Financial Engineering II Lab Assignment 8

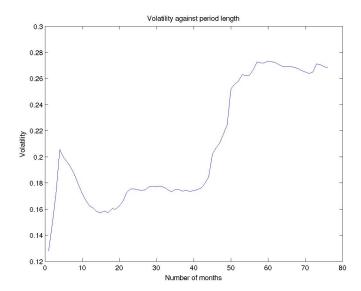
Gajula Jyothendranadh Sai, 11012311

March 22, 2014

Contents

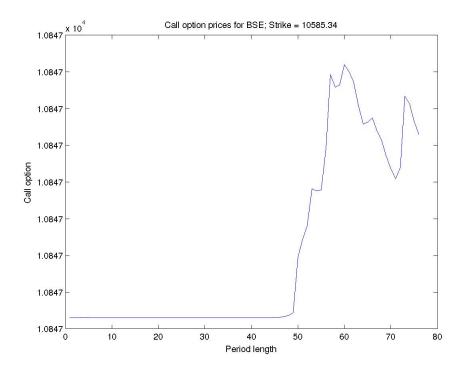
1	Plot of volatility against period length	2
2	Option prices against period length2.1 Call option prices	3 3 8
3	Code	13
4	Function to compute Option price in BSM	13
5	Driver program	14

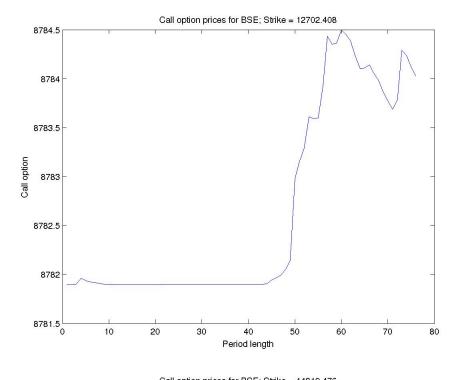
1 Plot of volatility against period length

