ELE 475	olling Preparation	PS3		Problem 1	Solution		
loop:	X	Υ	Z	М	LS0 LW R6, 0(R1)	LS1	
10001	ADD R4, R5, R0 SUBI R3, R3, 1			MUL R8, R4, R16 MUL R9, R5, R17 MUL R10, R6, R18	211 110) 0(111)		
	ADDI R1, R1, 4 ADD R5, R6, R0			, , , , , , , , , , , , , , , , , , ,			
	ADD R8, R8, R9 ADD R8, R8, R10 ADDI R2, R2, 4		BNEZ R3, loop			SW R8, 0(R2)	
Unrolled th	ree times with some co	ode motion					
	X	Υ	Z	M	LS0 LW R6, 0(R1)	LS1	
loop:	SUBI R3, R3, 3	ADD R28, R28, R29 ADD R28, R28, R30		MUL R8, R4, R16 MUL R9, R5, R17			
		ADD R38, R38, R39 ADD R38, R38, R40		MUL R10, R6, R18 MUL R28, R5, R16 MUL R29, R6, R17	LW R4, 4(R1)	SW R28, -8(R2)	
	ADDI R1, R1, 12	ADD R8, R8, R9 ADD R8, R8, R10		MUL R30, R4, R18 MUL R38, R6, R16 MUL R39, R4, R17	LW R5, 8(R1)	SW R38, -4(R2)	
	ADDI R2, R2, 12	,,	BNEZ R3, loop	MUL R40, R5, R18	LW R6, 0(R1)	SW R8, 0(R2)	
Final Code	X	Υ	Z	М	LS0	LS1	
function: prolog:	ADD R5, R0, R0 ADD R6, R0, R0	ADDI R16, R0, 0x45 ADDI R18, R0, 0x90	6 ADDI R17, R0, 0x789 1	MUL R28, R5, R16 MUL R29, R6, R17	LW R4, 0(R1)		

MUL R38, R6, R16 ADDI R1, R1, 8 SLTI R41, R3, 3 MUL R39, R4, R17	
ADDI K1, K1, 8 SLIT K41, K3, 3 WIOL K39, K4, K17	
ADD D26 D6 D0	
ADD R26, R6, R0 BNZ R41, epilog MUL R40, R5, R18 LW R6, 0(R1) loop: MUL R8, R4, R16	
SUBI R3, R3, 3 ADD R28, R28, R30 MUL R9, R5, R17	
MUL R10, R6, R18 LW R4, 4(R1) SW R28, C	/D2\
ADD R38, R38, R39 MUL R28, R5, R16	(NZ)
ADD R38, R38, R40 MUL R29, R6, R17	
ADD R38, R40 ADD R25, R5, R0 ADD R25, R5, R1 SW R38, 4	(D2)
ADD R23, R3, R0 MUL R38, R6, R16 MUL R38, R6, R16	(112)
ADD R0, R0, R0 MUL R39, R4, R17 ADD R8, R8, R10 MUL R39, R4, R17	
ADDI R2, R2, 12 ADD R26, R6, R0 BGTZ R3, loop MUL R40, R5, R18 LW R6, 0(R1) SW R8, 8(32)
epilog: ADD R28, R29 BLEZ R3, ep_fix_0	(2)
SUBI R3, R3, 1 ADD R28, R28, R30	
ADDI R2, R2, 4 BLEZ R3, ep_fix_1 SW R28, 0	(R2)
ADD R38, R38, R39	()
SUBI R3, R3, 1 ADD R38, R38, R40	
ADDI R2, R2, 4 J ep_end SW R38, C	(R2)
ep_fix_0: ADD R4, R25, R0	,
ep_fix_1	
ep_end: MUL R8, R4, R16	
MUL R9, R5, R17	
MUL R10, R5, R16	
ADD R8, R8, R9	
ADDI R2, R2, 4 SW R8, 0(R2)
JR R31 SW R10, C	(R2)

High Order Functionality: FIR filter **Average multiples per cycle:** 1

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ELE 475 PS#3 Solution
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Problem # 2:

R6, R8, and R5 are all read in the shadow of being updated thus get old value. After execution, R12 = 7, R13 = 10, and R14 = 6.

