

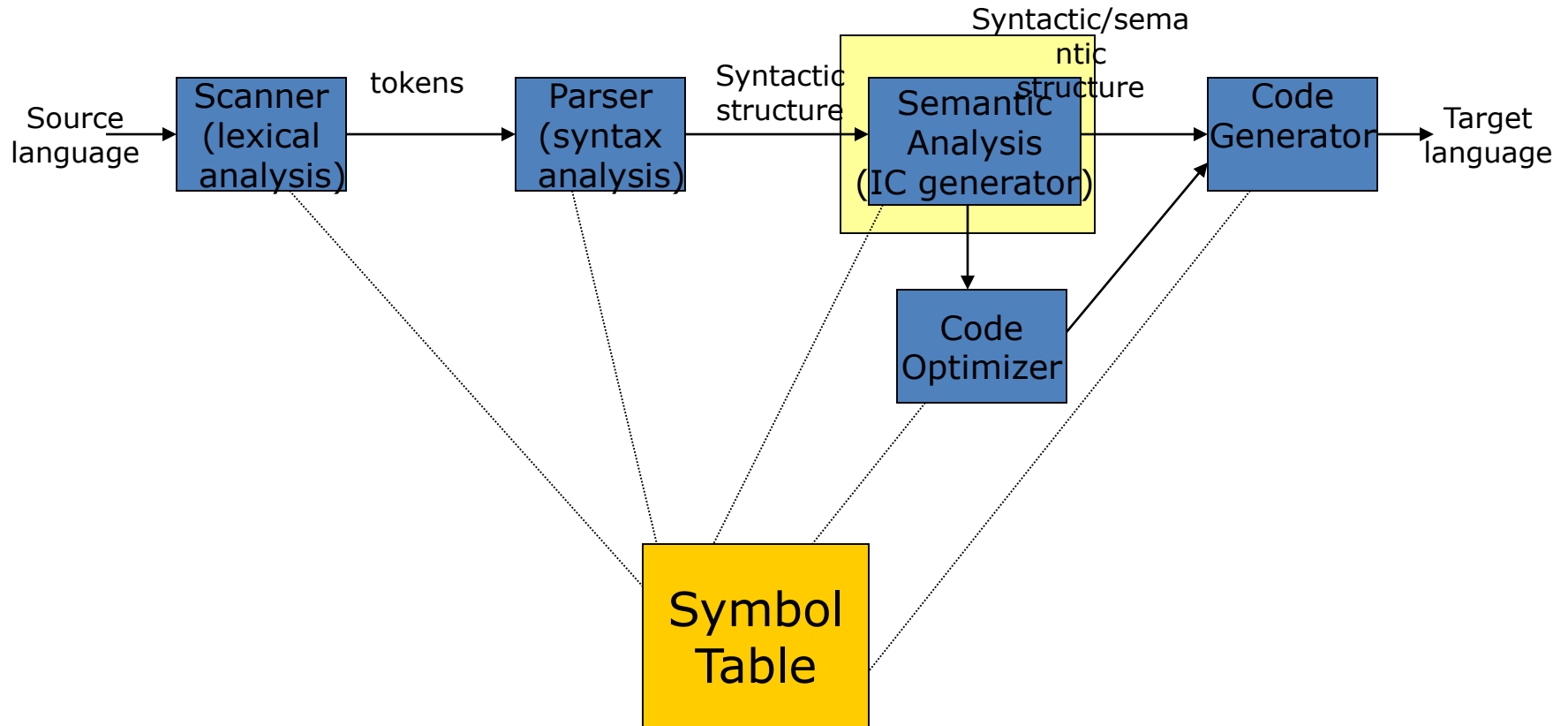
# Code Optimizations

# Code Optimizations

- Optimization is a program transformation technique, which tries to improve the code by making it consume less resources (i.e. CPU, Memory) and deliver high speed.
- Introduction
  - Optimized code
    - Executes faster
    - efficient memory usage
    - yielding better performance.
  - Compilers can be designed to provide code optimization.

