1. logical OR

$$\frac{2}{3} = \frac{2}{3} \cdot \beta + b = (0 + 1 + 1 + 0 + 1) - 0,5 = 2.5$$

2. masked logical OR

$$Z_{1} : (101)$$
 $S = C$
 $C = (101)$ $S = -0.5$

3. perfect match

$$Z_{i_1} = (110) \quad \text{for example} \quad P_i = \begin{cases} -1 & \text{if e.e.o} \\ +1 & \text{if e.e.o} \end{cases} = (11-1)$$

activation function f = Relu

X = (a, b) M = 6

first layer f(x) -> go,1)

f(0.5) =

(100 000) if a and beby

(001000) if a and beby

(00100) if a and beby

and beby

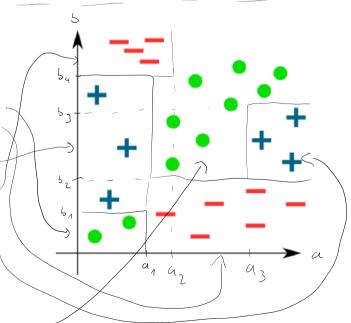
(000100) if a and beby

(000100) if a and beby

(000001) if a and beby

and beby

(000001) else



Second layer not necessary. third layer has 3 Nenrons

- 1. Zond, = masked OR (Zin, 010100) red minus
- 2. Zont 2 = marked OR (?:,, 001010) blue plus
- 3. 7. 13 = mosked or (2:, 100001) gran circle

other option M=> I heavens : one for a day, one for a day. 5> B= (1,0) : 7:2 = X = (1,5) 2' = 7:1 = 0 = 0, $f_{\Lambda}(a,b) = \Theta(\alpha - \alpha_{\Lambda})$ 5 = - 91 f = 0 f2 (a.s) = 0 (a-d2) examples: Ps (0.5) = (0 (0 - 03) this would be (000000) Pu (a,5): 0 (5.51) /p (a.s): (b-b2) this would be. Pr() > 1: () (5 - 63) (1111100)Pr(as): 0 (5 . 54) this would se (0001100)

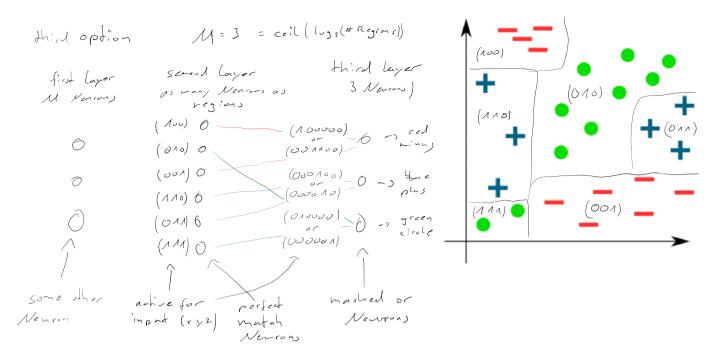
(perfect match) Second layer: us many elemon as regions (4.5=20 here)

each henron represents one Region

- 1, Bout = perfect match (7:, , (0000000))

third layer: 3 mashed on Nourons:

- Zont, = modert OR (7: , So. 1)20) I where region contains red minus with
- Zont 2 = modert OR (7: , 50,1)20) 1 where region contains since plus w: 4h
- Zont, = modern OR (7: , 50.1)20) 1 where region contains green circle with



For more dimensions you need more decision Regions and M gets larger. You always need M Nemons in the first layer mapping Features to distinct M-dimensional vectors. The second layer has as many Nemons as decision Regions and each M-dim vector gets mapped to a specific Nemon representing that region. The last layer has as many Nemons as there are classes. Usind the masked OR all Nemons corresponding to a class are mapped to one Neuron representing that of a class are mapped to one

This gets difficult because there will be a let of decision Regions and a lot of necessary leavens. Also overfitting will be a problem.

$$Z_0 = X$$

$$\tilde{Z}_l = Z_{l-1} \cdot B_l + b_l$$

$$Z_l = \phi_l(\tilde{Z}_l)$$

$$Z_{L} = Z_{L-1} \cdot B_{L} + b_{L}$$

$$= (Z_{L-2} \cdot B_{L-1} + b_{L-1}) \cdot B_{L} + b_{L}$$

$$= Z_{L-2} \cdot B_{L-1} \cdot B_{L} + b_{L-1} \cdot B_{L} + b_{L}$$

$$= Z_{L-2} \cdot B_{L-1} \cdot B_{L} + b_{L-1} \cdot B_{L} + b_{L}$$

$$= Z_{L-2} \cdot B_{L-1} \cdot B_{L} + b_{L-1} \cdot B_{L} + b_{L}$$

$$= Z_{L-2} \cdot B_{L-1} \cdot B_{L} + b_{L-1} \cdot B_{L} + b_{L}$$

repeat for all Llayers

= 7. B' + b'

same as one layer