# **PSWD**

Sinyal Waktu Diskrit LATIHAN SOAL

## Deret Sinyal Waktu Diskrit (SWD)

Posisi n=0

$$x[n] = \{... 2, 4, 6, 8, ...\}$$
 $\downarrow$ 
 $x[n] = \{0, 1, 4, 1, 0, 3, 0, 2, ...\}$ 
 $\downarrow$ 
 $x[n] = \{3, -1, -2, 5, 0, 4\}$ 

#### Contoh Pencuplikan Sinyal

- Sinyal waktu kontinyu (analog):  $x_a(t) = \cos(20\pi t), -\infty < t < \infty$
- Dicuplik dengan  $F_p = 100$  Hz, atau dengan perioda pencuplikan (sampling) T = 0.01 detik, maka sinyal waktu diskit:

$$x[n] = \cos(20\pi nT) = \cos\left(20\pi \frac{n}{100}\right) = \cos\left(\frac{2\pi}{10}n\right), -\infty < n < \infty$$

• Bila  $F_p = 200$  Hz, atau T = 0.005 detik, maka sinyal waktu diskrit:

$$x[n] = \cos(20\pi nT) = \cos\left(20\pi \frac{n}{200}\right) = \cos\left(\frac{2\pi}{20}n\right), -\infty < n < \infty$$

• Bila  $x_a(t) = \cos(10\pi t), -\infty < t < \infty$ 

$$F_p = 100 \text{ Hz}, \qquad \max x[n] = \cos\left(\frac{2\pi}{20}n\right), \qquad -\infty < n < \infty$$
 $F_p = 200 \text{ Hz}, \qquad \max x[n] = \cos\left(\frac{2\pi}{40}n\right), \qquad -\infty < n < \infty$ 

$$F_p = 200 \text{ Hz}$$
, maka  $x[n] = \cos\left(\frac{2\pi}{40}n\right)$ ,  $-\infty < n < \infty$ 

#### Sinyal Genap

Sebuah sinyal waktu diskrit riil disebut sinyal genap bila untuk semua n,

$$x[n] = x[-n]$$

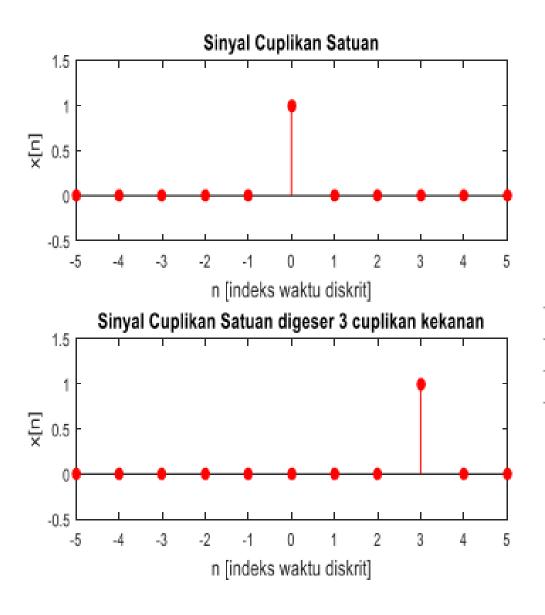
Contoh: 
$$x[n] = 5x[n+5] - 4x[n+4] + 3x[n+3] - 2x[n+2] + x[n+1] + x[n] + x[n+1] - 2x[n+2] + 3x[n+3] - 4x[n+4] + 5x[n+5]$$