- Criteria for Code-Improving Transformation:
  - Meaning must be preserved (correctness)
  - Speedup must occur on average.
  - Work done must be worth the effort.
- Opportunities:
  - Programmer
  - Intermediate code
  - Target code

# Code Optimization



# Levels

- Window – peephole optimization
- Basic block
- Procedural – global (control flow graph)
- Program level – intraprocedural (program dependence graph)

- In compiler theory, peephole optimization is a kind of optimization performed over a very small set of instructions in a segment of generated code.
- The set is called a "peephole" or a "window".
- It works by recognizing sets of instructions that can be replaced by shorter or faster sets of instructions.

# Peephole Optimizations

- Constant Folding

**EX1 :**

**x := 32**                      becomes      **x := 64**  
**x := x + 32**

**EX2 :**

**int f (void) { return 3 + 5; }**

becomes

**int f (void) { return 8; }**

- Unreachable Code

**EX1:**

**goto L2**

**x := x + 1**                      ← **unnneeded**

**EX2:**

**Function add(X,Y)**

**{**

**return X+Y;**

**int ans= X\*Y;**

**}**



- Flow of control optimizations

`goto L1` becomes `goto L2`

...

`L1: goto L2`

# Peephole Optimizations

- Algebraic Simplification
- Algebraic simplifications use algebraic properties of operators or particular operator-operand combinations to simplify expressions .
- Simplifications for integers:

$$i + 0 = 0 + i = i - 0 = i$$

$$0 - i = -i$$

$$i * 1 = 1 * i = i / 1 = i$$

$$i * 0 = 0 * i = 0$$

- Dead code

**EX1 :**

**x** := 32 ← where x not used after statement

**y** := 32 + y

**EX2 :**

**Function add(X,Y)**

{

**int ans**= X\*Y;

**return** X+Y;

}

- Reduction in strength

$$\mathbf{x} := \mathbf{x} * 2 \quad \rightarrow \quad \mathbf{x} := \mathbf{x} + \mathbf{x}$$

# Peephole Optimizations

- Local in nature
- Pattern driven
- Limited by the size of the window

# Basic Block Level

- Common Subexpression elimination
- Constant Propagation
- Dead code elimination
- Plus many others such as copy propagation, value numbering, partial redundancy elimination, ...

