# Curie temperatures of synthetic titanomagnetites in the Fe-Ti-O system: Effects of composition, crystal chemistry, and thermomagnetic methods

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[1] The present study is aimed at improving the calibration of the compositional dependence of the Curie temperature  $(T_C)$  of titanomagnetite (Tmt) on the basis of temperature-dependent magnetic susceptibility  $(\chi - T)$  curves measured on synthetic Tmts in the Fe-Ti-O system. In order to assess the possible influence of high-temperature cation vacancies onto the  $T_C$  values, we have synthesized two types of assemblages in subsolidus conditions at 1 bar, 1100°C and 1300°C, under controlled oxygen fugacity conditions. Tmts synthesized in equilibrium with ilmenite-hematite<sub>ss</sub> (Ilm<sub>ss</sub>) are expected to have the highest vacancy concentrations, those in equilibrium with wüstite (Wus) the lowest. The composition and homogeneity of the synthetic Tmts were carefully checked with a scanning electron microscope (SEM) and an electron microprobe (EMP).  $T_C$  was determined from  $\chi$ -T curves using a kappabridge and, for comparison, from  $M_s$ -T curves measured with a variable field translation balance. Our data set shows systematically higher  $T_C$  values for Tmt coexisting with  $Ilm_{ss}$  than for Tmt coexisting with Wus. Most  $\chi$ -T curves are nonreversible, whereby the largest  $\Delta T_C$  (40 K) concern Tmt(+Ilm<sub>ss</sub>) of intermediate compositions synthesized at 1300°C. Nonreversibility is interpreted as reflecting cation reordering in Tmt during the high-temperature  $\chi$ -T measurements.  $T_C$ values obtained from  $M_s$ -T curves are higher than those obtained from the  $\chi$ -T curves, whereby the difference regularly increases (up to 40 K) with increasing Ti content, up to  $X_{Usp} = 0.6$ . Our new calibration curves are suitable to retrieve Tmt compositions in basalts that were rapidly cooled and not oxidized by deuteric or hydrothermal fluids.

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### 1. Introduction

[2] Measurements of the temperature dependence of the AC magnetic susceptibility are increasingly used to identify magnetic minerals, in particular members of the two solid solutions of iron-titanium-oxide minerals, titanomagnetite (Tmt) and ilmenite-hematite (Ilm<sub>ss</sub>) which are the essential carriers of magnetism in basalts [e.g., *Dunlop and Özdemir*, 1997; *Calvo et al.*, 2002; *Miranda et al.*, 2002]. This method has proven very useful to estimate the chemical composition of titanomagnetite (solid solution between magnetite, Fe<sub>3</sub>O<sub>4</sub>, and ulvöspinel, FeTiO<sub>4</sub>), especially in case of crystals that are not measurable with the electron microprobe, because they are very small or skeletal or crowded with fine lamellae of ilmenite or of other spinel phases (see examples of *Haggerty* [1991]). In case of rocks

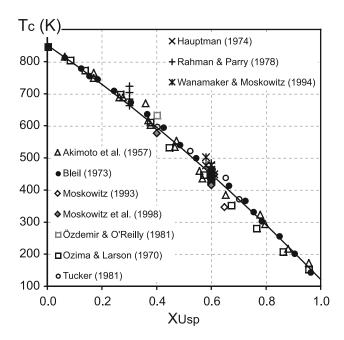
[3] Estimates of the chemical composition of Tmt are based on the compositional dependence of the Curie temperature ( $T_C$ ) first established by *Akimoto et al.* [1957] and confirmed by a wealth of further experimental studies in the Fe-Ti-O system [e.g., *Ozima and Larson*, 1970; *Bleil*, 1973, 1976; *Hauptman*, 1974; *Rahman and Parry*, 1978; *Cisowski*, 1980; *Deutsch et al.*, 1981; *Tucker*, 1981; *Özdemir and O'Reilly*, 1981; *Moskowitz*, 1987, 1993; *Wanamaker and Moskowitz*, 1994; *Dunlop and Özdemir*, 1997; *Moskowitz et al.*, 1998; *Özdemir*, 2000]. All experimental results point to a negative correlation between Curie temperature and ulvöspinel content of the titanomagnetites

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**B12S28** 1 of 18

that contain different generations of Tmt, the temperature-dependent susceptibility measurements can help estimate the corresponding different chemical compositions of this phase and reconstruct the crystallization and alteration history of the basaltic rock [e.g., *Zhou et al.*, 2000; *Kontny et al.*, 2003]. The magnetic susceptibility measurements have also the great advantage of being rapid and straightforward and, in principal, nondestructive. They can be performed on very small chunks of rock (a few mg in weight), i.e., without any time-consuming and costly preparation procedure.

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**Figure 1.** Literature data on the variation of the Curie temperature  $(T_C)$  in synthetic titanomagnetites in the Fe-Ti-O system as a function of composition (mole fraction of the ulvöspinel end-member,  $X_{Usp}$ ). The curve represents the polynomial fit  $T_C = -150 \ X_{Usp}^2 - 580 \ X_{Usp} + 851 \ [Bleil and Petersen, 1982, p 330].$ 

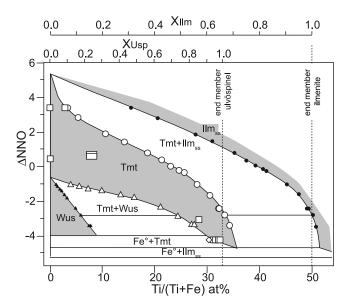
(Figure 1). Second-order polynomial regression curves have been proposed to estimate the mineral composition from  $T_C$  or vice versa (equations reported by *Bleil* [1976], *Bleil and Petersen* [1982, p.330], *Clark* [1997, p. 86], and *Hunt et al.* [1995]; see Figure 1). Because synthetic titanomagnetites with a few wt %  $Al_2O_3$  or MgO display Curie temperatures lower by no more than  $40^{\circ}$ C [*Richards et al.*, 1973; *O'Donovan and O'Reilly*, 1977; *Özdemir and O'Reilly*, 1978, 1981; *Moskowitz*, 1993], i.e., in rough agreement with the Al- and Mg-free ones, the regression curves appear also applicable to complex, nature-relevant Tmt compositions. Indeed, these curves have been commonly used in rock magnetic and paleomagnetic studies [e.g., *Bücker et al.*, 1986; *Gonzalez et al.*, 1997].

[4] Nevertheless, even for synthetic Tmt in the Fe-Ti-O system, the available literature data on the Curie temperature scatter significantly, allowing only rough estimates of their compositions, with uncertainties around  $\pm 0.1$  for the mole fraction of the ulvöspinel end-member. This scattering partially reflects uncertainties concerning the chemical composition of the synthetic titanomagnetites used for calibration. In several studies it is not clear whether the samples were really single-phased and chemically homogeneous because they were not examined with microanalytical methods or because the authors were not aware of the possible compositional heterogeneity in single-phase polycrystalline samples [e.g., Akimoto et al., 1957; Hauptman, 1974; Rahman and Parry, 1978; Tucker, 1981; Moskowitz, 1993]. Only few studies have considered the possible influence of the high-temperature nonstoichiometry of Tmt on its Curie temperature [Hauptman, 1974; Rahman and Parry, 1978; Moskowitz, 1987; Wanamaker and

Moskowitz, 1994]. Since the concentration of cation vacancies at a given Tmt composition decreases both with decreasing temperature and oxygen fugacity during synthesis [e.g., Aragon and McCallister, 1982; Senderov et al., 1993; Aggarwal and Dieckmann, 2002; Lattard et al., 2005], these parameters should also be considered in establishing calibration curves for  $T_C$ . This point is important for the application to natural titanomagnetites. Curie temperatures derived from single-phase Tmt synthesized at 1275 to 1400°C, with unknown, but possibly high, vacancy concentrations are not directly comparable to those of titanomagnetites that crystallized in basalts at temperatures  $\leq 1100$ °C with expectedly low vacancy concentrations.

[5] Another, not sufficiently understood factor to be considered for the determination of Tmt composition from  $T_C$  is the influence of the cation distribution within the Tmt structure on the magnetic properties. There is considerable disagreement in the literature upon the cation distribution in Tmt and its temperature dependence [e.g., Akimoto, 1954; Néel, 1955; Chevallier et al., 1955; O'Reilly and Banerjee, 1965; Stephenson, 1969; Bleil, 1976; Trestman-Matts et al., 1983; Wechsler et al., 1984; O'Neill and Navrotsky, 1984] (see also review by Waychunas [1991]). In fact, it is obvious that the equilibrium cation distribution during hightemperature synthesis must be temperature-dependent, but the question is whether it can be frozen in during quenching and may be altered during the magnetic measurements at temperatures up to 700°C. Whereas earlier studies suggested distinct cation distributions in Tmt quenched from different temperatures [e.g., Akimoto et al., 1957; O'Reilly and Banerjee, 1965; Stephenson, 1969; Bleil, 1971, 1976], Wechsler et al. [1984] found no significant difference in the unit cell parameters or magnetization determined in Tmt samples quenched from temperatures of 930 to 1350°C or annealed at 800°C. Jensen and Shive [1973] stated that electron diffusion in Tmt is too rapid to preserve a hightemperature equilibrium distribution by quenching but that the distribution may well depend on the ambient temperature of measurement. O'Neill and Navrotsky [1984] proposed that differences in samples quenched from different high temperatures may have been complicated by imperfect control of stoichiometry. In the same line of reasoning, Wanamaker and Moskowitz [1994] suggested that longrange ordering in an intermediate titanomagnetite (60% of the ulvöspinel end-member, i.e., "TM60") is a function of nonstoichiometry, with higher cation vacancies producing a more random cation distribution. They concluded that this effect may explain the differences among earlier cation distribution models.

[6] To our knowledge, an important methodological aspect has not been considered in previous studies that used  $T_C$  values retrieved from  $\chi$ -T curves to estimate the composition of titanomagnetites. The majority of the  $T_C$  values used for calibration have been obtained from temperature-dependent saturation magnetization ( $M_s$ -T) curves, not from temperature-dependent susceptibility ( $\chi$ -T) curves. Deutsch et al. [1981] have shown that for synthetic TM60 titanomagnetite, the Curie temperature obtained from  $M_s$ -T curves is close to that derived from  $\chi$ -T curves and Rahman and Parry [1978] state that both types of values agree within  $\pm 5$ °C. However, we know of no further comparison between  $T_C$  values retrieved from the two types of measurements.



**Figure 2.** Phase diagram showing the chemical composition of titanomagnetites and other coexisting Fe-Ti oxide phases synthesized in the present study at  $1300^{\circ}$ C under different oxygen fugacities. The oxygen fugacities are given as  $\Delta NNO = \log fO_2$  (sample)  $-\log fO_2$  (Ni-NiO buffer). Single-phase fields are gray, two-phase fields white. In the latter fields, two tie lines at the same oxygen fugacity are exemplified by thin horizontal lines. Symbols point to the phase assemblages: circles for Tmt-Ilm<sub>ss</sub>; triangles for Tmt-Wus; diamond for Tmt-Fe $^{\circ}$ ; squares or rectangles for single-phase Tmt (rectangles point to compositional range in case of heterogeneous Tmt). Open symbols are for Tmt; solid symbols are for Wus or Ilm<sub>ss</sub>.

