Table Driven Parsing algorithm

Lecture 9

Predictive Parsing

Assume that the grammar is LL(1)

Backtracking will never be needed

Always know which right hand side to choose (with one look-ahead)

- No Left Recursion
- Grammar is Left-Factored.

Step 1: From grammar, construct table.

Step 2: Use table to parse strings.

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$$S \rightarrow aT$$
 $T \rightarrow b \mid Sb$

Example of FIRST

S	\rightarrow	aT	
T	\rightarrow	b	Sb



$A \rightarrow \alpha$	FIRST (α)
S → aT	a
T → b Sb	b, a

Example of FOLLOW

$S \rightarrow$	aT		
$T \rightarrow$	b	Sb	



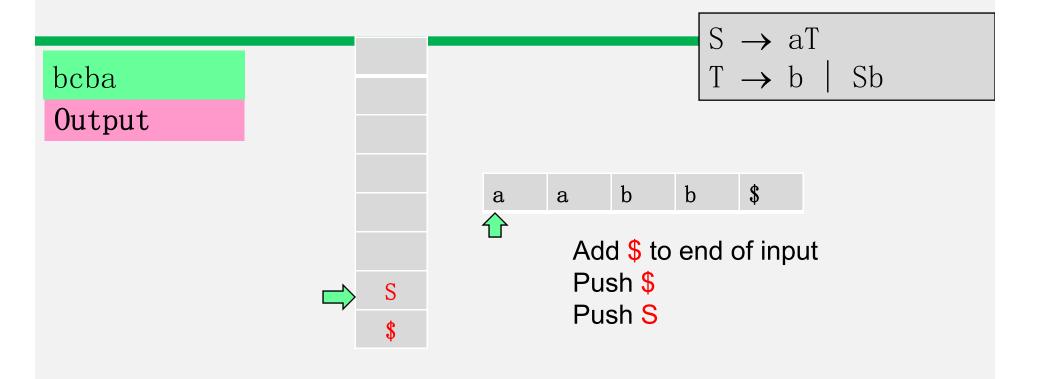
	$A \rightarrow \alpha$	$FIRST(\alpha)$	Follow(α)
>	$S \rightarrow aT$	a	b
	T → b Sb	b, a	b

Pre-computed Parsing Table

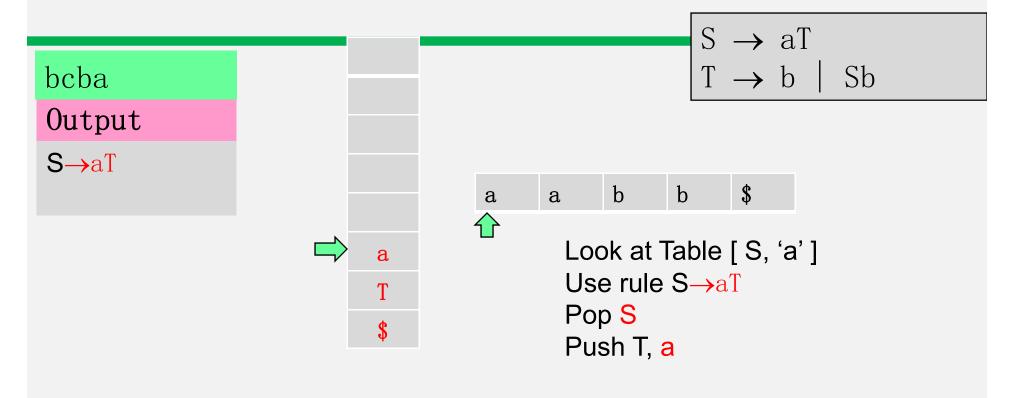
For each production $X \rightarrow \alpha$

- for each terminal t in First(α): put α in Table[X,t]
- if ε is in First(α) then:
 for each terminal t in Follow(X): put α in Table[X,t]

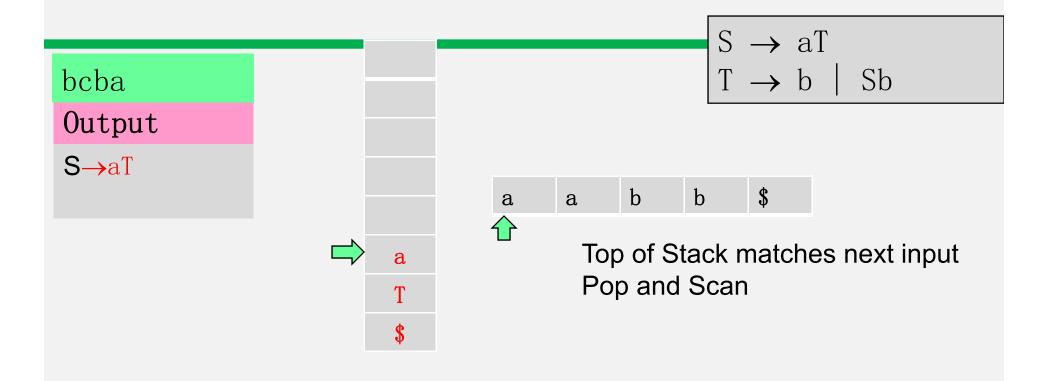
Non terminals	Input Symbols		
	a	b	\$
S	$S \rightarrow aT$		
T	T → Sb	$T \rightarrow b$	



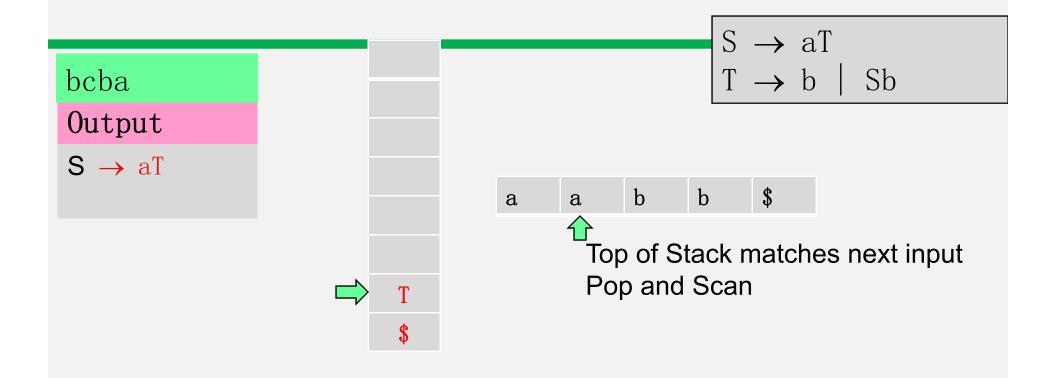
Non terminals	Input Symbols		
	а	b	\$
S	S → aT		
T	T → Sb	T → b	



