

Open loop reconstruction

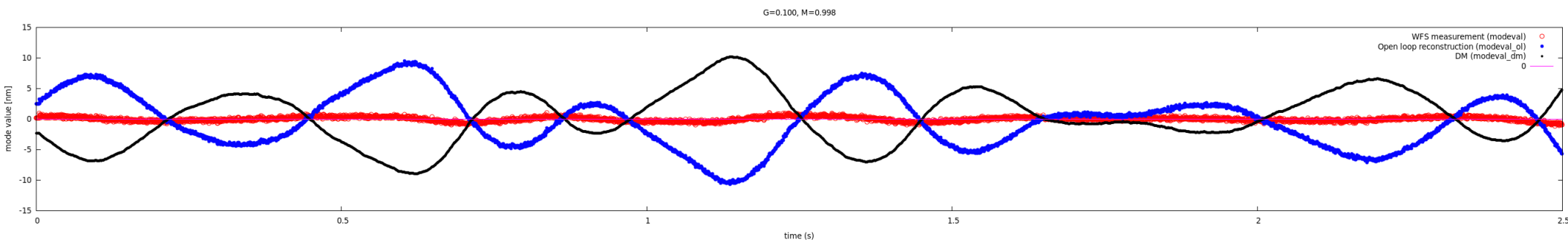
Turbulence injected:

8m/s wind speed, slightly filtered Kolmogorov spectrum (LOcoeff=0.1), 50nm RMS on DM (100nm WF), speed = 8 m/s
written to DM every 300us (3.333 kHz frequency)

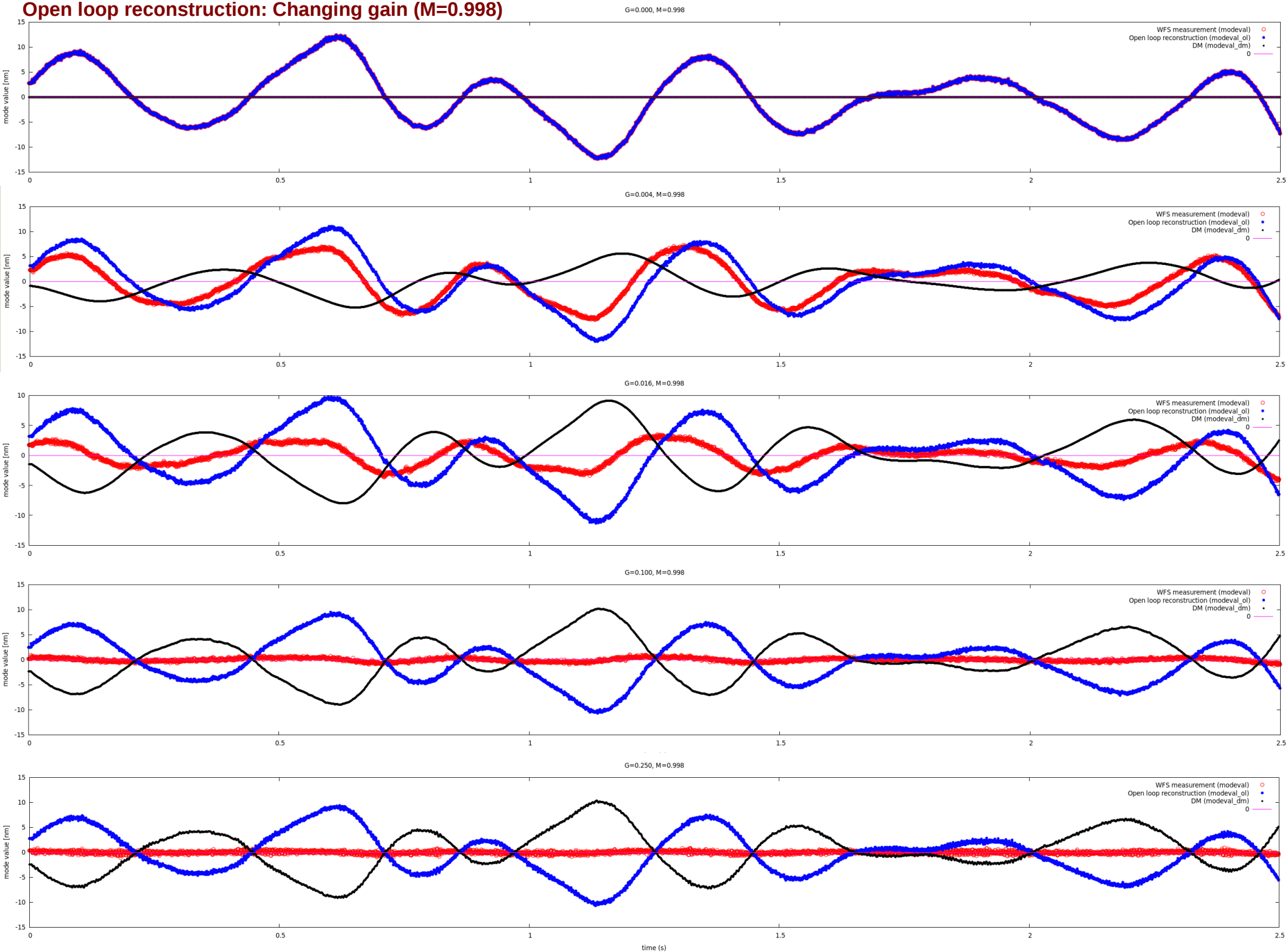
Showing **Open loop (blue)** and **WFS measured (red)** modal coefficient #30

