



# Havven: a stablecoin system v0.4

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## **Abstract**

There is currently no effective decentralised unit of account. Previous attempts to create stable tokens have either relied on significant centralisation or have been undermined by their complexity. We present Havven, a representative money system which seeks to achieve price stability with respect to an external asset. Havven is a dual-token solution, composed of a stabilised exchange token and the reserve token which backs it. Users are incentivised to maintain this distributed reserve, and to manage the potential stable token supply so that it is in proportion with the value of the collateral. Because the collateral is encapsulated entirely within the system and distributed among its users, we remove the need for a trusted central authority. Such a stable cryptocurrency, useful for everyday economic purposes, will accelerate the adoption of distributed ledger technology.

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# 1 Introduction

## 1.1 Money and Cryptocurrencies

The technology of money has three key functions: to act as a unit of account, a medium of exchange and a store of value. In addition, money should ideally exhibit durability, portability, divisibility, uniformity, limited supply, and acceptability. As payment technology has advanced in recent years, it has become increasingly invisible and it is often lost upon users of money that, like any technology, it can be improved. Specifically, this means improving the performance of those desirable properties.

Bitcoin is an impressive technological advancement on existing forms of money because it simultaneously improves durability, portability, and divisibility. Further, it does so without requiring centralised control or the enforcement of a nation state from which to derive its value. It is its fixed monetary policy which has protected Bitcoin from debasement and devaluation, allowing it to outperform other forms of money as a store of value. Increased adoption has tended to drive the price up over time; unfortunately, the fixed money supply has also created the potential for short-run volatility as there is no mechanism within Bitcoin that can dynamically adjust to changing demand.

Bitcoin has thus tended to be a poor medium of exchange and an even worse unit of account. In order for something to perform these functions it must remain relatively stable against the price of goods and services.

## 1.2 Stablecoins

A stablecoin is a cryptocurrency designed for price stability, such that it can function both as a medium of exchange and unit of account. It should ideally be as effective for making payments as fiat currencies like the US Dollar, but still retain the desirable characteristics of Bitcoin, namely transaction immutability, censorship resistance and decentralisation.

Cryptocurrencies are in these ways a far better form of money but have been significantly hindered in their adoption by the volatility of the inflexible monetary policies of decentralised systems. Stability continues to be one of the most valuable yet elusive characteristics for the technology. Clearly, the ability to create alternative and dynamic monetary policies within cryptoeconomic systems is still nascent, and significant research into stable monetary frameworks for cryptocurrencies is required.

The interested reader can also find additional discussion of stablecoins, cryptoeconomics, competitors, and other related topics on our blog at <http://blog.havven.io>.

### 1.3 Havven

The Havven stablecoin system is a novel form of representative money in which there is no requirement for a physical asset, thus removing problems of trust and custodianship. The asset used to back the stablecoin is a pool of reserve tokens that collectively represent the system itself; controlling these reserve tokens reflects participation in the Havven system, and are a proxy for its value. Havven generates fees from users who transact in the stablecoin and distributes them among the holders of the reserve token, compensating them for underpinning the system. Havven therefore rewards those who actively participate in maintaining the stability of the system and charges those who benefit from its utility. These rewards are proportionally applied in response to the active management of the supply of the exchange token such that its price mirrors that of the asset it tracks.

Because we have created a system that generates cash flow for participants, we now have an asset which can be used as the collateral to support the stablecoin with a well-defined market value. The key to this is that the value of the system is measured in USD. This allows the system to issue a stablecoin which can be presented and redeemed for a percentage of the collateral tokens valued at 1 USD. Backing a stablecoin in this way is beneficial because such a cryptoeconomic system does not require trust in a centralised party; each participant has full transparency over how many tokens have been issued against the available collateral at all times.

The two linked tokens and the complex of incentives are described below:

#### **Havven**

The collateral token, whose supply is static. The capitalisation of the havvens in the market reflects both the system's aggregate value and the reserve which backs the stablecoin. Thus, users who hold havvens take on the role of maintaining stability. Following Bitcoin, the Havven system will appear in upper case and singular; while the havven token will be lower case and may be plural.

#### **Nomin**

The exchange token - the stablecoin - whose supply floats. Its price as measured in fiat currency should be relatively stable. Other than price stability, the system should also encourage some adequate level of liquidity for nomins to act as a useful medium of exchange.

Each holder of havvens is able to issue a value of nomins in proportion to the USD value of the havvens they hold and are willing to place into escrow. If the user wishes to release their escrowed havvens, they must present the system with nomins in order to free their havvens and trade them again. The holders of this token provide both collateral and liquidity, and in so doing assume some level of risk. To compensate this risk, such nomin-issuers will be rewarded with fees the system levies automatically as part of its normal operation.