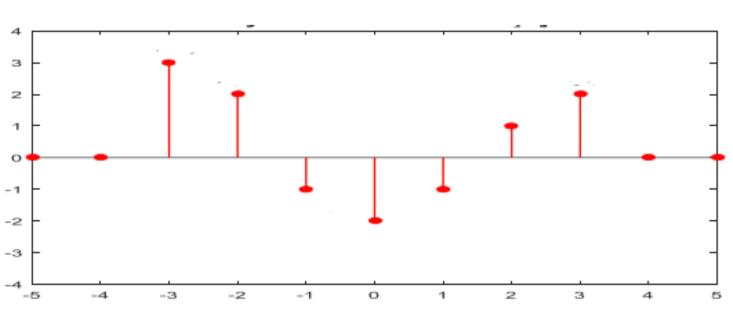
### Sinyal Ganjil

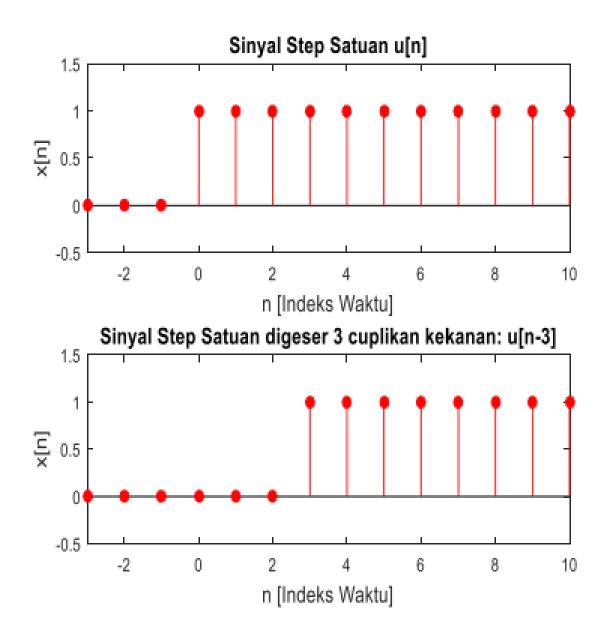
Sebuah sinyal waktu diskrit riil disebut sinyal ganjil bila untuk semua n,

$$x[n] = -x[-n]$$

Contoh: 
$$x[n] = -5x[n+5] + 4x[n+4] - 3x[n+3] + 2x[n+2] - x[n+1] + x[n+1] - 2x[n+2] + 3x[n+3] - 4x[n+4] + 5x[n+5]$$





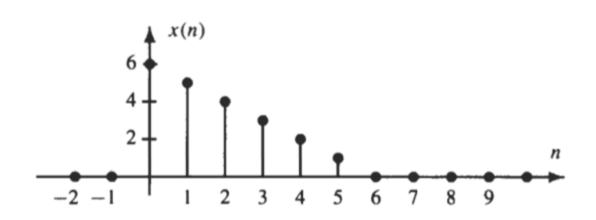


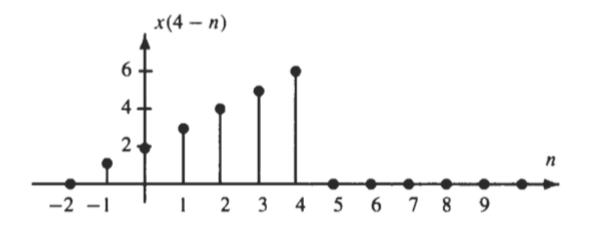
Given the sequence x(n) = (6 - n)[u(n) - u(n - 6)], make a sketch of

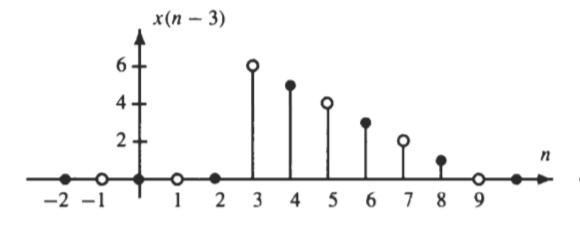
(a) 
$$y_1(n) = x(4-n)$$

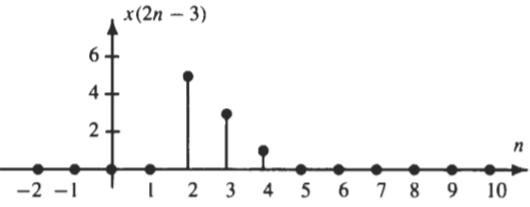
(a) 
$$y_1(n) = x(4-n)$$
 (b)  $y_2(n) = x(2n-3)$  (c)  $y_3(n) = x(8-3n)$ 