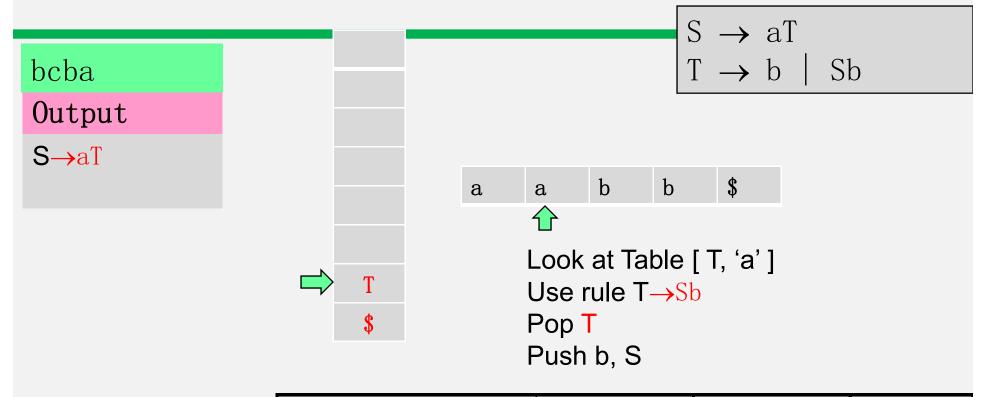
Non terminals	Input Symbols		
	а	b	\$
S	S → aT		
T	$T \rightarrow Sb$	$T \rightarrow b$	



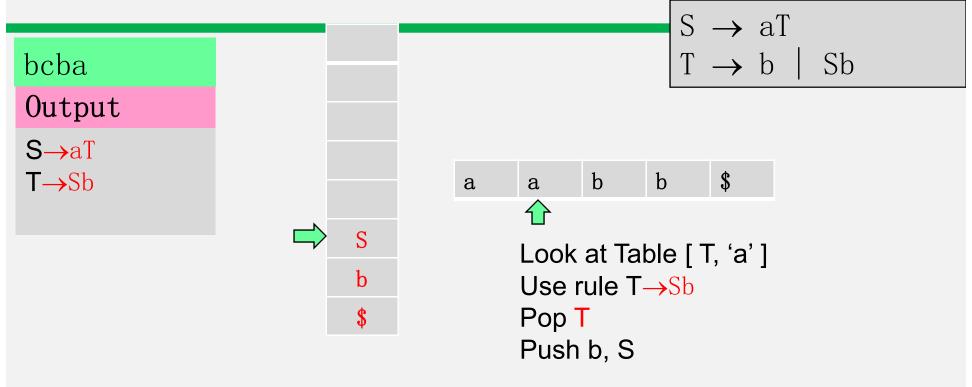
Non terminals	Input Symbols		
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S	S → aT		
T	$T \rightarrow Sb$	$T \rightarrow b$	



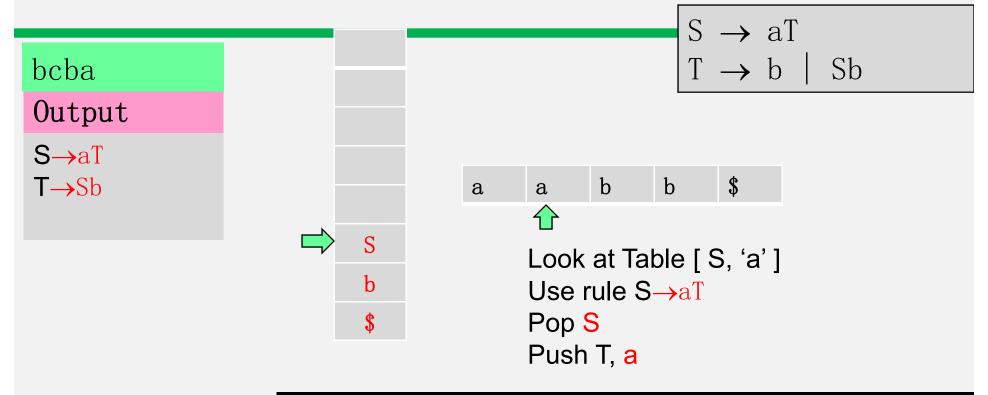
Non terminals	Input Symbols		
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S	S → aT		
T	T → Sb	T → b	



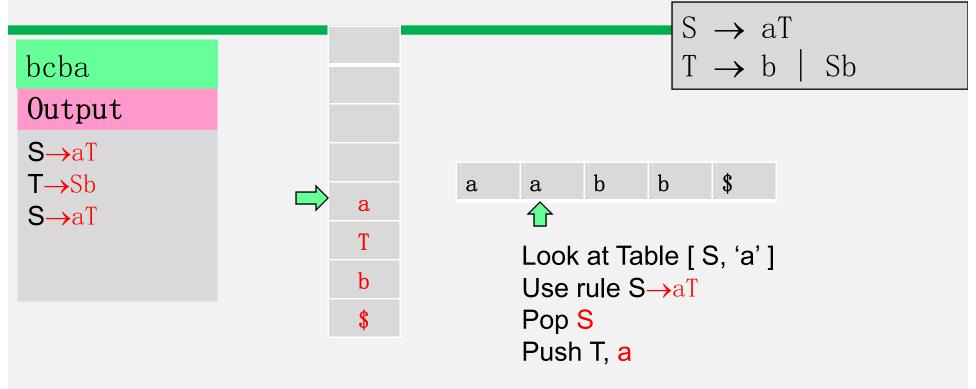
Non terminals	Input Symbols		
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S	S → aT		
T	$T \rightarrow Sb$	$T \rightarrow b$	



