         0.1          0     0.01     0
 26         2.3         0.8          1.3         0.1          0     0.01     0
 27         2.2         0.7          1.3         0.1          0     0.01     0
 28         2.1         0.6          1.3         0.1          0     0.01     0
 29         2.0         0.5          1.3         0.1          0     0.01     0
 30         1.9         0.4          1.3         0.1          0     0.01     0
 31         1.8         0.3          1.3         0.1          0     0.01     0
 32         1.7         0.2          1.3         0.1          0     0.01     0
 33         1.6         0.1          1.3         0.1          0     0.01     0
 34         1.5         0.0          1.3         0.1          0     0.01     0
 35         1.4         0.1          1.3         0.1          0     0.01     0
 36         1.3         0.2          1.3         0.1          0     0.01     0
 37         1.2         0.3          1.3         0.1          0     0.01     0
 38         1.1         0.4          1.3         0.1          0     0.01     0
 39         1.0         0.5          1.3         0.1          0     0.01     0
 40         0.9         0.6          1.3         0.1          0     0.01     0
 41         0.8         0.7          1.3         0.1          0     0.01     0
 42         0.7         0.8          1.3         0.1          0     0.01     0
 43         0.6         0.9          1.3         0.1          0     0.01     0
 44         0.5         1.0          1.3         0.1          0     0.01     0
 45         0.4         1.1          1.3         0.1          0     0.01     0
 46         0.3         1.2          1.3         0.1          0     0.01     0
 47         0.2         1.3          1.3         0.1          0     0.01     0
 48         0.1         1.4          1.3         0.1          0     0.01     0
 49         0.0         1.5          1.3         0.1          0     0.01     0
 50         0.1         1.6          1.3         0.1          0     0.01     0
 51         0.2         1.7          1.3         0.1          0     0.01     0
 52         0.3         1.8          1.3         0.1          0     0.01     0
 53         0.4         1.9          1.3         0.1          0     0.01     0
 54         0.5         2.0          1.3         0.1          0     0.01     0
 55         0.6         2.1          1.3         0.1          0     0.01     0
 56         0.7         2.2          1.3         0.1          0     0.01     0
 57         0.8         2.3          1.3         0.1          0     0.01     0
 58         0.9         2.4          1.3         0.1          0     0.01     0
 59         1.0         2.5          1.3         0.1          0     0.01     0
 60         1.1         2.6          1.3         0.1          0     0.01     0
 61         1.2         2.7          1.3         0.1          0     0.01     0
 62         1.3         2.8          1.3         0.1          0     0.01     0
 63         1.4         2.9          1.3         0.1          0     0.01     0
 64         1.5         3.0          1.3         0.1          0     0.01     0
 65         1.6         3.1          1.3         0.1          0     0.01     0
 66         1.7         3.2          1.3         0.1          0     0.01     0
 67         1.8         3.3          1.3         0.1          0     0.01     0
 68         1.9         3.4          1.3         0.1          0     0.01     0
 69         2.0         3.5          1.3         0.1          0     0.01     0
 70         2.1         3.6          1.3         0.1          0     0.01     0
 71         2.2         3.7          1.3         0.1          0     0.01     0
 72         2.3         3.8          1.3         0.1          0     0.01     0
 73         2.4         3.9          1.3         0.1          0     0.01     0
 74         2.5         4.0          1.3         0.1          0     0.01     0
 75         2.6         4.1          1.3         0.1          0     0.01     0
 76         2.7         4.2          1.3         0.1          0     0.01     0
 77         2.8         4.3          1.3         0.1          0     0.01     0
 78         2.9         4.4          1.3         0.1          0     0.01     0
 79         3.0         4.5          1.3         0.1          0     0.01     0
 80         3.1         4.6          1.3         0.1          0     0.01     0
 81         3.2         4.7          1.3         0.1          0     0.01     0
 82         3.3         4.8          1.3         0.1          0     0.01     0
 83         3.4         4.9          1.3         0.1          0     0.01     0
 84         3.5         5.0          1.3         0.1          0     0.01     0
 85         3.6         5.1          1.3         0.1          0     0.01     0
 86         3.7         5.2          1.3         0.1          0     0.01     0
 87         3.8         5.3          1.3         0.1          0     0.01     0
 88         3.9         5.4          1.3         0.1          0     0.01     0
 89         4.0         5.5          1.3         0.1          0     0.01     0
 90         4.1         5.6          1.3         0.1          0     0.01     0
 91         4.2         5.7          1.3         0.1          0     0.01     0
 92         4.3         5.8          1.3         0.1          0     0.01     0
 93         4.4         5.9          1.3         0.1          0     0.01     0
 94         4.5         6.0          1.3         0.1          0     0.01     0
 95         4.6         6.1          1.3         0.1          0     0.01     0
 96         4.7         6.2          1.3         0.1          0     0.01     0
 97         4.8         6.3          1.3         0.1          0     0.01     0
 98         4.9         6.4          1.3         0.1          0     0.01     0
 99         5.0         6.5          1.3         0.1          0     0.01     0
 100        5.1         6.6          1.3         0.1          0     0.01     0
 101        5.2         6.7          1.3         0.1          0     0.01     0
 102        5.3         6.8          1.3         0.1          0     0.01     0
 103        5.4         6.9          1.3         0.1          0     0.01     0
 104        5.5         7.0          1.3         0.1          0     0.01     0
 105        5.6         7.1          1.3         0.1          0     0.01     0
 106        5.7         7.2          1.3         0.1          0     0.01     0
 107        5.8         7.3          1.3         0.1          0     0.01     0
 108        5.9         7.4          1.3         0.1          0     0.01     0
 109        6.0         7.5          1.3         0.1          0     0.01     0
 110        6.1         7.6          1.3         0.1          0     0.01     0
 111        6.2         7.7          1.3         0.1          0     0.01     0
 112        6.3         7.8          1.3         0.1          0     0.01     0
 113        6.4         7.9          1.3         0.1          0     0.01     0
 114        6.5         8.0          1.3         0.1          0     0.01     0
 115        6.6         8.1          1.3         0.1          0     0.01     0
 116        6.7         8.2          1.3         0.1          0     0.01     0
 117        6.8         8.3          1.3         0.1          0     0.01     0
 118        6.9         8.4          1.3         0.1          0     0.01     0
 119        7.0         8.5          1.3         0.1          0     0.01     0
 120        7.1         8.6          1.3         0.1          0     0.01     0
 121        7.2         8.7          1.3         0.1          0     0.01     0
 122        7.3         8.8          1.3         0.1          0     0.01     0
 123        7.4         8.9          1.3         0.1          0     0.01     0
 124        7.5         9.0          1.3         0.1          0     0.01     0
 125        7.6         9.1          1.3         0.1          0     0.01     0
 126        7.7         9.2          1.3         0.1          0     0.01     0
 127        7.8         9.3          1.3         0.1          0     0.01     0
 128        7.9         9.4          1.3         0.1          0     0.01     0
 129        8.0         9.5          1.3         0.1          0     0.01     0
 130        8.1         9.6          1.3         0.1          0     0.01     0
 131        8.2         9.7          1.3         0.1          0     0.01     0
 132        8.3         9.8          1.3         0.1          0     0.01     0
 133        8.4         9.9          1.3         0.1          0     0.01     0
 134        8.5         10.0          1.3         0.1          0     0.01     0
 135        8.6         10.1          1.3         0.1          0     0.01     0
 136        8.7         10.2          1.3         0.1          0     0.01     0
 137        8.8         10.3          1.3         0.1          0     0.01     0
 138        8.9         10.4          1.3         0.1          0     0.01     0
 139        9.0         10.5          1.3         0.1          0     0.01     0
 140        9.1         10.6          1.3         0.1          0     0.01     0
 141        9.2         10.7          1.3         0.1          0     0.01     0
 142        9.3         10.8          1.3         0.1          0     0.01     0
 143        9.4         10.9          1.3         0.1          0     0.01     0
 144        9.5         11.0          1.3         0.1          0     0.01     0
 145        9.6         11.1          1.3         0.1          0     0.01     0
 146        9.7         11.2          1.3         0.1          0     0.01     0
 147        9.8         11.3          1.3         0.1          0     0.01     0
 148        9.9         11.4          1.3         0.1          0     0.01     0
