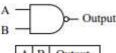


## **problems**

## Question 1

Identify each of these logic gates by name, and complete their respective truth tables:



A	В	Output
0	0	
0	1	
1	0	<u>[</u>
1	1	II.

A	В	Output
0	0	
0	1	
1	0	
1	1	

A	В	Output
0	0	7.5
0	1	
1	0	
1	1	

A	В	Output
0	0	Į.
0	1	
1	0	
1	1	

A	В	Output
0	0	
0	1	
1	0	
1	1	

A	Output
0	
1	

A	В	Output
0	0	- 111
0	1	ĺ
1	0	Ĭ
1	1	

A	В	Output
0	0	
0	1	
1	0.	
1	1	

A	В	Output
0	0	
0	1	
1	0	
1	1	

## **Question 2**

Identify each of these relay logic functions by name (AND, OR, NOR, etc.) and complete their respective truth tables:

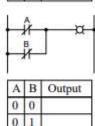




A	В	Output
0	0	
0	1	
1	0	
1	1	

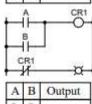


A	В	Output
0	0	Į.
0	1	
1	0	
1	1	



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1	- 14
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A	В	Output
0	0	
0	1	
1	0	
1	1	



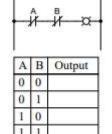
A	В	Output
0	0	
0	1	
1	0	
1	1	

A	В	Output
0	0	
0	1	
1	0	
1	1	

A	В	Output
0	0	77.
0	1	
1	0	
1	1	



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2024/2025

## **Question 3**

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The following set of mathematical expressions is the complete set of "times tables" for the Boolean number system:

$$0 \times 0 = 0$$

$$0 \times 1 = 0$$



$$1 \times 1 = 1$$

Now, nothing seems unusual at first about this table of expressions, since they appear to be the same as multiplication understood in our normal, everyday system of numbers. However, what is unusual is that these four statements comprise the entire set of rules for Boolean multiplication! Explain how this can be so, being that there is no statement saying  $1 \times 2 = 2$  or  $2 \times 3 = 6$ . Where are all the other numbers besides 0 and 1?

#### **Question 4**

Boolean algebra is a strange sort of math. For example, the complete set of rules for Boolean addition is as follows:

$$0 + 0 = 0$$

$$0 + 1 = 1$$

2024/2025

2024/2025

$$1 + 0 = 1$$

$$1 + 1 = 1$$

Suppose a student saw this for the very first time, and was quite puzzled by it. What would you say to him or her as an explanation for this? How in the world can 1 + 1 = 1 and not 2? And why are there no more rules for Boolean addition? Where is the rule for 1 + 2 or 2 + 2?

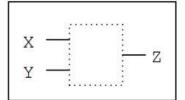
#### **Question 5**

There are three fundamental operations in Boolean algebra: addition, multiplication, and inversion. Each of these operations has an equivalent logic gate function and an equivalent relay circuit configuration. Draw the corresponding gate and ladder logic diagrams for each:

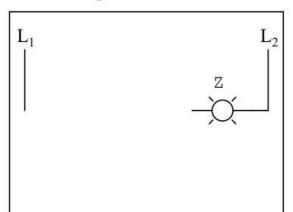
#### **Boolean addition**

$$Z = X + Y$$

Logic gate for addition



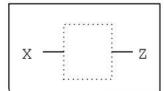
Ladder logic circuit for addition



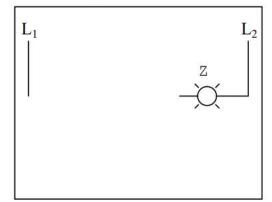
#### **Boolean inversion**

$$Z = \overline{X}$$

Logic gate for inversion



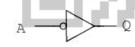
Ladder logic circuit for inversion

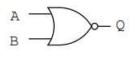


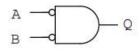
### **Question 6**

Write the Boolean expression for each of these logic gates, showing how the output (Q) algebraically relates to the inputs (A and B):



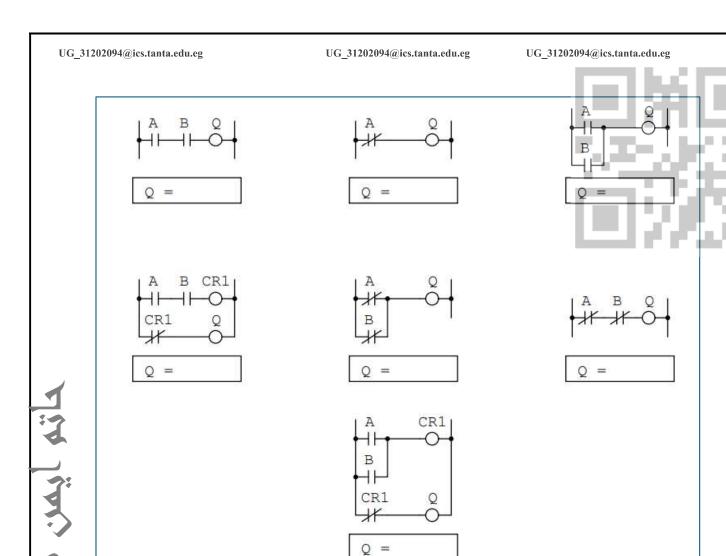






## **Question** 7

Write the Boolean expression for each of these relay logic circuits, showing how the output (Q) algebraically relates to the inputs (A and B):

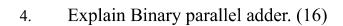


2024/2025 2024/2025 2024/2025



# PART-A (Marks)

2. What are the basic digital logic gates?  3. 20 What is BCD adder?  2024/2025	2. What is DCD addar9	2. What is DCD addaw?	1. What are Logic gates?		
2. What is DCD addar?	2. What is DCD addar?	3. 20 What is BCD adder?  2024/2025  2024/2025  4. What is Magnitude Comparator?	2. What are the basic digital lo	ogic gates?	
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5. 2024/20 Design a combinational logic cheart to convert the BCD to Birrary code (16)