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{ADDI R6, R0, 6; ADDI R8, R0, 8; ADDI R5, R0, 5; LW R14, 8(R7);}
{LW R6, 0(R7); LW R8, 4(R7); ADDI R12, R6, 1; ADDI R13, R8, 2;}
{ADD R14, R14, R5; ADDI R9, R0, 9; ADDI R10, R0, 10;}
{MUL R5, R8, R10;}
{MUL R7, R6, R9;}
{ADD R15, R16, R17;}
{SUB R19, R18, R22;}
{NOP}
{NOP}
{ADD R5, R7, R5;}
```

Note: With register renaming, a more compact schedule could be created

The LEQ model is more flexible because it is easier to implement precise interrupts. An instruction can interrupt and the previous instructions can flow to the end of the pipeline and write the register file without creating erroneous results when the interrupted instruction is re-executed.

ELE 475 PS#3 Solution Problem # 3:

ADDI R6, R0, 1
ADDI R3, R0, 50
loop:
LW R8, 0(R9)
ADDI R27, R24, 10
ADD R12, R15, R8
SUB R26, R24, R12
MOVZ R24, R27, R8
MOVN R24, R26, R8
SUBI R3, R3, 1
BNEZ R3, loop

Yes, it is beneficial to predicate. In the original code, the fall-through case took 4 cycles, plus an average 5 cycle mispredict penalty = 9 cycles. In the branch taken case, execution took 2 cycles plus a 5 cycle mispredict penalty = 7 cycles. Each of these outcomes has a 50% probability; therefore the average latency of the original code is 8 cycles. In the predicated case, the latency of the replaced instructions is 5 cycles.

ELE 475 PS3 Problem 4 Solution

		Iteration 1		Iteration 2	2	Iteration 3	3	Iteration 4	ļ	Iteration 5		Iteration 6		Iteration 7		Accuracy
Name	Initial	Outcome	After													
b_0	SNT	T	NT	NT	SNT	T	NT	NT	SNT	T	NT	NT	SNT	T	NT	0.429
b_1	SNT	Х	SNT	T	NT	X	NT	T	Т	X	Т	NT	NT	Х	NT	0
b_3	SNT	T	NT	T	Т	T	ST	T	ST	T	ST	T	ST	NT	Т	0.571

ELE 475 PS#3 Solution Problem # 5:

		BHR										
	Branch in Program	Old										Recent
	Order	10	9	8	7	6	5	4	3	2	1	0
New	0	T	Ν	Т	Т	Т	Т	Ν	Ν	Т	Т	N
	1	T	Т	Ν	Т	Т	Т	Т	Ν	Ν	Т	T
	2	T	Т	Т	Ν	Т	Т	Т	Т	Ν	Ν	T
	3	T	Т	Т	Т	Ν	Т	Т	Т	Т	Ν	N
	4	N	Т	Т	Т	Т	Ν	Т	Т	Т	Т	N
	5	T	Ν	Т	Т	Т	Т	Ν	Т	Т	Т	T
	6	T	Т	Ν	Т	Т	Т	Т	Ν	Т	Т	T
	7	Ν	Т	Т	Ν	Т	Т	Т	Т	Ν	Т	T
	8	T	Ν	Т	Т	Ν	Т	Т	Т	Т	Ν	T
	9	T	Т	Ν	Т	Т	Ν	Т	Т	Т	Т	N
	10	N	Т	Т	Ν	Т	Т	Ν	Т	Т	Т	T
	11	N	Ν	Т	Т	Ν	Т	Т	Ν	Т	Т	T
	12	T	Ν	Ν	Т	Т	Ν	Т	Т	Ν	Т	T
	13	T	Т	Ν	Ν	Т	Т	Ν	Т	Т	Ν	T
	14	T	Т	Т	Ν	Ν	Т	Т	Ν	Т	Т	N
	15	T	Т	Т	Т	Ν	Ν	Т	Т	Ν	Т	T
Old	16	Ν	Т	Т	Т	Т	Ν	Ν	Т	Т	Ν	T

Looking at this table, we see that each branch has a unique BHR for each execution of the branch inside of the loop. This means that they will each train up a unique PHT entry to have the prediction of the previous time the branch was executed. The execution on the 50th execution matched the 51st execution, therefore every branch in the 51st execution will be predicted correctly. The final state of the BHT will be from oldest to newest: T, NT, T, T, T, NT, NT, T, T, NT.

ELE 475 PS#3 Solution

Problem # 6:

BTBs are especially used at aggressive clock frequencies because at aggressive clock frequencies, it is common to add extra stages to the front of the pipeline which makes the point at which an instruction is decoded and known to be a branch relatively late. Also, the destination of the branch cannot be computed until at minimum when the instruction is known to be a branch, therefore this adds stall cycles for every branch until it is known that it is a branch. With a BTB, given the PC of the current instruction, the fact that the instruction is a control flow instruction and the destination of that instruction can be predicted simultaneously and not have to wait for the decode which may be several cycles later.

The destination of a branch in a 5-stage pipeline is known in the decode stage of the pipeline.

A dedicated branch address adder does not help with JALR instructions as the jump address needs to come from a register.

A BTB can aid in determining the target and that an instruction is a control flow instruction. Although it can be to limited success because JR/JALR's can jump to any address. But, for example, a leaf function is called repeatedly from the same location, a BTB will do very well at predicting the return address. This is particularly interesting for JALR's which are typically used for calls to function pointers, which may or may not be predicted well depending on consistency of the call location.