

CSI3105: Software Testing

Lecture 6: Data-flow Testing Recap

Incorporated content from A survey on data-flow testing. In *ACM Computing Surveys* (Vol. 50, Issue 1). <https://doi.org/10.1145/3020266>

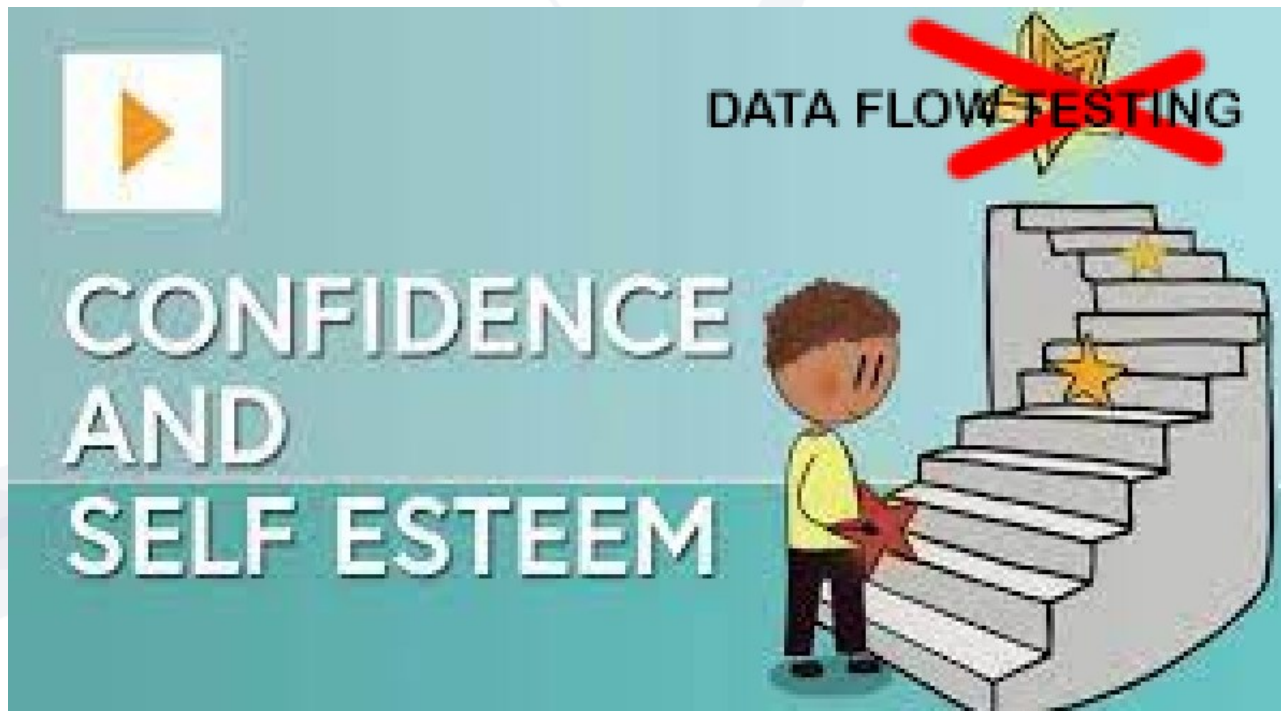
- This is a condensed version of the main lecture with examples taken from the paper “A survey on data-flow testing” by Su et al. (2017)
- Su, T., Wu, K., Miao, W., Pu, G., He, J., Chen, Y., & Su, Z. (2017). A survey on data-flow testing. In *ACM Computing Surveys* (Vol. 50, Issue 1).
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- Data-flow testing (DFT) is a family of testing strategies designed to verify the interactions between each program variable's definition and its uses (Su et al., 2017)
- Su, T., Wu, K., Miao, W., Pu, G., He, J., Chen, Y., & Su, Z. (2017). A survey on data-flow testing. In *ACM Computing Surveys* (Vol. 50, Issue 1). <https://doi.org/10.1145/3020266>

There are two motivations for data flow testing.

