



capabilities over finite field . In this regard, generic software methodology is a powerful tool.

Partly modeled on the STL, LinBox uses the







**Minimal polynomial and linear system solution over finite fields.** For a matrix  $A \in \mathbb{F}^{n \times n}$  over a field  $\mathbb{F}$ , Lanczo and Krylov subspace method is

Checking  $\overline{A}x = b$  makes the algorithm solution Las Vegas. The Lanczos approach allows one to compute  $x$  within the iteration for the minimal polynomial, thus the arithmetic and memory costs are only slightly greater than for Basic Lanczos. The main drawback of the Wiedemann approach is that it needs to either store or recompute the sequence  $\{\overline{A}^i b\}_{0 \leq i \leq d-1}$ .

For both minimal polynomial and algorithm of

efficient Monte Carlo rank determination is based on rank computation modulo random prime (see



We have chosen not to focus on this, and the

## References

- [1] Z. Bai, J. Demmel, J. Dongarra, A. Ruhe, and H. van der Vorst, editors. *Templates for the solution of Algebraic Eigenvalue*