[7] The main goal of the present study is to improve the calibration curve for the compositional dependence of the Curie temperature of titanomagnetite on the basis of temperature-dependent magnetic susceptibility curves measured on synthetic titanomagnetites in the Fe-Ti-O system. In order to assess the possible influence of high-temperature cation vacancies onto the magnetic properties, we have synthesized two types of polycrystalline Tmt-bearing assemblages in subsolidus conditions at 1300°C (Figure 2). As known from previous experimental studies [e.g., Taylor, 1964; Dieckmann, 1982; Aragon and McCallister, 1982; Senderov et al., 1993; Lattard, 1995; Aggarwal and Dieckmann, 2002] titanomagnetites in coexistence with ilmenite-hematite solid solution (Ilm<sub>ss</sub>) are expected to have the highest possible vacancy concentrations at the temperature of interest, those in paragenesis with wüstite (Wus) should be devoid of vacancies. For comparison to previous studies, some single-phase Tmt samples (1300°C) were also considered. For more relevance to basalts, we have also examined Tmt-Ilm<sub>ss</sub> assemblages synthesized at 1100°C. We have taken special care to synthesize samples in which the titanomagnetite is chemically homogeneous, both within the crystals and over the whole polycrystalline sample. In a few cases, chemical zonations or local chemical heterogeneities are present in the synthetic samples and we shall show in the following how these features influence the magnetic properties. We have also considered possible methodological artefacts by comparing  $T_C$ s retrieved from

temperature-dependent susceptibility versus saturation magnetization curves ( $\chi$ -T versus  $M_s$ -T curves).

#### 2. Methods

### 2.1. Syntheses

[8] All syntheses were performed at 1100 or 1300°C (subsolidus conditions) in vertical quench furnaces under a variety of oxygen fugacities fixed either by  $\rm CO/CO_2$  gas mixtures or by solid-state oxygen buffers (only for 1100°C synthesis). The temperature was measured before and after the runs with a type S (Pt-Pt<sub>90</sub>Rh<sub>10</sub>) thermocouple calibrated against the melting points of silver (960.8°C) and gold (1064.4°C). To ensure a complete equilibration of the synthesis products, runs lasted >24 hours at 1300°C, but up to 168 hours (7 days) at 1100°C.

[9] The starting mixtures were prepared from dried  $TiO_2$  (99.9%, Aldrich Chemical Comp. Inc.), dried  $Fe_2O_3$  (99.9%, Alpha Products), as well as dried and reduced (under  $H_2$ ,  $500^{\circ}$ C) metallic iron (99+%, Heraeus) which were weight in stoichiometric proportions, ground together and mixed under acetone in an agate mortar and pressed to pellets of 200-300 mg (about 5 mm diameter, 4 to 6 mm in length). Metallic iron was employed only in starting mixtures for experiments performed with solid-state oxygen buffers. In this case, the original oxygen content of the sample should be close to that of the run product because of the restricted buffer capacity.

[10] For the solid-state buffer experiments, pellets of sample and buffer material (iron-wüstite, wüstite-magnetite, cobalt-cobalt oxide, fayalite-magnetite-quartz or nickel-nickel oxide) were inserted in silica-glass tubes, which were evacuated with a rotary vane pump to a vacuum in the order of 10<sup>-2</sup> mbar prior to sealing. A silica-glass filler rod was used to minimize the internal volume of the ampoule and to separate the sample from the buffer. At the end of the experiments, the silica-glass ampoules were pulled out of the furnace and quenched into water, a procedure that lasted less than one minute. In all runs referred to in this paper all buffer phases were still present after termination of the experiments, i.e., the desired oxygen fugacity was maintained during the whole experiment.

[11] For the gas-mixing experiments, the sample pellets were placed on a grid of platinum wire. As sample and metal only share a very small surface and no melt ever occurs in the samples, negligible Fe loss to the wire, but maximum contact of sample with gas mixture can be achieved. High-purity CO (CO > 99.97 vol %) and CO<sub>2</sub> (CO<sub>2</sub> > 99.995 vol %) gases were mixed with electronic valves (Millipore) and allowed to flow from the bottom to the top of the furnace tube (inner diameter 4 cm) at a rate of 200 cm<sup>3</sup>/min. The oxygen fugacity was measured after the experiments with an yttria-stabilized zirconia sensor (SIRO2) with air as the reference. The sensor was calibrated at 1300°C against the Ni-NiO equilibrium [O'Neill and Pownceby, 1993]. We estimate the accuracy of the experimental  $fO_2$  values at about  $\pm 0.2$  log unit at moderate to low oxygen fugacities ( $\triangle NNO < +1$ ; CO > 1 vol %), but up to about  $\pm 0.5$  log unit at high  $fO_2$  (more details from Lattard et al. [2005]). All fO<sub>2</sub> values given for the gas-mixing experiments in the following (Table 1) are those measured with the zirconia sensor. Since we also list the CO contents

Table 1. Synthesis Conditions and Modal Compositions of Synthetic Titanomagnetite-Bearing Samples, Chemical Compositions, and Curie Temperatures

jé	ارج ا	Cool	846	780	869	989	640	545	5581	462	402	350	270		150				0	880	920					908	768' 726'	/50 675 <sup>i</sup>	500	597 <sup>i</sup>	536	414	410 340 <sup>i</sup>	260	207		889	558	468	456	388			
K Grommé	Method	Heat (		982			969						238	193	149	152	132	114	869	868	850	202	146	135				699								162						303	264	226
Jurves, h	poq	Cool	838 <sup>i</sup>	622	5931	879	629	•				342			149 <sup>i</sup>					6/8								671 i									540 <sup>i</sup>		462	446'	5/5			
Te From $\chi$ -T Curves, <sup>h</sup> K	$1/\chi$ Method	Heat (		784								324 211i		187		148	129	109				145	140	130				/20 664 <sup>i</sup>								158	593				. 245 303	303	263	218
	u	Cool	831				622	522	524	442	389	334	010		148					8/3		•						67/											450		252			
Peak	Position	Heat (	830	778	675	286	586	486	483	415	365	319	23.5	187	145	147	128	109	865	864	824	144	139	128	117	787	753	720 661	585	582	524	384	388 319	230	23.5	158		470			303	300	260	217
·			<u>&amp;</u>	98	0		7	0.		5	∞ ∘	6							,	Ī							-	0,	5	3		2					9(			0 0	× ×			
		Ms-T Tc, K Heat	828	78	069		612				398									851						i	751	29	595	59		412					909		•	460	30			
stry		$X_{Usp}^{g}$	0.084	0.169	0.327	0.429	0.429	0.551	0.551	0.628	0.682	0.753	0.700	0.906	0.963	0.965	1.008	1.032	0.000	0.000	0.080	0.049	0.928	0.959	0.989	0.111	0.167	0.200	0.401	0.403	0.476	0.633	0.653	0.804	0.812	0.905	0.416	0.556	0.604	0.607	0.698	0.746	0.791	0.826
Tmt Chemistry Ti/(Ti+Fe)	(at.%)	$1\sigma^{ m f}$	_	(8)	<b>⊗</b>	(14)	(14)	(13)	(14)	(11)	(17)	(13)	(18)	(13)	(10)	6	(14)	(17)		(	<u></u>	(10)	(22)		$(\Xi)$	(5)	9 (8)	<u></u>	(10)	9	(12)	(15)	(13)	(12)	(15)	(25)	(25)	(10)	(15)	(19)	<u>(18</u>	(E)	(25)	(12)
T)/iT	(at	Mean <sup>f</sup>	2.80	5.64	10.89	14.30	14.30	18.36	18.36	20.92	22.73	24.42	27.77	30.20	32.09	32.16	33.60	34.39	0.00	0.00	2.65	20.07	31.39	31.95	32.95	3.71	5.57	9.71	13.38	13.42	15.85	21.09	23.69	26.79	27.07	30.17	13.87	18.52	20.14	20.22	23.20	24.87	26.36	27.54
	% lo	$1\sigma^{\mathrm{e}}$	(2)	(3)	9	(5)	9	(3)	(11)	(3)	į	$\hat{\mathbf{c}}$	(9)	9	(3)	9	4	(3)									ý	$\hat{C}$			(5)	(S)	<u>6</u>	S	$\Xi$	9	(9)	(5)	$\Xi^{g}$	© (	Ð.	<u> </u>	66	(5)
	Tmt, vol %	Meane	62	68	59	79	61	28	23	79	95	8/0	99	30	78	35	45	84	100	100	100	100	100	100	100	75	39	36 76	46	29	09	81 1	c 2	20 CA	75	81	52	41	36	86	/ I 85	2 4	56	99
		Phases	Fmt+Ilm	rmt+Ilm	Fmt+Ilm	Fmt+Ilm	Tmt+Ilm	Fmt+Ilm	[mt+]]m	Fmt+Ilm	rmt+Ilm	Imt+IIm Tmt+IIm	Fmt+IIm	rmt+Ilm	Fmt+Ilm	[mt+]]m	Tmt+Ilm	Tmt+Ilm	Tmt	Imt	I mt Tmt	IIII	Tmt	Tmt	Tmt	Tmt+Wus	I'mt+Wus	rint+wus Fmt+Wus	rmt+Wus	rmt+Wus	Fmt+Wus	Fmt+Wus	I mt+wus Fmt+Wus	rint - was	rint - wus Fmt+Wus	Tmt+Fe°	Fmt+Ilm	Tmt+Ilm	Fmt+Ilm	Fmt+IIm Fmt - IIm	l mt+11m Fmt+11m	rmt+IIm	Fmt+Ilm	Fmt+Ilm
	ı			Tm	Tm	Tm	Tm	Tm	Tm	Tm	Tm	Im	Tm	Tm	Tm	Tm	Tm	Tm	Γ.			- L	- [	I	I	Tmt	Tmt	Tmt	Tmt	Tmt	Tmt	Tmt	ImI Tmt	TmT	Tmt	Tm	Tm	Tm	Tm	Tm	T T	Tm	Tm	Tm
		$\Delta$ NNO <sup>d</sup>	3.3	2.8	1.9	1.4	1.4	0.8	8.0	0.3	0.0	-0.3	10.1	-1.6	-2.4	-2.4	-3.0	-3.5	3.3	0.3	5.5	1.5-	1 4 4 4 5 7 5 7 5 7 5 7 5 7 5 7 5 7 5 7 5	-4.2	-4.2	-1.1	-1.2	-1.5 -1.5	-1.6	-1.6	-1.9	-2.4	13.0	13.5	13.5	-4.2	1.2	0.5	0.0	0.0	-0.	-0.9	-1.5	-2.0
	su	$\log {\mathcal{O}_2}^{\rm c}$	-3.4	-3.9	-4.8	-5.2	-5.2	-5.9	-5.9	-6.4	-6.7	7.1	7.7	-8.3	-9.1	-9.1	7.6-	-10.2	-3.4	4.6	10.4	10.4	-10.9	-10.9	-10.9	7.7	8.7-	-8.1	-8.3	-8.3	-8.6	_9.1	-9.1 -9.7	-10.7	-10.2	-10.9	7.7	-8.4	-8.9	6.9	/.6- 8 6-	86-	-10.4	-11.0
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	Synthesis Conditions	Buffer <sup>a</sup> or CO% <sup>b</sup>	0.0	0.2	0.5	0.7	0.7	1.5	1.5	2.4	3.4	4. A	8.0	18.0	34.0	34.0	49.0	0.99	0.0	4.0	0.0	/1.0 81.0	20.00	81.0	81.0	10.0	11.0	14.0	18.0	18.0	23.5	34.0	34.0 49.0	0.74	66.0	81.0	1.3	1.25	ONN :	Ž Š	FIMC	3.5	Co/CoO	WM
	Š	t, hours	25	22	40	24	24	24	24	25	47	20	24 7	24	28	28	24	18	25	4 c	C7 C	27 6	2 5	25	25	26	7.8	23	52	52	22	20	20 24	1 C	25	25	72	14	120	93	1 <u>2</u> 0	2.2	93	144
		T, °C	1300	1300	1300	1300	1300	1302	1302	1299	1299	1300	1300	1301	1300	1300	1300	1299	1300	1300	1300	1300	1299	1300	1300	1300	1300	1300	1300	1300	1300	1300	1300	1300	1300	1300	1100	1101	1098	1098	1100	1104	1100	1100
	•																																											
		Bulk Ti/(Ti+Fe), at. %	8.0	8.0	20.0	20.0	23.5	28.0	31.0	28.0	24.0	28.0	31.0	43.3	37.0	43.3	40.0	43.3	0.0	0.0	3.0	21.0	31.0	32.0	33.0	3.0	3.0	0.0	8.0	10.0	10.0	20.0	17.0	17.0	23.5	20.0	23.5	31.0	31.0	24.0	31.0	28.0	37.0	31.0
		Bu		<b>5</b> b	er :	2p	<b>5</b> b													<del>d</del>			ı,								2							5						
		Run	6F92x0	6F92x0.15b	6F80x0.5a	6F80x0.75b	6F76x0.75b	6F72x1.5	6F69x1.5	6F72x2.4	6F76x3.4	6F/2x4.4	M1300-8	6F57x18	6F63x34	6F57x34	6IT60x49	6F57x66	6F100x0	6F100x2.4	6F9/x0 6E72av71	OF /24X/1 6F60v81	6F69x81.5	8F68x81	6F67x81	6F97x10	6F97x11	6F92x14	6F92x18	6IT90x18	6F90x23.5	6F80x34	6F83ax 49	6F83x66	6F76x66	6F80x81	F76 (c) 3	3F69x1.25	3F69Qe	3F76Qe	F63 (I) 3 F69 (X) 3	F72 (X) 3	F63 (g) 3	3P69WM