- The first is to ensure that the memory location for a variable is accessed in a desirable way. For example, we want to ensure that we have stored a value into that int x location before using it.
- The second motivation is to Verify the correctness of data values “defined. We need to observe that all the “uses” of the value produce the desired results

- One should not feel confident that a variable has been **assigned the correct value**, if no test causes the execution of a **path** from the point of assignment to a point where the value is **used**.



- Data flow testing is outlined as follows:
 - Draw a data flow graph from a program.
 - Select one or more data flow testing criteria.
 - Define and measure test case adequacy
 - Less redundant tests
 - Identify paths in the data flow graph satisfying the selection criteria.
 - Produces a set of test paths
 - Derive path predicate expressions from the selected paths (Last weeks lecture.)
 - Solve the path predicate expressions to derive test inputs (Last weeks lecture)
 - Outputs a set of test paths and their associated inputs to force the path and the expected output

Definition: A variable gets a new value.

- `int i = x;` YASSSS QWEEEN
- `int l;...` no ☹, reserving memory, but not actually defining a value

– Computation use (c-use)

– Example: `x = 2*y;`

» `/* y has been used to compute a value of x. */`

- - `Print(x);`

– C-use, we are USING x to print to console

– Predicate use (p-use)

– Example: `if (y > 100) { ...} /* y has been used in a condition. */`

– Used within an if, while, ..any decision point

Def-Use Pairs

```
1 double power(int x,int y){
2     int exp;
3     double res;
4     if (y>0)
5         exp = y;
6     else
7         exp = -y;
8     res=1;
9     while (exp!=0){
10         res *= x;
11         exp -= 1;
12     }
13     if (y<=0)
14         if(x==0)
15             abort;
16         else
17             return 1.0/res;
18     return res;
19 }
```

This code represents a function that will return the power of two ints.

The function takes in two integers x and y and returns the output of x^y .

```
1 double power(int x,int y){
2     int exp;
3     double res;
4     if (y>0)
5         exp = y;
6     else
7         exp = -y;
8     res=1;
9     while (exp!=0){
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11         exp -= 1;
12     }
13     if (y<=0)
14         if(x==0)
15             abort;
16         else
17             return 1.0/res;
18     return res;
19 }
```

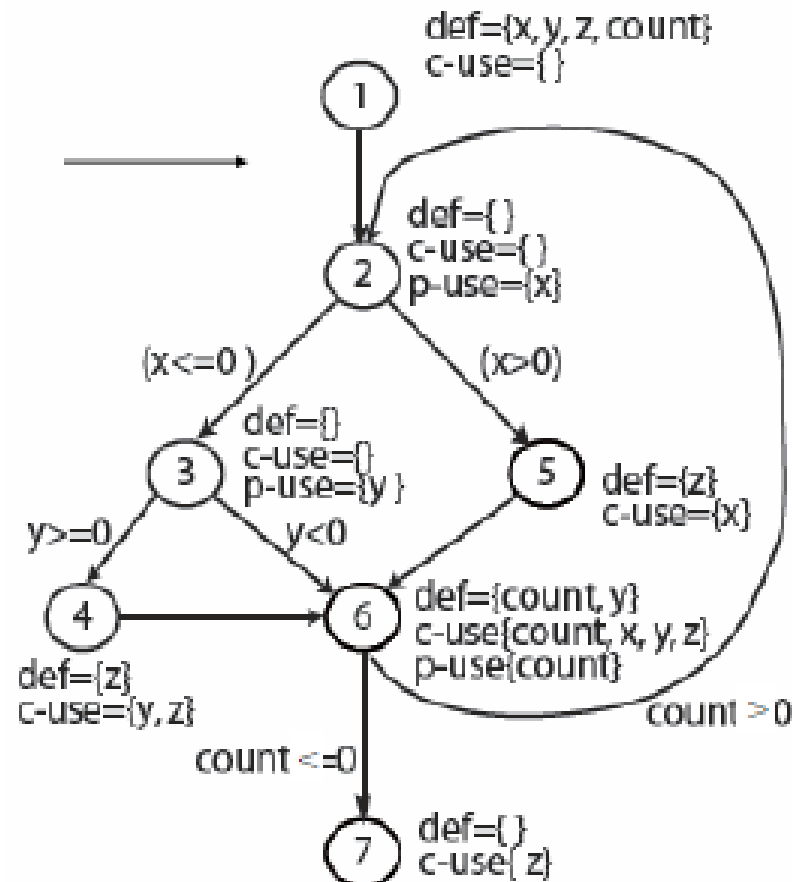
- What are Def-use pairs?
- The definition of a variable and its use in the functions
 - Computational use
 - Predicate use
- Du pair = (def, use, var)
- A partial example for the variable **res**
 - Du1 = (line 8,line 10, res)
 - Du2 = (line 8,line 17, res)
 - Du3 = (line 8,line 18, res)
 - Du4 = (line 10,line 10, res)
 - Du5 = (line 10,line 17, res)
 - Du6 = (line 10,line 18, res)

