

An Efficient RFID Tag Estimation Method Using Biased Chebyshev Inequality for Dynamic Frame Slotted ALOHA

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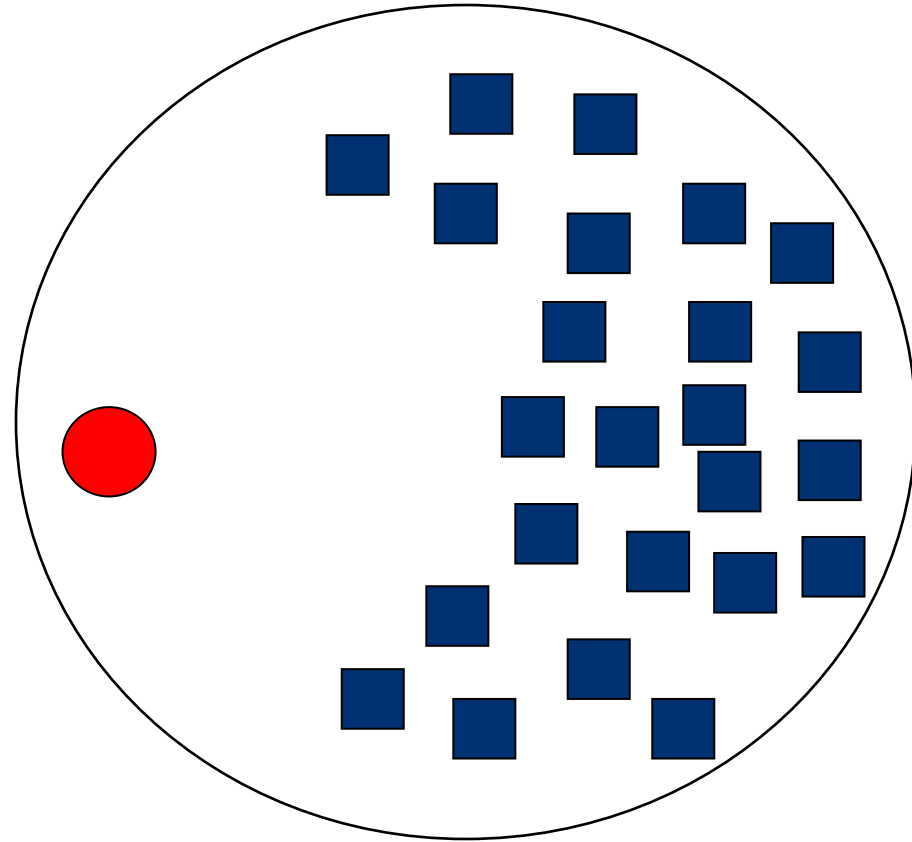
Agenda

- Motivation
- Classical Tag Estimation Methods
- Proposed Biased Chebyshev Tag Estimation
- Conclusion and Future Work

Motivation

■ System Model:

- Single RFID Reader.
- Dense RFID network with unknown number of passive tags.
- Tags should be identified in the minimum possible time.



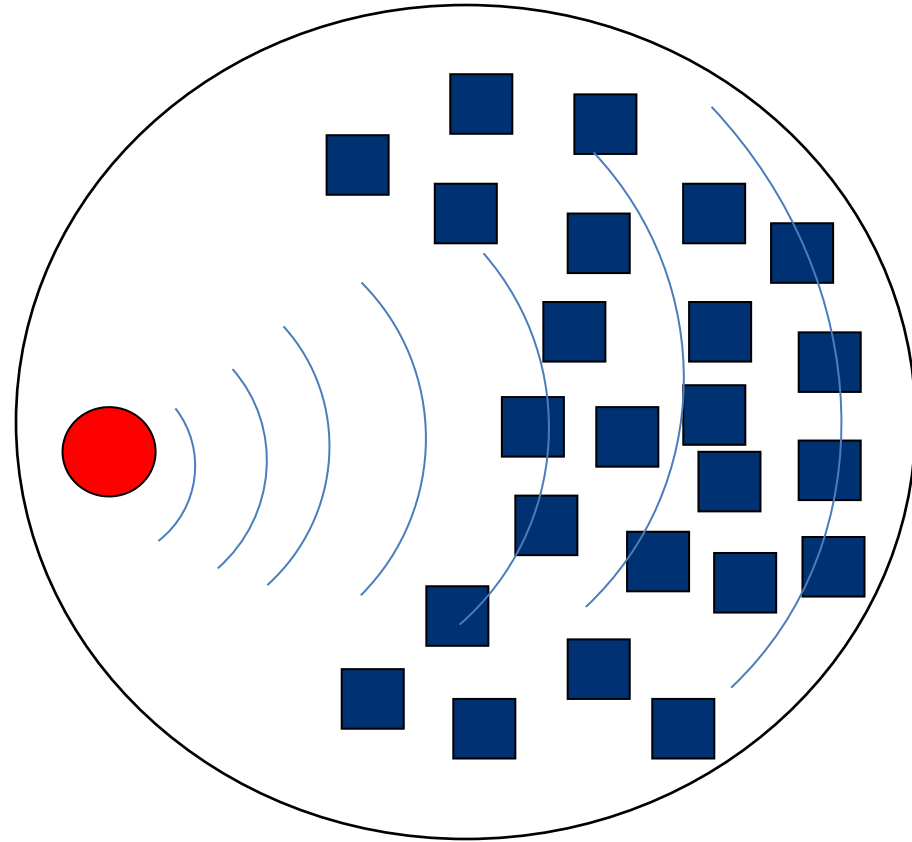
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■ Identification Process:

- Reader asks the tags for their EPC code.