## 1.4 Design Rationale

This issuance mechanism allows nomins to act as a form of representative money, where each nomin represents a share in the havven value held in reserve. Nomins derive value insofar as they provide a superior medium of exchange, and are effectively redeemable for a constant value of the denominating asset. In this paper, we use USD as this asset, but this could be any external and appropriately fungible asset, such as a commodity or a fiat currency.

In this manner, the system incentivises the issuance and destruction of nomins so that the value of the nomin pool expands and contracts in proportion with the total value of havvens backing them. If price changes exogenously, then the system is designed to provide incentives for actors to recalibrate to the new price.

The Havven system is relieved of the obligation to respond to major macroeconomic conditions, as it benefits from the stabilisation efforts of large institutions acting in fiat markets. In addition, as Havven has the freedom to significantly overcollateralise its pool of circulating currency, it insulates itself against dramatic corrections in the havven market. Havven therefore acts as a bridge between fiat currency and cryptocurrency as a hybrid of two technologies and possessing the advantages of both.

Clearly, the introduction of a new cryptocurrency in isolation offers no additional value given the existing and established alternatives such as Bitcoin or Ethereum. Havven thus seeks to derive value from the addition of **stability** to its inherited properties as a modern cryptocurrency. It is designed to substantially improve the technology of money by providing a practical medium of exchange without compromising the benefits that decentralisation offers.

There are many applications which Bitcoin's inherently deflationary monetary policy and volatility presently make impossible, for example prediction markets and insurance contracts, both of which require a stable denominating asset in order for the price signals they are built upon to be consistent. Creating a cryptocurrency which demonstrates the best characteristics of both fiat and cryptographic money systems will prove to be extremely useful and significantly enhance global uptake of cryptoeconomic technology.

## 2 System Description

Havven is a dual-token system that, combined with a set of novel incentive mechanisms, stabilises the price of the nomin with respect to an external asset. Users of the nomin token pay the owners of the havven token for collateralising and stabilising the system.

The havven token incentivises those who hold it to fulfil two functions:

- To provide the system with collateral.
- To participate in the stabilisation of the nomin price.

### Collateralisation

Confidence in the stability of the nomin begins with overcollateralisation, so that the value of escrowed havvens is greater than the value of nomins in circulation. The value of havvens is derived internally by the system as a function of the demand for nomins; this decouples the value of the collateral pool from market speculation.

As long as the ratio of total nomin value to total havven value remains favourable, there is sufficient backing in the underlying collateral pool to ensure that nomins can be redeemed for their face value. The redeemability of a nomin for the havvens against which it was issued strongly supports a stable price.

### Stabilisation Incentives

Havven rewards those that have issued nomins. These rewards are derived from transaction fees and are distributed in proportion with how well each issuer maintains the correct nomin supply. The system monitors the nomin price, and responds by adjusting its targeted global supply, which individual issuers are incentivised to move towards.

Where volatility persists, stronger stabilisation mechanisms may be applied such as automated collateral recovery. Where a significant portion of nomins are being used for hedging, (and hence not generating transaction fees) a charge can be applied to ensure that the cost of utility for hedging is not being solely borne by transactions.

## 2.1 Equilibrium Nomin Price

We first introduce the core system variables:

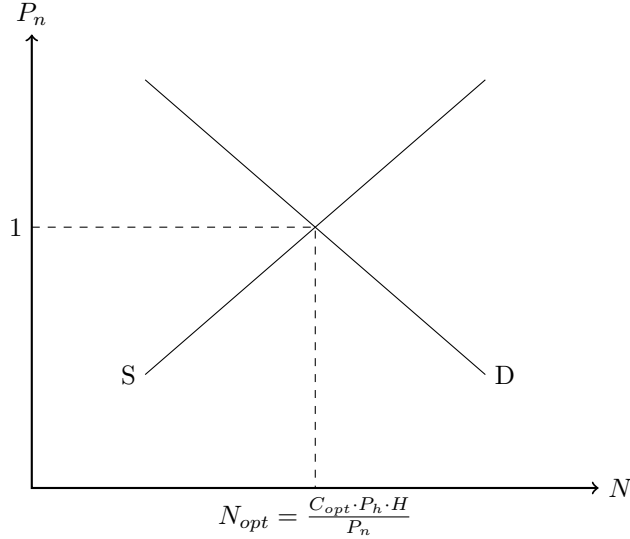
$$\begin{array}{ll} H := \text{havven quantity} & N := \text{nomin quantity} \\ P_h := \text{havven price} & P_n := \text{nomin price} \end{array}$$

All havven tokens are created at initialisation, so  $H$  is constant. The quantity of nomins  $N$  floats, responding to the issuance actions of havven holders. The Havven system needs to incentivise issuers to maintain  $N$  such that the nomin price,  $P_n$ , is stable at \$1. As we proceed, we may subscript variables with  $t$  to indicate the value of that variable at a given time.

