## EE571 HW Feature Demo

Template Showcase 2025-09-01

**Problem 1:** This demonstrates the basic problem command with automatic numbering.

This is how you create a basic problem. The numbering happens automatically (Problem 1, Problem 2, etc.).

**Problem A.1**: This demonstrates custom problem numbering.

You can override the automatic numbering by providing a custom label in square brackets.

**Problem 3:** Find the derivative of  $f(x) = 3x^2 + 2x - 5$  and evaluate it at x = 2.

This shows how to include the actual question or description within the problem command. Using the power rule:

$$f(x) = 3x^{2} + 2x - 5$$

$$f'(x) = 6x + 2$$

$$f'(2) = 6(2) + 2$$

$$= 12 + 2 = 14$$

**Problem 4**: This problem demonstrates sub-problems with multiple parts.

(a)

Find the transfer function of the system. Given the differential equation  $\ddot{y} + 3\dot{y} + 2y = 5u(t)$ :

$$s^{2}Y(s) + 3sY(s) + 2Y(s) = 5U(s)$$
 
$$G(s) = \frac{Y(s)}{U(s)} = \frac{5}{s^{2} + 3s + 2}$$

(b)

Factor the denominator and find the poles.

$$s^{2} + 3s + 2 = (s+1)(s+2)$$
  
Poles:  $s_{1} = -1$ ,  $s_{2} = -2$ 

(iii)

Determine system stability (custom sub-problem numbering). Since both poles have negative real parts, the system is stable.

**Problem 5**: Demonstrate the hwmath environment for aligned equations.

The hwmath environment provides automatic alignment on equals signs using the textbackslash eq shorthand:

$$\begin{split} \mathcal{L}\{f(t)\} &= F(s) \\ \mathcal{L}\{\dot{f}(t)\} &= sF(s) - f(0) \\ \mathcal{L}\{\ddot{f}(t)\} &= s^2F(s) - sf(0) - \dot{f}(0) \end{split}$$

**Problem 6**: Show numbered equations for referencing.

For equations that need to be referenced later, use hwmathnumbered:

$$E = mc^2 (1)$$

$$F = ma (2)$$

$$P = VI \tag{3}$$

These equations are numbered automatically and can be referenced in the text.

Problem 7: Demonstrate complex mathematical formatting capabilities.

(a) Matrix operations and state-space representation.

$$\dot{\mathbf{x}} = \mathbf{A}\mathbf{x} + \mathbf{B}\mathbf{u}$$

$$y = Cx + Du$$

Where the system matrices are:

$$\mathbf{A} = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -2 & -3 & -4 \end{bmatrix}, \quad \mathbf{B}$$
 
$$= \begin{bmatrix} 0 \\ 0 \\ 1 \end{bmatrix}, \quad \mathbf{C} = \begin{bmatrix} 1 & 0 & 0 \end{bmatrix}$$

(b)

Convolution integral and Laplace transforms.

The convolution of two functions:

$$(f * g)(t) = \int_{-\infty}^{\infty} f(\tau)g(t - \tau)d\tau$$

Laplace transform definition:

$$\mathcal{L}\{f(t)\} = \int_0^\infty f(t)e^{-st}dt$$

**Problem 8**: Demonstrate the note command for highlighting important information.

The note command displays text in bold, red, and large font:

IMPORTANT: Check all calculations before submitting TODO: Add numerical verification

FIX ME: Verify units are consistent NOTE

This is useful for marking sections that need attention during review.

**Problem 9**: Demonstrate the hwmatlab environment for MATLAB code.

(a)

MATLAB function with caption.

Listing 1: Second Order System Analysis

```
function [y, t] = second_order_response(wn, zeta, K, tfinal)
    % Calculate step response of second order system
    % wn: natural frequency, zeta: damping ratio, K: gain
    s = tf('s');
    G = K * wn^2 / (s^2 + 2*zeta*wn*s + wn^2);
    [y, t] = step(G, tfinal);
    figure;
    plot(t, y, 'LineWidth', 2);
    xlabel('Time (s)');
    ylabel('Amplitude');
    title ('Step-Response');
    grid on;
end
(b)
  Simple MATLAB commands without caption.
% Define system parameters
              % Natural frequency (rad/s)
wn = 5;
               % Damping ratio
zeta = 0.3;
               % Gain
K = 2;
% Calculate and plot response
[y, t] = second_order_response(wn, zeta, K, 2);
```

**Problem 10**: Demonstrate the hwpython environment for Python code.

(a)

Python implementation with caption.