[illegible]

Draw DFG

```

1  begin
2    float x, y, z=0.0;
3    int count;
4    input (x, y, count);
5    do {
6      if (x≤0) {
7        if (y≥0) {
8          z=y*z+1;
9        }
10     }
11     else{
12       z=1/x;
13     }
14     y=x*y+z
15     count=count-1
16     while (count>0)
17     output (z);
18   end
  
```



Node	Lines
1	1, 2, 3, 4
2	5, 6
3	7
4	8, 9, 10
5	11, 12, 13
6	14, 15, 16
7	17, 18

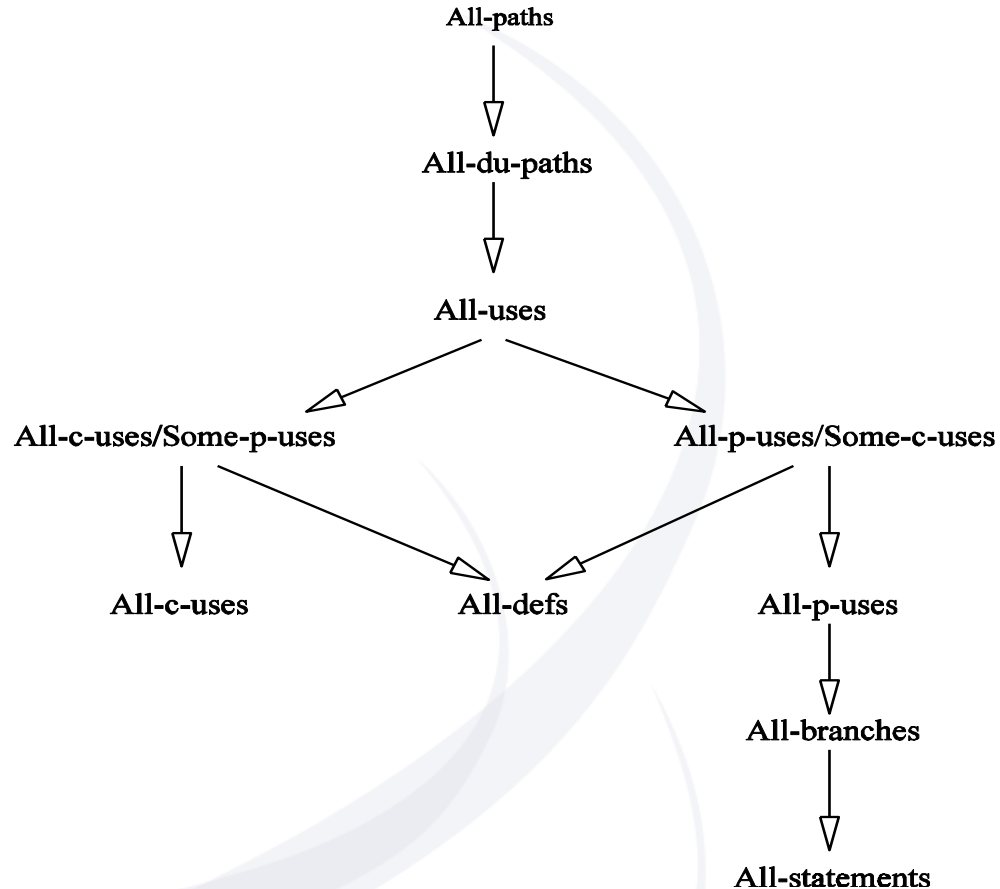
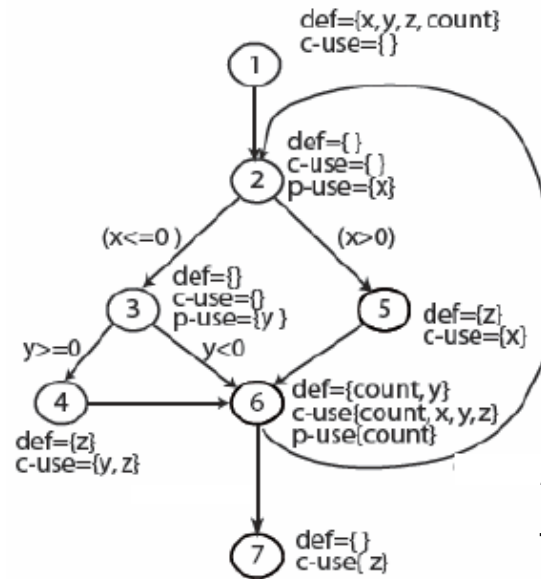


