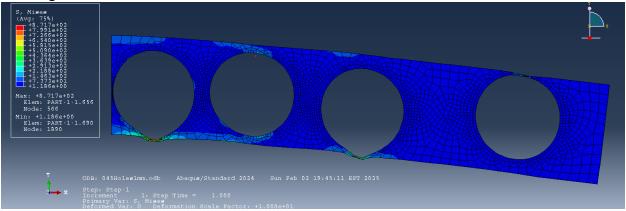
To smoothen out the data variability and differences in the three datasets and account for global outliers found, here is the recommendation on smoothing out the data:

Units for Max Stress MPA									Units for Displacement mm							
			antilever end displacement	Maz stress a	et 5 mm canti	lever end displacement			Displacement at cantilever end at 100 N end load			Displacement at cantilever end at 500 N end load				
Yolume Fractic	Holes	Mat A	Mat B	Holes	Mat A	Mat B		Volume Fraction	Holes	Mat A	Mat B	Holes	Mat A	Mat B		
0.1	447.3	357	226	2236	1785	1130		0.1	0.88	0.81	0.63	4.41	4.06	3.14		
0.15	270.9	233.6					_	0.15	0.76		0.65		3.64	3.23		
	513.7	377.3					1	0.2	1.16		0.60			3.02		
0.2	513.7	377.3	233.1	2568	1887	1165	-	0.25	0.97		0.62			3.10		
								0.23	1,1		0.60		4.48	3.02		
0.25	481.6	349.2	226.1	2408	1746	1133								2.94		
0.25	435.5	325.5	227.4	2178				0.35	1.30		0.59					
							-	0.4	1.63		0.57			2.86	<u> </u>	
0.35	472.1	438		2361			1	0.45	2.68		0.55		6.20	2.74		
0.4	461.6	376.3	253.3	2308	1881	1266	-	0.5	1.54		0.56			2.82		
								0.55	3.87		0.50			2.51		
0.45	871.7	580.1	256	4358	2900	1280	871.7	0.6	3.08		0.52			2.59		
0.5	278.2	258.8	235.6	1391	1294	1178		0.65	7.38		0.49			2.46		
								0.7	9.17	1.91	0.46	45.84	9.52	2.32		
0.55	485.6	347.2							1.75044	0.0040040	0.4000000000	1.704110000	0.005405	-0.403095298	CIZEL	
0.6	284.1	293	265.1	1421	1465	1326		LIMiv.		0.0043346	-0.400895686	1.764110289	0.000430	-0.403035230	OKEV	
0.65	195.5	399	309	977.4	1995	1545	i	UMagnitu							_	
0.7	455,4	415.5	313.8	2277	415.5	1569					antilever end			ver end at 500	1	
										at 100 N en	d load		N end loa	d	-	
	1.2357647	0.959243407	1.081596621	1.235474899	-0.104406797	1.084013971	SKEW	Volume	l		. . n	l		L	1	
Data Set 2								Fraction	1 0.97549	Mat A 0.8118544	Mat B 0.63321126	Holes 5.852968693	Mat A 4.871127	Mat B 3.79926753	-	
Direction Down			antilever end displacement						0.37543		0.65866578			3,95199466	-	
Volume Fractic	Holes 622.2448	Mat A 382,41037	Mat B 281.1238	Holes 3111.224	Mat A 1912.052	Mat B 281.1238		0.13			0.63839102		4.888932	3.83034611		
0.15	338.8414	247.766159	270.4947	1694.207		270.4947	+	0.25			0.62354016			3.74124074		
0.2								0.3			0.62064612			3.72387695		
0.25	596.8199		284.4005	2984.1	2000.244	284.4005		0.35			0.60921901	6.713216782	5.267718	3.65531397		
0.3	344.0836	270.011566						0.4			0.61592317		5.217913	3.695539		
0.35	534.295 384.0533	288.397522 270.313843		2671.475 1920.267				0.45			0.55895829	10.95540524		3.35374975		
0.45	562,757	403,45932	310.4611	2813.785	2017.297	310.4611	1	0.5			0.55060107	11.7577076		3.30360651		
0.5		333.556854		2128.788	1667.784			0.55	2.42762	1.2991489	0.54038113	14.56569672	7.794894	3.24228668		
0.55	330.0016	340.363647		1650.008				0.6	2.55957	1.4082384	0.51242006	15.35739136	8.44943	3.07452035		
0.65	411.0307 485.8028	393.639832 451.577881	322.5807	2055.154 2429.014				0.65			0.49870613		9.277812	2.99223685		
0.65	485.8028	390.22345	322.5977 328.4326					0.7	5.85599	1.6380326	0.49126866	35,13594055	9.828196	2.94761205		
0.1	0.2216839				-0.331212396				1.85157	0.6031756	-0.354720782	1.851567485	0.603176	-0.35472068	SKEV	
Data Set 1								1	l n		ا ب	n		1 . 500		
Direction Down			antilever end displacement					1		acement at cantilever end at 100 N end load		Displacement at cantile N end load				
Volume Fraction	Holes	Mat A	Mat B	Holes	Mat A	Mat B		Volume	<u> </u>	at 100 H elit	ı ıvau		1 enu ivau			
0.1	347.613 359.08	310.234 256.346	291.05 293.229	1738.07 1795.4				Fraction	Holos	Mat A	Mat B	Holes	Mat A	Mat B		
0.13	454,594	247.325		2272.97				0.1			-0.63744		-3.67595	-3.1872		
0.25	305,303	282.48		1526.51	1412.4	1481.11		0.15			-0.63121	-4.27761	-3.61879	-3.15605		
0.3		272.717		1689.42				0.13			-0.61675	-4.24409	-3.75458	-3.08375		
0.35	589.65	343,193	308.453	2948.25		1542.26		0.25			-0.614885	-4.26225	-3.87113	-3.07442		
0.4	520.482 532.067	334.245 286.829		2602.42 2660.34				0.23			-0.596528	-4.92966	-4.16598	-2.98264		
0.45	396,119	394.028		1980.59				0.35		-0.899816	-0.592495	-6.22836	-4.49908	-2.96247		
0.55	377.361	294.543	325.115	1886.8	1472.21	1625.58		0.4			-0.575703	-7.09561	-4.88841	-2.87851		
0.6	208.163	405.615	333.695	1040.81	2028.08	1668.48		0.45		-0.9663	-0.577702	-8.34452	-4.8315	-2.88851		
0.65	212.252	387.345						0.5			-0.558918	-10.7947	-5.54139	-2.79459		
0.7	162.654	458.921	359.343	813.269	2294.6	1796.72		0.55	-2.7256	-1.19047	-0.535038	-13.628	-5.95235	-2.67519		
	0.0799044	0.645456802	1.141165051	0.079908428	0.645613333	1.141212188	SKEW	0.6			-0.507666	-46.7202	-6.7999	-2.53833		
'								0.65		-1.40595	-0.509413	-82.4393	-7.02977	-2.54706		
								0.7	-233.19	-1.55324	-0.474383	-1165.93	-7.76622	-2.37192		

