

### Agenda :

- ① Count distinct elements in subarray of size K
- ② Pair with given sum
- ③ Largest consecutive sequence

↳ Doubts

dict = {}

dict[" "] = [ ]  
len(dict)  
↓  
no. of keys ✓

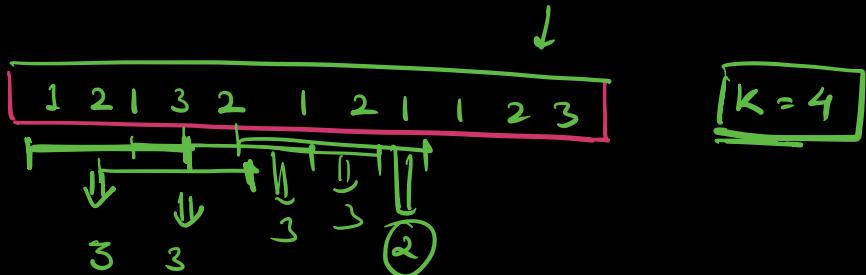
{ 3 : 1  
2 : 4  
1 : 3 }

Q Given  $N$  array elements. Calculate no. of distinct elements in every window of size  $K$ .

subarray

Input

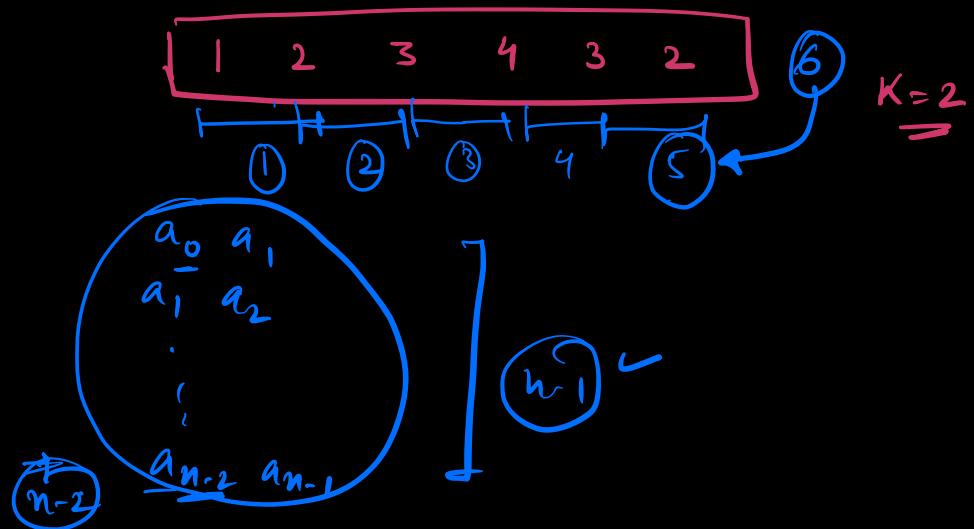
Example



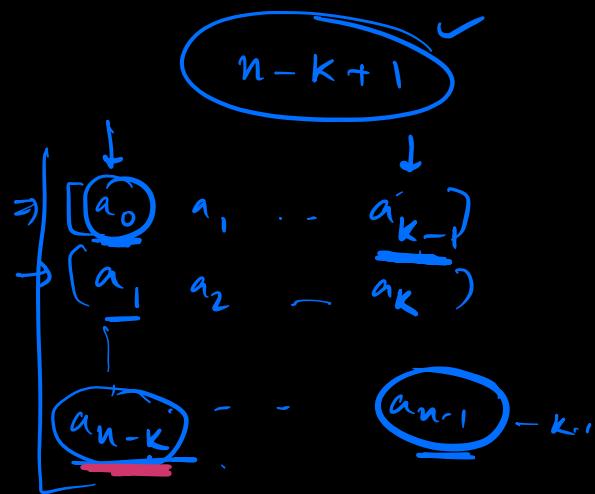
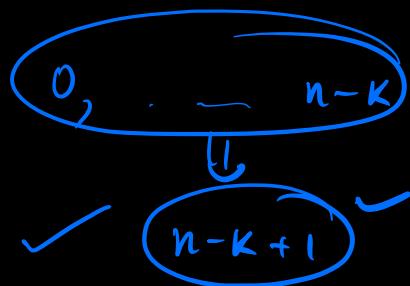
return  $\rightarrow \text{ans} = [3, 3, 3, 3, 2, 2, 2, 3]$