Figure 5.5: The relationship among DF (data flow) testing criteria [6] (©[1988] IEEE).

Build Def-Use Pairs table

A du-path with respect to variable v is a simple path, that is Def-clear from a definition of v to a use of v



Variable (v)	Defined in node (n)	dcu (v, n)	dpu (v, n)
x	1	{5, 6}	{(2, 3), (2, 5)}
y	1	{4, 6}	{(3, 4), (3, 6)}
y	6	{4, 6}	{(3, 4), (3, 6)}
z	1	{4, 6, 7}	{}
z	4	{4, 6, 7}	{}
z	5	{4, 6, 7}	{}
count	1	{6}	{(6, 2), (6, 7)}
count	6	{6}	{(6, 2), (6, 7)}

**NOTE

The du path is underlined and bold. The du-path is sitting inside the whole path

All-defs (Each def to at least one use)

X – du (1,5,x) – path = **1,2,5**,6,2,3,6,7

All-c-uses (Each def reaches all c-use)

X – du (1,5,x) – path = **1,2,5**,6,2,3,6,7

X – du (1,6,x) – path = **1,2,3,6**,7

All-uses (Each def reaches all p and c use)

X – du (1,5,x) – path = **1,2,5**,6,2,3,6,7

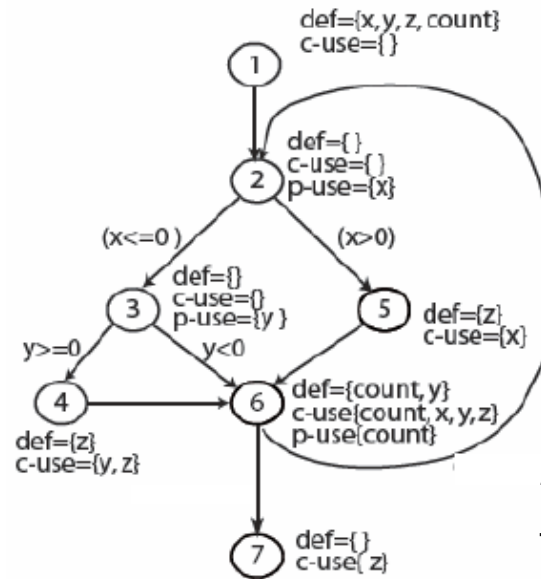
X – du (1,6,x) – path = **1,2,3,6**,7

X – du (1,(2,3),x) – path = **1,2,3**, 6,7

X – du (1,(2,5),x) – path = **1,2,5**, 6, 7

Def-Use Pairs

A du-path with respect to variable v is a simple path, that is Def-clear from a definition of v to a use of v