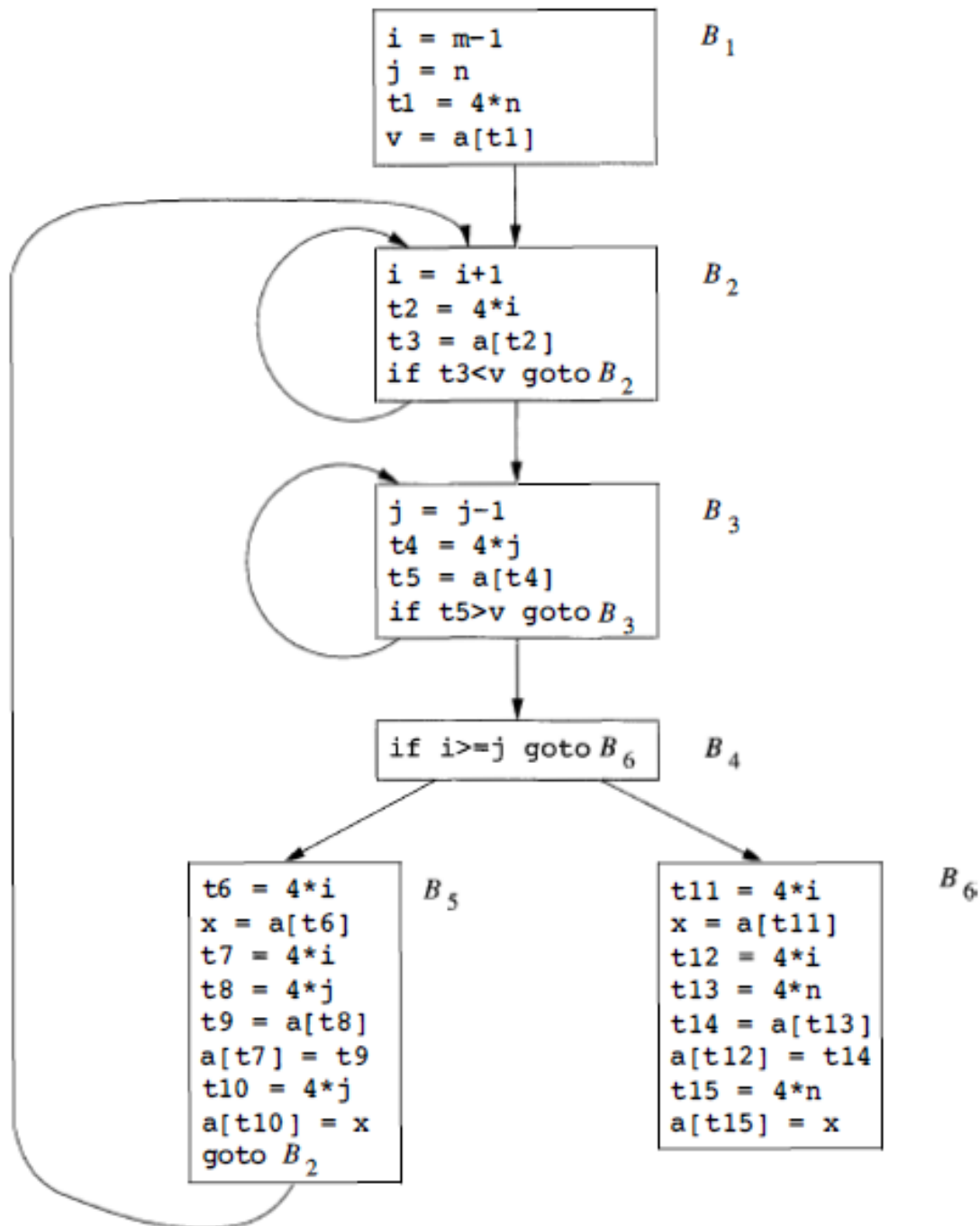
```

void quicksort(int m, int n)
    /* recursively sorts a[m] through a[n] */
{
    int i, j;
    int v, x;
    if (n <= m) return;
    /* fragment begins here */
    i = m-1; j = n; v = a[n];
    while (1) {
        do i = i+1; while (a[i] < v);
        do j = j-1; while (a[j] > v);
        if (i >= j) break;
        x = a[i]; a[i] = a[j]; a[j] = x; /* swap a[i], a[j] */
    }
    x = a[i]; a[i] = a[n]; a[n] = x; /* swap a[i], a[n] */
    /* fragment ends here */
    quicksort(m,j); quicksort(i+1,n);
}

```

(1)	i = m-1	(16)	t7 = 4*i
(2)	j = n	(17)	t8 = 4*j
(3)	t1 = 4*n	(18)	t9 = a[t8]
(4)	v = a[t1]	(19)	a[t7] = t9
(5)	i = i+1	(20)	t10 = 4*j
(6)	t2 = 4*i	(21)	a[t10] = x
(7)	t3 = a[t2]	(22)	goto (5)
(8)	if t3<v goto (5)	(23)	t11 = 4*i
(9)	j = j-1	(24)	x = a[t11]
(10)	t4 = 4*j	(25)	t12 = 4*i
(11)	t5 = a[t4]	(26)	t13 = 4*n
(12)	if t5>v goto (9)	(27)	t14 = a[t13]
(13)	if i>=j goto (23)	(28)	a[t12] = t14
(14)	t6 = 4*i	(29)	t15 = 4*n
(15)	x = a[t6]	(30)	a[t15] = x





# Local common-sub expression elimination

```
t6 = 4*i
x = a[t6]
t7 = 4*i
t8 = 4*j
t9 = a[t8]
a[t7] = t9
t10 = 4*j
a[t10] = x
goto B2
```