$N$  sized array  $\rightarrow 10$

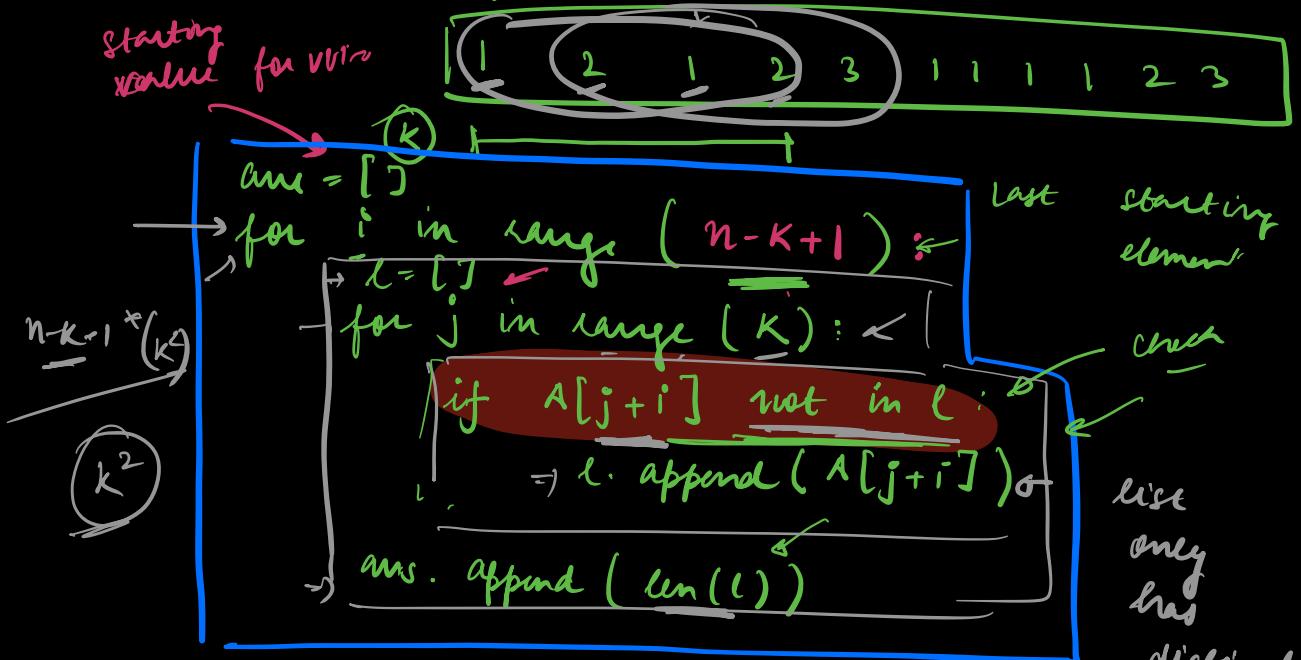
$$a_1 \ a_2 \ a_3 \ \dots \ a_{10} \Rightarrow \begin{matrix} K=1 \\ \text{no. of} \\ = 10 \end{matrix}$$



$$\begin{array}{ll} k=1 & \Rightarrow n \\ k=2 & \Rightarrow n-1 \end{array}$$



$$\text{Bunte Farbe} \quad l = [1, 1, 3] \quad \text{ans} = [2, 3]$$



$$i=0$$

$$a_0, a_1, \dots, a_{k-1}$$

$$i=1$$

$$0, 1, 2, \dots, k-1$$

$$\vdots$$

$$1, 2, \dots, k$$

$$\rightarrow (n-k+1) \times (k) \times (k)$$

$$n \geq k \rightarrow nk^2 - k^3 + k^2$$

## Optimisation - 1

$\underline{O(nk^2)}$      $\underline{O(N)}$

```
for i in range (n-k+1) :  
    dic = {}  
    for j in range (k) :  
        if arr[i+j] not in dic :  
            dic [arr[i+j]] = 1  
        else :  
            dic [arr[i+j]] += 1  
    ans.append (len(dic))
```