Table 1. (continued)

										Tmt	Imt Chemistr	try			Tc Fr	For From $\chi$ -T C	Curves, <sup>h</sup>	K	
			Ý.	Synthesis Cond	itions			Tmt vol %	% [*	Ti/(Ti+Fe)	Fe)			Peak Position	is is	$1/\gamma$ Metho	hod	Grommé	né d
	Bulk Ti/(Ti+Fe)		2	Buffer <sup>a</sup>				, ,	2				Ms-T Te	100		7 / ·			,
Run	at. %	T, °C t	t, hours	or CO%	$\log D_2^c$	$\Delta$ NNO <sup>d</sup>	Phases	Meane	$1\sigma^{\rm e}$	Mean <sup>f</sup>	$1\sigma^{\mathrm{f}}$	$X_{Usp}^{g}$	K Heat	Heat Cool		Heat	Cool	Heat	Cool
3F63x16.5	37.0	1100	135	16.5	-10.9	-2.0	Tmt+Ilm	47	(2)	28.52	(18)	0.856		206		208		209	
3F63x30	37.0	1100	96	30.0	-11.5	-2.6	Tmt+Ilm	82	(5)	29.81	(56)	0.894		170		172		173	
3P63IW	37.0	1100	144	IW	-13.3	4.4	Tmt+Ilm	99	(5)	32.38	(14)	0.971		122		122		123	
31T60IW	40.0	1100	153	IW	-13.3	4.4	Tmt+Ilm	55	4	32.46	(16)	0.974		811		II8		611	
M1100-13	43.5	1100	120	IW	-13.3	4.4	Tmt+Ilm	36	4	32.95	(10)	0.989		911		117		118	
3F92x30	8.0	1100	177	30.0	-11.5	-2.6	Tmt+Wus	38	(3)	14.38	(12)	0.431	562	544	557	544	557 <sup>i</sup>	550	564

Abbreviations of the buffer names: FMQ, fayalite-magnetite-quartz; IW, iron-wüstite; MW, magnetite-wüstite; NNO, Ni-NiO.

bVolume percent of CO in the CO-CO<sub>2</sub> gas mixtures.

The log JO<sub>2</sub> values derived from emf measurements with a zirconia cell or from buffer values; log JO<sub>2</sub> values for oxygen buffers from O'Neill [1987] (FMQ); O'Neill [1988] (IW, WM); O'Neill and Pownceby

Mean and standard deviation over three to six image analyses. If no value is given for 1 $\sigma$  only one image analysis was performed. [1993] (NNO, Co/CoO).

<sup>d</sup>ANNO = log /O<sub>2</sub>(experimental) – log /O<sub>2</sub>(NNO buffer).

 $^{\text{g}}X_{\text{Usp}} = 3\text{Ti/(Ti} + \text{Fe})$  (atomic proportion).  $^{\text{h}}T_c$  from  $\chi$ - $^{\text{T}}$  curves from heating (heat) and cooling (cool) paths.  $T_c$  values obtained from  $\chi$ - $^{\text{T}}$  curves measured with KLY 2 are in italic.  $^{\text{I}}$  Approximate Curie temperature estimated from complex  $\chi$ - $^{\text{T}}$  curves or from those with rounded peaks (see section 5.1). standard deviation over ten single EMP analyses. fMean and

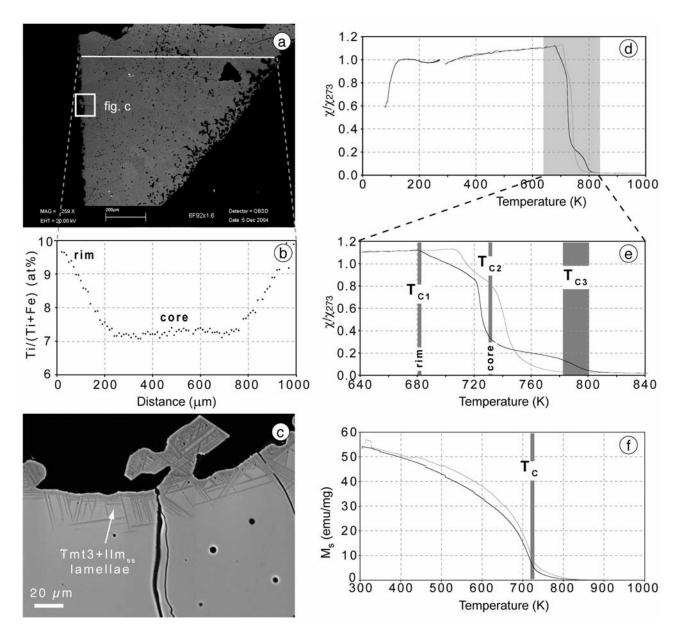
of the gas mixtures, the readers can easily retrieve the  $f{\rm O}_2$  values from the tables of *Deines et al.* [1974] for comparison. Run products were generally drop-quenched into water at the bottom of the furnace, a procedure which ensures a very fast cooling (within 10 s). In a few cases, however, the gas flow was first turned off and the samples were pulled out of the furnace and quenched into water. The whole procedure usually took less than 1 minute. In the following it is referred to as "external quench."

[12] All run products were carefully characterized using optical microscopy, X-ray powder diffraction, BSE images from a scanning electron microscope (SEM), including image analysis to determine modal proportions, and chemical analyses with the electron microprobe (EMP).

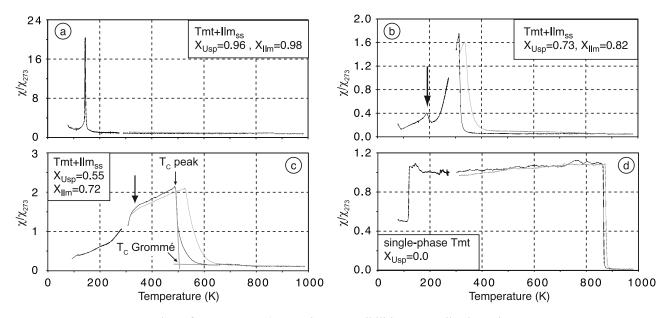
### 2.2. Magnetic Measurements

[13] The AC magnetic susceptibility  $(\chi)$  was measured as a function of temperature in the range between 80 and 970 K on small chunks (5 to 25 mg) of the pellets retrieved from all synthesis runs. We used both a KLY 2 and a KLY 4 Kappabridge, combined with a CS-2/CS-L furnace (AGICO; see details from *Hrouda* [1994]) operating at a low field of 300 A/m and a frequency of 870 Hz for KLY 4 and 920 Hz for KLY 2. The measurements were performed in two steps. First, the samples were cooled down to 80 K with liquid nitrogen and temperatures and susceptibilities were recorded during the subsequent warming up to 273 K. In a second step, the magnetic susceptibility was measured during a heating and cooling cycle from room temperature to 970 K and back to room temperature. The heating rate was 10 K/min. To avoid mineral reactions with atmospheric oxygen, the measurements were performed in a flowing argon atmosphere (110 ml/min). The temperature was measured with a Pt resistance thermometer that was placed within 1 mm distance to the sample. According to the manufacturer of the resistance thermometer (JUMO), the recorded temperature values are accurate within  $\pm 1$  K at temperatures up to 423 K but within  $\pm 3$  K in the range 423– 973 K. The raw susceptibility data were corrected for the empty furnace and normalized to the susceptibility magnitude at 273 K. Repeated  $\chi$ -T measurements with the same kappabridge on different chunks of the same sample yield  $T_C$  from the heating curve that are all within  $\pm 5^{\circ}$ , i.e., show a good reproducibility. At temperatures above room temperature, however, the  $T_C$  retrieved with kappabridge KLY 4 are up to 12 K higher than those obtained with KLY 2. The reasons for this discrepancy are not clear, but in the following we shall rely essentially on the values measured with the KLY 4 Kappabridge. Practically all  $T_C$  values above room temperature that are listed in Table 1 have been obtained with the latter apparatus (only 3 exceptions!). To avoid any confusion, the  $T_C$  values retrieved with the KLY2 are in italics in Table 1.

[14] Thermomagnetic curves were obtained using a variable field translation balance (VFTB) at the Department for Earth and Environmental Sciences at the Ludwig-Maximilian Universität, Munich. Details on the method are given by Leonhardt [2006]. Prior to the thermomagnetic curves, hysteresis loops at room temperature were measured with the VFTB (maximum magnetic field H = 0.63 T) in order to determine the saturation fields.  $M_s$ -T curves were obtained by measuring the induced magnetization from



**Figure 3.** Effect of chemical heterogeneity on the magnetic properties of a synthetic polycrystalline titanomagnetite sample (run product 6F92x1.6; bulk  $X_{Usp} = 0.24$ ; synthesized through a single sintering at  $1300^{\circ}$ C in a CO/CO<sub>2</sub> gas mixture). (a) BSE image of a polished section through part of the sample. (b) Ti/(Ti + Fe) values along the profile marked on Figure 3a, showing a pronounced chemical zonation with a plateau in the core region and increasing Ti/(Ti + Fe) values toward the outer surface. (c) BSE image of a small region near the surface, showing  $\lim_{s}$  lamellae and their Fe-rich Tmt-host crystals (Tmt3) in the outer 30  $\mu$ m thick rim, resulting from oxy-exsolution during external quench (see text in sections 2.1 and 3). (d)  $\chi$ -T curve in the temperature range 77-970 K (black, heating; gray, cooling). (e) Detail of the previous  $\chi$ -T curve in the temperature range 640-840 K to better show the stepwise drop of the magnetic susceptibility with increasing temperature. The Curie temperatures represented by the vertical bars  $T_{C1}$  and  $T_{C2}$  have been estimated from rim and core compositions (Figure 3b), using polynom 1 in Table 3. The  $T_{C3}$  bar is deduced from approximate compositions of the near-surface, oxidized titanomagnetite (see Figure 3c). (f)  $M_s$ -T curve over the temperature range 300-970 K. Curie temperature ( $T_C$ ) retrieved with the method of Moskowitz [1981].