$B_5$

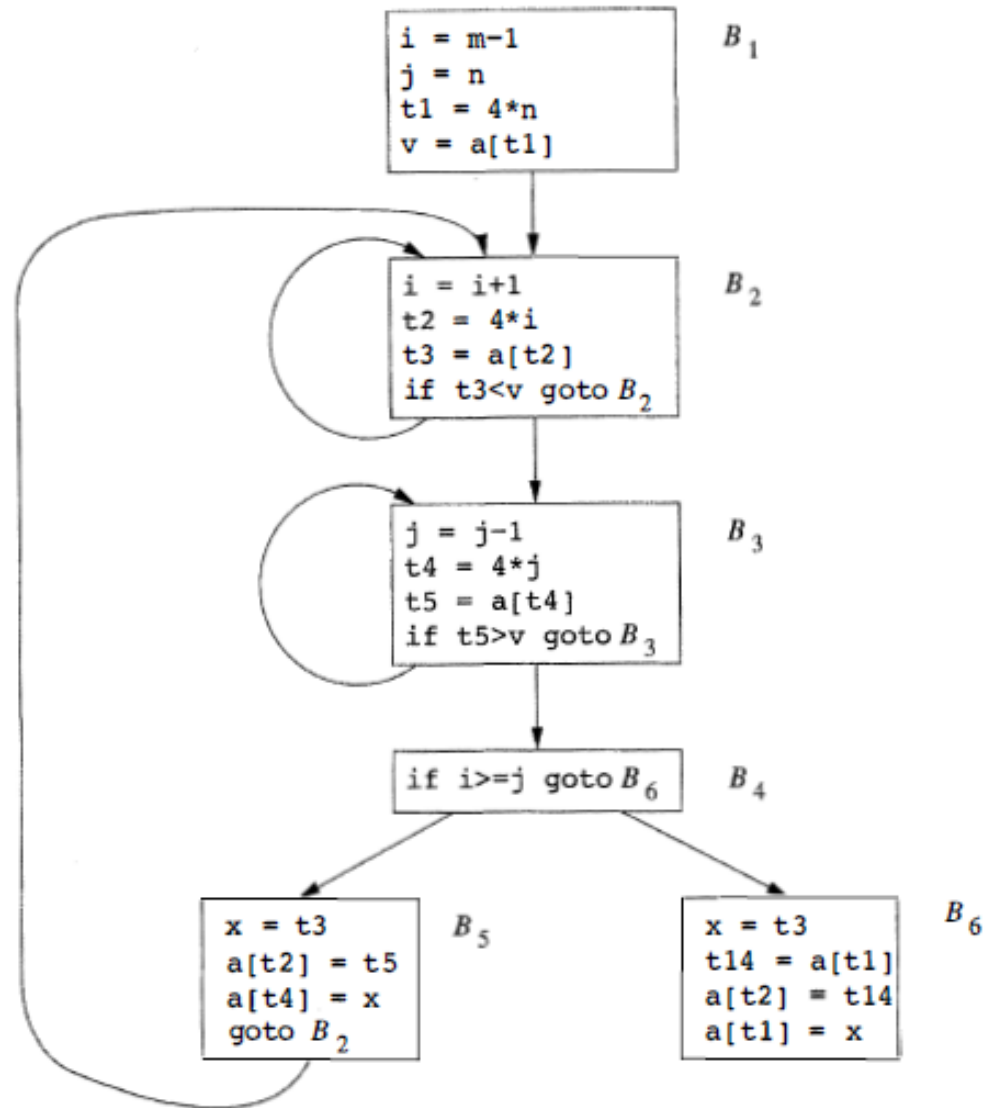
```
t6 = 4*i
x = a[t6]
t8 = 4*j
t9 = a[t8]
a[t6] = t9
a[t8] = x
goto B2
```

$B_5$

(a) Before.

(b) After.