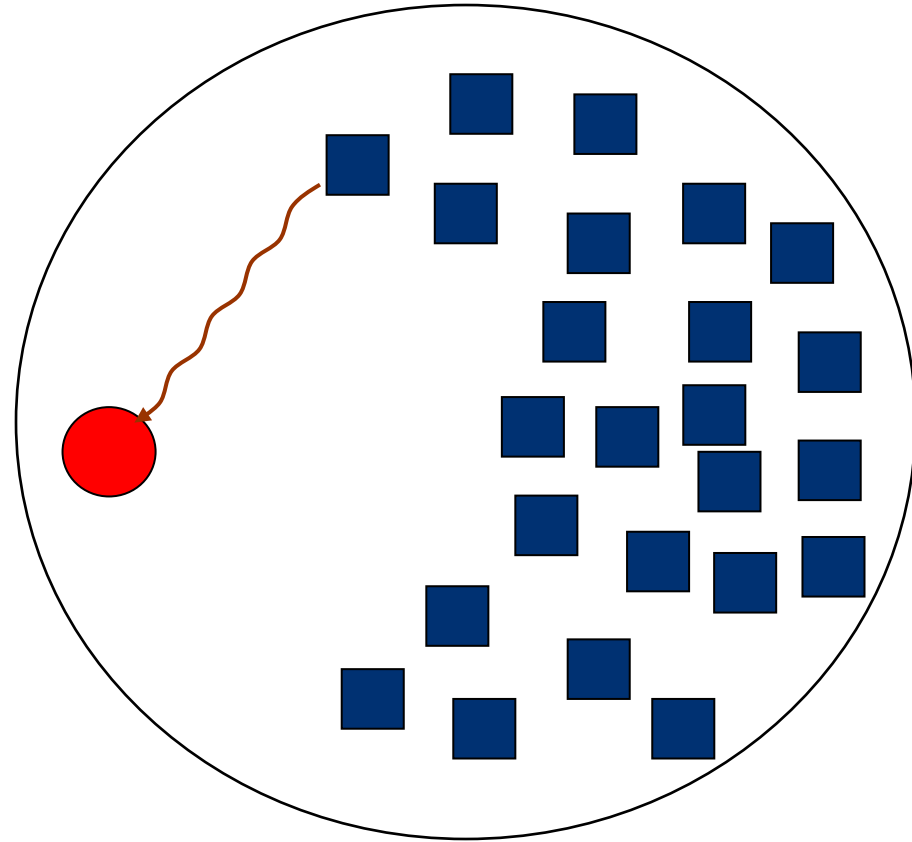
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- Single answer (Successful).



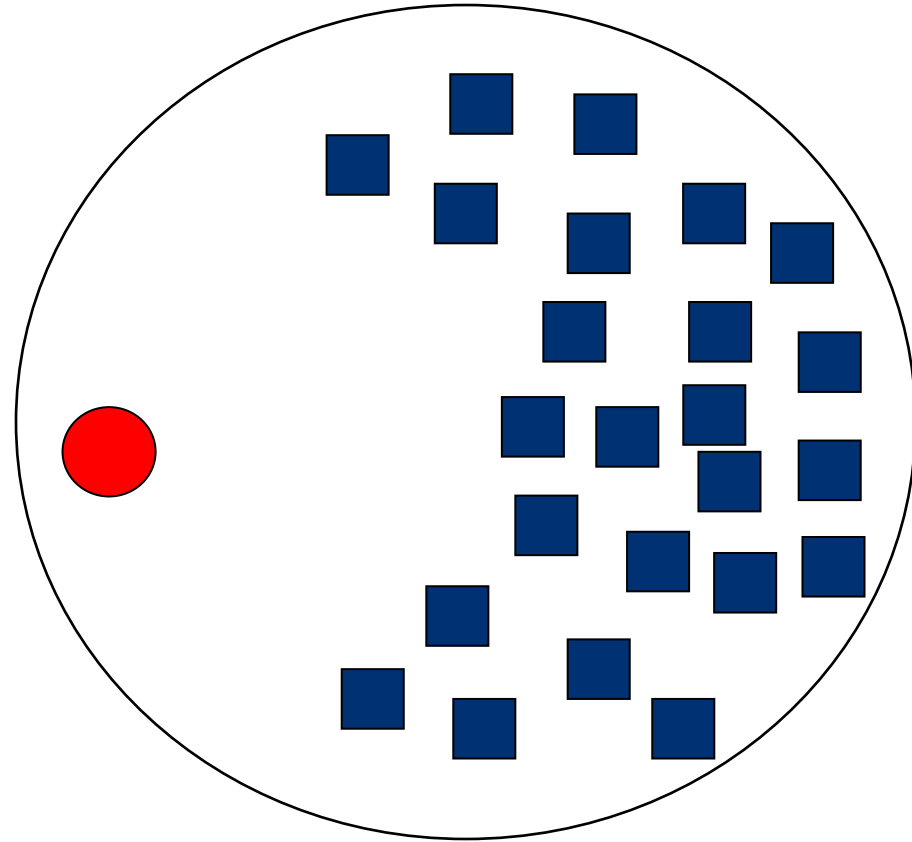
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■ Identification Process:

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- No answer.



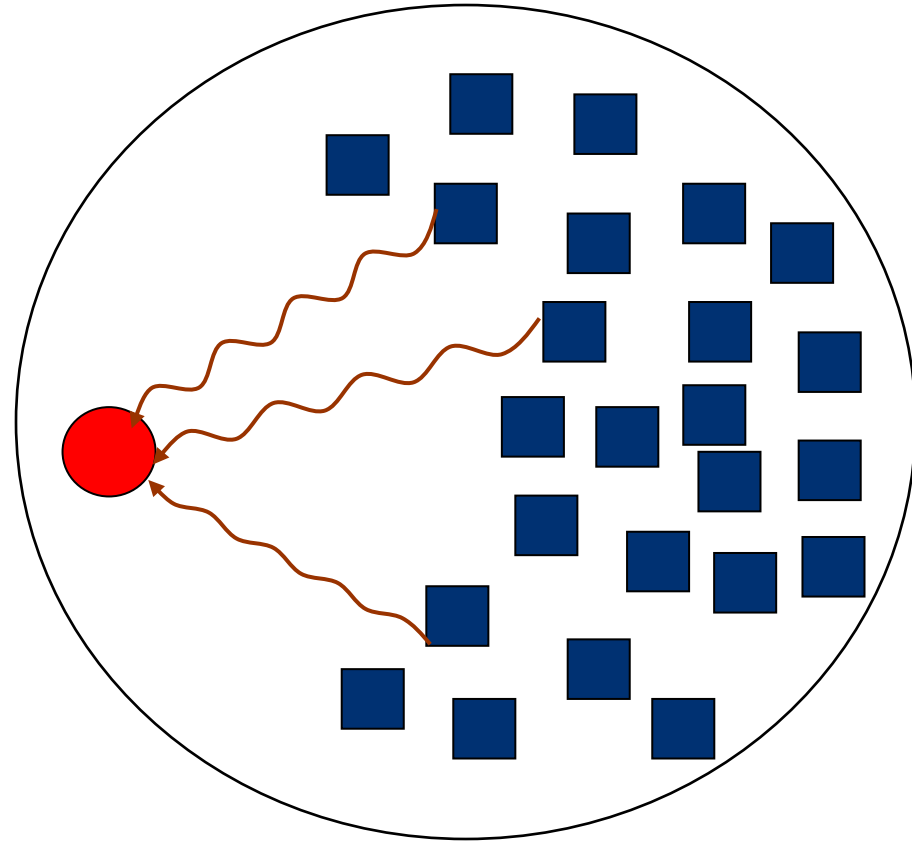
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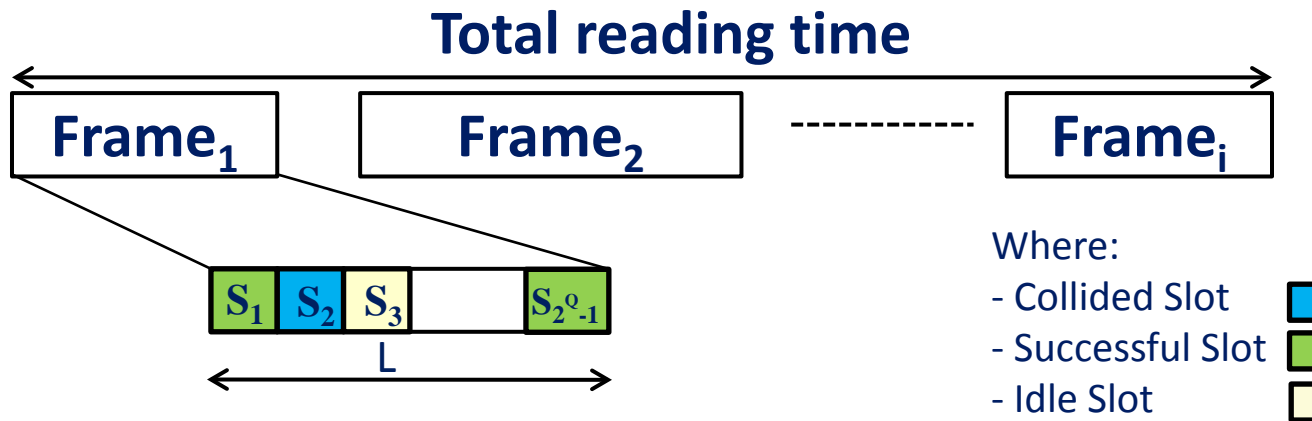
■ Identification Process:

- Reader asks the tags for their EPC code.
- Single answer (Successful).
- No answer.
- Multiple answers. (Collision)



➤ **What is the maximum achievable identification efficiency?**

Motivation



■ Dynamic Framed Slotted ALOHA:

- Time divided into multiple frames.
- Each frame has different length (number of slots).
- Reader has to inform the tags with the frame size (Q value).
- Each tag chooses only one random slot per frame.

■ Maximum reading efficiency:

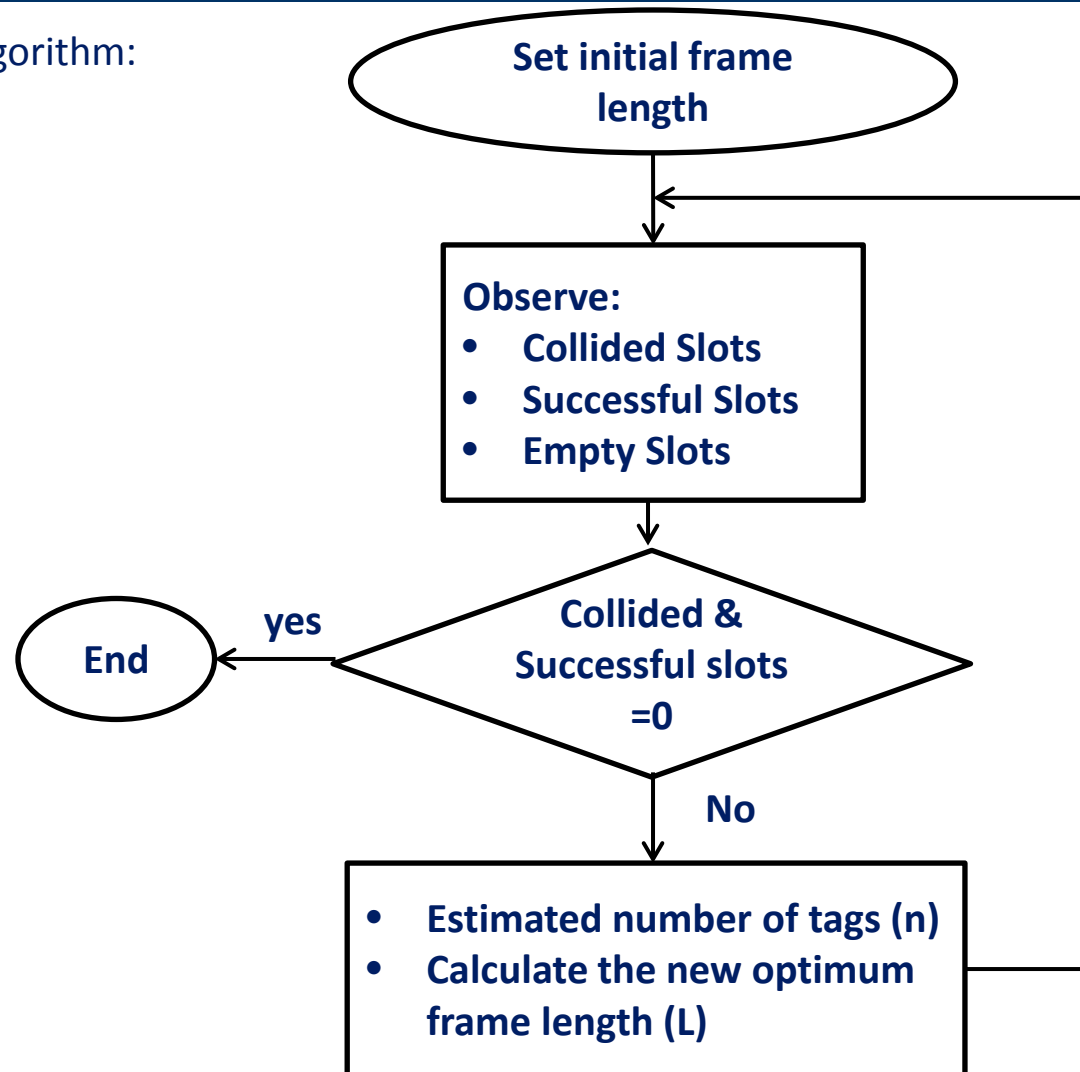
$$\eta_{\max} = 36\% \quad \text{if } L = n$$