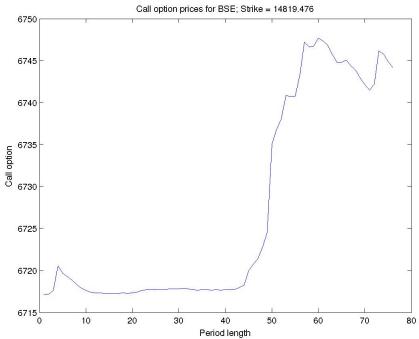


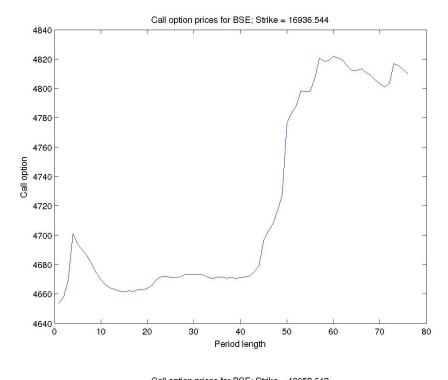
2 Option prices against period length

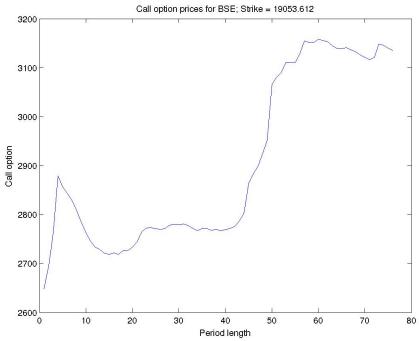
2.1 Call option prices

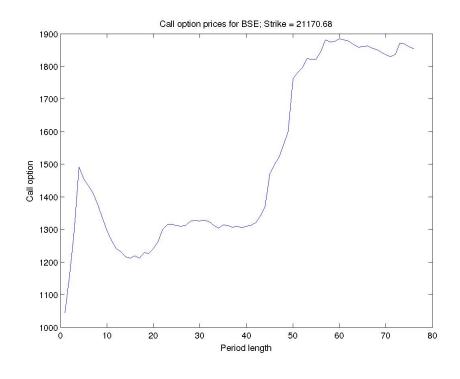


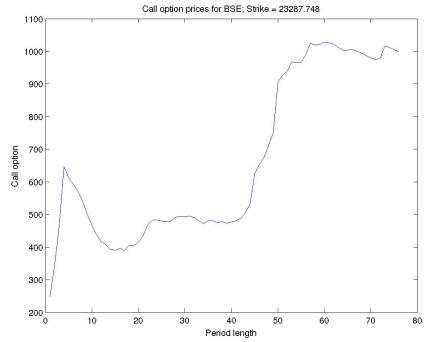


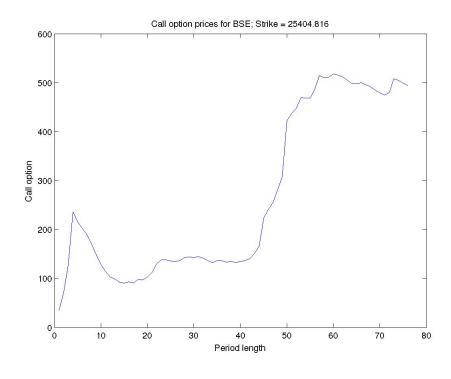


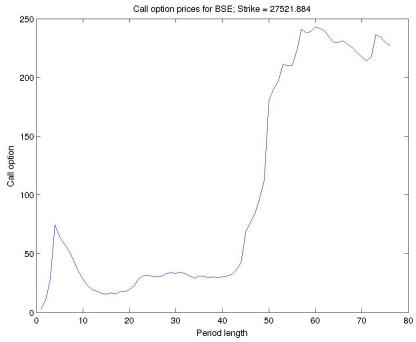


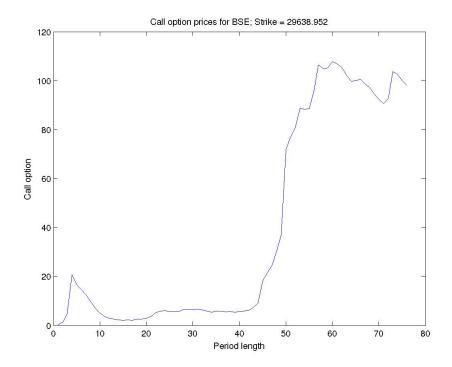




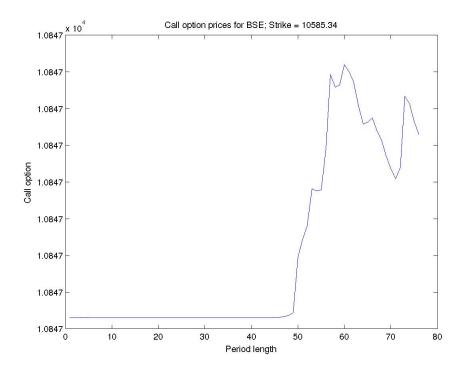


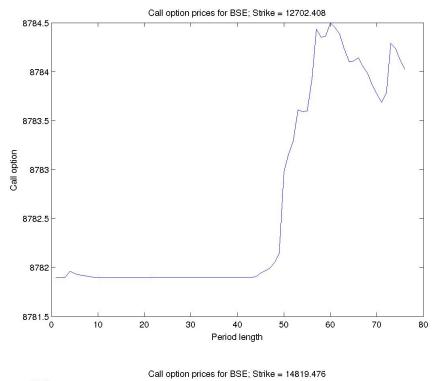


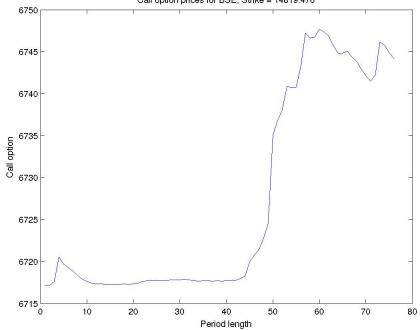


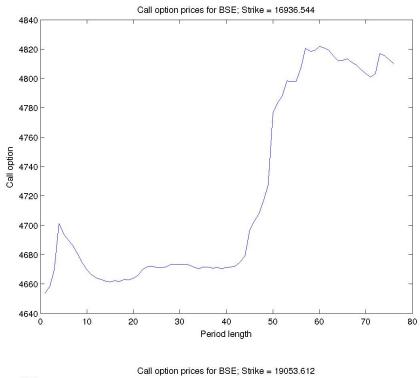


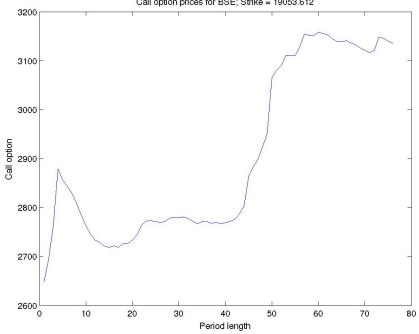
2.2 Put option prices

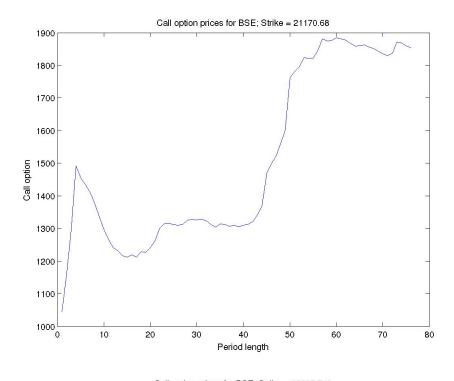


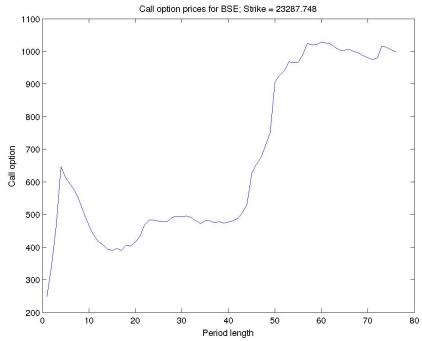


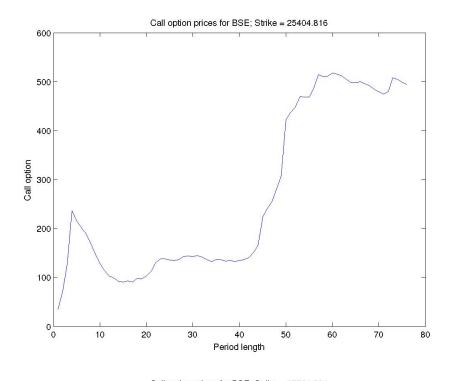


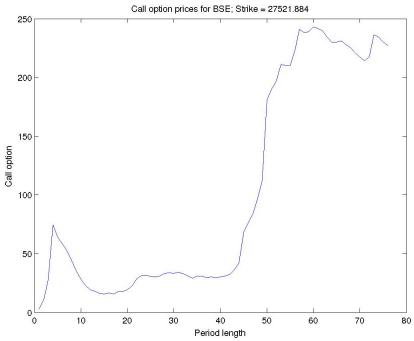


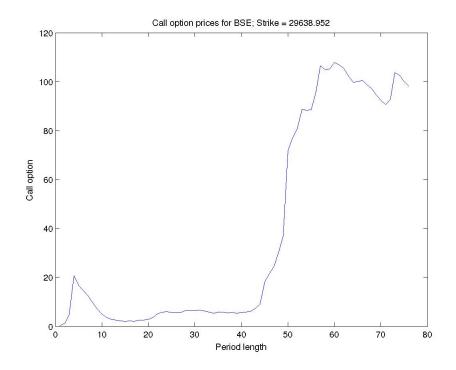












3 Code

4 Function to compute Option price in BSM

```
function [ call , put ] = bsmoptionprice( price , strike , rate ,
    time , period , volatility )
%BSMCALL Compute option prices
%    bsmoptionprice( price , strike , rate , time , period , volatility
    )
%    price = starting price of asset
%    strike = strike price; may be a vector
rate = risk-free rate
%    time = time at which option price is to be calculated
period = time to expiration of the option
volatility = annualised asset price volatility

d1 = (log(price / strike) + (rate + volatility *volatility *0.5)*(
    period - time) )/(volatility * sqrt(period - time) );
d2 = (log(price / strike) + (rate - volatility *volatility *0.5)*(
