

RAM = Random Access Memory

Memory address = integer (binary)

Our computer will have 15-bit addresses = 2^{15} memory locations.

Each memory location will store 16 bits.

-Amt of data a computer can process @ once is called word size.

How much memory is that?

$$\begin{aligned}
 2^{15} \times 2^4 &= 2^{19} \text{ bits.} & (1 \text{ byte} = 8 \text{ bits}) \\
 &= 2^{16} \text{ bytes.} & (1 \text{ KB (properly 1 KiB} \\
 &= 2^6 \text{ KB} & \quad \quad \quad = \text{"kibibyte"}) \\
 &= 64 \text{ KB} & \quad \quad \quad = 2^{10} = 1024 \text{ bytes}
 \end{aligned}$$

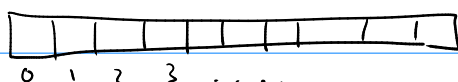
How much memory does 32-bit addresses give, if 1 byte per address?

$$2^{32} \text{ B} = 4 \text{ GB.}$$

Random access = we can access any location equally quickly.

Why? → Arrays?

Array of size n is n consecutive memory locations.



`int[] arr = new int[10]`

arr holds a memory address.

`arr[3]` → `arr + 3 * eltsize`

Just math + a RAM lookup → $O(1)$ time.

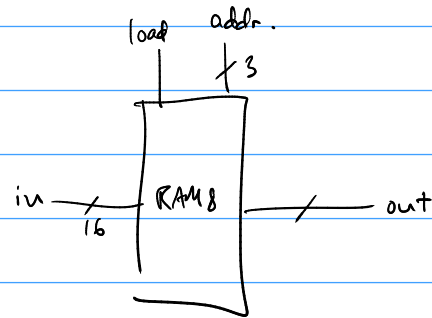
2^{10} Kilo
 2^{20} Mega
 2^{30} Giga
 2^{40} Tera
 2^{50} Peta
 2^{60} Exa
 2^{70} Zetta
 2^{80} Yotta

Project 3

- Bit = DFF + a 'load' bit
- Register = 16 bits. (Still only one load bit input).
- RAM chips.

- RAM 8 - stores 8 registers.

- input (16)
- output (16)
- load (1)
- address (3)



- RAM 64

etc.

- PC (program counter) - stores address of current instruction.

