

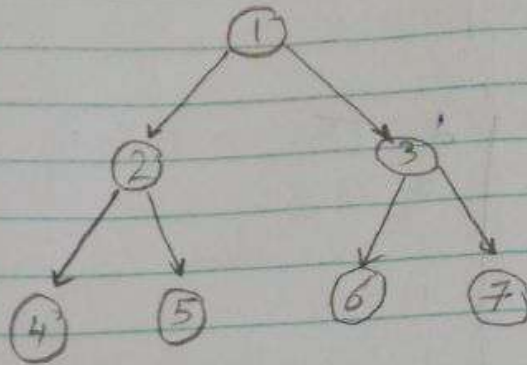
(1)

set me a LE PILD: F 11

20210269 : ID

Graph - HW#5

Q(1):



-list

- 1 [2] - [3]
- 2 [4] - [5]
- 3 [6] - [7]
- 4 []
- 5 []
- 6 []
- 7 []

- Matrix

	1	2	3	4	5	6	7
1	0	1	1	0	0	0	0
2	0	0	0	1	1	0	0
3	0	0	0	0	0	1	1
4	0	0	0	0	0	0	0
5	0	0	0	0	0	0	0
6	0	0	0	0	0	0	0
7	0	0	0	0	0	0	0

2021/02/09
 (2)

Q(2):

	δ	Π
1	0	Null
2	3	4
3	0	Null
4	2	5
5	1	3
6	1	3

Queue

3 ↓

5

6

4

2

1

Q(3):

	δ	Π
u	0	Null
t	1	u
x	1	u
y	1	u
s	3	w
w	2	t
r	4	β
v	5	r

Queue

u ↓

t

x

y

w

s

r

v

Q(4):

	δ	Π
S	0	Null
A	1	S
D	1	S
E	2	D
B	2	A
C	3	B
F	3	E
G	4	F

2021/02/26
(8) 2021/02/26

Q (5) :

DFS(matrix, start)

{

$n \leftarrow \text{len}(\text{matrix})$

Stacks = []

visited[start] = True

while stack

curr = stack.pop()

for i ← n-1 to 0 by -1 do

if matrix[curr][i] == 1 and visited[i] is false

stack.append(i)

visited[i] = true

end if

end for

end while

}

Q. 1. 0. 1. 4
(4) 20210209

Q(7):

	TF	dt	FT
c	Null	1	20
b	C	2	11
G	b	3	10
F	G	4	9
a	F	5	8
e	a	6	7
i	C	12	17
h	i	13	14
j	i	15	16
d	C	18	19

Q(9):

- The running time of BFS with an adjacency matrix is:

- Worst Case: ~~$O(V^2)$~~ $O(V^2)$
- ~~Best Case~~ ~~$O(V^2)$~~ $O(V^2)$
- Average Case

Best case: $O(V+E)$

12th Dec 2021
(5) 20210269

BFS (Matrix, start)

{

$n \leftarrow \text{length}(\text{matrix})$

visited[n] = False

queue[rear] = start

visited[start] = true

while front < rear

curr = queue[front++]

for i = 0 to n by 1++

if matrix[curr][i] = 1 and !visited[i]

queue[++rear] = i

visited[i] = true

end if

end for

end while }