Unknown number of tags
 $n=?$

Robust number of tags estimation

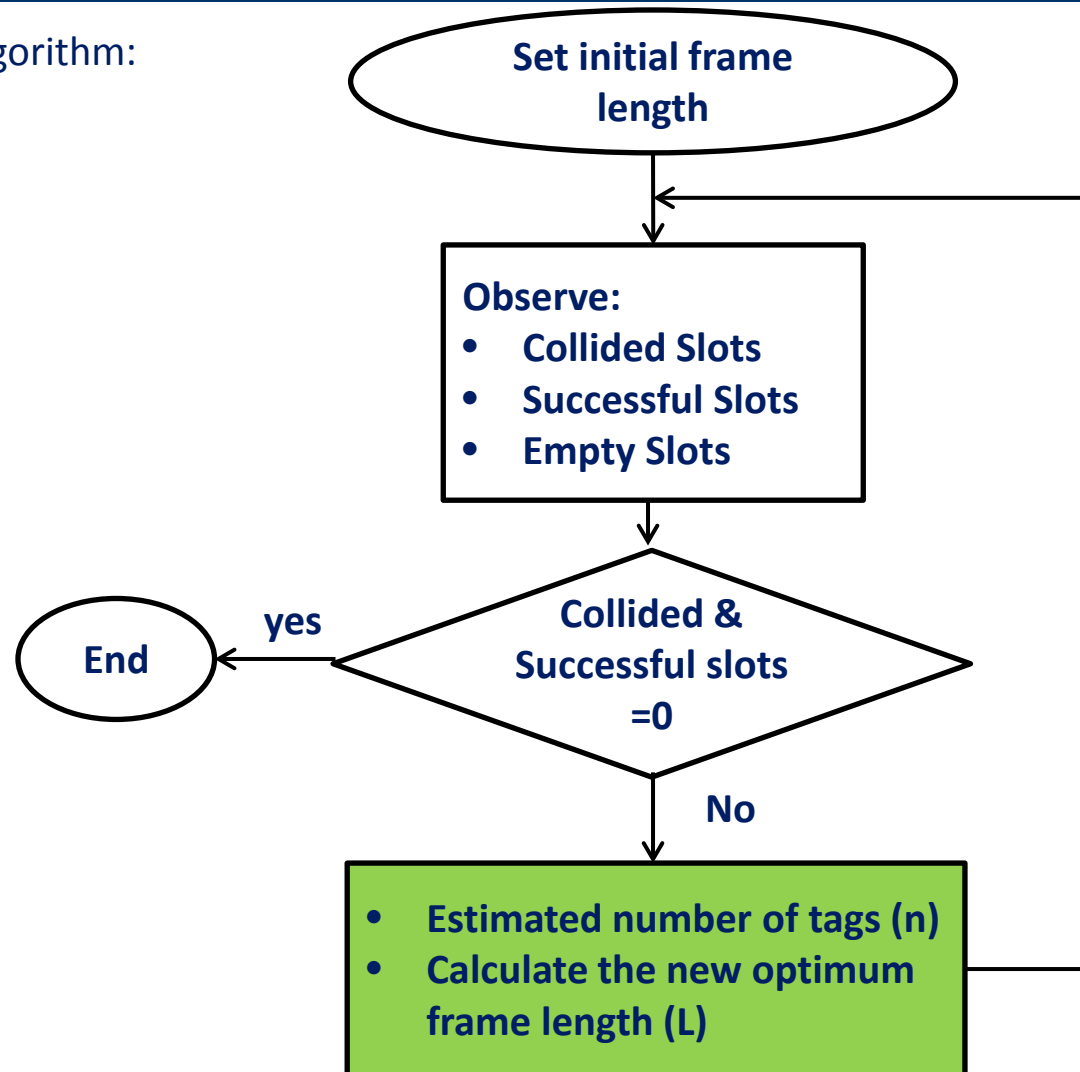
Motivation

■ Complete anti-collision algorithm:



Motivation

■ Complete anti-collision algorithm:



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Classical Tag Estimation Methods

■ Lower bound:

- Assumes two tags collided per collided slot (Lower bound of collision).

$$n_{est} = 2 \times \text{Number of collided slots}$$

■ Schoute:

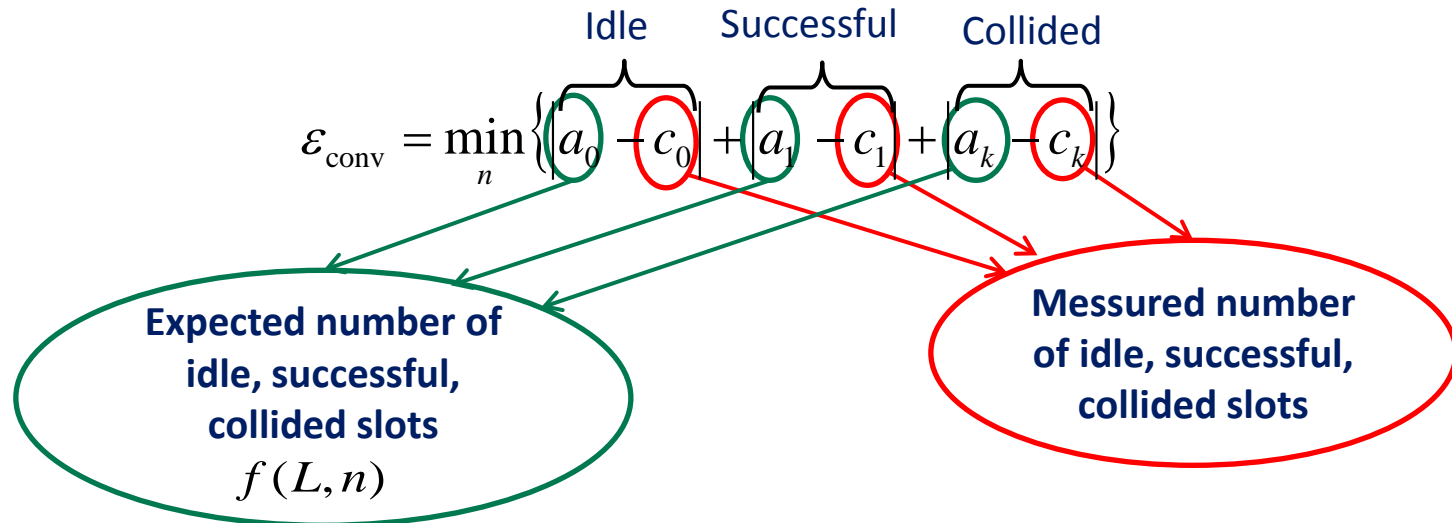
- Assumes Poisson distribution, then calculates the expected number of collisions per slot.

$$n_{est} = 2.39 \times \text{Number of collided slots}$$

→ Both these methods depends only on one information (number of collided slots)

Classical Tag Estimation Methods

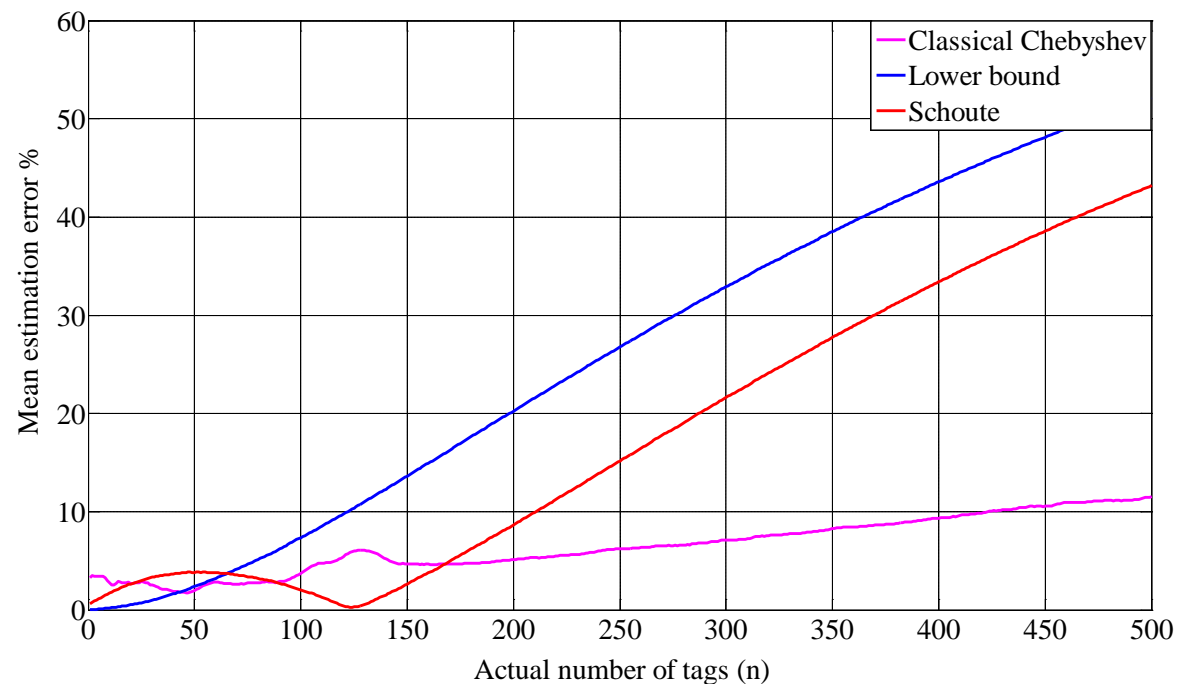
■ Classical Chebyshev Tag estimation methods



Classical Tag Estimation Methods

■ Estimation error for the classical tag estimation methods

- Frame length $L=128$.
- Classical Chebyshev is the most promising tag estimation method.
- The estimation error increase when the actual number of tags increases.