 149        10.0        11.5          1.3         0.1          0     0.01     0
 150        10.1        11.6          1.3         0.1          0     0.01     0
 151        10.2        11.7          1.3         0.1          0     0.01     0
 152        10.3        11.8          1.3         0.1          0     0.01     0
 153        10.4        11.9          1.3         0.1          0     0.01     0
 154        10.5        12.0          1.3         0.1          0     0.01     0
 155        10.6        12.1          1.3         0.1          0     0.01     0
 156        10.7        12.2          1.3         0.1          0     0.01     0
 157        10.8        12.3          1.3         0.1          0     0.01     0
 158        10.9        12.4          1.3         0.1          0     0.01     0
 159        11.0        12.5          1.3         0.1          0     0.01     0
 160        11.1        12.6          1.3         0.1          0     0.01     0
 161        11.2        12.7          1.3         0.1          0     0.01     0
 162        11.3        12.8          1.3         0.1          0     0.01     0
 163        11.4        12.9          1.3         0.1          0     0.01     0
 164        11.5        13.0          1.3         0.1          0     0.01     0
 165        11.6        13.1          1.3         0.1          0     0.01     0
 166        11.7        13.2          1.3         0.1          0     0.01     0
 167        11.8        13.3          1.3         0.1          0     0.01     0
 168        11.9        13.4          1.3         0.1          0     0.01     0
 169        12.0        13.5          1.3         0.1          0     0.01     0
 170        12.1        13.6          1.3         0.1          0     0.01     0
 171        12.2        13.7          1.3         0.1          0     0.01     0
 172        12.3        13.8          1.3         0.1          0     0.01     0
 173        12.4        13.9          1.3         0.1          0     0.01     0
 174        12.5        14.0          1.3         0.1          0     0.01     0
 175        12.6        14.1          1.3         0.1          0     0.01     0
 176        12.7        14.2          1.3         0.1          0     0.01     0
 177        12.8        14.3          1.3         0.1          0     0.01     0
 178        12.9        14.4          1.3         0.1          0     0.01     0
 179        13.0        14.5          1.3         0.1          0     0.01     0
 180        13.1        14.6          1.3         0.1          0     0.01     0
 181        13.2        14.7          1.3         0.1          0     0.01     0
 182        13.3        14.8          1.3         0.1          0     0.01     0
 183        13.4        14.9          1.3         0.1          0     0.01     0
 184        13.5        15.0          1.3         0.1          0     0.01     0
 185        13.6        15.1          1.3         0.1          0     0.01     0
 186        13.7        15.2          1.3         0.1          0     0.01     0
 187        13.8        15.3          1.3         0.1          0     0.01     0
 188        13.9        15.4          1.3         0.1          0     0.01     0
 189        14.0        15.5          1.3         0.1          0     0.01     0
 190        14.1        15.6          1.3         0.1          0     0.01     0
 191        14.2        15.7          1.3         0.1          0     0.01     0
 192        14.3        15.8          1.3         0.1          0     0.01     0
 193        14.4        15.9          1.3         0.1          0     0.01     0
 194        14.5        16.0          1.3         0.1          0     0.01     0
 195        14.6        16.1          1.3         0.1          0     0.01     0
 196        14.7        16.2          1.3         0.1          0     0.01     0
 197        14.8        16.3          1.3         0.1          0     0.01     0
 198        14.9        16.4          1.3         0.1          0     0.01     0
 199        15.0        16.5          1.3         0.1          0     0.01     0
 200        15.1        16.6          1.3         0.1          0     0.01     0
 201        15.2        16.7          1.3         0.1          0     0.01     0
 202        15.3        16.8          1.3         0.1          0     0.01     0
 203        15.4        16.9          1.3         0.1          0     0.01     0
 204        15.5        17.0          1.3         0.1          0     0.01     0
 205        15.6        17.1          1.3         0.1          0     0.01     0
 206        15.7        17.2          1.3         0.1          0     0.01     0
 207        15.8        17.3          1.3         0.1          0     0.01     0
 208        15.9        17.4          1.3         0.1          0     0.01     0
 209        16.0        17.5          1.3         0.1          0     0.01     0
 210        16.1        17.6          1.3         0.1          0     0.01     0
 211        16.2        17.7          1.3         0.1          0     0.01     0
 212        16.3        17.8          1.3         0.1          0     0.01     0
 213        16.4        17.9          1.3         0.1          0     0.01     0
 214        16.5        18.0          1.3         0.1          0     0.01     0
 215        16.6        18.1          1.3         0.1          0     0.01     0
 216        16.7        18.2          1.3         0.1          0     0.01     0
 217        16.8        18.3          1.3         0.1          0     0.01     0
 218        16.9        18.4          1.3         0.1          0     0.01     0
 219        17.0        18.5          1.3         0.1          0     0.01     0
 220        17.1        18.6          1.3         0.1          0     0.01     0
 221        17.2        18.7          1.3         0.1          0     0.01     0
 222        17.3        18.8          1.3         0.1          0     0.01     0
 223        17.4        18.9          1.3         0.1          0     0.01     0
 224        17.5        19.0          1.3         0.1          0     0.01     0
 225        17.6        19.1          1.3         0.1          0     0.01     0
 226        17.7        19.2          1.3         0.1          0     0.01     0
 227        17.8        19.3          1.3         0.1          0     0.01     0
 228        17.9        19.4          1.3         0.1          0     0.01     0
 229        18.0        19.5          1.3         0.1          0     0.01     0
 230        18.1        19.6          1.3         0.1          0     0.01     0
 231        18.2        19.7          1.3         0.1          0     0.01     0
 232        18.3        19.8          1.3         0.1          0     0.01     0
 233        18.4        19.9          1.3         0.1          0     0.01     0
 234        18.5        20.0          1.3         0.1          0     0.01     0
 235        18.6        20.1          1.3         0.1          0     0.01     0
 236        18.7        20.2          1.3         0.1          0     0.01     0
 237        18.8        20.3          1.3         0.1          0     0.01     0
 238        18.9        20.4          1.3         0.1          0     0.01     0
 239        19.0        20.5          1.3         0.1          0     0.01     0
 240        19.1        20.6          1.3         0.1          0     0.01     0
 241        19.2        20.7          1.3         0.1          0     0.01     0
 242        19.3        20.8          1.3         0.1          0     0.01     0
 243        19.4        20.9          1.3         0.1          0     0.01     0
 244        19.5        21.0          1.3         0.1          0     0.01     0
 245        19.6        21.1          1.3         0.1          0     0.01     0
 246        19.7        21.2          1.3         0.1          0     0.01     0
 247        19.8        21.3          1.3         0.1          0     0.01     0
 248        19.9        21.4          1.3         0.1          0     0.01     0
 249        20.0        21.5          1.3         0.1          0     0.01     0
 250        20.1        21.6          1.3         0.1          0     0.01     0
 251        20.2        21.7          1.3         0.1          0     0.01     0
 252        20.3        21.8          1.3         0.1          0     0.01     0
 253        20.4        21.9          1.3         0.1          0     0.01     0
 254        20.5        22.0          1.3         0.1          0     0.01     0
 255        20.6        22.1          1.3         0.1          0     0.01     0
 256        20.7        22.2          1.3         0.1          0     0.01     0
 257        20.8        22.3          1.3         0.1          0     0.01     0
 258        20.9        22.4          1.3         0.1          0     0.01     0
 259        21.0        22.5          1.3         0.1          0     0.01     0
 260        21.1        22.6          1.3         0.1          0     0.01     0
 261        21.2
```

In [46]: example

Out[46]:

	sepal_length	sepal_width	petal_length	petal_width	Label	probR1	pred1	misclassified	prob2
50	7.0	3.2	4.7	1.4	1	0.01	1	0.0	0.0053
51	6.4	3.2	4.5	1.5	1	0.01	1	0.0	0.0053
52	6.9	3.1	4.9	1.5	1	0.01	1	0.0	0.0053
53	5.5	2.3	4.0	1.3	1	0.01	1	0.0	0.0053
54	6.5	2.8	4.6	1.5	1	0.01	1	0.0	0.0053
55	5.7	2.8	4.5	1.3	1	0.01	1	0.0	0.0053
56	6.3	3.3	4.7	1.6	1	0.01	1	0.0	0.0053
57	4.9	2.4	3.3	1.0	1	0.01	1	0.0	0.0053
58	6.6	2.9	4.6	1.3	1	0.01	1	0.0	0.0053
59	5.2	2.7	3.9	1.4	1	0.01	1	0.0	0.0053
60	5.0	2.0	3.5	1.0	1	0.01	1	0.0	0.0053

In [47]: #round 2

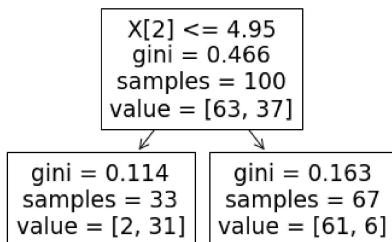
```
random.seed(20)
example2 = example.sample(len(example), replace = True, weights = example['prob2'])
example2 = example2.iloc[:,0:5]
X_train = example2.iloc[0:len(iris),0:4]
y_train = example2.iloc[0:len(iris),4]