In Havven, the measure of the value of nomins against the value of havvens is called the collateralisation ratio:

$$C = \frac{P_n \cdot N}{P_h \cdot H} \quad (1)$$

From the law of supply and demand, there exists some supply of nomins,  $N_{opt}$ , where the related level of demand yields an equilibrium price of \$1. This quantity is associated with an optimal collateralisation ratio,  $C_{opt}$ . We visualise this equilibrium below with a hypothetical demand curve, D, and a supply curve, S.



The system is unable to influence the demand for nomins. We assume that some level of demand exists given the utility of nomins as a stable cryptocurrency.

Although demand cannot be manipulated, the supply of nomins is controlled by havven holders, whose issuance incentives are in turn controlled by the system. It follows that as we require a fixed price  $P_n = \$1$  and are unable to control either  $P_h$  or  $H$ , we must manipulate  $C_{opt}$  such that  $N = N_{opt}$  in order to satisfy our requirement.

## 2.2 Measuring Havven Value

Being freely-tradable ERC20 tokens, havvens will have a market price which, like the nomin price, can be measured with an oracle. In the initial phases, while nomin demand is low, we will use a seven day rolling average of the market price for both havvens and nomins. This rolling average is designed to smooth out fluctuations in the market price and increase the cost of attacking the system. However, once nomin transaction volume has increased to sufficient levels, we may transition to a different havven-valuation system that attempts to more directly connect the valuation of the havven with demand for nomins.

One problem with using the market price for  $P_h$  is that it exposes the collateralisation ratio computation to speculative price shocks. Instead, the “true” price of a havven can be computed as a function of the transaction fees that the system charges. In this way we connect the computed price of the havven directly with nomin velocity. Valuation increases will allow an expansion in the money supply exactly when demand has expanded, while contractions in the money supply will be incentivised exactly when demand has contracted.

We define the value of a havven as a share in the discounted sum over past fee returns. In this way the price is not vulnerable to instantaneous volume spikes, while taking the most recent transaction volumes to be the most highly-correlated with future volumes:

$$P_{h,t} = \frac{1}{H} \sum_{t'=1}^t \frac{F_{t-t'}}{(1+r)^{t'}} \quad (2)$$

where

$P_{h,t}$  is the price of one havven at time  $t$   
 $F_t$  is the total fees collected in period  $t$   
 $r$  is a falloff term



This can be computed efficiently, because  $P_{h,t+1} = \frac{P_{h,t} + F_t}{r}$ . Further, if it is assumed that the average fee take is approximated by  $F_t$ , and  $t$  is large, then:

$$P_{h,t} \approx \frac{1}{H} \sum_{t'=1}^{\infty} \frac{F_t}{(1+r)^{t'}} = \frac{F_t}{H \cdot r} \quad (3)$$

### 2.3 Issuance and Collateralisation

Havven's goal is to remain overcollateralised. In order to do so, the system defines a collateralisation target:

$$0 < C_{opt} < 1 \quad (4)$$

It is necessary at this point to distinguish, for an account  $i$ , between the nomins it contains  $N_i$  (equity) and the nomins it has issued  $\check{N}_i$  (debt). Note that globally, the  $\sum_i N_i = \sum_i \check{N}_i$ , as all nomins were issued by some account. However, a given account may have a balance different from its issuance debt.

Hence we can define the collateralisation ratio for an individual account  $i$  in terms of its issuance debt:

$$C_i = \frac{P_n \cdot \check{N}_i}{P_h \cdot H_i} \quad (5)$$

The system provides incentives for individual issuers to bring their  $C_i$  closer to  $C_{opt}$  while maintaining  $C_{opt}$  itself at a level that stabilises the price.

#### Nomin Issuance

The nomin issuance mechanism allows Havven to reach its collateralisation target. Issuing nomins escrows some quantity of havvens, which cannot be moved until they are unescrowed. The quantity of havvens  $\check{H}_i$  locked in generating  $\check{N}_i$  nomins is:

$$\check{H}_i = \frac{P_n \cdot \check{N}_i}{P_h \cdot C_{max}} \quad (6)$$

Under equilibrium conditions, there is some  $\check{H}_i \leq H_i$  when  $C_i = C_{opt}$ , which the issuer is incentivised to target. These incentives are provided in the form of transaction fees, discussed in section 2.4. It is important to note that the issuer may voluntarily increase their  $C_i$  up to the limit of  $C_{max}$ ; for example if they anticipate a positive movement in  $C_{opt}$ .

