Algorithm 6.6: Producer-consumer (infinite buffer)	dataType buffer \leftarrow empty queue	$0, \emptyset$)	consumer	dataType d	loop forever	q1: wait(notEmpty)	q2: $d \leftarrow take(buffer)$	q3: consume(d)
Algorithm 6.6: Producer	infinite queue of dataType	semaphore notEmpty $\leftarrow (0, \emptyset)$	producer	dataType d	loop forever	p1: d ← produce	p2: append(d, buffer)	p3: signal(notEmpty)

Algorithm 6.8: Producer-consumer (finite buffer, semaphores)	buffer \leftarrow empty queue	$(0,\emptyset)$	$, \emptyset)$	consumer	dataType d	loop forever	q1: wait(notEmpty)	\mid q2: d \leftarrow take(buffer)	q3: signal(notFull)	q4: consume(d)
Algorithm 6.8: Producer-consu	finite queue of dataType buffer ← empty queue	semaphore notEmpty $\leftarrow (0, \emptyset)$	semaphore notFull $\leftarrow (N, \emptyset)$	producer	dataType d	loop forever	p1: d ← produce	p2: wait(notFull)	p3: append(d, buffer)	p4: signal(notEmpty)

L	Process p	Process q	S
\vdash	p1: wait(S)	q1: wait(S)	
2	p2: signal(S)	q1: wait(S)	0
3	p2: signal(S)	q1: wait(S)	0
4	p1: wait(S)	q1: wait(S)	

Scenario with Busy Waiting

Algorithm 6.9: Dining philosophers (outline)

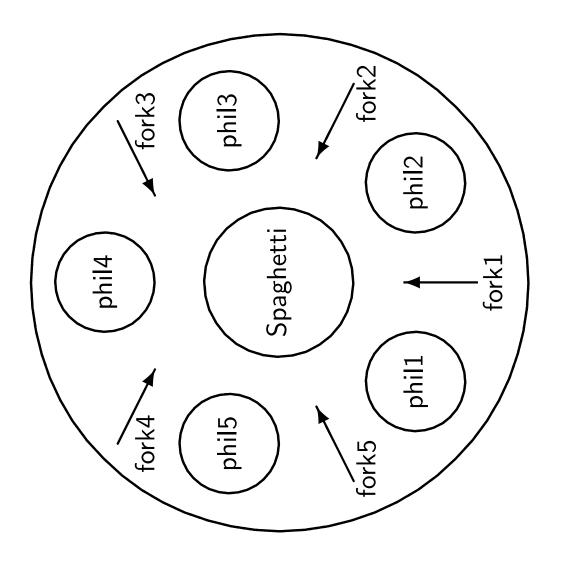
loop forever

p1: think

p2: preprotocol

p3: eat

p4: postprotocol



Algorithm 6.10: Dining philosophers (first attempt)

semaphore array [0..4] fork $\leftarrow [1,1,1,1,1]$

loop forever

p2: wait(fork[i])

p3: wait(fork[i+1])

p4: eat

p5: signal(fork[i])

p6: signal(fork[i+1])

Algorithm 6.11: Dining philosophers (second attempt)

semaphore array [0..4] fork $\leftarrow [1,1,1,1,1]$

semaphore room $\leftarrow 4$

loop forever

p1: think

p2: wait(room)

p3: wait(fork[i])

p4: wait(fork[i+1])

p5: eat

p6: signal(fork[i])

p7: signal(fork[i+1])

p8: signal(room)

Algorithm 6.12: Dining philosophers (third attempt)

semaphore array [0..4] fork $\leftarrow [1,1,1,1,1]$