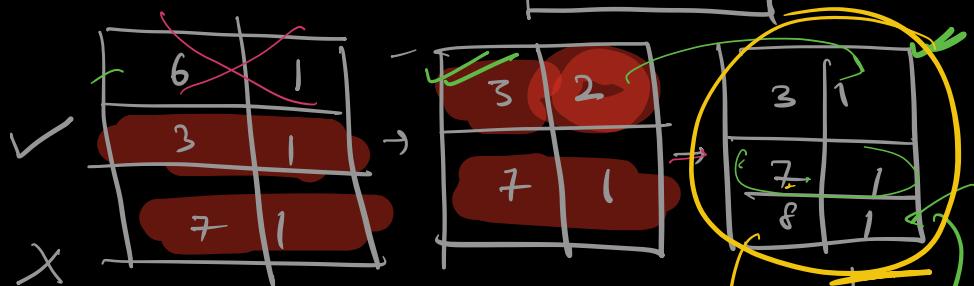
can skip!

$$(n-k+1) * k = \underline{\underline{O(nk)}}$$



1	2	2
2	1	
3	1	

$N = 7$   
 $K = 3$   
 $\text{ans} = \{\text{elms}\}$



new elements

if  $\text{ans}[j+1]$  not in dic  
 $\text{dic}[\text{ans}[j+1]] += 1$   
 else  
 $\text{dic}[\text{ans}[j+1]] += 1$

8	1
6	1
9	1

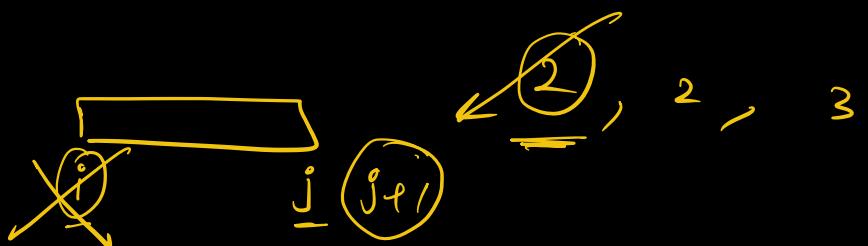
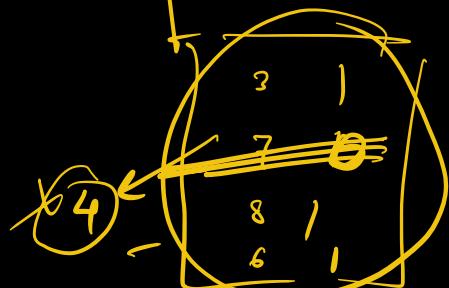
3	1
8	1
6	1

old

dic[ans[i]] -= 1

if  $\text{dic}[\text{ans}[i]] == 0$ :

del dic[ans[i]]



Optimized solution  $\rightarrow$

in collab

TC  $\rightarrow$   $O(N)$

$O(N-K+1)$   $O(k)$  SC  $\rightarrow$   $O(k)$

$\underset{Q}{=}$  Given  $N$  array elements. Check if there exist a pair  $(i, j)$  such that  $\text{arr}[i] + \text{arr}[j] == K$   $\text{arr}$

$i, j$   
distinct

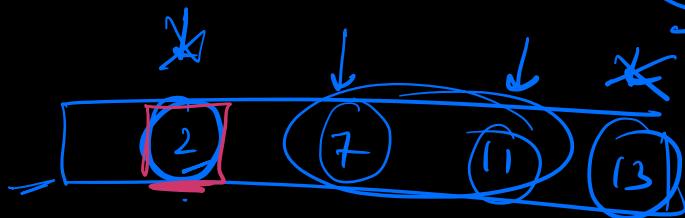
[2, 7, 11, 13]

$K = 18$  ✓  
 $K = 9$  ✓  
 $K = 17 X$

① BF iterate on all pairs

② -  $n \log n$

2  
 $x = y - K$   
 $K - 2$



$K = 9$

$$2 + 13 = 15 - 9$$

$15 > 18$   
 $7, 11$

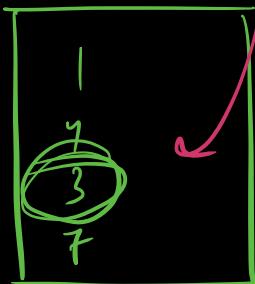
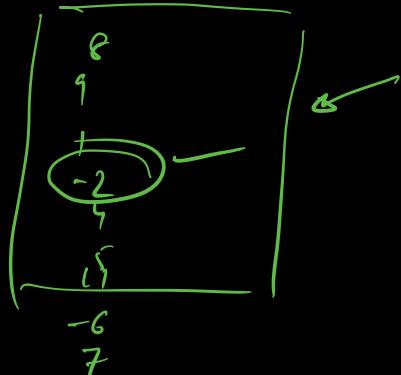
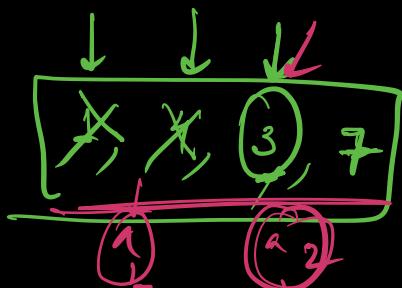
③