**Figure 4.** Examples of  $\chi$ -T curves (magnetic susceptibilities normalized to the room temperature values) for titanomagnetite-bearing assemblages synthesized in the Fe-Ti-O system at 1300°C, with decreasing  $X_{Usp}$  from Figure 4a to 4d. Black curves were recorded during heating, gray curves during cooling. Note the peak or shoulder contributed by  $Ilm_{ss}$  (arrows) in Figures 4b and 4c. In Figure 4c, graphical estimates of the Curie temperature ( $T_C$ ) with the intersecting tangents method of *Grommé et al.* [1969] and the peak method. Samples IDs are (a) 6F63x34, (b) 6F72x4.4, (c) 6F72x1.5, and (d) 6F100x2.4. Synthesis conditions are given in Table 1.

room temperature to 970 K in argon atmosphere at saturation fields as determined from the hysteresis loops (see description of the method by *Matzka et al.* [2003]).

### 3. Synthesis Products

[15] All run products consist of polycrystalline, roughly equigranular aggregates, with grain sizes around 10 to 50  $\mu m$ . The majority of these run products consist of assemblages of two coexisting oxide phases, either Tmt + Ilm\_{\rm ss} or Tmt + Wus (Figure 2), which have been synthesized either at 1300°C or at 1100°C. For comparison, we have also synthesized a few titanomagnetite single-phase samples (Figure 2). The run conditions, the modal composition of the samples and the chemical composition of the synthetic titanomagnetites are given in Table 1, together with the Curie temperatures determined from temperature-dependent magnetic susceptibility curves or from temperature-dependent saturation magnetization curves.

[16] With the exception of wüstite, which unmixes tiny titanomagnetite crystals during quenching [e.g., Simons and Woermann, 1978; Senderov et al., 1993], the drop-quenched run products show no sign of any chemical or textural changes during quenching. In all drop-quenched, two-phase run products, the relatively large titanomagnetite crystals are chemically homogeneous, within the crystals and over the whole sample [cf. also Lattard et al., 2005]. Only this type of samples has been used to recalibrate the compositional dependence of the Curie temperature of titanomagnetite.

[17] However, we wish to caution against some commonly used synthesis procedures which yield samples with inhomogeneous titanomagnetite. For instance, different titanomagnetite compositions appear in products of gas mixing runs that

were not drop quenched but instead were pulled out of the furnace after the turning off of the CO gas and quenched into water outside the furnace (external quench). Through this procedure the still glowing samples ( $T > 800^{\circ}C$ ) are exposed to air for a few seconds. The outermost rim of these samples generally displays exsolution features in form of very fine lamellae or rims of Ilmss within or around the Tmt crystals (Figure 3c), or of Psb<sub>ss</sub> lamellae in Ilm<sub>ss</sub> host crystals. The composition of the Tmt crystals containing Ilm<sub>ss</sub>-lamellae is iron richer than those in the central part of the sample pellet. Such features may appear in single-phase samples as well as in two-phase products. In any case, they are restricted to the outermost surface of the sample or to superficial cracks, i.e., to regions of the samples that were in contact with the surrounding gas during the external quench [Lattard et al., 2005]. These exsolutions can be understood as "oxy-exsolutions" in the sense of Buddington and Lindsley [1964]. The zones affected by oxy-exsolution represent only few percent of the total volume of the sample pellets, but (as we shall see in the following) they can significantly influence the magnetic properties of the samples. Such features were most probably present in some of the synthetic products used in other studies but have not been described because the authors did not (in older studies could not) examine their samples with the SEM.

[18] The second type of chemically inhomogeneous titanomagnetites occur in some single-phase samples that were synthesized through gas mixing experiments from starting mixtures containing only Fe<sub>2</sub>O<sub>3</sub> and TiO<sub>2</sub> (without metallic iron). The sample pellets present outer shells (up to 200  $\mu$ m thick) in which the Ti/Fe ratio increases toward the pellet surface (Figure 3b). Whether some samples used in previous magnetic studies may have presented such Ti-enriched rims is a matter of conjecture. It has been known for long that at least

**Table 2.** Comparison of Estimates of the Curie or Néel Temperatures Obtained With Different Graphical or Extrapolation Methods From  $\chi$ -T or  $M_s$ -T Curves of a Few Standard Substances<sup>a</sup>

		Es	timates From $\chi$ -T		Estimates F	rom M <sub>s</sub> -T
Substances	Literature	Peak	$1/\chi$	Grommé	Moskowitz	Grommé
Ni (99.998%)	631	628-632	635	636	636	636
Fe <sub>3</sub> O <sub>4</sub> (6F100x2.4)	848 - 858	864	865	868	851	852
Fe <sub>2</sub> O <sub>3</sub> (99.9%)	948	950-953	951	973	952	953
Fe° (99.998%)	1043	1039 - 1043	1045	1052	1050	1055

<sup>a</sup>Temperature is given in kelvins. Literature values are from *Hunt et al.* [1995]). "Grommé" refers to the intersecting tangents method of *Grommé et al.* [1969], "Moskowitz" to the extrapolation method of *Moskowitz* [1981]. Ni, spans from a rod (Koch and Light); Fe<sub>3</sub>O<sub>4</sub>, single-phase polycrystalline magnetite synthesized from Fe<sub>2</sub>O<sub>3</sub> powder at 1300°C,  $\log f$ O<sub>2</sub> = -6.4 (run product 6F100x2.4); Fe<sub>2</sub>O<sub>3</sub>, powder (Alpha Products); Fe, spans from a rod (Koch and Light).

double sintering is necessary to minimize chemical heterogeneities in Tmt samples synthesized from Fe<sub>2</sub>O<sub>3</sub>-TiO<sub>2</sub> mixtures [e.g., *Bleil*, 1971] and that "it is difficult to achieve a uniform distribution of Ti in the samples" [*Kakol et al.*, 1991, p. 649]. In fact, careful examination of our double-sintered run products have in some cases revealed compositional heterogeneities. In any case, efficient checks of the compositional homogeneity of synthetic titanomagnetites are mandatory but have been reported only in a few papers [e.g., *Moskowitz*, 1987; *Kakol et al.*, 1991; *Wanamaker and Moskowitz*, 1994].

# 4. Magnetic Susceptibility as a Function of Temperature ( $\chi$ -T Curves)

[19] The  $\chi$ -T curves (Figure 4) are dominated by the contribution of titanomagnetite, with distinct shapes as a function of the ulvöspinel content  $(X_{Usp})$ . At  $X_{Usp} > 0.9$ the curves are flat with only a sharp "peak" (Figure 4a), the right flank of which corresponds to the sharp decrease to paramagnetic susceptiblity at temperatures above the Curie temperature  $(T_C)$ . With decreasing  $X_{Usp}$ , the asymmetry of the peak increases (Figure 4b) and at  $X_{Usp} < 0.7$ the low-temperature flank becomes slightly convex and the susceptibility above room temperature increases while  $T_C$  is shifted to higher temperatures (Figure 4c). Samples with end-member magnetite display a practically constant susceptibility between the Verwey transition temperature  $(\sim 120 \text{ K}, \text{ transition between the cubic and the mono-}$ clinic structure) and the Curie temperature (~850 K) (Figure 4d).

[20] In samples containing  $Ilm_{ss}$  with  $0.7 < X_{Ilm} < 0.85$ , the contribution of the rhombohedral phase to the  $\chi$ -T curves is a small peak or a shoulder on the low-temperature flank of the Tmt peak (see arrows in Figures 4b and 4c). The corresponding Curie temperatures for Ilm- $Hem_{ss}$  are in the range of 330 to 170 K and decrease with increasing  $X_{Ilm}$ , in accordance with the results of Ishikawa et al. [1985]. However, precise  $T_C$  values can only be recorded from samples rich in  $Ilm_{ss}$ .

[21] The  $\chi$ -T curves of samples with chemically inhomogeneous titanomagnetite do not exhibit the characteristic sharp decrease of the magnetic susceptibility at temperatures just above  $T_C$ , but instead either a stepwise drop (Figures 3d and 3e) or a gradual decay of  $\chi$  in the corresponding temperature range. The  $\chi$ -T curves with steplike drops are typical of sample pellets that contain only titanomagnetite (single-phase assemblage) and display large Ti-rich outer rims (Figure 3b and section 3). The  $\chi$ -T curves with a gradual  $\chi$  decay around  $T_C$  are registered either from Tmt single-phase samples with less

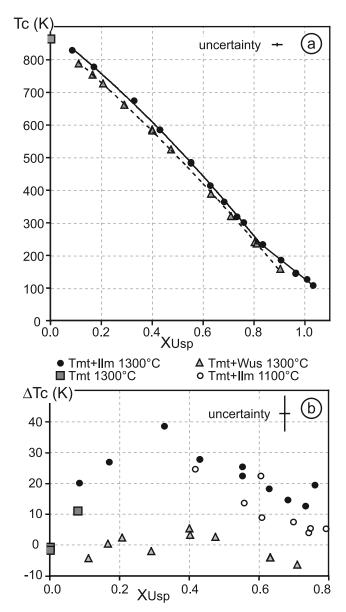
pronounced Ti-rich rims or from run products with an oxidized surface due to external quench. The latter samples, which consist either of single-phase Tmt or of Tmt-Ilm<sub>ss</sub> assemblages, contain few volume percent of Fe-richer titanomagnetite localized at the pellet surface (Figure 3c and section 3). In the following, however, only samples with chemically homogeneous Tmts will be considered.

[22] As can be seen from Figure 4, in many of our  $\chi$ -T curves the branches above room temperature are nonreversible, i.e., the Curie temperatures are not the same on the heating and on the cooling paths. Nonreversiblity occur in nearly all samples with Tmt in the compositional range  $0.1 < X_{Usp} < 0.8$ , even if the Tmt are chemically homogeneous. The nonreversibility of the  $\chi$ -T curves will be discussed in more detail in section 5.3.

