## AI ASSIGNMENT - 1

Design State Space Search for Water Jug Problem and Implement same problem in prolog.

Problem: There are two jugs of volume A litre and B litre. Neither has any measuring mark on it. There is a pump that can be used to fill the jugs with water. How can you get exactly of water into the Assuming that we have unlimited supply of water.

For e.g., one having the capacity to hold 3 gallons of water and the other has the capacity to hold 4 gallons of water. There is no other measuring equipment available and the jugs also do not have any kind of marking on them. So, the agent's task here is to fill the 4-gallon jug with 2 gallons of water by using only these two jugs and no other material. Initially, both our jugs are empty.

The initial state is provided by input:

Final state: 4L->2 3L->0.

	froduction Rules for Lolling the water jug peoblem:
	Problem russ / Commy / Commy
	TUBLENT.
S-No	Initial State Condition Final State Description of
· Polit	action taken
1.	(x,y) If x<4 (4,y) fill the 4
	gallon jug
3.25	(x,y) & y<3 (x,3) Fill the 3
2.	
	gallon jug completely
rn	
3.	(n,y) & n>0. (n-d,y) Pour some part
	from 4 gallon jug
4.	(n,y) If y>0 (x,y-d) Pour some part
5.	from 3 gallon jug
6-	(x,y) \$1 x>0 (0,y) Empty & gallon jug (x,y) \$1 y>0 (x,0) Empty 3 gallon jug
7	(x,y) If y>0 (x,0) Empty 3 gallonjug
	(x,y) y (x+y)<7 (4,y-[4-x]) Pour some water from
0.18	3 gallon jug to fil 4
8 -	(x,y) If (x+y)<7 (x-[3-y],y) Pour some water from
1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	
	4 gallon jug to fell 3 gallon jug
9.	(x,y) of (x+y)<4 (x+y,0) foll all water from
	3 gallon jug to 4 gallon jug
	gallon jug
	0 0
0.	(x, y) \$\frac{1}{(x+y)} \in 3 \left(0, x+y) four all water from
	4 gallon jug to the
	3 gallon jug
	U U U
1	

9 H	A solution of water flig peoblem according to			
1 1	the production sules:			
1				
S. No	4 gallonjug content	3 gallon jug Content	Rule allowed	
1-	O gallon	Ogallon	Surial State	
٦.	O gallon	3 gallon	Rule 2	
3.	3 gallon	Ogallon	Rule 9	
4.	3 gallon	3 gallon	Rule 2	
5.	4 gallon	gallon	Rule 7	
6.	O gallon	2 gallon 2 gallon	Rule 5	
7	2 gallon	O gallon	Rule 9	
	U			
*	On uaching the	7th attempt we	leach our	
	On naching the 7th attempt we lead on goal state. Therefore, at this state on problem is solved.			
P-72	is solved.			
	IF .			

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solve(InitialState, FinalState, Actions) :- plan(InitialState, FinalState, Actions,
[InitialState]).
plan(State, State, [], _) :- !.
plan(State1, State, [Action|R], States) :- go(State1, State2, Action),
                                            not(member(State2, States)),
                                            plan(State2, State, R, [State2|States]).
go( state(_, L2) , state(3, L2) , 'Fill 3 Gallon Jug' ).
go( state(L1, _) , state(L1, 4) , 'Fill 4 Gallon Jug' ).
go( state(L1, L2), state(0, L2) , 'Empty the 3 Gallon Jug') :- L1 > 0.
go( state(L1, L2), state(L1, 0) , 'Empty the 4 Gallon Jug') :- L2 > 0.
go( state(L1, L2), state(L3, 4), 'Pour from 3 Gallon Jug to fill 4 Gallon Jug') :-
    L1 > 0 , L2 < 4 , L2+L1 >= 4 , L3 is L1-(4-L2).
go( state(L1, L2), state(0, L4), 'Pour all water from 3 Gallon Jug to 4 Gallon Jug') :-
    L1 > 0 , L2 < 4 , L2+L1 < 4 , L4 is L2+L1.
go( state(L1, L2), state(3, L4), 'Pour from 4 Gallon Jug to fill 3 Gallon Jug') :-
    L2 > 0 , L1 < 3 , L1+L2 >= 3 , L4 is L2-(3-L1).
go( state(L1, L2), state(L3, 0), 'Pour all water from 4 Gallon Jug to 3 Gallon Jug') :-
    L2 > 0 , L1 < 3 , L1+L2 < 3 , L3 is L1+L2.
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