CS601: Software Development for Scientific Computing

Autumn 2021

Week1: Overview

Who this course is for?

- Anybody who wishes to develop "computational thinking"
 - A skill necessary for everyone, not just computer programmers
 - More on this later...

Course Takeaways

- Non-CS majors:
 - Write code and
 - Develop software (not just write standalone code)
 - Numerical software
- CS-Majors:
 - Face mathematical equations and implement them with confidence

What is this course about?

Software Development

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Scientific Computing

Software Development

 Software development is the process of conceiving, specifying, designing, programming, documenting, testing, and bug fixing involved in creating and maintaining applications, frameworks, or other software components.

Software development is a process of writing and maintaining the source code, but in a broader sense, it includes all that is involved between the conception of the desired software through to the final manifestation of the software, ...

- Wikipedia on "Software Development"

Scientific Computing

- Also called computational science
 - Development of models to understand systems (biological, physical, chemical, engineering, humanities)

Collection of tools, techniques, and theories required to solve on a computer mathematical models of problems in science and engineering

This course NOT about...

- Software Engineering
 - Systematic study of Techniques, Methodology, and Tools to build correct software within time and price budget (topics covered in CS305)
 - People, Software life cycle and management etc.
- Scientific Computing
 - Rigorous exploration of numerical methods, mathematical models, and theories
 - Programming models (topics covered in CS410)

Who this course is for?

- You are interested in scientific computing
- You are interested in high-performance computing
- You want to build / add to a large software system

Why C++ ?

- C/C++/Fortran codes form the majority in scientific computing codes
- Catch a lot of errors early (e.g. at compile-time rather than at run-time)
- Has features for object-oriented software development
- Known to result in codes with better performance

Who this course is for?

- Anybody who wishes to develop "computational thinking"
 - A skill necessary for everyone, not just computer programmers
 - An approach to problem solving, designing systems, and understanding human behavior that draws on concepts fundamental to computer science.

Computational Thinking - Examples

- How difficult is the problem to solve? And what is the best way to solve?
- Modularizing something in anticipation of multiple users
- · Prefetching and caching in anticipation of future use
- Thinking recursively
- Reformulating a seemingly difficult problem into one which we know how to solve by <u>reduction</u>, <u>embedding</u>, <u>transformation</u>, <u>simulation</u>
 - Are approximate solutions accepted?
 - False positives and False negatives allowed? etc.
- Using <u>abstraction</u> and <u>decomposition</u> in tackling large problem

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Computational Thinking – 2 As

Abstractions

- Our "mental" tools
- Includes: <u>choosing right abstractions</u>, operating at multiple <u>layers</u> of abstractions, and defining <u>relationships</u> among layers

Automation

- Our "metal" tools that <u>amplify</u> the power of "mental" tools
- Is mechanizing our abstractions, layers, and relationships
 - Need precise and exact notations / models for the "computer" below ("computer" can be human or machine)

Computing - 2 As Combined

- Computing is the automation of our abstractions
- Provides us the ability to scale
 - Make infeasible problems feasible
 - E.g. SHA-1 not safe anymore
 - Improve the answer's precision
 - E.g. capture the image of a black-hole

Summary: choose the right abstraction and computer

Example - Factorial

• $n! = n \times (n-1) \times (n-2) \times ... \times 3 \times 2 \times 1$ $(n-1)! = (n-1) \times (n-2) \times ... \times 3 \times 2 \times 1$ therefore,

Definition1: $n! = n \times (n-1)!$

is this definition complete?

plug 0 to n and the equation breaks.

Definition2:

$$n! = \begin{cases} n \times (n-1)! & \text{when } n>=1 \\ 1 & \text{when } n=0 \end{cases}$$

Exercise 1

 Does this code implement the definition of factorial correctly?

```
int fact(int n){
   if(n==0)
     return 1;

return n*fact(n-1);
}
```

Example - Factorial

Definition2:
$$n! = \begin{cases} n \times (n-1)! & \text{when } n>=1 \\ 1 & \text{when } n=0 \end{cases}$$

is this definition complete?

n! is not defined for negative n

Solution - Factorial

```
int fact(int n){
    if(n<0)
        return ERROR;
    if(n==0)
        return 1;

return n*fact(n-1);</pre>
```

Exercise 2

In how many flops does the code execute?
 1 flop = 1 step executing any arithmetic operation

```
int fact(int n){
    if(n<0)
        return ERROR;
    if(n==0)
        return 1;

    return n*fact(n-1);
}</pre>
```

Exercise 3

Does the code yield correct results for any n?

```
int fact(int n){
   if(n<0)
      return ERROR;
   if(n==0)
      return 1;

return n*fact(n-1);
}</pre>
```