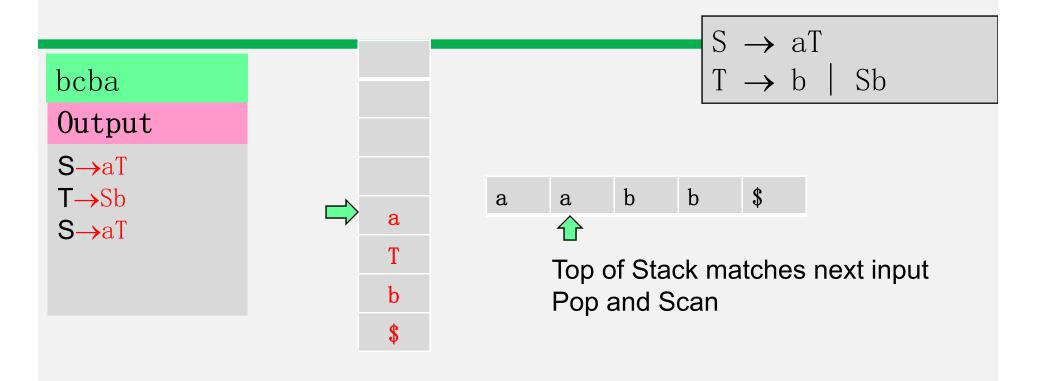
Non terminals	Input Symbols		
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T	T → Sb	T → b	



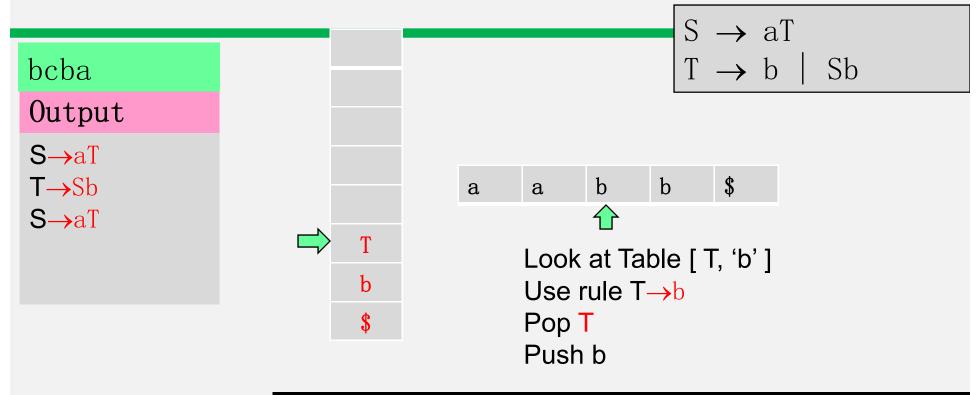
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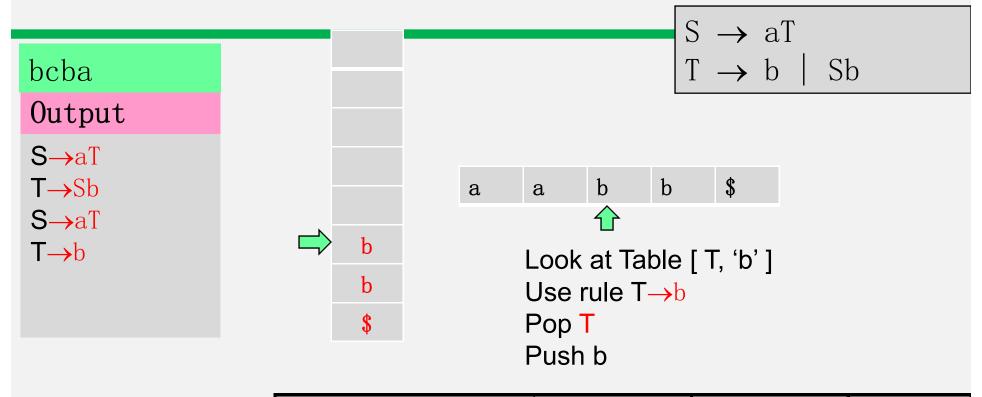
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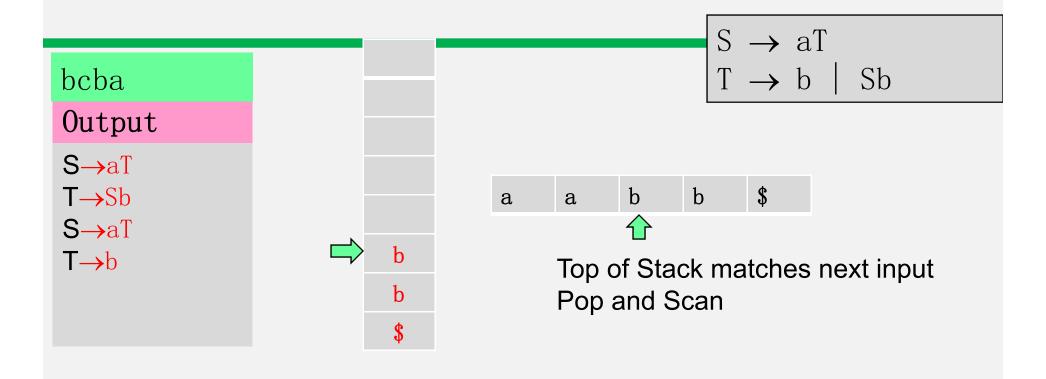
Non terminals	Input Symbols		
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S	S → aT		
Т	T → Sb	$T \rightarrow b$	