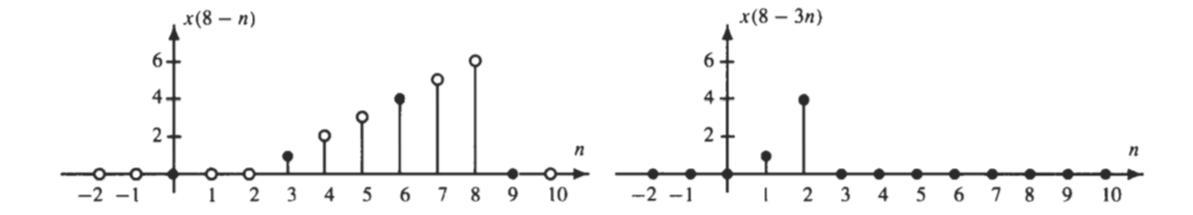
(c) 
$$y_3(n) = x(8-3n)$$





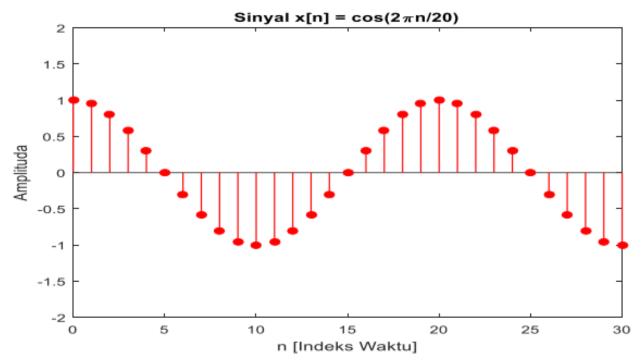




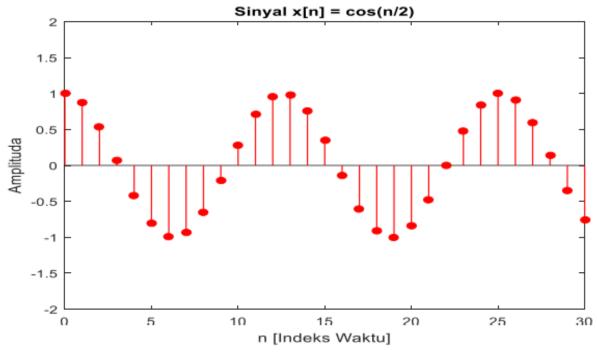


#### Contoh sinyal sinusoidal waktu diskrit

$$x[n] = \cos\left(\frac{2\pi}{20}n\right) = \cos\left(\frac{\pi}{10}n\right)$$
, Sinyal periodik



 $x[n] = \cos\left(\frac{n}{2}\right)$ , bukan sinyal periodik



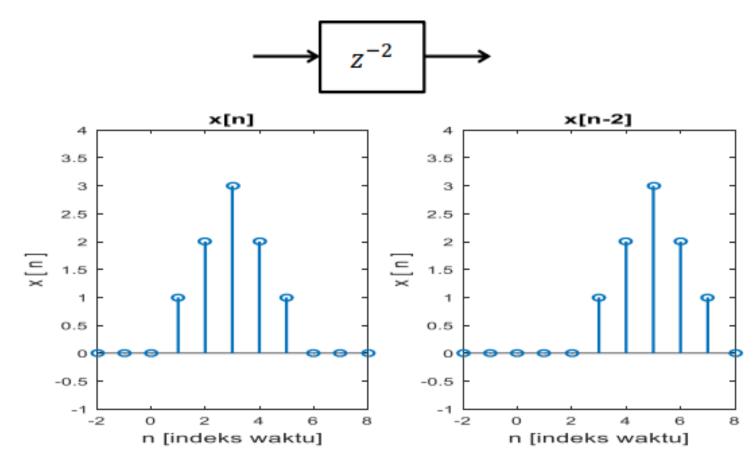
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Pengolahan Sinyal Dalam Waktu Diskrit

## **Operasi Terhadap Sinyal Waktu Diskrit**

- Transformasi terhadap peubah bebas:
  - Shifting
  - Reversal
  - Time Scaling
- Transformasi Amplitudo Sinyal:
  - Addition
  - Multiplication
  - Scaling
- Konvolusi
- Korelasi

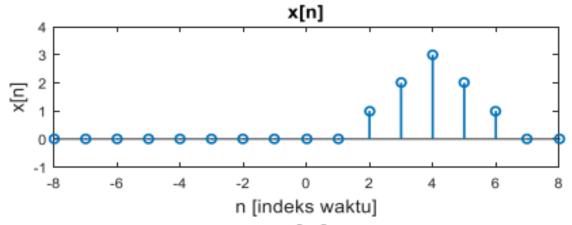
- Contoh:  $f(n) = n n_0$
- y[n] = x[n-2], digeser kekanan sebesar 2 cuplikan.