clf_gini = DecisionTreeClassifier(criterion = "gini", random_state = 100, max_depth=1)
clf = clf_gini.fit(X_train, y_train)

y_pred = clf_gini.predict(example.iloc[0:len(iris),0:4])
#adding a column pred2 after the second round of boosting
example['pred2'] = y_pred
```

In [48]: #plotting tree for round 2 boosting
tree.plot_tree(clf)

Out[48]: [Text(167.4, 163.07999999999998, 'X[2] <= 4.95\n gini = 0.466\n samples = 100\n value = [63, 37]'), Text(83.7, 54.360000000000014, ' gini = 0.114\n samples = 33\n value = [2, 31]'), Text(251.10000000000002, 54.360000000000014, ' gini = 0.163\n samples = 67\n value = [61, 6]')]



In [49]: example

Out[49]:

	sepal_length	sepal_width	petal_length	petal_width	Label	probR1	pred1	misclassified	prob2	pred2
50	7.0	3.2	4.7	1.4	1	0.01	1	0.0	0.0053	1
51	6.4	3.2	4.5	1.5	1	0.01	1	0.0	0.0053	1
52	6.9	3.1	4.9	1.5	1	0.01	1	0.0	0.0053	1
53	5.5	2.3	4.0	1.3	1	0.01	1	0.0	0.0053	1
54	6.5	2.8	4.6	1.5	1	0.01	1	0.0	0.0053	1
55	5.7	2.8	4.5	1.3	1	0.01	1	0.0	0.0053	1
56	6.3	3.3	4.7	1.6	1	0.01	1	0.0	0.0053	1
57	4.9	2.4	3.3	1.0	1	0.01	1	0.0	0.0053	1
58	6.6	2.9	4.6	1.3	1	0.01	1	0.0	0.0053	1
59	5.2	2.7	3.9	1.4	1	0.01	1	0.0	0.0053	1
60	5.0	2.0	3.5	1.0	1	0.01	1	0.0	0.0053	1

In [50]: #adding a field misclassified2

```
example.loc[example.Label != example.pred2, 'misclassified2'] = 1
example.loc[example.Label == example.pred2, 'misclassified2'] = 0
```

In [51]: # calculation of error

```
e2 = sum(example['misclassified2'] * example['prob2'])
e2
```

Out[51]: 0.1204

In [52]: #calculation of alpha

```
alpha2 = 0.5*log((1-e2)/e2)
alpha2
```

Out[52]: 0.9943238629029427

```
In [53]: #update weight
new_weight = example['prob2']*np.exp(-1*alpha2*example['Label']*example['pred2'])
z = sum(new_weight)
normalized_weight = new_weight/sum(new_weight)
```

```
In [54]: example['prob3'] = round(normalized_weight,4)
```

```
In [55]: example
```

```
Out[55]:
```

	sepal_length	sepal_width	petal_length	petal_width	Label	probR1	pred1	misclassified	prob2	pred2	misclassified2	prob3
50	7.0	3.2	4.7	1.4	1	0.01	1	0.0	0.0053	1	0.0	0.0030
51	6.4	3.2	4.5	1.5	1	0.01	1	0.0	0.0053	1	0.0	0.0030
52	6.9	3.1	4.9	1.5	1	0.01	1	0.0	0.0053	1	0.0	0.0030
53	5.5	2.3	4.0	1.3	1	0.01	1	0.0	0.0053	1	0.0	0.0030
54	6.5	2.8	4.6	1.5	1	0.01	1	0.0	0.0053	1	0.0	0.0030
55	5.7	2.8	4.5	1.3	1	0.01	1	0.0	0.0053	1	0.0	0.0030
56	6.3	3.3	4.7	1.6	1	0.01	1	0.0	0.0053	1	0.0	0.0030
57	4.9	2.4	3.3	1.0	1	0.01	1	0.0	0.0053	1	0.0	0.0030
58	6.6	2.9	4.6	1.3	1	0.01	1	0.0	0.0053	1	0.0	0.0030
59	5.2	2.7	3.9	1.4	1	0.01	1	0.0	0.0053	1	0.0	0.0030
60	5.0	2.0	3.5	1.0	1	0.01	1	0.0	0.0053	1	0.0	0.0030

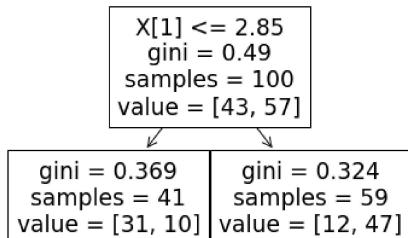
```
In [56]: #round 3
random.seed(30)
example3 = example.sample(len(example), replace = True, weights = example['prob3'])
example3 = example3.iloc[:,0:5]
X_train = example3.iloc[0:len(iris),0:4]
y_train = example3.iloc[0:len(iris),4]

clf_gini = DecisionTreeClassifier(criterion = "gini", random_state = 100, max_depth=1)
clf = clf_gini.fit(X_train, y_train)

#adding a column pred3 after the third round of boosting
y_pred = clf_gini.predict(example.iloc[0:len(iris),0:4])
example['pred3'] = y_pred
```

```
In [57]: #plotting tree for round 3 boosting
tree.plot_tree(clf)
```

```
Out[57]: [Text(167.4, 163.07999999999998, 'X[1] <= 2.85\n gini = 0.49\n nsamples = 100\n nvalue = [43, 57]'), Text(83.7, 54.360000000000014, ' gini = 0.369\n nsamples = 41\n nvalue = [31, 10]'), Text(251.10000000000002, 54.360000000000014, ' gini = 0.324\n nsamples = 59\n nvalue = [12, 47]')]
```



```
In [58]: #adding a field misclassified3
example.loc[example.Label != example.pred3, 'misclassified3'] = 1
example.loc[example.Label == example.pred3, 'misclassified3'] = 0
```

```
In [59]: #weighted error calculation
e3 = sum(example['misclassified3'] * example['prob3'])#/Len(example)
e3
```

```
Out[59]: 0.2754000000000001
```

```
In [60]: #calculation of performance(alpha)
alpha3 = 0.5*log((1-e3)/e3)
```

```
In [61]: #update weight
new_weight = example['prob3']*np.exp(-1*alpha3*example['Label']*example['pred3'])
z = sum(new_weight)
normalized_weight = new_weight/sum(new_weight)
```

