```
% Generates the probability of a detected state (Y, X, W, Z) using the theory
% designed by Kieran. The required state, mode occupancy and relative phase
% between the two branches define this probability.
%% Function
function c = cyxwz(y,w,x,z,lambda,phi,phys,Y bias,X bias)
          % phi minus ignored, phi = phim + phip
          T = y + w;
          % T = total number of pairs.
          if phys =='Q'
                     % Term outside the sums.
                     external = (1-lambda.^2).*(lambda./2).^T*sqrt(factorial(y)*factorial(z)\(\v'\)
*factorial(w) *factorial(x));
                     psi = 0;
                     % Sum through k:
                     for k = 0:T
                                  [1,n] = meshgrid(max(k-y,0):min(k,w),max(k-x,0):min(k,z));
                                 comp phase = 1i.^{(w+z+2.*k-2.*l-2.*n)}.*exp(-1i.*(phi).*k);
                                 chooses = bincof(T-k,w-1).*(bincof(T-k,z-n)).*bincof(k,l).*bincof(k,n);
                                 epsilon = comp phase.*chooses;
                                 psi = psi + sum(sum(epsilon))./(factorial(T-k).*factorial(k));
                     end
                      % Return the norm square of the coefficient c, to give the probability
                      % of the state:
                     c = abs(external.*psi).^2;
          else
                     % Classical probability calculation.
                     p = (lambda^{(2*T)}) * (1-lambda^{2})^{2} * (T+1) * (Y bias^{y}) * (1-Y bias)^{(T-y)} * (X bias^{x}) * (T-y) * (T
*(1-X \text{ bias})^{(T-x)}*bincof(T,y)*bincof(T,x);
                      c = p;
          end
end
```