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Signals and Systems

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MATLAB Project #1

1.

- a. *See Matlab code for part a*
- b. The length of the stem signal is $L = 40$, as given in array n .
From our graph, we can see the fundamental period = 10.
- c. The axis command fixes the x-axis and y-axis limits for the given axes.
- d. 2 types of grid command:
grid on displays grid lines for specified axes.
grid off removes grid lines and plots the output figure
- e. Plot joins neighboring points with one another, but stem plots discrete functions (i.e. without joining the coordinates)
- f.

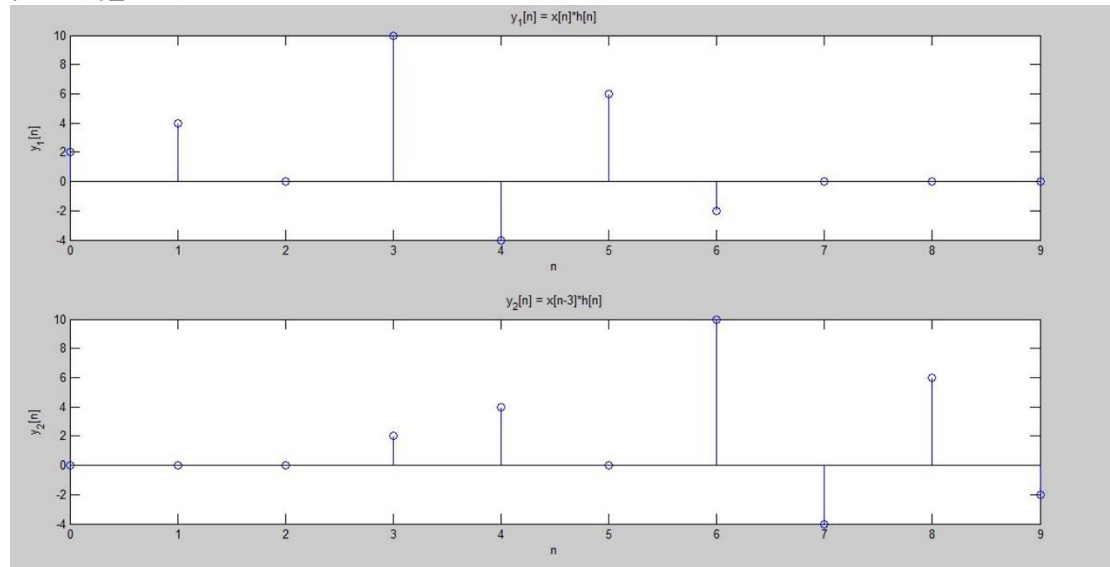
```
n = 0:50;
omega = 0.4*2*pi;
phase_offset = -pi/2;
A = 2.5;
xn = A*cos(omega*n + phase_offset);
stem(n,xn)
axis([0 40 -2.5 2.5]);
grid;
title("Discrete Time Sinusoid");
xlabel("Time index n");
ylabel("x(n)");
```

2.

- a.

```
x = [1 2 -1 3 -1 0 0 0];
xm3 = [zeros(1,3) x(1:5)];
h = [2 0 2];
y1 = conv(x,h);
y2 = conv(xm3,h);
n = 0:9;
subplot(2,1,1);
stem(n,y1);
title('y_1[n] = x[n]*h[n]');
xlabel('n')
ylabel('y_1[n]');
subplot(2,1,2);
stem(n,y2);
title('y_2[n] = x[n-3]*h[n]');
xlabel('n')
```

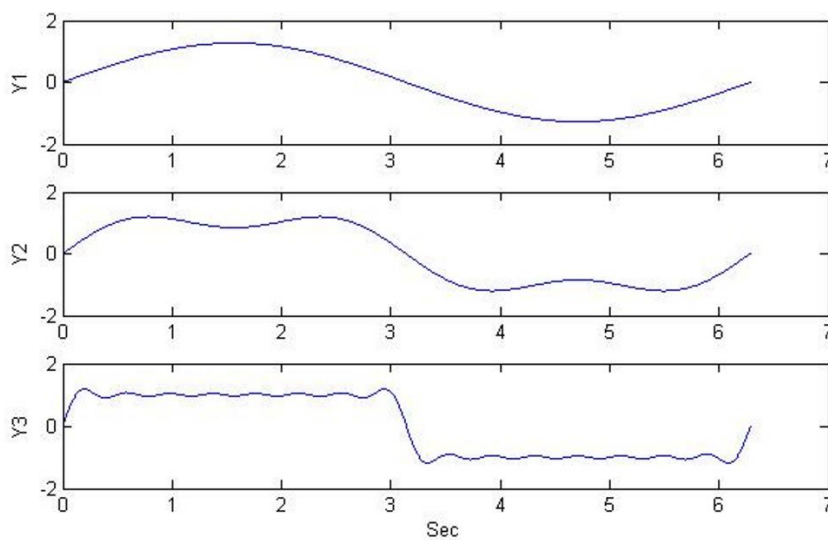
ylabel('y_2[n]');



- b. I would guess that the system is time invariant because shifting the input by 3 units in time has shifted the same output by 3 units, hence no change in output characteristics.