    period - time) )/(volatility * sqrt(period - time) );
```

```
call = normcdf(d1)*price - (normcdf(d2)*exp(-rate*(period-time)))
    .*strike;
put = (normcdf(-d2)*exp(-rate*(period-time))).*strike - normcdf(-
    d1)*price;
```

end

5 Driver program

```
format short; clear all; clc;
bse = csvread('bsedata_daily.csv');
nse = csvread('nsedata_daily.csv');
% assuming that a month has 26 trading days
daysInAMonth = 26;
months = 76;
% other parameters
rate = 0.05;
s0 = bse(1);
K = s0 * (0.5:0.1:1.5);
v = zeros(1, months);
% estimate historical volatility
for i=1:months
    v(i) = \mathbf{sqrt}(252) * \mathbf{std}((bse(2:i*daysInAMonth) - bse(1:i*
       daysInAMonth-1))...
         ./(bse(1:i*daysInAMonth-1)));
end
h = figure;
plot(v)
title ( 'Volatility _against _period _length ')
xlabel('Number_of_months')
ylabel('Volatility')
saveas(h, 'volatility', 'jpg')
calldata = zeros(months, length(K));
```

```
putdata = zeros(months, length(K));
for i=1:months
    for j=1: length (K)
        [calldata(i, j), putdata(i, j)] = bsmoptionprice(s0, K(j))
           , rate, 0, 0.5, v(i);
    end
end
for i=1:length(K)
    h = figure;
    plot(calldata(:, i));
    title (['Call_option_prices_for_BSE;_Strike_=_' num2str(K(i))
       1);
    xlabel('Period_length')
    ylabel('Call_option')
    saveas(h, ['call_strike' num2str(i)], 'jpg')
    figure
    plot(putdata(:, i));
    title (['Put_option_prices_for_BSE;_Strike_=_' num2str(K(i))])
    xlabel('Period_length')
    ylabel('Put_option')
    saveas(h, ['put_strike' num2str(i)], 'jpg')
end
```