# 5. Curie Temperatures Retrieved From $\chi$ -T Curves

# 5.1. Methods for Estimating the Curie Temperature From $\chi$ -T Curves

[23] The Curie temperature  $(T_C)$  defines the transition from ferrimagnetic to paramagnetic ordering. In previous studies,  $T_C$  determinations from  $\chi$ -T curves have often been performed with the graphical "intersecting tangents method" of Grommé et al. [1969] where  $T_C$  is defined by the intersection point of the tangent following the sharp drop of susceptibility with the one following the neighboring base line at higher temperature [e.g., Gonzalez et al., 1997; Harrison and Putnis, 1999a; Kontny et al., 2003; De Wall et al., 2004]. Hauptman [1974] proposed a projection of the  $\chi$  drop to the zero line. However, *Petrovsky and* Kapicka [2005] have emphasized that the Curie temperature is not the temperature at which magnetic susceptibility vanishes but, instead, corresponds to a second-order phase transition with a critical point at which the magnetic susceptibility is theoretically infinite. These authors see two options for retrieving  $T_C$  from  $\chi$ -T curves. If the susceptibility strongly increases just below  $T_C$  (often interpreted as Hopkinson peak), as shown in Figures 4a and 4b, the corresponding temperature can be taken as  $T_C$  ("peak method"). Otherwise,  $T_C$  can be seen as the lowest temperature at which paramagnetic behavior appears, i.e., at which the Curie-Weiss law holds:  $\chi_{(T>T_c)} = C/(T-T_c)$ . Consequently, in a  $1/\chi$  versus T plot,  $T_C$  is the lowest temperature end of a linear pattern over a significant temperature range ("1/ $\chi$  method"). Petrovsky and Kapicka [2005] postulate that the application of the intersecting tangent method on  $\chi$ -T curves overestimates the Curie temperatures. Indeed,



**Figure 5.** Curie temperatures  $(T_C)$  of synthetic titanomagnetites in the Fe-Ti-O system as a function of composition  $(X_{Usp})$ . Estimates from  $\chi$ -T curves with the peak method (see section 5.1). (a) Products of syntheses at  $1300^{\circ}$ C with a second-order regression curve for Tmt in equilibrium with Wus (dashed line). For Tmt in equilibrium with IIm<sub>ss</sub>, there are two regression curves: at  $X_{Usp} < 0.8$  a second-order curve (thick black curve) and at  $X_{Usp} > 0.8$  a linear regression (thin black line). Equations of the regression curves are given in Table 3. (b) Plot of  $\Delta T_C$  versus  $X_{Usp}$ , whereby  $\Delta T_C = T_C$  (sample)  $-T_C$  (regression value for Wus-bearing sample at the same  $X_{Usp}$ ). The data for  $X_{Usp} > 0.8$  are not represented because the extrapolation of the regression curve for Tmt (+Wus) is not adequate in this  $X_{Usp}$  range.

our  $\chi$ -T measurements with the KLY 4 kappabridge on the standard substances Ni, Fe<sub>3</sub>O<sub>4</sub>, Fe<sub>2</sub>O<sub>3</sub> and Fe $^{\circ}$  show that Curie (or Néel) temperatures are distinctly overestimated with the intersecting tangent method, whereas the peak and the  $1/\chi$  methods yield values that are only a few degrees above the accepted literature values (Table 2).

- [24]  $T_C$  values obtained from our samples with the different methods are listed in Table 1. We have not considered the "first derivative" approach (which identifies the peak in the first derivative of the  $\chi$ -T curve) in our data set because this method yields practically the same results as the peak method. For further discussions we shall only use the values retrieved with the peak method. In case of peaks with a rounded shape, we have taken the onset of the sharp  $\chi$  drop as  $T_C$ . In such cases, the  $1/\chi$ -T curves do not show a distinct linear portion, i.e., do not allow a good  $T_C$ estimate, because the transition from magnetically ordered to paramagnetic state does not occur at a discrete temperature, but over a (sometimes rather wide) temperature range (values followed by a superscript j in Table 1). For such samples our  $T_C$  estimate with the peak method represents the temperature at which the paramagnetic behavior starts to dominate.
- [25] In samples with heterogeneous titanomagnetite compositions, which show complex  $\chi$ -T curves, the determination of  $T_C$  is not straightforward. The temperature of the first significant decrease in  $\chi$  appears to reflect the Ti-richest Tmt composition (Figure 3e). In case of a step-like drop at the ferrimagnetic to paramagnetic transition, further abrupt  $\chi$  decreases may be correlated to some localized compositions (Figure 3), but such correlations are precarious. In case of  $\chi$ -T curves with a smeared  $\chi$  decrease, only the peak temperature seems to have some significance. The intersecting tangents method may yield different  $T_C$  values, but their significance is dubious.
- [26] The results listed in Table 1 concern samples with chemically homogeneous Tmts, which produce simple  $\chi$ -T curves. The curves for Tmt in equilibrium with Wus, however, display step-like features, due to the fact that Wus exsolves Fe-rich Tmt upon quenching (see section 3). With the peak method the  $T_C$  of the high-temperature Tmt is easily retrieved, but the  $1/\chi$  and the intersecting tangents methods yield uncertain results (values followed by a superscript j in Table 1).

# 5.2. Curie Temperatures as a Function of Tmt Composition, Synthesis Temperature, and Paragenesis

- [27] In this section we address only the Curie temperatures that can be determined from the first heating branch of the  $\chi$ -T curves. As mentioned in section 4, the subsequent cooling branch generally points to different  $T_C$  values. This nonreversibility will be discussed in section 5.3.
- [28] As known from previous studies (see Figure 1), the Curie temperatures of our synthetic titanomagnetites decrease with increasing ulvöspinel content (Figure 5a). Yet our data reveal a number of further interesting effects. For samples synthesized at  $1300^{\circ}$ C the  $T_C$  values for Tmt in coexistence with Ilm<sub>ss</sub> are all higher than those of Tmt in coexistence with Wus (Figure 5a). This  $\Delta T_C$  is in the order of 15 to 35 K (Figure 5b). At  $X_{Usp} = 0.33 \Delta T_C$  culminates at 37 K and apparently decreases with increasing  $X_{Usp}$  up to about 0.8. At high Ti contents ( $X_{Usp} > 0.9$ ), the comparison is difficult because Tmt can no longer coexist with wüstite in the Fe-Ti-O system (see Figure 2). Yet the trend persists for these Ti-rich compositions: Tmt synthesized in equilibrium with  $Ilm_{ss}$  do have higher  $T_C$  than single-phase Tmt with the same Ti/Fe ratio. The  $T_C$  values retrieved from Tmt-Ilm<sub>ss</sub> assemblages synthesized at 1100°C are, at any given

**Table 3.** Coefficients and Correlation Coefficients of the Regression Polynoms Obtained for the Correlations Between Curie Temperature and Composition of Synthetic Titanomagnetites in the Fe-Ti-O System<sup>a</sup>

Polynom	Synthetic T, K	Compositional Range	Coexisting Oxide	a	b	c	u	V	W	$\mathbb{R}^2$
1	1573	0.1 < Xusp < 0.8	$Ilm_{SS}$	-218.195	-608.713	887.008	-4E-7	-0.000794	1.033357	0.999
2	1573	0.8 < Xusp < 1.0	$Ilm_{SS}$		-628.406	755.979		-0.001579	1.201158	0.993
3	1573	0.1 < Xusp < 0.9	Wus	-154.449	-650.283	865.549	-3E-7	-0.000953	1.053392	0.999
4	1373	0.4 < Xusp < 0.8	$Ilm_{SS}$	-222.712	-629.299	892.454	-3E-7	-0.000856	1.029115	0.999
5	1373	0.8 < Xusp < 1.0	$Ilm_{SS}$		-662.873	766.905		-0.001494	1.154673	0.990
6	1573	0.1 < Xusp < 0.8	$Ilm_{SS}$	-400.062	-414.955	866.621	-1E-6	-0.000204	0.915024	0.999

<sup>a</sup>Polynoms 1 to 5 are based on  $T_C$  values retrieved from  $\chi$ -T curves, polynom 6 is based on  $T_C$  values retrieved from  $M_s$ -T curves. All temperatures are in kelvins. Polynoms of the form  $T_C = aX_{Usp}^2 + bX_{Usp} + c$  and  $X_{Usp} = uT_C^2 + vT_C + w$ . Read -4E-7 as  $-4 \times 10^{-7}$ .

 $X_{Usp}$ , intermediate between those of the two 1300°C series (Figure 5b). For each data group one can establish a second-order polynomial correlation (with excellent correlation coefficients) between the  $T_C$  value and the ulvöspinel content of the titanomagnetites in the range  $0.1 < X_{Usp} < 0.8$  (Table 3). At higher Ti contents, the slope of the regression line for Tmt in equilibrium with Ilm<sub>ss</sub> is distinctly flatter (Figure 5a).

[29] The most possible explanation for the differences between the Curie temperatures of titanomagnetites synthesized in equilibrium with different phases (IIm<sub>ss</sub> versus Wus), is to assume that the two sets of Tmt have different concentrations of cation vacancies. Tmt synthesized in equilibrium with wüstite should be devoid of cation vacancies and may even contain cation interstitials. In contrast, Tmt in equilibrium with IIm<sub>ss</sub> are known to present significant concentrations of cation vacancies at 1300°C, but somewhat lower concentrations at 1100°C [e.g., Aragon and McCallister, 1982; Senderov et al., 1993; Aggarwal and Dieckmann, 2002].

[30] In principal, our results confirm those of *Hauptman* [1974] and Rahman and Parry [1978], who reported a strong increase of the Curie temperatures (of up to 60 K) with increasing vacancy concentrations for two single titanomagnetite compositions ( $X_{U_{SD}} = 0.6$  and 0.3) equilibrated at 1275 or 1300°C. Yet our results show somewhat smaller  $T_C$  increases (Figure 5). This discrepancy is most probably related to the fact that Hauptman [1974] and Rahman and Parry [1978] oversaw small amounts of Ilm<sub>ss</sub> in their allegedly single-phase titanomagnetite samples. According to the results of *Lattard et al.* [2005], the four highest oxygen fugacities reported by Hauptman [1974] for the equilibration of a Tmt with  $X_{Usp} = 0.6$  at 1275°C are outside the stability field of single-phase Tmt but instead fall in the binary Tmt-Ilm<sub>ss</sub> field (see Figure 2). Consequently, the corresponding samples of Hauptman [1974] probably contained some percent of Ilm<sub>ss</sub> and the coexisting Tmt had a lower  $X_{Usp}$  and hence a higher  $T_C$  than expected. Some of the  $\chi$ -T curves presented by Hauptman [1974] give support to our hypothesis. They have a step-like form (curves 5 and 6 in Hauptman's Figure 6) which suggest juxtaposed compositions of titanomagnetite. Concerning the data of Rahman and Parry [1978], the highest  $fO_2$  presented for Tmt with  $X_{Usp} = 0.3$  also falls in the binary Tmt-Ilm<sub>ss</sub> field delineated at 1300°C by Lattard et al. [2005]. Moreover, Rahman and Parry [1978, p. 233] report that their thermomagnetic curves "in some cases suggest the occurrence of a higher Curie point transition" whereby the "maximum amount of this higher Curie point component ...was about 5% by volume."

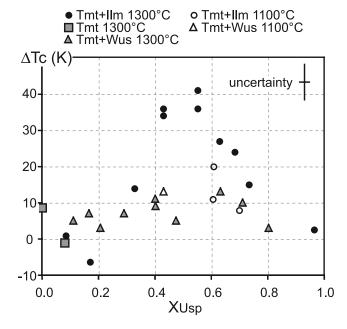
[31] In conclusion, our data set definitely shows a range of Curie temperatures for titanomagnetites with the same Ti/Fe ratio, whereby the lowest  $T_C$  is registered for Tmt coexisting with Wus, i.e., the Tmt with the lowest possible vacancy concentration, and the highest  $T_C$  for Tmt coexisting with  $IIm_{ss}$ , i.e., those with the highest possible vacancy concentration.

### 5.3. Nonreversibility of the $\chi$ -T Curves

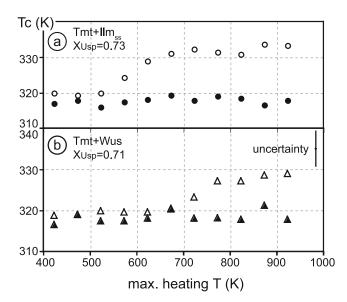
### 5.3.1. Experimental Results

[32] Nearly all titanomagnetites with  $T_C$  values above room temperature present  $\chi$ -T curves with a conspicuous nonreversibility of the Curie temperature. In most samples the strong change in magnetic susceptiblity marking the Curie temperature is shifted to higher temperature in the  $\chi$ -T pattern recorded on the cooling path compared to that of the preceding heating path (Figure 4).