3.

```
t=[0:2*pi/1000:2*pi];
y1=((4/pi)*sin(t));
subplot(3,1,1)
plot(t,y1)
y2=(4/pi)*(sin(t)+(sin(3*t)/3));
subplot(3,1,2)
plot(t,y2)
y3=(4/pi)*(sin(t)+(sin(3*t)/3)+(sin(5*t)/5)+(sin(7*t)/7)+(sin(9*t)/9)+(sin(11*t)/11)+(sin(13*t)/13)
+(sin(15*t)/15));
subplot(3,1,3)
plot(t,y3)
```



```

4. n=-8:1:8; % Defining values of n
ns=8;
% Calculation of Delta functions
dn=[zeros(1,ns),1,zeros(1,ns)]; % Calculation of Delta(n)
dn1=[zeros(1,ns+1),1,zeros(1,ns-1)]; % Calculation of Delta(n-1)
dn2=[zeros(1,ns+2),1,zeros(1,ns-2)]; % Calculation of Delta(n-2)
dn3=[zeros(1,ns+3),1,zeros(1,ns-3)]; % Calculation of Delta(n-3)
h1n=dn+dn1-dn2-dn3; % Calculation of function H1(n)

% Plot of H1(n)
subplot(3,1,1);
stem(n,h1n,'r');
xlabel('Time');
ylabel('Amplitude');
title('Impulse response of discrete time system H1');

% Calculation of Step functions
un=[zeros(1,ns),ones(1,ns+1)]; % Calculation of function u(n)
un3p=[zeros(1,ns-3),ones(1,ns+4)]; % Calculation of function u(n+3)
un3n=[zeros(1,ns+3),ones(1,ns-2)]; % Calculation of function u(n-3)
un6n=[zeros(1,ns+6),ones(1,ns-5)]; % Calculation of function u(n-6)
h2n=((1/2).^n).*(un3p-un3n); % Calculation of function H2(n)
xn = ((1/4).^n).*(un-un6n); % Calculation of function X(n)

% Plot of H2(n)
subplot(3,1,2);
stem(n,h2n,'r');
xlabel('Time');
ylabel('Amplitude');
title('Impulse response of discrete time system H2');

% Plot of X(n)
subplot(3,1,3);
stem(n,xn,'r');
xlabel('Time');
ylabel('Amplitude');
title('Discrete time signal X');

% Program for question(B)
n1v=-8;
n2v=-8;
vnfw=conv(xn,h1n); % Convolution of X(n) and H1(n) = V(n) in forward direction
lv=length(vnfw);
lv1=(n1v+n2v):(n1v+n2v)+lv-1;
figure(2);
subplot(2,1,1)
stem(lv1,vnfw);
xlabel('Time');

```

```

ylabel('Amplitude');
title('Convolution of  $x(n)*H_1(n) = v(n)$ ');
n1y=n1v+n2v;
n2y=-8;
ynfw=conv(vnfw,h2n); % Convolution of  $V(n)$  and  $H_2(n) = Y(n)$  in forward direction
ly=length(ynfw);
ly1=(n1y+n2y):((n1y+n2y)+ly-1);
subplot(2,1,2)
stem(ly1,ynfw);
xlabel('Time');
ylabel('Amplitude');
title('Convolution of  $v(n)*H_2(n) = y(n)$ ');

% Program for question(C)
vnbw=conv(xn,h2n); % Convolution of  $X(n)$  and  $H_2(n) = V(n)$  in backward direction
lv=length(vnbw);
lv1=(n1v+n2v):((n1v+n2v)+lv-1);
figure(3);
subplot(2,1,1)
stem(lv1,vnbw,'g');
xlabel('Time');
ylabel('Amplitude');
title('Convolution of  $x(n)*H_2(n) = v(n)$ ');
n1y=n1v+n2v;
n2y=-8;
ynbw=conv(vnbw,h1n); % Convolution of  $V(n)$  and  $H_1(n) = Y(n)$  in backward direction
ly=length(ynbw);
ly1=(n1y+n2y):((n1y+n2y)+ly-1);
subplot(2,1,2)
stem(ly1,ynbw,'g');
xlabel('Time');
ylabel('Amplitude');
title('Convolution of  $v(n)*H_1(n) = y(n)$ ');

```