```
In [62]: example['prob4'] = round(normalized_weight,4)
```

In [63]: example

Out[63]:

sepal_length	sepal_width	petal_length	petal_width	Label	probR1	pred1	misclassified	prob2	pred2	misclassified2	prob3	pred3	misclassified3	prob4	
50	7.0	3.2	4.7	1.4	1	0.01	1	0.0	0.0053	1	0.0	0.0030	1	0.0	0.0021
51	6.4	3.2	4.5	1.5	1	0.01	1	0.0	0.0053	1	0.0	0.0030	1	0.0	0.0021
52	6.9	3.1	4.9	1.5	1	0.01	1	0.0	0.0053	1	0.0	0.0030	1	0.0	0.0021
53	5.5	2.3	4.0	1.3	1	0.01	1	0.0	0.0053	1	0.0	0.0030	-1	1.0	0.0055
54	6.5	2.8	4.6	1.5	1	0.01	1	0.0	0.0053	1	0.0	0.0030	-1	1.0	0.0055
55	5.7	2.8	4.5	1.3	1	0.01	1	0.0	0.0053	1	0.0	0.0030	-1	1.0	0.0055
56	6.3	3.3	4.7	1.6	1	0.01	1	0.0	0.0053	1	0.0	0.0030	1	0.0	0.0021
57	4.9	2.4	3.3	1.0	1	0.01	1	0.0	0.0053	1	0.0	0.0030	-1	1.0	0.0055
58	6.6	2.9	4.6	1.3	1	0.01	1	0.0	0.0053	1	0.0	0.0030	1	0.0	0.0021
59	5.2	2.7	3.9	1.4	1	0.01	1	0.0	0.0053	1	0.0	0.0030	-1	1.0	0.0055
60	5.0	2.0	3.5	1.0	1	0.01	1	0.0	0.0053	1	0.0	0.0030	-1	1.0	0.0055

In [64]: #Round 4

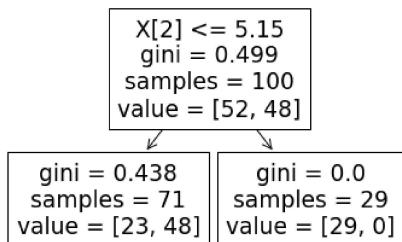
```
random.seed(40)
example4 = example.sample(len(example), replace = True, weights = example['prob4'])
example4 = example4.iloc[:,0:5]
X_train = example4.iloc[0:len(iris),0:4]
y_train = example4.iloc[0:len(iris),4]

clf_gini = DecisionTreeClassifier(criterion = "gini", random_state = 100, max_depth=1)
clf = clf_gini.fit(X_train, y_train)

#adding a column pred4 after the fourth round of boosting
y_pred = clf_gini.predict(example.iloc[0:len(iris),0:4])
example['pred4'] = y_pred
```

```
In [65]: #plotting tree for round 4 boosting  
tree.plot_tree(clf)
```

```
Out[65]: [Text(167.4, 163.07999999999998, '\nX[2] <= 5.15\\ngini = 0.499\\nsamples = 100\\nvalue = [52, 48]'),  
Text(83.7, 54.360000000000014, '\ngini = 0.438\\nsamples = 71\\nvalue = [23, 48]'),  
Text(251.1000000000002, 54.360000000000014, '\ngini = 0.0\\nsamples = 29\\nvalue = [29, 0]')]
```



```
In [66]: #adding a field misclassified4
```

```
#adding a field misclassified4
example.loc[example.Label != example.pred4, 'misclassified4'] = 1
example.loc[example.Label == example.pred4, 'misclassified4'] = 0
```

```
In [67]: #error calculation  
e4 = sum(example[
```

Out[67]: 0.2332000000000000

```
alpha4 = 0.5*log((1
```

```
In [69]: #printing the alpha value which is used in each round of boosting
          print(alpha1)
          print(alpha2)
          print(alpha3)
          print(alpha4)
```

1.3757676565209744
0.9943238629029427
0.483697596083211
0.595164778347576

```
In [70]: #final prediction
```

```
t = alpha1 * example['pred1'] + alpha2 * example['pred2'] + alpha3 * example['pred3'] + alpha4 * example['pred4']
```

```
In [71]: #sign of the final prediction  
np.sign(list(t))
```

```
In [72]: example['final_pred'] = np.sign(list(t))
```

```
In [73]: example
```

```
Out[73]:
```

	sepal_length	sepal_width	petal_length	petal_width	Label	probR1	pred1	misclassified	prob2	pred2	misclassified2	prob3	pred3	misclassified3	prob4	pred
50	7.0	3.2	4.7	1.4	1	0.01	1	0.0	0.0053	1	0.0	0.0030	1	0.0	0.0021	
51	6.4	3.2	4.5	1.5	1	0.01	1	0.0	0.0053	1	0.0	0.0030	1	0.0	0.0021	
52	6.9	3.1	4.9	1.5	1	0.01	1	0.0	0.0053	1	0.0	0.0030	1	0.0	0.0021	
53	5.5	2.3	4.0	1.3	1	0.01	1	0.0	0.0053	1	0.0	0.0030	-1	1.0	0.0055	
54	6.5	2.8	4.6	1.5	1	0.01	1	0.0	0.0053	1	0.0	0.0030	-1	1.0	0.0055	
55	5.7	2.8	4.5	1.3	1	0.01	1	0.0	0.0053	1	0.0	0.0030	-1	1.0	0.0055	
56	6.3	3.3	4.7	1.6	1	0.01	1	0.0	0.0053	1	0.0	0.0030	1	0.0	0.0021	
57	4.9	2.4	3.3	1.0	1	0.01	1	0.0	0.0053	1	0.0	0.0030	-1	1.0	0.0055	
58	6.6	2.9	4.6	1.3	1	0.01	1	0.0	0.0053	1	0.0	0.0030	1	0.0	0.0021	
59	5.2	2.7	3.9	1.4	1	0.01	1	0.0	0.0053	1	0.0	0.0030	-1	1.0	0.0055	
60	5.0	2.0	3.6	1.0	1	0.01	1	0.0	0.0053	1	0.0	0.0030	-1	1.0	0.0055	

```
In [74]: #Confusion matrix
c=confusion_matrix(example['Label'], example['final_pred'])
c
```

```
Out[74]: array([[45,  5],
   [ 1, 49]], dtype=int64)
```

```
In [75]: #Overall Accuracy
(c[0,0]+c[1,1])/np.sum(c)*100
```

```
Out[75]: 94.0
```

```
In [76]: #Fitting the model using the adaboost classifier library
```

```
In [77]: from sklearn.ensemble import AdaBoostClassifier
```

```
In [83]: iris = pd.read_csv("iris.csv")
iris = iris[(iris['species'] == 'versicolor') | (iris['species'] == 'virginica')]
```

```
In [79]: #X_train and Y_train split
X_train = iris.iloc[0:len(iris),0:4]
y_train = iris.iloc[0:len(iris),4]
```

```
In [80]: clf = AdaBoostClassifier(n_estimators=4, random_state=0)
clf.fit(X_train, y_train)
```

```
Out[80]: AdaBoostClassifier(n_estimators=4, random_state=0)
```

```
In [81]: clf.predict([[5.5, 2.5, 4.0, 1.3]])
```

```
Out[81]: array(['versicolor'], dtype=object)
```

```
In [82]: clf.score(X_train, y_train)
```

```
Out[82]: 0.9733333333333334
```

```
In [1]: import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
```

```
In [2]: credit_df = pd.read_csv('CreditRisk.csv')
```

```
In [3]: credit_df.shape
```

```
Out[3]: (614, 13)
```

```
In [4]: credit_df.head()
```

```
Out[4]:
```

	Loan_ID	Gender	Married	Dependents	Education	Self_Employed	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Am
0	LP001002	Male	No	0	Graduate	No	5849	0.0	0	
1	LP001003	Male	Yes	1	Graduate	No	4583	1508.0	128	
2	LP001005	Male	Yes	0	Graduate	Yes	3000	0.0	66	
3	LP001006	Male	Yes	0	Not Graduate	No	2583	2358.0	120	
4	LP001008	Male	No	0	Graduate	No	6000	0.0	141	

