

1. Discuss adding ++ and -- operators to Clite. Assume they are allowed only as free standing statements.

(a) Discuss the changes required to the type checker and type transformer

Adding ++ and -- involves modifying the type checker to recognize ++ as increment or decrement ($i = i + 1$ or $i = i - 1$) as a binary expression that maps and alters i 's state in the hashmap every time it's involved. The type transformer would need to be modified to recognize a in/decrementing statement according to whether or not i was an int or float. int values in a float context would need to be coerced accordingly.

(b) An in/decrement can be defined for the prefix or suffix of an assignment identifier, i.e. ++i, i++, --i, i--. Apply a binary expression evaluation that assigns a provided identifier ± 1 or -1 .

(c) Assignment applyInc (Variable v)

* evaluate v

* add 1 to v

* return assignment w/ new value (+1)

Value localExpr = new IntValue (v.intValue() + 1);

return new Assignment (v, localExpr);

Assignment applyDec (Variable v)

* eval v

* sub 1 to v

* return assignment w/ new value (-1)

Value localExpr = new IntValue (v.intValue() - 1);

return new Assignment (v, localExpr);

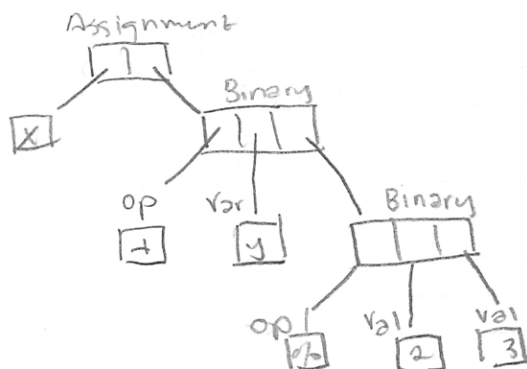
(d) Having to adjust definitions of the type transformer and static type checker on top of conflating the meaning of an expression can be solved by using assignment statements explicitly $i = i + 1$, $i = i - 1$.

4. Add the operator % to Clite

(a) we can add the % operator by adding '%' to the concrete syntax of Clite. ModOp $\rightarrow * / \%$

An example of an abstract syntax tree for % might look like

$x = y + 2 \% 3$



add to Token.java

```
public static final Token modTok = new
    (Token(TokenType.Module, "%"))
```

add to TokenType.java

```
{ ... Minus, Multiply, Module, ... }
```

add to Lexer.java

```
public Token next()
```

```
... case '%':
```

```
    ch = nextChar();
```

```
    return Token, modTok;
```

8. void main() {

int i, z;

i = 5;

z = 2;

z = 1;

while (i > 0) {

if (i - 1 / 2 * 2 == 1) ✓ ✗

z = z * 2, z = 2, 2

i = i / 2, i = 2, 1

z = z * 2, z = 4, 16

}

}

- i

*

Step	Before statement	Variables		
		i	z	Z
1	3	undef	undef	undef
2	4	5	undef	undef
3	5	5	2	undef
4	6	5	2	1
5	7	5	2	1
6	8	5	2	1
7	9	5	2	2
8	10	2	2	2
9	6	2	4	2
10	7	2	4	2
11	8	2	4	2
12	9	2	4	2
13	10	1	4	2
14	6	1	16	2
15	7	1	16	2
16	8	1	16	2
17	9	1	16	2
18	10	0	16	2
19	6	0	256	32
20	12	0	256	32

9. Parser
Assignment:
Variable: z
Binary:
Operator: *
Variable: z
Variable: z

Type Transformer
Assignment:
Variable: Z
Binary:
Operator: INT*
Variable: Z
Variable: z

C. Using Expression semantic Meaning rules, the evaluation of variables are defined by their mapping environment. By Meaning Rule 8.7.2, If the expression is a variable, then its meaning is the value of the variable in the current state.

Value M(Expression e, State state) {

if (e instanceof Variable)

return (Value) (state.get(e));

applyBinary(...) { ...

if (op.val.equals(Operator.INT_TIMES))

return new IntValue(
v1.intValue() * v2.intValue());

$$(2) M(x+2 * y, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$$

$$(b) M(2 * x + 3 / y - 4, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$$

$$(c) M(1, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$$

M. Expression x State \rightarrow Value

$$z = M(\underline{(x+2)} * y, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \}) = -4$$

Binary Expression MR 8.7:3 \rightarrow 8.8

$$M(x+2) * y, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \} =$$

Apply Binary (+, A, B) where $A = M(x, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$

$$B = M(2 * y, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$$

$$A = 2$$

$$B = M(\underline{2 * y}, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$$

Binary Expression MR 8.7:3 \rightarrow 8.8

B. Apply Binary (*, C, D) where $C = M(2, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$

$$D = M(y, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$$

$$C = 2, D = -3$$

$$\Rightarrow B = M(2 * y, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \}) = \text{Apply Binary } (*, 2, -3) = -6$$

$$\Rightarrow M(x+2 * y, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \}) = \text{Apply Binary } (+, 2, -6) = -4$$

$$b - M(\underline{2 * x + 3 / y - 4}, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$$

Binary Expression MR 8.7:3 \rightarrow 8.8

Apply Binary (-, A, B) $A = M(2 * x + 3 / y, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$

$$B = M(4, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$$

A. Apply Binary (+, C, D) $C = M(2 * x, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$

$$D = M(3 / y, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$$

C. Apply Binary (*, E, F) $E = M(2, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$

$$F = M(x, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$$

$$E = M(2, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$$

D. Apply Binary (/, G, H) $G = M(3, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$

$$H = M(y, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$$

$$H = M(-3, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \})$$

$$\Rightarrow -1$$

$$c - M(1, \{ \langle x, 2 \rangle, \langle y, -3 \rangle, \langle z, 75 \rangle \}) = 1$$

Given Meaning rule 8.7:1