

CENTRAL WASHINGTON UNIVERSITY

INTRODUCTION TO COMPUTER SECURITY

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## Project 2 Report

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# 1 Results

## 1.1 Part 1

Alice's RSA public key is  $(N, e) = (33, 3)$  and her private key is  $d = 7$   
a)

if Bob encrypts the message  $M = 19$  using Alice's public key, the cipher text  $C$  is

$$C = M^e \bmod N = 19^3 = 6859 = 28 \bmod 33. \text{ } C = 28.$$

Alice can decrypt  $C$  to obtain  $M$  by doing the following

$$M = C^d \bmod N = 28^7 = 13492928512 = 19 \bmod 33. \text{ } M = 19$$

b)

If  $S$  is the result when Alice digitally signs the message  $M = 25$ , then  
 $S = M^d \bmod N = 25^7 = 6103515625 = 31 \bmod 33 \text{ } S = 31$

If Bob receives  $M$  and  $S$ , to verify the signature he just have to unsign  $S$  using Alice's public key and see if he obtains  $M$  as follow

$$M = \{S\}_{alice} = 31^3 = 29791 = 25 \bmod 33 \text{ } M = 25$$

## 1.2 Part 2

Public Key =  $(18, 30, 7, 26)$  and  $n = 47$

a) Find the private key, assuming  $m = 6$

$$x.6 \bmod 47 = 18 \equiv x = 3.$$

$$x.6 \bmod 47 = 30 \equiv x = 5.$$

$$x.6 \bmod 47 = 7 \equiv x = 9.$$

$$x.6 \bmod 47 = 26 \equiv x = 20.$$

private key =  $(3, 5, 9, 20)$

b) Encryption of  $M = 1101$  (given in binary)

$$18 + 30 + 26 = 74 = 27 \bmod 47$$

### 1.3 part 3

Output after running the C code:

Point  $P = (2, 7)$  is on the elliptic curve  $E$ .

What Alice sent to Bob is :  $(153, 36)$

What Bob sent to Alice is :  $(103, 153)$

The shared secret is :  $(137, 54)$

## 2 Observations

It was more convenient to solve Part 1 and part 2 of this assignment by hand while it was easier to solve part 3 by writing a program that would do it.