```
In [5]: credit_df.tail()
```

```
Out[5]:
```

	Loan_ID	Gender	Married	Dependents	Education	Self_Employed	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Am
609	LP002978	Female	No	0	Graduate	No	2900	0.0	71	
610	LP002979	Male	Yes	3+	Graduate	No	4106	0.0	40	
611	LP002983	Male	Yes	1	Graduate	No	8072	240.0	253	
612	LP002984	Male	Yes	2	Graduate	No	7583	0.0	187	
613	LP002990	Female	No	0	Graduate	Yes	4583	0.0	133	

```
In [6]: credit_df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 614 entries, 0 to 613
Data columns (total 13 columns):
 #   Column           Non-Null Count  Dtype  
--- 
 0   Loan_ID          614 non-null    object  
 1   Gender           601 non-null    object  
 2   Married          611 non-null    object  
 3   Dependents       599 non-null    object  
 4   Education        614 non-null    object  
 5   Self_Employed    582 non-null    object  
 6   ApplicantIncome  614 non-null    int64  
 7   CoapplicantIncome 614 non-null    float64 
 8   LoanAmount        614 non-null    int64  
 9   Loan_Amount_Term  600 non-null    float64 
 10  Credit_History   564 non-null    float64 
 11  Property_Area    614 non-null    object  
 12  Loan_Status       614 non-null    int64  
dtypes: float64(3), int64(3), object(7)
memory usage: 62.5+ KB
```

In [7]: `credit_df.describe()`

Out[7]:

	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Amount_Term	Credit_History	Loan_Status
count	614.000000	614.000000	614.000000	600.000000	564.000000	614.000000
mean	5403.459283	1621.245798	141.166124	342.000000	0.842199	0.687296
std	6109.041673	2926.248369	88.340630	65.12041	0.364878	0.463973
min	150.000000	0.000000	0.000000	12.00000	0.000000	0.000000
25%	2877.500000	0.000000	98.000000	360.000000	1.000000	0.000000
50%	3812.500000	1188.500000	125.000000	360.000000	1.000000	1.000000
75%	5795.000000	2297.250000	164.750000	360.000000	1.000000	1.000000
max	81000.000000	41667.000000	700.000000	480.000000	1.000000	1.000000

In [8]: `credit_df.Loan_Status.value_counts()`

Out[8]:

```
1    422
0    192
Name: Loan_Status, dtype: int64
```

In [9]: `credit_df.groupby(['Education', 'Loan_Status']).Education.count()`

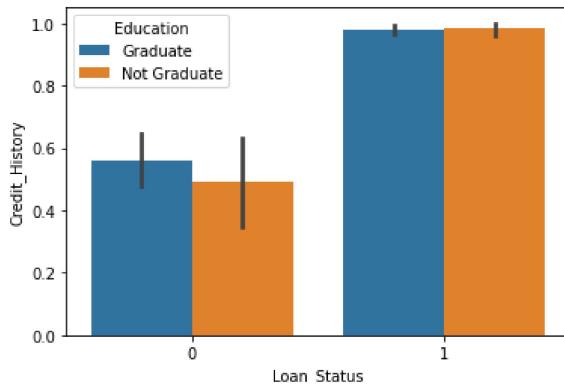
Out[9]:

Education	Loan_Status	Count
Graduate	0	140
	1	340
Not Graduate	0	52
	1	82

Name: Education, dtype: int64

In [10]: `sns.barplot(y = 'Credit_History', x = 'Loan_Status', hue='Education', data = credit_df)`

Out[10]:



In [11]: `100 * credit_df.isnull().sum() / credit_df.shape[0]`

Out[11]:

Column	Percentage
Loan_ID	0.000000
Gender	2.117264
Married	0.488599
Dependents	2.442997
Education	0.000000
Self_Employed	5.211726
ApplicantIncome	0.000000
CoapplicantIncome	0.000000
LoanAmount	0.000000
Loan_Amount_Term	2.280130
Credit_History	8.143322
Property_Area	0.000000
Loan_Status	0.000000

dtype: float64

In [12]: `object_columns = credit_df.select_dtypes(include=['object']).columns
numeric_columns = credit_df.select_dtypes(exclude=['object']).columns`

In [13]: `for column in object_columns:
 majority = credit_df[column].value_counts().iloc[0]
 credit_df[column].fillna(majority, inplace=True)`

```
In [14]: for column in numeric_columns:
    mean = credit_df[column].mean()
    credit_df[column].fillna(mean, inplace=True)
```

```
In [15]: credit_df.head()
```

Out[15]:

	Loan_ID	Gender	Married	Dependents	Education	Self_Employed	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Am
0	LP001002	Male	No	0	Graduate	No	5849	0.0	0	
1	LP001003	Male	Yes	1	Graduate	No	4583	1508.0	128	
2	LP001005	Male	Yes	0	Graduate	Yes	3000	0.0	66	
3	LP001006	Male	Yes	0	Not Graduate	No	2583	2358.0	120	
4	LP001008	Male	No	0	Graduate	No	6000	0.0	141	

```
In [16]: credit_df.drop('Loan_ID', axis=1, inplace=True)
```

```
In [17]: object_columns = credit_df.select_dtypes(include=['object']).columns
```

```
In [18]: credit_df.head()
```

Out[18]:

	Gender	Married	Dependents	Education	Self_Employed	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Amount_Term
0	Male	No	0	Graduate	No	5849	0.0	0	360.0
1	Male	Yes	1	Graduate	No	4583	1508.0	128	360.0
2	Male	Yes	0	Graduate	Yes	3000	0.0	66	360.0
3	Male	Yes	0	Not Graduate	No	2583	2358.0	120	360.0
4	Male	No	0	Graduate	No	6000	0.0	141	360.0

```
In [19]: credit_df[object_columns].Property_Area
```

```
Out[19]: 0      Urban
1      Rural
2      Urban
3      Urban
4      Urban
...
609    Rural
610    Rural
611    Urban
612    Urban
613    Semiurban
Name: Property_Area, Length: 614, dtype: object
```

```
In [20]: credit_df[object_columns].Property_Area.head()
```

```
Out[20]: 0      Urban
1      Rural
2      Urban
3      Urban
4      Urban
Name: Property_Area, dtype: object
```

```
In [21]: credit_df_dummy = pd.get_dummies(credit_df, columns=object_columns)
```

```
In [22]: credit_df_dummy.shape
```

Out[22]: (614, 25)

```
In [23]: from sklearn.model_selection import train_test_split
from sklearn.tree import DecisionTreeClassifier
from sklearn.svm import SVC
from sklearn.metrics import accuracy_score, confusion_matrix, classification_report
```

```
In [24]: X = credit_df_dummy.drop('Loan_Status', axis=1)
y = credit_df_dummy.Loan_Status
train_x, test_x, train_y, test_y = train_test_split(X, y, test_size=0.3, random_state=42)
```

```
In [25]: train_x.shape, test_x.shape
```

```
Out[25]: ((429, 24), (185, 24))
```

```
In [26]: dt_model = DecisionTreeClassifier(max_depth=14)
```

```
In [27]: dt_model.fit(train_x, train_y)
```

```
Out[27]: DecisionTreeClassifier(max_depth=14)
```

```
In [28]: train_y_hat = dt_model.predict(train_x)
test_y_hat = dt_model.predict(test_x)
```

```
In [29]: print('*'*20, 'Train', '*'*20)
print(classification_report(train_y, train_y_hat))
print('*'*20, 'Test', '*'*20)
print(classification_report(test_y, test_y_hat))
```

----- Train -----				
	precision	recall	f1-score	support
0	1.00	1.00	1.00	127
1	1.00	1.00	1.00	302
accuracy			1.00	429
macro avg	1.00	1.00	1.00	429
weighted avg	1.00	1.00	1.00	429
----- Test -----				
	precision	recall	f1-score	support
0	0.57	0.52	0.54	65
1	0.75	0.78	0.77	120
accuracy			0.69	185
macro avg	0.66	0.65	0.66	185
weighted avg	0.69	0.69	0.69	185

