Machine Learning Assignment № 6

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Implementation

Listing 1: Implementation.

```
1 # some python stuff
2 from scipy import optimize
3 import math
4 import numpy as np
 5 import copy
6 import heapq
7
   import random
8
9
   class Edge:
10
       def __init__(self, pointer, value):
11
            self.PointedNode = pointer
            self.Phi = value
12
13
14
   class Node:
15
       def __init__(self, identifier, unary, beta = 0.01, startPoint = False, ←
            endPoint = False):
16
            self.Identifier = identifier
            self.Unary = unary
17
            self.StartPoint = startPoint
18
            self.EndPoint = endPoint
19
20
            self.beta = beta
21
22
            self.Joint = []
23
24
        def constructEdges(self, Neighbour):
            def phiP(v1, v2, alpha = 0, beta = self.beta):
25
26
                if v1 = v2:
27
                    return alpha
28
                else:
29
                    return beta
30
            if Neighbour != None:
31
                if self.StartPoint = False and Neighbour.EndPoint = False:
32
                    potential = phiP(self.Identifier[1], Neighbour.Identifier←
                        [1]) + Neighbour. Unary
33
                    self.Joint.append(Edge(Neighbour.Identifier, potential))
```

```
34
35
   def dijkstra (graph, start, end):
36
37
        queue, seen = [(0, start, [])], set()
38
        while True:
39
            (cost, v, path) = heapq.heappop(queue)
40
            if v not in seen:
41
                path = path + [v]
42
                seen.add(v)
43
                if v == end:
44
                    return cost, path
                for (next, c) in graph[v].items():
45
46
                     heapq.heappush(queue, (cost + c, next, path))
47
48
   noNodes = 20
49
   labels = [0, 1]
50
51
   noLabels = np. size (labels)
   graph = np.ndarray((noNodes + 2, noLabels),dtype=np.object)
52
53
   # get same random numbers every time
54
55
56 \# betas
57
   beta = np.array((0.01, 0.1, 0.2, 0.5, 1))
   for bI, bEl in enumerate (beta):
58
59
        random.seed(0)
60
61
       # count number of already assigned nodes
62
        counter = 0
63
       # construct real nodes (not source nor target)
64
        for i in range (noNodes):
            for l in range (noLabels):
65
66
                # shuffle for first label
67
                if 1 = 0:
                    rN = random.random()
68
69
                else:
70
                    rN = 1 - graph[i, 0]. Unary
71
72
                graph[i,l] = Node([i,l], rN, bEl)
73
                counter += 1
74
75
       # reserve source and target
76
        i += 1
77
        graph[i, 0] = Node([i, 0], math.nan, True, False)
78
        indexOfStart = i
79
        potential = graph [0,0]. Unary
80
        graph[i, 0]. Joint.append(Edge([0,0], potential))
```

```
81
         potential = graph[0,1]. Unary
         graph[i, 0]. Joint.append(Edge([0,1], potential))
 82
 83
 84
 85
         i += 1
 86
         counter += 1
 87
 88
         graph[i, 0] = Node([i,0], math.nan, False, True)
 89
         indexOfEnd = i
 90
         counter += 1
91
        # create linearlized reference object
92
 93
         graphLin = np.ndarray((noNodes * noLabels + 2), dtype=np.object)
94
 95
         counter = 0
         for i in range(graph.shape[0]):
 96
 97
             for j in range (graph.shape [1]):
 98
                 if graph [i, j] != None:
                     graphLin [counter] = graph [i, j]
99
100
                     graphLin [counter]. LinIdentifier = counter
101
                     counter += 1
102
103
         for i in range (graph.shape [0]):
104
             if graph[i, 0] != None and i < noNodes - 1:
                 graph[i, 0].constructEdges(graph[i + 1, 0])
105
106
                 graph[i, 0].constructEdges(graph[i + 1, 1])
107
             if graph[i, 1] != None and i < noNodes - 1:
108
                 graph[i, 1].constructEdges(graph[i + 1, 0])
109
                 graph[i, 1].constructEdges(graph[i + 1, 1])
110
111
        # hardcode for last one
         graph [noNodes - 1, 0]. Joint.append(Edge([indexOfEnd, 0], 0))
112
113
         graph [noNodes - 1, 1]. Joint.append(Edge([indexOfEnd,0], 0))
114
        #graph[i for i in range(noNodes * noLabels + 2) if graph[i,0]. ←
115
            StartPoint = True,0]
116
         graphDict = {}
117
         for i in range (graph.shape [0]):
118
119
             for j in range (graph.shape [1]):
120
                 currNode = graph[i,j]
                 nodeDict = \{\}
121
                 if currNode != None:
122
123
                      for k in range(np.size(currNode.Joint)):
124
                          currJoint = currNode.Joint[k]
125
                          nodeDict [(currJoint.PointedNode[0], currJoint.←
                             PointedNode[1]) | currJoint.Phi
```

Output

Should we assume

$$\phi_i(1) = 1 - exp(\phi_i(0))$$
 ?