On the other hand, an issuer may not issue a quantity of nomins that would lock more than  $H_i$  havvens. Consequently,  $C_i$  may never exceed  $C_{max}$ , except by price fluctuations, and in such circumstances, issuers are rewarded for bringing  $C_i$  back under  $C_{max}$ .

After generating the nomins, the system places a **limit sell** order with a price of \$1 on a decentralised exchange. This means that the nomins will be sold at the current market price, down to a minimum price of \$1. If we assume implementation on Ethereum, then the nomins are sold for an equivalent value in ether, with the proceeds of the sale remitted to the issuer.

### **Nomin Destruction**

In order to access the havvens that have been escrowed, the system must destroy the same number of nomins that were originally issued. When the issuer indicates the intention to retrieve their havvens, the system places a **limit buy** order on a decentralised exchange, up to a maximum price of \$1. The system places this order on behalf of the issuer and upon completion, the nomins are immediately destroyed.

## 2.4 Transaction Fees

Havven needs a direct incentive mechanism that can correct changes in the global collateralisation ratio,  $C$ , when the price of havvens or nomins changes.

Some of the equations below are defined in the discrete time domain and are referenced with a subscript  $t$ . These will be specifically used in our game theoretic modelling.

### 2.4.1 Nomin Transaction Fees

Every time a nomin transaction occurs, the Havven system charges a small transaction fee. Transaction fees allow the system to generate revenue, which it can distribute to havven holders as an incentive to maintain nomin supply at  $C_{opt}$ .

The fee rate charged on nomin transactions is  $\alpha_c$ . It is constant and will be sufficiently small that it provides little to no friction for the user:

$$\alpha_c = k \quad (7)$$



We may then express the total fees collected in period  $t$ ,  $F_t$ , as a function of the velocity of nomins  $v_t$  and the total nomin supply  $N_t$ :

$$F_t = v_t \cdot \alpha_c \cdot N_t \quad (8)$$

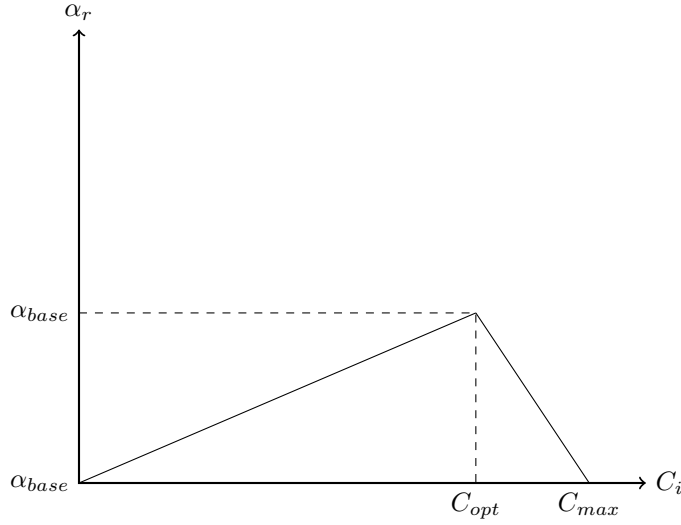
### 2.4.2 Fees Received by Haven Holders

The fee rate paid to a haven holder that has escrowed is  $\alpha_r$ . The actual fee they receive is  $\tilde{H}_i \cdot \alpha_r$ , being proportional with the value they escrow. This rate changes with respect their unique collateralisation ratio,  $C_i$ . It increases linearly to a maximum  $\alpha_{base}$  at the optimal collateralisation ratio  $C_{opt}$ , before quickly diminishing as  $C_i$  approaches the maximum collateralisation ratio  $C_{max}$ .

This function is designed to encourage haven holders to constantly target the optimal collateralisation ratio, by rewarding them with greater fees if they do so.

$$\alpha_{r,t,i} = \alpha_{base,t} \cdot \mathcal{F}_{i,t}(C_{i,t}, C_{opt}, C_{max,t}) \quad (9)$$

$$\mathcal{F}_{i,t}(C_{i,t}, C_{opt,t}, C_{max,t}) = \begin{cases} \frac{C_{i,t}}{C_{opt,t}} & \text{when } C_{i,t} \leq C_{opt,t} \\ \frac{C_{max,t} - C_{i,t}}{C_{max,t} - C_{opt,t}} & \text{when } C_{opt,t} \leq C_{i,t} \leq C_{max,t} \\ 0 & \text{otherwise} \end{cases} \quad (10)$$



This fee distribution curve encourages haven holders who have escrowed to maintain their  $C_i$  at  $C_{opt}$ .