- $t8 = 4*j$
- $t9 = a[t8]$
- $a[t8] = x$
- in B5 can be replaced by
- $t9 = a[t4]$
- $a[t4] = x$



# Copy Propagation

```
x = t3  
a[t2] = t5  
a[t4] = t3  
goto  $B_2$ 
```

# Dead- Code Elimination

```
a[t2] = t5  
a[t4] = t3  
goto  $B_2$ 
```

# CODE MOTION

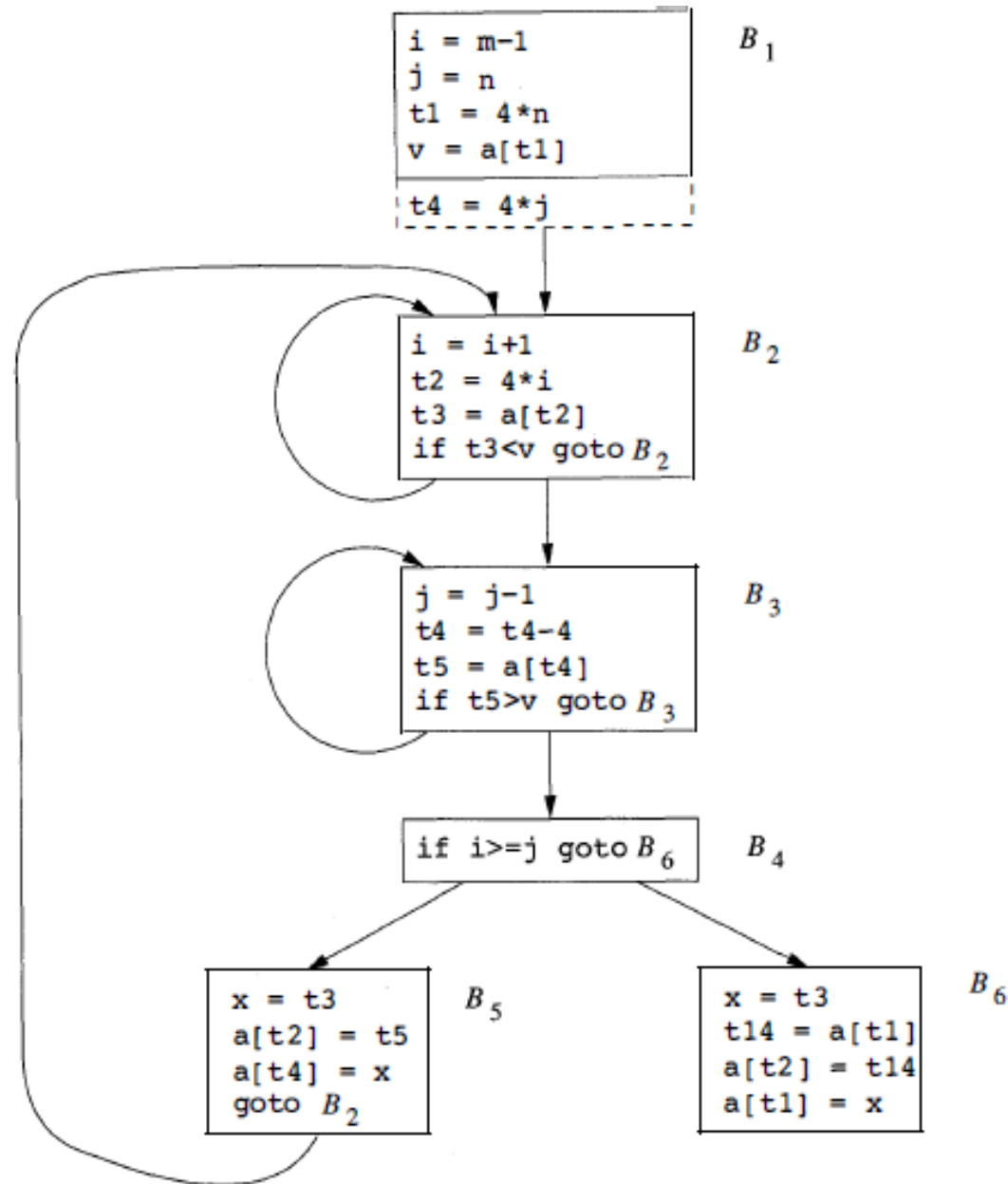
- Code Motion
  - Any code inside a loop that always computes the same value can be moved before the loop.
  - Example:

```
while (i <= limit-2)
do {loop code}
```