```
In [30]: print('*'*20, 'Train', '*'*20)
print(classification_report(train_y, train_y_hat))
print('*'*20, 'Test', '*'*20)
print(classification_report(test_y, test_y_hat))
```

----- Train -----				
	precision	recall	f1-score	support
0	1.00	1.00	1.00	127
1	1.00	1.00	1.00	302
accuracy			1.00	429
macro avg	1.00	1.00	1.00	429
weighted avg	1.00	1.00	1.00	429
----- Test -----				
	precision	recall	f1-score	support
0	0.57	0.52	0.54	65
1	0.75	0.78	0.77	120
accuracy			0.69	185
macro avg	0.66	0.65	0.66	185
weighted avg	0.69	0.69	0.69	185

```
In [1]: from matplotlib import pyplot as plt
from sklearn import datasets
from sklearn.tree import DecisionTreeClassifier
from sklearn import tree
```

```
In [2]: # Prepare the data data
iris = datasets.load_iris()
X = iris.data
y = iris.target
```

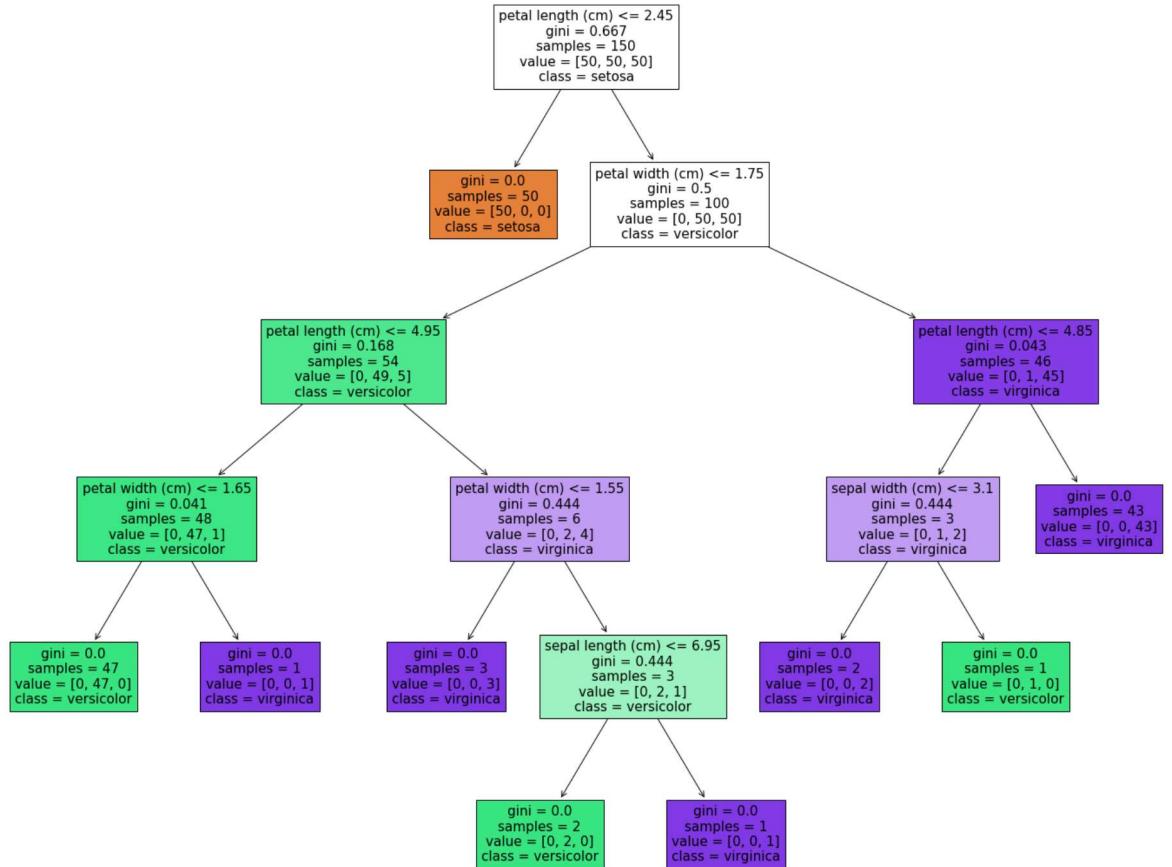
```
In [3]: # Fit the classifier with default hyper-parameters
clf = DecisionTreeClassifier(random_state=1234)
model = clf.fit(X, y)
```

```
In [4]: text_representation = tree.export_text(clf)
print(text_representation)
```

```
--- feature_2 <= 2.45
|--- class: 0
--- feature_2 > 2.45
|--- feature_3 <= 1.75
|   |--- feature_2 <= 4.95
|   |   |--- feature_3 <= 1.65
|   |   |   |--- class: 1
|   |   |   |--- feature_3 > 1.65
|   |   |   |   |--- class: 2
|   |   |--- feature_2 > 4.95
|   |   |   |--- feature_3 <= 1.55
|   |   |   |   |--- class: 2
|   |   |   |--- feature_3 > 1.55
|   |   |   |   |--- feature_0 <= 6.95
|   |   |   |   |   |--- class: 1
|   |   |   |   |   |--- feature_0 > 6.95
|   |   |   |   |   |--- class: 2
|--- feature_3 > 1.75
|   |--- feature_2 <= 4.85
|   |   |--- feature_1 <= 3.10
|   |   |   |--- class: 2
|   |   |   |--- feature_1 > 3.10
|   |   |   |   |--- class: 1
|   |   |--- feature_2 > 4.85
|   |   |   |--- class: 2
```

```
In [5]: with open("decistion_tree.log", "w") as fout:
fout.write(text_representation)
```

```
In [20]: fig = plt.figure(figsize=(25,20))
_ = tree.plot_tree(clf,
                   feature_names=iris.feature_names,
                   class_names=iris.target_names,
                   filled=True)
```



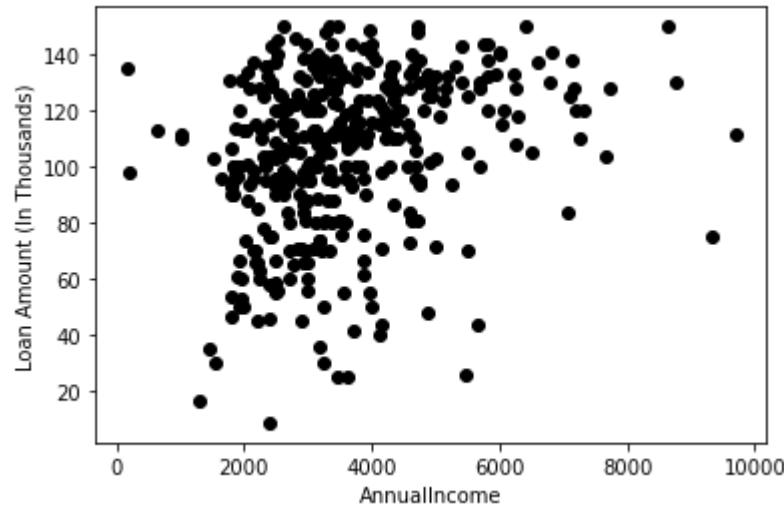
```
In [1]: #import libraries
import pandas as pd
import numpy as np
import random as rd
import matplotlib.pyplot as plt
```