Variable (v)	Defined in node (n)	dcu (v, n)	dpu (v, n)
x	1	{5, 6}	{(2, 3), (2, 5)}
y	1	{4, 6}	{(3, 4), (3, 6)}
y	6	{4, 6}	{(3, 4), (3, 6)}
z	1	{4, 6, 7}	{}
z	4	{4, 6, 7}	{}
z	5	{4, 6, 7}	{}
count	1	{6}	{(6, 2), (6, 7)}
count	6	{6}	{(6, 2), (6, 7)}

**NOTE

The du path is underlined and bold. The du-path is sitting inside the whole path

All-defs (Each def to at least one use)

y – du (1,4,y) – path = **1,2,3,4**,6,7

y – du (6,4,y) – path = 1,2,3,**6,2,3,4**,6,7

All-uses (Each def reaches all p and c use)

y – du (1,4,y) – path = **1,2,3,4**,6,7

y – du (1,6,y) – path = **1,2,3,6**,7

y – du (1,(3,4),y) – path = **1,2,3,4**,6,7 (dup)

y – du (1,(3,6),y) – path = **1,2,3,6**,7 (dup)

y – du (6,4,y) – path = 1,2,3,**6,2,3,4**,6,7

y – du (6,6,y) – path = 1,2,5,**6,2,3,6**,7

y – du (6,(3,4),y) – path = **a path...**

y – du (6,(3,6),y) – path = **a path...**

All-du-paths (Each def to all possible du-paths)

y – du (1,4,y) – path = **1,2,3,4**,6,7

y – du (1,6,y) – path = **1,2,3,6**,7

y – du (1,6,y) – path = **1,2,5,6**,7 (extra path compared to all-uses)

y – du (1,(3,4),y) – path = **1,2,3,4**,6,7 (dup)

y – du (1,(3,6),y) – path = **1,2,3,6**,7 (dup)

y – du (6,4,y) – path = 1,2,3,**6,5,2,3,4**,6,7

y – du (6,6,y) – path = 1,2,5,**6,5,2,3,6**,7

y – du (6,6,y) – path = 1,2,5,**6,5,2,3,6**,7

y – du (6,(3,4),y) – path = **a path...**

y – du (6,(3,6),y) – path = **a path...**

- We are interested in finding *paths* that include pairs of **definition and use of variables**
- **Global c-use:** A c-use of a variable x in node i is said to be a global c-use if x has been defined before in a node other than node i .
 - Example: The c-use of variable tv in node 9 (Figure 5.4) is a global c-use.
- **Definition clear path:** A path $(i - n_1 - \dots - n_m - j)$, $m \geq 0$, is called a definition clear path (def-clear path) with respect to variable x
 - from node i to node j , and
 - from node i to edge (n_m, j) ,if x has been neither defined nor undefined in nodes $n_1 - \dots - n_m$.
 - Example: $(2 - 3 - 4 - 6 - 3 - 4 - 6 - 3 - 4 - 5)$ is a def-clear path w.r.t. tv in Fig. 5.4.
 - Example: $(2 - 3 - 4 - 5)$ and $(2 - 3 - 4 - 6)$ are def-clear paths w.r.t. variable tv from node 2 to 5 and from node 2 to 6, respectively, in Fig. 5.4.

- **Global definition:** A node i has a global definition of variable x if node i has a definition of x and there is a def-clear path w.r.t. x from node i to some
 - node containing a global c-use, or
 - edge containing a p-use of variable x
- **Simple path:** A simple path is a path in which all nodes, except possibly the first and the last, are distinct.
 - Example: Paths $(2 - 3 - 4 - 5)$ and $(3 - 4 - 6 - 3)$ are simple paths.
- **Loop-free paths:** A loop-free path is a path in which all nodes are distinct.
- **Complete path:** A complete path is a path from the entry node to the exit node.