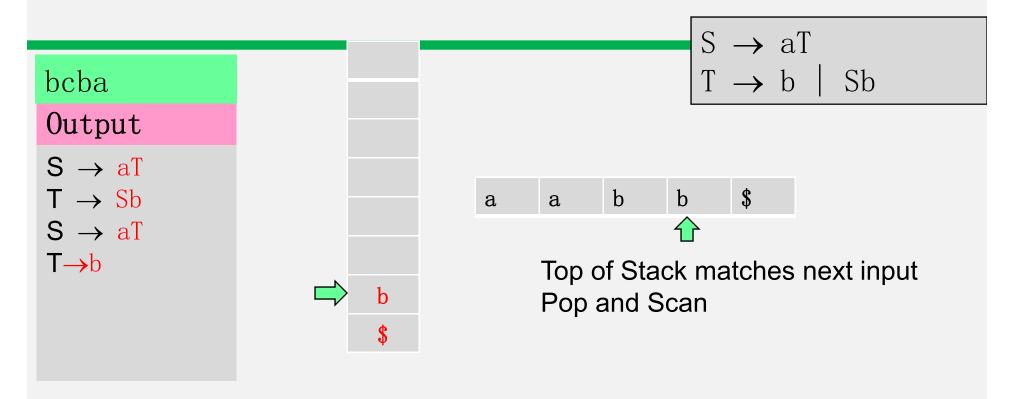
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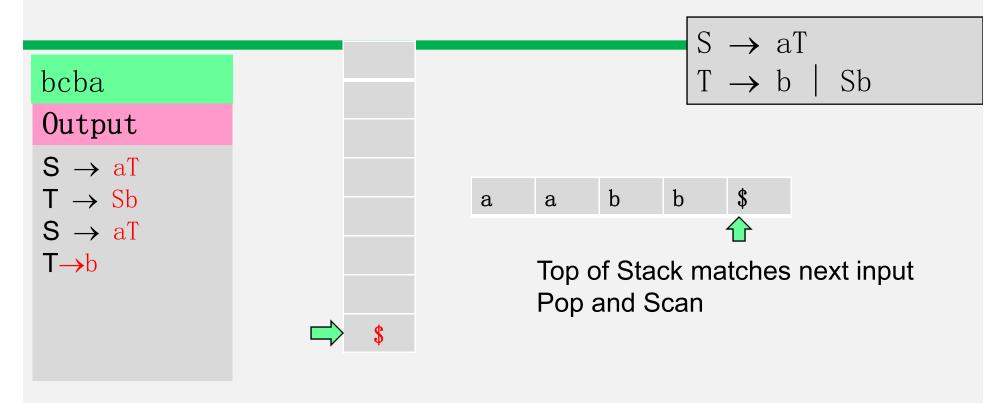
Non terminals	Input Symbols		
	а	b	\$
S	S → aT		
T	$T \rightarrow Sb$	$T \rightarrow b$	



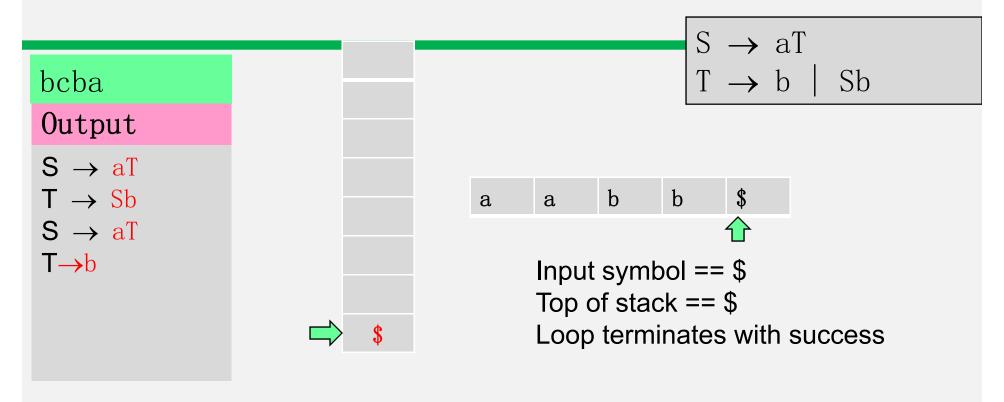
Non terminals	Input Symbols		
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Non terminals	Input Symbols		
	а	b	\$
S	S → aT		
T	T → Sb	T → b	



Non terminals	Input Symbols		
	а	b	\$
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Т	T → Sb	$T \rightarrow b$	



Non terminals	Input Symbols		
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Predictive Parsing

Assume that the grammar is LL(1)

Backtracking will never be needed

Always know which right hand side to choose (with one look-ahead)

- No Left Recursion
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$$S \rightarrow aAa | BAa | \varepsilon$$
 $A \rightarrow cA | bA | \varepsilon$
 $B \rightarrow b$

Example of FIRST

S	\rightarrow	aAa BAa ε
A	\rightarrow	$cA bA \epsilon$
В	\rightarrow	b



$A \rightarrow \alpha$	$FIRST(\alpha)$
S → aAa BAa ε	a,b, ε
$A \rightarrow cA bA \epsilon$	c, b, ε
$B \rightarrow b$	b

Example of FOLLOW

S	\rightarrow	aAa	BAa ε
A	\rightarrow	cA b	3 Ac
В	\rightarrow	b	



	$A \rightarrow \alpha$	$FIRST(\alpha)$	Follow(α)
	S → aAa BAa ε	a,b, ε	
>	$A \rightarrow cA bA \epsilon$	c, b, ε	a
	$B \rightarrow b$	b	

