# Homework 4 Writeup

## **Code Explanation: get\_interest\_points**

First, if image is color or 3D, it is converted to black and white 2D.

```
if image.ndim == 3 and image.shape[2] == 1:
  image = image[:,:,0]
elif image.ndim == 3 and image.shape[2] == 3:
  image = cv2.cvtColor(image,cv2.COLOR_BGR2GRAY)
```

The following is the process of finding partial derivatives.

```
H = image.shape[0]
W = image.shape[1]

Ix = np.zeros((H, W))
Iy = np.zeros((H, W))

for x in range(W-1):
    Ix[:,x] = image[:, x+1] - image[:, x]

for y in range(H-1):
    Iy[y,:] = image[y+1, :] - image[y, :]
```

The following is the process of finding second derivatives.

```
Ixx = Ix * Ix

Iyy = Iy * Iy

Ixy = Ix * Iy
```

Ones created above are blurred with Gaussian filter.

```
gIxx = cv2.GaussianBlur(Ixx, (descriptor_window_image_width-1,
    descriptor_window_image_width-1), 0)
gIyy = cv2.GaussianBlur(Iyy, (descriptor_window_image_width-1,
    descriptor_window_image_width-1), 0)
gIxy = cv2.GaussianBlur(Ixy, (descriptor_window_image_width-1,
    descriptor_window_image_width-1), 0)
```

#### C is calculated.

```
C = gIxx * gIyy - gIxy**2.0 - 0.04 * (gIxx + gIyy)**2.0
```

The case where C is greater than 0.000005 is selected. Clumping is eliminated by selecting the one with the largest C among closely clustered ones. And it returns x, y.

```
x = []
y = []
for i in range(int(W/descriptor_window_image_width)):
  for j in range(int(H/descriptor_window_image_width)):
     index =
        np.unravel_index(np.argmax(C[j*descriptor_window_image_width:(j+1)*descriptor_window_image_width:(j+1)*descriptor_window_image_width:
        i*descriptor_window_image_width:(i+1)*descriptor_window_image_width],
        axis=None), (descriptor_window_image_width,
        descriptor_window_image_width))
     index_x = i*descriptor_window_image_width+index[1]
     index_y = j*descriptor_window_image_width+index[0]
    max_c = C[index_y, index_x]
     if \max_c > 0.000005:
       x.append(index_x)
       y.append(index_y)
x = np.array(x)
y = np.array(y)
```

## Code Explanation: get\_descriptors

If image is color or 3D, it is converted to black and white 2D.

```
if image.ndim == 3 and image.shape[2] == 1:
   image = image[:,:,0]
elif image.ndim == 3 and image.shape[2] == 3:
   image = cv2.cvtColor(image,cv2.COLOR_BGR2GRAY)
```

Frequently used variables are defined. At this time, zero padding is applied to image to work well in edges and corners.

For loop is used to calculate a point obtained from get\_interest\_points function. First, define some variables and create local area(local\_img) around the point. And calculate derivative, magnitude and direction in it.

```
for i in range(len(x)):
  index_x = int(x[i] + half_w)
  index_y = int(y[i] + half_w)
```

```
f = []

local_img = image[index_y-half_w: index_y+(half_w+1),
    index_x-half_w: index_x+(half_w+1)]

Ix = local_img[:descriptor_window_image_width, 1:] -
    local_img[:descriptor_window_image_width,
        :descriptor_window_image_width]

Iy = local_img[1:, :descriptor_window_image_width] -
    local_img[:descriptor_window_image_width,
        :descriptor_window_image_width]

mag_grad = (Ix**2 + Iy**2)**0.5

theta_grad = np.arctan2(Iy, Ix)
```

#### Each area is made by dividing local area into 16 equal parts.

#### Histogram is created within created area and included in feature.

```
hist = np.zeros(8)
for j in range(quat_w):
  for k in range(quat_w):
    if (local_theta[j,k] > 0) and (local_theta[j,k] <=</pre>
       np.pi/4):
      hist[0] = hist[0] + local_mag[j,k]
    elif (local_theta[j,k] > np.pi/4) and (local_theta[j,k]
        \leq np.pi/2):
      hist[1] = hist[1] + local_mag[j,k]
    elif (local_theta[j,k] > np.pi/2) and (local_theta[j,k]
        <= np.pi/4*3):
      hist[2] = hist[2] + local_mag[j,k]
    elif (local_theta[j,k] > np.pi/4*3) and (local_theta[j,k]
        <= np.pi):
      hist[3] = hist[3] + local_mag[j,k]
    elif (local_theta[j,k] > -1*np.pi) and (local_theta[j,k]
        <= -1*np.pi/4*3):
      hist[4] = hist[4] + local_mag[j,k]
    elif (local_theta[j,k] > -1*np.pi/4*3) and
        (local_theta[j,k] <= -1*np.pi/2):
      hist[5] = hist[5] + local_mag[j,k]
    elif (local_theta[j,k] > -1*np.pi/2) and
        (local_theta[j,k] <= -1*np.pi/4):
      hist[6] = hist[6] + local_mag[j,k]
    elif (local_theta[j,k] > -1*np.pi/4) and
        (local\_theta[j,k] \ll 0):
      hist[7] = hist[7] + local_mag[j,k]
```

```
f = f + list(hist)
```