[33] The difference ( $\Delta T_C$ ) between the two Curie temperatures obtained from the cooling and from the heating branch, respectively, is dependent not only upon the Tmt composition, but also upon the synthesis temperature and the coexisting oxide phase. Tmts coexisting with Wus have



**Figure 6.** Difference  $(\Delta T_C)$  between Curie temperatures obtained from the cooling and from the heating branch of  $\chi$ -T curves as a function of titanomagnetite composition  $(X_{Usp})$ .



**Figure 7.** Curie temperatures of titanomagnetites with  $X_{Usp} \approx 0.7$ , retrieved with the peak method from the heating (solid symbols) and from the cooling branches (open symbols) of  $\chi$ -T curves as a function of the maximum heating temperature during the  $\chi$ -T measurements. (a) Tmt synthesized at 1300°C in equilibrium with Ilm<sub>ss</sub> (sample 6F72x4.4). (b) Tmt synthesized at 1300°C in equilibrium with Wus (sample 6F83ax49).

the lowest  $\Delta T_C$ , with nearly reversible  $\chi$ -T curves for Ferich compositions, but a slight nonreversibility ( $\Delta T_C < 15$  K) for compositions in the  $X_{Usp}$  range 0.4 to 0.8 (Figure 6). Tmts in equilibrium with Ilm<sub>ss</sub> at 1300°C present the strongest nonreversibility, which culminates at  $X_{Usp} \approx 0.5$ , with  $\Delta T_C$  up to 40 K. For one Fe-rich composition ( $X_{Usp} = 0.169$ ), however, the  $T_C$  value on the cooling branch is lower than that on the heating branch ( $\Delta T_C = -6$  K). Tmts synthesized in equilibrium with Ilm<sub>ss</sub> at 1100°C have much lower  $\Delta T_C$  than those synthesized at 1300°C (Figure 6).

[34] Further tests show that the nonreversibility is also influenced by the maximum heating temperature during the  $\chi$ -T measurements. For example, in case of a Tmt with  $X_{Usp} = 0.7$  synthesized at 1300°C in equilibrium with Ilm<sub>ss</sub>, the  $\chi$ -T curve is reversible if the maximum heating temperature does not exceed 500 K. The nonreversibility increases with increasing maximum heating temperature and reaches a plateau value for maximum heating temperatures above 700 K (Figure 7a). In case of a Tmt with practically the same  $X_{Usp}$ , but synthesized in equilibrium with Wus, nonreversibility appears only if the heating temperature exceeded 700 K (Figure 7b). Repeated heating-cooling cycles from room temperature to 970 K lead to converging heating and cooling branches, i.e., the nonreversibility disappears and the Curie temperature stabilizes at a value near that of the original  $T_C$  on the cooling branch (Figure 8).

[35] The nonreversible behavior of the  $\chi$ -T curves may be related to changes in the chemical composition, either related to oxidation or to unmixing of Tmt, or in the degree of cation order of titanomagnetite. We shall examine these possibilities in sections 5.3.2–5.3.4.

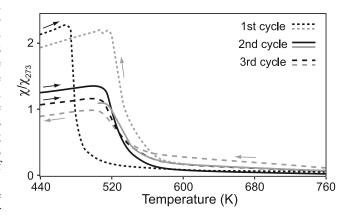
#### 5.3.2. Is the Nonreversibility due to Oxidation?

[36] The increase of the Curie temperature on the cooling branch could point to oxidation during the  $\chi$ -T measurements yielding either titanomaghemite or a Fe-richer Tmt with concomitant formation of  $Ilm_{ss}$  lamellae (oxy-exsolution). In our samples, the formation of titanomaghemite can be ruled out because this phase is known to develop only from very fine grained Tmt (typically ball milled) oxidized in air at temperatures below 573 K and to quickly breakdown at higher temperatures [e.g., Moskowitz, 1981]. In contrast, our  $\chi$ -T measurements have been performed on relatively coarse-grained assemblages under flowing Ar atmosphere and the curves were reversible when the maximum heating temperature did not exceed 573 K (Figure 7).

[37] Systematic SEM examination of all samples measured under flowing Ar have shown no typical oxyexsolution "trellis" texture, with very fine lamellae of Ilm<sub>ss</sub> in the {111} planes of magnetite-rich Tmt [e.g., *Buddington and Lindsley*, 1964; *Haggerty*, 1991]. EMP analyses have also revealed no change in the chemical composition of the Tmts before and after the  $\chi$ -T measurements. The only exception was a sample, which was measured three times, i.e., with three consecutive heating-cooling cycles from room temperature to 970 K ( $\chi$ -T curves in Figure 8). After the third cycle, the sample presented oxy-exsolution trellis textures in the near-surface region (rim of about 30 to 40  $\mu$ m in depth).

[38] In contrast, single  $\chi$ -T measurements performed in air do cause near-surface oxidation, resulting in trellis textures in the outer rim of the sample. This has been observed on one Tmt-Ilm<sub>ss</sub> sample ( $X_{Usp} = 0.73$ ,  $X_{Ilm} = 0.82$ ). The cooling branch of the corresponding  $\chi$ -T curve is distinctly different from those retrieved from our usual measurements in flowing Ar. Not only is the  $\chi$  drop shifted to higher temperatures, but the curve also presents a long flat tail ending at temperatures around 840 K, which points to small amounts of magnetite-rich Tmt. Indeed, oxidation of such a Fe-Ti oxide assemblage at temperatures below 900 K should produce Fe-rich Tmt [e.g., *Buddington and Lindsley*, 1964].

[39] To summarize, we have no indication for oxidation of our samples during single  $\chi$ -T measurements under Ar flow



**Figure 8.** The  $\chi$ -T curves recorded during three succeeding heating-cooling cycles (maximum heating temperature 970 K) from the same sample piece (Tmt + Ilm<sub>ss</sub>,  $X_{Usp}$  = 0.55; Sample 6F69x1.5). Black curves are for heating; gray curves are for cooling.

### 5.3.3. Is the Nonreversibility due to Subsolvus Unmixing of Titanomagnetite?

[40] In principal, the nonreversibility of the  $\chi$ -T curves could also be related to unmixing of the original high-temperature Tmts into intergrowths of a Fe-rich and a Fe-poorer spinel, caused by subsolvus exsolution during the  $\chi$ -T measurements. Harrison and Putnis [1996] have documented such processes in the magnetite-spinel solid solution. The situation for titanomagnetite is, however, somewhat different, because the consolute point of the miscibility gap probably lies below 870 K or even 770 K [Vincent et al., 1957; Lindsley, 1981; Price, 1981; Lindsley, 1991], i.e., at lower temperatures than the maximum heating temperature during our  $\chi$ -T measurements (970 K). Therefore unmixing of Tmt during these measurements appears unlikely.

[41] In any case, the observed nonreversibilty of singlephase end-member magnetite (Fe<sub>3</sub>O<sub>4</sub>) cannot be related to unmixing (Run product 6F100x2.4 in Table 1 and Figures 4 and 6). In a Fe-rich Tmt, for instance with  $X_{Usp} = 0.169$ , unmixing would be expected to produce partial exsolution of small amounts of a Ti-richer Tmt, whereas the composition of the host Tmt would become somewhat Fe-richer. Consequently, the cooling branch of the  $\chi$ -T curve should be shifted toward higher temperatures, but the contrary happens (see Figure 6). For Ti-rich titanomagnetites, unmixing would be expected to produce partial exsolution of small amounts of a Fe-richer Tmt, whereas the composition of the host Tmt would become slightly Ti-richer. Consequently, we would expect cooling branches of the  $\chi$ -T curves with steps or gradual decays, such as those depicted in Figure 3 for inhomogeneous Tmts. However, such features do not occur in case of the samples listed in Table 1 (see Figure 4). The cooling branches of the  $\chi$ -T curves may be somewhat smoother around  $T_C$  (Figures 4b, 4c, and 8), but otherwise they closely resemble the heating branches and do not show indication for the appearance of different Tmt compositions during the  $\chi$ -T measurements.

[42] Very fine grained Tmt exsolution lamellae could be expected to have single domain behavior and display a pronounced Hopkinson peak on the cooling branch of the  $\chi$ -T curve [e.g., Harrison and Putnis, 1996, Figure 1b], but no such peak appeared in the cooling branches of our  $\chi$ -T curves. In total, we do not see any indication for subsolvus unmixing of Tmt during the  $\chi$ -T measurements.

# **5.3.4.** Cation Distribution and Nonconvergent Ordering

[43] Since changes in Tmt compositions, in relation to oxidation or unmixing, do not appear to be responsible for the nonreversibility of the  $\chi$ -T curves, only changes in nonconvergent cation order can be further considered. We present here first a brief outline of the theory about temperature-dependent cation distribution in titanomagnetite and the kinetics of cation reordering.

[44] The stoichiometric end-members of the titanomagnetite solid solution, magnetite and ulvöspinel, are known to have the inverse spinel cation distribution at room temperature. Their structural formula can be written as  $(Fe^{3+})^{\text{tet}}$   $[Fe^{3+} Fe^{2+}]^{\text{oct}}$   $O_4$  for the magnetite end-member and  $(Fe^{2+})^{\text{tet}}$   $[Fe^{2+} Ti^{4+}]^{\text{oct}}$   $O_4$  for the ulvöspinel end-member. At elevated temperatures, ulvöspinel is known to keep its inverse configuration [e.g., *Wechsler et al.*, 1984], whereas

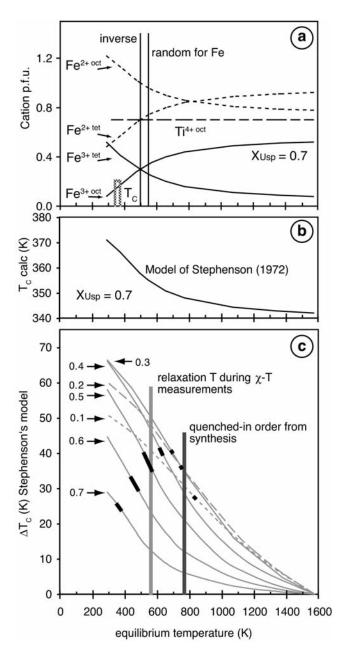
in magnetite cations become progressively disordered over both tetrahedral and octahedral sites (nonconvergent disordering) with increasing temperature [e.g., *Wu and Mason*, 1981;  $Wi\beta mann\ et\ al.$ , 1998]. The structural formula for a high-temperature magnetic with a random cation distribution is  $(Fe_{0.67}^{3+}\ Fe_{0.33}^{2+})^{tet}\ [Fe_{1.33}^{1-3}\ Fe_{0.67}^{2+}]^{oct}O_4$ .

[45] On the basis of thermoelectric coefficient measurements and of the thermodynamic study of O'Neill and Navrotsky [1984], Trestman-Matts et al. [1983] have developed a cation distribution model for the titanomagnetite solid solution as a function of equilibration temperature. Titanium is assumed to occupy only octahedral sites, in accordance with magnetic and neutron diffraction data [e.g., O'Reilly and Banerjee, 1965; Stephenson, 1969; Ishikawa et al., 1971; Wechsler et al., 1984]. Calculations with the model of Trestman-Matts et al. [1983] show, as expected, that in all Tmt at equilibrium nonconvergent disordering progresses with increasing temperature, i.e., the Fe<sup>2+</sup> content in octahedral sites decreases and the one in tetrahedral sites increases (Figure 9a). On the basis of the model of Stephenson [1972] these changes translate into a decrease of  $T_C$  with increasing equilibrium temperature (Figure 9b). For a Tmt with  $X_{Usp} = 0.7$ , for example, the Curie temperature is predicted to be 342 K if the cation distribution equilibrated at 1573 K, but 371 K if the cation distribution could equilibrate at 293 K (Figure 9b). With decreasing  $X_{Usp}$ down to 0.4, the effect of the equilibrium temperature on the cation distribution become stronger, hence the differences in  $T_C$  steadily increase. At  $X_{Usp} < 0.4$ , however, the trend reverses (Figure 9c).

