CPSC 457 - Assignment 4
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Tutorial: T07

Question 1- Provide a simple example of a system in an unsafe state, where the processes could finish without entering a deadlock. Show the state, and two sequences of execution: one leading to a deadlock and the other leading to completion of all processes.

Example of an unsafe state:

There are 3 processes.

One resource type exists and there are 12 instances of this resources.

The state of the system is as follows:

Process	Allocation	Max	Available	Need
P1	5	11	3	6
P2	2	4		2
P3	2	9		7

Execution sequence leading to deadlock:

- 1. Scheduler runs process P2 exclusively, which eventually requests it maximum resources, being 4, by requesting an additional 2 resources, which are available. When P2 completes, it will release all of its resources, making 5 available total. P2 now has 0 resources allocated to it.
- 2. Now each of the active processes, P1 and P3 cannot run because P1 requires 6 more resources and P3 requires 7 more resources in case they need to request their maximum resources immediately, and neither of them can be scheduled.
- ➤ The system is now in deadlock, and the state is unsafe because there is no sequence of execution that guarantees completion.

Execution sequence leading to completion of all processes:

- 1. Process P3 releases one of it's resources. It now has 1 allocated to it, and "Need" changes to 8 for P3. Now, 4 resources in total are available.
- 2. Process P2 runs, and eventually requests an additional 2 resources, which are available. P2 now has 4 resources allocated to it. Process P2 eventually completes and releases its resources. Now P2 has 0 resources allocated to it and there is a total of 6 available.
- 3. Process P1 runs, and eventually requests an additional 6 resources, which are available. P1 now has 11 resources allocated to it. Process P1 eventually completes and releases its resources. Now P1 has 0 resources allocated to it and there is a total of 11 resources available.
- 4. Process P2 runs, and eventually requests an additional 8 resources, which are available. P3 now has 8 resources allocated to it. Process P3 eventually completes and releases its resources. Now P3 has 0 resources allocated to it and there is a total of 12 resources available.
- All processes were able to finish in this execution sequence of the state of the system, even in the case that they request their maximum number of resources immediately.

Question 2 – What is the smallest value of 'x' that can keep the system safe? Once you find the 'x' value, find a safe execution order using the safety algorithm. Include a step-by-step walkthrough of the safety algorithm.

The smallest value of 'x' that can keep the system in a safe state is 1. This is because P1, P2, and P3 have less than the maximum amount of this resource allocated to them, and if there is at least 1 of this resource available, there exists a scheduling order in which every process is guaranteed to run to completion, keeping it in a safe state.

Process	Allocation	Maximum	Available	Need
P0	10211	11213	00112	01002
P1	20110	2 2 2 1 0		02100
P2	11010	21310		10300
P3	11110	1 1 2 2 1		00111

Step-by-step walk-though of safety algorithm:

//Initialize Temporary Vectors

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Work = Available
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Finish[0] = false

Finish[1] = false

Finish[2] = false

Finish[3] = false

//Find i such that finish[i] = false and Need[i] <= Work //Update work and finish, go to step 2.

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finish[3] = false and need[3] <= work (true)
Work = Work + Allocation[3]
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$$= (0\ 0\ 1\ 1\ 2) + (1\ 1\ 1\ 1\ 0) = (1\ 1\ 2\ 2\ 2)$$

Finish[3] = true

$$i = 0$$

i = 3

finish[0] = false and need[0] < = work (true)

work = work + allocation[0]

$$= (1\ 1\ 2\ 2\ 2) + (1\ 0\ 2\ 1\ 1) = (2\ 1\ 4\ 3\ 3)$$

Finish[0] = true

i = 1

finish[1] = false and need[1] < = work (true)

$$work = work + allocation[1]$$

$$= (2 1 4 3 3) + (2 0 1 1 0) = (4 1 5 4 3)$$

Finish[1] = true

//If finish[i] == true for all i, return true

 $Finish[i] == true \ for \ all \ I \ is \ true \\ return \ true$

In summary:

- 1. P3: available = $(0\ 0\ 1\ 1\ 2) + (1\ 1\ 1\ 1\ 0) \rightarrow (1\ 1\ 2\ 2\ 2)$
- 2. P0: available = $(1\ 1\ 2\ 2\ 2) + (1\ 0\ 2\ 1\ 1) \rightarrow (2\ 1\ 4\ 3\ 3)$
- 3. P1: available = $(2\ 1\ 4\ 3\ 3) + (2\ 0\ 1\ 1\ 0) \rightarrow (4\ 1\ 5\ 4\ 3)$
- 4. P2: available = $(4 \ 1 \ 5 \ 4 \ 3) + (1 \ 1 \ 0 \ 1 \ 0) \rightarrow (5 \ 2 \ 5 \ 3)$

Execution sequence: P3, P0, P1, P2.