Without sorting ↴

K=6

[8, 9, 1, ~~7~~] ↳ [5, 11, -6, 3, 7]

K=6



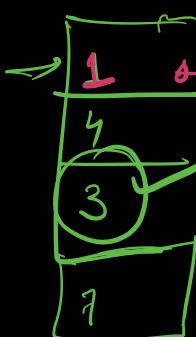
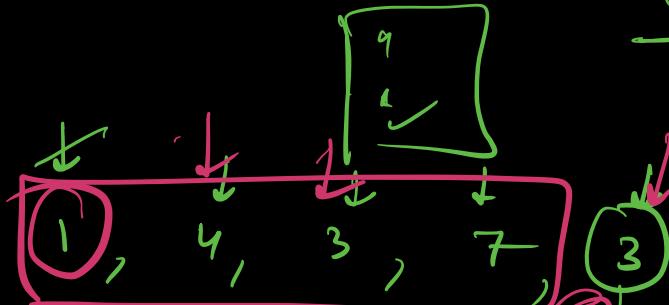
X

and

$$a_1 + a_2 = K$$

a<sub>1</sub>

a<sub>2</sub>



Yes!

$$x + y = K$$

$$y = K - 1$$

K - ans[i]

$$\begin{aligned}
 & \cancel{s+2} = \\
 & k = -10 \\
 (-9) \\
 & -9 + (x) \\
 & = -10 \\
 & x = -1
 \end{aligned}$$

```

dic = {}
for i in range(n):
    if k - arr[i] in dic:
        return True
    else:
        if arr[i] not in dic:
            dic[arr[i]] = 1

```

$k - arr[i]$  is same as  $\underline{arr[i]}$

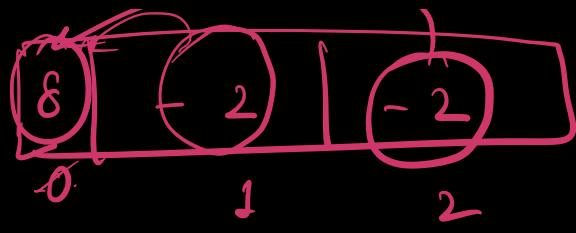
$$8, -2, -2 \quad k=6$$

n.w.

Count the no. of pairs

$$a[i] + a[j] = -k$$

$(8, -2)$



1 pair

1 pair

$$\begin{array}{l} 8 \rightarrow 1 \\ -2 \rightarrow \underline{2} \end{array}$$

$(0, 1)$        $(1, 0)$   
 $(0, 2)$        $(2, 0)$

pairs

$(i, j)$



$$\begin{array}{l} 8 \rightarrow 2 \\ -2 \rightarrow \underline{2} \end{array}$$

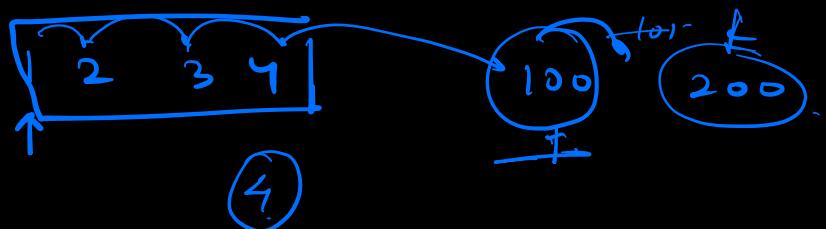
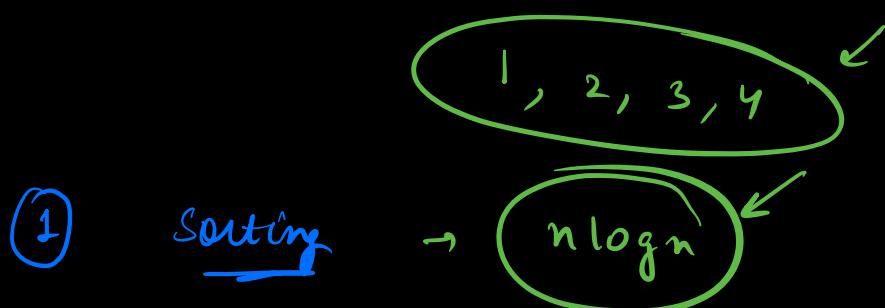
$\cancel{8} \rightarrow \underline{2} \quad (0, 1)$

