Languages: Predictive parsing 1

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Learning outcomes

After this lecture, you should be able to:

write a predictive parser from some BNF rules

Warmup: deriving strings from BNF

num - a sequence of digitsid - an identifier

Can you derive these?

- print(5)
- x = y
- x = print(5)

How to parse?

How to parse a statement?

Idea:

- function stmt() will parse statements
- function expr() will parse expressions
- each function will decide which production to use by looking at the first symbol of each production
- once a production is picked the function will mimic the right-hand side of the production

Parsing example

```
stmt ::= print ( expr )
       | id = expr
expr ::= id | num
void stmt() {
switch (lookahead) {
      case PRINT:
         match(PRINT); match("("); expr(); match(")");
         break;
      case ID:
         match(ID); match("="); expr()
         break;
      default:
        error("syntax error");
```

Predictive parsing

Recursive-descent parsing: "top-down method of syntax analysis in which we execute a set of recursive procedures to process the input" (Aho et al, Dragon book)

Predictive parsing: "a form of recursive-descent parsing in which the lookahead symbol determines the procedure selected for each non-terminal" (Aho et al, Dragon book)

```
void stmt() {
    switch (lookahead) {
        case PRINT:
            match(PRINT); match("("); expr(); match(")"); break;
        case ID:
            match(ID); match("="); expr(); break;
        default:
            error("syntax error");
    }
}
```

Left recursion

Any problems with a predictive parser here?

```
expr ::= expr + term
| term
```

The BNF can be transformed into this:

```
expr ::= term expr1
expr1 ::= + term expr1 | ""
```

A general rule:

A ::= A
$$\alpha$$
 | β derives the same strings as: A ::= β R R ::= α R | ""

 (α, β) are sequence of terminals and non-terminals that don't start with A)

Exercise

Rewrite to eliminate left recursion

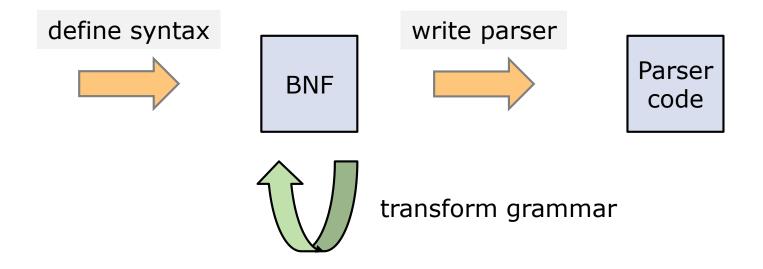
 $A ::= A \alpha \mid \beta$

derives the same strings as:

 $A ::= \beta R$ $R ::= \alpha R | ""$

Transforming a grammar

Here's our plan:



We transform the grammar in a way that that language of the grammar doesn't change.

Dealing with empty productions

How to deal with "" in expr1?

```
expr ::= var expr
expr1 ::= + expr expr1 | ""
```

Idea: use the empty production when no other production can be used.

```
void expr1() {
    switch (lookahead) {
        case '+':
            match('+'); expr(); expr1(); break
        default:
            ; // empty production
}
```

Main program

- □ initialize lookahead variable
- call function associated with start symbol in grammar
- match on token DONE (end of input)

Example:

Summary

- predictive parsing is a simple kind of parser that is based directly on a BNF grammar
- but... you may need to modify a BNF grammar to allow predictive parsing to be used