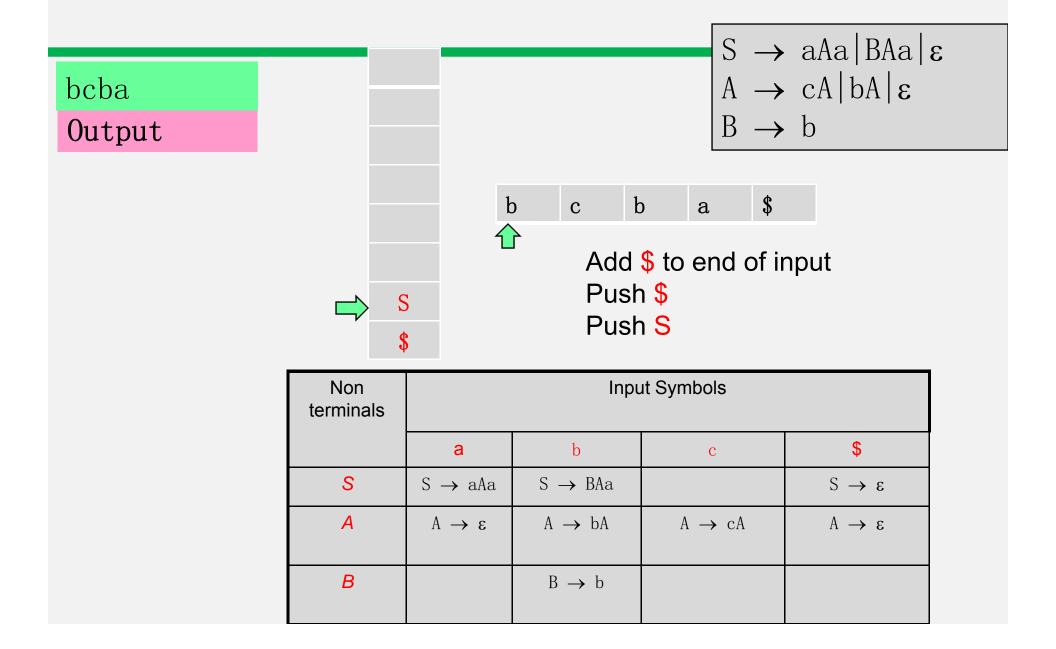
Pre-computed Parsing Table

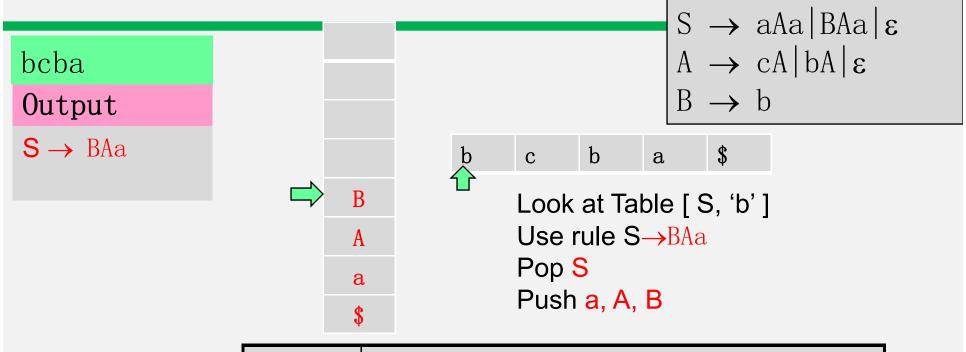
For each production $X \rightarrow \alpha$

- for each terminal t in First(α): put α in Table[X,t]
- if ε is in First(α) then:

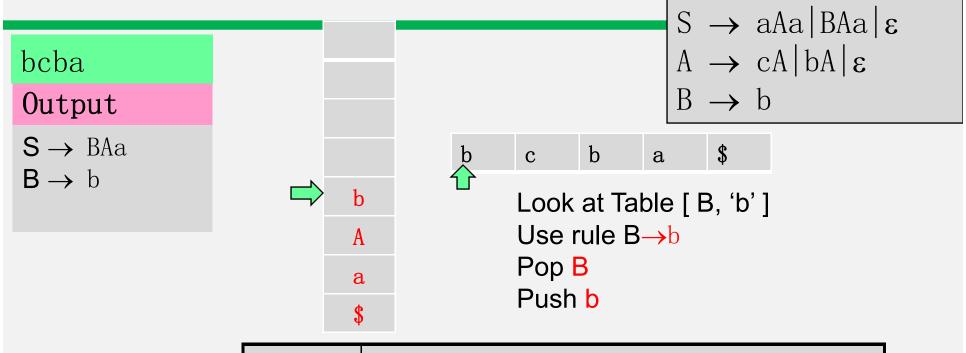
for each terminal t in Follow(X): put α in Table[X,t]

Non terminals	Input Symbols			
	а	b	С	\$
S	S → aAa	S → BAa		$S \rightarrow \epsilon$
Α	$A \rightarrow \epsilon$	A → bA	$A \rightarrow cA$	$A \rightarrow \epsilon$
В		B → b		

