Assignment	1	
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Purblem 1 - Solution to non-linear equation

Puoblim Statement

White a puogram to generate a P-V is othern for
given conditions from van der waars equation
for designing a system to capture and store
gaseous co2, at sub surgare conditions.

DESCRIPTION OF METHOD

Since we have to plot a graph, we will need walkers of P (namis) and V (yours). And since we are enjoying to get v from given P, we need to solve the non linear equations of the function gives, by modified secont method.

$$(P+q)(v-b) = kT$$

 $(Pv^2+q)(v-b) - PTv^2 = 0$

Pv3-Pbv2+av-ab-RTv2=0

And by moelified sec. method, un can calculate vot

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Modified Secart method In secant method, we use two autituous values to calculate the derivative and fronthe calculate new closer values.

or Charethery (200020070)

are menger or notice But in modified second method, we guess one value initially and the other value is a value practionally no very near the initial guess.

f'(ni) = f(ni + Sni) - f(ni)in horizon o Taly als wind the

and () Little 2 21 (I L'ai)) Les Small plaction

 $\chi_{i+1} = \chi_i - \left(\frac{f(\chi_i) \otimes \chi_i}{f(\chi_i + \otimes \chi_i) - f(\chi_i)}\right)$

And supeat till convergence.

Pseudo Code Let ERF = 0.001 No is initial guess P is puessure XI = Xo F(V) = PV3 - (Pb+RT)V2+ aV + ab XI = XO - (DELTAXXO) FLXO) / (FLXO+DELTAXO) -F(XO)) WHILE X1-X0 NOT less than ERR Change No = X, X, = X0 - (8 X0) F(X0) / F(X0+1X0) - F(X0)) END RETURN X, EARL Iteration f(n) = Pv3 - (bP+RT) v2+av-ab = 0 R=0.082 ; a= 3.592; b= 0.04267; T=345; ut P = 2:8 outm and 10=V= 51 8 = 0,01 20 = 5 Sno fino) 2,= 20 f(ho+8no)=f(no)

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$$\chi' = 2 - (0.01 \times 2) + (2)$$

```
% clearing console
clear
clc
% Taking user input for initial guess for the modified secant method
initial_guess = input("Initial Guess = ");
% Array containing values for pressure from 1 atm to 100 atm
P = linspace(1, 100, 1000);
% Volume array (initially zero)
V = zeros(1, 1000);
i = 1;
% Calculating V for every value of P (find_V() is the function for find V at a given \checkmark
P)
for p = P
    V(i) = findVolume(initial_guess, p);
    i = i+1;
end
plot(P, V, 'LineWidth', 1.5);
title("PV Isotherm (T = 345K)");
xlabel("Pressure (P)");
ylabel("Volume (V)");
```

```
% Non-Linear equation solver function for a particular P and starting guess
function y = findVolume(x0, P)
    i = 1;
    delta = 0.01;
    error = 0.001;
    x1 = x0 - (((delta*x0)*(func(x0, P)))/(func(x0 + (delta*x0), P) - func(x0, P)));
    while abs(x1 - x0)/abs(x1) > error
        x0 = x1;
        x1 = x0 - (((delta*x0)*(func(x0, P)))/(func(x0 + (delta*x0), P) - func(x0, 
        P)));
        i = i+1;
    end
        y = x1;
    return
end
```

```
% Code of function f(V, P)
function y = func(V, P)
    a = 3.592;
    b = 0.04267;
    R = 0.082056;
    T = 345;

    % rearranged van der Waal's equation
    y = (P*(V^3)) - ((V^2)*((P*b) + (R*T))) +(a*V) - (a*b);
    return
end
```