Given the skewness in the data (ranging from -3.57 to 1.76), the Box-Cox transformation can be an appropriate method to normalize the data and make it more suitable for analysis. This transformation is effective when data is positively skewed, as it helps to reduce skewness and achieve a normal distribution. Since the outlier appears to be caused by a physical effect influencing structural behavior, it would be important to perform the transformation both with and without the outlier. If the Box-Cox transformation is heavily distorted by this outlier, alternative transformations like the Yeo-Johnson or log transformation could be explored to see if they yield better results.

After applying the Box-Cox transformation, if successful in normalizing the skewed data, Kernel Density Estimation (KDE) could be used to smooth the distribution further. This technique can help visualize the underlying distribution and address any irregularities in the data that might not be immediately apparent from histograms.

Another key observation from scatter plots is that the primary deviation between my data and the provided datasets is due to a hole positioned too close to the beam's edge. This resulted in unrealistic deformation/resulting in unrealistic stress concentration in ABAQUS, which is unlikely to occur in a real-life scenario. In this case, removing the corresponding data point might be justified, as it appears to be an artifact of the simulation setup rather than a physically meaningful result.



Additionally, comparing different simulation runs, for example, those with and without voids, and Material A versus Material B—requires a fair comparison of stress and displacement results. Standardization is a useful approach here, as it eliminates differences in units and scales. This ensures that variations, such as changes in hole placement, can be analyzed more effectively without being influenced by differences in magnitude or units.