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Proposed Biased Chebyshev Tag Estimation

■ Classical Chebyshev Tag estimation :

$$\varepsilon_{\text{conv}} = \min_n \left\{ |a_0 - c_0| + |a_1 - c_1| + |a_k - c_k| \right\}$$

■ Numerical example:

- $|a_0 - c_0| = k \rightarrow \text{error} = k \text{ tags.}$
- $|a_1 - c_1| = k \rightarrow \text{error} = k \text{ tags.}$
- $|a_k - c_k| = k \rightarrow \text{error} \geq 2 * k \text{ tags. (depends on the existing number of tags).}$

■ Proposed biased Chebyshev Tag estimation:

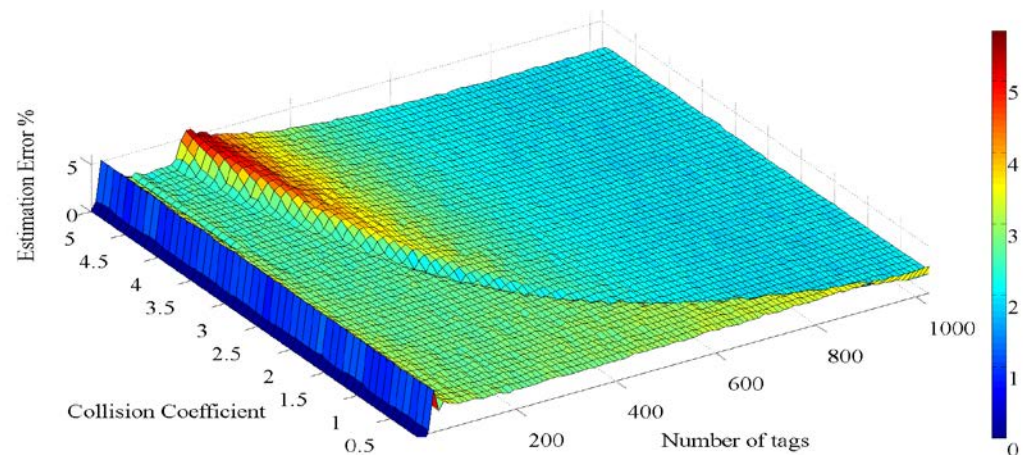
$$\varepsilon_{\text{Biased}} = \min_n \left\{ |a_0 - c_0| + |a_1 - c_1| + \gamma_c |a_k - c_k| \right\}$$

Collision
Coefficient

Proposed Biased Chebyshev Tag Estimation

■ Estimation error curve:

- Frame length $L=512$
- Number of tags $\gg L \rightarrow$ Number of collided slots is dominant.
- Number of tags $\ll L \rightarrow$ Number of collided slots is very small.
- $L/2 < \text{Number of tags} < 2L \rightarrow$ Variable collision coefficient (γ_c) for minimum estimation error.