Data acquisition start synchronized to turbulence sequence start

PyWFS running at 2kHz, 125mas modulation radius. Total delay = 2.6 frame



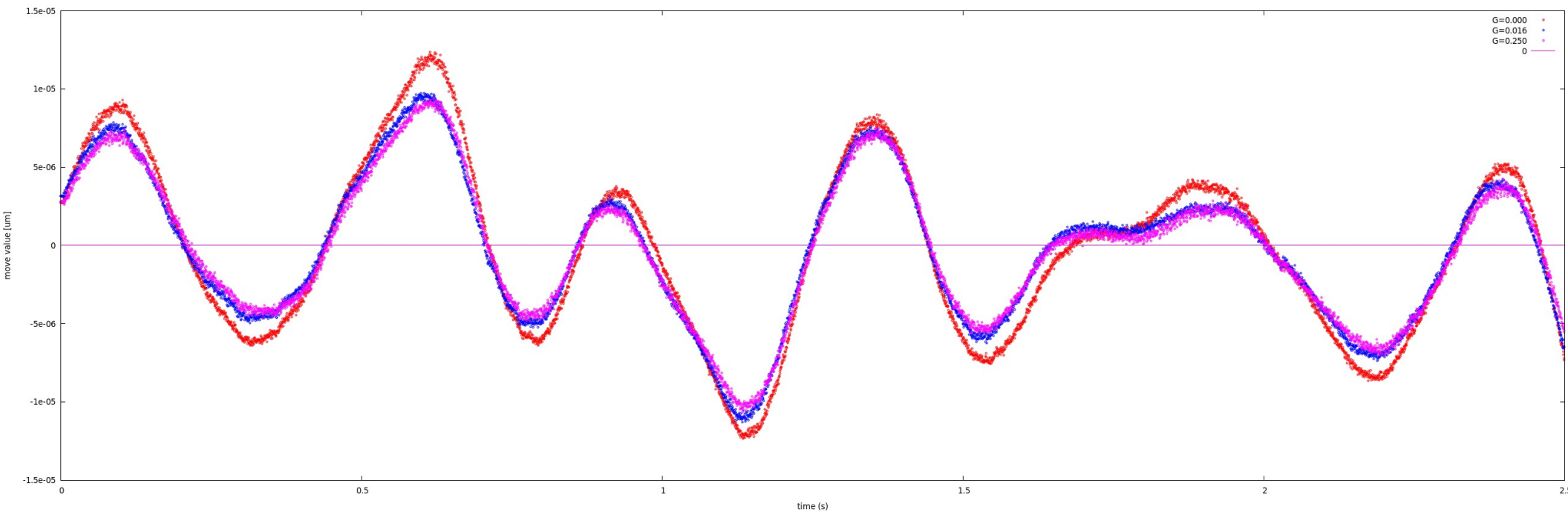
Open loop reconstruction: Changing gain (M=0.998)