Features are normalized, made 0.2 that are greater than 0.2, and renormalized. And it returns features.

```
f = np.array(f)
f = f/np.linalg.norm(f)
f[f > 0.2] = 0.2
f = f/np.linalg.norm(f)
features[i,:] = f
```

# **Code Explanation: match\_features**

First, declare variables.

```
matches = []
confidences = []
d = {}
```

Find two points (first and second minimum distance points) that correspond to feature in features1.

```
for i in range(features1.shape[0]):
    sec_dis = float("inf")
    min_dis = float("inf")

for j in range(features2.shape[0]):
    distance = np.linalg.norm(features1[i]-features2[j])
    if min_dis >= distance:
        sec_dis = min_dis
        min_dis = distance
        min_j = j
    elif sec_dis >= distance:
        sec_dis = distance
```

Find distance ratio and filter points less than 0.85.

```
ratio = min_dis/sec_dis
if ratio <= 0.85:
   d[(i, min_j)] = 1 - ratio</pre>
```

Do the same as above for feature2.

```
for i in range(features2.shape[0]):
    sec_dis = float("inf")
```

```
min_dis = float("inf")

for j in range(features1.shape[0]):
    distance = np.linalg.norm(features1[j]-features2[i])
    if min_dis >= distance:
        sec_dis = min_dis
        min_dis = distance
        min_j = j
    elif sec_dis >= distance:
        sec_dis = distance

ratio = min_dis/sec_dis
if ratio <= 0.85:
    d[(min_j, i)] = 1 - ratio</pre>
```

d ditionary(Corresponding points and confidences) is divided into variables matches and confidences, respectively. And it returns matches and confidences

```
for key, value in d.items():
    matches.append(key)
    confidences.append(value)

matches = np.array(matches)
confidences = np.array(confidences)
```

### **Result: NotreDame**

```
Uniqueness: Pre-merge: 150 Post-merge: 150

Total: Good matches: 89 Bad matches: 61

Accuracy: 59.33% (on all 150 submitted matches)

Accuracy: 58.00% (on first 100 matches sorted by decreasing confidence)

Saving visualization: eval_ND.png

Elpased time: 95.65s
```

Figure 1: NotreDame Accuracy and Elapsed time

The accuracy on first 100 matches sorted by decreasing confidence is 58% and elapsed time is 95.65s.

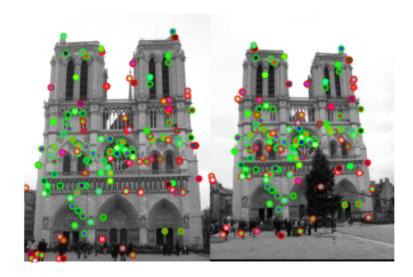


Figure 2: NotreDame Corresponding points

### **Result: MountRushmore**

```
Uniqueness: Pre-merge: 175 Post-merge: 174
Total: Good matches: 133 Bad matches: 41
Accuracy: 76.44% (on all 174 submitted matches)
Accuracy: 86.00% (on first 100 matches sorted by decreasing confidence)
Saving visualization: eval_MR.png
Elpased time: 131.85s
```

Figure 3: MountRushmore Accuracy and Elapsed time

The accuracy on first 100 matches sorted by decreasing confidence is 86% and elapsed time is 131.85s.

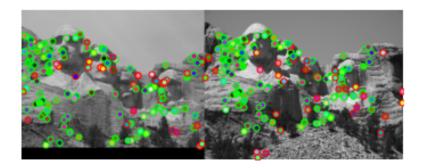


Figure 4: MountRushmore Corresponding points

# Result: EpiscopalGaudi

```
Uniqueness: Pre-merge: 30 Post-merge: 30
Total: Good matches: 5 Bad matches: 25
Accuracy: 16.67% (on all 30 submitted matches)
Accuracy: 5.00% (on first 100 matches sorted by decreasing confidence)
Saving visualization: eval_EG.png
Elpased time: 86.90s
```

Figure 5: EpiscopalGaudi Accuracy and Elapsed time

The accuracy on first 100 matches sorted by decreasing confidence is 5% and elapsed time is 86.90s.



Figure 6: EpiscopalGaudi Corresponding points