- **Du-path:** A path $(n_1 - n_2 - \dots - n_j - n_k)$ is a du-path path w.r.t. variable x if node n_1 has a global definition of x and either
 - node n_k has a global c-use of x and $(n_1 - n_2 - \dots - n_j - n_k)$ is a def-clear simple path w.r.t. x , or
 - Edge (n_j, n_k) has a p-use of x and $(n_1 - n_2 - \dots - n_j - n_k)$ is a def-clear, loop-free path w.r.t. x .
- Example: Considering the global definition and global c-use of variable tv in nodes 2 and 5, respectively, $(2 - 3 - 4 - 5)$ is a du-path.
- Example: Considering the global definition and p-use of variable tv in nodes 2 and on edge $(7, 9)$, respectively, $(2 - 3 - 7 - 9)$ is a du-path.

Comparison of Data Flow Testing Criteria

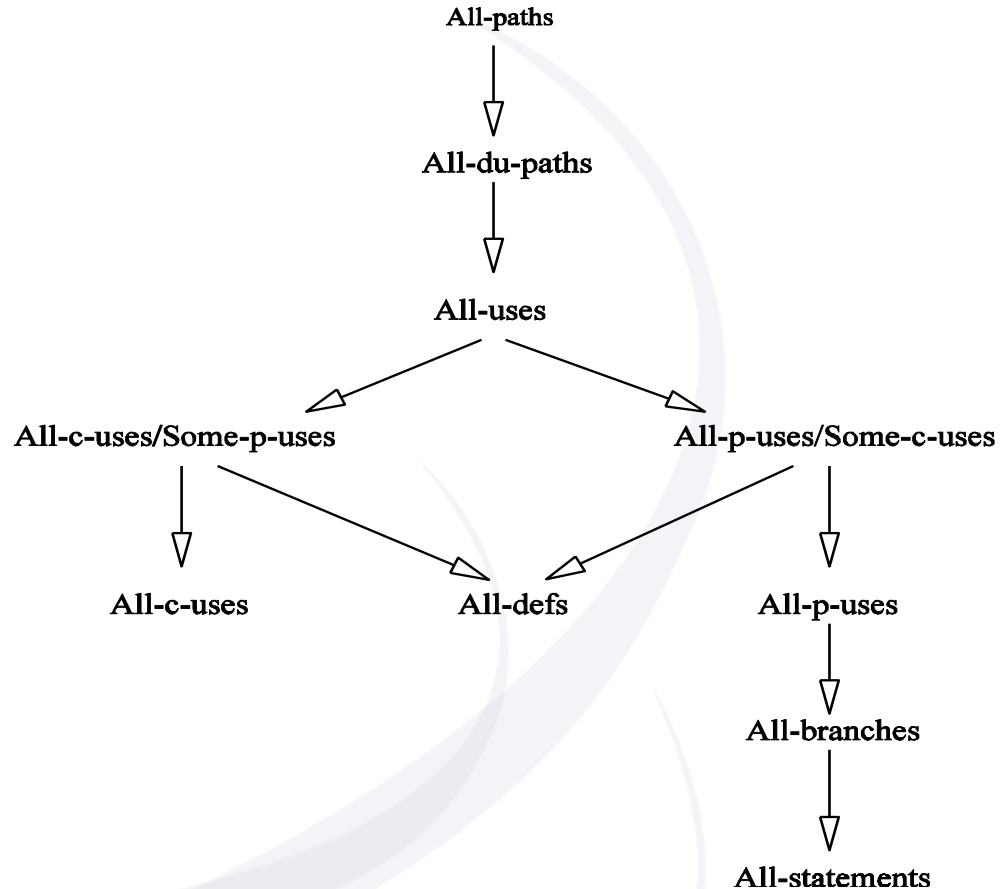


Figure 5.5: The relationship among DF (data flow) testing criteria [6] (©[1988] IEEE).

Once you have your paths

- Path predicate
- Symbolic execution
- Check path feasibility
- Generate test case input and expected output to force the path
- Win (grades)!

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