Listing 2: Control Systems Analysis in Python

```
import numpy as np
import matplotlib.pyplot as plt
import control as ct
def second_order_response(wn, zeta, K, tfinal):
---- Calculate - step - response - of - second - order - system
----Parameters:
 -----wn: natural frequency (rad/s)
----zeta:-damping-ratio
   ----K: -gain
   ----tfinal: final-time-for-simulation
    # Create transfer function
    num = [K * wn**2]
    den = [1, 2*zeta*wn, wn**2]
   G = ct.tf(num, den)
    # Calculate step response
    t = np.linspace(0, tfinal, 1000)
    y, t = ct.step_response(G, t)
```

```
# Plot results
    plt. figure (figsize = (10, 6))
    plt.plot(t, y, linewidth=2, label='Step-Response')
    plt.xlabel('Time-(s)')
    plt.ylabel('Amplitude')
    plt.title(f'Second-Order-System-(wn={wn},-zeta={zeta},-K={K})')
    plt.grid(True, alpha=0.3)
    plt.legend()
    plt.show()
    return y, t
(b)
  Python data analysis without caption.
# System parameters
wn = 5.0
             # Natural frequency
zeta = 0.3
              # Damping ratio
               # Gain
K = 2.0
# Performance metrics
overshoot = np.exp(-zeta*np.pi/np.sqrt(1-zeta**2)) * 100
settling\_time = 4 / (zeta * wn)
peak_time = np.pi / (wn * np.sqrt(1 - zeta**2))
print(f"Overshoot: { overshoot : .1 f}%")
print (f" Settling - time: - { settling - time: . 2 f} - s")
print(f"Peak-time:-{peak_time:.2f}-s")
```

#### **Problem 11**: Demonstrate the hwterminal environment for terminal output.

The hwterminal environment displays terminal commands and output with appropriate styling:

Listing 3: MATLAB Simulation Output

Listing 4: Python Package Installation

Problem 12: Demonstrate the hwgraphic command for including images.

The hwgraphic command provides a convenient wrapper for including graphics with automatic centering:

(a)

Command syntax and features.

Basic syntax:

\hwgraphic{path}[optional title][optional scale]

### Key features:

- Automatic centering of images
- Optional title with bold formatting
- Default sizing to 80% of text width
- Custom scaling support with scale parameter
- Works with PNG, JPG, PDF, and EPS formats

#### Usage examples:

- \hwgraphic{figure.png} Basic inclusion with default size
- \hwgraphic{plot.pdf}[System Response] With title
- \hwgraphic{diagram.jpg}[Circuit Diagram][0.6] With title and 60% scale

# NOTE: Actual image files must exist for the hwgraphic command to work in practice

Problem 13: Showcase advanced mathematical typesetting capabilities.

(a)

Partial derivatives and multivariable calculus.

$$\frac{\partial^2 u}{\partial x^2} + \frac{\partial^2 u}{\partial y^2} = 0 \quad \text{(Laplace's equation)}$$

$$\nabla^2 u = \frac{\partial^2 u}{\partial x^2} + \frac{\partial^2 u}{\partial y^2} + \frac{\partial^2 u}{\partial z^2}$$

$$= 0$$

(b)

Complex analysis and frequency domain.

$$H(j\omega) = \frac{K}{j\omega + a}$$
$$|H(j\omega)| = \frac{K}{\sqrt{\omega^2 + a^2}}$$
$$\angle H(j\omega) = -\arctan\left(\frac{\omega}{a}\right)$$

**Problem 14**: Demonstrate piecewise functions and special mathematical constructs.

(a)

Unit step and impulse functions.

$$u(t) = \begin{cases} 1 & t \ge 0 \\ 0 & t < 0 \end{cases}$$

$$\delta(t) = \begin{cases} \infty & t = 0 \\ 0 & t \ne 0 \end{cases}, \quad \int_{-\infty}^{\infty} \delta(t)dt$$
 = 1

(b)

System response types based on damping.

$$\text{Response type} = \begin{cases} \text{Overdamped} & \zeta > 1 \\ \text{Critically damped} & \zeta = 1 \\ \text{Underdamped} & 0 < \zeta < 1 \\ \text{Undamped} & \zeta = 0 \end{cases}$$

**Problem 15**: Show integration with standard LaTeX environments and packages.

The homework class works seamlessly with standard LaTeX features:

- Standard lists and enumerations
- Mathematical symbols:  $\alpha, \beta, \gamma, \Delta, \Omega$
- Greek letters and special symbols:  $\infty, \partial, \nabla, \sum, \int$
- Text formatting: **bold**, *italic*, monospace
- 1. First numbered item
- 2. Second numbered item with math:  $E = mc^2$
- 3. Third item with inline code: plot(x, y)

**Problem 16**: Comprehensive example combining all features.

## FINAL EXAMPLE: Combines multiple features

(a)

Design a control system. Given plant:  $G_p(s) = \frac{10}{s(s+2)}$ 

Design a PID controller:  $G_c(s) = K_p + \frac{K_i}{s} + K_d s$ 

$$G_{ol}(s) = G_c(s)G_p(s) \tag{4}$$

$$G_{ol}(s) = G_c(s)G_p(s)$$

$$G_{cl}(s) = \frac{G_{ol}(s)}{1 + G_{ol}(s)}$$

$$(5)$$

(b)

MATLAB implementation.

Listing 5: PID Controller Design and Analysis

$$% Closed-loop system \\ Gcl = feedback(Gc * Gp, 1);$$

```
step (Gcl);
title ('Closed-Loop'Step'Response');
grid on;
% Display controller
fprintf('PID-Controller: Kp=%.1f, Ki=%.1f, Kd=%.1f\n', Kp, Ki, Kd);
(*)
  Bonus: Python verification.
                             Listing 6: Python Control Systems Verification
import control as ct
import numpy as np
import matplotlib.pyplot as plt
# Plant transfer function
Gp = ct.tf([10], [1, 2, 0])
# PID controller
Kp, Ki, Kd = 5, 2, 0.5
Gc = ct.tf([Kd, Kp, Ki], [1, 0])
\# Closed-loop system
Gcl = ct.feedback(Gc * Gp, 1)
# Step response
t = np. linspace(0, 5, 1000)
y, t = ct.step_response(Gcl, t)
plt. figure (figsize = (10, 6))
plt.plot(t, y, 'b-', linewidth=2)
plt.xlabel('Time-(s)')
plt.ylabel('Output')
plt.title('PID-Controlled-System-Step-Response')
plt.grid(True, alpha=0.3)
plt.show()
print(f"Controller: PID({Kp}, -{Ki}, -{Kd})")
```

This example demonstrates the complete integration of mathematical typesetting, code environments, problem structuring, and highlighting features available in the homework class.

### Problem 17: Demonstrate the hwblocks environment for block diagrams.

(a)

% Analysis

Basic block diagram with blox commands.

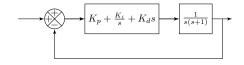
The hwblocks environment provides centered tikzpicture with automatic blox package support:



(b)

Block diagram with scaling options.

You can pass tikzpicture options to control scaling and other properties:



## Appendix A

This is the first appendix. It contains additional derivations and supplementary material.

Extended derivation of the quadratic formula:

$$ax^{2} + bx + c = 0$$

$$ax^{2} + bx = -c$$

$$x^{2} + \frac{b}{a}x = -\frac{c}{a}$$

$$x^{2} + \frac{b}{a}x + \left(\frac{b}{2a}\right)^{2} = -\frac{c}{a} + \left(\frac{b}{2a}\right)^{2}$$

$$\left(x + \frac{b}{2a}\right)^{2} = \frac{b^{2} - 4ac}{4a^{2}}$$

$$x + \frac{b}{2a} = \pm \frac{\sqrt{b^{2} - 4ac}}{2a}$$

$$x = \frac{-b \pm \sqrt{b^{2} - 4ac}}{2a}$$

# $Appendix \ B_{: \ Reference \ Tables}$

This appendix contains useful reference tables and formulas.

Transform	Time Domain	Frequency Domain
Unit Step	u(t)	$\frac{1}{s}$
Ramp	$t \cdot u(t)$	$\frac{1}{s^2}$
Exponential	$e^{-at} \cdot u(t)$	$\frac{1}{s+a}$
Sine	$\sin(\omega t) \cdot u(t)$	$\frac{\frac{s-\omega}{\omega}}{s^2+\omega^2}$

Table 1: Common Laplace Transform Pairs

## Appendix C

This is the third appendix, showing automatic lettering continues (Appendix C).

Appendices are useful for including detailed calculations, reference materials, or code listings that would interrupt the flow of the main document.