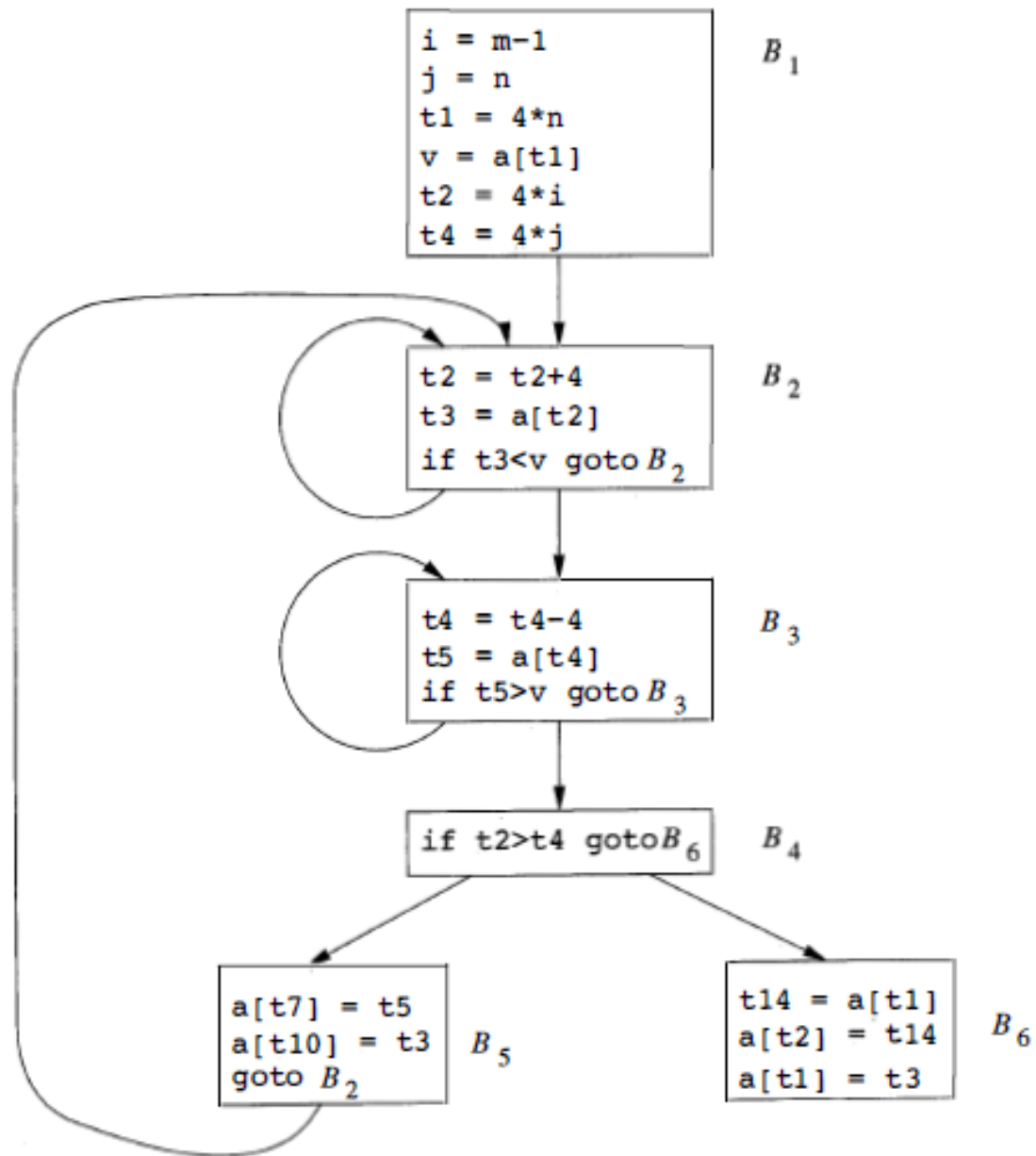
where the loop code doesn't change the limit variable. The subtraction, limit-2, will be inside the loop. Code motion would substitute:

```
t = limit-2;
while (i <= t)
do {loop code}
```