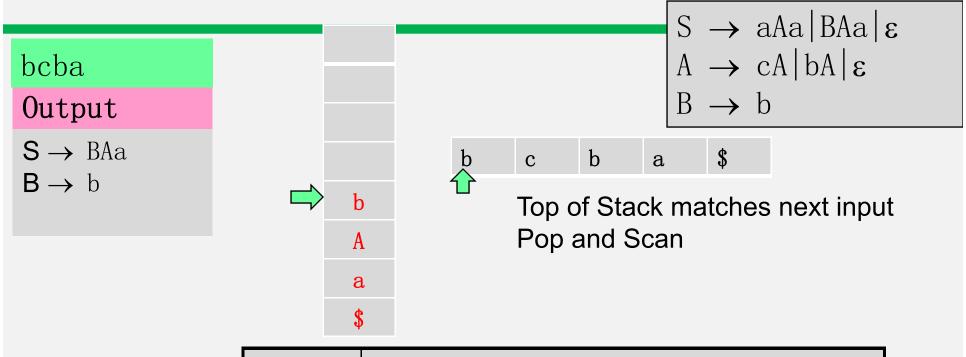




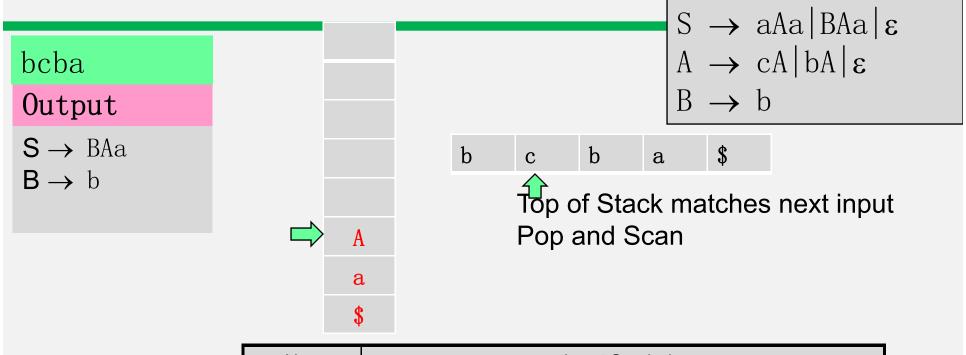
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	а	b	С	\$
S	S → aAa	S → BAa		$S \rightarrow \epsilon$
Α	$A \rightarrow \epsilon$	A → bA	$A \rightarrow cA$	$A \rightarrow \epsilon$
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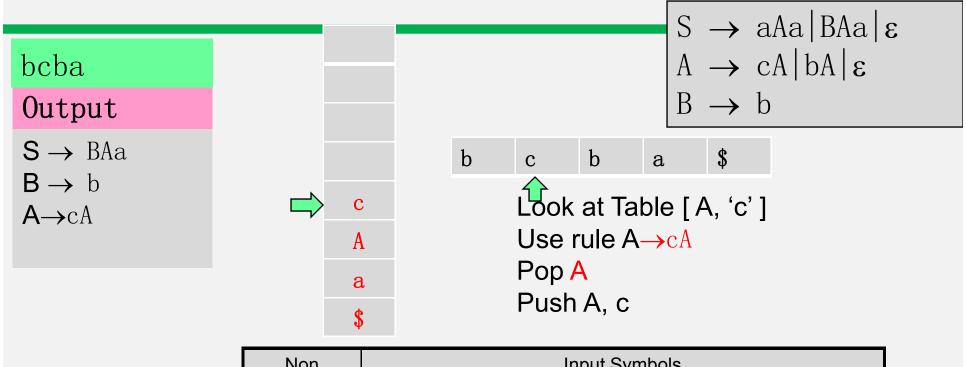
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S	S → aAa	S → BAa		$S \rightarrow \epsilon$
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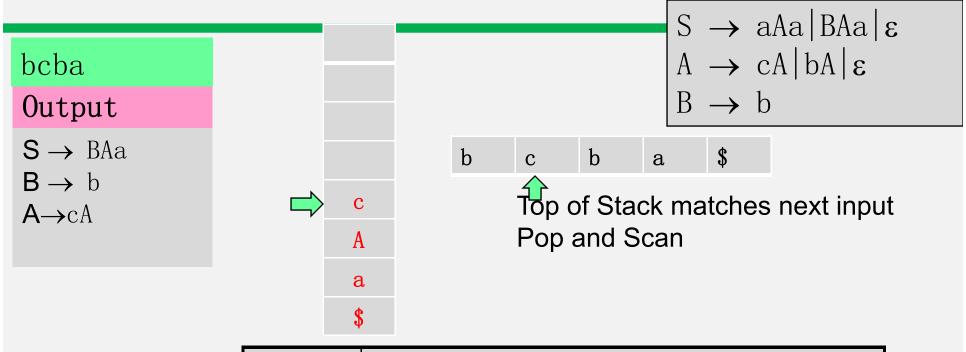
Non terminals	Input Symbols			
	а	b	С	\$
S	S → aAa	S → BAa		$S \rightarrow \epsilon$
Α	$A \to \epsilon$	A → bA	$A \rightarrow cA$	$A \rightarrow \epsilon$
В		$B \rightarrow b$		