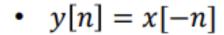


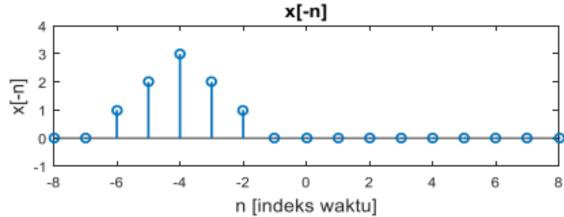
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Pengolahan Sinyal Dalam Waktu Diskrit

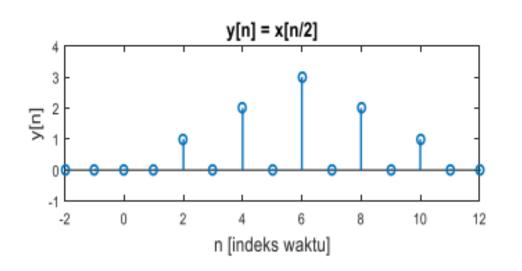
- Reversal: f(n) = -n
- Deretan dibalik dengan referensi n=0

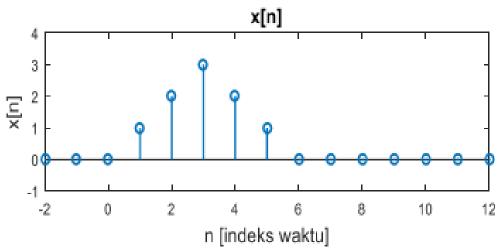


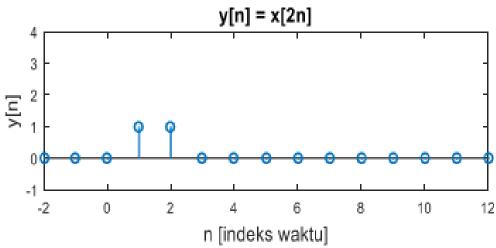




- Time Scaling: f(n) = Mn atau  $f(n) = \frac{n}{N}$
- f(n) = Mn: Down sampling
- y[n] = x[2n]
- Dimampatkan





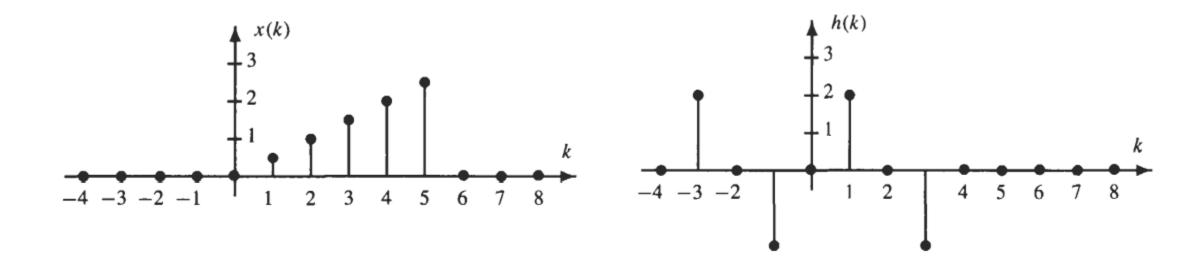


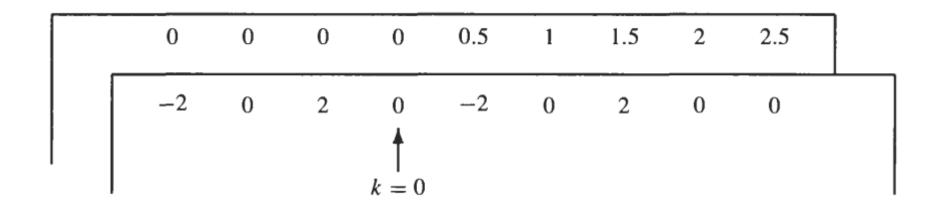
#### **1.26** Find the convolution of the two finite-length sequences:

$$x(n) = 0.5n[u(n) - u(n-6)]$$

$$h(n) = 2\sin\left(\frac{n\pi}{2}\right)[u(n+3) - u(n-4)]$$

Shown in the figure below are the sequences x(k) and h(k).





y(n) for n > 0,

$$y(1) = 2$$
  $y(2) = 3$   $y(3) = -2$   $y(4) = -3$ 

$$y(5) = 2$$
  $y(6) = 2$   $y(7) = -4$   $y(8) = -5$