# Induction Variables and Reduction in Strength







# Simple example: $a[i+1] = b[i+1]$

- $t1 = i+1$
  - $t2 = b[t1]$
  - $t3 = i + 1$
  - $a[t3] = t2$
- $t1 = i + 1$
  - $t2 = b[t1]$
  - $t3 = i + 1 \quad \leftarrow \text{no longer live}$
  - $a[t1] = t2$

Common expression can be eliminated

Now, suppose  $i$  is a constant:

- $i = 4$
  - $t1 = i+1$
  - $t2 = b[t1]$
  - $a[t1] = t2$
- $i = 4$
  - $t1 = 5$
  - $t2 = b[t1]$
  - $a[t1] = t2$
- $i = 4$
  - $t1 = 5$
  - $t2 = b[5]$
  - $a[5] = t2$

Final Code:

- $i = 4$
- $t2 = b[5]$
- $a[5] = t2$

# Compiler Code Optimizations

- A Code optimizer sits between the front end and the code generator.
  - Works with intermediate code.
  - Can do control flow analysis.
  - Can do data flow analysis.
  - Does transformations to improve the intermediate code.

# Compiler Code Optimizations

- Optimizations provided by a compiler includes:
  - Inlining small functions
  - Code hoisting
  - Dead store elimination
  - Eliminating common sub-expressions
  - Loop unrolling
  - Loop optimizations: Code motion, Induction variable elimination, and Reduction in strength.

# Compiler Code Optimizations

- Inlining small functions
  - Repeatedly inserting the function code instead of calling it, saves the calling overhead and enable further optimizations.
  - Inlining large functions will make the executable too large.

# Compiler Code Optimizations

- Code hoisting
  - Moving computations outside loops
  - Saves computing time

# Compiler Code Optimizations

- Code hoisting
  - In the following example  $(2.0 * \text{PI})$  is an invariant expression there is no reason to recompute it 100 times.  
DO I = 1, 100  
    ARRAY(I) = 2.0 \* PI \* I  
ENDDO
  - By introducing a temporary variable 't' it can be transformed to:  
t = 2.0 \* PI  
DO I = 1, 100  
    ARRAY(I) = t \* I  
END DO



# Compiler Code Optimizations

- Dead store elimination
  - If the compiler detects variables that are never used, it may safely ignore many of the operations that compute their values.

# Compiler Code Optimizations

- Eliminating common sub-expressions

- Optimization compilers are able to perform quite well:

$$X = A * \text{LOG}(Y) + (\text{LOG}(Y) ** 2)$$

- Introduce an explicit temporary variable t:

$$t = \text{LOG}(Y)$$

$$X = A * t + (t ** 2)$$

- Saves one 'heavy' function call, by an elimination of the common sub-expression LOG(Y), the exponentiation now is:

$$X = (A + t) * t$$

# Compiler Code Optimizations

- Loop unrolling
  - The loop exit checks cost CPU time.
  - Loop unrolling tries to get rid of the checks completely or to reduce the number of checks.
  - If you know a loop is only performed a certain number of times, or if you know the number of times it will be repeated is a multiple of a constant you can unroll this loop.

# Compiler Code Optimizations

- Loop unrolling

- Example:

```
// old loop
```

```
for(int i=0; i<3; i++) {  
    color_map[n+i] = i;  
}
```

```
// unrolled version
```

```
int i = 0;  
colormap[n+i] = i;  
i++;  
colormap[n+i] = i;  
i++;  
colormap[n+i] = i;
```

# Compiler Code Optimizations

- Code Motion

- Any code inside a loop that always computes the same value can be moved before the loop.
- Example:

```
while (i <= limit-2)
do {loop code}
```

where the loop code doesn't change the limit variable. The subtraction, `limit-2`, will be inside the loop. Code motion would substitute:

```
t = limit-2;
while (i <= t)
do {loop code}
```

# Compiler Code Optimizations

- Conclusion
  - Compilers can provide some code optimization.
  - Programmers do have to worry about such optimizations.
  - Program definition must be preserved.