[46] Yet the kinetics of cation ordering in Tmt plays a dominant role in the interpretation of our results. On the basis of the observation that unit cell parameters and/or magnetic properties of synthetic Tmts quenched from different temperatures are identical [e.g., O'Donovan and O'Reilly, 1980; Wechsler et al., 1984], the cation distribution established in titanomagnetite at high synthesis temperatures is reputed unquenchable. Indeed, since reequilibration requires only the transfer of an electron between Fe cations in adjacent tetrahedral and octahedral sites, its kinetics must be very rapid [Jensen and Shive, 1973]. However, as discussed in detail by Harrison and Putnis [1999b], not only the quench temperature but also the quench rate determines the quenched-in degree of order. For quench rates usual in experimental studies, Harrison and Putnis [1999b] suggest for Tmt that the closure temperature, i.e., the quench temperature above which the quenched-in degree of order remains constant, is less than 873 K. The quenched-in degree of order should correspond to an equilibrium order at still lower temperature, in the order of 750 to 800 K [see Harrison and Putnis, 1999b, Figure 16]. This would hold for all our synthetic samples.

[47] During the  $\chi$ -T measurements, which involve heating and cooling up to 970 K at a rate of 10 K/min, rapid changes in cation ordering may appear above a characteristic relaxation temperature and the ordering state may even reach its equilibrium value, which will be metastably kept on cooling to room temperature [cf. Harrison and Putnis, 1996]. Whether such changes in cation ordering lead to a shift of the Curie temperature on the cooling branch of the  $\chi$ -T curve or not, depends on the relative position of the Curie temperature and the relaxation temperature.

[48] Let us first consider a titanomagnetite synthesized in equilibrium with  $Ilm_{ss}$  with  $X_{Usp} = 0.7$  and a nonreversible  $T_C$  $(\Delta T_C \approx 20 \text{ K})$ . The  $\chi$ -T measurements performed with different maximum heating temperatures suggest a relaxation temperature of about 600 K (Figure 7a). During the first heating of a  $\chi$ -T measurement, the  $T_C$  value registered at 354 K (value interpolated from our experimental data; see polynom 1 in Table 3), i.e., well below the relaxation temperature, must represent the quenched-in degree of order. Upon heating and subsequent cooling above the relaxation temperature at a rate of 10 K/min, the cation distribution might reach the equilibrium values depicted in Figure 9a. The higher  $T_C$  value recorded during cooling (about 374 K) probably reflects the equilibrium degree of order established at the relaxation temperature (about 600 K) and preserved during further cooling. The model of Stephenson [1972] predicts a higher  $T_C$  value on the cooling branch (Figures 9b and 9c), but the difference is much lower than

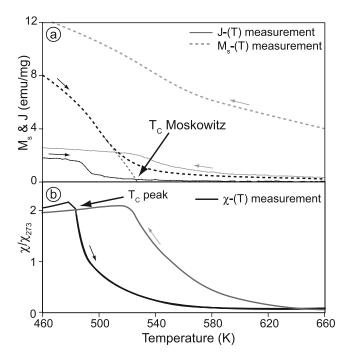


the nonreversiblity observed in our  $\chi$ -T measurements (only 3 to 4 K compared to the observed 20 K; Figures 9c and 6). Harrison and Putnis [1999b] have also noted that Stephenson's model strongly underestimates the nonreversiblity. Yet this model is useful to explain the increase in nonreversibility with decreasing  $X_{Usp}$  down to 0.4. As shown in Figure 9c, the differences between the  $T_C$  values corresponding to the equilibrium order at about 600 K (relaxation temperature) and those corresponding to the degree of order at about 750–800 K (i.e., quenched-in orders from syntheses) significantly increase with decreasing ulvöspinel content, at least down to  $X_{Usp} = 0.4$  (Figure 9c).

[49] For Tmts with  $X_{Usp} \leq 0.4$  the situation changes because the Curie temperature is higher than the relaxation temperature during the  $\chi$ -T measurements (Figure 9c). Above the relaxation temperature, the measured  $T_C$  values mirror the equilibrium degree of order and the  $\chi$ -T curves are more or less reversible. A particular case is represented by a sample with  $X_{Usp} = 0.2$ , which shows a lower  $T_C$  value on the cooling than on the heating path (Figure 6). Such a behavior has been reported by  $Harrison\ and\ Putnis\ [1999b]$  (see their Figure 19) for a spinel with the same mole fraction of the magnetite end-member in the  $Fe_3O_4$ -MgAl $_2O_4$  solid solution. Their interpretation is that for this composition  $T_C$  falls within the temperature range of the ordering hysteresis.

[50] As shown in Figure 6, Tmts synthesized in equilibrium with Wus over the whole compositional range have  $\chi$ -T curves with only slight nonreversibility. This conspicuous difference to the behavior of Tmts coexisting with  $IIm_{ss}$  is most probably related to the different vacancy concentrations in the two series of Tmt. As already discussed in section 5.2, Tmts coexisting with Wus must have the lowest vacancy concentration for any given Ti/Fe ratio and T- $fO_2$  synthesis conditions. Consequently they are expected to only reluctantly change their cation distribution during the  $\chi$ -T measurements. Indeed, the relaxation temperature for a Tmt with  $X_{Usp} = 0.73$  synthesized in equilibrium with Wus appears to be about 200 K higher

Figure 9. Relationships between Curie temperature and modeled cation distributions in Tmt. (a) Temperaturedependent cation distribution at equilibrium for  $X_{Usp} = 0.7$ calculated with the model of Trestman-Matts et al. [1983]. Thin vertical bars mark the temperatures at which perfect inverse and random distributions are predicted; short vertical bars mark the Curie temperatures extracted from the heating and cooling branches of the  $\chi$ -T curves. (b) Curie temperatures calculated with the model of Stephenson [1972] for the equilibrium cation distributions depicted in Figure 9a. (c) Differences ( $\Delta T_C$ ) between the calculated  $T_C$ values for cation distributions at equilibrium at 1573 K (1300°C) and those for equilibrium at lower temperatures for various Tmt compositions. For  $0.7 > X_{Usp} > 0.3$ ,  $\Delta T_C$  continuously increases with decreasing  $X_{Usp}$  (solid curves). At lower  $X_{Usp}$  the trend reverses (dashed curves). The black bar represents the equilibrium temperature corresponding to the quenched-in cation degree of order after synthesis at 1573 K, the gray bar represents the approximate relaxation temperature during the  $\chi$ -T measurements. The thick parts on the curves are the ranges of  $T_C$  values recorded from the heating and cooling branches of the  $\chi$ -T curves.



**Figure 10.** Comparison of temperature-dependent magnetic susceptibility  $(\chi-T)$  and magnetization curves  $(M_s-T)$  and J-T) measured on two chunks of the same titanomagnetite sample (Tmt + Ilm<sub>ss</sub>; sample 6F72x1.5).  $M_s-T$  curve measured with a field of 5060 Oe (0.63 T), J-T curve with a field of 40 Oe,  $\chi-T$  curve with 3.8 Oe. Black curves for the heating branches; gray curves for cooling branches.

than that for a Tmt with the same  $X_{Usp}$  synthesized in equilibrium with  $Ilm_{ss}$  (Figures 7a and 7b).

[51] On the same line of reasoning, the smaller nonreversibility of Tmt synthesized in equilibrium with Ilm<sub>ss</sub> at 1100°C (compared with 1300°C; Figure 6) can be related to the inverse correlation between vacancy concentration and synthesis temperature [*Aggarwal and Dieckmann*, 2002].

## 6. Curie Temperatures Retrieved From $M_s$ -T Curves

[52] Since the majority of the literature data on the compositional dependence of  $T_C$  of titanomagnetite have been obtained from temperature-dependent saturation magnetization  $(M_s\text{-}T)$  curves, we have also measured, for comparison, the thermomagnetic curves of several of our Tmt-bearing synthetic samples.

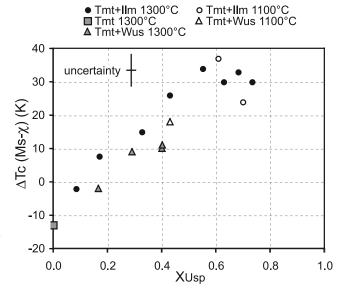
## 6.1. Methods for Estimating the Curie Temperature From $M_s$ -T Curves

[53] Theoretically,  $T_C$  is the temperature at which the spontaneous magnetic alignment vanishes and paramagnetic behavior dominates. In practice,  $T_C$  has often been estimated with the graphical "intersecting tangents method" of *Grommé et al.* [1969]. *Moskowitz* [1981] has shown that this method yields too high  $T_C$  values in case of complex, irregular  $M_s$ -T curves and has proposed to extrapolate the curves in the temperature range from  $T_C$ -100 to  $T_C$  with a square root function. Although our samples generally exhibit regular, continuous  $M_s$ -T curves, we have used the

latter method in the version implemented by *Leonhardt* [2006]. The corresponding  $T_C$  values are listed in Table 1. Measurements on the standard substances Ni, Fe<sub>2</sub>O<sub>3</sub> and Fe yield  $T_C$  values a few degrees above the accepted literature values [cf. *Hunt et al.*, 1995]; those on a synthetic Fe<sub>3</sub>O<sub>4</sub> are within the range of literature values (Table 2).

#### 6.2. Nonreversibility of the $M_s$ -T Curves

[54] Just like the  $\chi$ -T curves, most  $M_s$ -T curves are nonreversible, because their cooling branch is shifted to higher temperatures compared to their heating branch. For pure magnetite the  $M_s$ -T curve is reversible, but with increasing  $X_{Usp}$  the shift continuously increases (Table 1). In contrast to the  $\chi$ -T curves, the cooling and heating branches of the strongly nonreversible  $M_s$ -T curves are not parallel. Instead, the cooling branches present flat "tails" toward high temperatures (Figure 10) and all cut the zero line at T between 800 and 850 K. The latter feature points to a small amount of magnetite-rich Tmt, which results from partial oxidation at the surface of the samples during the  $M_s$ -T measurements. Indeed, BSE images of all samples after the  $M_s$ -T measurements reveal trellis oxy-exsolution textures in the near-surface regions, whereas no sign of oxidation is recognizable on the samples prior to the  $M_s$ -T measurements. If the maximum heating temperature during the measurements did not exceed 770 K, no oxy-exsolution could be detected and the cooling branch of the  $M_s$ -T did not show any high-temperature tail. Apparently, oxidation becomes effective only at temperatures above about 800 K and is thus discernible only on the cooling branch of the  $M_s$ -T curves. One may wonder why surface oxidation occurred although the measurements were performed in Ar atmosphere. Apparently, the glass wool placed around the sample to keep it in place within the VFTB hinders the flow of Ar.



**Figure 11.** Difference between the Curie temperatures estimated from  $M_s$ -T and  $\chi$ -T curves as a function of titanomagnetite composition  $(X_{Usp})$ .

