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1. 欧几里得算法:
                                                                move(A,B);
Euclid (m, n)
                                                                hanoi (n-1, C, A, B);
while n\neq 0 do
     r=m mod n;
                                                      6. 选择排序:
     m=n;
                                                      (选择当前序列最小值与当前序列首值交换)
     n=r;
                                                      SelectionSort(A[0..n-1])
return m;
2. 连续整数检测算法:
                                                      for i=0 to n-1 do
Function (m, n)
                                                           min=i;
t=min(m,n);
                                                           for j=i+1 to n-1 do
while t≥0 do
                                                                if A[j] < A[min]
     if m \mod t == 0 and n \mod t == 0
                                                                     min=j;
          return t;
                                                           swap(A[i], A[min]);
                                                      7. 冒泡排序:
     --t;
                                                      BubbleSort(A[0..n-1])
3. 素数筛选法:
Function(n)
                                                      for i=0 to n-2 do
for p=2 to n do
                                                           for j=i to n-2-i do
     A[p]=p;
                                                                if A[j+1] < A[j]
for p=2 to sqrt(n) do
                                                                     swap(A[j+1], A[j])
     if A[p] \neq 0
                                                      8. 字符串蛮力匹配:
                                                      (逐字符匹配,失败则从下一字符重新开始)
          j=p*p;
     while j<n do
                                                      Function (T[0..n-1], P[0..m-1])
                                                      for i=0 to n-m do
         A[j]=0;
          j=j+p;
                                                           i=0:
i=0;
                                                           while j \le m and P[j] = T[i+j] do
for p=2 to n do
                                                                ++j;
    if A[p] \neq 0
                                                                if j==m return i;
         L[i]=A[p];
                                                      return 0;
          ++i;
                                                      9. 蛮力平面距离最近两点:
Return L;
                                                      Function(p)
4. 矩阵乘积:
                                                      d=∞
Function (A[0..n-1, 0..n-1], B[0..n-1, 0..n-1])
                                                      for i=0 to n-1 do
for i=0 to n-1 do
                                                           for j=i+1 to n do
    for j=0 to n-1 do
                                                                d=min(d, sqrt((x_i-x_j)^2+(y_i-y_j)^2));
         C[i][j]=0;
                                                      return d;
          for k=0 to n-1 do
                                                      10. 深度优先搜索遍历:
               C[i, j] = C[i, j] + A[i, k] * B[k, j];
                                                      DFS (G)
return C;
                                                      count=0;
5. 汉诺塔(A->B:A->C, C->B):
                                                      for each vertex v in V do
void hanoi (int n, int A, int B, int C)
                                                           if v is marked with 0
                                                                dfs(v)
    if (n>0)
                                                      dfs(v)//递归访问和 v 相连接未访问顶点
                                                      ++count; mark v with count;
          hanoi (n-1, A, C, B);
                                                      for each vertex w in V adjacent to v do
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if w is marked with 0
         dfs(w):
11. 广度优先搜索遍历:
BFS (G)
count=0;
for each vertex v in V do
    if v is marked with 0
        bfs(v)
bfs(v)
    ++count; mark v with count and
    init a queue with v;
while the queue is not empty do
    for each vertex w in V adjacent
    to the front vertex do
    if w is marked with 0
        ++count; mark w with count;
        add w to the queue:
    remove the front vertex from the queue;
12. 插入排序:
(往前找小于的值,插在其后)
InsertionSort(A[0..n-1])
for i=0 to n-1 do
    v=A[i];
    j=i=1;
    while j\geqslant0 and A[j]>v do
        A[j+1]=A[j];
        --j;
    A[j+1]=v;
13. 拓扑排序:
执行一次 DFS 遍历;
并记住顶点变成死端(即退出遍历栈)的顺序
将该次序反序即得拓扑排序一个解
14. 生成排列算法:
将第一个排列初始化为带左方向标志 12..n;
while 存在一个可移动元素 do
    求最大移动元素 k;
    把 k 和它箭头指向元素互换;
    调转所有大于 k 的元素的方向;
    将新排列添加到列表中;
15. 反射格雷码:
BRG (n)
if n=1 表 L 包含位串 0 和 1;
else 调用 BRG(n-1)生成长度 n-1 位串列表 L1;
    把表 L1 倒序后复制给表 L2;
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把 0 加到表 L1 中的每个位串前面; 把 1 加到表 L2 中的每个位串后面; 把表 L2 添加到表 L1 后面得到表 L; Return L; 16. 折半查找: BinarySearch(A[0..n-1],k) 1=0, r=n-1: while l≤r do m=(1+r)/2: if k==A[m] return m; else if $k \le A[m] r=m-1$; else 1=m+1; return -1; 17. 俄式乘法: n 为偶数: n*m=n/2*2m; n 为奇数: n*m=(n-1)/2*2m+m; 50 65 25 130 130 12 260 6 520 3 1040 1040 2080 2080 1 3250 18. 约瑟夫斯问题: 对 n 向左做一次循环移位; 19. 三重查找:

$$1 = 0; r = n - 1;$$

while $1 \le r$

1mid = 1+(r - 1) / 3;//一二段分割点

rmid = r-(r - 1) / 3;//二三段分割点

if k == A[lmid]

return lmid;

else if k == A[rmid]

 $return\ rmid;$

else if k < A[lmid] //K 在第一段

r = 1mid - 1;

else if k < A[rmid] //K 在第二段

1 = 1 mid + 1, r = r mid - 1;

else //K 在第三段

1 = rmid + 1; return -1;

20. Lomuto 划分:

LomutoPartition(A[1..r])

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p=A[1]; s=1;
                                                        for i=1 to n do A[i, n+1]=b[i];
for i=1+1 to r do
                                                        for i=1 to n-1 do
     if A[i]<p
                                                             for j=i+1 to n do
          ++s; swap(A[s], A[i]);
                                                                  for k=n+1 downto i do
swap(A[1], A[s]);
                                                                        A[j,k]=A[j,k]-
return s;
                                                        A[I,k]*A[j,i]/A[i,i];
21. 快速选择:
                                                        27. 构造堆:
Quickselect(A[l..r],k)
                                                        Function(H[1..n])
s= LomutoPartition(A[1..r]);
                                                        for i=n/2 downto 1 do
if s=1+k-1 return A[s];
                                                             k=i;v=H[k];heap=false;
else if s<1+k-1 Quickselect(A[1..s-1],k)
                                                             while not heap and 2*k≤n do
else Quickselect(A[s+1..r], 1+k-1-s)
                                                                   j=2*k;
22. 快速排序:
                                                                   if j<n
Quicksort(A[1..r])
                                                                        if H[j] < H[j+1]
if 1<r
                                                                             ++.j;
     s= LomutoPartition(A[1..r]);
                                                                   if v≥H[j] heap=true;
     Quicksort (A[1..s-1]):
                                                                   else H[k]=H[j];k=j;
     Quicksort(A[s+1..r]);
                                                        H[k]=v;
23. 合并排序:
                                                        28. 霍纳法则:
Mergesort (A[0..n-1])
                                                        Horner (P[0..n], x)
if n>1
                                                        p=P[n];
     copy A[0..n/2-1] to B[0..n/2-1];
                                                        for i=n-1 downto 0 do
     copy A[n/2..n-1] to C[0..n/2-1];
                                                             p=x*p+P[i];
     Mergesort (B[0..n/2-1]);
                                                        return p;
     Mergesort(C[0..n/2-1]);
                                                        29. 从左至右二进制幂:
     Merge(B, C, A);
                                                        LRBE(a, b(n))
24. Merge(B[0..p-1], C[0..q-1], A[0..p+q-1])
                                                        Product=a;
i=0; j=0; k=0;
                                                        for i=I-1 downto 0 do
while i \le p and j \le q do
                                                             product=product*product;
     if B[i]≤C[j]
                                                             if b<sub>i</sub>=1 product=product*a;
          A[k]=B[i];++i;
                                                        return product;
     else A[k]=C[j];++j;
                                                        30. 从右至左二进制幂:
     ++k:
                                                        RLBE(a, b(n))
if i==p
                                                        term=a;
     copy C[j..q-1] to A[k..p+q-1];
                                                        if b<sub>0</sub>=1 product=a;
else copy B[i..p-1] to A[k..p+q-1];
                                                        else product=1;
25. 二叉树遍历:
                                                        for i=1 to I do
peroder (BTNode *p)
                                                             term=term*term;
if p!=null
                                                             if b_i=1 product=product*term;
     printf(p->data);
                                                        return product;
     perorder(p->lchild);
                                                        31. 比较计数排序:
     perorder(p->rchild);
                                                        Function (A[0..n-1])
26. 高斯消去法:
                                                        for i=0 to n-1 do Count[i]=0;