```
In [2]: data = pd.read_csv('clustering.csv')
data.head()
```

Out[2]:

	Loan_ID	Gender	Married	Dependents	Education	Self_Employed	ApplicantIncome	Coappli
0	LP001003	Male	Yes	1	Graduate	No	4583	
1	LP001005	Male	Yes	0	Graduate	Yes	3000	
2	LP001006	Male	Yes	0	Not Graduate	No	2583	
3	LP001008	Male	No	0	Graduate	No	6000	
4	LP001013	Male	Yes	0	Not Graduate	No	2333	

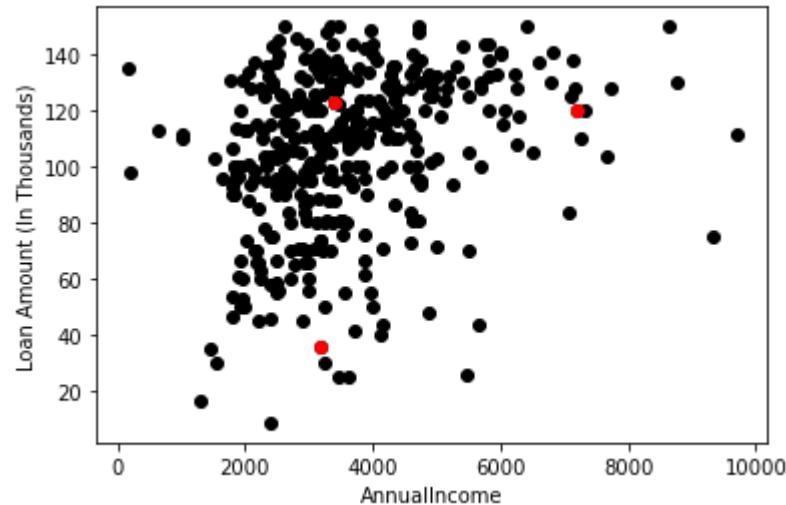
```
In [3]: X = data[['LoanAmount', "ApplicantIncome"]]
#Visualise data points
plt.scatter(X["ApplicantIncome"],X["LoanAmount"],c='black')
plt.xlabel('AnnualIncome')
plt.ylabel('Loan Amount (In Thousands)')
plt.show()
```



Steps 1 and 2 of K-Means were about choosing the number of clusters (k) and selecting random centroids for each cluster. We will pick 3 clusters and then select random observations from the data as the centroids:

In [4]: K=3

```
# Select random observation as centroids
Centroids = (X.sample(n=K))
plt.scatter(X["ApplicantIncome"],X["LoanAmount"],c='black')
plt.scatter(Centroids["ApplicantIncome"],Centroids["LoanAmount"],c='red')
plt.xlabel('AnnualIncome')
plt.ylabel('Loan Amount (In Thousands)')
plt.show()
```



```
In [5]: # Step 3 - Assign all the points to the closest cluster centroid
# Step 4 - Recompute centroids of newly formed clusters
# Step 5 - Repeat step 3 and 4

diff = 1
j=0

while(diff!=0):
    XD=X
    i=1
    for index1,row_c in Centroids.iterrows():
        ED=[]
        for index2,row_d in XD.iterrows():
            d1=(row_c["ApplicantIncome"]-row_d["ApplicantIncome"])**2
            d2=(row_c["LoanAmount"]-row_d["LoanAmount"])**2
            d=np.sqrt(d1+d2)
            ED.append(d)
        X[i]=ED
        i=i+1

    C=[]
    for index,row in X.iterrows():
        min_dist=row[1]
        pos=1
        for i in range(K):
            if row[i+1] < min_dist:
                min_dist = row[i+1]
                pos=i+1
        C.append(pos)
    X["Cluster"]=C
    Centroids_new = X.groupby(["Cluster"]).mean()[["LoanAmount", "ApplicantIncome"]]
    if j == 0:
        diff=1
        j=j+1
    else:
        diff = (Centroids_new['LoanAmount'] - Centroids['LoanAmount']).sum() +
        print(diff.sum())
    Centroids = X.groupby(["Cluster"]).mean()[["LoanAmount", "ApplicantIncome"]]
```

-9.237706177129652
0.0

```
<ipython-input-5-912b3f05973f>:18: SettingWithCopyWarning:  
A value is trying to be set on a copy of a slice from a DataFrame.  
Try using .loc[row_indexer,col_indexer] = value instead
```

See the caveats in the documentation: https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus-a-copy (https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus-a-copy)

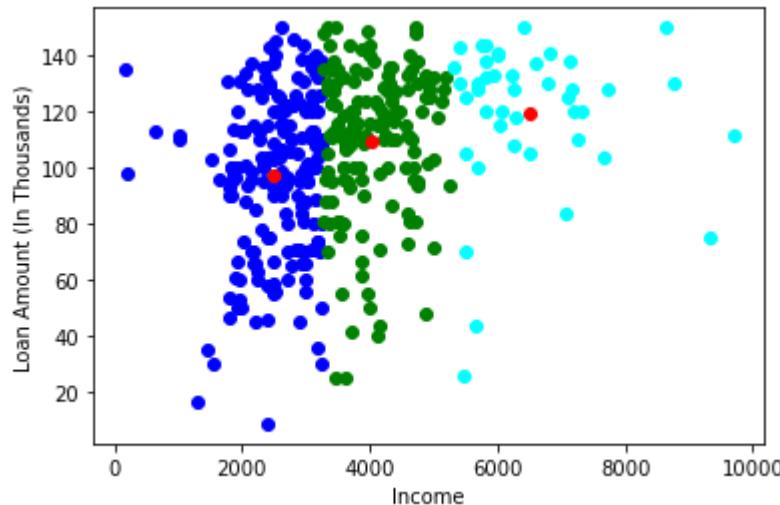
```
X[i]=ED  
<ipython-input-5-912b3f05973f>:30: SettingWithCopyWarning:  
A value is trying to be set on a copy of a slice from a DataFrame.  
Try using .loc[row_indexer,col_indexer] = value instead
```

See the caveats in the documentation: https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus-a-copy (https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus-a-copy)

```
X["Cluster"]=C
```

When this difference is 0, we are stopping the training. Let's now visualize the clusters we have got:

```
In [6]: color=['blue','green','cyan']  
for k in range(K):  
    data=X[X["Cluster"]==k+1]  
    plt.scatter(data["ApplicantIncome"],data["LoanAmount"],c=color[k])  
    plt.scatter(Centroids["ApplicantIncome"],Centroids["LoanAmount"],c='red')  
    plt.xlabel('Income')  
    plt.ylabel('Loan Amount (In Thousands)')  
    plt.show()
```



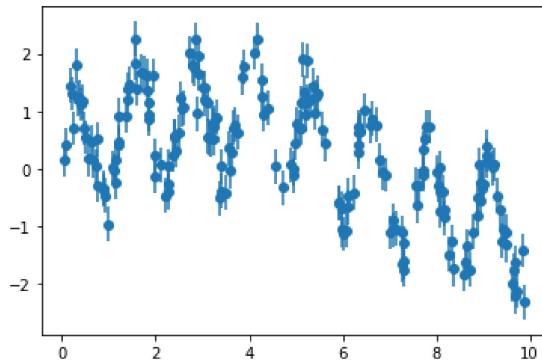
```
In [1]: from sklearn.datasets import load_digits
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
from sklearn.ensemble import RandomForestClassifier
from sklearn.metrics import confusion_matrix
import seaborn as sns
import numpy as np
```

```
In [2]: rng = np.random.RandomState(42)
x = 10 * rng.rand(200)

def model(x, sigma=0.3):
    fast_oscillation = np.sin(5 * x)
    slow_oscillation = np.sin(0.5 * x)
    noise = sigma * rng.randn(len(x))

    return slow_oscillation + fast_oscillation + noise

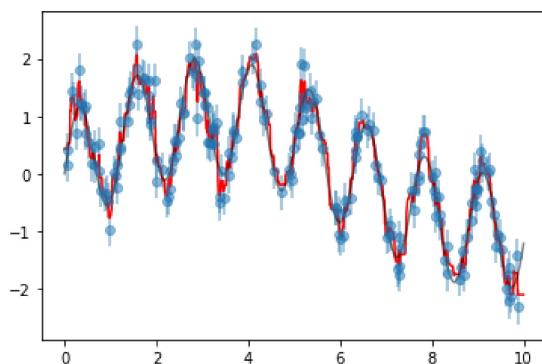
y = model(x)
plt.errorbar(x, y, 0.3, fmt='o');
```



