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Can 3
                                                          a, BC + B'CD - BC + CD
                                                                                                     W = BC + B'CD
                                                                                                                                                   BC (D+1) + B'CD (Bu)
BCD + BC + B'CD (phán phón)
                                                                                                                                                     CD(B+B') + BC (tot hop)
                                                                                                                                                 BC + CD
                                                                                                                                                         NP + dpcm
                                                                      b, [(B+CD)'+(BC)']'=BC
                                                                                        VT = \left[ \left( B + CD \right)' + \left( BC \right)' \right]'
                                                                                                            = (B+CP), (BC) (PeMorgan)

= B.BC + BC.CD (phán phó;)
                                                                                                                                                                                                                   BCD
                                                                                                                                           BC (1 +D)
                                                                                                                                                                                                                                                                                                                         (ka hop)
                                                                                                                                                                                                                                                                                                                                       (bu)
                                                                                                                                      BC = VP > &pen
                                                    c_{7} \int (\beta' + C') + (\beta'C'p') + Ap' = \beta'C'D

\begin{aligned}
VT &= \left[ \left( B' + C' \right)' + \left( B'C'D' \right)'' + AD'' \right]' \\
&= \left( B' + C' \right) \times \left( B'C'D' \right) \times \left( AB' \right) + \left( A' + D \right) + \left( B'C'D' \right) \times \left( AB' \right) + \left( A' + D \right) + \left( A' + D
                                                                                                                                                 B'C'D (A'+D)
                                                                                                                                                                                                                                                                                                                                   (huy day)
                                                                                                                                         A'B'C'D + B'C'D.D
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d, M= (A'+B'+C+D) (A+C'+D) (A'+B'+C'+D) = [(A' + B' + C + D) (A' + B' + C' + D) (A + C' + D)][ABC'D' + ABCD' + (A+C'+P)']' = [ABD'(C'+C) + (A+C'+D)'] = [ABD' + (A+C'+D)']' = [ABD'(1TC) + (A+C'+D"))) - [ABD' + ABCD' + A'CD'] [ABD' + ABCD' +A'(1+B)CD'] (BCD' + ABD' + A'CD') (A'BCD' + ABD' + A'CD']' (A + B' + C' + D) (A' + B' + D) (A + C' + D)VP -> &pem KI.ONG