### 2.4.3 Base Fee Rate

Let us define the total fees paid to havven holders  $F_{r,t}$ :

$$F_{r,t} = \sum_i \check{H}_i \cdot \alpha_{r,t,i} \quad (11)$$

Havven requires that the total fees collected from users has to be equal to the total amount of fees paid to the havven holders, so that  $F_{r,t} = F_t$ . Substituting our earlier definition (9) for  $\alpha_{r,t,i}$  and solving for  $\alpha_{base,t}$ :

$$\alpha_{base,t} = \frac{F_t}{\sum_i \check{H}_i \cdot \mathcal{F}_{i,t}(C_{i,t}, C_{opt,t}, C_{max,t})} \quad (12)$$

We have now defined the maximum fee rate,  $\alpha_{base}$ , in terms of the fees collected,  $F_t$ . This rate should be achieved when an individual's  $C_i$  is at  $C_{opt}$ .

The definition of  $C_{opt}$  must therefore provide the following incentive. If  $P_n > 1$  then the system must encourage more nomins to be issued. However, if  $P_n < 1$ , the system must encourage nomins to be burned.

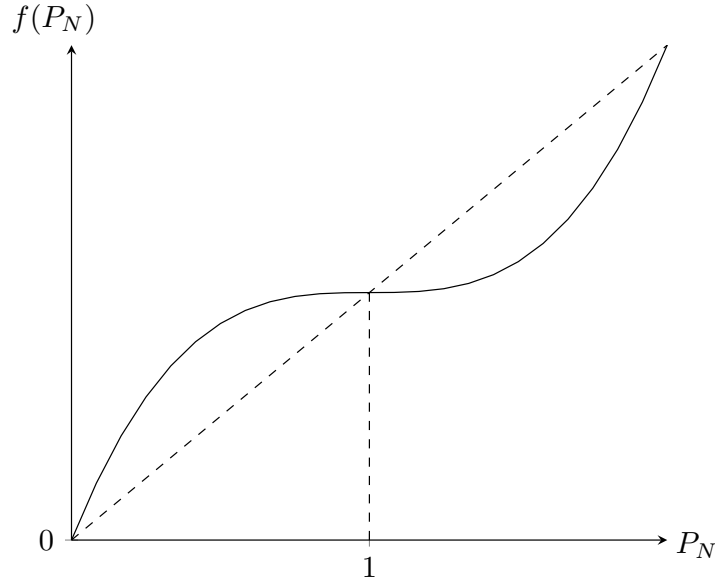
## 2.5 Collateralisation Ratio

### 2.5.1 Optimal Collateralisation Ratio

The optimal collateralisation ratio  $C_{opt}$  is a target for haven holders to reach in order to maximise the amount of fees they receive.  $C_{opt}$  is defined in terms of  $P_n$  such that its value directly tracks changes in the nomin price; a haven holder wishing to maximise their fees will target  $C_{opt}$  by issuing or destroying nomins.

The function for  $C_{opt}$  given below provides our dynamic target for haven holders based on the price of nomins:

$$\begin{aligned}
 C_{opt,t} &= f(P_{n,t}) \cdot C_t \\
 f(P_{N,t}) &= \max(\sigma \cdot (P_{N,t} - 1)^\phi + 1, 0) \\
 \sigma &: \text{price sensitivity parameter } (\sigma \geq 0) \\
 \phi &: \text{flattening parameter } (\phi \geq 1, \phi \neq 2)
 \end{aligned} \tag{13}$$

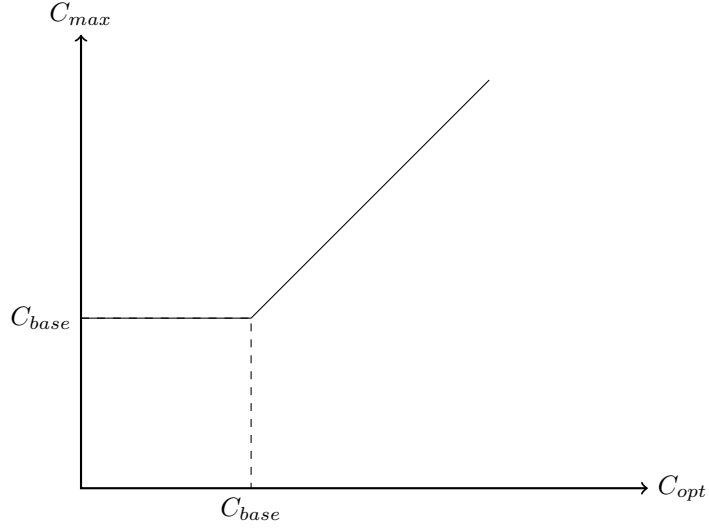


When  $P_n$  is at \$1,  $C_{opt} = C$  and there is no incentive given to move away from the current global collateralisation level. However, if  $P_n < \$1$ , then  $C_{opt} < C$ , incentivising issuers to burn nomins, thereby raising the price. The  $P_n > \$1$  case is symmetric. Notice that when  $P_n$  is close to \$1,  $f'(P_n)$  is small. However, the further  $P_n$  diverges from \$1, the larger the slope becomes, providing an stronger incentive, in the form of potential fees, for a haven holder to move toward  $C_{opt}$ .