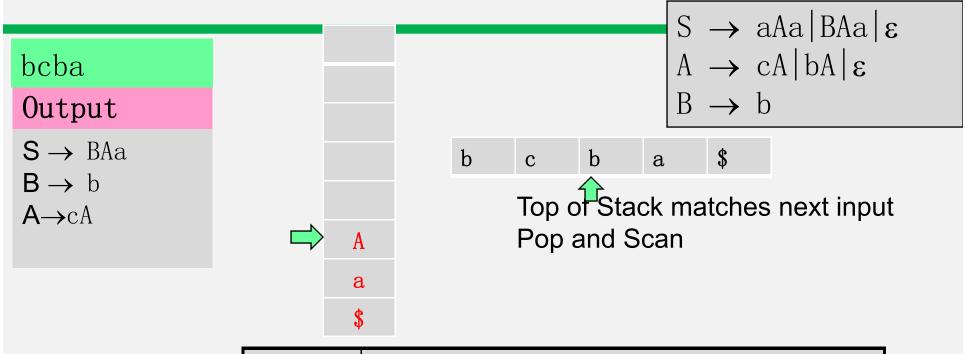
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	а	b	С	\$
S	S → aAa	S → BAa		$S \rightarrow \epsilon$
Α	$A \rightarrow \epsilon$	A → bA	$A \rightarrow cA$	$A \rightarrow \epsilon$
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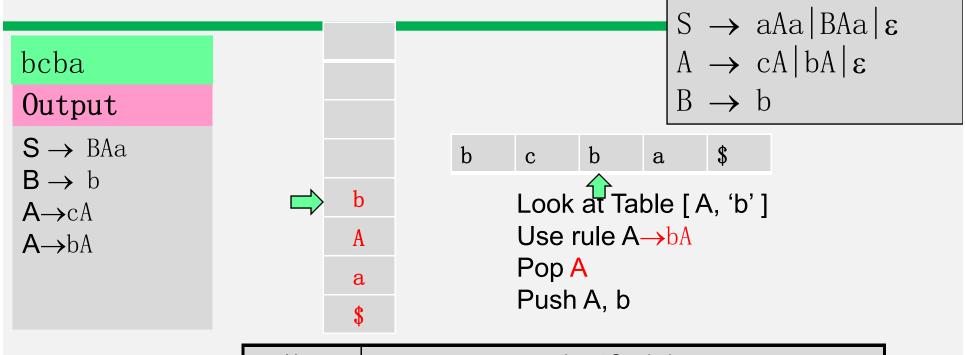
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	а	b	С	\$
S	S → aAa	S → BAa		$S \rightarrow \epsilon$
Α	$A \rightarrow \epsilon$	A → bA	$A \rightarrow cA$	$A \rightarrow \epsilon$
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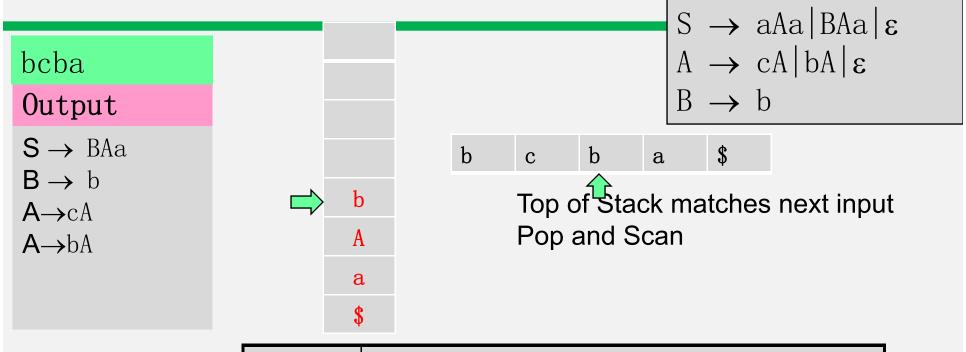
Non terminals	Input Symbols			
	а	b	С	\$
S	S → aAa	S → BAa		$S \rightarrow \epsilon$
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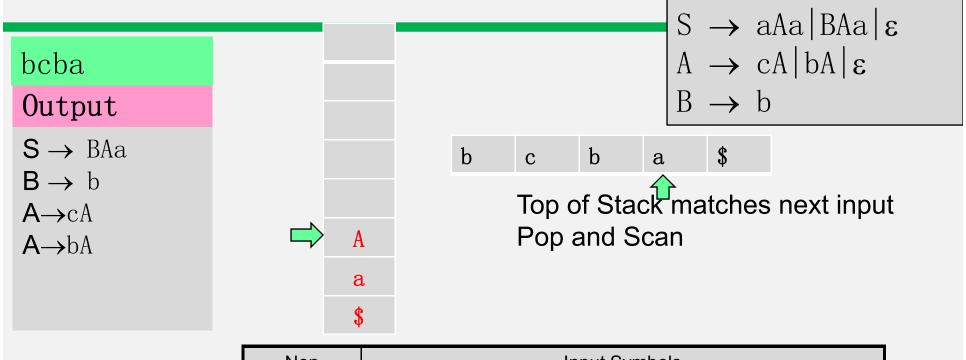
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	а	b	С	\$
S	S → aAa	S → BAa		$S \rightarrow \epsilon$
Α	$A \to \epsilon$	A → bA	$A \rightarrow cA$	$A \rightarrow \epsilon$
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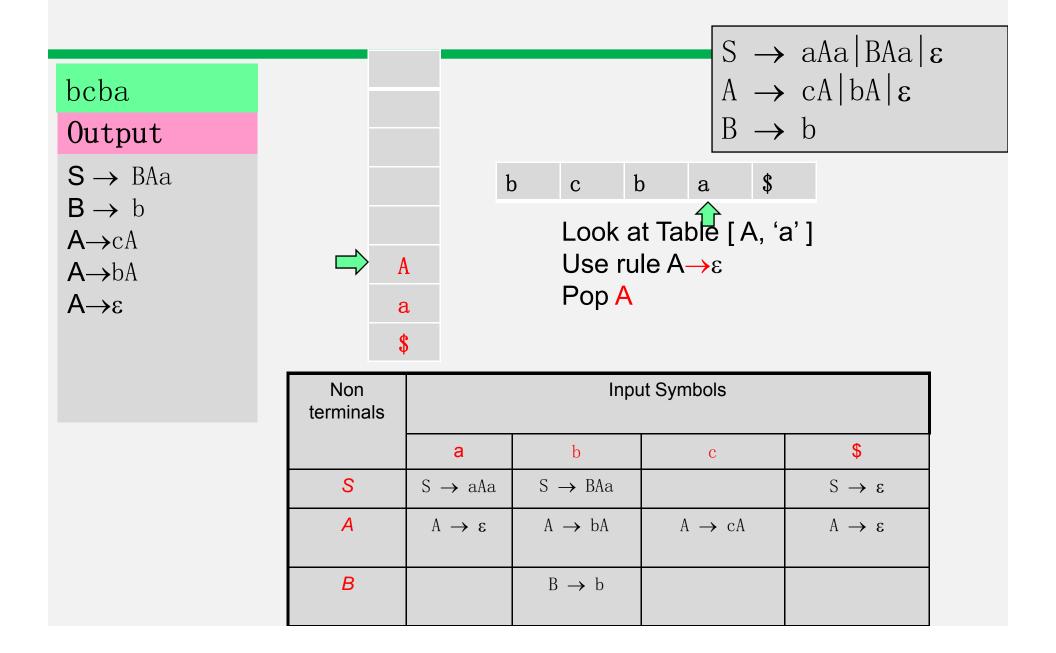
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	а	b	С	\$
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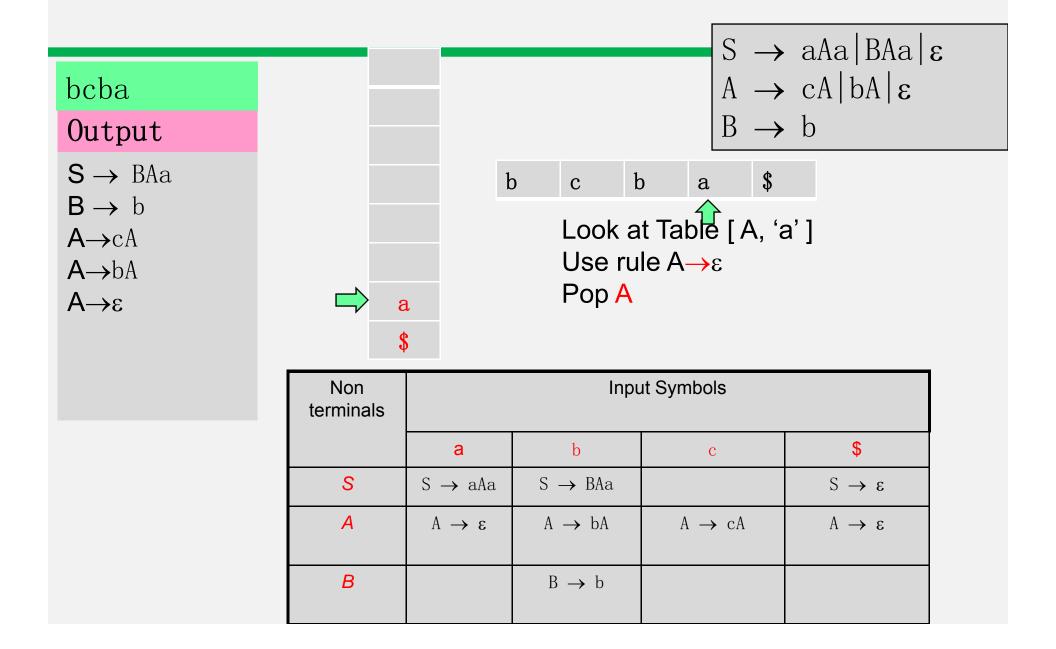