```
In [3]: from sklearn.ensemble import RandomForestRegressor
forest = RandomForestRegressor(200)
forest.fit(x[:, None], y)

xfit = np.linspace(0, 10, 1000)
yfit = forest.predict(xfit[:, None])
ytrue = model(xfit, sigma=0)

plt.errorbar(x, y, 0.3, fmt='o', alpha=0.5)
plt.plot(xfit, yfit, '-r');
plt.plot(xfit, ytrue, '-k', alpha=0.5);
```



In [1]:

```
%matplotlib inline
import matplotlib
import matplotlib.pyplot as plt

def plot_svc_decision_boundary(svm_clf, xmin, xmax):
    w = svm_clf.coef_[0]
    b = svm_clf.intercept_[0]

    # At the decision boundary,  $w_0*x_0 + w_1*x_1 + b = 0$ 
    # =>  $x_1 = -w_0/w_1 * x_0 - b/w_1$ 
    x0 = np.linspace(xmin, xmax, 200)
    decision_boundary = -w[0]/w[1] * x0 - b/w[1]

    margin = 1/w[1]
    gutter_up = decision_boundary + margin
    gutter_down = decision_boundary - margin

    sv = svm_clf.support_vectors_
    plt.scatter(sv[:, 0], sv[:, 1], s=180, facecolors='#FFAAAA')
    plt.plot(x0, decision_boundary, "k-", linewidth=2)
    plt.plot(x0, gutter_up, "k--", linewidth=2)
    plt.plot(x0, gutter_down, "k--", linewidth=2)
```

In [2]:

```
from sklearn.svm import SVC
from sklearn import datasets

iris = datasets.load_iris()
#print(iris)
X = iris["data"][:, (2, 3)] # petal length, petal width
#print(X)

y = iris["target"]

setosa_or_versicolor = (y == 0) | (y == 1)
X = X[setosa_or_versicolor]
y = y[setosa_or_versicolor]

# SVM Classifier model
#the hyperparameter control the margin violations
#smaller C leads to more margin violations but wider street
#C can be inferred
svm_clf = SVC(kernel="linear", C=float("inf"))
svm_clf.fit(X, y)

svm_clf.predict([[2.4, 3.1]])

#SVM classifiers do not output a probability like logistic regression classifiers
```

Out[2]:

array([1])

In [3]:

```
#plot the decision boundaries
import numpy as np

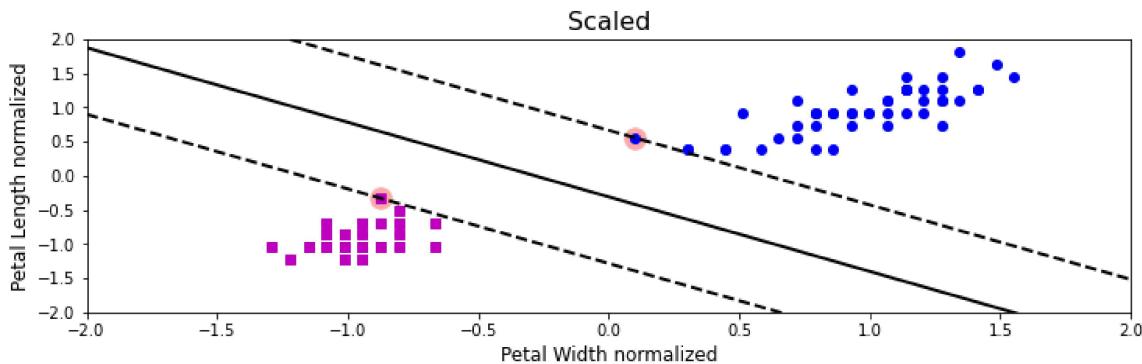
plt.figure(figsize=(12,3.2))

from sklearn.preprocessing import StandardScaler
scaler = StandardScaler()
X_scaled = scaler.fit_transform(X)
svm_clf.fit(X_scaled, y)

plt.plot(X_scaled[:, 0][y==1], X_scaled[:, 1][y==1], "bo")
plt.plot(X_scaled[:, 0][y==0], X_scaled[:, 1][y==0], "ms")
plot_svc_decision_boundary(svm_clf, -2, 2)
plt.xlabel("Petal Width normalized", fontsize=12)
plt.ylabel("Petal Length normalized", fontsize=12)
plt.title("Scaled", fontsize=16)
plt.axis([-2, 2, -2, 2])
```

Out[3]:

(-2.0, 2.0, -2.0, 2.0)



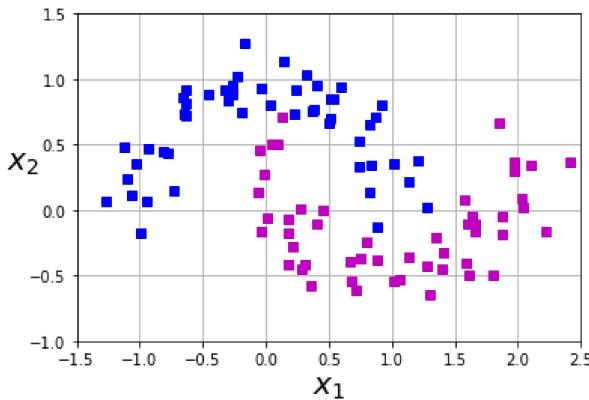
```
In [1]: from sklearn.datasets import make_moons
from sklearn.pipeline import Pipeline
from sklearn.preprocessing import PolynomialFeatures
from sklearn.preprocessing import StandardScaler
from sklearn.svm import SVC
```

```
In [2]: import numpy as np
%matplotlib inline
import matplotlib
import matplotlib.pyplot as plt
```

```
In [3]: from sklearn.datasets import make_moons
X, y = make_moons(n_samples=100, noise=0.15, random_state=42)

#define a function to plot the dataset
def plot_dataset(X, y, axes):
    plt.plot(X[:, 0][y==0], X[:, 1][y==0], "bs")
    plt.plot(X[:, 0][y==1], X[:, 1][y==1], "ms")
    plt.axis(axes)
    plt.grid(True, which='both')
    plt.xlabel(r"$x_1$", fontsize=20)
    plt.ylabel(r"$x_2$", fontsize=20, rotation=0)

#Let's have a look at the data we have generated
plot_dataset(X, y, [-1.5, 2.5, -1, 1.5])
plt.show()
```



```
In [4]: #define a function plot the decision boundaries
def plot_predictions(clf, axes):
    #create data in continuous linear space
    x0s = np.linspace(axes[0], axes[1], 100)
    x1s = np.linspace(axes[2], axes[3], 100)
    x0, x1 = np.meshgrid(x0s, x1s)
    X = np.c_[x0.ravel(), x1.ravel()]
    y_pred = clf.predict(X).reshape(x0.shape)
    y_decision = clf.decision_function(X).reshape(x0.shape)
    plt.contourf(x0, x1, y_pred, cmap=plt.cm.brg, alpha=0.2)
    plt.contourf(x0, x1, y_decision, cmap=plt.cm.brg, alpha=0.1)
```

```
In [5]: #C controls the width of the street
#Degree of data

#create a pipeline to create features, scale data and fit the model
polynomial_svm_clf = Pipeline([
    ("poly_features", PolynomialFeatures(degree=3)),
    ("scalar", StandardScaler()),
    ("svm_clf", SVC(kernel="poly", degree=10, coef0=1, C=5))
])

#call the pipeline
polynomial_svm_clf.fit(X,y)
```

```
Out[5]: Pipeline(steps=[('poly_features', PolynomialFeatures(degree=3)),
('scalar', StandardScaler()),
('svm_clf', SVC(C=5, coef0=1, degree=10, kernel='poly'))])
```

```
In [6]: #plot the decision boundaries
plt.figure(figsize=(11, 4))

#plot the decision boundaries
plot_predictions(polynomial_svm_clf, [-1.5, 2.5, -1, 1.5])

#plot the dataset
plot_dataset(X, y, [-1.5, 2.5, -1, 1.5])

plt.title(r"$d=3, \text{coef0}=1, C=5$", fontsize=18)
plt.show()
```

