

MEXing

Do you remember the problem "First Missing Positive" from the first boot camp?

If you do, that a great help. If you don't it's fine don't worry.

So, let's define something called MEX as bellow:

The MEX (minimum excluded) of an array is the smallest not-negative integer that does not belong to the array. For example:

The MEX of $[2, 2, 1]$ is 0 because 0 does not belong to the array.

The MEX of $[3, 1, 0, 1]$ is 2 because 0 and 1 belong to the array, but 2 does not.

The MEX of $[0, 3, 1, 2]$ is 4 because 0, 1, 2 and 3 belong to the array, but 4 does not.

Now you are given a tree with n nodes. For each node, you either color it in 0, or 1.

The value of a path (u, v) is equal to the MEX of the colors of the nodes from the shortest path between u and v .

The value of a coloring is equal to the sum of values of all paths (u, v) such that $1 \leq u < v \leq n$.

What is the maximum possible value of any coloring of the tree?

Input format:

Each test contains multiple test cases. The first line of input contains a single integer t ($1 \leq t \leq 10^4$) the number of test cases. The description of test cases follows.

The first line of each test case contains a single integer n ($1 \leq n \leq 2 \cdot 10^5$) the number of nodes in the tree.

The following $n-1$ lines of each test case contain 2 integers a_i and b_i ($1 \leq a_i, b_i \leq n$, $a_i \neq b_i$) indicating an edge between vertices a_i and b_i .

It is guaranteed that the given edges form a tree.

It is guaranteed that the sum of n across all test case does not exceed $2 \cdot 10^5$.

Output format:

For each test case, print the maximum possible value of any coloring of the tree.

Time limit: 3 seconds

Example:

4

3

12

23

4

12

13

14

10

12

13

34

35

16

57

28

69

610

1

Output:

8

15

96

1

Explain:

In the first sample, we will color vertex 2 in 1 and vertices 1,3 in 0.

After this, we consider all paths:

(1, 1) with value 1

(1, 2) with value 2

(1, 3) with value 2

(2, 2) with value 0

(2, 3) with value 2

(3, 3) with value 1

We notice the sum of values is 8 which is the maximum possible.