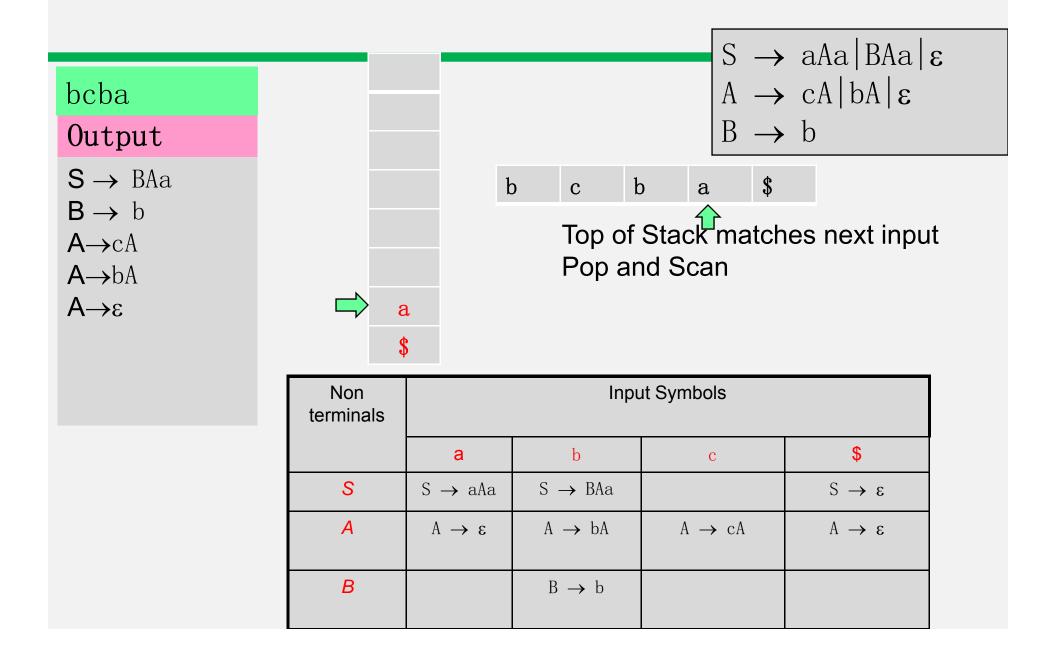
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S	S → aAa	S → BAa		$S \rightarrow \epsilon$
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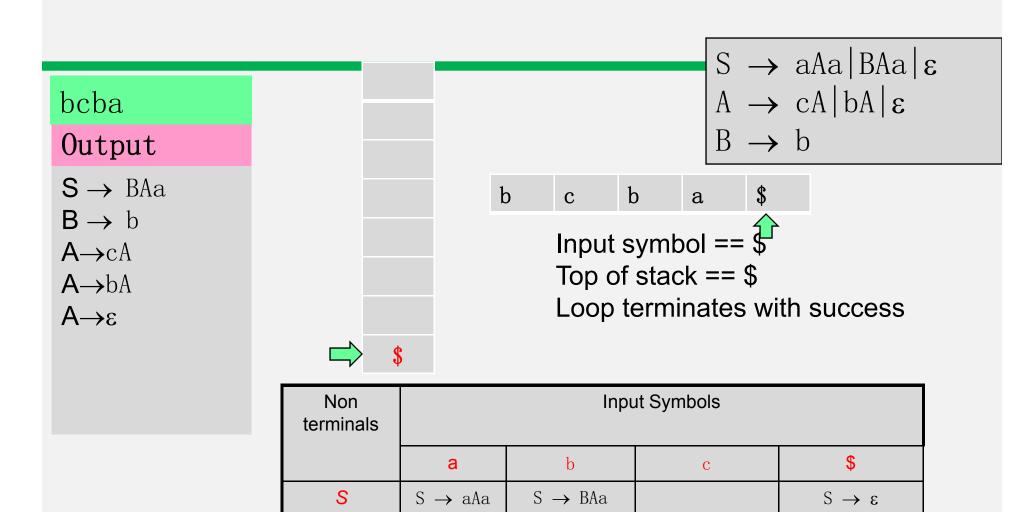


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Α	$A \rightarrow \epsilon$	A → bA	$A \rightarrow cA$	$A \rightarrow \epsilon$
В		$B \rightarrow b$		









 $A \rightarrow bA$

 $B \rightarrow b$

 $A \rightarrow cA$

 $A \rightarrow \epsilon$

A

B

 $A \rightarrow \epsilon$

Construct Parse Tree for the following

$$S \rightarrow ABC$$

$$A \rightarrow aA \mid \varepsilon$$

$$B \rightarrow cB \mid bB \mid \varepsilon$$

$$C \rightarrow d$$

$$S \rightarrow ABC$$

$$A \rightarrow aA \mid \varepsilon$$

$$B \rightarrow cB \mid bB \mid \varepsilon$$

$$C \rightarrow d$$



$A \rightarrow \alpha$	FIRST(α)
$S \rightarrow ABC$	a,b,c,d, ε
$A \rightarrow aA \epsilon$	a, ε
$B \rightarrow cB bB \epsilon$	c,b, ε
$C \rightarrow d$	d

$$S \rightarrow ABC$$
 $A \rightarrow aA \mid \varepsilon$
 $B \rightarrow cB \mid bB \mid \varepsilon$
 $C \rightarrow d$



$A \rightarrow \alpha$	FIRST (α)	Follow(α)	
$S \rightarrow ABC$	a, b, c, d		
$A \rightarrow aA \epsilon$	a, ε	c,b,d	
$B \rightarrow cB bB \epsilon$	c,b, ε	d	
$C \rightarrow d$	d	_	

$$S \rightarrow ABC$$
 $A \rightarrow aA \mid \varepsilon$
 $B \rightarrow cB \mid bB \mid \varepsilon$
 $C \rightarrow d$



Non terminals	Input Symbols					
	а	b	С	d	\$	
S	$S \rightarrow ABC$	$S \rightarrow ABC$	$S \rightarrow ABC$	$S \rightarrow ABC$		
Α	$A \rightarrow aA$	$A \rightarrow \epsilon$	$A \rightarrow \epsilon$	$A \rightarrow \epsilon$	$A \rightarrow \epsilon$	
В		$B \rightarrow bB$	$B \rightarrow cB$	$B \rightarrow \epsilon$	$B \to \epsilon$	
С				$C \rightarrow d$		

Thank You