Function (A[1..n, 1..n], b[1..n])
                                                        for i=0 to n-2 do
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for j=i+1 to n-1 do
                                                              while j \le m and i \ge D[j] do
                                                                   temp=min(F[i-D[j]], tmp);
           if A[i]<A[j]
                ++Count[j];
                                                                   ++.j;
           else ++Count[i];
                                                              F[i]=temp+1;
for i=0 to n-1 do
                                                        return F[n];
     S[Count[i]]=A[i];
                                                        37. 硬币收集问题:
return S:
                                                        RobotCoinCollection(C[1..n, 1..m])
                                                        F[1,1]=C[1,1]:
32. 分布计数排序:
Function (A[0..n-1], 1, u)
                                                        for j=2 to m do
for j=0 to u-1 do D[j]=0
                                                              F[1, j]=F[1, j-1]+C[1, j];
for i=0 to n-1 do ++D[A[i]-1];
                                                        for i=2 to n do
for j=1 to u-1 do D[j]=D[j-1]+D[j];
                                                             F[i, 1] = F[i-1, 1] + C[i, 1];
for i=n-1 downto 0 do
                                                              for j=2 to m do
     j=A[i]-1;
                                                                   F[i, j] = \max(F[i-1, j], F[i, j-1]) + C[i, j];
     S[D[j]-1]=A[i];
                                                        return F[n, m];
     --D[j];
                                                        38. 背包记忆化:
return S;
                                                        Function(i, j)
33. 填充移动表:
                                                        if F[i, j]<0
ShiftTable(P[0..m-1])
                                                              if j<Weights[i]</pre>
for i=0 to size-1 do Table[i]=m;
                                                                   value=Function(i-1, j);
for j=0 to m-2 do Table[P[i]]=m-1-j;
                                                              else
return Table;
                                                                   value=max(Function(i-1, j),
34. Horspool 字符串匹配算法:
                                                                   Values[i]+ Function(i-1, j-
HorspoolMatching (P[0..m-1], T[0..n-1])
                                                              Weights[i]));
ShiftTable(P[0..m-1]);//生成移动表
                                                              F[i, j]=value;
i=m-1:
                                                        return F[i, j];
while i≤n-1 do
                                                        39. 最优二叉查找树:
     k=0:
                                                        OptimalBST(P[1..n])
     while k \le m-1 and P[m-1-k]=T[i-k] do
                                                        for i=1 to n do
          ++k;
                                                             C[i, i-1]=0;
     if k==m return i-m+1;
                                                             C[i, i]=P[i];
     else i=i+Table[T[i]];
                                                              R[i,i]=i;
                                                        C\lceil n+1, n \rceil = 0:
return -1:
35. 币值最大化问题:
                                                        for d=1 to n-1 do
CoinRow(C[1..n])
                                                              for i=1 to n-d do
F[0]=0;F[1]=C[1];
                                                                   j=i+d;
for i=2 to n do
                                                                   minval=∞
     F[i]=\max(C[i]+F[i-2].F[i-1]);
                                                                   for k=i to j do
return F[n];
                                                                        if C[i,k-1]+C[k+1,j] \le minval;
36. 找零问题:
                                                                              minval=C[i,k-1]+C[k+1,j];
ChangeMaking(D[1..m],n)
                                                                              kmin=k;
F[0]=0;
                                                                   R[i, j]=kmin;
for i=1 to n do
                                                                   sum=P[i];
                                                                   for s=i+1 to j do
     temp=\infty; j=1;
```