### 2.5.2 Maximum Collateralisation Ratio

Havven seeks to maintain  $C \leq C_{opt} < C_{max} < 1$ , in order to retain sufficient overcollateralisation. It might seem intuitive that  $C_{max}$  should be a static value. However, since  $C_{opt}$  varies linearly with  $P_n$  and inversely with  $P_h$ , there are situations where  $C_{max}$  may need to change. Below we define  $C_{max}$ :

$$C_{max,t} = \begin{cases} C_{base,t} & \text{when } C_{opt,t} \leq C_{base,t} \\ a \cdot C_{opt,t} & \text{otherwise.} \end{cases} \quad (14)$$



A collateralisation ratio  $C < 1$  implies that the value of havvens is greater than the value of nomins. At  $C = 1$ , the total value of nomins equals the total value of havvens. Thus, choosing  $C_{max}$  determines how overcollateralised each nomin is at issuance. The higher the value of  $C_{max}$ , the more nomins can be generated for the same quantity of havvens, so the system becomes more efficient as  $C \rightarrow 1$ . In contrast, if  $C_{max}$  is low, the system has a greater capacity to absorb negative shocks in the haven price before it becomes undercollateralised.

The value of  $C_{max}$  therefore represents a tradeoff between *efficiency* and *resilience*. By defining  $C_{max}$  as a function of  $C_{opt}$ , Havven finds the optimal balance in this dilemma. This ensures that like  $C_{opt}$ ,  $C_{max}$  only changes as a consequence of instability in the nomin price.

It should also be observed that using  $C_{max} > 1$  corresponds to a fractional reserve monetary system. In Havven, this situation is unstable: if it were the case, a greater value in nomins could be issued against a single haven than the value of

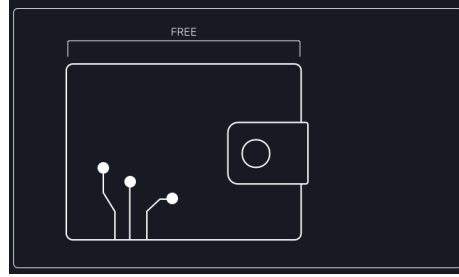
that haven. In such a circumstance, the simultaneous appreciation of havvens (up to at least the value of the nomins a haven can issue) and depreciation of nomins immediately diminishes  $C$ ,  $C_{opt}$  and  $C_{max}$ , bringing them back under 1.

## 2.6 Issuance and Fees Example

Bob decides to purchase 100 havvens at \$1 each, a total wallet value of \$100. We first identify values of the basic system variables:

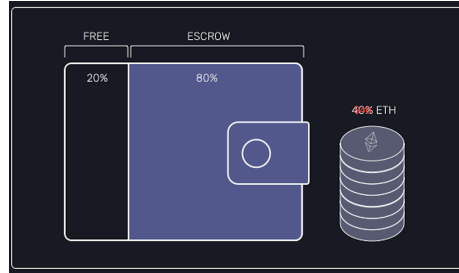
$$\begin{array}{lll} C_{max} = 0.5 & C_{opt} = 0.4 & C = 0.4 \\ P_n = 1 & P_h = 1 & H_i = 100 \\ \sigma = 50 & \phi = 3 & a = 1.25 \end{array}$$

The system is in price equilibrium, with the global collateralisation ratio  $C$  equal to the optimal collateralisation ratio  $C_{opt}$ . Initially, Bob's wallet contains only free havvens:



Bob wants to earn the maximum possible fees, so he issues nomins up to  $C_{opt}$  (9). The system generates 40 nomins and escrows 80 of his havvens (6), locking \$80 worth of value in the system.

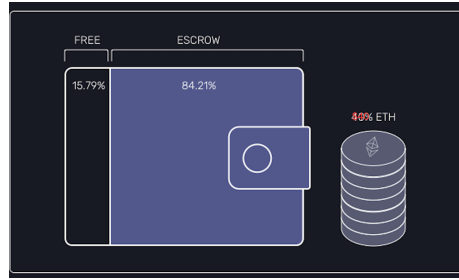
The system sells the nomins on the market for \$40 worth of ether, transferring it to his account. Bob's wallet can be visualised below:



**Nomin Price Change** The example below shows how the system incentivises haven holders to correct instability in the nomin price.



