

Practical Lab: First-Order System Analysis

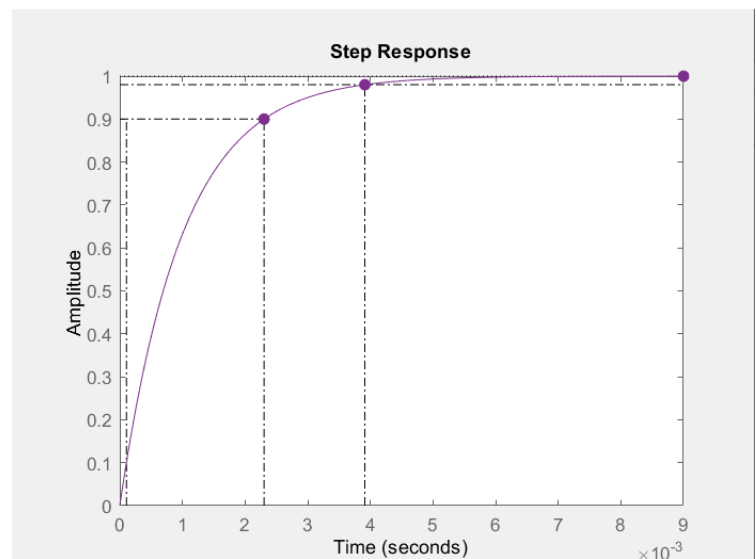
1. Modeling a First-Order System:

- The equation of First order system in s-domain is:

$$G(s) = \frac{K}{Ts + 1}$$

- Defining the system parameters, creating transfer function, and plotting the step response:

```
Editor - E:\mbd\Tasks pid\Lab1PID.m
Lab1PID.m  x  +
1      K = 1;
2
3      R = 10e3;
4      C = 1e-7;
5
6      T = R * C;
7
8      num = [0 K];
9      den = [T 1];
10
11     G = tf(num,den);
12     hold on
13     step(G)
14
15     stepinfo (G)
16     |
```



2. Analyzing the System Response:

- Using the stepinfo function:

```
Command Window

>> Lab1PID

ans =

    struct with fields:

        RiseTime: 0.0022
        TransientTime: 0.0039
        SettlingTime: 0.0039
        SettlingMin: 0.9000
        SettlingMax: 1.0000
        Overshoot: 0
        Undershoot: 0
        Peak: 1.0000
        PeakTime: 0.0105

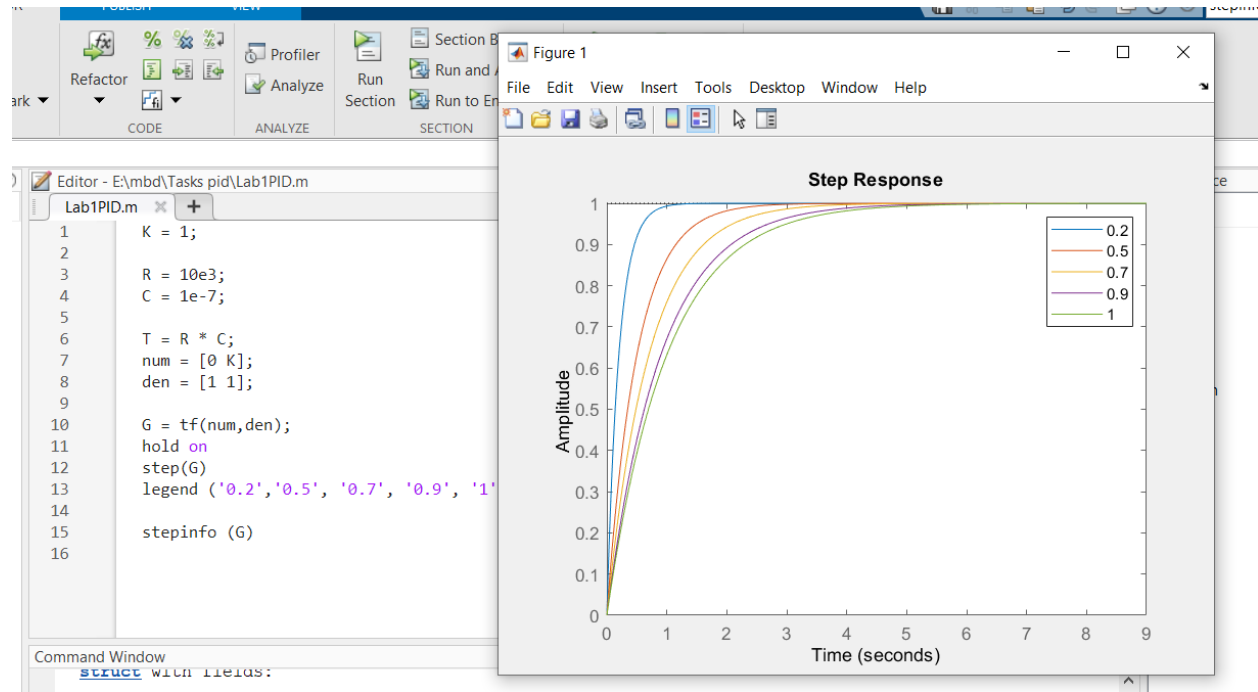
fx >> |
```

3. Exploring Different Scenarios:

Different values of T:

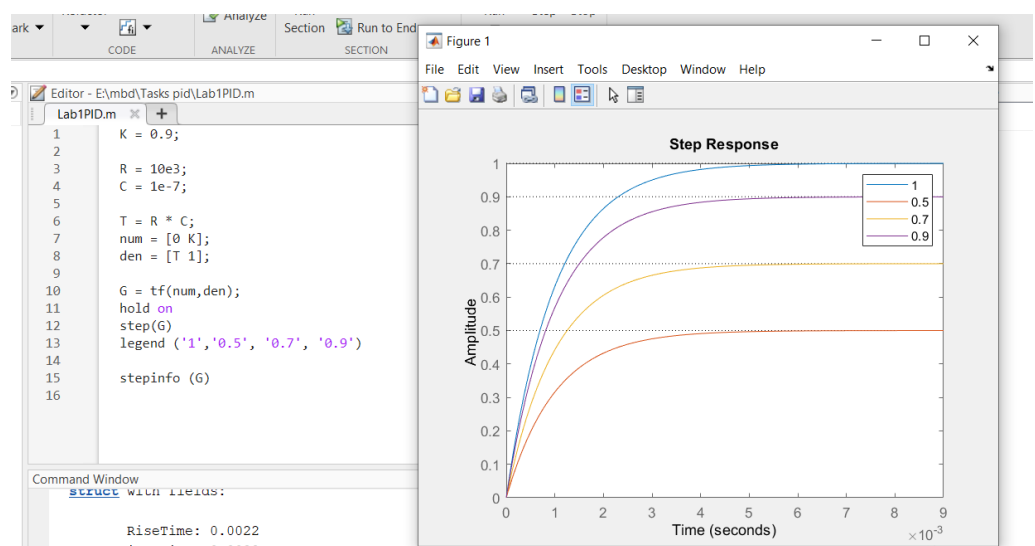
The step response for the different values of T:

When we increase T, the system response becomes slower.



Different values of Gain:

When we decrease the gain, the final value of the output decreases and the steady state error increases.

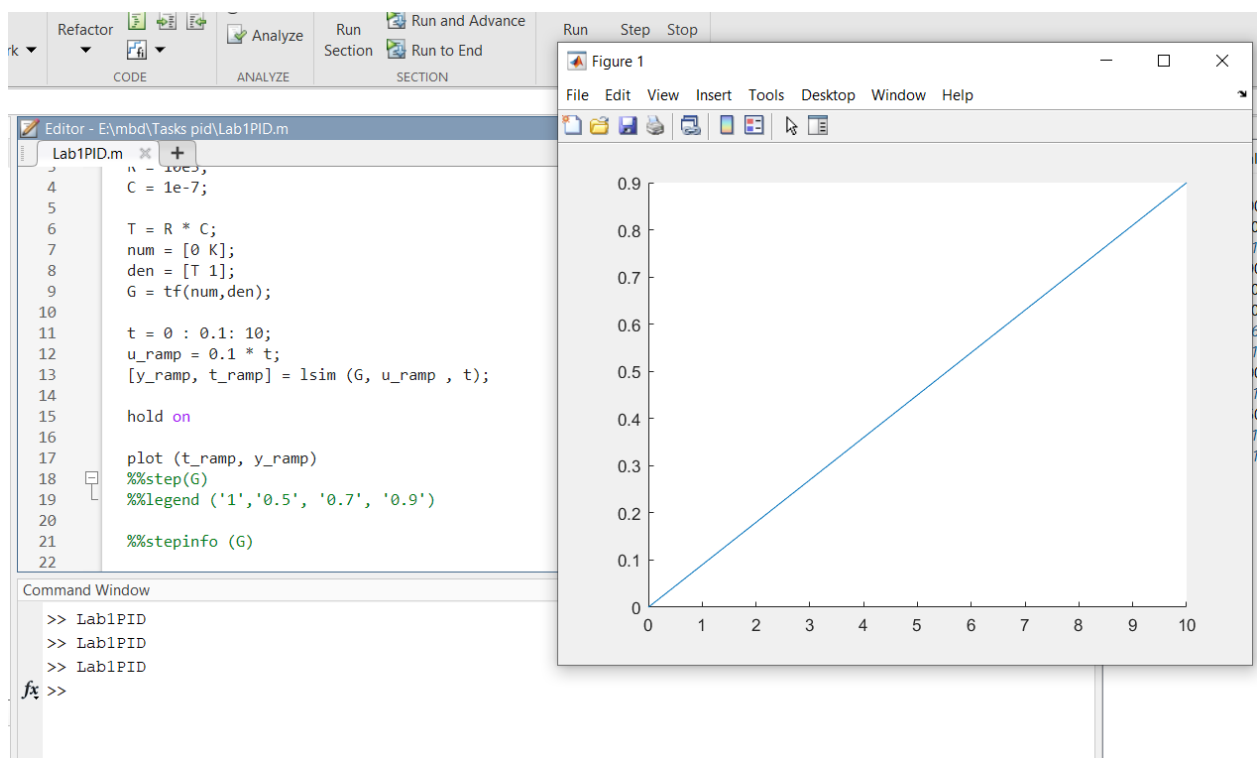


4. Ramp Input Response:

- The steady-state error equation of a first-order system with a ramp input is defined by the following equation:

$$e_{ss} = \frac{1}{K}$$

- so, it depends on the gain of the system.



5. Parabolic Input Response:

- The steady-state error equation of a first-order system with a parabolic input is defined by the following equation:

$$e_{ss} = \frac{1}{K_a}$$

- $K_a=0$, so the steady-state error is infinite..