Listing 2: Console output for unaries in 0...1 and beta as below

```
1 beta is 0.01
2 9.29924563302 [(20, 0), (0, 1), (1, 1), (2, 1), (3, 1), (4, 0), (5, 1), \leftarrow
       (6, 0), (7, 1), (8, 0), (9, 0), (10, 0), (11, 1), (12, 1), (13, 0), \leftarrow
       (14, 0), (15, 0), (16, 0), (17, 1), (18, 1), (19, 1), (21, 0)
3 beta is 0.1
  9.92603071832 \ [(20, 0), (0, 1), (1, 1), (2, 1), (3, 1), (4, 1), (5, 1), \leftarrow
       (6, 0), (7, 1), (8, 0), (9, 0), (10, 0), (11, 1), (12, 1), (13, 0), \leftarrow
       (14, 0), (15, 0), (16, 0), (17, 1), (18, 1), (19, 1), (21, 0)
5 beta is 0.2
6 10.4938933736 [(20, 0), (0, 1), (1, 1), (2, 1), (3, 1), (4, 1), (5, 1), \leftarrow
       (6, 0), (7, 0), (8, 0), (9, 0), (10, 0), (11, 1), (12, 1), (13, 0), \leftarrow
       (14, 0), (15, 0), (16, 0), (17, 1), (18, 1), (19, 1), (21, 0)
7 beta is 0.5
   11.2801892371 \ [(20, 0), (0, 1), (1, 1), (2, 1), (3, 1), (4, 1), (5, 1), \leftarrow
       (6, 0), (7, 0), (8, 0), (9, 0), (10, 0), (11, 0), (12, 0), (13, 0), \leftarrow
       (14, 0), (15, 0), (16, 0), (17, 1), (18, 1), (19, 1), (21, 0)
   beta is 1.0
   11.547815311895228 \quad [(20, 0), (0, 1), (1, 1), (2, 1), (3, 1), (4, 1), (5, \leftarrow)]
       1), (6, 1), (7, 1), (8, 1), (9, 1), (10, 1), (11, 1), (12, 1), (13, 1) \leftarrow
       \{(14, 1), (15, 1), (16, 1), (17, 1), (18, 1), (19, 1), (21, 0)\}
11
12 Process finished with exit code 0
```

Listing 3: Console output for unaries in -1...1 and beta as below

```
1 beta is -1.0  
2 -13.4090386599 [(20, 0), (0, 1), (1, 0), (2, 1), (3, 0), (4, 1), (5, 0), \hookleftarrow (6, 1), (7, 0), (8, 1), (9, 0), (10, 1), (11, 0), (12, 1), (13, 0), \hookleftarrow (14, 1), (15, 0), (16, 0), (17, 1), (18, 0), (19, 1), (21, 0)] 
3 beta is -0.1
```

```
4 -2.36150873396 [(20, 0), (0, 1), (1, 1), (2, 1), (3, 1), (4, 0), (5, 1), \leftarrow (6, 0), (7, 1), (8, 0), (9, 0), (10, 0), (11, 1), (12, 1), (13, 0), \leftarrow (14, 0), (15, 0), (16, 0), (17, 1), (18, 1), (19, 1), (21, 0)]

5 beta is -0.01
```

- 7 beta is 0.01
- 9 beta is 0.1
- 10 -0.761508733962 [(20, 0), (0, 1), (1, 1), (2, 1), (3, 1), (4, 0), (5, 1), \leftarrow (6, 0), (7, 1), (8, 0), (9, 0), (10, 0), (11, 1), (12, 1), (13, 0), \leftarrow (14, 0), (15, 0), (16, 0), (17, 1), (18, 1), (19, 1), (21, 0)]
- 11 beta is 0.2
- 12 -0.147938563357 [(20, 0), (0, 1), (1, 1), (2, 1), (3, 1), (4, 1), (5, 1), \leftarrow (6, 0), (7, 1), (8, 0), (9, 0), (10, 0), (11, 1), (12, 1), (13, 0), \leftarrow (14, 0), (15, 0), (16, 0), (17, 1), (18, 1), (19, 1), (21, 0)]
- 13 beta is 0.5
- 14 1.56037847414 $[(20, 0), (0, 1), (1, 1), (2, 1), (3, 1), (4, 1), (5, 1), \leftarrow (6, 0), (7, 0), (8, 0), (9, 0), (10, 0), (11, 0), (12, 0), (13, 0), \leftarrow (14, 0), (15, 0), (16, 0), (17, 1), (18, 1), (19, 1), (21, 0)]$
- **15** beta **is** 1.0

17

16 2.56037847414 $[(20, 0), (0, 1), (1, 1), (2, 1), (3, 1), (4, 1), (5, 1), \hookrightarrow (6, 0), (7, 0), (8, 0), (9, 0), (10, 0), (11, 0), (12, 0), (13, 0), \hookrightarrow (14, 0), (15, 0), (16, 0), (17, 1), (18, 1), (19, 1), (21, 0)]$

18 Process finished with exit code 0