1. As a consequence of reduced demand in decentralised trading markets, the nomin price  $P_n$ , drops to \$.90. The system needs to incentivise havven holders to reduce the supply of nomins so that the price returns to \$1.00.
2. First, consider that both  $C$  (1) and  $C_i$  (5) have decreased to 0.36.
3. Since the nomin price has changed,  $C_{opt}$  is recalculated to 0.342 (13). It is now smaller than both  $C_i$  and  $C$ .
4. Since  $C_{opt}$  has changed  $C_{max}$  is also recalculated to 0.4275 (14). This in turn increases the quantity of Bob's locked havvens  $\tilde{H}_i$ , visualised below:



5. Bob now has a higher dollar value of locked havvens and his  $C_i > C_{opt}$ . This means that he is no longer receiving the maximum fee rate  $\alpha_{base}$ . In order to return to  $\alpha_{base}$  he must lower his  $C_i$  back to  $C_{opt}$  by burning some nomins. He needs to workout how many to burn.
6. He should burn 2 nomins so that he has 38 total issued (5), which will cost \$1.80. When the system completes this process, his locked havvens will reduce back to 80 (6). In addition, his  $C_i = C_{opt} = 0.342$ , which means he is once again receiving the maximum fee rate.

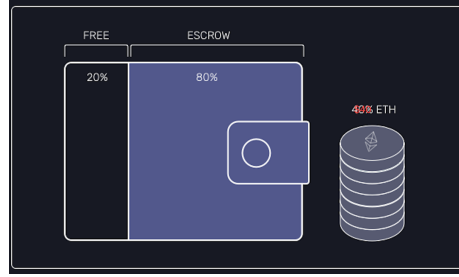


7. Bob has taken the correct actions to raise the low nomin price. By electing to burn nomins, the system performed a limit buy order on his behalf, putting upward pressure on the nomin price. As compensation for doing so, he is rewarded with the optimal fee rate  $\alpha_{base}$ .

**Havven Price Change (Market Price)** The example below illustrates how the system maintains the dollar value of the underlying collateral by adjusting the quantity of a user's escrowed havvens as the havven price changes. Consider the same initial conditions as before:

$$\begin{array}{lll}
 C_{max} = 0.5 & C_{opt} = 0.4 & C = 0.4 \\
 P_n = 1 & P_h = 1 & H_i = 100 \\
 \sigma = 50 & \phi = 3 & a = 1.25
 \end{array}$$

1. Bob's wallet is visualised below, he has once again issued up to  $C_{opt}$ :



2. The havven price,  $P_h$ , drops to \$0.90, which means the value of Bob's wallet has decreased to \$90.
3. Both the global collateralisation ratio  $C$  (1) and Bob's individual collateralisation ratio  $C_i$  (5) have increased to 0.44.
4. Since the nomin price has not changed, havven does not need to incentivise issuance or burning. This is reflected in the new value of  $C_{opt}$ , which changes to 0.44, matching  $C$  and  $C_i$ .
5. However, the system needs to escrow more of Bob's havvens to maintain the dollar value of the locked collateral. The system has now locked around 89% of Bob's havvens:



6. What happens if the havven price drops below \$.80? The system can't lock more than 100% of Bob's havvens. If the nomin price is stable, the system can raise  $C_{max}$ . If the nomin price is not stable, then the system will incentivise havven holders to correct the supply.

If changes in the havven price do not lead to changes in the nomin price, this means confidence in Havvens price stabilisation is high. In these situations, it is safe to raise  $C_{max}$ , thereby allowing the system to operate more efficiently.

## 2.7 Fee Evasion

Being based on Ethereum, Havven is potentially vulnerable to its tokens being wrapped by another smart contract which takes deposits, and replicates all exchange functionality on redeemable IOU tokens it issues. These wrapped tokens could then be exchanged without incurring fees.

We consider this situation unlikely for a number of reasons.

First, the fees are designed to be low enough that most users shouldn't notice them, so users will not in general be strongly motivated to switch to a marginal and less trustworthy alternative.

Second, network effect is tremendously important for currencies; in order to become useful, any token must first be broadly accepted as "legal" tender. This is difficult enough by itself, but a wrapped token must do this to the extent that it displaces its own perfect substitute good: the token it wraps.

In the case of Havven, this would undermine built-in stabilisation mechanisms, which become more powerful with increased transaction volume. Consequently, as a wrapped nomin parasitises more of the nomin market, it destroys the basis of its own utility, which is that nomins themselves are stable.

Finally, it is unlikely that any token wrapper will be credible, not having been publicly and expensively audited, while its primary function tends to redound against the trustworthiness of its authors.

Nevertheless, it's simple to implement a democratic method, weighted by havven balance, by which havven holders can freeze or confiscate the balance of any contract that wraps assets. Those havven holders are incentivised not to abuse this system for the same reason that bitcoin mining pools do not form cartels to double-spend: because abuse of this power would undermine the value of the system, and thus devalue their own holdings.