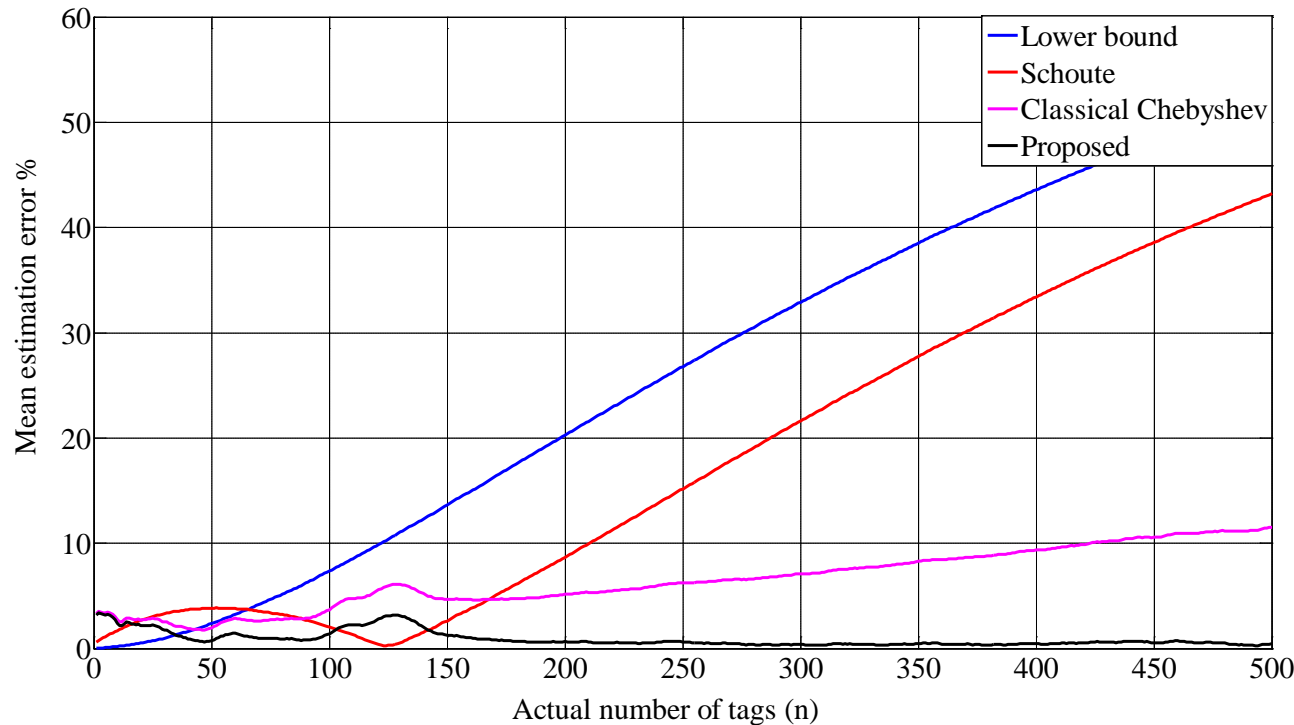


■ Using simulations the proposed collision coefficient equation:

$$\gamma_c(L, n) = (1.2 \times 10^{-4} n - 0.09) \cdot L + (0.0016 \times n + 8.36)$$

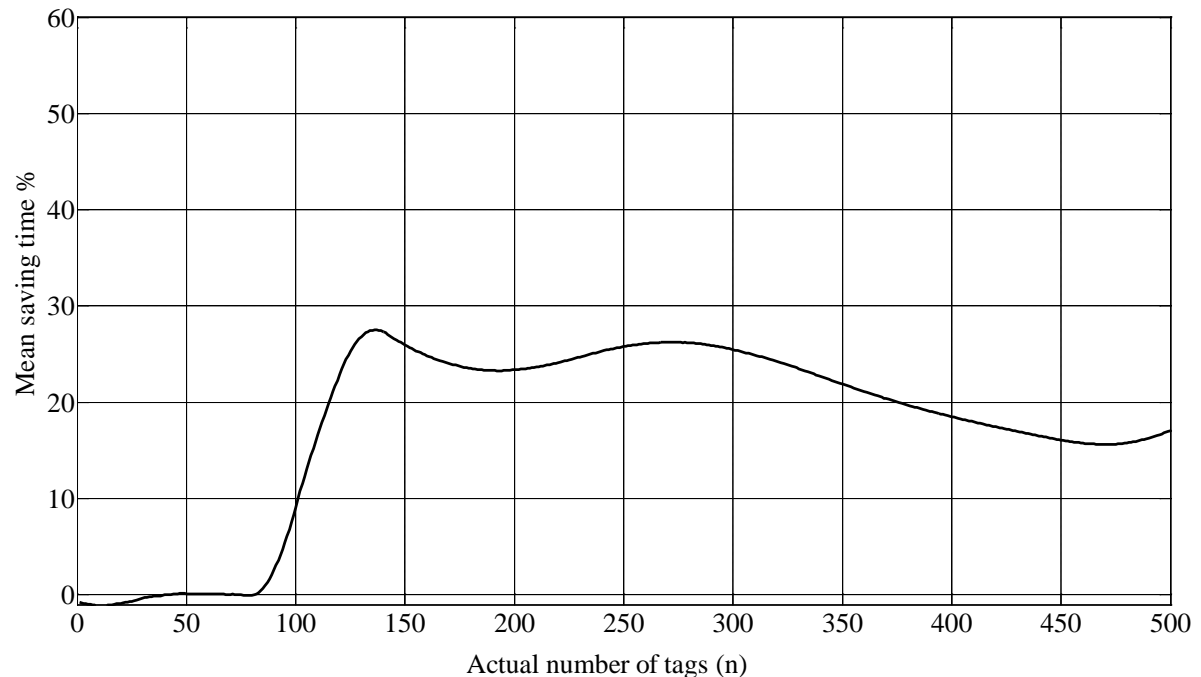
Proposed Biased Chebyshev Tag Estimation

- Estimation error for the proposed tag estimation compared to the classical methods:
 - Frame length $L=128$
 - The proposed collision coefficient compensates the increase of the mean estimation error with the increase of the number of tags.



Proposed Biased Chebyshev Tag Estimation

- Percentage of saving time using the proposed algorithm compared to the classical Chebyshev algorithm:
 - Starting frame length $L=128$
 - Oscillations in the curve are due to the frame length takes only discrete values 2^Q .
 - Negative value at with a tag populations less than 25 tags has a very small effect.



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Conclusion and future work

■ Conclusion

- A new biased Chebyshev inequality tag estimation method is proposed.
- The proposed method is compared with the classical tag estimation methods and gives better results with dense RFID networks.
- A new biased Chebyshev inequality anti-collision algorithm is presented.
- The new algorithm compared with the classical Chebyshev inequality anti-collision and the reading time is reduced by 25%.

■ Future work

- The successful and empty coefficients should be also calculated and added to the main estimation equation.
- Compare the new estimation performance with the current performance in terms of estimation error and saving time.



Thanks for your kind attention!



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