### 6.3. Comparison With the $T_C$ Values Retrieved From $\chi$ -T Curves

[55] The  $T_C$  values obtained from the heating branches of the  $M_s$ -T curves are listed in Table 1. Most of them are higher than those obtained from the heating branch of the  $\chi$ -T curves, whereby the difference  $\Delta T_C = T_C(M_s) - T_C(\chi)$  regularly and strongly increases (up to nearly 40 K) with increasing Ti content of the Tmt, at least up to  $X_{Usp} = 0.6$  (Figure 11). At higher Ti contents no comparison is possible because the VFTB does not allow measurements below room temperature. In contrast to the  $\Delta T_C$  calculated from the nonreversible  $\chi$ -T curves (Figure 6), the present  $\Delta T_C$  (Figure 11) does not so strongly vary with the synthesis temperature or with the synthetic assemblage (+IIm<sub>ss</sub> or +Wus). This suggests that this  $\Delta T_C$  is not significantly influenced by the concentration of cation vacancies.

[56] The large  $\Delta T_C$  values cannot be explained by differences in the temperature records in the two apparatuses. Measurements on standard substances yielded similar  $T_C$  values with the  $\chi$ -T and the  $M_s$ -T methods with a maximum  $\Delta T_C$  around 10 K, but no systematic change with temperature (see Table 2).

[57] A direct comparison of the  $M_s$ -T and  $\chi$ -T curves for a sample with a Tmt of intermediate composition, together with a thermomagnetic curve (J-T) measured with a relatively low field intensity (40 Oe, instead of H = 5060 Oe, i.e., 0.63 T, for saturation) makes clear why these curves yield so different  $T_C$  values (Figure 10). In the  $\chi$ -T curve, the initiation of the sharp, linear drop in susceptibility (see arrow in Figure 10b) is taken to define the Curie temperature. A similar linear drop occurs in the J-T curve and could be considered to point to the same  $T_C$  value. The concave tails of both curves at higher temperatures are not taken into account for the  $T_C$  determination. In contrast, the heating branch of the  $M_s$ -T curve gradually changes from a convex to a concave form with increasing temperature and the extrapolation to the  $M_s = 0$  value [after Moskowitz, 1981] includes part of the concave tail or the curve, yielding a higher  $T_C$  value. Yet it is not clear what the concave tails of the heating branches of the  $M_s$ -T curves represent. As discussed in section 6.2., they do not appear to reflect oxidized portions of the samples.

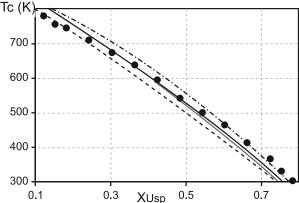
[58] At present, we can only keep in mind that the temperature-dependent measurements of the saturation magnetization and of the magnetic susceptibility yield different  $T_C$  values for titanomagnetite, with increasing divergence with increasing titanium content up to  $X_{Usp}$  values of about 0.7. This discrepancy might be related to the vastly different field intensities applied for the  $M_s$ -T versus the J-T and  $\chi$ -T measurements (high DC field for  $M_s$ -T measurements, low AC field for  $\chi$ -T measurements), which might influence cation reordering.

### 7. Comparison With Literature Data

[59] As shown in Figure 5, our results constrain a much narrower range of Curie temperatures at any given  $X_{Usp}$  than the literature data compiled in Figure 1. Part of the scattering in the literature data is most probably related to chemical inhomogeneities in the titanomagnetite samples, in particular due to surface oxidation during quenching or to the formation of Ti-richer outer zones during gas mixture

——Tmt+llm 1300°C (Xusp 0-0.8) --- Tmt+Wus 1300°C (Xusp 0-1.0)
——Tmt+llm 1100°C (Xusp 0.4-0.8) --- Tmt+llm 1300°C (Ms-T)

Bleil (1973)



**Figure 12.** Compositional dependence of the Curie temperature of synthetic titanomagnetites in the Fe-Ti-O system. Comparison of the regression curves obtained from samples synthesized at  $1300^{\circ}$ C or  $1100^{\circ}$ C in the present study with the data points of *Bleil* [1973]. The dash-dotted curve is based on  $M_s$ -T measurements; all other curves are based on  $\chi$ -T measurements.

experiments (see section 3.). Some alleged single-phase samples may have contained small amounts of  $Ilm_{ss}$  so that the true Tmt composition was richer in Fe than assumed (see section 5.2.). Such features, which can only be detected through careful examination with the SEM, were probably overlooked in several former studies, in particular in those performed in the sixties and the seventies of the last century.

[60] As discussed in section 5.2., the other essential reason for the scatter of the literature data may be seen in the use of single-phase titanomagnetites with unknown, and possibly variable vacancy concentrations. Our results strongly suggest a positive correlation between  $T_C$  and the vacancy concentration at given Ti/Fe value, in principle agreement with *Hauptman* [1974] and *Rahman and Parry* [1978]. However, the span in the  $T_C$  values at any given Ti/Fe does not exceed 40 K (Figure 5), i.e., is distinctly smaller than proposed in the former studies.

[61] The third factor that can explain discrepancies between our data and those of the literature is the type of measurement employed to retrieve  $T_C$ , i.e., either  $M_s$ -Tor  $\chi$ -T measurements. As discussed in section 6.3.,  $M_s$ -T measurements yield higher  $T_C$  values for all titanomagnetite compositions in the range  $0.2 \le X_{Usp} \le 0.8$  (Figure 11). At  $0.6 < X_{Usp} < 0.8$  our  $T_C$  values obtained from  $M_s$ -T curves perfectly match those of Bleil [1973] (Figure 12), which are also based on saturation magnetization measurements. At lower  $X_{Usp}$ , however, the results of *Bleil* [1973] are at lower  $T_C$  values than ours (Figure 12). Our values were measured on Tmts synthesized with Ilm<sub>ss</sub> at 1300°C, those of Bleil [1973] concern single-phase Tmts synthesized either at 1300° or 1100°C. Considering that *Bleil* [1973] employed lower  $fO_2$  conditions than ours for his syntheses at  $X_{Usp}$  < 0.6, his single-phase Tmts most probably had lower vacancy concentrations than our Tmts ( $+Ilm_{ss}$ ) and, consequently, lower  $T_C$  values.

# 8. Summary and Implications for Natural Titanomagnetites

[62] On the basis of our experimental results in the Fe-Ti-O system, we have shown that there are well-defined inverse correlations between the Curie temperature of titanomagnetites and their ulvöspinel end-member content (Table 3), with significant differences between the  $T_C$  values obtained from Tmt synthesized at 1300°C either in equilibrium with Ilm<sub>ss</sub> (max. concentration of cation vacancies) or with Wus (min. concentration of cation vacancies). The  $T_C$  values for Tmt synthesized at 1100°C in equilibrium with Ilm<sub>ss</sub>, which plot between the two 1300°C series (Figure 12), represent a good proxy for basaltic parageneses that were rapidly cooled and not oxidized by deuteric or hydrothermal fluids, i.e., essentially for Tmt in submarine pillows and lavas flows. Our calibration curve for 1100°C could represent an upper limit for the  $T_C$  values, because natural Tmts may have lower vacancy concentrations, in particular if they reequilibrated at lower temperatures in rocks devoid of Ilm<sub>ss</sub>. Nonmagnetic elements such as Mg or Al in natural Tmts are also expected to lower the Curie temperature [e.g., Richards et al., 1973; O'Donovan and O'Reilly, 1977; Özdemir and O'Reilly, 1978, 1981; Moskowitz, 1993]. Preliminary own results on Mg- and Al-bearing titanomagnetites, however, confirm that in concentrations relevant to basalts the lowering effect is only slight. Furthermore, natural Tmts were most likely not as rapidly quenched as in the laboratory, that is, their cation distributions may be more ordered than those of our synthetic samples, resulting in reversible  $\chi$ -T curves with slightly higher  $T_C$  values corresponding to those derived from our cooling branches. Indeed,  $\chi$ -T curves of natural Tmts in submarine basalts, are commonly reversible, if measured in Ar flow [e.g., Kontny et al., 2003; Vahle and Kontny, 2005].

[63] In total, our calibration curve for Tmts synthesized at  $1100^{\circ}$ C in equilibrium with Ilm<sub>ss</sub> should yield good estimates of the Tmt composition from Curie temperatures in the range 250 to 600 K. For higher  $T_C$  values, we recommend the regression curve obtained for Tmts synthesized at  $1300^{\circ}$ C in equilibrium with Ilm<sub>ss</sub> (Table 3), because we have no data from samples synthesized at  $1100^{\circ}$ C with Xusp < 0.4.

[64] Since we have shown that  $M_s$ -T measurements yield higher  $T_C$  values than  $\chi$ -T measurements, for Tmt compositions with  $X_{Usp} > 0.2$ , we recommend not to use calibration curves based on  $M_s$ -T measurements [e.g., Bleil, 1976; Bleil and Petersen, 1982, p.330; Clark, 1997;  $Hunt\ et\ al.$ , 1995] to estimate Tmt compositions from  $T_C$  retrieved from  $\chi$ -T measurements. These calibration curves yield overestimates of the ulvöspinel content of titanomagnetites in the range  $0.5 < X_{Usp} < 1.0$ . With the equation given by Bleil and Petersen [1982], the overestimate is of about 0.05, i.e., 5 mol% of the ulvöspinel content (Figure 12). Admittedly, this is not a very strong effect.

[65] In fact, the main uncertainty in estimating the composition of natural Tmts from their Curie temperature stems from the method used to retrieve  $T_C$  from the  $\chi$ -T curves (peak versus intersecting tangents method), as already

mentioned by *Petrovsky and Kapicka* [2005]. The  $\chi$ -T curves reported for Tmt in submarine pillow basalts commonly show a gradual decay of  $\chi$  around  $T_C$ , which reflects the chemical inhomogeneities within and among the titanomagnetite crystals [e.g., Kontny et al., 2003; Vahle and Kontny, 2005]. As an example, we may quote sample SR0800-0.9 [Vahle and Kontny, 2005] from a massive basaltic pillow (HSDP-2 drill hole in Hawaii), which yields a  $\chi$ -T curve with a peak at 301 K and a gradual drop of susceptibility, ending at 833 K. With our regression curve for Tmt synthesized in equilibrium with Ilm<sub>ss</sub> at 1100°C (polynom 4 in Table 3), we obtain a  $X_{Usp}$  value of 0.74 from the peak  $T_C$ , which should represent the Ti-richest and dominating Tmt composition in the sample. EMP analyses yield, in excellent agreement, a maximum  $X_{Usp}$  of 0.75 (C. Vahle, personal communication, 2006) ( $X_{Usp}$  value calculated after Stormer [1983]). Vahle and Kontny [2005] have estimated two  $T_C$  values with the intersecting tangents method, one major value at 383 K, and a minor value at 486 K (see their Table 1 and Figure 3a), which would translate into  $X_{Usp}$  values of 0.66 and 0.54 with our equation. It is clear that these values represent only rough compositional "means" which must not occur in any crystal. In fact, EMP analyses of relatively large Tmt crystals give  $X_{Usp}$  values ranging between 0.62 and 0.75. Titanomagnetite crystals that were too small to be analyzed with the EMP are Fe richer.

[66] On the whole, the peak value in a  $\chi$ -T curve of a titanomagnetite-bearing basalt can yield a reliable estimate of the Tmt composition by using an appropriate regression equation (see Table 3), if all titanomagnetite crystals have very similar compositions. If titanomagnetite is chemically inhomogeneous (i.e., zoned crystals and/or crystals of different compositions over the sample) the peak value from the  $\chi$ -T curve will give a good estimate of the Tirichest composition. In contrast,  $T_C$  values retrieved with the intersecting tangents method give only approximate mean compositions of the titanomagnetite in the sample.

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