The credible threat of such a system existing is enough to discourage token wrappers from being used, even if they are written, since any user who does so risks losing their entire wrapped balance.

### 3 System Analysis

While the Havven mechanism feels intuitively viable and we have strong confidence in it, we take the view that falsification is vital in validating our proposal. The more stands up to attack, the more we can trust to its ultimate validity.

Ultimately this must be done empirically, but it is also important to model Havven extensively before launching it. Therefore in our quantitative analysis we seek above all to identify its failure modes, and also to characterise its stability under a range of conditions.

In our quantitative analysis, we take three distinct approaches in modelling the system:

#### **Analytical**

By expressing our system in the language of game theory and microeconomics, we seek to gain insight into Havven’s incentive structure and the resulting price equilibria. Examining the problem from this direction can lead us to concise and mathematically robust conclusions.

#### **Simulationist**

We implement a broad range of strategies as AI agents, and examine how the market responds under different initial conditions, with different constituent populations, and in response to external shocks. This approach allows us to examine situations which are analytically intractable.

#### **Empirical**

Initial releases of Havven will be invaluable in checking our assumptions. Observation of real market behaviour will allow us to better understand how it responds in different situations, and therefore how to choose appropriate values for system variables.

The results of these investigations will be published as they are completed.

#### 3.1 Agent-based modelling

It has been observed that analytic methods are often difficult to apply in the complex and dynamic setting of a market. One suggested solution to this problem is *agent-based modelling*. Under this paradigm, we proceed by first defining rational agent behaviour and then simulating the interplay of those strategies over time. We seek to develop a more effective method of characterising market behaviour and equilibrium prices than pure analytic reasoning.

Such simulations also provide an immediate means of measuring quantities of interest. Simply by observing the model, we can discover how varying input parameters affect system outputs in an experimental fashion. One important

corollary is that this is a way of extracting reasonable settings for system parameters (such as fee levels) that might be difficult to reason about *a priori*. These systems, reactive as they are, also provide a method for testing proposed remedies for any identified failure modes, and are a platform to simulate the conclusions of any antecedent game-theoretic reasoning.

## 3.2 Expected Market Players

Here we outline some of the players anticipated in the market. These represent only some of the agents that our modelling and simulations are predicated upon.

### Havven Holders

A havven-holder provides the collateral and liquidity for the system. It is assumed that havven holders primarily seek fee revenues, and escrow most of their havvens, adjusting their issuance to track Havven’s moving fee incentives. While these incentives make sense if havvens are relatively stable in the long term, Havven will also provide incentives for correcting the nomin price in the short term. Returns for these actors are primarily realised in fees, seignorage, and the appreciation of havvens resulting from their constrained supply.

### Nomin Users

These are the market participants who will make up the base demand for any stablecoin, chasing its superior utility as a medium of exchange or as a means of hedging against other forms of value. The users of nomins may include merchants, consumers, service providers, cryptocurrency market actors such as exchanges.

The transaction volume these users provide is necessary for fees to exist. They may be disincentivised from using the system in low liquidity situations or with excessive volatility in the price of nomins.

### Speculators

Speculators may tend to magnify price corrections, and are a significant vector by which to introduce exogenous shocks to the system. In our modelling we induce volatility by simulating modes of interest such as large capital flows in response to breaking news and the like.

Speculators also produce an important stabilisation force. When the market believes that the price is being stabilised, upward price shifts induce sell pressure, and downward price shifts induce buy pressure. This strategy is profitable on the assumption that the price will return to the equilibrium point. This neutral stabilisation force is a self-sustaining negative feedback loop which operates independently of other incentives; preliminary simulations and observations of other systems have verified the efficacy of this corrective pressure.

### **Buyer of Last Resort**

While the system is designed to work without intervention, the Havven foundation will have capital reserves with which to intervene in the market to stabilise nomin prices in extreme situations.

The advantage that such a market participant confers, given that a very large market entity is willing to underwrite the stability of the coin, is that profit strategies predicated upon the stability of the token become less risky and so more feasible. As a result, any such presence, even if it rarely intervenes in the market, enhances the aforementioned neutral stabilisation force. The Havven foundation in this capacity takes on the role of providing confidence.

### **Arbitrageurs and Market Makers**

The arbitrage force allows us to assume that the havven/nomin, havven/fiat, nomin/fiat prices are properly in alignment or will soon become aligned. Market-making activities allow us in our modelling to neglect the bid/ask spread, and situations where there is insufficient liquidity for players to transact.

Please visit <http://research.havven.io> for an alpha version of our model, and <http://blog.havven.io> for further discussion of stablecoins and cryptoeconomics.