$(0, 2)$

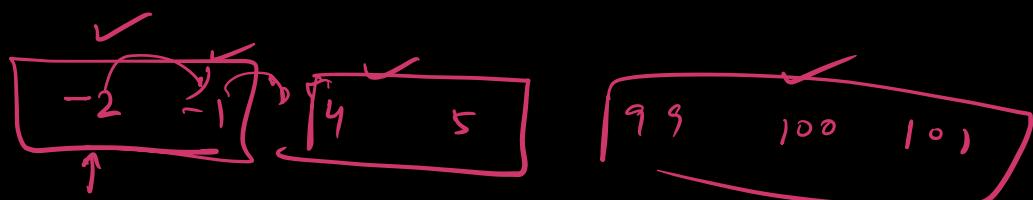
$\begin{pmatrix} 3, 1 \\ 3, 2 \end{pmatrix}$

Q Given N elements. Find the length of longest sequence which can be rearranged to form a sequence of consecutive ~~no~~ ..increasing no.s.

[100, 4, 200, 1, 3, 2]



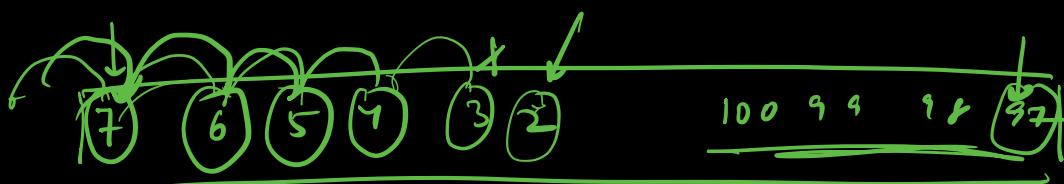
-2, -1, 4, 5, 7, 101, 99, 100



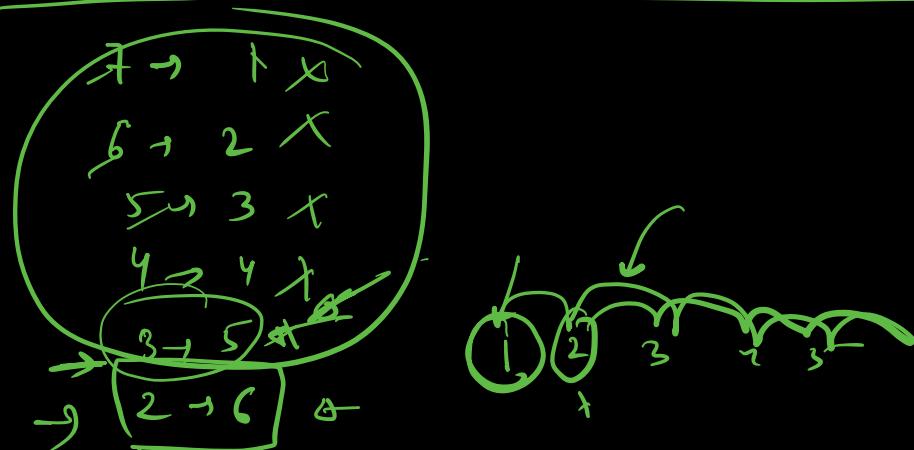
```

l. sort()
i = 0
while i < N :
    cnt = 1
    prev = arr[i]
    i += 1
    while arr[i] == prev + 1 :
        prev += 1
        i += 1
        cnt += 1
    ans = max(ans, cnt)

```



2 → 1
3 → 1
4 → 1
7 → 1
6 → 1
+
100
99
98



arr[i] → arr[i] - 1  
arr[i] → arr[i] - 1 is present

- ① create dictionary of elements
  - ② for i in range(m):
    - if arr[i] - 1 in dict:
- Continue.