```
Insert(Q, v, d<sub>v</sub>);//初始化优先队列顶点优先级
                 sum=sum+P[s];
                 C[i, j]=minval+sum;
                                                           d<sub>s</sub>=0; Decrease (Q, s, d<sub>s</sub>);//将 s 的优先级更新为 d<sub>s</sub>
return C[1, n], R;
                                                           V<sub>T</sub>=空;
40. Warshall 算法:
                                                           for i=0 to |V|-1 do
Warshall(A[1..n, 1..n])
                                                                 u*=DeleteMin(Q);//删除优先级最小的元素
R^{(0)} = A;
                                                                 V_T = V_T \cup \{u^*\};
for k=1 to n do
                                                                 for V- V<sub>1</sub>中每一个和 u*相邻的顶点 u do
     for i=1 to n do
                                                                       if d_{u*}+w(u^*,u) \le d_u
           for j=1 to n do
                                                                            d_{u=} d_{u*} + w(u^*, u); p_u=u^*;
                 R^{^{(k)}}[i,j] = R^{^{k-1}}[i,j] or
                                                                            Decrease (Q, u, du);
                 R^{(k-1)}[i,k] and R^{(k-1)}[k,j];
                                                           45. 平分法求方程 x³+x-1=0 的根:
return R<sup>(n)</sup>
                                                           do
41. Floyd 算法:
                                                                 mid=(a+b)/2;
Floyd[W[1..n, 1..n]
                                                                 t3=f(mid);
D=W;
                                                                 t1=f(a);t2=f(b);
                                                                 if t1*t3>0 a = mid;
for k=1 to n do
     for i=1 to n do
                                                                 else b=mid:
           for j=1 to n do
                                                           while fabs(t3)>1e-2
                 D[i, j]=min{D[i, j], D[i, k]+D[k, j]};
                                                           return t3;
                                                           46. 试位法求方程 x³+x-1=0 的根:
42. 最小生成树 Prim 算法:
Prim(G)
                                                                 x=(a*f(b)-b*f(a))/(f(b)-f(a));
V_T = \{v_0\}; E_T = \overline{2};
                                                                 y=f(x);
for i=1 to |V|-1 do
                                                                 if y*fa > 0 a = x;fa = y;
     在所有的边(v,u)中, 求权重最小的边
                                                                 else b = x; fb = y;
e*=(v*, u*);
                                                           while fabs(y)>eps;
     使得 v 在 V_T中, 而 u 在 V-V_T中;
                                                           return x;
     V_T = V_T \cup \{u^*\}; E_T = E_T \cup \{e^*\};
                                                           47. 牛顿法求方程 x³+x-1=0 的根:
return E_T;
                                                           f1 为原方程, f2 为其导数
43. 最小生成树 Kruskal 算法:
                                                           do
Kruskal(G)
                                                                 x=x0-f1(x0)/f2(x0);
按照边权重非递减顺序对集合E排序
                                                                 x0=x;
E=空:ecounter=0://初始化边顶点集合及其规模
                                                           while fabs(f1(x))>eps):
k=0;//初始化已处理边数量
                                                           return x;
while ecounter<|V|-1 do
     ++k;
     if E₁∪ {e₁k} 无回路
           E_T = E_T \cup \{e_{ik}\}; ++ecounter;
return E<sub>T</sub>;
44. 最短路径 Dijkstra 算法:
Dijkstra(G,s)
Init(Q)://顶点优先队列初始化为空
```

for V 中每一个顶点 d_v=∞;p_v=null;