Open loop reconstruction

Comparison between gain values

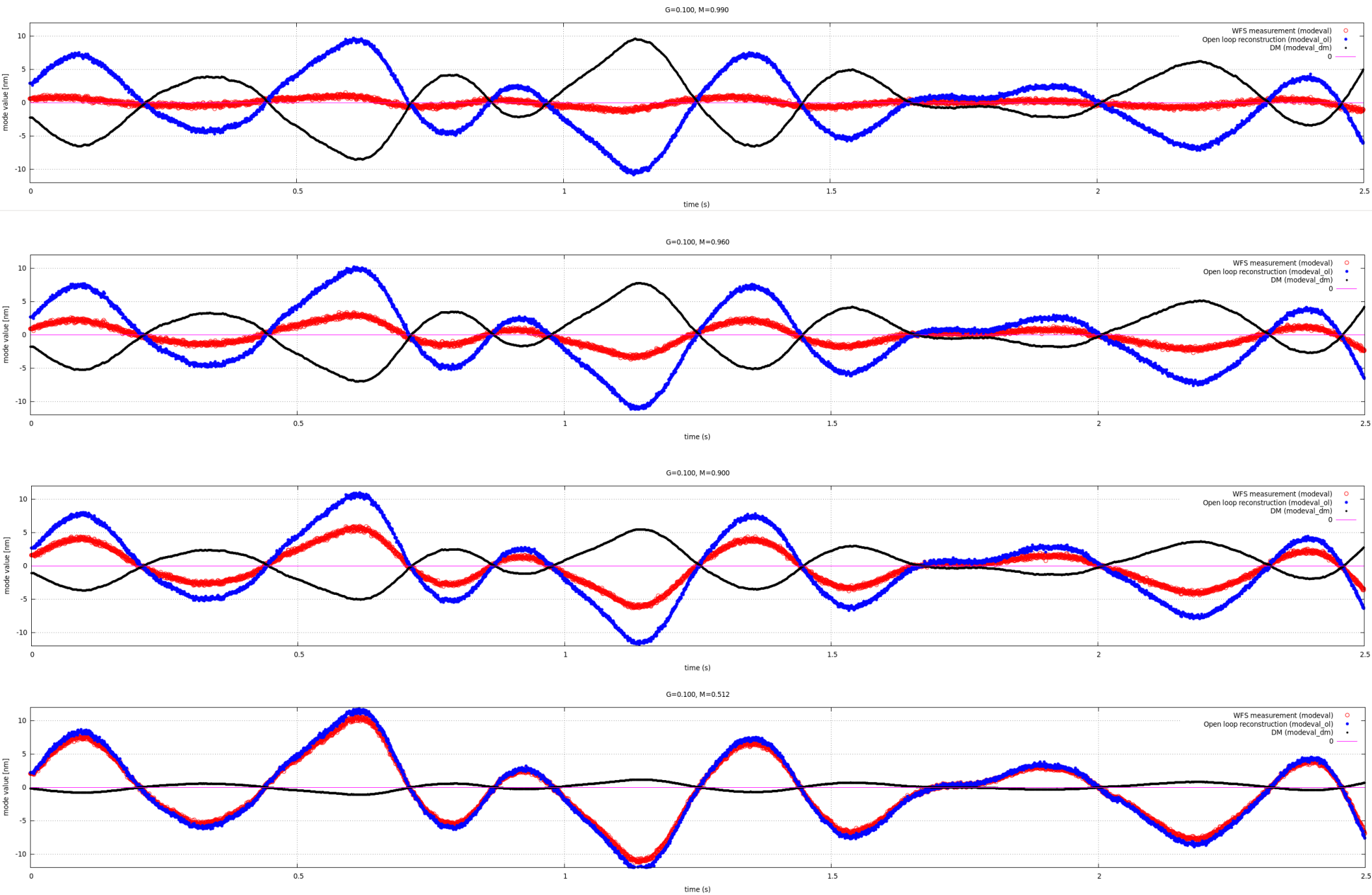
$G=0.000 \rightarrow$ over-estimates OL values
All $G>0.0$ reconstructions match at %-level