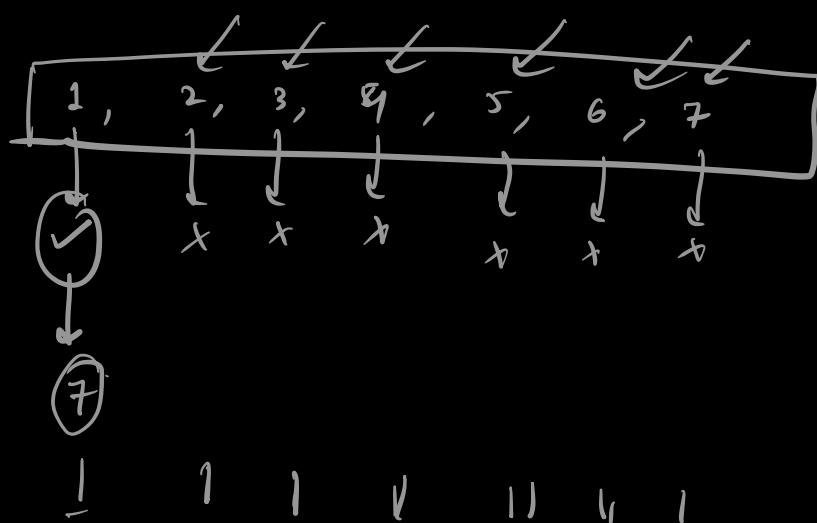
else :

```

val = arr[i]
cnt = 0
while val in dict:
    cnt += 1
    val += 1
ans = max (ans, cnt)

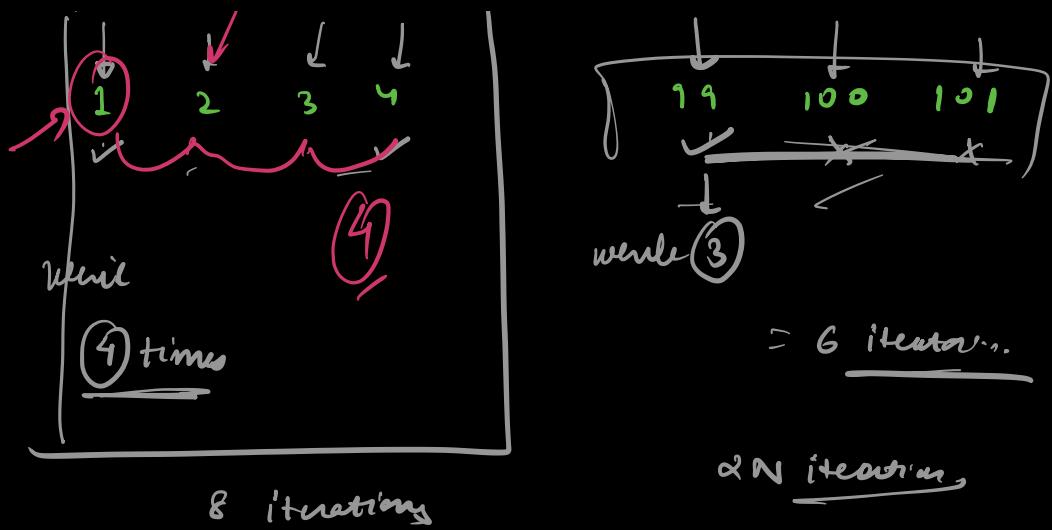
```

2 → 3 → 4 → 5 →



= 2N iterations

O(n)



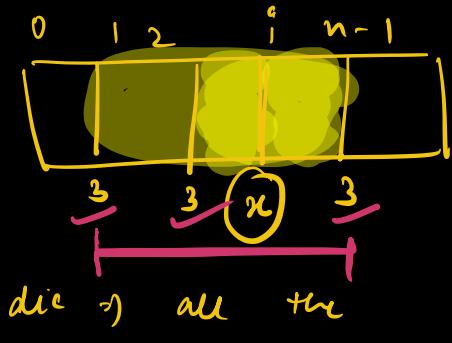
$\overbrace{1, 2, 3, 4}$   
 ↓    X    X    X  
 4

$\overbrace{8, 9, 10, 11}$   
 ↓    X    X    X  
 4

= 8 times

X	X	X	
2	9	3	1

$\overbrace{1 \ 2 \ 3 \checkmark \ 4 \checkmark}$



$k \sim$  prefix  
sum

$v(?)$