$G=0.000$ test relies entirely on WF residuals for OL estimation
 $G>0.000$ tests rely mostly on DM values for OL estimation

Test shown here uses full speed RM acquisition which underestimates RM by ~15% due to DM time-of-motion \rightarrow reconstructed WFs from WFS are over-estimated by ~15%

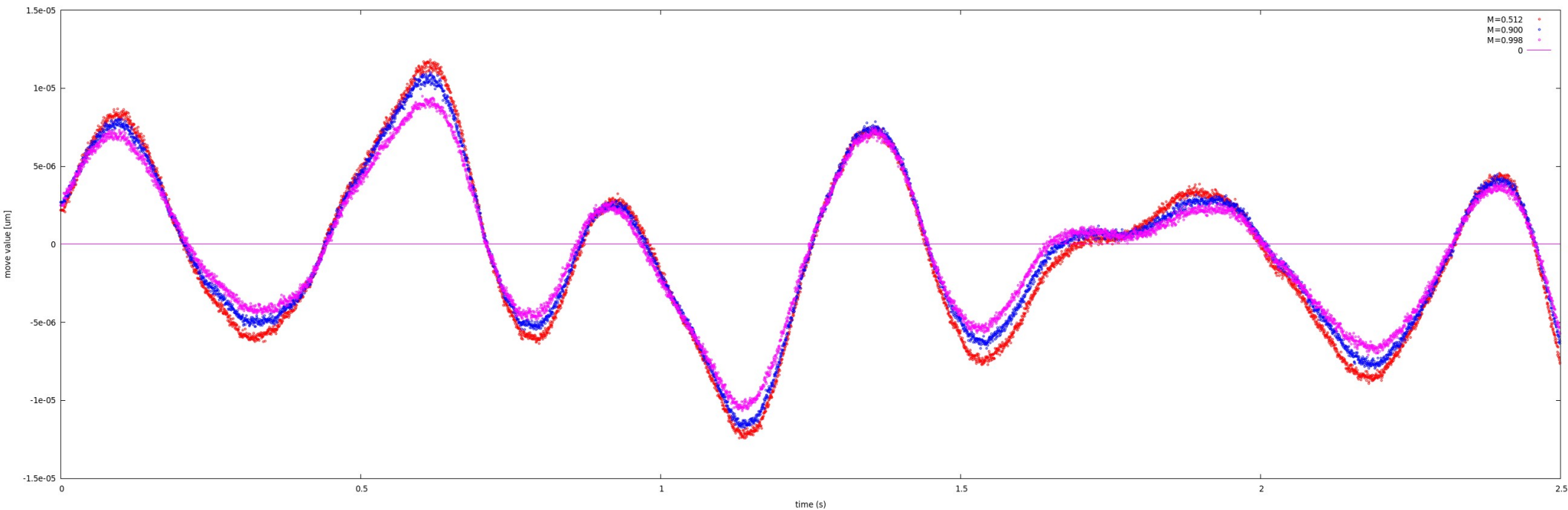
Open loop reconstruction: Changing mult factor (G=0.100)



Open loop reconstruction

Comparison between Mult factor

Small M over-estimates OL values
→ same effect as $G=0.0$ over-estimation



$M \ll 1$ tests rely mostly on WF residuals for OL estimation

$M \sim 1$ tests rely mostly on DM values for OL estimation

Test shown here uses full speed RM acquisition which underestimates RM by ~15% due to DM time-of-motion → reconstructed WFs from WFS are over-estimated by ~15%

Open loop reconstruction: noise propagation

NOISE = $\sigma \times \sqrt{1 + M^2 G^2 / (1 - M^2)}$

